

1a.

```

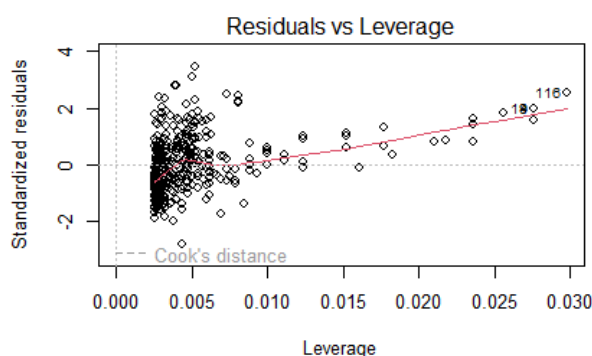
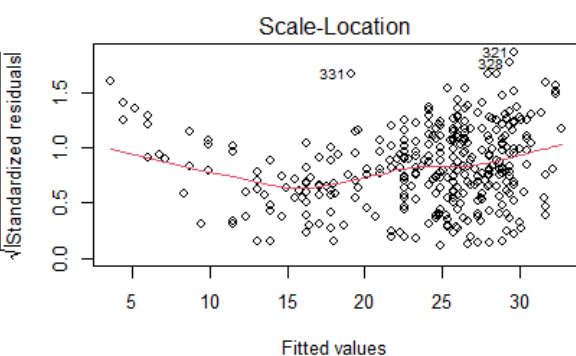
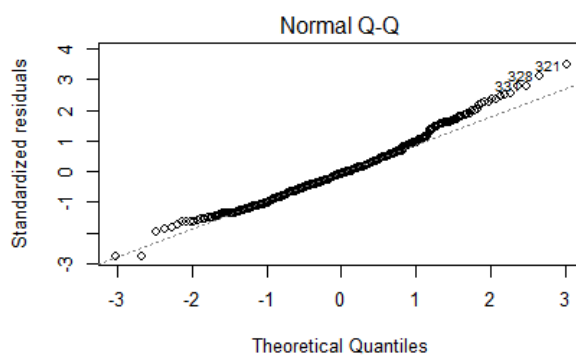
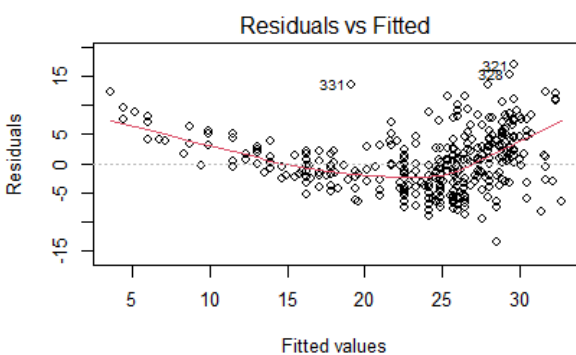
1 # mwilder
2 library(readr)
3
4 df = read.csv("0:/Arr Matey/Auto.csv", header=T, na.strings="?")
5 df = na.omit(df)
6
7 y = df$mpg
8 x = df$horsepower
9
10 model1 = lm(y~x)
11 summary(model1)
12 par(mfrow=c(2,2))
13 plot(model1)

```

Coefficients:

	Estimate	Std. Error	t value	Pr(> t )
(Intercept)	39.935861	0.717499	55.66	<2e-16 ***
x	-0.157845	0.006446	-24.49	<2e-16 ***

