```
> Supplementary code
             for the subsection "In terms of state variables"
> Consider a system of differential equations with the
      following right-hand sides
> eas := [
          -kn1*X*T1 - kn2*X*T2 + kf1*D1 + kf2*D2
          -kn1*X*T1 + kf1*D1 - kn1*T1*D2 + kf1*Y
          -kn2*X*T2 + kf2*D2 - kn2*T2*D1 + kf2*Y
         kn1 * X * T1 - kf1 * D1 - kn2 * T2 * D1 + kf2 * Y
         kn2 * X * T2 - kf2 * D2 - kn1 * T1 * D2 + kf1 * Y
         kn1 * T1 * D2 + kn2 * T2 * D1 - (kf1 + kf2) * Y
eqs := [-kn1 XT1 - kn2 XT2 + kf1 D1 + kf2 D2, -kn1 T1 D2 - kn1 XT1 + kf1 D1 + kf1 Y,
                                                                                                                                                                                   (1)
        -kn^2 T^2 D^2 - kn^2 T^2 + kf^2 D^2 + kf^2 T^2 + kn^2 T^2 D^2 + 
        -kn1 T1 D2 + kn2 XT2 - kf2 D2 + kf1 Y, kn1 T1 D2 + kn2 T2 D1 - (kf1 + kf2) Y
> where X, T1, T2, D1, D2, Y are the state variables and kn1, kn2,
     kf1, kf2 are scalar parameters. The foal is to express the X-, T1-,
     T2- coordinates of a steady state in terms of the remaining
     coordinates and the parameters.
     with (Groebner):
     gb := Basis(egs, plex(T1, T2, X, Y, D1, D2, kn1, kn2, kf1, kf2)):
    factor(gb[1]);
                                         -(kf1\ D1 + kf2\ D2 + Xkf1 + Xkf2)\ (D1\ D2 - XY)
                                                                                                                                                                                   (2)
> The left bracket never vanishes, and the right gives an expression
     of X in terms of Y, D1, D2. Now we add this equation to the set of
     equations and proceed.
     eqs := [op(eqs), X * Y - D1 * D2]:
     gb := Basis(egs, plex(X, T1, T2, Y, D1, D2, kn1, kn2, kf1, kf2)):
    factor(gb[1]);
                                                           (kn2 T2 D1 - kf2 Y) (D1 - D2)
                                                                                                                                                                                   (3)
> Since generically D1 != D2, we get an expression for T2 in terms of
     kn2, kf2, Y, D1. And then similarly for T1:
     gb := Basis(egs, plex(X, T2, T1, Y, D1, D2, kn1, kn2, kf1, kf2)):
     factor(gb[1]);
                                                           (kn1 \ T1 \ D2 - kf1 \ Y) \ (D1 - D2)
                                                                                                                                                                                   (4)
```