

Polycystic ovary syndrome diagnosis project

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2022-10-18

Introduction

Polycystic ovary syndrome (PCOS) is a common condition that affects how woman's ovaries work during the reproductive years. Women with PCOS usually suffer from irregular periods, hormonal imbalances (high level of "male" hormone androgen) and polycystic ovaries. The exact cause of the disease is still unknown, as well as a cure for it. Only the symptoms can be treated. The aim of this project is to create detection and prediction model by using different machine learning algorithms.

About PCOS data set

The data set used in the project is available on KAGGLE and owned by Prasoon Kottarathil. The dataset contains all physical and clinical parameters to determine PCOS and infertility related issues. Data is collected from 10 different hospitals across Kerala in India. Original data set is saved in two different files - infertility and without-infertility patients. There are 51 columns in total, of which 41 are different parameters that are used to describe our target column - PCOS (Y/N).

Important notes regarding data set: - The unit used is feet to cm - Blood pressure entered as systolic and diastolic separately - RBS stands for Random glucose test - Beta-HCG cases are mentioned as Case I and II - Blood Group indications: A+ = 11, A- = 12, B+ = 13, B- = 14, O+ = 15, O- = 16, AB+ = 17, AB- = 18

Loading and cleaning the data

First we load libraries needed to perform analysis as follow:

```
options(digits = 3)
library(tidyverse)
library(caret)
library(data.table)
library(ggplot2)
library(lubridate)
library(dslabs)
library(readxl)
library(readr)
library(corrplot)
```

Data has been uploaded and merged by the column 'Sl. No' with below code:

```
path_1 <- "C:/Users/A529462/Desktop/R files/PCOS project/PCOS_data_without_infertility.xlsx"
pcos_1 <- read_excel(path_1, sheet = "Full_new")
```

```
## New names:
## * ' ' -> '...45'
```

```
path_2 <- "C:/Users/A529462/Desktop/R files/PCOS project/PCOS_infertility.csv"
pcos_2 <- read_csv(path_2)
```

```
## Rows: 541 Columns: 6
## -- Column specification -----
## Delimiter: ","
## chr (1): AMH(ng/mL)
## dbl (5): Sl. No, Patient File No., PCOS (Y/N), I   beta-HCG(mIU/mL), II   b...
##
## i Use 'spec()' to retrieve the full column specification for this data.
## i Specify the column types or set 'show_col_types = FALSE' to quiet this message.
```

```
pcos <- merge(pcos_1, pcos_2, by = 'Sl. No')
```

Next, we cleaned data from duplicate columns.

```
pcos <- subset (pcos, select = -c(`Patient File No..y`, `I   beta-HCG(mIU/mL).y`,
                                `PCOS (Y/N).y`, `I   beta-HCG(mIU/mL).y`,
                                `II   beta-HCG(mIU/mL).y`, `AMH(ng/mL).y`, `...45`))
```

After checking the data types of the columns, some columns needed to be changed to numeric.

```
str(pcos)
```

```
## 'data.frame':   541 obs. of  44 variables:
## $ Sl. No          : num  1 2 3 4 5 6 7 8 9 10 ...
## $ Patient File No..x : num  1 2 3 4 5 6 7 8 9 10 ...
## $ PCOS (Y/N).x     : num  0 0 1 0 0 0 0 0 0 0 ...
## $ Age (yrs)        : num  28 36 33 37 25 36 34 33 32 36 ...
## $ Weight (Kg)       : num  44.6 65 68.8 65 52 74.1 64 58.5 40 52 ...
## $ Height(Cm)        : num  152 162 165 148 161 ...
## $ BMI              : num  19.3 24.9 25.3 29.7 20.1 ...
## $ Blood Group       : num  15 15 11 13 11 15 11 13 11 15 ...
## $ Pulse rate(bpm)   : num  78 74 72 72 72 78 72 72 72 80 ...
## $ RR (breaths/min) : num  22 20 18 20 18 28 18 20 18 20 ...
## $ Hb(g/dl)          : num  10.5 11.7 11.8 12 10 ...
## $ Cycle(R/I)        : num  2 2 2 2 2 2 2 2 4 ...
## $ Cycle length(days) : num  5 5 5 5 5 5 5 5 2 ...
## $ Marraige Status (Yrs) : num  7 11 10 4 1 8 2 13 8 4 ...
## $ Pregnant(Y/N)     : num  0 1 1 0 1 1 0 1 0 0 ...
## $ No. of abortions  : num  0 0 0 0 0 0 0 2 1 0 ...
## $ I   beta-HCG(mIU/mL).x : num  1.99 60.8 494.08 1.99 801.45 ...
## $ II   beta-HCG(mIU/mL).x: chr  "1.99" "1.99" "494.08" "1.99" ...
## $ FSH(mIU/mL)       : num  7.95 6.73 5.54 8.06 3.98 3.24 2.85 4.86 3.76 2.8 ...
```

```
## $ LH(mIU/mL) : num 3.68 1.09 0.88 2.36 0.9 1.07 0.31 3.07 3.02 1.51 ...
## $ FSH/LH : num 2.16 6.17 6.3 3.42 4.42 ...
## $ Hip(inch) : num 36 38 40 42 37 44 39 44 39 40 ...
## $ Waist(inch) : num 30 32 36 36 30 38 33 38 35 38 ...
## $ Waist:Hip Ratio : num 0.833 0.842 0.9 0.857 0.811 ...
## $ TSH (mIU/L) : num 0.68 3.16 2.54 16.41 3.57 ...
## $ AMH(ng/mL).x : chr "2.07" "1.53" "6.63" "1.22" ...
## $ PRL(ng/mL) : num 45.2 20.1 10.5 36.9 30.1 ...
## $ Vit D3 (ng/mL) : num 17.1 61.3 49.7 33.4 43.8 52.4 42.7 38 21.8 27.7 ...
## $ PRG(ng/mL) : num 0.57 0.97 0.36 0.36 0.38 0.3 0.46 0.26 0.3 0.25 ...
## $ RBS(mg/dl) : num 92 92 84 76 84 76 93 91 116 125 ...
## $ Weight gain(Y/N) : num 0 0 0 0 0 1 0 1 0 0 ...
## $ hair growth(Y/N) : num 0 0 0 0 0 0 0 0 0 0 ...
## $ Skin darkening (Y/N) : num 0 0 0 0 0 0 0 0 0 0 ...
## $ Hair loss(Y/N) : num 0 0 1 0 1 1 0 0 0 0 ...
## $ Pimples(Y/N) : num 0 0 1 0 0 0 0 0 0 0 ...
## $ Fast food (Y/N) : num 1 0 1 0 0 0 0 0 0 0 ...
## $ Reg.Exercise(Y/N) : num 0 0 0 0 0 0 0 0 0 0 ...
## $ BP _Systolic (mmHg) : num 110 120 120 120 120 110 120 120 120 110 ...
## $ BP _Diastolic (mmHg) : num 80 70 80 70 80 70 80 80 80 80 ...
## $ Follicle No. (L) : num 3 3 13 2 3 9 6 7 5 1 ...
## $ Follicle No. (R) : num 3 5 15 2 4 6 6 6 7 1 ...
## $ Avg. F size (L) (mm) : num 18 15 18 15 16 16 15 15 17 14 ...
## $ Avg. F size (R) (mm) : num 18 14 20 14 14 20 16 18 17 17 ...
## $ Endometrium (mm) : num 8.5 3.7 10 7.5 7 8 6.8 7.1 4.2 2.5 ...
```

```
pcos$`II` beta-HCG(mIU/mL).x` <- as.numeric(pcos$`II` beta-HCG(mIU/mL).x`)
pcos$`AMH(ng/mL).x` <- as.numeric(pcos$`AMH(ng/mL).x`)
```

Some of the columns (Fast food (Y/N),Marraige Status (Yrs), II beta-HCG(mIU/mL).x, AMH(ng/mL)) have NA values. They have been replaced with the median value of the column.

```
sapply(pcos, function(x) sum(is.na(x)))
```

```
## Sl. No Patient File No..x PCOS (Y/N).x
## 0 0 0
## Age (yrs) Weight (Kg) Height(Cm)
## 0 0 0
## BMI Blood Group Pulse rate(bpm)
## 0 0 0
## RR (breaths/min) Hb(g/dl) Cycle(R/I)
## 0 0 0
## Cycle length(days) Marraige Status (Yrs) Pregnant(Y/N)
## 0 1 0
## No. of aborptions I beta-HCG(mIU/mL).x II beta-HCG(mIU/mL).x
## 0 0 1
## FSH(mIU/mL) LH(mIU/mL) FSH/LH
## 0 0 0
## Hip(inch) Waist(inch) Waist:Hip Ratio
## 0 0 0
## TSH (mIU/L) AMH(ng/mL).x PRL(ng/mL)
## 0 1 0
## Vit D3 (ng/mL) PRG(ng/mL) RBS(mg/dl)
```

```
##           0           0           0
##      Weight gain(Y/N)      hair growth(Y/N)      Skin darkening (Y/N)
##           0           0           0
##      Hair loss(Y/N)           Pimples(Y/N)           Fast food (Y/N)
##           0           0           1
##      Reg.Exercise(Y/N)      BP _Systolic (mmHg)      BP _Diastolic (mmHg)
##           0           0           0
##      Follicle No. (L)      Follicle No. (R)      Avg. F size (L) (mm)
##           0           0           0
##      Avg. F size (R) (mm)      Endometrium (mm)
##           0           0
```

```
pcos$`Fast food (Y/N)`[is.na(pcos$`Fast food (Y/N)`)] <- median(pcos$`Fast food (Y/N)`, na.rm = T)
pcos$`Marraige Status (Yrs)`[is.na(pcos$`Marraige Status (Yrs)`)] <- median(pcos$`Marraige Status (Yrs)`
pcos$`II      beta-HCG(mIU/mL).x`[is.na(pcos$`II      beta-HCG(mIU/mL).x`)] <- median(pcos$`II      beta-HCG(mIU/mL).x`
pcos$`AMH(ng/mL).x`[is.na(pcos$`AMH(ng/mL).x`)] <- median(pcos$`AMH(ng/mL).x`, na.rm = T)
```

We also removed two columns with little information (Sl. No, Patient File No.), hence they only contain information about file number of a patient.