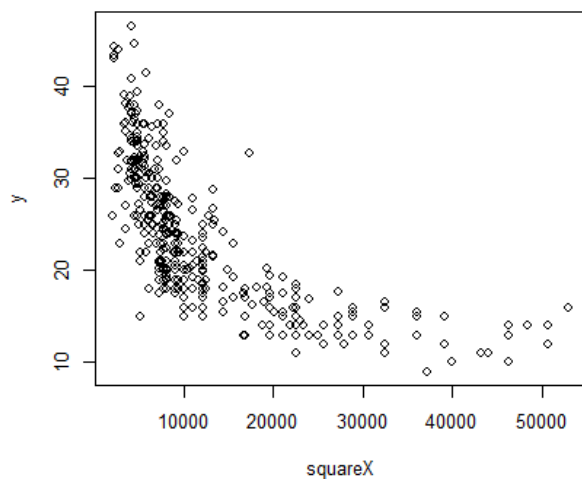
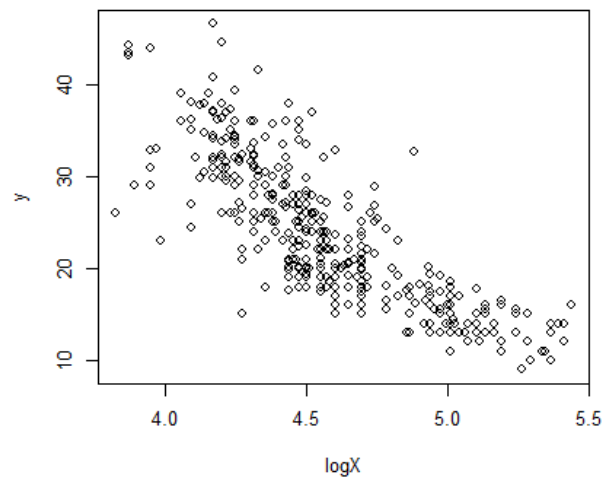
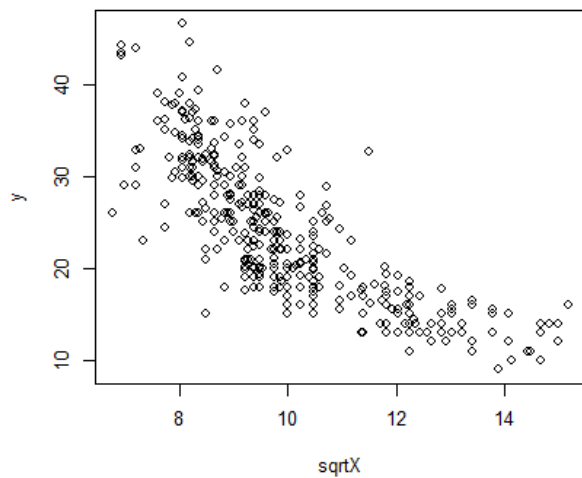
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b.) There are issues with the fit. The residual fits on the left increasingly deviate from the predictive curve. The plots suggest 321, 328, and 331 are outliers. The Normal Q-Q splitting at the tails indicates a non-normal distribution. There are also points with a large amount of leverage such as 18 and 116.

c.)

