

## motion planning 7.

1. a)  $f(x) = x$   
 $f'(x) = 1$   
 $f''(x) = 0$

- All derivatives exist

- Continuous

c)  $C^\infty$

b)  $C^0$ : position:  $f(x)$

$C^1$ : velocity:  $f'(x)$

$C^2$ : acceleration:  $f''(x)$

$C^3$ : Jerk:  $f'''(x)$

$C^4$ : Snap:  $f^{(4)}(x)$ : not continuous  
or does not exist

$C^3 \rightarrow C^2$  exist  $\rightarrow$  acceleration is differentiable

$C^4$  does not exist

$C^3$  is jerk  $\rightarrow$  not differentiable or the 4th  
derivative is not continuous



2. B-splines are controlled by control points

↳ set joint limits at control points

$$\hookrightarrow \theta_{\min} \leq p_i \leq \theta_{\max}$$

Problem: no guarantee for keeping limits

- Smoother the B-spline to keep limits in mind

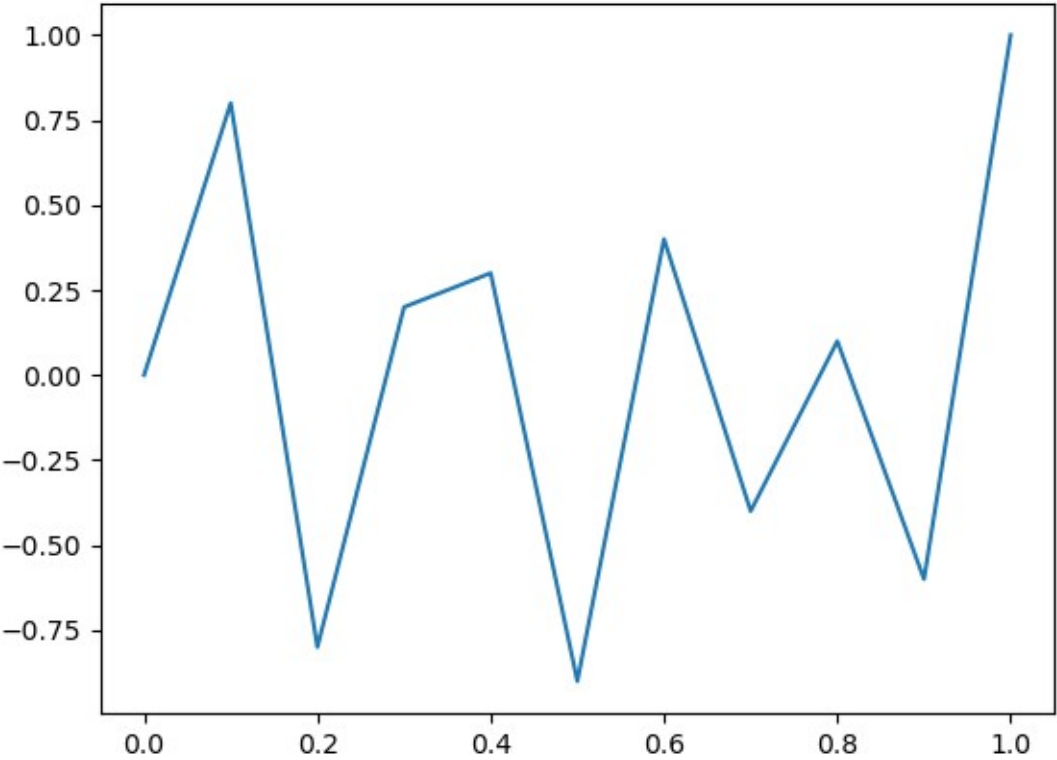
- No fast between two points  $\rightarrow$  slow the time down

$$3b) U = \|p_i - p_{i-1}\|_2 + \|p_i - p_{i+1}\|_2$$

$$\nabla U = 2(p_i - p_{i-1}) + 2(p_i - p_{i+1})$$

$$= \underline{2(2p_i - p_{i-1} - p_{i+1})}$$

3a)



3c)

