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**      Class:     CISP 430 – Fall 2012 Thu
**      Assignment: Mid Term
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I declare that the following exam is my own work, with the exception of those portions which are properly documented.

Signed: \_\_\_\_\_ Date: \_\_\_\_\_

**ANSWER 1:**

The concept of time complexity is the general framework to analyze algorithm efficiency. It is important because it is a powerful technique to analyze the efficiency of algorithm's runtime with mathematical precision. The code analysis of time complexity investigates the algorithm's efficiency as a function of some parameter  $n$  indicating the algorithm's input size or its rate of growth. The mathematical techniques are comparing run-time with constant (1), linear ( $n$ ), logarithmic ( $\log n$ ), linear logarithmic ( $n \log n$ ), quadratic ( $n^2$ ), cubic ( $n^3$ ), and exponential ( $2^n$ ). The empirical techniques are the Big-O notations with best case and worst case scenarios.

The concept of Big-O notation is the upper bound of a given function with its rate of growth. It uses an asymptotic analysis to determine the running time of an algorithm. The code analyzed are loops, nested loops, consecutive statements, if-then-else statements, and logarithmic complexity. The mathematical techniques are  $O(1)$ ,  $O(n)$ ,  $O(n^2)$ ,  $O(n^3)$ ,  $O(\log n)$ ,  $O(n \log n)$ , and  $O(n/2)$ . The empirical techniques are best case and worst case scenarios for the rate of growth of a given function.

**ANSWER 2:**

- $O(n^2)$  because the For loop is  $O(n)$  so its loop goes  $n$  times. For the embedded For loop goes  $n$  times, so the time complexity of the entire algorithm is  $O(n) \times O(n) = O(n^2)$ .
- $O(n)$  because it traverses through the list  $n$  times.
- $O(\log n)$  because it has to cycle through the list with a while loop to search through the trees. The worst case for a non-fully filled tree having only one branch is  $O(n)$ .
- $O(1)$  because the pop() function has no loops and is a constant time complexity.

**ANSWER 3:**

```

initstack(void)
{
    *head = 0;
    *tail = 0;
}

void push( item entry )
{
    node * temp = (node*)malloc(sizeof(node));
    temp->entry = entry;
    temp->next = head;
    head = temp;
}

item pop( void )
{
    data d;
    node *temp;
    if( isEmpty() )
        return 0;

```

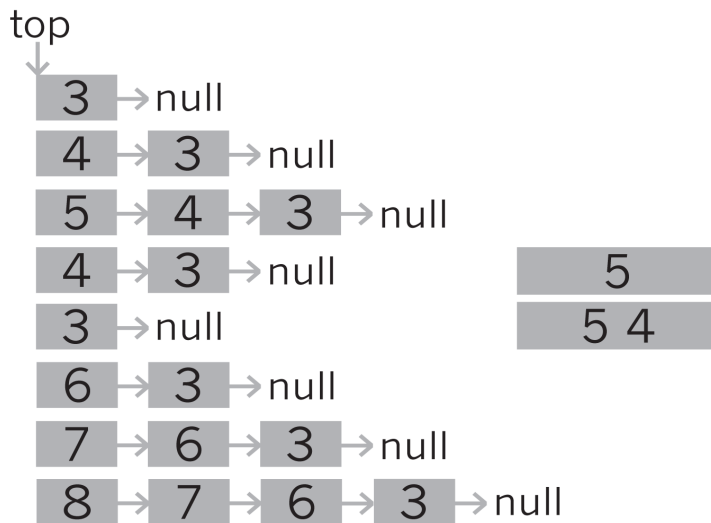
```

    temp = head;
    head = head->next;
    d = temp->d;
    free(temp);
    return d;
}

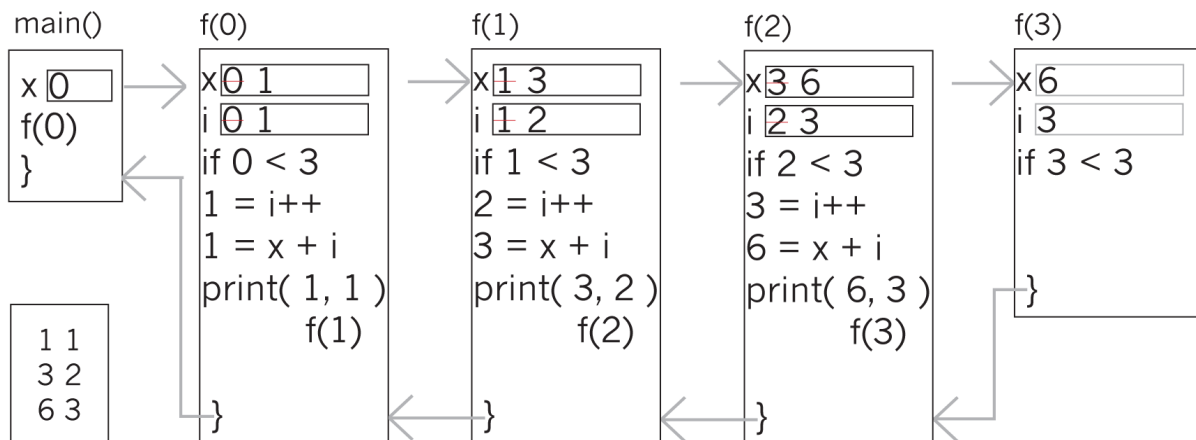
bool isEmpty()
{
    if( head )
        return false;
    else
        return true;
}