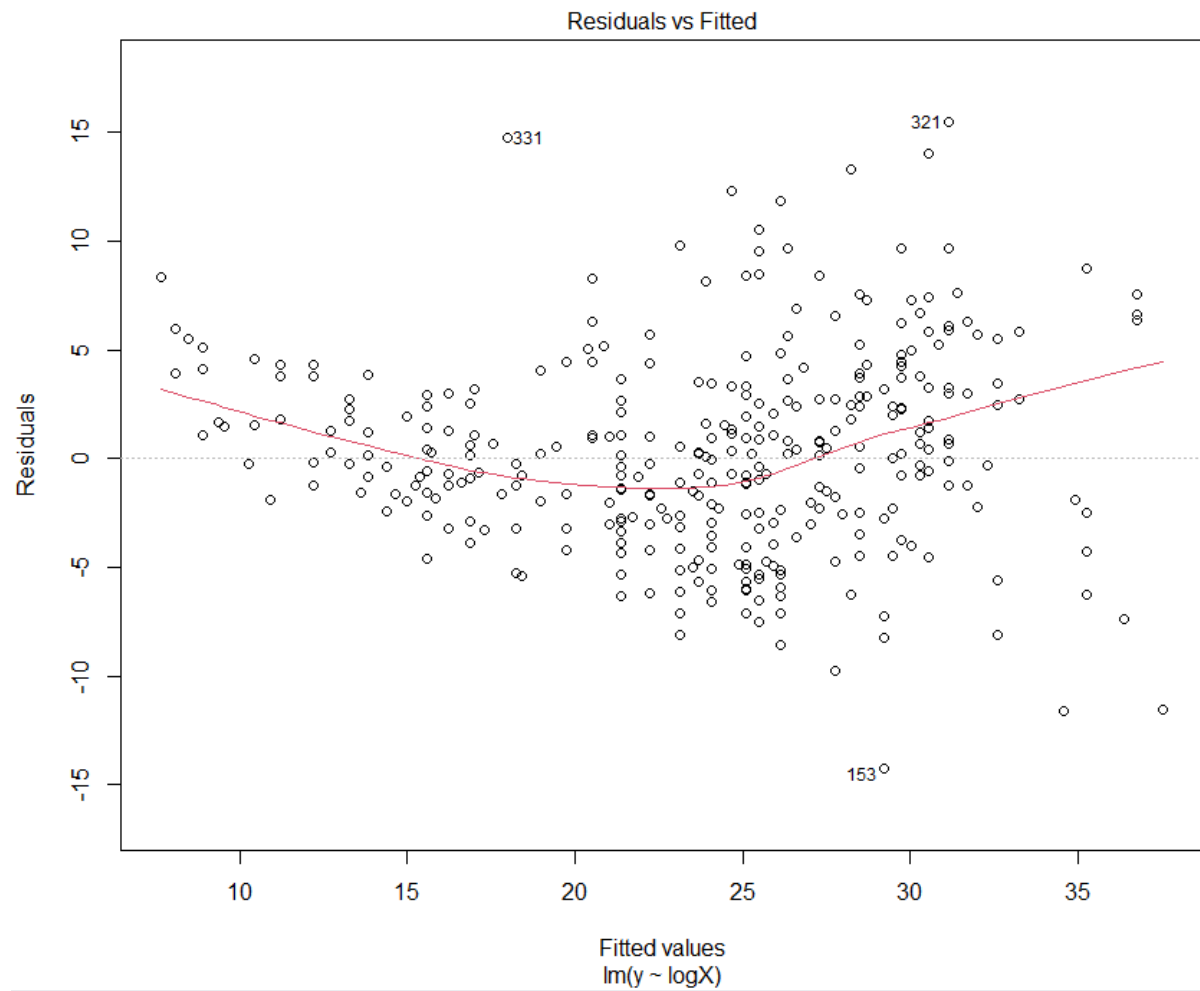
```
par(mfrow=c(2,2))
sqrtX =sqrt(x)
logX =log(x)
squareX =x^2
plot(sqrtX,y)
plot(logX,y)
plot(squareX,y)
```

