

## DAA Assignment 5

\* Aim : Write a recursive program to find the solution of placing  $n$  queens of chess so that no queens attack each other using backtracking.

\* Theory

- The  $n$ -queen is the problem of placing  $N$  queens on  $N \times N$  chessboard so that no two queens attack each other.

- Mathematically, it can be represented by : If two queens are placed at position  $(i, j)$  &  $(k, l)$  where  $i$  &  $k$  are row indices &  $j$  &  $l$  are column indices.

$i \neq k$  (no same row)

$j \neq l$  (no same column)

$|i - k| \neq |j - l|$  (no same diagonal)

where  $i, j, l, k \in \{1, 2, \dots, 8\}$  for 8-queen problem.

- One of the solutions to 8 queen problem is  $X = \{3, 6, 2, 7, 1, 4, 8, 5\}$

\* Algorithm

{



```

k = l
for (i = l, i ≤ n; i++)
{
    if placeQ(k, i) then
    {
        x[k] = i
        if (k = n) then write (x[l:n])
        else NQueens (k + l : n)
    }
}

```

\* Input : N is no of queens placed on  $N \times N$  chessboard.  
K is the queen no to be placed on board.

\* Output: A solution  $x[l:n]$  representing valid column position of n-queens.

\* Conclusion: Thus we solved n-queen problem using backtracking & branch & bound function.