

2017 Section A.

1. a) $1 * 2 * 3 / 4 * 5 - 6$

$$= b / 4 * 5 - 6$$

$$= 1 * 5 - 6$$

$$= 5 - 6$$

$$= -1 \quad \text{int.}$$

b) would result in unknown behaviour

- read would read whatever in memory address with offset 10 from $a[0]$.

- write would either write successful to a unknown address
or segmentation fault.

c) void swap (int a[], int m, int n) {
 int t = a[m];
 a[m] = a[n];
 a[n] = t;
 }

d) void swapPairs (int a[]), int length) {
 for (int i=0; i < length-1; i++)
 if (a[i] > a[i+1]) swap(a, i, i+1);
 }

e) void bubbleSort (int a[], int length) {
 for (int i=0; i < length-2; i++)
 swapPairs(a, length);
 }

2. a) 1. 1.
 2. False.

3. 100

4. 1.

5. Error. Num and char.

b) fac :: Int \rightarrow Int

$$\text{fac } x = x * (\text{fac } (x-1))$$

$$\text{fac } 0 = 1$$

$\text{sumfac} :: \text{Int} \rightarrow \text{Int}$
 $\text{sumfac } x = (\text{sumfac}(x-1)) + (\text{fac } x)$
 $\text{sumfac } 0 = \text{fac } 0$.

c) $f :: [\text{Int}] \rightarrow [\text{Int}]$

$f \text{ xs} = [x | x \leftarrow \text{xs}, \text{cubed} \geq 200 \text{ & cubed} \leq 1000]$
where $\text{cubed} = \text{cube } x$.

$\text{cube} :: \text{Int} \rightarrow \text{Int}$
 $\text{cube } x = x * x * x$.

d) $\text{negsum} :: [\text{Int}] \rightarrow \text{Int}$

$\text{negsum } \text{xs} = \text{foldr } (\lambda x y \rightarrow x^2 + y) 0 (\text{filter } (< 0) \text{ xs})$

Section B

a) malloc allocating heap memory \rightarrow pointer

free releasing heap memory from pointer / allocation.

cohesive function. — function that cannot be reduced.

variable scope. — the code area where variable is in effect.

Syntax — the layout of words / alphabets a compiler would understand.

b) $\text{char}^* \text{ copyStr} (\text{char}^* \text{ org}) \text{ f.}$

$\text{int len} = \text{strlen}(\text{org});$

$\text{char}^* \text{ cpy} = \text{malloc}(\text{size of}(\text{char}) * (\text{len} + 1))$

$\text{for int i=0; i} \leq \text{len}; \text{i++} \text{ cpy[i]} = \text{org[i]};$

$\text{return cpy};$

3.

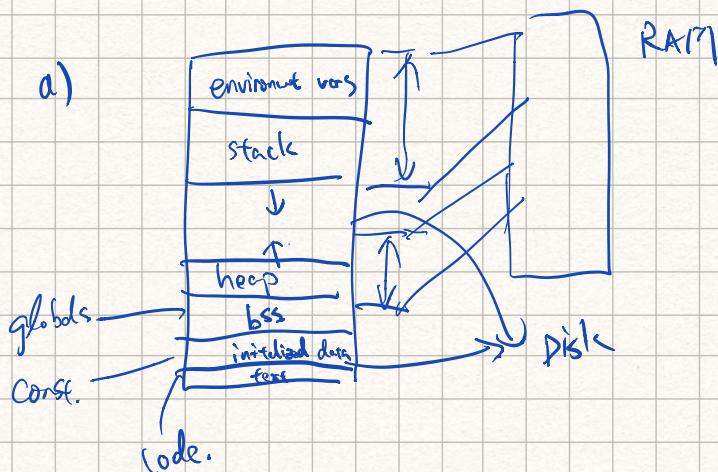
c). struct node {
 int key
 node * left
 node * right
}.

pointers pointing to left/right nodes

recursively going down from root left/right.