```

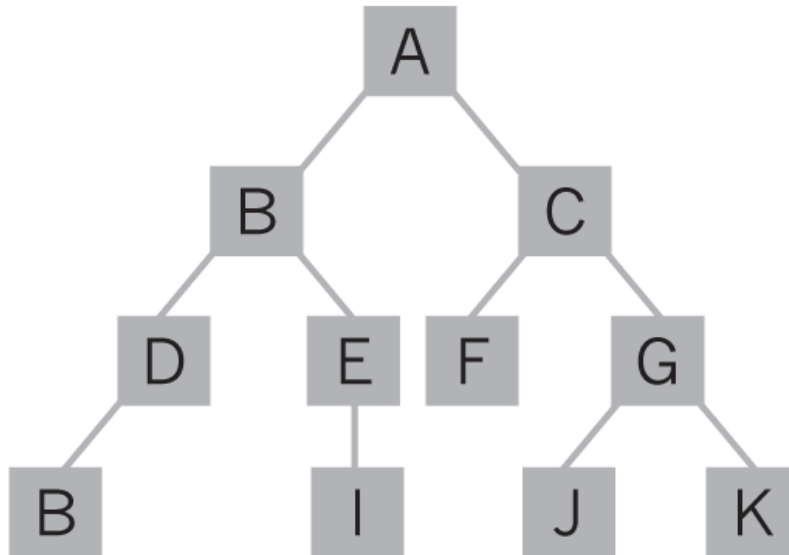
**ANSWER 4:**



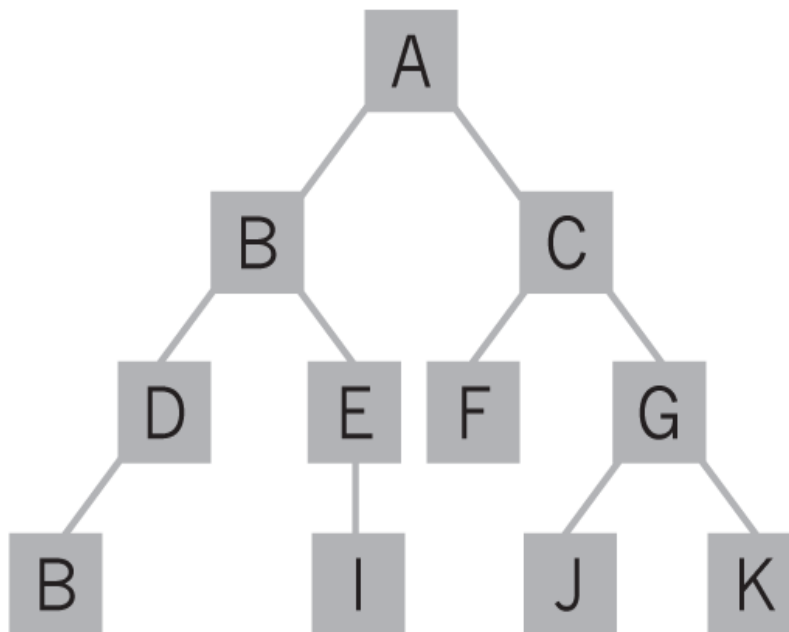
**ANSWER 5:**



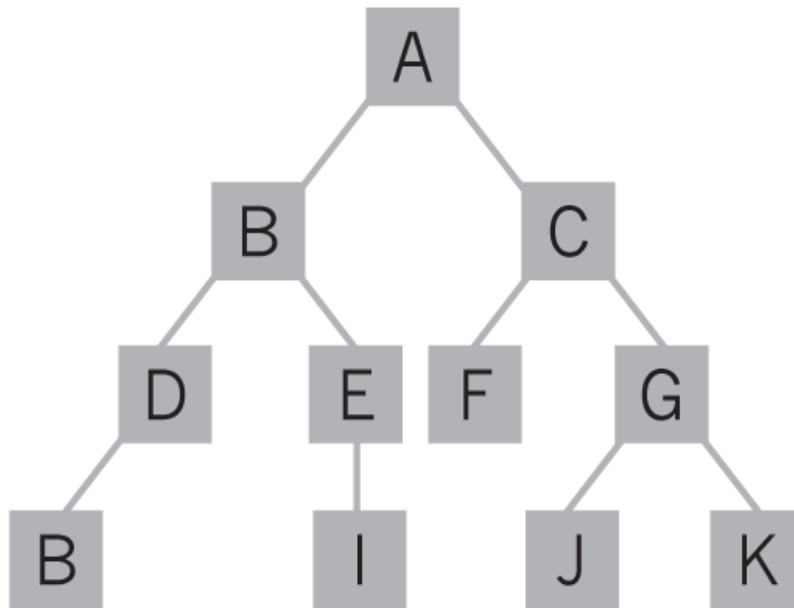
ANSWER 6:



traverseNLR: A H D I E B K G J C F



traverseLNR: H D B I E A K J G F C



traverseLRN: H D I E B F J K G C A

**ANSWER 7:**

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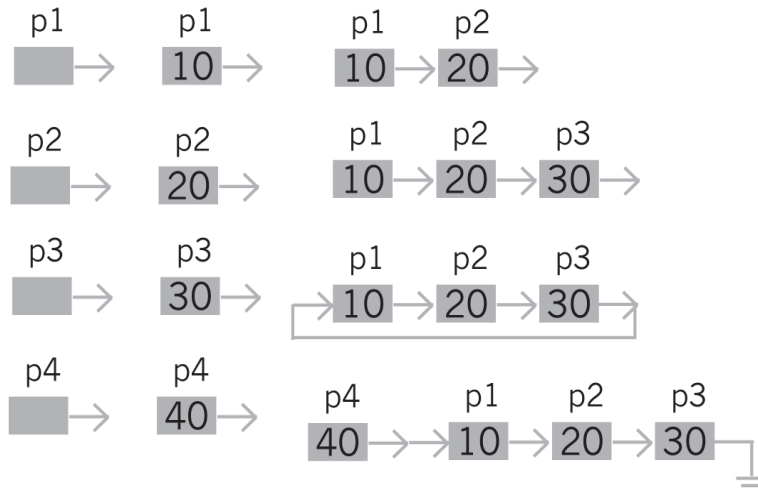
void traverse( node * root ) {
    if( root != NULL ) {
        int ans
        process( root );
        traverse( root->left );
        traverse( root->right );
        if( find() )
            cout << data << endl;
    }
}

int find( node * root, data d ) {
    int temp;
    if( root == NULL ) {
        return 0;
    } else {
        temp = find( root->left, data )
        if( temp != 0 )
            return temp;
        else
            return( find( root->right, int data )
    }
    return 0;
}

