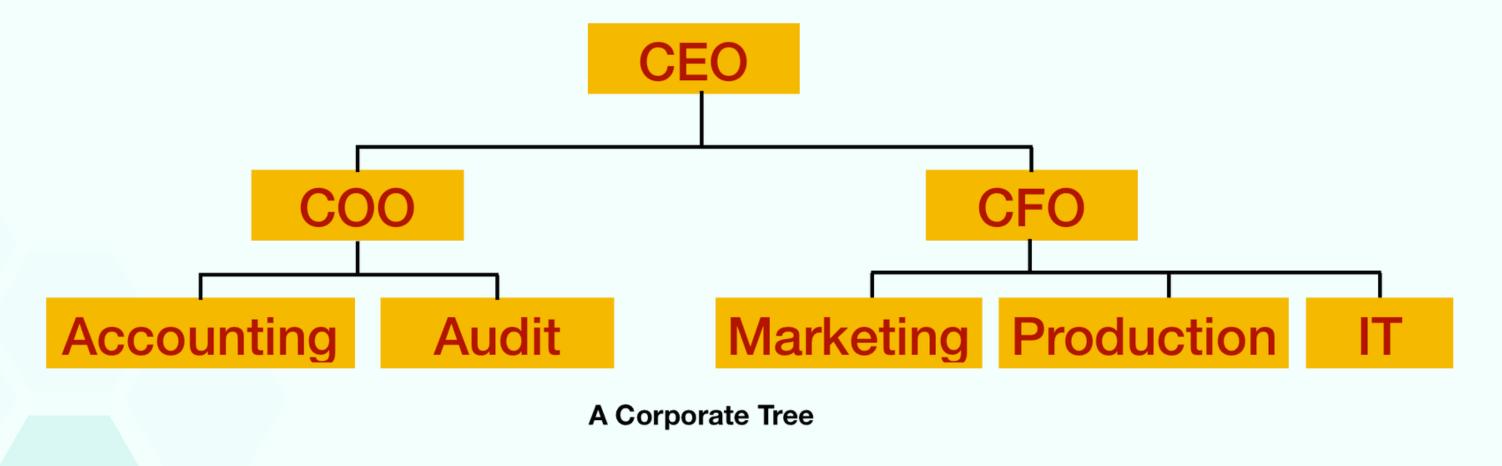
# Intro to data structure & algorithms

by Mariana Makram / ITI-sohag

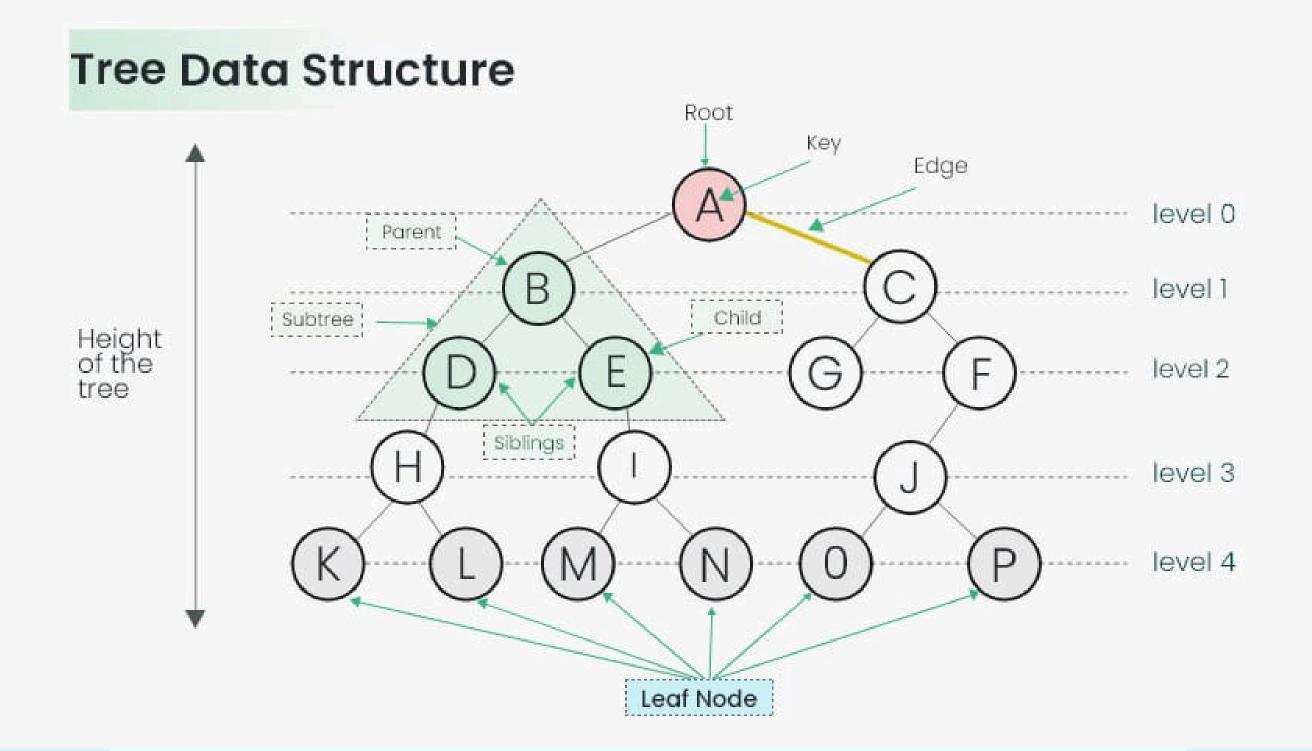
# Classification of Data Structures **Data Structures** Non-Linear Linear Linked Arrays Stacks Queues Lists **Tables Trees** Sets Graphs

