

# Supplementary Material for SEER: Auto-Generating Information Extraction Rules from User-Specified Examples

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## Algorithm 1: Seer's Learning Algorithm

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**Terminologies :** A suggestion set is  $s = (P_s, R_s)$ , where  $P_s \subset P$ , the set of all the positive examples, and  $R_s$  contains rules capturing all examples in  $P_s$

**Inputs :**  $E_p$ : Set of positive examples;  $E_n$ : Set of negative examples

**Output :**  $S$ , a list of suggestion sets, s.t. each  $P_s$  is unique and the union of all  $P_s = E_p$  (covers all positive examples)

**Function Learn** ( $E_p, E_n$ )

```

    Let  $T$  be a list of trees
     $T = []$ 
    foreach  $e$  in  $E_p$  do
        /* Generate tree for example  $e$  */
         $T_e := \text{GenerateTree}(e)$ 
         $T.add(T_e)$ 
    /* Groups and disjuncts rules and then trim */
    Let  $S$  be a list of suggestion sets
     $S := \text{Trim}(\text{Intersect}(T))$ 
    return  $S$ 

```

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## Algorithm 2: Tree Generation for an Example

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**Global Variables :**  $E_n$ : all the negative examples

**Input :**  $e$ , the example the tree generation will learn from

**Output :**  $T$ , the generated tree

**Function GenerateTree** ( $e$ )

```

    Let  $K_e$  be a list of tokens
     $K_e = \text{Tokenize}(e)$ 
    Let  $T$  be a tree and  $C_T$  be a pointer to nodes in  $T$ 
     $C_T := T.root$ 
    Let  $R$  be a list of primitives from the root to  $C_T$ 
     $T = \text{GrowTree}(C_T, K_e[0], R, e)$ 
    return  $T$ 

```

**Function GrowTree** ( $C_T, k, R, e$ )

```

     $P_k = \text{LearnPrimitives}(k, R, e)$ 
     $C_T.children := C_T.children \cup P_k$ 
    foreach  $c$  in  $C_T.children$  do
         $R.append(c.primitive)$ 
        if not  $\text{IsLastToken}(t)$  or not  $\text{IsCaptureNegativeExample}(R)$  then
            Let  $P_k$  be a primitive
             $P_k := \text{GrowTree}(c, r.nextToken(), R, e)$ 
         $R.remove(c.primitive)$ 
        if  $P_k = \text{null}$  then  $C_T.remove(c)$ 
    if not  $\text{IsLastToken}(t)$  and  $C_T.children \neq \emptyset$  then return null
    return  $C_T.primitive$ 

```

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CHI 2017, May 6-11, 2017, Denver, CO, USA.

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<http://dx.doi.org/10.1145/3025453.3025540>

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## Algorithm 3: Learn Primitives

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**Global Variables :**  $E_n$ : all the negative examples,  $e_n \in E_n$

**Terminologies :**  $|e|$  denotes the the number of tokens in  $e$ ;  $e[i, j]$  denotes the ordered list of the  $i$ 'th to  $j$ 'th tokens from  $e$ ,  $1 \leq i, j \leq |e|$

**Inputs :**  $k$  is the token to learn from;  $R$  is the current path from the root to some primitive in the tree being generated;  $e$  is the positive example  $k$  is in

**Output :**  $P_k$ , set of primitives capturing  $k$  given the current path  $R$

**Function LearnPrimitives** ( $k, R, e$ )

```

     $P_k := []$ 
    /* Maintain diversity: iterate over all types (pre-built, dictionary, etc) */
    foreach  $t$  in all possible primitive types do
        Let  $A_k$  be the set of primitives that capture  $k$  of type  $t$ 
        Let  $P'_k$  be the highest scoring primitive from  $A_k$  s.t.
         $\text{CapturesNegative}(R, p_{A_k} \in A_k, e)$  is false
         $P_k := P_k \cup P'_k$ 
    return  $P_k$ 

```

**Inputs :**  $R$  is the current path from the root to some primitive in the tree being generated;  $p_{A_k} \in A_k$ ;  $e$ : the positive example the tree generation is learning from

**Output :** Returns **true** if appending  $p_{A_k}$  to the  $R$  will lead to creating rules capturing a negative example

**Function CapturesNegative** ( $R, p_{A_k}, e$ )

```

     $R' := R.append(p_{A_k})$ 
    Let  $e_p[1, m]$  be the tokens  $R'$  captures
    if  $\text{IsRuleCaptures}(e_n[1, k], R')$  and  $e_n[k, |e_n|] = e_p[m, |e_p|]$  then
        /* The rule that is forming will capture  $e_n$  */
        return true
    return false

```

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## Algorithm 4: Forming Suggestion Sets with Intersection

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**Definitions:**

A suggestion set is  $s = (P_s, R_s)$ , where  $P_s \subset P$ , the set of all the positive examples, and  $R_s$  contains rules capturing all examples in  $P_s$

**Input:**  $T$ : set of trees to intersect

**Output:**  $I$ : a list of suggestion sets

**Function Intersect** ( $T$ )

```

     $I := []$ 
    foreach  $t \in T$ ,  $t$  learned from example  $e$  do
        if  $I = \emptyset$  then  $I := I \cup \{(\{e\}, t)\}$ 
        else
             $\text{IsAdded} := \text{false}$ 
            foreach  $s = (P_s, T_i) \in I$  do
                if  $\text{IsIntersectable}(T_i, t)$  then
                     $s := (P_s \cup \{e\}, \text{Traverse}(T_i, t, \text{null}))$ 
                     $\text{IsAdded} := \text{true}$ 
                    break
            /* Disjunct when  $t$  does not intersect */
            if not  $\text{IsAdded}$  then  $I := I \cup \{(\{e\}, t)\}$ 
    return  $I$ 

```

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**Algorithm 5: SEER's Intersection & Merge Algorithm**

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**Input:**

$P_1, P_2$ : primitives from the input trees to intersect  $T_1$  and  $T_2$ ; The tree variables  $T_1$  and  $T_2$  point to the root primitives.

