

D.S (Theory)

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* Algorithmic notation

- => Steps , Go to step n, Exit
- => Comment's are written in [square bracket]
- => Variable names use capital letters, MAX
- => Assignment Statement : =
- => Read : write :

* Storing String

i] Record oriented, fixed length storage

In fixed-length storage each line of print is viewed as a record, where all records have same length i.e where each record accommodates same number characters. These records have maximum length 80.

ii] Variable length storage with fixed maximum

iii] Linked Storage

* Character Data Type

i) Static: a variable whose length is defined before the program is executed and cannot change throughout program.

ii) Semistatic: a variable whose length may vary during execution of program as long as length does not exceed a maximum value determined by program before the program is executed.

Complexity of first pattern matching algorithm = $O(n)$
Second = $O(n)$

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iii) dynamic: A variable whose length can change during execution of program.

* String operations:

- i) SubString (string, initial, length)
- ii) Index (text, pattern)
- iii) length (string)
- iv) Concatenation $S_1 \amalg S_2$

* Word Processing:

- i) Insertion (text, position, string)
- ii) DELETE (text, position, length)
- iii) REPLACE (text, pattern1, pattern2)

* Two - Dimensional Array

Row- Major order

$$LOC[A[j, k]] = \text{BaseA} + w[N(j-1) + (k-1)]$$

Column- Major order

$$LOC[A[j, k]] = \text{BaseA} + w[M(k-1) + (j-1)]$$

* 3-D Array: Column - Major order $(E_3 L_2 + E_2) L_1 + E_1$

* Pointer Array: An array PTR is called a pointer array if each element of PTR is pointer.

* Record: is a collection of related data items.

* Sparse Matrices : Matrices with relatively high proportion of zero entries are called Sparse Matrices.

$$L = UB - LB + 1$$

$$E = k - LB$$

* Garbage Collection: The operating system of a computer may periodically collect all deleted space onto free storage list. This technique is called garbage collection.

* Memory allocation: The maintenance of linked list in memory assumes possibility of inserting new nodes into lists and hence requires some mechanism which provides unused memory space for the new nodes.

* Header linked list: It always contains a special node, called header node at beginning of list. There are two types of header linked list.

i] Grounded header list: Last node contains NULL pointer.

ii] Circular header list: Last node points back to the header node.

* Two-way list: It can be traversed in two direction. Collection of nodes. Each node N is divided into three parts.

i] Information field INFO

ii] Pointer field FORWARD contain location of Next node.

iii] Pointer field BACK contain location of preceding node.

* Polish Notation: in which operator symbol is placed before two operand.

* Reverse polish Notation: operator symbol is placed after two operand.

* Quick Sort: It is an algorithm of divide and conquer type. That is a problem of sorting a set is reduced to problem of sorting two smaller sets.

* Recursion: a function calls itself directly or indirectly.

* Deque: Elements can be added or removed at either end but not in middle. (Double-ended queue)

* Priority Queue: Collection of elements such that each element has been assigned a priority.

Algorithm : Array

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1] Traversing Array:

1. Set $k := LB$
2. Repeat step 3 and 4 while $k \leq UB$
3. Apply PROCESS to $LA[k]$
4. Set $k := k + 1$
[End of step 2 Loop]
5. Exit

2] Insertion

INSERT(LA, N, K, ITEM)

1. Set $J := N$
2. Repeat steps 3 and 4 while $J \geq K$
3. Set $LA[J+1] := LA[J]$
4. Set $J := J - 1$ [End of step 2 loop]
5. Set $LA[K] := ITEM$
6. Set $N := N + 1$
7. Exit

3] Deletion

DELETE(LA, N, K, ITEM)

1. Set $ITEM := LA[K]$
2. Repeat for $J = K$ to $N-1$:
Set $LA[J] := LA[J+1]$
[End of loop]
3. Set $N := N - 1$
4. Exit

4) BUBBLESORT(DATA, N)