#### Tree Data Structures

A tree is a hierarchical data structure in which the elements (known as nodes) are linked together via edges such that there is only one path between any two node of the tree.



#### Tree data structure



#### Types of Tree Data Structure

#### • Binary tree

Each node can have a maximum of two children linked to it.

#### Ternary Tree

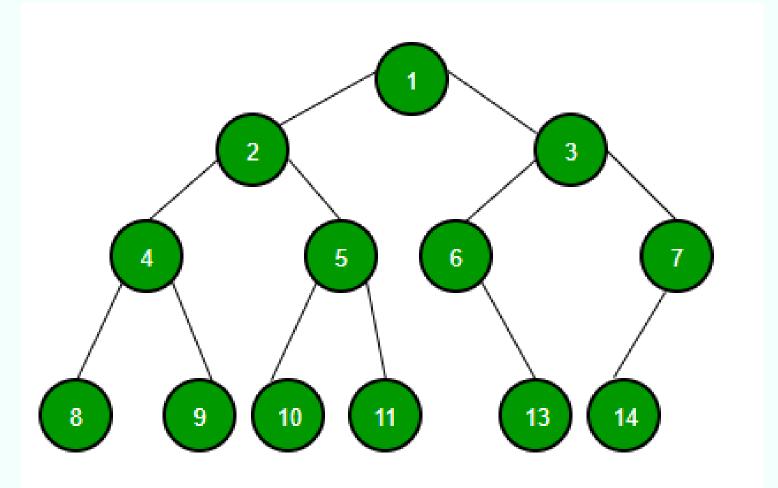
• A Ternary Tree is a tree data structure in which each node has at most three child nodes, usually distinguished as "left", "mid" and "right".

#### N-ary Tree or Generic Tree

- Many children at every node.
- The number of nodes for each node is not known in

