

### Assignment 3

• Given the following grammar:

$$E \rightarrow E + T \mid T$$

$$T \rightarrow T * F \mid F$$

$$F \rightarrow x$$

1.1) • Augmenting the grammar:

i)  $E' \rightarrow E$

II)  $E \rightarrow E + T$

III)  $E \rightarrow T$

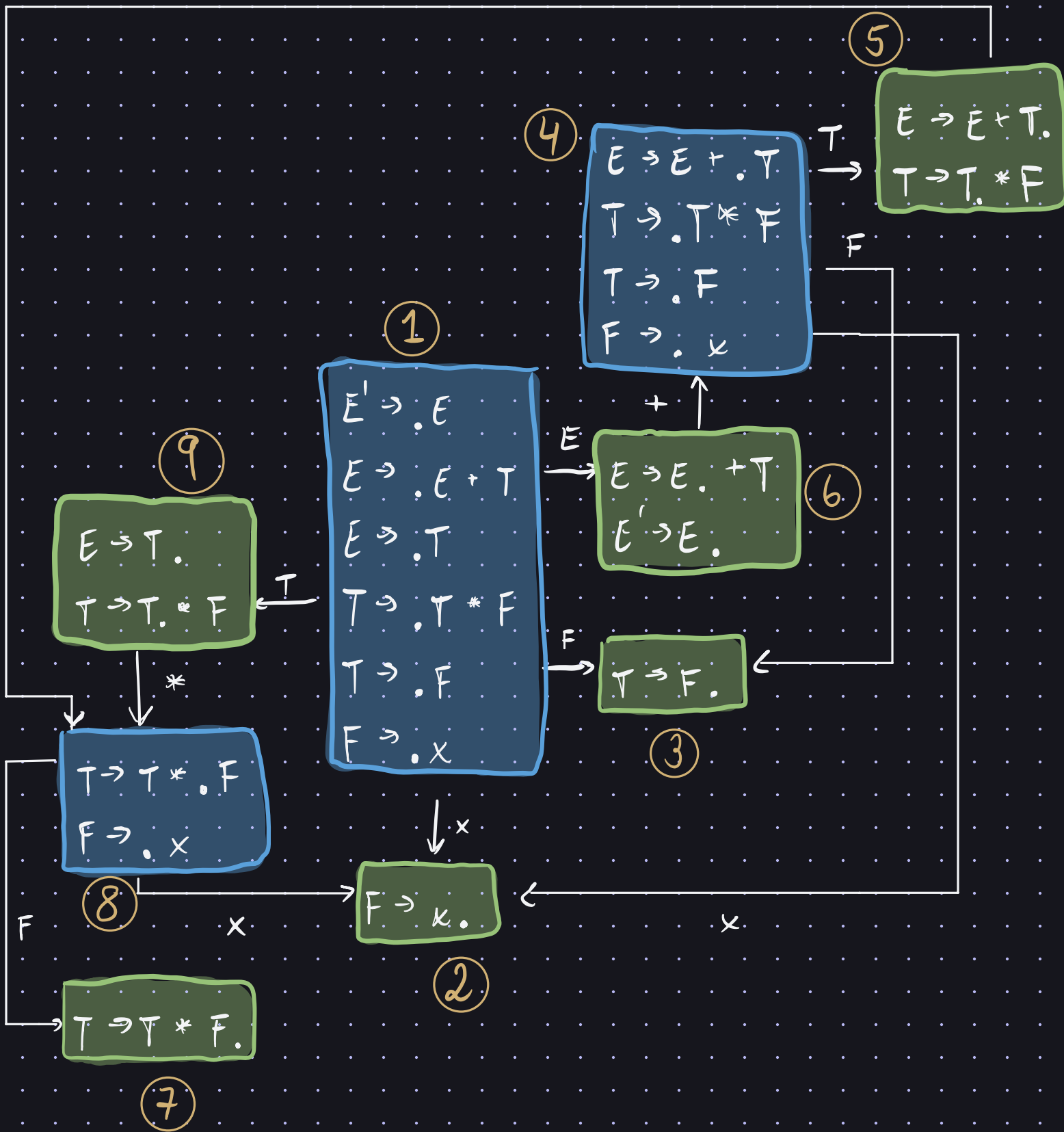
IV)  $T \rightarrow T * F$

V)  $T \rightarrow F$

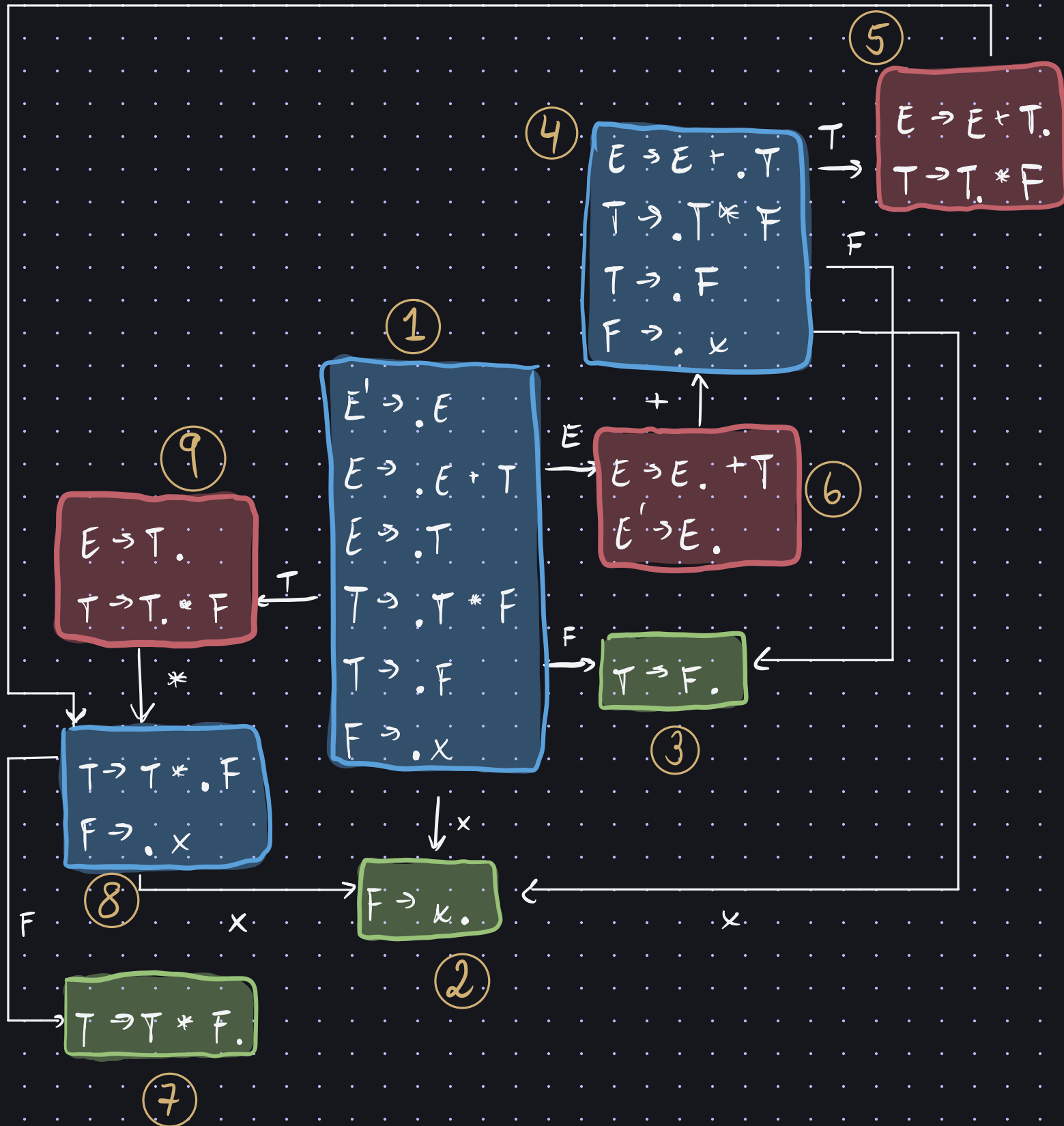
VI)  $F \rightarrow x$

• Constructing the LR(0) automaton:

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1.2) • We get a shift/reduce conflict if it is ambiguous whether we should shift or reduce. Marked in **red**.



- We could go to the accepting state and reduce, or we could shift.
- Both would be done with the token  $T$  and the token  $E$ .
- Creating the LR(0) parsing table:

0)  $E' \rightarrow E$   
 I)  $E \rightarrow E + T$   
 II)  $E \rightarrow T$   
 III)  $T \rightarrow T * F$   
 IV)  $T \rightarrow F$   
 V)  $F \rightarrow x$

	+	*	x	\$	E	T	F
1			s2		g6	g9	g3