1. Repeat steps 2 and 3 for $k = 1$ to $N - 1$
2. Set PTR := 1
3. Repeat while $PTR \leq N - k$:
 If $DATA[PTR] > DATA[PTR + 1]$, then:
 Interchange $DATA[PTR]$ and $DATA[PTR + 1]$
4. Set PTR := PTR + 1
5. Exit

5) LINEAR SEARCH(DATA, N, ITEM, LOC)

1. Set $DATA[N + 1] := ITEM$.
2. Set LOC := 1.
3. Repeat while $DATA[LOC] \neq ITEM$:
4. Set LOC := LOC + 1.
5. If $LOC = N + 1$, then:
6. Set LOC := 0
7. Exit

6) BINARYSEARCH(DATA, LB, UB, ITEM, LOC)

1. Set BEGIN := LB, END := UB
 $MID = INT \left(\frac{BEGIN + END}{2} \right)$

2. Repeat steps 3 and 4 while

$BEGIN \leq END$ and $DATA[MID] \neq ITEM$

3. If $ITEM < DATA[MID]$, then:
 Set END := MID - 1.

Else

 Set BEGIN := MID + 1.

4. Set $MID = INT \left(\frac{BEGIN + END}{2} \right)$

5. If $\text{DATA}[\text{MID}] = \text{ITEM}$, then:

Set $\text{LOC} := \text{MID}$.

Else:

Set $\text{LOC} := \text{NULL}$.

6. Exit

7. $\text{LARGE} + \text{SecondLARGE}(\text{DATA}, \text{N}, \text{LOC1}, \text{LOC2})$

1. Set $\text{FIRST} := \text{DATA}[1]$

$\text{SECOND} := \text{DATA}[2]$

$\text{LOC1} := 1$

$\text{LOC2} := 2$

2. If $\text{FIRST} < \text{SECOND}$, then:

a) INTERCHANGE FIRST and SECOND .

b) Set $\text{LOC1} := 2$ and $\text{LOC2} := 1$

3. Repeat for $k = 3$ to N :

If $\text{FIRST} < \text{DATA}[k]$, then:

a) Set $\text{SECOND} := \text{FIRST}$ and

$\text{FIRST} := \text{DATA}[k]$

b) Set $\text{LOC2} := \text{LOC1}$ and

$\text{LOC1} := k$

Else if $\text{SECOND} < \text{DATA}[k]$, then:

Set $\text{SECOND} := \text{DATA}[k]$ and

$\text{LOC2} := k$.

4. Exit

8) First Pattern matching [Slow]

1. Set $K := 1$ and $MAX := S - R + 1$

2. Repeat steps 3 to 5 while $K \leq MAX$:

3. Repeat for $L = 1$ to R :

If $P[L] \neq T[K+L-1]$, then:

Go to step 5.

4. Set $INDEX = K$, and Exit. [Pass]

5. Set $K := K + 1$.

6. Set $INDEX = 0$. [Fail]

7. Exit

9) Second pattern matching [Fast]

1. Set $K := 1$ and $S_1 = \emptyset$.

2. Repeat steps 3 to 5 while $S_K \neq P$ and $K \leq N$

3. Read T_K

4. Set $S_{K+1} := F(S_K, T_K)$

5. Set $K := K + 1$

6. IF $S_K = P$, then:

$INDEX = K - LENGTH(P)$.

Else:

$INDEX = 0$.

7. Exit.

Algorithm: Linked List

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1) Traversing:

1. Set PTR := START
2. Repeat steps 3 and 4 while PTR \neq NULL
3. Apply PROCESS to INFO[PTR]
4. Set PTR := LINK[PTR]
5. Exit

2) SEARCHING (sorted)

SEARCHL (INFO, LINK, START, ITEM, LOC)

1. Set PTR := START.
2. Repeat step 3 while PTR \neq NULL
3. If ITEM < INFO[PTR], then:
 Set PTR := LINK[PTR]
- Else if ITEM = INFO[PTR], then:
 Set LOC := PTR, Exit
- Else:
 Set LOC := NULL, Exit
4. Set LOC := NULL
5. Exit

3) Searching (unsorted)

1. Set PTR := START
2. Repeat step 3 while PTR \neq NULL
3. If ITEM = INFO[PTR], then:
 Set LOC := PTR, EXIT.
- Else:
 Set PTR := LINK[PTR]
4. Set LOC := NULL
5. Exit.