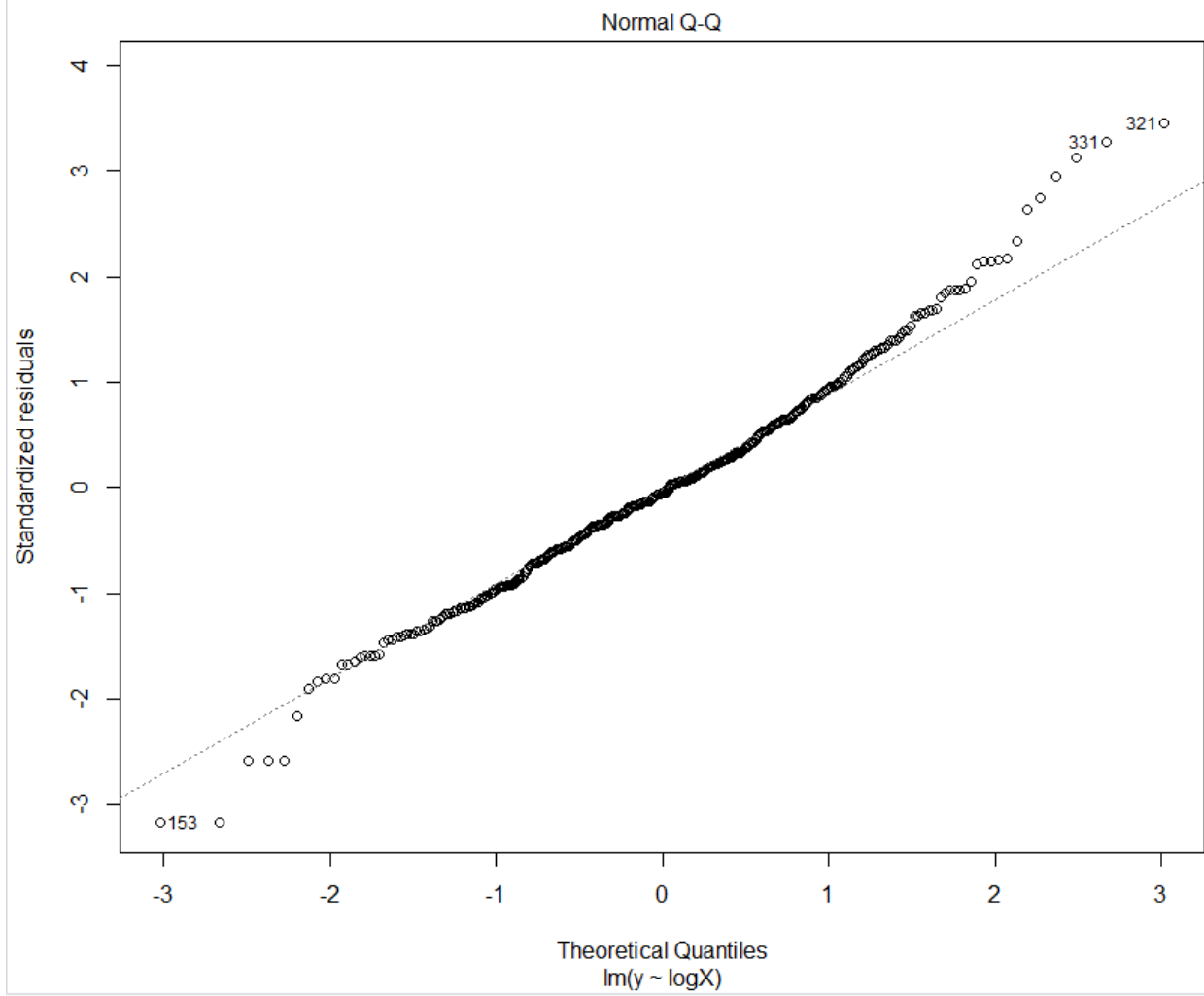


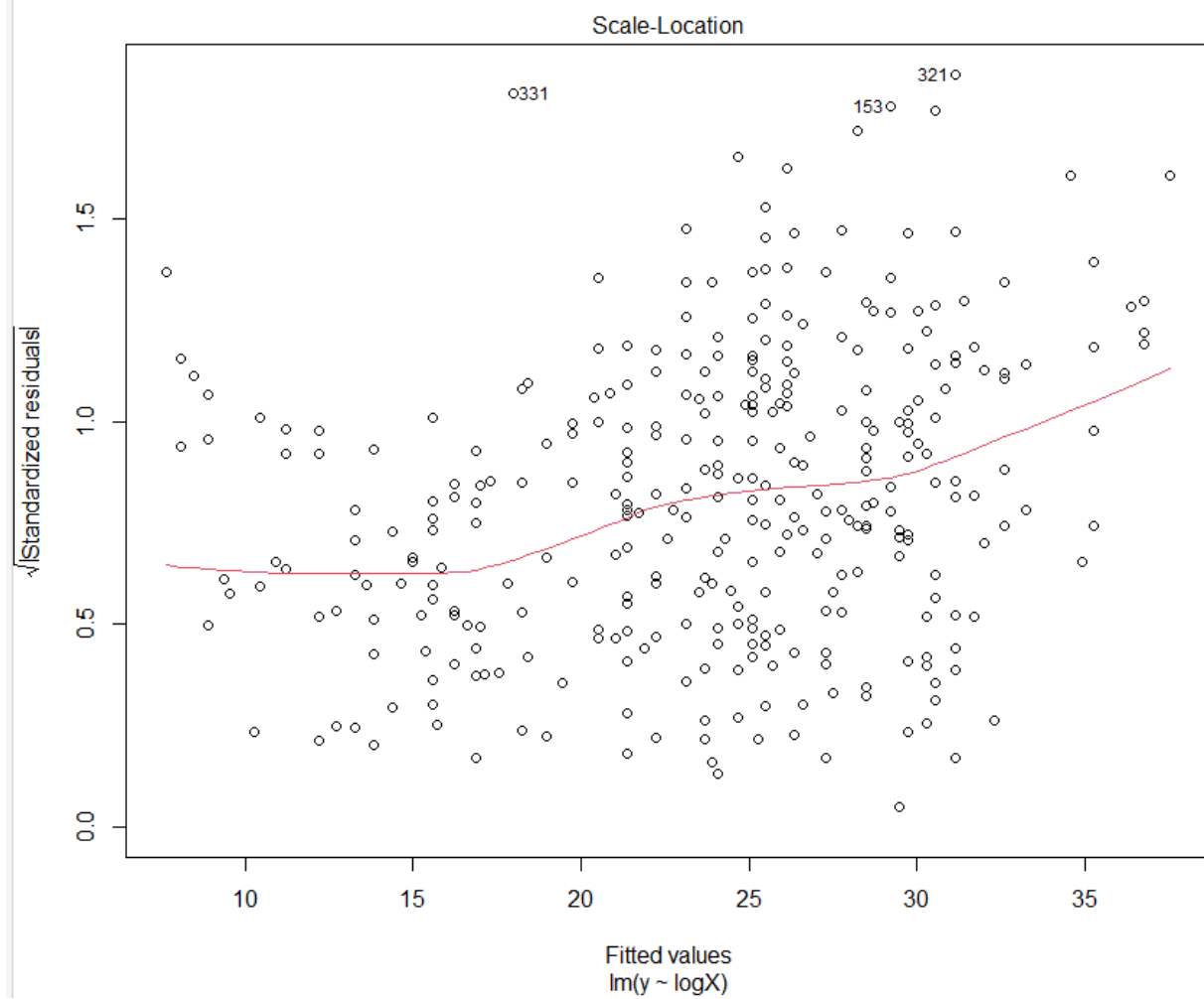
The logarithmic transformation gives the most-linear graph. The others look too much like 1/x.