Exploratory data analysis

Lets have a look at the descriptive statistics, by using below code:

```
summary(pcos)
```

```
##      Sl. No      Patient File No..x      PCOS (Y/N).x      Age (yrs)
## Min.   : 1      Min.   : 1      Min.   :0.000      Min.   :20.0
## 1st Qu.:136      1st Qu.:136      1st Qu.:0.000      1st Qu.:28.0
## Median :271      Median :271      Median :0.000      Median :31.0
## Mean   :271      Mean   :271      Mean   :0.327      Mean   :31.4
## 3rd Qu.:406      3rd Qu.:406      3rd Qu.:1.000      3rd Qu.:35.0
## Max.   :541      Max.   :541      Max.   :1.000      Max.   :48.0
## Weight (Kg)      Height(Cm)      BMI      Blood Group      Pulse rate(bpm)
## Min.   : 31.0      Min.   :137      Min.   :12.4      Min.   :11.0      Min.   :13.0
## 1st Qu.: 52.0      1st Qu.:152      1st Qu.:21.6      1st Qu.:13.0      1st Qu.:72.0
## Median : 59.0      Median :156      Median :24.2      Median :14.0      Median :72.0
## Mean   : 59.6      Mean   :156      Mean   :24.3      Mean   :13.8      Mean   :73.2
## 3rd Qu.: 65.0      3rd Qu.:160      3rd Qu.:26.6      3rd Qu.:15.0      3rd Qu.:74.0
## Max.   :108.0      Max.   :180      Max.   :38.9      Max.   :18.0      Max.   :82.0
## RR (breaths/min)      Hb(g/dl)      Cycle(R/I)      Cycle length(days)
## Min.   :16.0      Min.   : 8.5      Min.   :2.00      Min.   : 0.00
## 1st Qu.:18.0      1st Qu.:10.5      1st Qu.:2.00      1st Qu.: 4.00
## Median :18.0      Median :11.0      Median :2.00      Median : 5.00
## Mean   :19.2      Mean   :11.2      Mean   :2.56      Mean   : 4.94
## 3rd Qu.:20.0      3rd Qu.:11.7      3rd Qu.:4.00      3rd Qu.: 5.00
## Max.   :28.0      Max.   :14.8      Max.   :5.00      Max.   :12.00
## Marraige Status (Yrs) Pregnant(Y/N)      No. of absorptions I      beta-HCG(mIU/mL).x
## Min.   : 0.00      Min.   :0.000      Min.   :0.00      Min.   : 1
## 1st Qu.: 4.00      1st Qu.:0.000      1st Qu.:0.00      1st Qu.: 2
## Median : 7.00      Median :0.000      Median :0.00      Median : 20
```

```

## Mean      : 7.68          Mean      :0.381    Mean      :0.29          Mean      : 665
## 3rd Qu.:10.00          3rd Qu.:1.000    3rd Qu.:0.00          3rd Qu.: 297
## Max.      :30.00          Max.      :1.000    Max.      :5.00          Max.      :32461
## II      beta-HCG(mIU/mL).x  FSH(mIU/mL)      LH(mIU/mL)      FSH/LH
## Min.      : 1          Min.      : 0    Min.      : 0    Min.      : 0
## 1st Qu.: 2          1st Qu.: 3    1st Qu.: 1    1st Qu.: 1
## Median : 2          Median : 5    Median : 2    Median : 2
## Mean      : 238          Mean      : 15    Mean      : 6    Mean      : 7
## 3rd Qu.: 98          3rd Qu.: 6    3rd Qu.: 4    3rd Qu.: 4
## Max.      :25000          Max.      :5052    Max.      :2018    Max.      :1373
## Hip(inch)  Waist(inch)  Waist:Hip Ratio  TSH (mIU/L)      AMH(ng/mL).x
## Min.      :26    Min.      :24.0    Min.      :0.756    Min.      : 0.0    Min.      : 0.1
## 1st Qu.:36    1st Qu.:32.0    1st Qu.:0.857    1st Qu.: 1.5    1st Qu.: 2.0
## Median :38    Median :34.0    Median :0.895    Median : 2.3    Median : 3.7
## Mean      :38    Mean      :33.8    Mean      :0.892    Mean      : 3.0    Mean      : 5.6
## 3rd Qu.:40    3rd Qu.:36.0    3rd Qu.:0.929    3rd Qu.: 3.6    3rd Qu.: 6.9
## Max.      :48    Max.      :47.0    Max.      :0.979    Max.      :65.0    Max.      :66.0
## PRL(ng/mL)  Vit D3 (ng/mL)  PRG(ng/mL)      RBS(mg/dl)  Weight gain(Y/N)
## Min.      : 0.4    Min.      : 0    Min.      : 0.0    Min.      : 60    Min.      :0.000
## 1st Qu.: 14.5    1st Qu.: 21    1st Qu.: 0.2    1st Qu.: 92    1st Qu.:0.000
## Median : 21.9    Median : 26    Median : 0.3    Median :100    Median :0.000
## Mean      : 24.3    Mean      : 50    Mean      : 0.6    Mean      :100    Mean      :0.377
## 3rd Qu.: 29.9    3rd Qu.: 34    3rd Qu.: 0.4    3rd Qu.:107    3rd Qu.:1.000
## Max.      :128.2    Max.      :6015    Max.      :85.0    Max.      :350    Max.      :1.000
## hair growth(Y/N) Skin darkening (Y/N) Hair loss(Y/N)  Pimples(Y/N)
## Min.      :0.000    Min.      :0.000    Min.      :0.000    Min.      :0.00
## 1st Qu.:0.000    1st Qu.:0.000    1st Qu.:0.000    1st Qu.:0.00
## Median :0.000    Median :0.000    Median :0.000    Median :0.00
## Mean      :0.274    Mean      :0.307    Mean      :0.453    Mean      :0.49
## 3rd Qu.:1.000    3rd Qu.:1.000    3rd Qu.:1.000    3rd Qu.:1.00
## Max.      :1.000    Max.      :1.000    Max.      :1.000    Max.      :1.00
## Fast food (Y/N) Reg.Exercise(Y/N) BP _Systolic (mmHg) BP _Diastolic (mmHg)
## Min.      :0.000    Min.      :0.000    Min.      : 12    Min.      : 8.0
## 1st Qu.:0.000    1st Qu.:0.000    1st Qu.:110    1st Qu.: 70.0
## Median :1.000    Median :0.000    Median :110    Median : 80.0
## Mean      :0.516    Mean      :0.248    Mean      :115    Mean      : 76.9
## 3rd Qu.:1.000    3rd Qu.:0.000    3rd Qu.:120    3rd Qu.: 80.0
## Max.      :1.000    Max.      :1.000    Max.      :140    Max.      :100.0
## Follicle No. (L) Follicle No. (R) Avg. F size (L) (mm) Avg. F size (R) (mm)
## Min.      : 0.00    Min.      : 0.00    Min.      : 0    Min.      : 0.0
## 1st Qu.: 3.00    1st Qu.: 3.00    1st Qu.:13    1st Qu.:13.0
## Median : 5.00    Median : 6.00    Median :15    Median :16.0
## Mean      : 6.13    Mean      : 6.64    Mean      :15    Mean      :15.4
## 3rd Qu.: 9.00    3rd Qu.:10.00    3rd Qu.:18    3rd Qu.:18.0
## Max.      :22.00    Max.      :20.00    Max.      :24    Max.      :24.0
## Endometrium (mm)
## Min.      : 0.00
## 1st Qu.: 7.00
## Median : 8.50
## Mean      : 8.48
## 3rd Qu.: 9.80
## Max.      :18.00

```

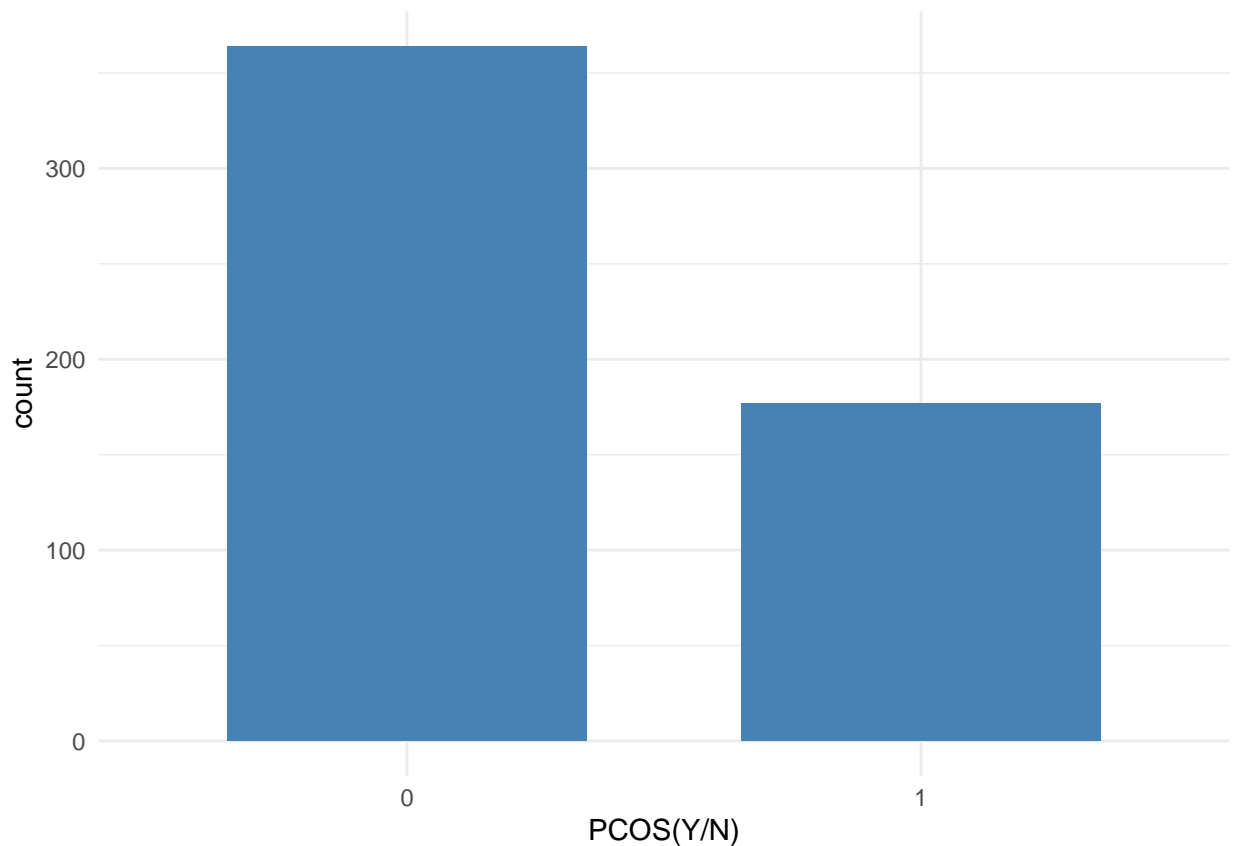
Next we will look into variables in more details. In general, we can see that in our data set there are two

types of variables - categorical and numeric. The answer to categorical variables is yes/no, which in data set is present as 1 and 0 respectively.