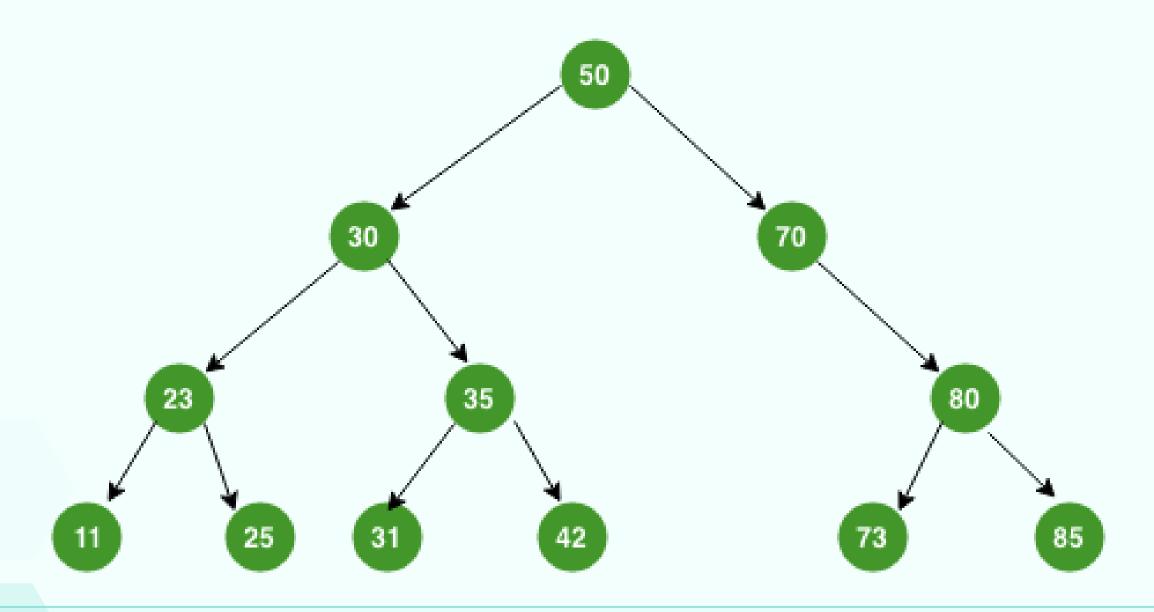
#### Binary tree

A Binary Tree Data Structure is a hierarchical data structure in which each node has at most two children, referred to as the left child and the right child.



#### Binary search tree

Is a Binary Tree with the left child containing values less than the parent node and the right child containing values greater than the parent node.



#### Binary Search Tree (BST)

Binary Search Tree is a node-based binary tree data structure which has the following properties:

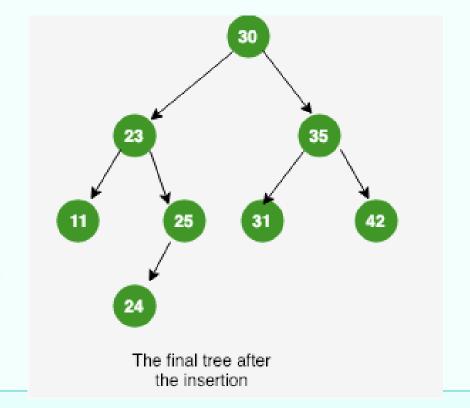
- The left subtree of a node contains only nodes with keys less than the node's key.
- The right subtree of a node contains only nodes with keys greater than the node's key.
- The left and right subtree each must also be a binary search tree.

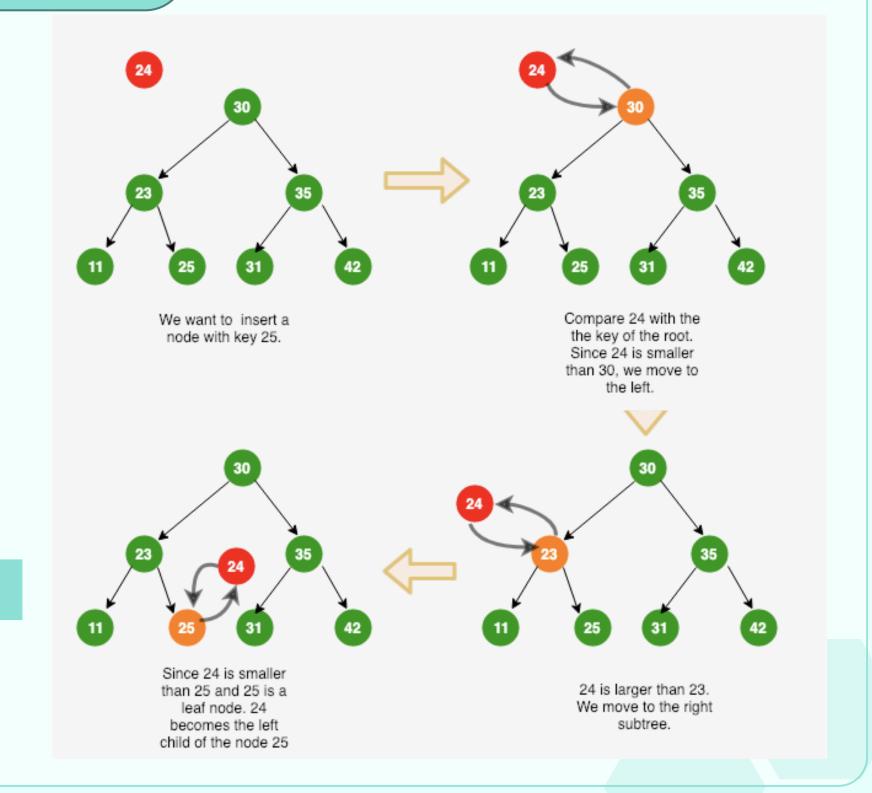
#### Basic Operations Binary Search Tree (BST)