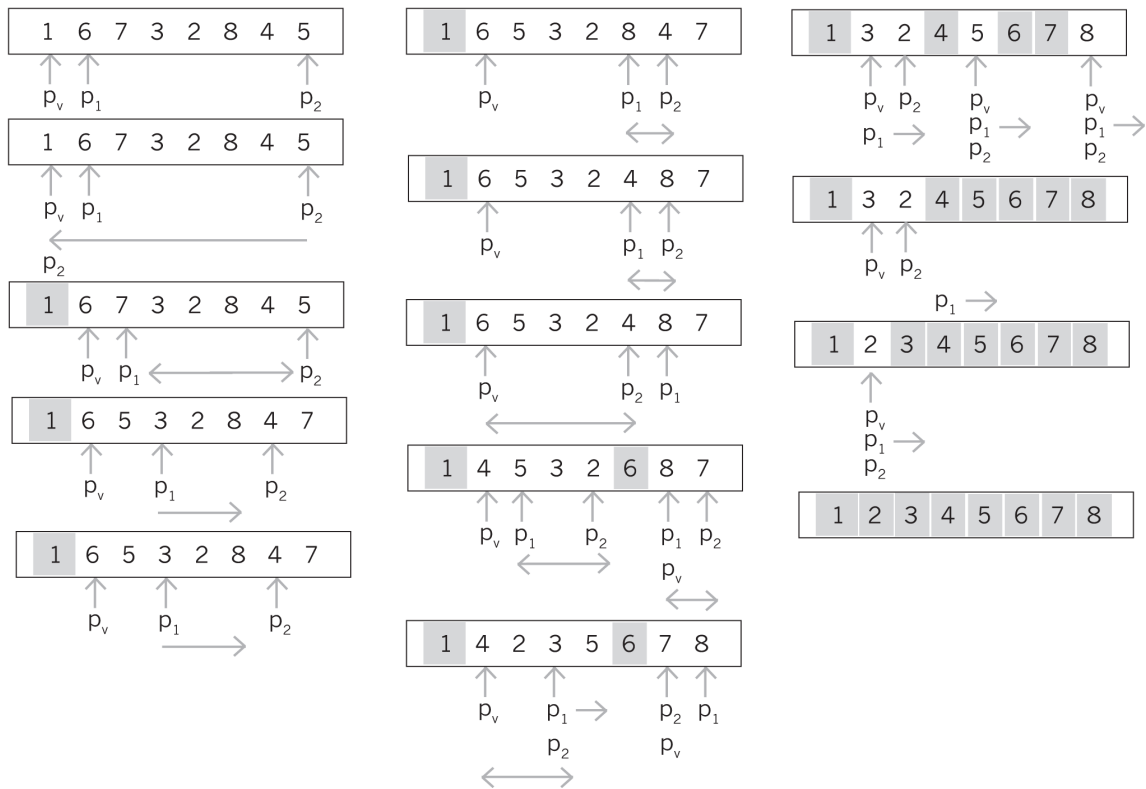
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The time complexity of the algorithm is  $O(n)$ .

**ANSWER 8:**



**ANSWER 9:**



ANSWER 10:

(1 x 2)		(4 + 5)		(3 * 9)		(2 + 27)	
1	2	2	3	4	5	9	27
1	1	2	2	3	3	3	2
2				2	2	2	29

1	2	X	3	4	5	+	*	+
2	X	3	4	5	+	*	+	
X	3	4	5	+	*	+		
3	4	5	+	*	+			
4	5	+	*	+				
5	+	*	+					
+	*	+						
*	+							
+								

Answer:  
29