Part-1

1: Brief description of algorithm, including references to sources used.

Logistic regression is a classification algorithm, used to predict the labels by training the classifier. To attempt classification, one method is to use linear regression and map all predictions greater than 0.5 as a 1 and all less than 0.5 as a 0. However, this method doesn't work well because classification is not actually a linear function and performs poorly. Hence, logistic regression uses an activation function(sigmoid) which fixes the issue and predicts the values between 0 and 1.

Sources - Coursera: Machine learning by Andrew Ng https://www.coursera.org/learn/machine-learning

```
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt
import random
```

Implementation of Logistic regression

```
def sigmoid(x):
 return 1/(1+np.exp(-x))
def model(X, y, learning_rate, iterations):
 m = X.shape[1] #training example
 n = X.shape[0] #number of features
 w = np.zeros((n,1))
 cost_list = []
  for i in range(iterations):
    z = np.dot(w.T, X) + b
    a = sigmoid(z) #probabilistic predictions
    cost = -(1/m)*np.sum(y*np.log(a) + (1-y)*np.log(1-a))
    dw = (1/m)*np.dot(a - y, X.T)
    db = (1/m)*np.sum(a - y)
    w = w - learning_rate*dw.T
    b = b - learning_rate*db
    cost_list.append(cost)
    if(i%iterations/5 == 0):
      print("cost after ", i, "iteration is : ", cost)
  return w, b, cost_list
def accuracy(x, y, w, b):
 z = np.dot(w.T, x) + b
 a = sigmoid(z)
 a = a > 0.5
 a = np.array(a, dtype = 'int64')
 acc = (1 - np.sum(np.absolute(a - y))/y.shape[1])*100
 print("Accuracy of the model is : ", acc, "%")
```

Part -2

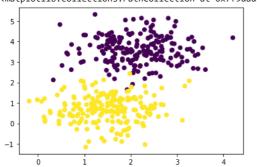
1. Code to read in a dataset with variable number of training cases and attributes, and divide it into a training set, validation set and testing set.

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# Use pandas to read the CSV file as a dataframe
df_blobs = pd.read_csv("blobs400.csv")
df_moons = pd.read_csv("moons500.csv")
# The y values are those labelled 'Class': extract their values
y_blobs = df_blobs['Class'].values
y_moons = df_moons['Class'].values
\mbox{\tt\#} The x values are all other columns
del df_blobs['Class']  # drop the 'Class' column from the dataframe
X blobs = df blobs.values # convert the remaining columns to a numpy array
\mbox{\tt\#} The x values are all other columns
del df_moons['Class']  # drop the 'Class' column from the dataframe
X moons = df moons.values
                             # convert the remaining columns to a numpy array
print(len(X_blobs))
print(len(y_blobs))
print(len(X moons))
print(len(y_moons))
print(X_moons.shape),print(y_moons.shape),print(X_blobs.shape),print(y_blobs.shape)
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     400
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     (500, 2)
     (500,)
     (400, 3)
     (400,)
     (None, None, None, None)
```

0

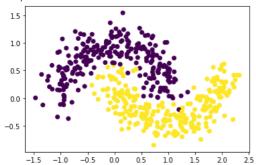
plot X[0] vs X[1] and colour points according to the class, y plt.scatter(X_blobs[:,0], X_blobs[:,1], c=y_blobs)

<matplotlib.collections.PathCollection at 0x7f9dad3e7b50>



plot X[0] vs X[1] and colour points according to the class, y plt.scatter(X_moons[:,0], X_moons[:,1], c=y_moons)

<matplotlib.collections.PathCollection at 0x7f9dacb02550>



Blobs dataset: train the logistic regressor, use the validation set if needed, and test on the test set

```
#splitting our data into training, validation and testing blobs dataset
from sklearn.model_selection import train_test_split
Xb, \ X\_testblobs, \ y_b, \ y\_testblobs = train\_test\_split(X\_blobs, \ y\_blobs, train\_size=0.8, \ test\_size=0.2, \ random\_state=1)
Xb, X_valblobs, yb, y_valblobs = train_test_split(Xb, yb,train_size=0.75, test_size=0.25, random_state=1)
```

Xb.shape, X testblobs.shape, yb.shape, ytestblobs.shape, X valblobs.shape, y_valblobs.shape

Moons dataset: train the logistic regressor, use the validation set if needed, and test on the test sett