- Insertion in Binary Search Tree
- Searching in Binary Search Tree
- Deletion in Binary Search Tree
- Binary Search Tree (BST) Traversals

### Insertion in Binary Search Tree

- Case 1: BST is empty
- Case 2: BST is not empty

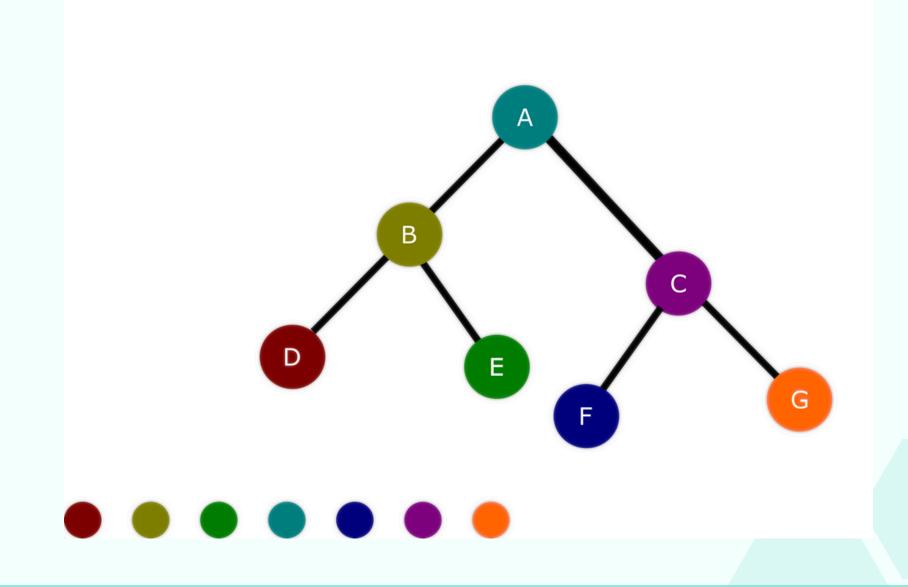




#### Binary Search Tree (BST) Traversals

Traversing a tree means visiting and outputting the value of each node in a particular order.

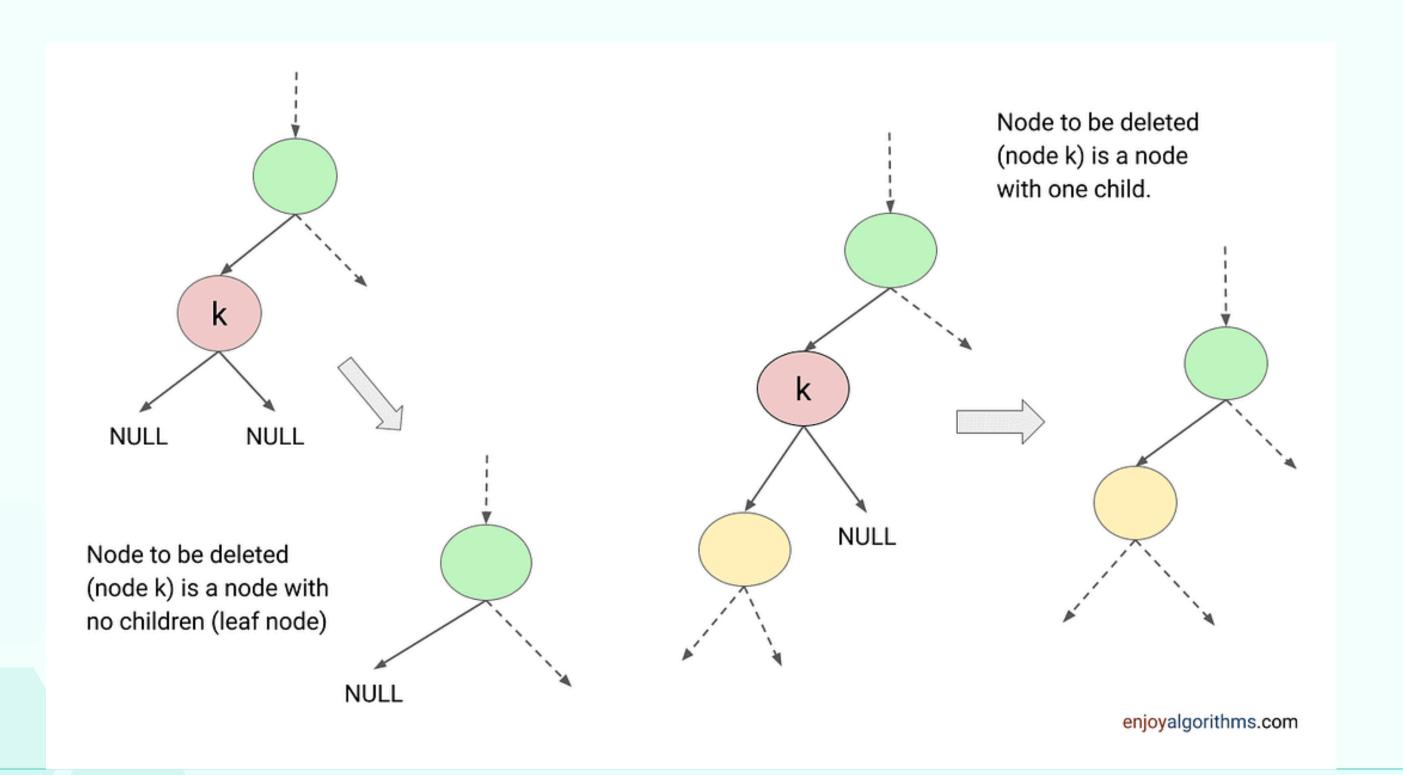
- Inorder => Left, Node, Right.
- Preorder => Node, Left, Right.
- Post order => Left, Right, Node.



