

# Focus Boxes and Equations

This is a x- and y-centered **green focusbox** with 60% width and an unnumbered equation:

$$f(x) = x^2 + 2x + 1$$

We can add some vertical space between elements using the #v( ) command:

This is a **red focusbox** with a numbered equation and larger text.

$$\int_0^\infty e^{-x^2} dx = \frac{\sqrt{\pi}}{2} \quad (1)$$

# Focusbox configuration

The focusbox has several options:

- `bg`: - Background color (blue, red, green, cyan, magenta, yellow, gray, white)
- `text-size`: Font size (e.g., 0.8em, 1.2em)
- `center_x`: Horizontal centering (true/false)
- `center_y`: Vertical centering (true/false)
- `width`: Box width (e.g., 80%, 100%, auto)

We can also use the `#pause` marker to create animated subslides within a slide.

The `#slide` function has these options:

- `headercolor`: Background color (blue, red, green, cyan, magenta, yellow, gray, white) - default: blue
- `title`: Slide title text - default: none
- `center_x`: Horizontal centering (true/false) - default: false
- `center_y`: Vertical centering (true/false) - default: true
- `slide-main-font`: Override main font for this slide only - default: none
- `slide-main-font-size`: Override main font size for this slide - default: none
- `slide-code-font`: Override code font for this slide - default: none
- `slide-code-font-size`: Override code font size for this slide - default: none
- `slide-equation-numbering`: Turn equation numbering on/off for this slide (auto/true/false) - default: auto
- `repeat`: Number of animation subslides (auto = auto-detect from `#pause` markers) - default: auto

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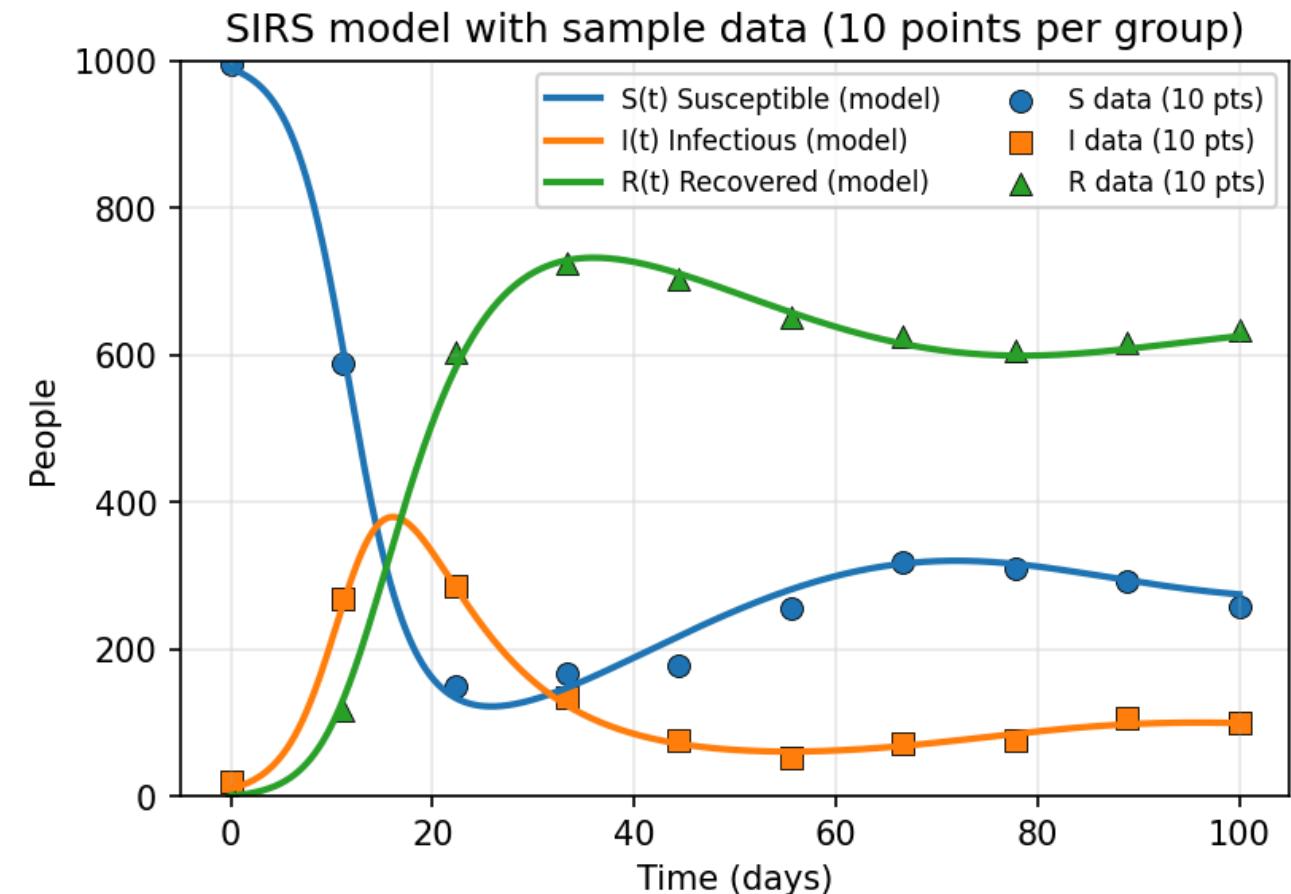
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# Data and Visualization

Day	Susceptible S	Infectious I	Recovered R
0	990	10	0
2	950	35	15
4	880	75	45
6	780	120	100
8	650	155	195
10	520	175	305
12	400	180	420
14	300	165	535



## Python Code

We can embedd Python code for the simulation of an SIRS epidemiological model, using typst built-in code blocks:

```
import numpy as np

def sirs(N, beta, gamma, xi, I0, R0, days, dt):
    t = np.linspace(0, days, int(days/dt) + 1)
    S = np.zeros_like(t); I = np.zeros_like(t); R = np.zeros_like(t)
    S[0] = N - I0 - R0; I[0] = I0; R[0] = R0

    for k in range(len(t) - 1):
        dS = -beta*S[k]*I[k]/N + xi*R[k]
        dI = beta*S[k]*I[k]/N - gamma*I[k]
        dR = gamma*I[k] - xi*R[k]
        S[k+1] = S[k] + dt*dS
        I[k+1] = I[k] + dt*dI
        R[k+1] = R[k] + dt*dR

    return t, S, I, R
```

# Harmonic Oscillator

We can model the motion of a simple harmonic oscillator using the following equation:

$$x(t) = A \sin(\omega t - \varphi) \quad (1)$$

Where:

- $A$  is the amplitude
- $\omega$  is the angular frequency
- $\varphi$  is the phase offset

**Total Energy:** The total mechanical energy  $E$  is the sum of kinetic and potential energy:

$$E = K + U = \frac{1}{2}mv^2 + \frac{1}{2}kx^2 \quad (2)$$

Substituting  $v(t) = \dot{x}(t)$  and using  $k = m\omega^2$ :

$$\begin{aligned} E &= \frac{1}{2}m(A\omega \cos(\omega t))^2 + \frac{1}{2}(m\omega^2)(A \sin(\omega t))^2 \\ &= \frac{1}{2}m\omega^2 A^2 (\cos^2(\omega t) + \sin^2(\omega t)) \\ &= \frac{1}{2}kA^2 \end{aligned} \quad (3)$$