```
#splitting our data into training, validation and testing moons dataset
from sklearn.model_selection import train_test_split
Xm, X_testmoons, ym, y_testmoons = train_test_split(X_moons, y_moons,train_size=0.8, test_size=0.2, random_state=1)
\label{local_model} \mbox{Xm, $X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbox{ } \mbox{$X$\_valmoons, ym, y$\_valmoons = train$\_test$\_split($Xm$, ym, train$\_size=0.75$, test$\_size=0.25$, random$\_state=1$)} \mbox{ } \mbo
\label{lem:main_constraints} Xm.shape, X\_testmoons.shape, y\_testmoons.shape, X\_valmoons.shape, y\_valmoons.shape, y\_val
              ((300, 2), (100, 2), (300,), (100,), (100, 2), (100,))
# blobs training dataset
xt trainblobs = Xb.T
# You can transpose the y data using 'reshape'
y1_trainblobs = np.reshape(yb, (len(yb),1))
print ("np.shape(yt_blobs):", np.shape(y1_trainblobs))
(nsamples, nattribs) = np.shape(y1_trainblobs)
print ("y1_trainblobs transpose: nsamples =", nsamples, ", nattribs =", nattribs)
yt_trainblobs = y1_trainblobs.T
# moons training dataset
xt trainmoons = Xm.T
# You can transpose the y data using 'reshape'
y1\_trainmoons = np.reshape(ym, (len(ym),1))
print ("np.shape(yt_moons):", np.shape(y1_trainmoons))
(nsamples, nattribs) = np.shape(y1_trainmoons)
print ("y1_trainmoons transpose: nsamples =", nsamples, ", nattribs =", nattribs)
yt_trainmoons = y1_trainmoons.T
             np.shape(yt blobs): (240, 1)
             y1_trainblobs transpose: nsamples = 240 , nattribs = 1
             np.shape(yt_moons): (300, 1)
             y1_trainmoons transpose: nsamples = 300 , nattribs = 1
print("Shape of xt_trainblobs : ", xt_trainblobs.shape)
print("Shape of yt_trainblobs : ", yt_trainblobs.shape)
print("Shape of xt_trainmoons : ", xt_trainmoons.shape)
print("Shape of yt_trainmoons : ", yt_trainmoons.shape)
             Shape of xt_trainblobs : (3, 240)
             Shape of yt_trainblobs : (1, 240)
             Shape of xt_trainmoons : (2, 300)
             Shape of yt_trainmoons : (1, 300)
#blobs dataset
xt_valblobs = X_valblobs.T
# You can transpose the y_valblobs data using 'reshape'
y1_valblobs = np.reshape(y_valblobs, (len(y_valblobs),1))
print ("np.shape(yt_valblobs):", np.shape(y1_valblobs))
 (nsamples, nattribs) = np.shape(y1_valblobs)
print ("y transpose: nsamples =", nsamples, ", nattribs =", nattribs)
yt_valblobs = y1_valblobs.T
#moons dataset
xt_valmoons = X_valmoons.T
\# You can transpose the y_valmoons data using 'reshape'
y1_valmoons = np.reshape(y_valmoons, (len(y_valmoons),1))
print ("np.shape(yt_valmoons):", np.shape(y1_valmoons))
(nsamples, nattribs) = np.shape(y1_valmoons)
print ("y transpose: nsamples =", nsamples, ", nattribs =", nattribs)
yt_valmoons = y1_valmoons.T
             np.shape(yt_valblobs): (80, 1)
             y transpose: nsamples = 80 , nattribs = 1
             np.shape(yt_valmoons): (100, 1)
             y transpose: nsamples = 100 , nattribs = 1
print("Shape of xt_valblobs : ", xt_valblobs.shape)
print("Shape of yt_valblobs : ", yt_valblobs.shape)
```