To this category belong below columns: PCOS(Y/N), Pregnant(Y/N), Weight_gain(Y/N), hair_growth(Y/N), Skin_darkening(Y/N), Hair_loss(Y/N), Pimples(Y/N), Fast_food(Y/N), Reg_Exercise(Y/N), Blood Group.

Lets start with our target column PCOS(Y/N), which indicates wheater patient has or has not polycystic ovary syndrome.

```
ggplot(pcos, aes(x=factor(`PCOS (Y/N).x`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="PCOS(Y/N)", y = "count")
```



```
mean(pcos$`PCOS (Y/N).x`=='1')
```

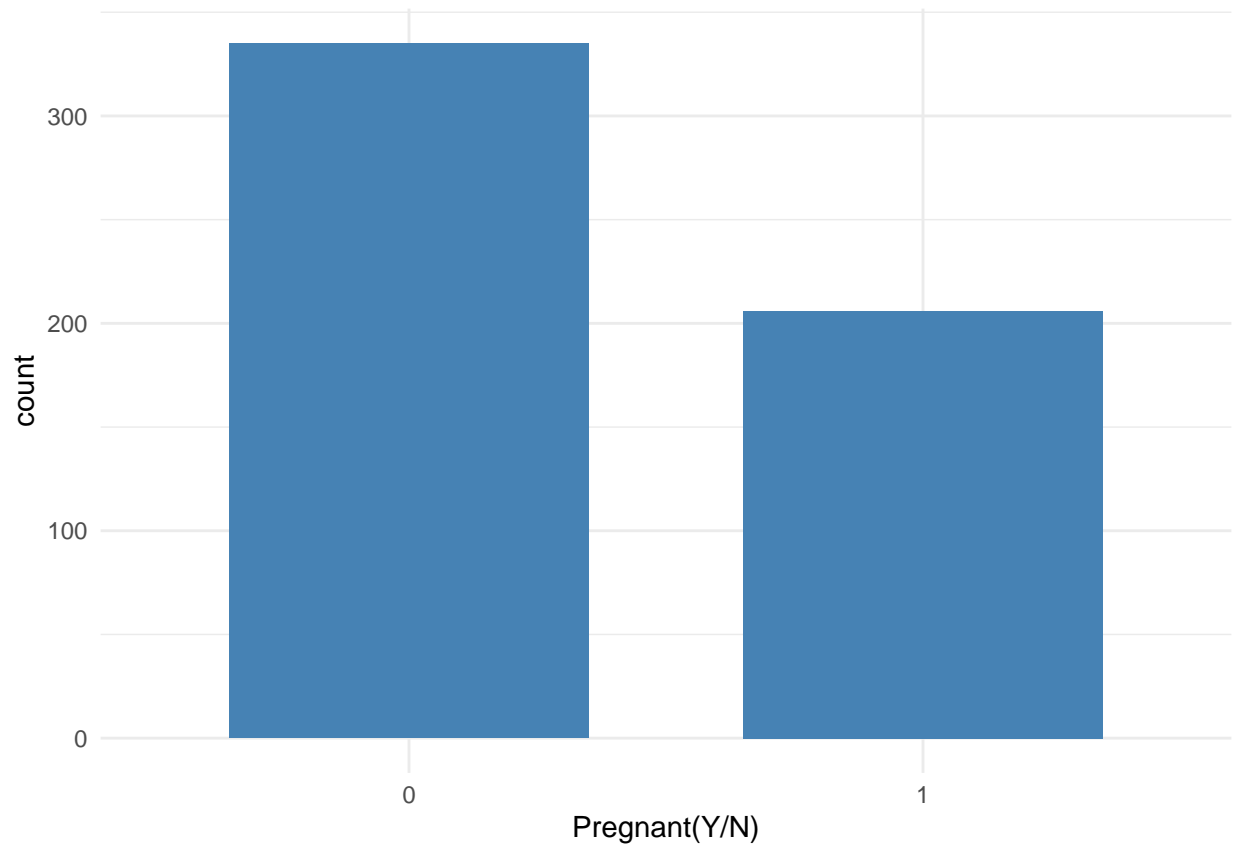
```
## [1] 0.327
```

We can see that proportion of patients with PCOS is 0.327.

Next we will look into the rest of the columns:

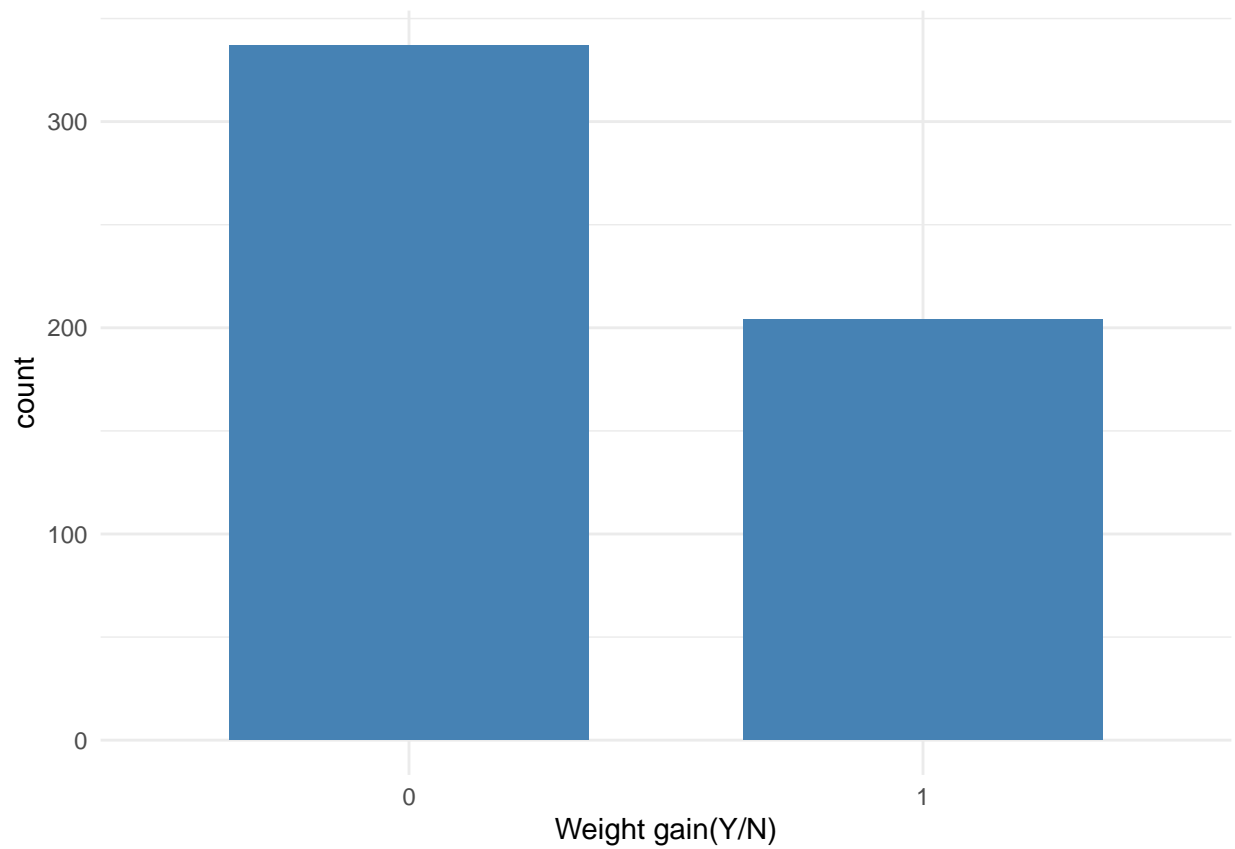
Pregnant(Y/N)

```
ggplot(pcos, aes(x=factor(`Pregnant(Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="Pregnant(Y/N)", y = "count")
```



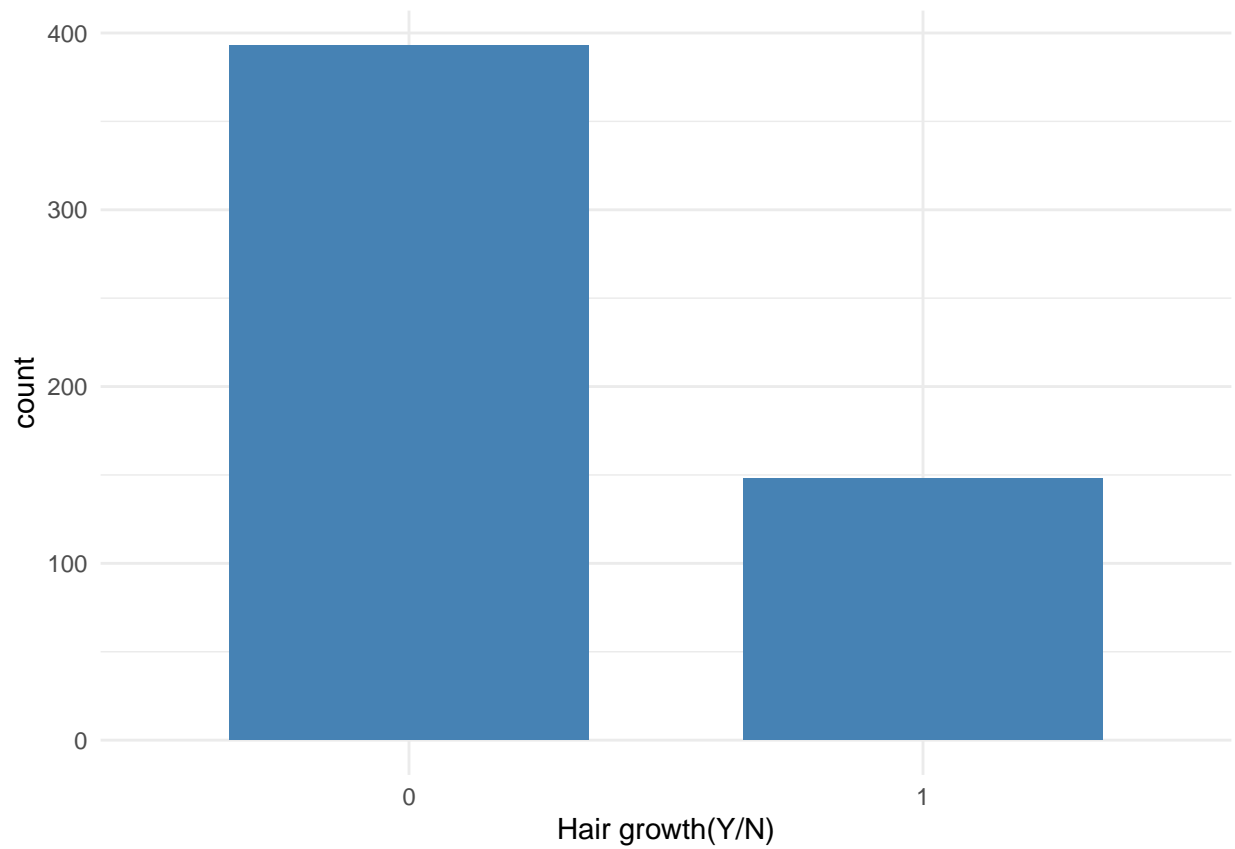
Weight gain(Y/N)

```
ggplot(pcos, aes(x=factor(`Weight gain(Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs(x="Weight gain(Y/N)", y = "count")
```