e.g. root → key = 5;

root → right → left → key = 3



4. a) variable life time : the time period when a variable is accessible.

variable definition : define data type (init value) for a variable.

file scope : global variable in a single C file is accessible within the file unless use extern keyword.

dereference : use pointer to retrieve the value in the mem. addr.

heap memory : a free section of memory that's dynamically allocatable.

b) i) it's printed backwards.

e.g. 13 → 1101

but the program print 1011

the remainder is the last digit.

ii). void printAsBinary (int n) {

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if (n==0) return;
printAsBinary(n/2);
printf("%d", n%2);
}

```

c). Physical memory is not always sufficient.

programs / process have their own V Mem., which are mapped to phys. mem. / or disk (swap) when not active.

V Mem. provides standard memory s.t. programs cannot access each other's mem.

d) bool. isSame (char* a, char* b) {

```

int len-a = strlen(a);
int len-b = strlen(b);

```

if (len-a != len-b) return FALSE;

for (int i=0; i<len-a; i++) if (a[i] != b[i]) return FALSE;

return TRUE;

}

Section C.

5.

a) higher order function.

a function that takes in a function as a parameter.

operator section

partially put an operator and its parameter

e.g. (+i) + should take 2 param.

(+i) means $|x \rightarrow x+1|$.

Type class

a set of datatypes with certain functions and characteristics

Quick Check.

A library in Haskell used for automated random testing of function properties

b) $\text{isPrime} :: \text{Int} \rightarrow \text{Bool}$.

$\text{isPrime } x = \text{isPrimeRec } x-1 \ x$

$\text{isPrimeRec} :: \text{Int} \rightarrow \text{Int} \rightarrow \text{Bool}$.

$\text{isPrimeRec } 1 \ x = \text{True}$.

$\text{isPrimeRec } d \ x = \begin{cases} \text{if } x \text{ 'mod' } d == 0 \text{ then False} \\ \text{else } \text{isPrimeRec } d-1 \ x. \end{cases}$

c). $\text{iter} :: \text{Int} \rightarrow (\text{a} \rightarrow \text{a}) \rightarrow \text{a} \rightarrow \text{a}$

$\text{iter } 0 \ f \ x = x$

$\text{iter } n \ f \ x = \text{iter } n-1 \ f (fx)$

$\text{quadProd} :: [\text{Int}] \rightarrow \text{Int}$.

$\text{quadProd } (x:xs) = \text{foldr } (\lambda y \rightarrow (\text{iter } 2 \text{ square } x) + y) \ x \ xs$.

d) Base case $2^0 = 1$.

Hypothesis. Assume $\text{power2 } n = 2^n$. $n \geq 0$

WTS $\text{power2 } (n+1) = 2^{n+1}$ $n \geq 1$.

$$\text{power2 } (n+1) = 2 * \underbrace{\text{power2 } n}_{2^n \text{ IH.}}$$

$$= 2 * 2^n$$

$$= 2^{n+1}$$

$\therefore \text{power2 } n$ gives 2^n for $n \geq 0$.

6.

lazy evaluation

Haskell only evaluates expressions when necessary

fail recursive function.

The recursive call is at the end of program
no other op is done after the return of a recursive algo.

polymorphic type.

a type that could be two or more actual datatypes

lambda abstraction

an anonymous function. / used to conveniently insert functions

b). length

prop-lengthR :: [a] → Bool.

prop-lengthR xs = length xs == length (reverse xs).

prop-lengthDouble :: [a] → Bool.

prop-lengthDouble xs = 2 * (length xs) == length (xs ++ xs).

SumAcc :: [Int] → Int.

SumAcc xs = sumAccRec xs 0

SumAccRec :: [Int] → Int → Int

SumAccRec [] acc = acc

SumAccRec (x:xs) acc = sumAccRec xs acc + x.

prodInts :: IO(Int)

prodInts = do input ← getInt

if input == 0 then return 1.

else return input * prodInts