2	rV	rV	rV	rV			
3	rIV	rIV	rIV	rIV			
4			s2			g5	g3
5	rI	s8; rI	rI	rI			
6	s4; r0	r0	r0	a			
7	rIII	rIII	rIII	rIII			
8			s2				g7
9	rII	s8; rII	rII	rII			

● : Shift/reduce conflicts

### 1.3) • Inspecting the shift/reduce conflicts:

	FOLLOW
$E'$	\$
$E$	\$, +
$T$	\$, *, +
$F$	\$, *, +

- i)  $E' \rightarrow E$
- I)  $E \rightarrow E + T$
- II)  $E \rightarrow T$
- III)  $T \rightarrow T * F$
- IV)  $T \rightarrow F$
- V)  $F \rightarrow x$

- We can now update the LR(0) parsing table and make it into an SLR parsing table
- When an item  $A \rightarrow \alpha$  suggests that a state is reducing, we put the reducing action in the table only at tokens in FOLLOW(A)
- We can claim that the grammar is SLR parsable due to the table below:

	+	*	x	\$	E	T	F
1			s2		g6	g9	g3
2	rV	rV		rV			
3	rIV	rIV		rIV			
4			s2			g5	g3
5	rI	s8		rI			
6	s4			a			
7	rIII	rIII		rIII			
8			s2				g7
9	rII	s8		rII			

- Observe that there are no longer any shift/reduce conflicts.