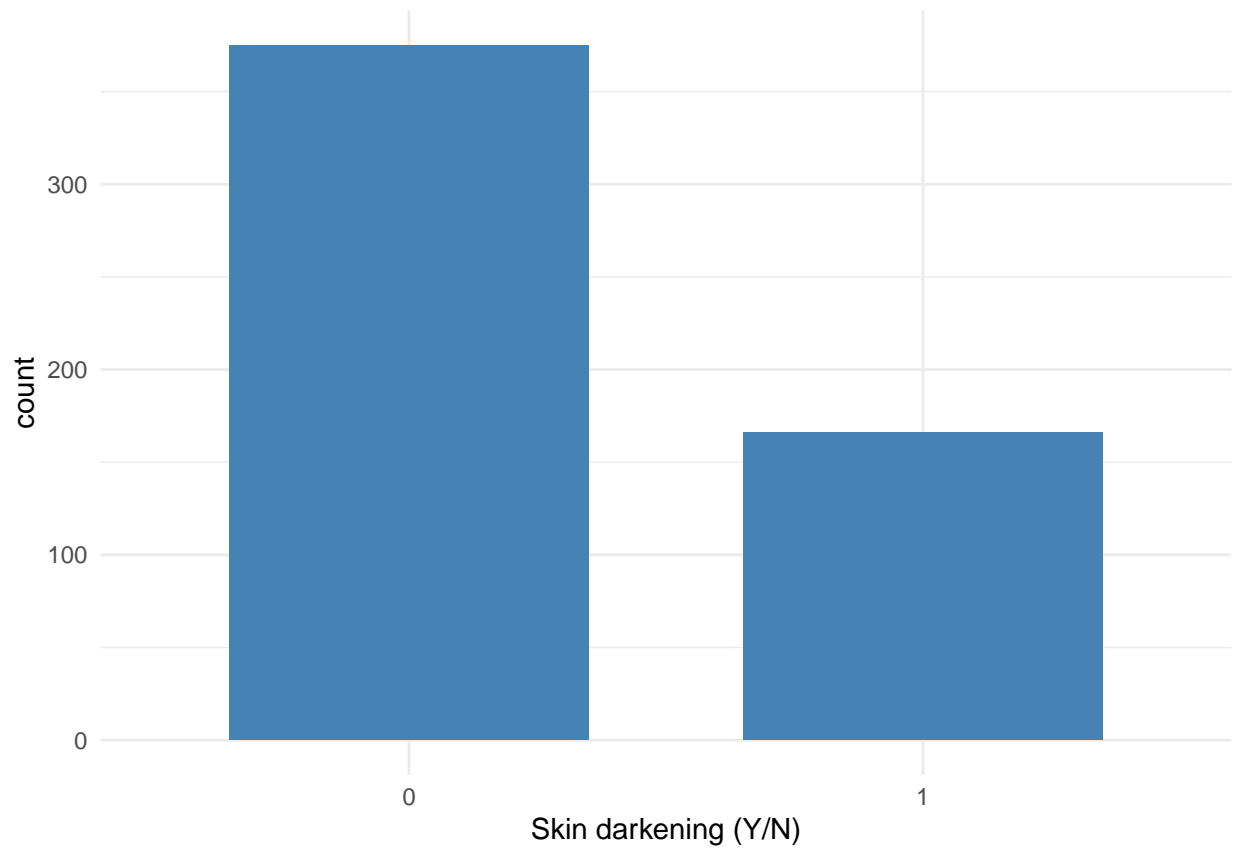
Hair growth(Y/N)

```
ggplot(pcos, aes(x=factor(`hair growth(Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs(x="Hair growth(Y/N)", y = "count")
```

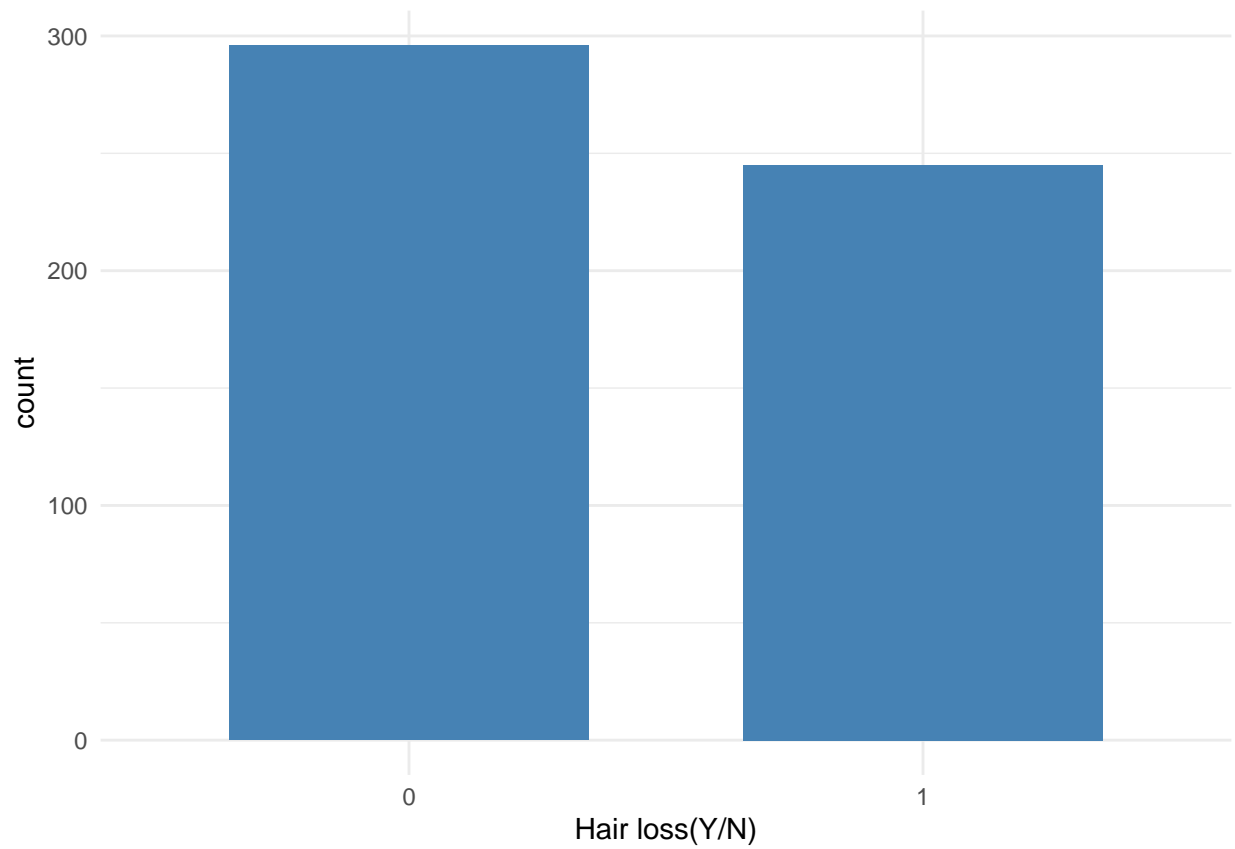
Skin darkening (Y/N)

```
ggplot(pcos, aes(x=factor(`Skin darkening (Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs(x="Skin darkening (Y/N)", y = "count")
```



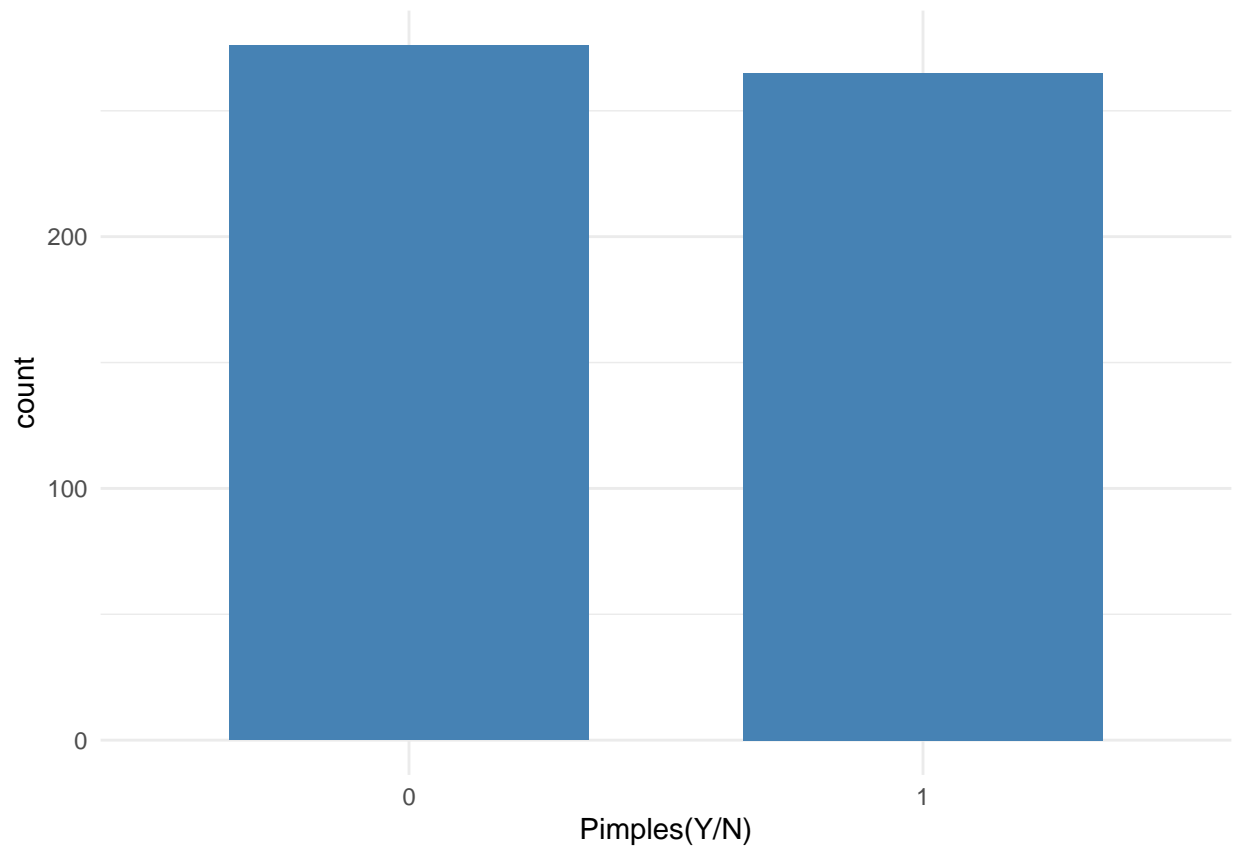
Hair loss(Y/N)

```
ggplot(pcos, aes(x=factor(`Hair loss(Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs(x="Hair loss(Y/N)", y = "count")
```