```
print("Shape of xt_valmoons : ", xt_valmoons.shape)
print("Shape of yt_valmoons : "
      ("Shape of yt_valmoons : ", yt_valmoons.shape)
Shape of xt_valblobs : (3, 80)
     Shape of yt_valblobs : (1, 80)
     Shape of xt_valmoons : (2, 100)
Shape of yt_valmoons : (1, 100)
#blobs dataset
xt_testblobs = X_testblobs.T
\# You can transpose the y_valblobs data using 'reshape'
y1_testblobs = np.reshape(y_testblobs, (len(y_testblobs),1))
print ("np.shape(yt_valblobs):", np.shape(y1_testblobs))
(nsamples, nattribs) = np.shape(y1_testblobs)
print ("y transpose: nsamples =", nsamples, ", nattribs =", nattribs)
yt_testblobs = y1_testblobs.T
#moons dataset
xt_testmoons = X_testmoons.T
# You can transpose the y_valmoons data using 'reshape'
y1\_testmoons = np.reshape(y\_testmoons, (len(y\_testmoons),1))
print ("np.shape(y1_testmoons):", np.shape(y1_testmoons))
(nsamples, nattribs) = np.shape(y1_testmoons)
print ("y transpose: nsamples =", nsamples, ", nattribs =", nattribs)
yt_testmoons = y1_testmoons.T
     np.shape(yt_valblobs): (80, 1)
     y transpose: nsamples = 80 , nattribs = 1
     np.shape(y1_testmoons): (100, 1)
     y transpose: nsamples = 100 , nattribs = 1
print("Shape of xt_testblobs : ", xt_testblobs.shape)
print("Shape of yt_testblobs : ", yt_testblobs.shape)
print("Shape of xt_testmoons : ", xt_testmoons.shape)
print("Shape of yt_testmoons : ", yt_testmoons.shape)
     Shape of xt_testblobs : (3, 80)
     Shape of yt_testblobs : (1, 80)
     Shape of xt_testmoons : (2, 100)
     Shape of yt_testmoons : (1, 100)
iterations = 1000
learning rate = 0.001
w1, b1, cost_list = model(xt_trainblobs, yt_trainblobs, learning_rate = learning_rate, iterations = iterations)
     cost after 0 iteration is : 0.6931471805599453
plt.plot(np.arange(iterations), cost_list)
     [<matplotlib.lines.Line2D at 0x7f9d9f4d7520>]
      0.700
      0.675
      0.650
      0.625
      0.600
      0.575
      0.550
      0.525
      0.500
                     200
                              400
                                      600
                                               800
                                                       1000
#Accuracy on blobs validation set
accuracy(xt_valblobs, yt_valblobs, w1, b1)
```

accar acy(xc_varb10b3, yc_varb10b3, wr, br)

Accuracy of the model is : 65.0~%

Present results and observations on blobs test set

```
iterations = 1000
learning_rate = 0.001
w2, b1, cost_list = model(xt_trainmoons, yt_trainmoons, learning_rate = learning_rate, iterations = iterations)
    cost after 0 iteration is : 0.6931471805599453

#Accuracy on moons validation set
accuracy(xt_valmoons, yt_valmoons, w2, b1)
    Accuracy of the model is : 78.0 %
```

Present results and observations on moons test set

Part - 3

Brief description of algorithm, including references to sources used.

Shallow neural networks are similar to deep learning networks. These networks are used to solve complex problems which algorithms without hidden layers cannot solve. Shallow neural networks contains 1 or 2 hidden layers not more than that.

▼ References - https://towardsdatascience.com/building-a-shallow-neural-network-a4e2728441e0

Correct implementation of a feed-forward neural network with 1 hidden layer and a standard kernel such as sigmoid, including backprop, extending your previous implementation of logistic regression.

```
def tanh(x):
 return np.tanh(x)
# Define the sigmoid derivative function
def derivative_tanh(x):
 return(1 - np.power(np.tanh(x),2))
# Define the sigmoid derivative function
def derivative_sigmoid(s):
    return sigmoid(s) * (1.0 - sigmoid(s))
#Initialising the model parameters
def parameters_initialization(input_unit, hidden_unit, output_unit):
    W1 = np.random.randn(hidden_unit, input_unit)*0.01
    b1 = np.zeros((hidden_unit, 1))
    W2 = np.random.randn(output_unit, hidden_unit)*0.01
    b2 = np.zeros((output_unit, 1))
    parameters = {"W1": W1,
                  "b1": b1,
                  "W2": W2,
                  "b2": b2}
    return parameters
def forward_propagation(X, parameters):
   W1 = parameters['W1']
    b1 = parameters['b1']
    W2 = parameters['W2']
    b2 = parameters['b2']
    Z1 = np.dot(W1, X) + b1
    A1 = tanh(Z1)
    Z2 = np.dot(W2, A1) + b2
    A2 = sigmoid(Z2)
    cache = {"Z1": Z1,
             "A1": A1,
             "Z2": Z2,
             "A2": A2}
```

return cache