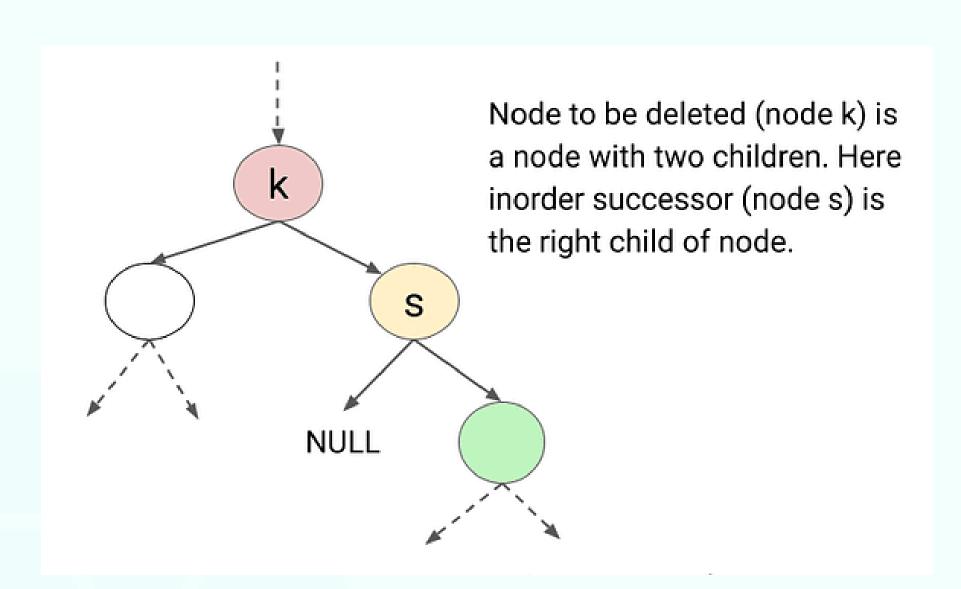
#### Deletion in Binary Search Tree

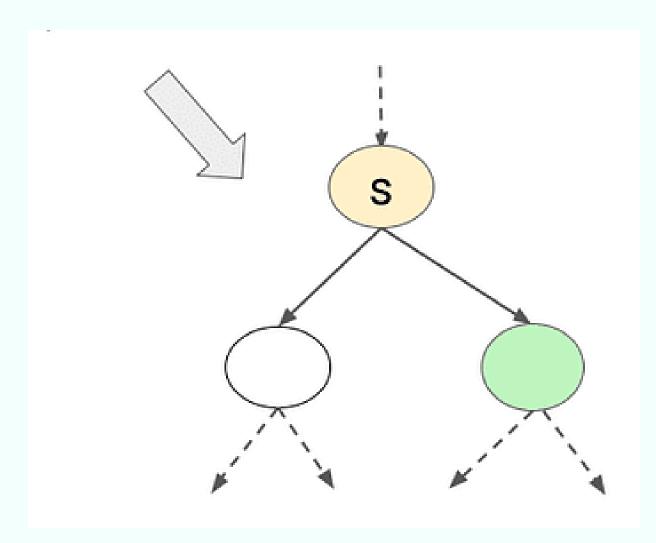
- To delete a node in a BST, we need to:
  - first search for that node.
  - check if there are any nodes present in the left and right subtree of that node.
  - If yes, then we need to appropriately link its subtrees back into the tree somewhere else.
- Case 1: Node to be deleted is a node with no children (leaf node)
- Case 2: Node to be deleted is a node with one child
- Case 3: Node to be deleted is a node with two children

