# APPM 4600 - Lab 1

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# 1 Introduction

This is the lab 1 (Jan 14, 2025) report. Completed working with Hannah and Bryce

# 2 Pre-Lab

# 2.1 Part I

```
> python3 --version
Python 3.13.0
~/Desktop/APPM_4600 > 
ancestor directory
Users/ mmiller/ Desktop/
```

Figure 1: Python3 installed.

### 2.2 Part II



Figure 2: APPM4600 directory created with Homework and Labs subdirectories.

# 2.3 Part III



Figure 3: Lab 1 directory created.

# 2.4 Part IV

I have read through the remaining part of the lab document.

# 3 Lab-Day: Welcome to Python

The following subsections pertain to Part III of the lab: Welcome to Python.

# 3.1 Some Basics

```
Python 3.13.0 (main, 0ct 7 2024, 05:02:14) [Clang 15.0.0 (clang-1500.1.0.2.5)] on darwin Type "help", "copyright", "credits" or "license" for more information.
```

Figure 4: Using the Python3 shell.

### 3.1.1 Vectors

Figure 5: Using generic python lists as well as numpy arrays.

# 3.1.2 Printing

```
>>> 3*y
array([3, 6, 9])
>>> print('This is 3y: ', 3*y)
This is 3y: [3 6 9]
>>>
```

Figure 6: Practicing printing values.

# 3.2 Plotting

The following is the code producing a plot of a sine function and a cosine function.

```
2 # Importing Libraries
3 import numpy as np
4 import matplotlib.pyplot as plt
5
6 # Part 3.2 Code: Plotting
7 X = np.linspace(0, 2 * np.pi, 100)
8 Ya = np.sin(X)
9 Yb = np.cos(X)
10
11 plt.plot(X, Ya)
12 plt.plot(X, Yb)
13 plt.show()
```

Figure 7: Plotting Code

The above code in Figure 7 produces the plot below in Figure 8.

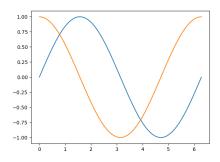


Figure 8: Sine and Cosine Plot.

The variable **X** is essentially a 1-D numpy array created using numpy's **linspace** function. **X** is an array of length 100 meaning that it has 100 evenly spaced numbers beginning at 0 and ending at  $2\pi$ .

# 3.3 Exercises: The Basics

### 3.3.1

The following is the code and output for Question 1.

```
16 # Question 1:

17 x = np.linspace(0, 9, 10)

18 y = np.arange(0, 10, 1)

19 print(x)

20 print(y)
```

Figure 9: Code for Question 1.

```
> python3 Lab_01.py
[0. 1. 2. 3. 4. 5. 6. 7. 8. 9.]
[0 1 2 3 4 5 6 7 8 9]

~/Desktop/APPM_4600/APPM4600/Labs/Lab_01 > 
directory
venv/
```

Figure 10: Output for Question 1.

#### 3.3.2

The following is the code and output for Question 2.

```
24 # Question 2:
25 print(x[:3])
26 print(y[:3])
```

Figure 11: Code for Question 2.

```
[0. 1. 2.]
[0 1 2]
~/Desktop/APPM_4600/APPM4600/Labs/Lab_01 > 
directory
venv/
```

Figure 12: Output for Question 2.

### 3.3.3

The following is the code and output for Question 3.

```
28 # Question 3:
29 print("The first three elements of x are: ", x[:3])
```

Figure 13: Code for Question 3.

```
The first three elements of x are: [0. 1. 2.] 
~/Desktop/APPM_4600/APPM4600/Labs/Lab_01 > directory 
venv/
```

Figure 14: Output for Question 3.

# 3.3.4

The following is the code and output for Question 4.

```
3 # Question 4:
4 w = 10**(-np.linspace(1,10,10))
5 x1 = np.arange(0, len(w), 1)
6 plt.semilogy(x,w)
7 plt.show()
```

Figure 15: Code for Question 4.

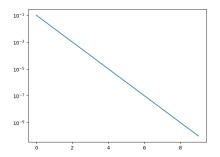


Figure 16: Output for Question 4.

As shown above in the plot in Figure 12, the values of  ${\bf w}$  are: 1.e-01, 1.e-02, 1.e-03, 1.e-04, 1.e-05, 1.e-06, 1.e-07, 1.e-08, 1.e-09, and 1.e-10.

### 3.3.5

The following is the code and output for Question 4.

```
3 # Question 5:
4 s = 3*w
5 plt.semilogy(x,s)
6 plt.show()
```

Figure 17: Code for Question 5.

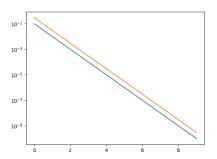


Figure 18: Output for Question 5.

# 4 Practical Code Design

# 4.0.1 Question I

The following is the code and the output for Question 1 of Part 4.

```
indexion of the dot product subroutine
driverl()
Param:
Return:
This function serves as the driver for the dot product subroutine
index def driverl():
    n = 3
    y = [1,0,0]
    w = [0,1,0]
    w = [0,1,0]
    # evaluate the dot product of y and w
    dp = dotProduct(y,w,n)
# print the output
print('the dot product is : ', dp)
return
return
```

Figure 19: Code for Question 1.

Figure 20: Output for Question 1.

### 4.0.2 Question II

The following is the code and the output for Question 2 of Part 4.

```
c...
driverc()
Parama
Parama
Parama
This function serves as the driver for the dot product subroutine for matrix
multiplication.

def driver2():
    small_matrix = np.array([1,2],[3,4])
    small_vector = np.array([5,6])
    large_matrix = np.random.randint(0,10, (100,100))
    large_vector = np.random.randint(0,10, 100)

dps = dotProduct(small_matrix, small_vector, 2)
    print('the matrix multiplication is: ', dps)

dpl = dotProduct(large_matrix, large_vector, 100)
    print('the matrix multiplication is: ', dpl)
    return
```

Figure 21: Code for Question 2.

```
pythod 14:100.197

10:00 of profess 1: 2 22668.2494407875

the ool profess 1: 8.8

the ool profess 1: 8.8

the ool profess 1: 8.8

the satiry multiplication is: [2], 34;

10:00 of profess 2: 8.8

10:00 of profess 2: 8.8
```

Figure 22: Output for Question 2.

### 4.0.3 Question III

Both the dot product and matrix multiplication subroutines can be accomplished using *numpy*'s **dot** function. This function can calculate the inner product of two vectors as well as matrix multiplication of any matrices or matrix vector combination. I believe that the *numpy* function is faster based on the fact it is a widely used and very well maintained python library but I am not certain as I am not too sure how to measure and compare the speed of my code versus the library.