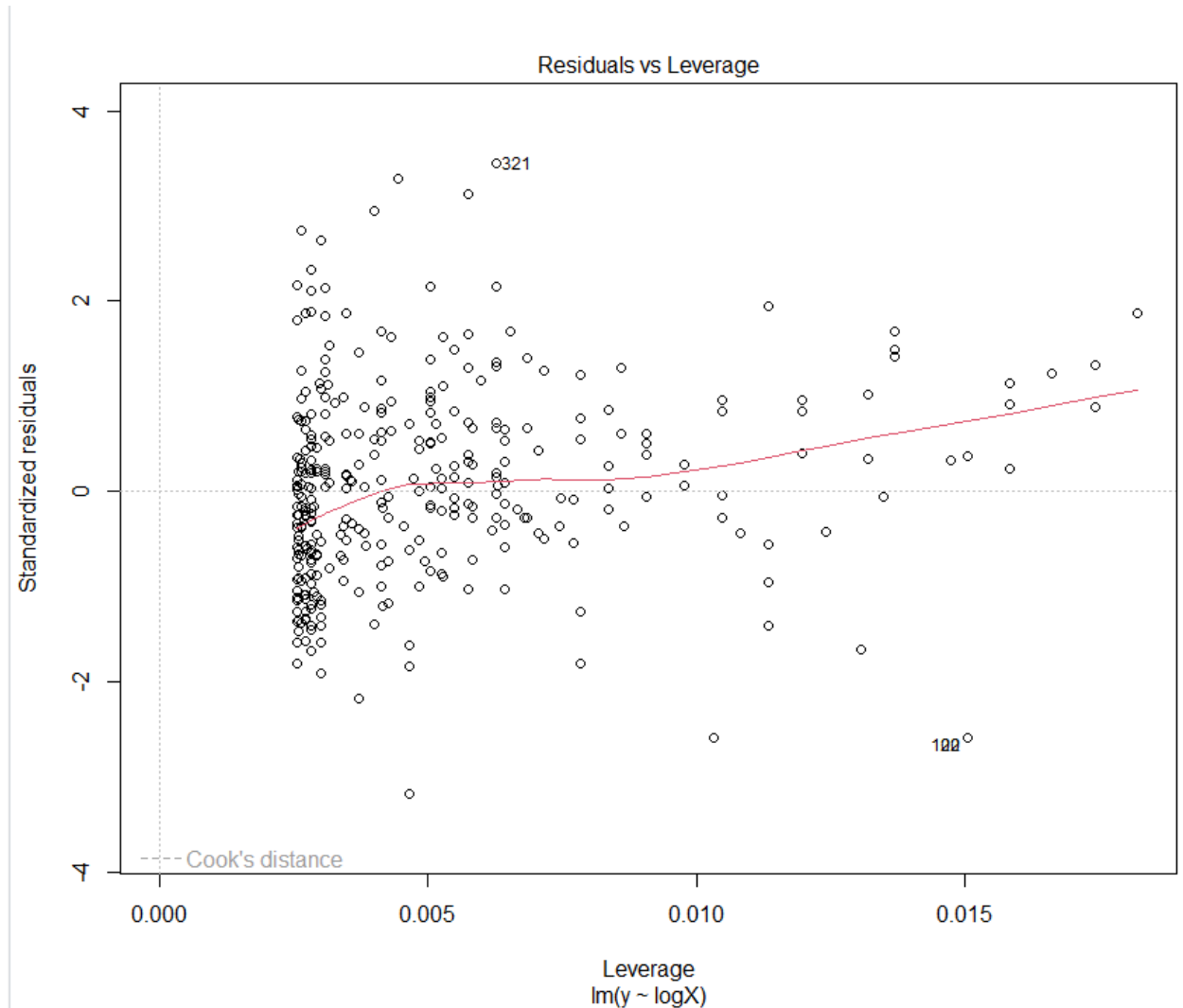
d.)

```
model2= lm(y~logx)
summary(model2)
plot(model2)#
```





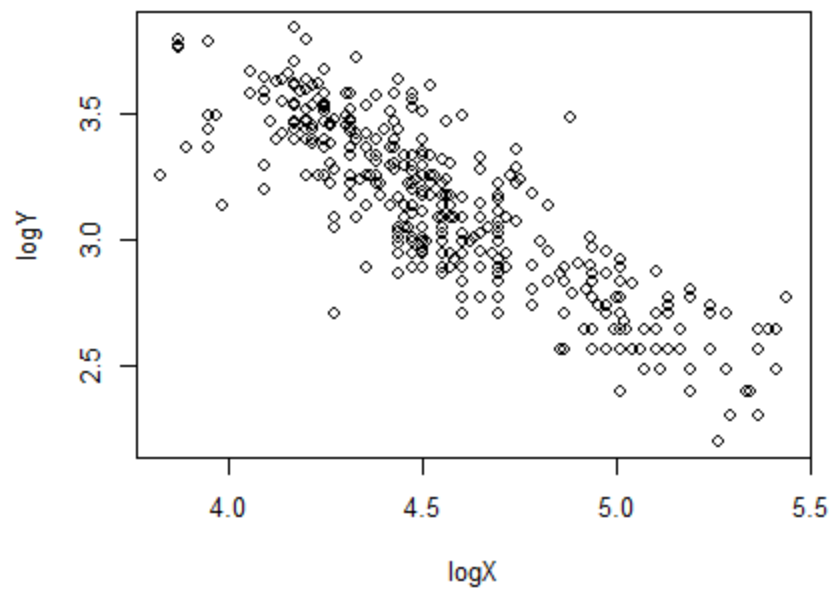




The residuals now seem to be better and don't seem to trend off to infinity anymore (which makes sense since it was the most linear). The Q-Q plot still makes the tails look non=normal. The spread of the leverage also is more spread, making each datapoint way less relative to the others.