```
#cost function
def cost_function(A2, Y):
    # number of training example
    m = Y.shape[1]
    cost = -(1/m)*np.sum(Y*np.log(A2))
    \#cost = -(1/m)*np.sum(Y*np.log(A2) + (1-Y)*(np.log(1-A2)))
    \#cost = -(1/m)*np.sum(np.sum(Y*np.log(A2,0), 1))
    #s = Y * np.log(A2) + (1 - Y) * np.log(1 - A2)
    \#cost = -np.sum(s) / m
    return cost
#Back propagation
def backward_propagation(parameters, cache, X, Y):
    #number of training example
    m = X.shape[1]
    W1 = parameters['W1']
    b1 = parameters['b1']
    W2 = parameters['W2']
    b2 = parameters['b2']
    A1 = cache['A1']
    A2 = cache['A2']
    dZ2 = A2-Y
    dW2 = (1/m) * np.dot(dZ2, A1.T)
    db2 = (1/m) * np.sum(dZ2, axis=1, keepdims=True)
    # dZ1 = (1/m)*np.dot(W2.T, dZ2)*derivative_tanh(A1)
    dZ1 = np.dot(W2.T, dZ2)*derivative_tanh(A1)
    dW1 = (1/m) * np.dot(dZ1, X.T)
    db1 = (1/m)*np.sum(dZ1, axis=1, keepdims=True)
    gradients = {"dW1": dW1, "db1": db1, "dW2": dW2,"db2": db2}
    return gradients
#Gradient Descent (update parameters) / batch training
def update_parameters(parameters, gradients, learning_rate):
    W1 = parameters['W1']
    b1 = parameters['b1']
    W2 = parameters['W2']
    b2 = parameters['b2']
    dW1 = gradients['dW1']
    db1 = gradients['db1']
dW2 = gradients['dW2']
    db2 = gradients['db2']
    W1 = W1 - learning_rate * dW1
    b1 = b1 - learning rate * db1
    W2 = W2 - learning\_rate * dW2
    b2 = b2 - learning_rate * db2
    parameters = {"W1": W1, "b1": b1,"W2": W2,"b2": b2}
    return parameters
# Neural Network Model
def neural_network_model(X, Y, hidden_unit, learning_rate, iterations):
    input_unit = X.shape[0]
    output unit = Y.shape[0]
    cost_list = []
    parameters = parameters_initialization(input_unit, hidden_unit, output_unit)
    W1 = parameters['W1']
    b1 = parameters['b1']
    W2 = parameters['W2']
    b2 = parameters['b2']
    for i in range(0, iterations):
```

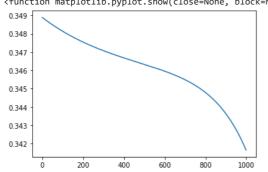
```
cache = forward_propagation(X, parameters)
cost = cost_function(cache['A2'], Y)
gradients = backward_propagation(parameters, cache, X, Y)
parameters = update_parameters(parameters, gradients, learning_rate)

cost_list.append(cost)

if (i%(iterations/10) == 0):
    print("Cost after", i, "iterations is :", cost)
return parameters, cost_list
```

Train on the Moons dataset

```
iterations = 1000
hidden unit = 4
learning_rate = 0.01
Parameters, cost_list = neural_network_model(xt_trainmoons, yt_trainmoons, hidden_unit=hidden_unit, learning_rate=learning_rate, iteratic
     Cost after 0 iterations is : 0.34889476522016927
     Cost after 100 iterations is : 0.34813740199080295
     Cost after 200 iterations is : 0.34754663289458354
     Cost after 300 iterations is: 0.34707562012227317
     Cost after 400 iterations is: 0.34668365133178786
     Cost after 500 iterations is : 0.34632869510602543
     Cost after 600 iterations is : 0.3459575164360731
     Cost after 700 iterations is : 0.3454900183022901
     Cost after 800 iterations is : 0.34479277118995966
     Cost after 900 iterations is : 0.3436346989975015
t = np.arange(0, iterations)
plt.plot(t, cost_list)
plt.show
     <function matplotlib.pyplot.show(close=None, block=None)>
```



```
def accuracy(inp, labels, paramters):
    cache = forward_propagation(inp, Parameters)
    a_out = cache['A2']

    a_out = np.argmax(a_out, 0)
    y_out = np.argmax(labels,0)
    a_out == y_out

    acc = np.mean(a_out == y_out)*100

    return acc
```

Test on the Moons dataset

```
print("Accuracy of train dataset is :", accuracy(xt_trainmoons, yt_trainmoons, Parameters))
print("Accuracy of test dataset is :", accuracy(xt_testmoons, yt_testmoons, Parameters))