4) Insertion at beginning

INSFIRST(INFO, LINK, START, AVAIL, ITEM)

1. If AVAIL=NULL, then:

 write: OVERFLOW and Exit.

2. Set NEW:= AVAIL and

 AVAIL:= LINK[AVAIL]

3. Set INFO[NEW]:= ITEM.

4. Set LINK[NEW]:= START

5. Set START:= NEW

6. Exit

5) Insertion after given node.

INSLOC(INFO, LINK, START, AVAIL, LOC, ITEM)

1. If AVAIL=NULL, then:

 write: OVERFLOW, Exit

2. Set NEW:= AVAIL

 AVAIL:= LINK[AVAIL]

3. Set INFO[NEW]:= ITEM

4. If LOC=NULL, then:

 Set LINK[NEW]:= START

 START:= NEW

Else :

 Set LINK[NEW]:= LINK[LOC]

 LINK[LOC]:= NEW

5. Exit.

6) Insertion into sorted linked list.

FINDA(INFO, LINK, START, ITEM, LOC)

1. If $START = \text{NULL}$ then:

Set $LOC := \text{NULL}$ and Return.

2. If $ITEM < \text{INFO}[\text{START}]$, then:

Set $LOC := \text{NULL}$ and Return.

3. Set $SAVE := \text{START}$

$\text{PTR} := \text{LINK}[\text{START}]$

4. Repeat steps 5 and 6 while $\text{PTR} \neq \text{NULL}$

5. If $ITEM < \text{INFO}[\text{PTR}]$, then:

Set $LOC := \text{SAVE}$, and Return.

6. Set $SAVE := \text{PTR}$ and $\text{PTR} := \text{LINK}[\text{PTR}]$

7. Set $LOC := \text{SAVE}$.

8. Return.

INSERT(INFO, LINK, START, AVAIL, ITEM)

1. Call FINDA(INFO, LINK, START, LOC, ITEM)

2. Call INSLOC(INFO, LINK, START, AVAIL, LOC)

3. Exit.

7) Deleting a Node following given Node.

DEL(INFO, LINK, START, AVAIL, LOC, LOCp)

1. If $LOCp = \text{NULL}$, then:

Set $START := \text{LINK}[\text{START}]$.

Else

Set $\text{LINK}[LOCp] := \text{LINK}[LOC]$

2. Set $\text{LINK}[LOC] := \text{AVAIL}$

$\text{AVAIL} := LOC$

3. Exit

* Traversing Circular Header List

1. Set PTR := LINK[START]
2. Repeat steps 3 and 4 while PTR ≠ START
3. Apply PROCESS to INFO[PTR]
4. Set PTR := LINK[PTR]
5. Exit

* Linked Representation of Queue:

- 1) INSERT(INFO, LINK, FRONT, REAR, AVAIL)
 1. If AVAIL = NULL, then
write: OVERFLOW and Exit.
 2. Set NEW := AVAIL and
AVAIL := LINK[AVAIL].
 3. INFO[NEW] := ITEM and
LINK[NEW] := NULL
 4. If (FRONT = NULL) then,
FRONT = REAR = NEW
else set LINK[REAR] := NEW and
REAR = NEW
5. Exit

2. DELETE(INFO, LINK, FRONT, REAR, AVAIL)

1. if (FRONT = NULL) then, write: UNDERFLOW
2. Set TEMP := FRONT
3. ITEM := INFO[TEMP]
4. FRONT := LINK[TEMP]
5. LINK[TEMP] := AVAIL and
AVAIL := TEMP
6. Exit

STACK

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Array Representation:

* PUSH(STACK, TOP, MAXSTK, ITEM)

1. IF TOP = MAXSTK, then:

Point: OVERFLOW, and Return.

