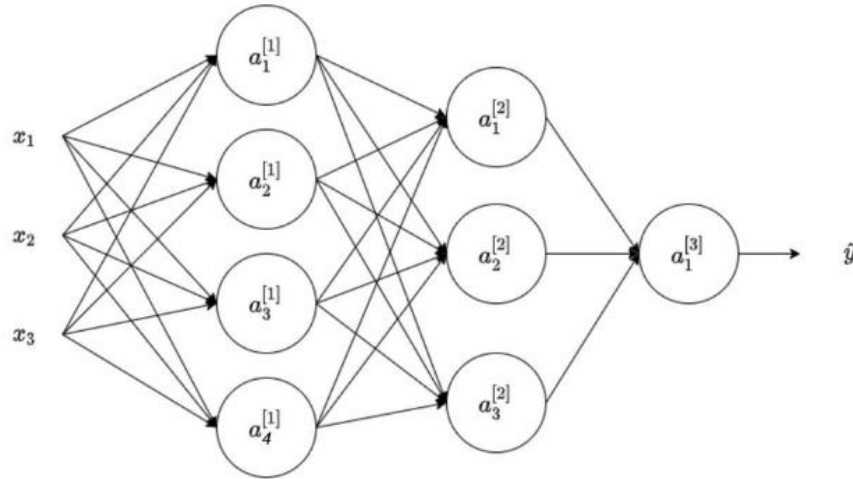


9. Consider the following 2 hidden layers neural network:

1 point



We are given a **3-layer neural network**:

- Input: $x_1, x_2, x_3 \rightarrow$ so input layer size = 3
- Hidden Layer 1: 4 units $\rightarrow a_1^{[1]}, a_2^{[1]}, a_3^{[1]}, a_4^{[1]}$
- Hidden Layer 2: 3 units $\rightarrow a_1^{[2]}, a_2^{[2]}, a_3^{[2]}$
- Output Layer: 1 unit $\rightarrow a_1^{[3]} = \hat{y}$

Formula for weight and bias shapes:

For layer l :

$$W^{[l]} \in \mathbb{R}^{(n^{[l]}, n^{[l-1]})}, \quad b^{[l]} \in \mathbb{R}^{(n^{[l]}, 1)}$$



where

- $n^{[l]}$ = number of units in layer l .
- $n^{[l-1]}$ = number of units in the previous layer.

Step 1: First hidden layer ($l = 1$)

- Previous layer: input size = 3 $\rightarrow n^{[0]} = 3$
- Current layer: $n^{[1]} = 4$



So:

- $W^{[1]} \in \mathbb{R}^{(4,3)}$ 
 - $b^{[1]} \in \mathbb{R}^{(4,1)}$ 
-

Step 2: Second hidden layer ($l = 2$)

- Previous layer: $n^{[1]} = 4$
- Current layer: $n^{[2]} = 3$



So:

- $W^{[2]} \in \mathbb{R}^{(3,4)}$ 
- $b^{[2]} \in \mathbb{R}^{(3,1)}$ 

Step 3: Output layer ($l = 3$)

- Previous layer: $n^{[2]} = 3$
- Current layer: $n^{[3]} = 1$

So:

- $W^{[3]} \in \mathbb{R}^{(1,3)}$ 
 - $b^{[3]} \in \mathbb{R}^{(1,1)}$ 
-

Correct Statements from the options:

- $W^{[1]}$ will have shape (4, 3)
- $b^{[1]}$ will have shape (4, 1)
- $W^{[2]}$ will have shape (3, 4)
- $b^{[2]}$ will have shape (3, 1)
- $W^{[3]}$ will have shape (1, 3)

10. Whereas the previous question used a specific network, in the general case what is the dimension of $b^{[l]}$, the bias vector associated with layer l ?

- ☐ $b^{[l]}$ has shape $(1, n^{[l-1]})$
- ☐ $b^{[l]}$ has shape $(1, n^{[l]})$
- ☐ $b^{[l]}$ has shape $(n^{[l]}, 1)$
- ☐ $b^{[l]}$ has shape $(n^{[l+1]}, 1)$

What is the general dimension of $b^{[l]}$, the bias vector of layer l ?

Step 1: Recall the general formulas

For a given layer l :

- Number of units in layer $l = n^{[l]}$.
- **Weights:**

$$W^{[l]} \in \mathbb{R}^{(n^{[l]}, n^{[l-1]})}$$

- **Biases:**

$$b^{[l]} \in \mathbb{R}^{(n^{[l]}, 1)}$$

- **Activations:**

$$A^{[l]} \in \mathbb{R}^{(n^{[l]}, m)}$$

where m = number of training examples.

Step 2: Why $b^{[l]} \in (n^{[l]}, 1)$?

- Each unit in layer l has **its own bias**.
- So, if there are $n^{[l]}$ units, then $b^{[l]}$ must have **one bias per unit**.
- Since biases are stored as a column vector, the shape is:

$$(n^{[l]}, 1)$$

Good question! Let's sort them out carefully:

Hyperparameters (set by you, not learned during training):

- ☒ **Number of iterations** (you decide how long to train)
- ☒ **Size of the hidden layers ($n^{\{[l]\}}$)** (you design the architecture)
- ☒ **Number of layers (L)** (you choose how deep the network is)
- ☒ **Learning rate (α)** (you set the step size for updates)

Not Hyperparameters (these are learned values or results of computation):

- **✗ Bias vectors ($\mathbf{b}^{\{l\}}$)** → learned during training
- **✗ Weight matrices ($\mathbf{W}^{\{l\}}$)** → learned during training
- **✗ Activation values ($\mathbf{a}^{\{l\}}$)** → computed outputs, not set manually

👉 So the **hyperparameters** are:

Number of iterations, Size of hidden layers, Number of layers, Learning rate.