Accuracy of train dataset is : 100.0
Accuracy of test dataset is : 100.0
```

Train on the blobs dataset

```
iterations = 1000
hidden_unit = 4
learning_rate = 0.01
Parameters, cost list = neural network model(xt trainblobs, yt trainblobs, hidden unit=hidden unit, learning rate=learning rate, iteratic
```

```
Cost after 0 iterations is : 0.33514439835481724
Cost after 100 iterations is : 0.339072587607235
Cost after 200 iterations is : 0.34283360738751884
Cost after 300 iterations is : 0.34778050744021594
Cost after 400 iterations is : 0.3547617693497867
Cost after 500 iterations is : 0.3547617693497867
Cost after 600 iterations is : 0.3387698126051023
Cost after 700 iterations is : 0.30362117723980914
Cost after 800 iterations is : 0.25975034590067564
Cost after 900 iterations is : 0.21956686155029617

t = np.arange(0, iterations)
plt.plot(t, cost_list)
plt.show
```

cfunction matplotlib.pyplot.show(close=None, block=None)>
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Test on the Moons dataset

```
print("Accuracy of train dataset is :", accuracy(xt_trainblobs, yt_trainblobs, Parameters))
print("Accuracy of test dataset is :", accuracy(xt_testblobs, yt_testblobs, Parameters))

Accuracy of train dataset is : 100.0
Accuracy of test dataset is : 100.0
```

Observations: The model is correctly implemented and it can be seen that the accuracy of implemented model is 100% which upto some extent delivers the message that it is either over learning or the model is overfitting. Although, when the trend is seen after iteration, cost error seems to be decreasing.

Part - 4

Code to read in the big dataset, and sample subsets for training, validation and testing

```
# This function taken directly from the Fashion-MNIST github site:
# https://github.com/zalandoresearch/fashion-mnist/blob/master/utils/mnist reader.py
# Note: first arg is the path name, second is the file prefix, either 'train' or 't10k' (which is 10k of test data)
def load_mnist(path, kind='test'):
    import os
    import gzip
    import numpy as np
    """Load MNIST data from `path`"""
    labels_path = os.path.join(path,
                                '%s-labels-idx1-ubyte.gz'
                               % kind)
    images_path = os.path.join(path,
                               '%s-images-idx3-ubyte.gz'
                               % kind)
    with gzip.open(labels_path, 'rb') as lbpath:
        labels = np.frombuffer(lbpath.read(), dtype=np.uint8,
                               offset=8)
    with gzip.open(images_path, 'rb') as imgpath:
        images = np.frombuffer(imgpath.read(), dtype=np.uint8,
                               offset=16).reshape(len(labels), 784)
    return images, labels
# Loaded in this way, each of the batch files contains a dictionary with the following elements:
    data -- a 10000x3072 numpy array of uint8s. Each row of the array stores a 32x32 colour image.
            The first 1024 entries contain the red channel values, the next 1024 the green, and the final 1024 the blue.
```