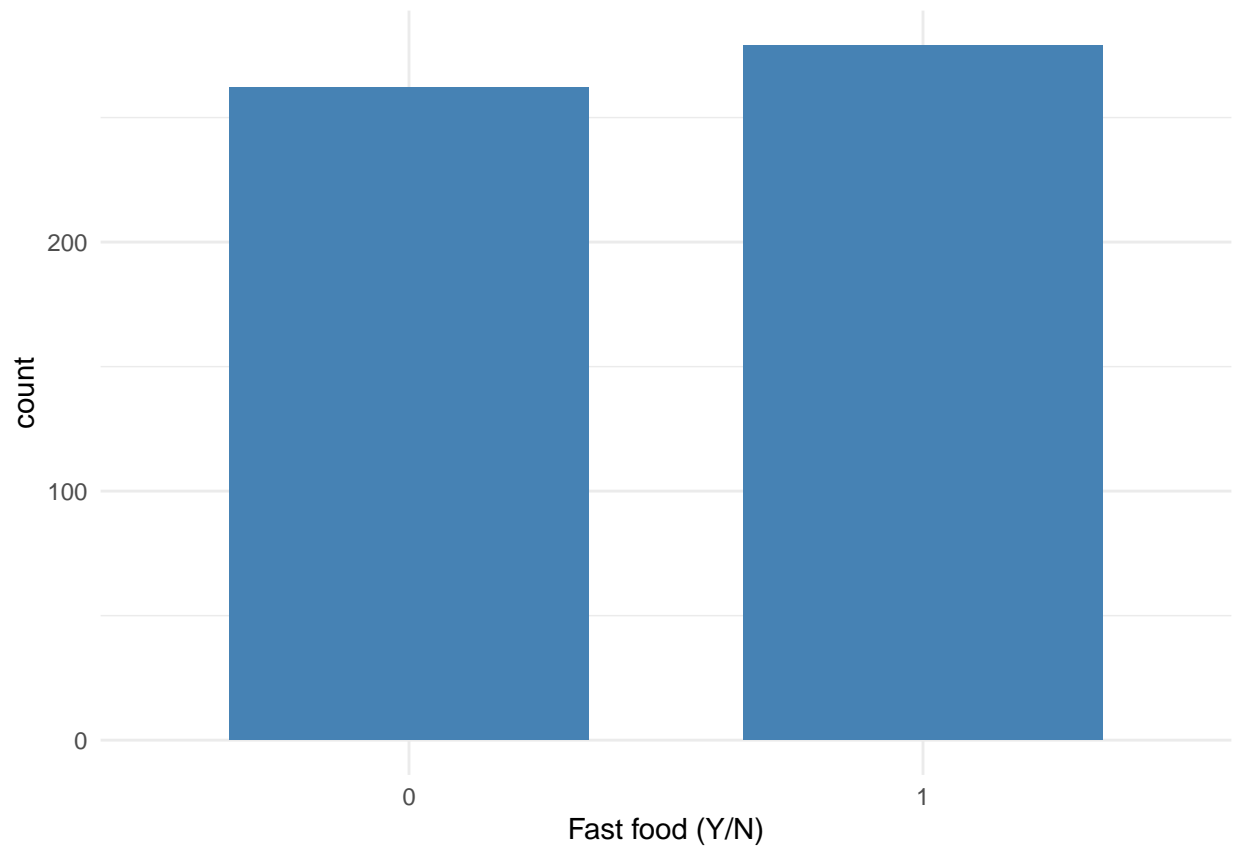
Pimples(Y/N)

```
ggplot(pcos, aes(x=factor(`Pimples(Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="Pimples(Y/N)", y = "count")
```



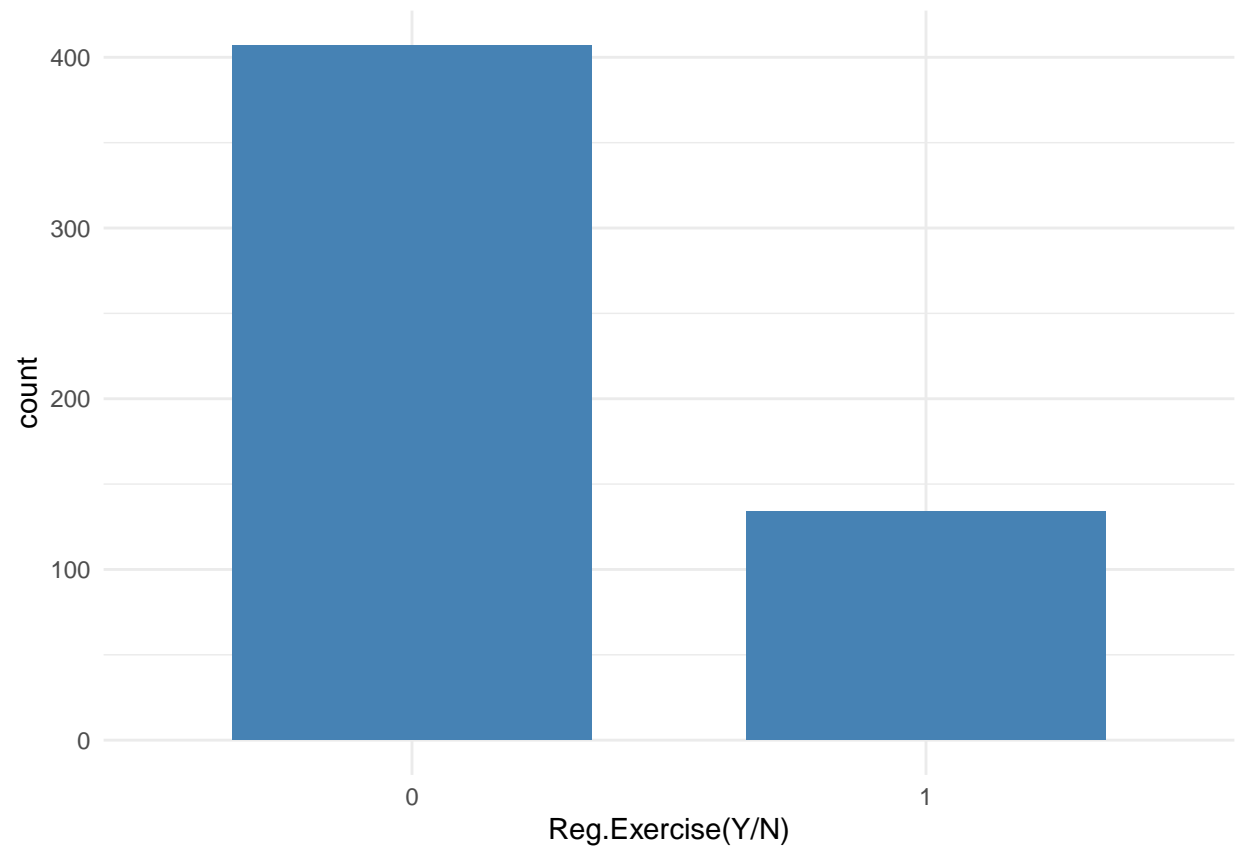
Fast food (Y/N)

```
ggplot(pcos, aes(x=factor(`Fast food (Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs(x="Fast food (Y/N)", y = "count")
```



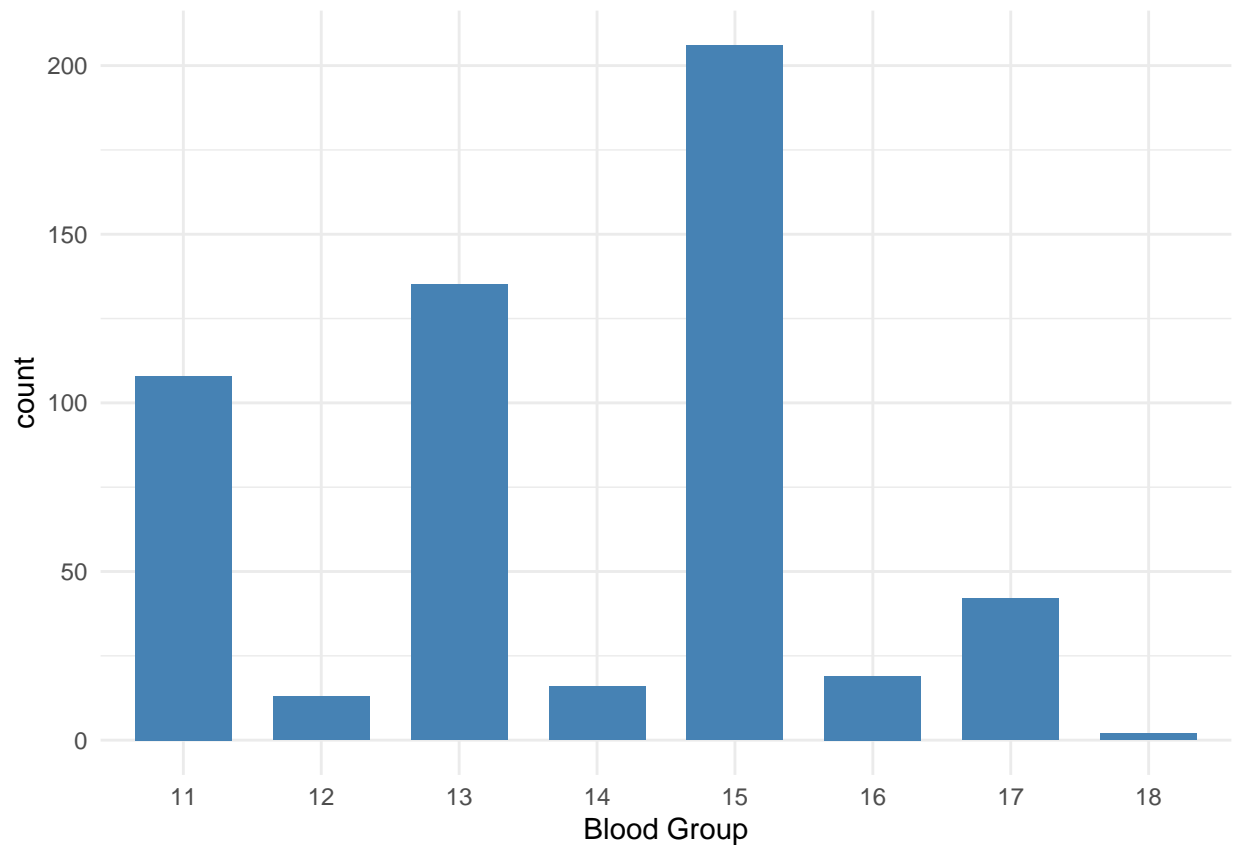
Reg.Exercise(Y/N)

```
ggplot(pcos, aes(x=factor(`Reg.Exercise(Y/N)`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs(x="Reg.Exercise(Y/N)", y = "count")
```