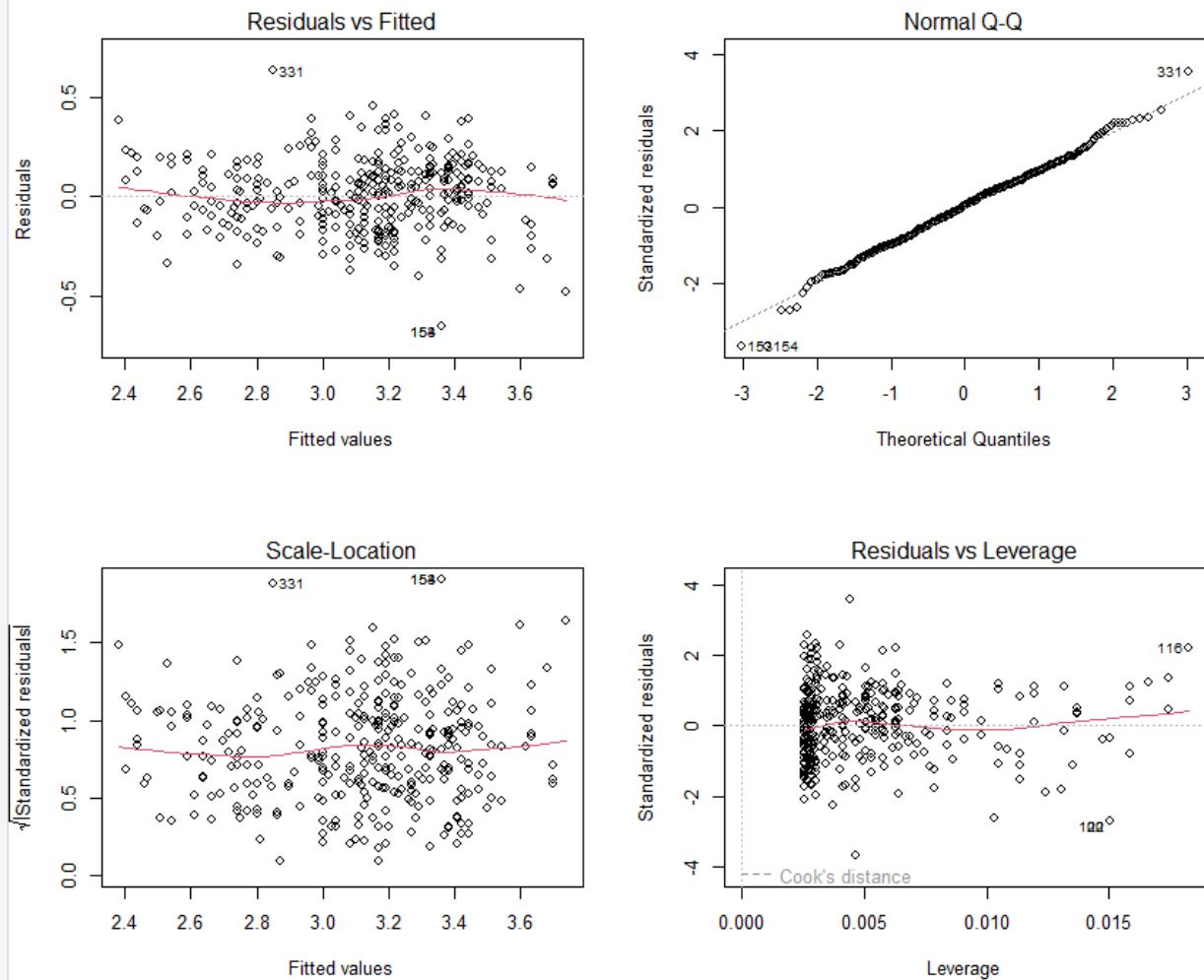
e.)

```
logY = log(y)
plot(logX, logY)
```



f.)

```
model3 = lm(logY~logX)
summary(model3)
par(mfrow=c(2,2))
plot(model3)
```



This does seem to give a good improvement on the residuals since now they average out to be very flat. The leverage is about the same as (d)'s, which is good. The Q-Q has small bumps at the ends, but they're centered around the expected line so it seems to be normal. The graph in part (e) also makes a massive improvement to its visual linearity.