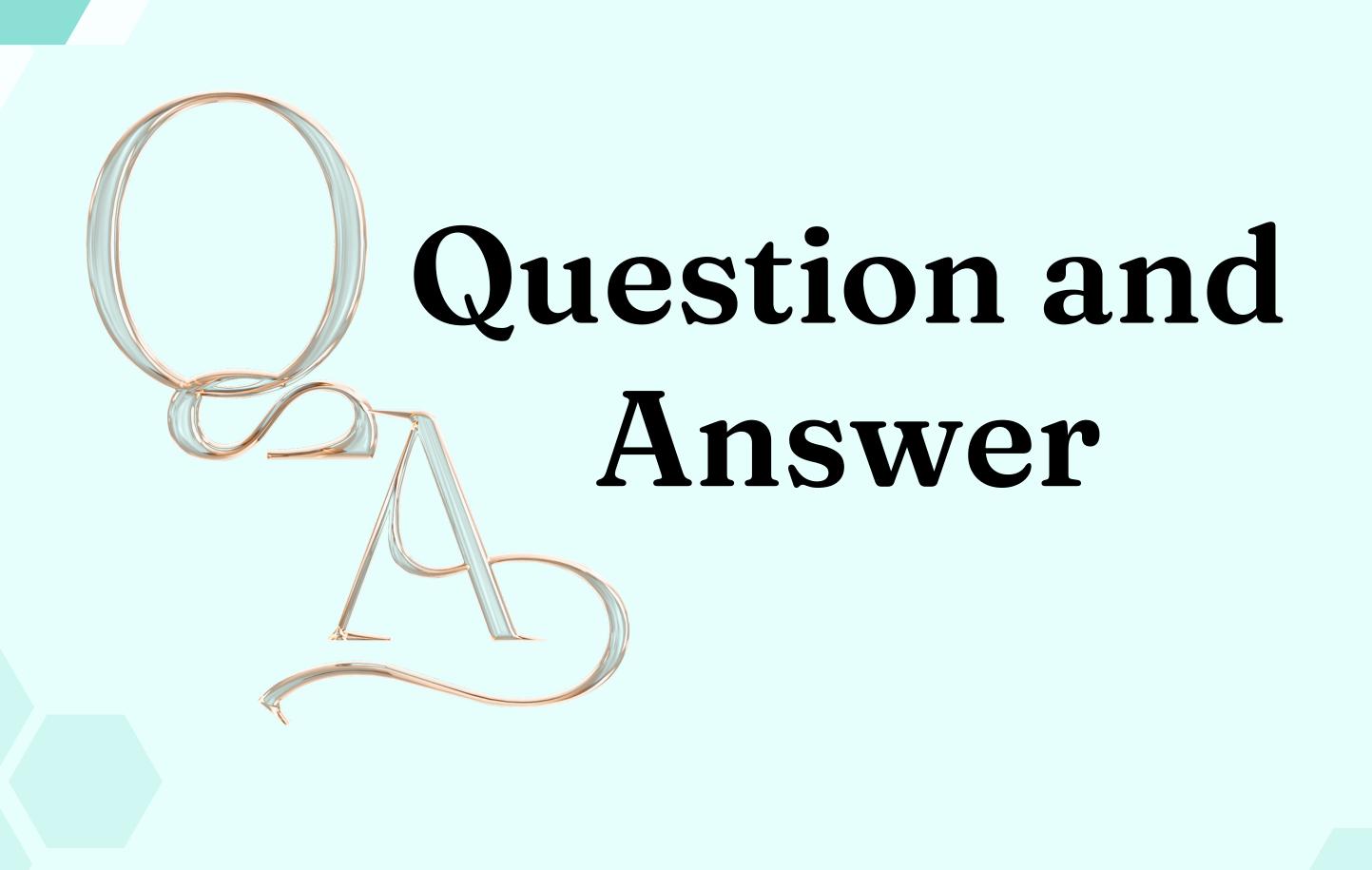
# Deletion in Binary Search Tree



# Deletion in Binary Search Tree







# Thank You