Blood Group

```
ggplot(pcos, aes(x=factor(`Blood Group`)))+  
  geom_bar(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="Blood Group", y = "count")
```

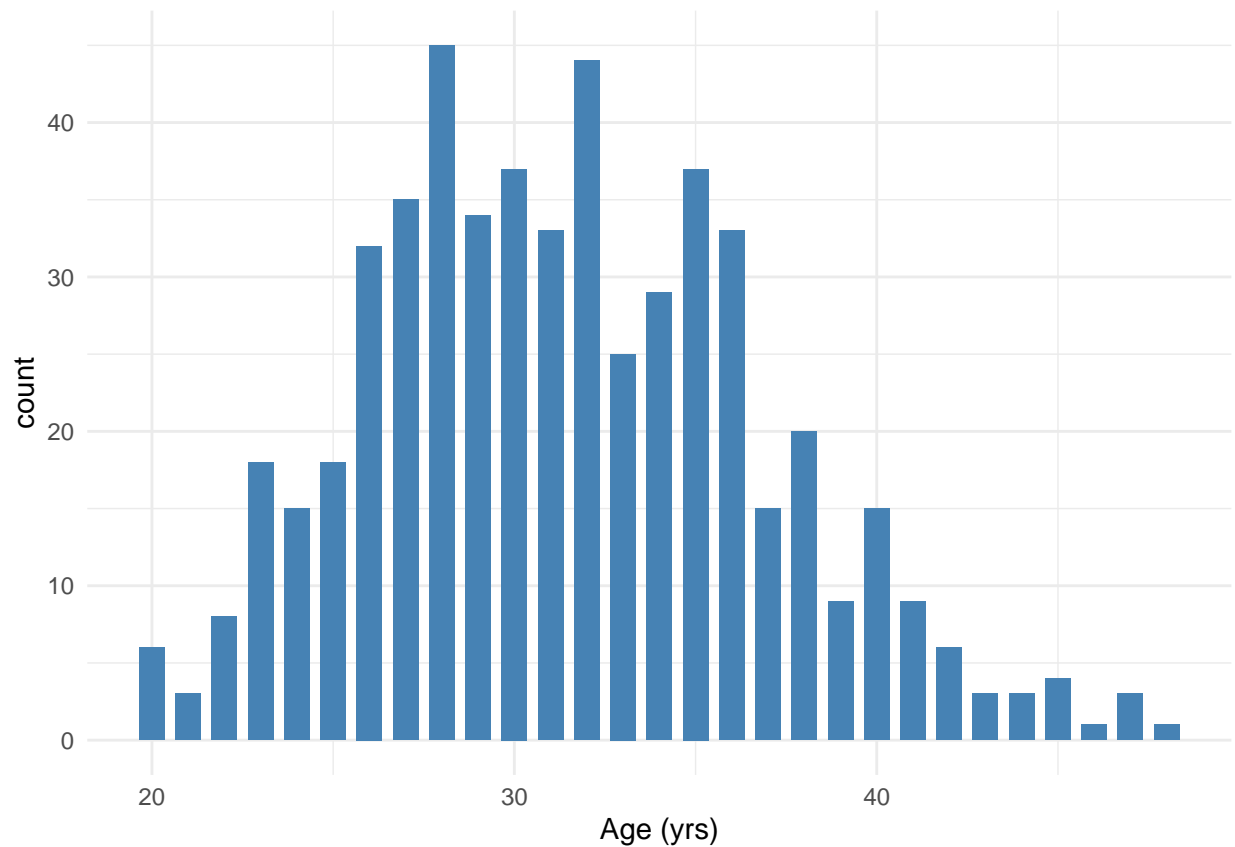


Next we will look into some of the numerical variables. We will check the distribution of Age (yrs), Weight (Kg), BMI, Cycle length(days), Marraige Status (Yrs), No. of aborptions.

Age in yrs

```
ggplot(pcos, aes(x=`Age (yrs)`))+  
  geom_histogram(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="Age (yrs)", y = "count")
```

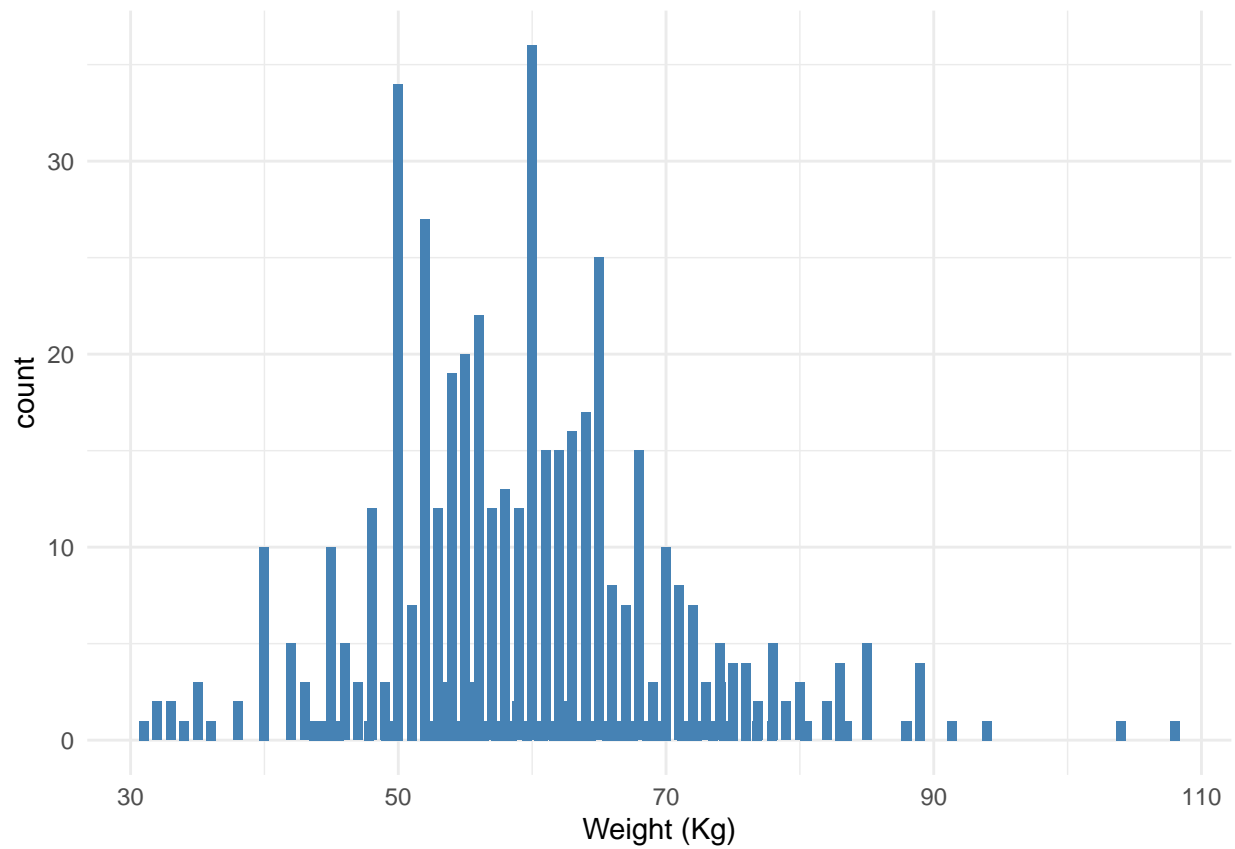
```
## Warning: Ignoring unknown parameters: binwidth, bins, pad
```



Most of the patients is between 25 and 35 years old, which would confirm that from pcpos suffer mainly woman in child bearing age.