2. Set TOP := TOP + 1.

3. Set STACK[TOP] := ITEM

4. Return.

* POP(STACK, TOP, ITEM)

1. IF TOP = 0, then:

Point: UNDERFLOW, and Return.

2. Set ITEM := STACK[TOP].

3. Set TOP := TOP - 1.

4. Return.

Linked Representation:

* PUSH(INFO, LINK, TOP, AVAIL, ITEM)

1. If AVAIL = NULL, then:

write: OVERFLOW and Exit.

2. Set NEW := AVAIL and AVAIL := LINK[AVAIL]

3. INFO[NEW] := ITEM

4. LINK[NEW] := TOP

5. TOP := NEW

6. Exit.

* POP(INFO, LINK, TOP, AVAIL, ITEM)

1. If TOP = NULL, then: write: UNDERFLOW

2. Set ITEM := INFO[TOP]

3. Set TEMP := TOP & TOP = LINK(TOP)

4. Set LINK(TEMP) = AVAIL & AVAIL = TEMP

5. Exit

* Factorial using Recursion :

FACT(FACT, N)

1. If $N=0$, then: Set FACT:=1, Return.
2. Set FACT:=1.
3. Repeat for $k=1$ to N .
 Set FACT := $k * \text{FACT}$.
4. Return.

FACT(FACT, N)

1. If $N=0$, then: set FACT:=1, Return.
2. CALL FACT(FACT, N-1)
3. Set FACT := $N * \text{FACT}$
4. Return

* FIBONACCI(FIB, N)

1. If $N=0$ and $N=1$, then: Set FIB:=N
2. Call FIBONACCI(FIBA, N-2);
3. Call FIBONACCI(FIBB, N-1);
4. Set FIB := FIBA + FIBB
5. Return.

Queue

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* Array Representation:

* QINSERT(QUEUE, N, FRONT, REAR, ITEM)

1. If FRONT = 1 and REAR = N

or if FRONT = REAR + 1, then:

Write: OVERFLOW and Return.

2. If FRONT := NULL

Set FRONT := 1 and REAR := 1

Else if REAR = N, then:

Set REAR := 1

Else:

Set REAR := REAR + 1

3. Set QUEUE[REAR] := ITEM

4. Return

* QDELETE(QUEUE, N, FRONT, REAR, ITEM)

1. If FRONT := NULL, then:

Write: UNDERFLOW, return.

2. Set ITEM := QUEUE[FRONT]

3. If FRONT = REAR, then:

Set FRONT := NULL

and REAR := NULL

Else if FRONT = N, then:

Set FRONT := 1

Else:

Set FRONT := FRONT + 1.

4. Return

- * Fixed length string: we already declare the size or size of string to be stored in memory. It has disadvantages of memory waste.
- * Variable length string: These type of string have ability to change their size during execution of program.
- * Linked string: It stores the string in nodes.

5. Tree

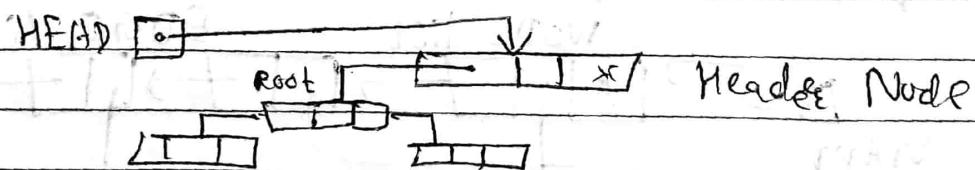
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* **Tree:** Data frequently contain a hierarchical relationship between various elements. The d.s which represent this relationship is called tree.

* **Binary Tree :** It is a finite set of elements, called nodes. such that:

- i) T is empty (null tree or empty tree)
- ii) T contains distinguished node R, called root of T, and remaining nodes of T form and ordered pair of disjoint binary trees T_1 & T_2 .

* **Header Node:** Sometimes, special node called header node, is added to beginning of T. When this extra node is used, free pointer variable, which we will call HEAD , will point to header node and left pointer of header node points to root of T.



