Experiment-9

AIM : Plots of the exponential functions and comparison with the plots of their Taylor series expansion till first 10 terms

CODE:

```
clc;clf;clear;
disp("Prattayaya amrit")
disp("13601")
disp(" Plots of the exponential functions and comparison with the
plots of their Taylor series expansion till first 10 terms")
// Define the function to calculate the series expansion
function sum=ex(x, t)
    sum = 0;
    for i = 0:(t-1) // Scilab index starts at 1, adjust for factorial
        sum = sum + (x^i) / factorial(i);
    end
endfunction
// Get user inputs
disp("Enter the range of x for plotting:");
x min = input("Minimum x: ");
x max = input("Maximum x: ");
n points = input("Number of points for plotting (suggest 100): ");
disp("Enter the number of terms for Taylor series approximations:");
terms 2 = input ("Number of terms for first approximation (e.g., 2):
");
terms 3 = input("Number of terms for second approximation (e.g., 3):
terms 8 = input("Number of terms for third approximation (e.g., 8):
disp("Enter specific x points for the table (comma-separated):");
x points = input("e.g., [1, 2, 3, 4, 5]: ");
```

```
// Generate x values for plotting
x = linspace(x min, x max, n points);
// Compute the actual exponential and approximations using loops
fx = exp(x); // True exponential values
fx 2 terms = zeros(x); // Placeholder for first approximation
fx 3 terms = zeros(x); // Placeholder for second approximation
fx 8 terms = zeros(x); // Placeholder for third approximation
for i = 1: length(x)
    fx 2 terms(i) = ex(x(i), terms 2);
    fx 3 terms(i) = ex(x(i), terms 3);
    fx 8 terms(i) = ex(x(i), terms 8);
end
// Plotting
clf(); // Clear the current figure
plot(x, fx, '-k', 'LineWidth', 2); // Plot actual exponential in black
plot(x, fx 8 terms, '--b', 'LineWidth', 2); // Plot third
approximation in blue
// Add legends and labels
legend(['e^x', sprintf('%d terms', terms 2), sprintf('%d terms',
terms 3), sprintf('%d terms', terms 8)], "location", "northwest");
xlabel('x');
ylabel('f(x)');
title ('Exponential Function and Taylor Series Approximations');
xgrid(); // Enable gridlines
// Compute values for the specific x points
```

```
fx points = exp(x points);
                          // True exponential values
fx 2 points = zeros(x points); // Placeholder for first approximation
fx 3 points = zeros(x points); // Placeholder for second approximation
fx 8 points = zeros(x points); // Placeholder for third approximation
for i = 1:length(x points)
   fx_2 points(i) = ex(x_points(i), terms_2);
   fx 3 points(i) = ex(x points(i), terms 3);
   fx 8 points(i) = ex(x points(i), terms 8);
end
// Display table
disp("Index \mid X \mid f(X) \mid f(X) upto terms specified");
disp("-----
----");
for i = 1:length(x points)
   mprintf("%5d | %10.4f | %10.4f | %16.4f | %16.4f | %16.4f\n", i,
x points(i), fx points(i), fx 2 points(i), fx 3 points(i),
fx 8 points(i));
end
```

OUTPUT:

```
"Prattayaya amrit"
  "13601"
 " Plots of the exponential functions and comparison with the plots of their Taylor series expansion till first 10 terms"
 "Enter the range of x for plotting:"
4inimum x: 2
faximum x: 8
Number of points for plotting (suggest 100): 120
 "Enter the number of terms for Taylor series approximations:"
Number of terms for first approximation (e.g., 2): 5
Number of terms for second approximation (e.g., 3): 5
Number of terms for third approximation (e.g., 8): 5
 "Enter specific x points for the table (comma-separated):"
e.g., [1, 2, 3, 4, 5]: [3,6,9,12,15,18,21,24,27]
  "Index | X | f(X)
                         | f(X) upto terms specified"
   1 | 3.0000 | 20.0855 |
2 | 6.0000 | 403.4288 |
                                                 16.3750 | 16.3750 |
115.0000 | 115.0000 |
                                                                                                16.3750
                                               115.0000 I
                                                                                            115.0000
                                                                    445.3750 |
1237.0000 |
2800.3750 |
   3 | 9.0000 | 8103.0839 |
4 | 12.0000 | 162754.7914 |
5 | 15.0000 | 3269017.3725 |
                                             445.3750 |
1237.0000 |
2800.3750 |
                                                                                             445.3750
1237.0000
   6 | 18.0000 | 65659969.1373 | 5527.0000 | 7 | 21.0000 | 1318815734.4832 | 9889.3750
                                                                        5527.0000 |
                                                                                               5527.0000
   7 | 21.0000 | 1318815734.4832 | 9889.3750 | 9889.3750 | 8 | 24.0000 | 26489122129.8435 | 16441.0000 | 16441.0000 | 9 | 27.0000 | 532048240601.7986 | 25816.3750 | 25816.3750 |
                                                                                                  9889.3750
                                                                                                  16441.0000
                                                                             25816.3750 |
                                                                                                    25816.3750
```

Exponential Function and Taylor Series Approximations