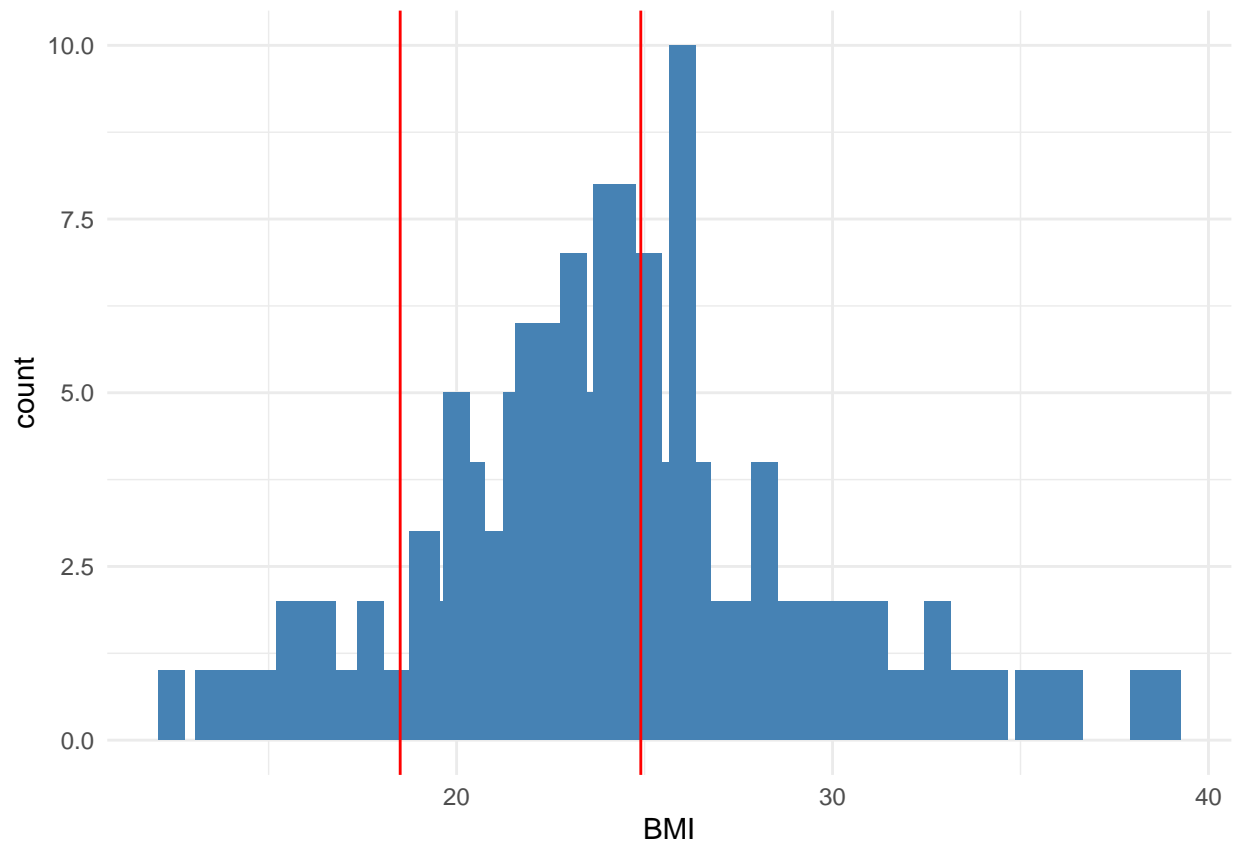
Weight (Kg)

```
ggplot(pcos, aes(x=`Weight (Kg)`))+
  geom_histogram(stat="count", width=0.7, fill="steelblue")+
  theme_minimal() + labs( x="Weight (Kg)", y = "count")
```

BMI

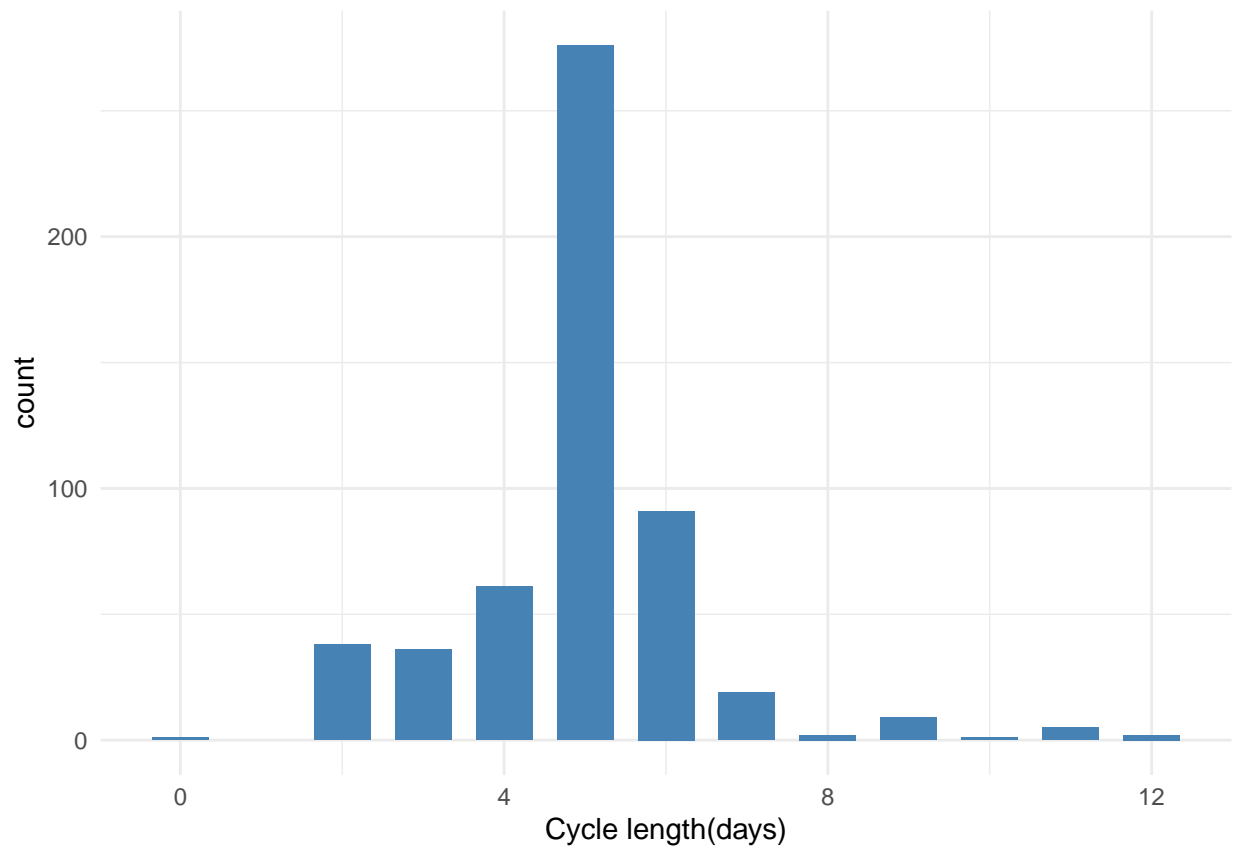
```
ggplot(pcos, aes(x=`BMI`))+  
  geom_histogram(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="BMI", y = "count") +  
  geom_vline(xintercept = 18.5,color="red") + geom_vline(xintercept = 24.9, color="red")
```



Here we added additional vertical lines, which show the BMI range considered as normal 18.5 - 24.9.

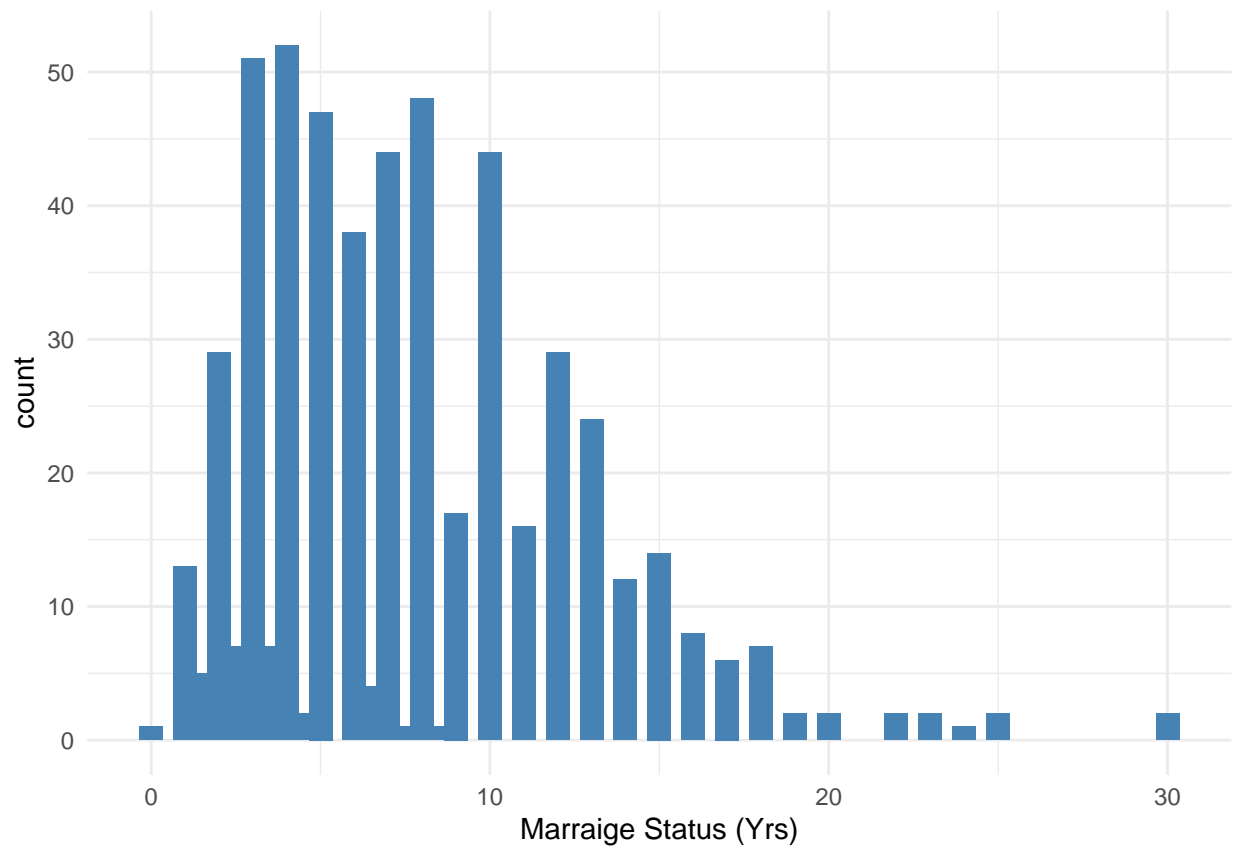
Cycle length(days)

```
ggplot(pcos, aes(x=`Cycle length(days)`))+
  geom_histogram(stat="count", width=0.7, fill="steelblue")+
  theme_minimal() + labs( x="Cycle length(days)", y = "count")
```