$P_i$ : primitive in the resulting intersect tree  $T_i$

**Output:**

$P_i$ : a primitive node due to an intersection or null

**Function Call:**

$Traverse(T_1, T_2, \text{null})$

```
Function  $Traverse(P_1, P_2, P_i)$ 
  if ( $IsTokenGap(P_1)$  and not  $IsTokenGap(P_2)$ ) or (not  $IsTokenGap(P_1)$ 
    and  $IsTokenGap(P_2)$ ) then
    Let  $P_{TG}$  be the token gap and  $P$  be the non-token gap
     $P'_i := Primitive(P_{TG})$ 
     $P_i.children := P_i.children \cup \{P'_i\}$ 
    foreach  $c \in P_{TG}.children$  do
       $Traverse(c, P, P'_i)$ 
  else if  $IsIntersects(P_1, P_2)$  or  $IsMergeable(P_1, P_2)$  then
     $P'_i := IntersectMergePrimitives(P_1, P_2)$ 
     $P_i.children := P_i.children \cup \{P'_i\}$ 
    foreach  $c_1, c_2 : c_1 \in P_1.children, c_2 \in P_2.children$  do
       $Traverse(c_1, c_2, P'_i)$ 
  /* Eliminate non-intersectable paths */
  if  $P_i.children = \emptyset$  and not( $areBothLeaves(P_1, P_2)$ ) then
     $Remove(P_i)$ 
  return  $P_i$ 
```

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**Algorithm 6: Trimming From Suggestion Sets**

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**Input** :  $S$ : list of suggestion sets

**Output** :  $S$ , with less rules

**Function  $Trim(S)$** 

```
foreach  $s := (P_s, R_s) \in S$  do
   $G := Classify(R_s)$ 
   $R_{final} := \emptyset$ 
  foreach  $g \in G$  do
    /*  $g$  is a list of rules */
    Let  $r$  be the highest scoring rule from  $g$ 
     $R_{final} := R_{final} \cup \{r\}$ 
  /* Rank rules by their scores in desc. order */
   $Sort(R_{final})$ 
   $R_s := R_{final}$ 
return  $S$ 
```

**Function  $Classify(R_s)$** 

Let  $G$  be a list of grouped rules

$G := \emptyset$

foreach  $r \in R_s$  do

$IsAdded := \text{false}$

  foreach  $G_i \in G$  do

    /\* The classification group of a rule is the set of composing primitives of that rule \*/

    if  $ClassificationGroup(G_i) = ClassificationGroup(r)$  then

$G_i := G_i \cup \{r\}$

$IsAdded := \text{true}$

      break

  if not  $IsAdded$  then

$G'_i := \{r\}$

$G := G \cup \{G'_i\}$

return  $G$

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**Algorithm 7: Refinement Computation**

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**Terminologies** : The *cover rules* of an extraction,  $x$ , are the rules that can capture  $x$

**Global Variables** :  $LIMIT$ : the max num of refinements to show

**Inputs** :  $S = (P_s, R_s)$ : a suggestion set, where each rule  $r$  has its own set of extractions  $X_r$

**Output** :  $F$ , the set of refinements

**Function  $GetRefinements(S)$** 

```
 $F := \emptyset$ 
 $C := X_{r_1} \cup X_{r_2} \cup \dots \cup X_{r_n}, r_i \in R_s, 1 \leq i \leq |R_s|$ 
foreach  $x \in C$  do
  if  $IsAdd(x, F)$  then  $F := F \cup \{x\}$ 
  if  $|F| > LIMIT$  then break
return  $F$ 
```

**Function  $IsAdd(x, F)$** 

```
foreach  $x_f \in F$  do
  if  $CoverRules(x_f) = CoverRules(x)$  then return false
return true
```

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**Algorithm 8: Disable Refinements**

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**Inputs** :  $s$  is a suggestion set, where  $s = (P_s, R_s)$ ;  $F$  is the list of all refinements

**Function  $DisableRefinement(s, F)$** 

```
/* Get the rules the user has rejected */
 $R_{rejected} := GetRejectedRules(s.R_s)$ 
 $R_{display} := Difference(s.R_s, R_{rejected})$ 
/* For each refinement that the user hasn't accepted or rejected, disable appropriate refinements */
foreach  $f \in F$  do
  if not  $IsUserAcceptOrReject(f)$  then
     $R_f := CoveringRules(f)$ 
    /* If all the covering rules cannot be displayed, then disable. */
     $isAllNotDisplayed := isEmpty(intersection(R_f, R_{display}))$ 
    /* If all the covering rules can be displayed, then disable. */
     $isAllDisplayed := isEmpty(difference(R_{display}, R_f))$ 
    if  $isAllNotDisplayed$  or  $isAllDisplayed$  then
       $Disable(f)$ 
    else
       $Enable(f)$ 
```

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