* **Binary Search Tree:** The value value at N (middle) is greater than every value in left subtree of N and is less than every value in right subtree of N.

* HEAP: H is called heap, if every node N of H has following property:
The value at N is greater than or equal to value at each of children of N.

Graph

* A Graph consist of two things:

- 1) A set V of element's called vertices
- 2) A set E of edges. $e = [u, v]$

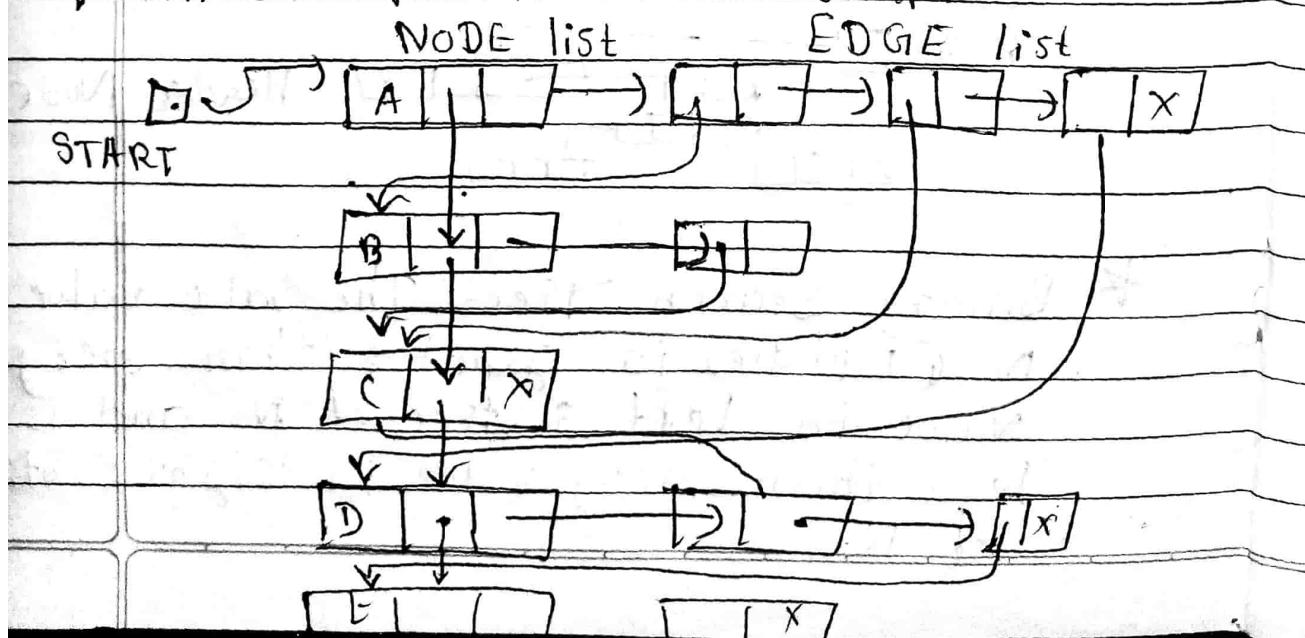
* Adjacency Matrix

$$a_{ij} = \begin{cases} 1 & \text{if } v_i \text{ is adjacent to } v_j \\ 0 & \text{otherwise} \end{cases}$$

* Path matrix:

$$p_{ij} = \begin{cases} 1 & \text{if there is path from } v_i \text{ to } v_j \\ 0 & \text{otherwise} \end{cases}$$

* Linked representation of Graph:



* Breadth-First Search: First we examine starting node A. Then we examine all neighbors of A. Then we examine all neighbors of neighbors of A and so on. Such that no node is processed more than once. This is accomplished by using a queue to hold nodes that are waiting to be processed.

* Depth First Search: First we examine starting node A. Then we examine each node N along a path P which begins at A; i.e. we process neighbor of A. Then neighbor of neighbor of A.

* Selection Sort: First find smallest element and put it in first position. Then find second smallest element and put it in second position and so on.

* Insertion Sort: Scans array from $A[1]$ to $A[n]$, insert each element into its proper position.