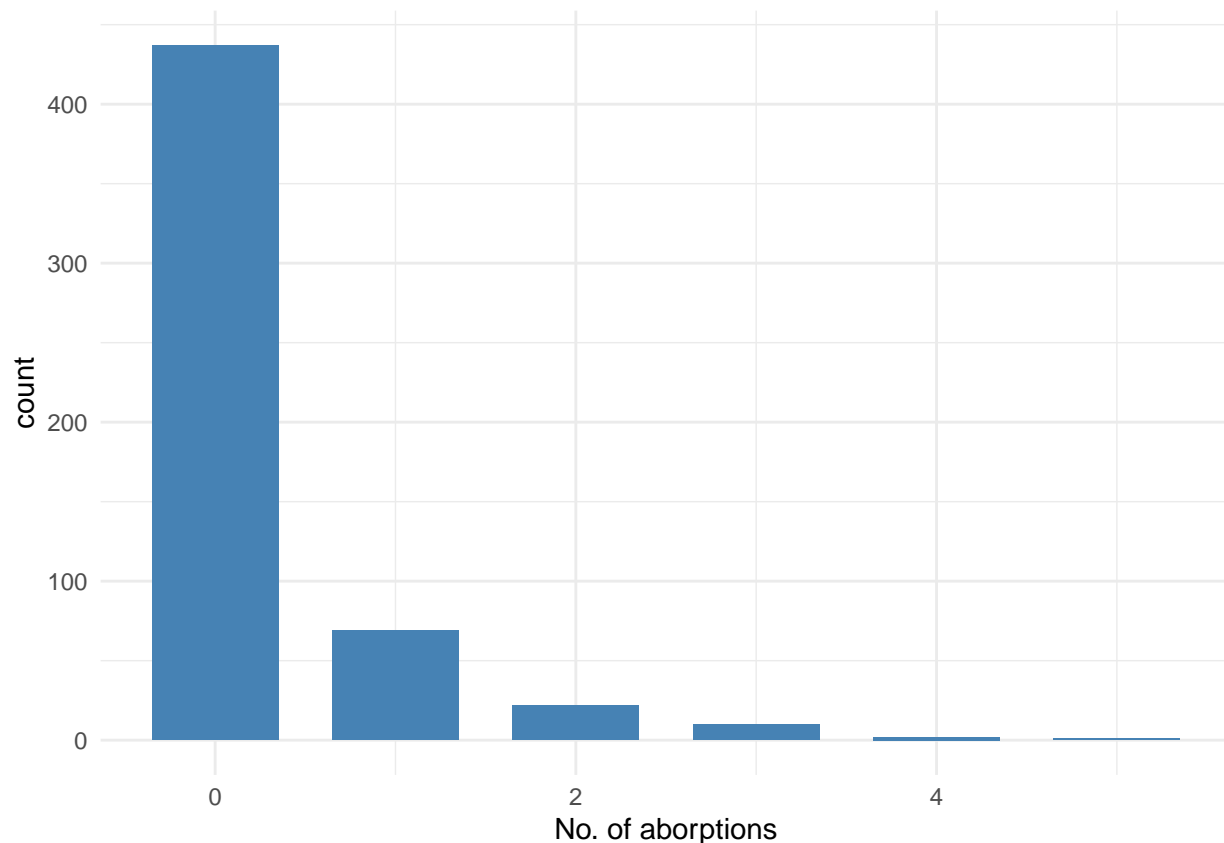
Marraige Status (Yrs)

```
ggplot(pcos, aes(x=`Marraige Status (Yrs)`))+  
  geom_histogram(stat="count", width=0.7, fill="steelblue")+  
  theme_minimal() + labs( x="Marraige Status (Yrs)", y = "count")
```



No of aborptions

```
ggplot(pcos, aes(x=`No. of aborptions`))+
  geom_histogram(stat="count", width=0.7, fill="steelblue")+
  theme_minimal() + labs( x="No. of aborptions", y = "count")
```



Next we will see the correlation between PCOS (Y/N) column and the rest of the columns. we will concentrate only on significant correlations, where values are above 0.25.

```
cor_pcos <- round(cor(pcos[, colnames(pcos) != "PCOS (Y/N).x"],
  pcos$`PCOS (Y/N).x`),2)

data.frame(cor_pcos) %>%
  rownames_to_column() %>%
  gather(key="variable", value="correlation", -rowname) %>%
  filter(abs(correlation) > 0.25)
```

##	rowname	variable	correlation
## 1	Cycle(R/I)	cor_pcos	0.40
## 2	AMH(ng/mL).x	cor_pcos	0.26
## 3	Weight gain(Y/N)	cor_pcos	0.44
## 4	hair growth(Y/N)	cor_pcos	0.46
## 5	Skin darkening (Y/N)	cor_pcos	0.48
## 6	Pimples(Y/N)	cor_pcos	0.29
## 7	Fast food (Y/N)	cor_pcos	0.38
## 8	Follicle No. (L)	cor_pcos	0.60
## 9	Follicle No. (R)	cor_pcos	0.65

We can see that only 9 variables have a correlation above 0.25.

Fitting a model

Before we fit a model, we need to prepare our data set. That mean we need to divide our target and other variables. Because our target has binary values (0s and 1s), we will change it data type into factor.

```
pcos$`PCOS (Y/N).x` <- factor(pcos$`PCOS (Y/N).x`)  
  
y <- pcos$`PCOS (Y/N).x`  
  
x <-subset(pcos, select = -`PCOS (Y/N).x` )
```

Next we will divide data into train and test set in proportion 20%.

```
set.seed(1)  
test_index <- createDataPartition(y, times = 1, p = 0.2, list = FALSE)  
test_x <- x[test_index,]  
train_x <- x[-test_index,]  
  
test_y <- y[test_index]  
train_y <- y[-test_index]
```

Nextly we divide them into train and test sets.

```
set.seed(1)  
test_index <- createDataPartition(y, times = 1, p = 0.2, list = FALSE)  
test_x <- x[test_index,]  
train_x <- x[-test_index,]  
  
test_y <- y[test_index]  
train_y <- y[-test_index]
```

Logistic regression

We will first apply the logistic regression.

```
set.seed(1)  
train_glm <- train(train_x, train_y, method = "glm")  
glm_preds <- predict(train_glm, test_x)  
mean(glm_preds == test_y)
```

```
## [1] 0.872
```

The accuracy of this model is 0.872.

Linear discriminant analysis model (LDA)

We can fit the LDA model using caret:

```
set.seed(1)
train_lda <- train(train_x, train_y, method = "lda")
lda_preds <- predict(train_lda, test_x)
mean(lda_preds == test_y)
```

```
## [1] 0.881
```

Not surprisingly the achieved accuracy is similar to the logistic regression, hence the LDA satisfies the assumption of the linear logistic model. If the additional assumption made by LDA is appropriate, LDA tends to estimate the parameters more efficiently by using more information about the data. In practice, logistic regression and LDA often give similar results.

Quadratic discriminant analysis model (QDA)

Lets fit the QDA model with below code:

```
set.seed(1) train_qda <- train(train_x, train_y, method = "qda") qda_preds <- predict(train_qda, test_x)
mean(qda_preds == test_y)
```

```
0.862
```

With this model we achieve accuracy of 0.862, which is worse than models before.

K-nearest neighbors (kNN)

K-nearest neighbors (kNN) estimates the conditional probabilities in a similar way to bin smoothing. However, kNN is easier to adapt to multiple dimensions. We will try to fit the model with below code:

```
set.seed(1)
train_knn <- train(train_x, train_y,
                   method = "knn")
knn_preds <- predict(train_knn, test_x)
mean(knn_preds == test_y)
```

```
## [1] 0.642
```

The accuracy in this case is 0.642.

K-nearest neighbors (kNN) with cross validation

We will now make a similar analysis but this time we will try to use cross validation to select the optimal k value.

```
set.seed(1)
tuning <- data.frame(k = seq(3, 21, 2))
train_knn_v <- train(train_x, train_y,
                    method = "knn",
                    tuneGrid = tuning)
train_knn_v$bestTune
```

```
##      k
## 10 21

knn_preds_v <- predict(train_knn_v, test_x)
mean(knn_preds_v == test_y)
```

```
## [1] 0.661
```

The accuracy is only 0.661

Random forest model

Random forests are used in prediction problems where the outcome is categorical - like in our case. The goal is to improve prediction performance and reduce instability by averaging multiple decision trees (a forest of trees constructed with randomness).

```
set.seed(1)
tuning <- data.frame(mtry = c(3, 5, 7, 9))
train_rf <- train(train_x, train_y,
                  method = "rf",
                  tuneGrid = tuning,
                  importance = TRUE)
train_rf$bestTune
```

```
##      mtry
## 4      9
```

```
rf_preds <- predict(train_rf, test_x)
mean(rf_preds == test_y)
```

```
## [1] 0.908
```

The obtained accuracy is 0.908, which is the highest achieved value until now.

We can also see the list of the most important variables in terms of predicting PCOS:

```
varImp(train_rf)
```

```
## rf variable importance
##
##      only 20 most important variables shown (out of 43)
##
##              Importance
## Follicle No. (R)      100.00
## Follicle No. (L)      57.96
## hair growth(Y/N)      46.34
## Weight gain(Y/N)      39.80
## Skin darkening (Y/N)  35.52
## Cycle(R/I)            22.92
## Fast food (Y/N)       20.94
```



```
## Sl. No                19.43
## AMH(ng/mL).x          18.18
## Patient File No..x    16.44
## Pimples(Y/N)          16.44
## Cycle length(days)    14.48
## Weight (Kg)           10.83
## Hair loss(Y/N)        10.39
## Hb(g/dl)              9.74
## BMI                   9.32
## Avg. F size (R) (mm)  8.80
## Reg.Exercise(Y/N)     8.51
## Waist(inch)           8.35
## Avg. F size (L) (mm)  7.73
```

It looks like the crucial information is the number of follicle in both ovaries (left and right).

Ensembles

The idea of an ensemble is to combine the data from different models to obtain a better estimate.

In machine learning, one can usually greatly improve the final results by combining the results of different algorithms.

```
ensemble <- cbind(glm = glm_preds == "1", lda = lda_preds == "1", qda = qda_preds == "1", rf =
rf_preds == "1", knn = knn_preds == "1", knn_v = knn_preds_v == "1")
```

```
ensemble_preds <- ifelse(rowMeans(ensemble) > 0.5, "1", "0") mean(ensemble_preds == test_y)
```

The accuracy in this case is 0.890

Selecting final model

Lets get all the accuracies in one table, to compare which model performs the best in predicting PCOS:

##	Model	Accuracy
## 1	Logistic regression	0.872
## 2	LDA	0.881
## 3	QDA	0.862
## 4	Knn	0.642
## 5	Knn with cross validation	0.661
## 6	Random forest	0.908
## 7	Ensemble	0.890

The model with the best accuracy of 0.908 is the random forest model.

Conclusion

Polycystic Ovary Syndrome (PCOS) is a medical condition which causes hormonal disorder in women in their childbearing years. Women with PCOS suffer from many symptoms and risk infertility. The scope of this project was to create a detection system, which would predict whether a woman has or has not PCOS, based on her medical parameters results. The Random Forest Classifier was found to be the most reliable and most accurate among others presented in this paper with accuracy being 90.8%.