# **CS51: Final Project Writeup**

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I extended my final project for CS51 in a number of ways that are listed below:

- 1. Adding a Lexically Scoped Evaluator
- 2. Adding an additional atomic type, float, with and corresponding literals and operators
- 3. Adding additional Binary operators: Divide and GreaterThan

### 1. LEXICALLY SCOPED EVALUATOR

In order to implement a lexically scoped environment I modified the dynamic evaluator, eval\_d . In section 21.4.2 of the textbook, an example is offered that results in different solutions when using eval\_d in comparison to a lexically scoped evaluator. The example is:

```
let x = 1 in
let f = fun y -> x + y in
let x = 2 in
f 3 ;;
```

When using  $eval_d$ , since the evaluation is dynamic, we would use the most recent definition of x which would be x = 2. This would result in the answer of 5. However, in a lexically scoped environment, we would use the x that is defined initially which would be x = 1. This would result in the answer of 4.

Another example we can look at is:

```
let x = 5 in
let f = fun y -> x + y in
let x = 7 in
f x ;;
```

In a dynamic environment this function evaluates to 16 because the most recent definition of x is x = 7. This means at the time the function is called x = 7 and the function would evaluate to 7 + 7 which is 14. In a lexical environment, a closure preserves the definition as:  $\{x \to 5\}$  fun  $y \to x + y$ , thus always evaluating the function as: fun  $y \to 5 + y$ . Since 7 is then passed in as an argument to the function, the evaluation would result in 5 + 7 which is 12.

So how would we modify eval\_d to create a lexically scoped evaluator, eval\_1?

The only aspects that needed to change from eval\_d were:

- Fun
- I modified the evaluation of a function, so that it returns a closure containing the function itself as well as the current environment. So instead of returning an Env.Val, it would return an Env.Closure containing a tuple of both the expression and the environment.
- App
  - This stream of conscoiusness is continued in this modification. When evaluating the first expression we return a Env.Closure that can only store a Fun. Then we extend the environment and evaluate accordingly by mapping the variable with the evaluation of what's passed to the function.

## Does it work?

Let's test out the example using both eval\_d and eval\_l.

eval\_d:

```
<== let x = 1 in
let f = fun y -> x + y in
let x = 2 in f 3 ;;
==> 5
```

eval\_l:

```
<== let x = 1 in
let f = fun y -> x + y in
let x = 2 in f 3 ;;
==> 4
```

In order to abstract away commonalities between eval\_d and eval\_l, I implemented a helper evaluator: eval\_dl\_helper. The function has type:

```
Expr.expr -> Env.env -> (Expr.expr -> Env.env -> Env.value) -> Env.value
```

We can see that unlike the other evaluators, eval\_dl\_helper takes an evaluator as an argument as well. This is because for the cases that are different for eval\_d and eval\_l, we call the eval argument so that the appropriate result is given in the different circumstances.

## 2. FLOATS

In addition to adding a lexically scoped evaluator, I added an additional atomic type, float. In order to do this, I had to:

- Add Float type to expr.mli
- Make relevant additions to expr.ml with Float. Modify the functions in expr.ml to suit the Float case.
- Modify evaluate.ml so that the evaluators evaluate the Float case as well.
- Modify miniml\_parse.mly
  - o I added an appropriate float token:

```
%token <float> FLOAT
```

as well as a grammar definition:

```
| FLOAT { Float $1 }
```

- Modify miniml\_lex.mll
  - o I added a lexing rule of:

```
| digit+ '.' digit* as fnum
{ let f1 = float_of_string fnum in
   FLOAT f1
}
```

This is very similar to the lexing rule for int, just modified with the appropriate "." for floats.

At first I added additional unary and binary operators that corresponded to the float type, but I realized that it wasn't necessary. Instead I just made the unary and binary operators accessible to the float type. This makes it easier for users as they wouldn't have to use operators such as: +., ~-., \*., etc, when evaluating with floats.

## 3. DIVIDE AND GREATERTHAN

I additionally added **Divide** and **GreaterThan** binary operators to binop to extend my MiniMl Project. **Divide** divides the first expression given by the second expression. **GreaterThan** returns **Bool** true if the first expression given is bigger than the second expression and **Bool** false if the opposite is true. These additions provide a more extensive and a wider variety for users. In order to do this, I had to:

- Add Divide and GreaterThan binary operators to expr.mli
- Make relevant additions to expr.m/ with Divide and GreaterThan. Modify the functions in expr.m/ to suit these extra binops.
- Modify evaluate.ml so that the binop helper evaluator evaluates the Divide and GreaterThan cases as well.
- · Modify miniml\_parse.mly
  - o I added the appropriate divide and greater than tokens as follows:

```
%token TIMES DIVIDE
%token LESSTHAN GREATERTHAN EQUALS
```

as well as the appropriate associations:

```
%left LESSTHAN GREATERTHAN EQUALS
...
%left TIMES DIVIDE
```

as well as the appropriate grammar definitions:

```
| exp DIVIDE exp { Binop(Divide, $1, $3) }
| exp GREATERTHAN exp { Binop(GreaterThan, $1, $3) }
```

- Modify miniml\_lex.mll
  - I added the following to the sym\_table that is a reference for parsing:

```
(">", GREATERTHAN);
("/", DIVIDE);
```

These various additions make my Miniml project extended and more user-friendly.