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Problem 2.1 a

Event A1: Ace first card

Event Az: Ace second card

Event As: Ace third card

Event An: Ace fourth carel

 $Pr(A_1) = \frac{4}{52}$

(four cards out of 52)

 $Pr(A_2) = \frac{4}{52}$

(again four out of 52)

Pr (Au) = 4/52

Pr(A, A Az A Ann As) =

Probability of drawing Ace in first

and probability of drawing Ace in second

and

be cause of replaement, events are independent, we have:

 $P_{\Gamma}(A_1 \wedge A_2 \wedge A_3 \wedge A_4) = P_{\Gamma}(A_1) P_{\Gamma}(A_2) P_{\Gamma}(A_3).$

thus

52. 52. 52. 52 = 3,5.10°5

Pr(A, A, A, A, A, A,)=

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Problem 2.16

Because of no-replacement

 $Pr(A_1 \cap A_2 \cap A_3 \cap A_4) = Pr(A_1) Pr(A_2|A_1).$ $Pr(A_3|A_2,A_1) Pr(A_4|A_3,A_2,A_1)$

Pr(Ai) - ace in first card

Pr(AzlAi) - ace in second when an ace was drawn in Pirst card

Pr(As|Az,Az) - ace in third when an ace was drawn in both first and second card

Pr(AnlA, ArAs) - ace in fourth when an ace was drawn in both first, second and third.

 $Pr(A_1) = \frac{4}{52}$ (four out of 52 are aces)

Pr $(A_2|A_1) = \frac{3}{51}$ (only 3 aces left and 51 cards left)

 $Pr\left(A_3 \mid A_1, A_2\right) = \frac{2}{50}$

Pr (Aul As, Az, A) = 49

problem 2.18 (continued)

thus

$$Pr(A, \Lambda A_2 \Lambda A_3 \Lambda A_n) = \frac{4}{52} \cdot \frac{3}{51} \cdot \frac{2}{50} \cdot \frac{1}{49}$$

$$= \frac{3}{50} \cdot \frac{69 \cdot 10^{-6}}{10}$$

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Problem 2-2a

Die tossing:

Event A,:

Dots = 3

Event Az:

Doto = even

Event Az:

Dots = odd

 $P_{c}(\lambda_{i}) = \frac{6}{6}$

of the 6 sides on (one the die has 3 dots]

Pr (A, A) = 1/6

(one of 6 sids has 3 dob and are odd)

Problem 225

Pr (A2 U A3) = 1

side that are either odd or

even. $\frac{6}{6} = 1$

Pr(A2 / As) = 0

emply set, sich that are both

Pr (A, 1 A3) = = =

odd and even.

given the side are odd , what is, the

Chance of a 3. 3 odd sides, 1 three.

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Problem 2.2 c

Are Az and Az disjoint?

Yes no overlap for even and
odd

Problem 2.2. d

Are Az and Az independant?

No since $Pr(A_2 \cap A_3) = 0$ and $Pr(A_2) Pr(A_3) = \frac{1}{4}$

 $Pr(A_2) = \frac{1}{2}$ $Pr(A_3) = \frac{1}{2}$

for inclipendance, we have $Pr(A_2 \land A_3) = Pr(A_2) Pr(A_3)$