```
The image is stored in row-major order, so that the first 32 entries of the array are the red channel values
           of the first row of the image.
   labels -- a list of 10000 numbers in the range 0-9.
              The number at index i indicates the label of the ith image in the array data.
(train_imgs, train_labels) = load_mnist('/content/drive/MyDrive/Colab Notebooks/', 'train')
(test_imgs, test_labels) = load_mnist('/content/drive/MyDrive/Colab Notebooks/', 't10k')
print(train_imgs.shape)
print(test_imgs.shape)
     (60000, 784)
     (10000, 784)
label_names = ['T-shirt/top', 'Trouser', 'Pullover', 'Dress', 'Coat', 'Sandal', 'Shirt', 'Sneaker', 'Bag', 'Ankle boot']
import numpy as np
train_filter = np.where((train_labels == 3 ) | (train_labels == 7))
test_filter = np.where((test_labels == 3) | (test_labels == 7))
train_images, train_labels = train_imgs[train_filter], train_labels[train_filter]
test_images, test_labels = test_imgs[test_filter], test_labels[test_filter]
test_labels
     array([7, 7, 3, ..., 7, 3, 7], dtype=uint8)
#fashion dataset
train_images_t = train_images.T
\# You can transpose the y_valblobs data using 'reshape'
y1_train_labels = np.reshape(train_labels, (len(train_labels),1))
print ("np.shape(y1_train_labels):", np.shape(y1_train_labels))
(nsamples, nattribs) = np.shape(y1_train_labels)
print ("y transpose: nsamples =", nsamples, ", nattribs =", nattribs)
train_labels_t = y1_train_labels.T
#moons dataset
test_images_t = test_images.T
\# You can transpose the y_valmoons data using 'reshape'
y1_test_labels = np.reshape(test_labels, (len(test_labels),1))
print ("np.shape(y1 test labels):", np.shape(y1 test labels))
(nsamples, nattribs) = np.shape(y1_test_labels)
print ("y transpose: nsamples =", nsamples, ", nattribs =", nattribs)
test_labels_t = y1_test_labels.T
     np.shape(y1_train_labels): (12000, 1)
     y transpose: nsamples = 12000 , nattribs = 1
     np.shape(y1_test_labels): (2000, 1)
     y transpose: nsamples = 2000 , nattribs = 1
print(train_images_t.shape)
print(train_labels_t.shape)
print(test_images_t.shape)
print(test_labels_t.shape)
     (784, 12000)
     (1, 12000)
     (784, 2000)
     (1, 2000)
Train the NN
iterations = 1000
hidden_unit = 4
learning_rate = 0.001
Parameters, cost_list = neural_network_model(train_images_t, train_labels_t, hidden_unit=hidden_unit, learning_rate=learning_rate, iterat
     Cost after 0 iterations is : 3.444065522026529
     Cost after 100 iterations is : 0.5521516658540302
     Cost after 200 iterations is : 0.07657212473179303
     Cost after 300 iterations is : 0.010397087798575122
     Cost after 400 iterations is : 0.0014077195045331394
     Cost after 500 iterations is : 0.00019052559761157
     Cost after 600 iterations is : 2.5785045979427647e-05
     Cost after 700 iterations is : 3.489630351742029e-06
```

```
Cost after 900 iterations is : 6.39148199565492e-08
t = np.arange(0, iterations)
plt.plot(t, cost_list)
plt.show
     <function matplotlib.pyplot.show(close=None, block=None)>
      3.5
      3.0
      2.5
      2.0
      1.5
      1.0
      0.5
                   200
                            400
                                             800
                                                      1000
```

Cost after 800 iterations is : 4.722701830601504e-07

```
print("Accuracy of train dataset is :", accuracy(train_images_t , train_labels_t, Parameters))
print("Accuracy of test dataset is :", accuracy(test_images_t, test_labels_t, Parameters))

Accuracy of train dataset is : 100.0
Accuracy of test dataset is : 100.0
```

Part -5

L2 regularisation

I have implemented the neural network again with an additional term of L2 regularisation in the cost function. L2 regularisation helps in the over-learning of the model and reduces or removes some terms from equation to give a balanced weight and accuracy score as L2 regularisation tends to shrink ters evenly.

References - https://towardsdatascience.com/l1-and-l2-regularization-methods-ce25e7fc831c

```
#cost function
def cost_fnctn_reg(A2, Y, parameters, lambd):
    # number of training example
    m = Y.shape[1]
    W1 = parameters['W1']
    W2 = parameters['W2']
    cost = -(1/m)*np.sum(Y*np.log(A2))
    L2_regularisation_cost = (lambd/2*m)*(np.sum(np.square(W1) + np.sum(np.square(W2))))
    cost = cost + L2_regularisation_cost
    return cost
#Back propagation
def backward_propagation_reg(parameters, cache, X, Y, lambd):
    #number of training example
    m = X.shape[1]
    W1 = parameters['W1']
    b1 = parameters['b1']
    W2 = parameters['W2']
    b2 = parameters['b2']
    A1 = cache['A1']
    A2 = cache['A2']
    dZ2 = A2-Y
    dW2 = (1/m) * np.dot(dZ2, A1.T) + (lambd*W2)/m
    db2 = (1/m) * np.sum(dZ2, axis=1, keepdims=True)
    dZ1 = (1/m)*np.dot(W2.T, dZ2)*derivative_tanh(A1)
    dW1 = (1/m) * np.dot(dZ1, X.T) + (lambd*W1)/m
    db1 = (1/m)*np.sum(dZ1, axis=1, keepdims=True)
    gradients = {"dW1": dW1, "db1": db1, "dW2": dW2,"db2": db2}
    return gradients
```

```
# Neural Network Model
def neural_network_model_reg(X, Y, hidden_unit, learning_rate, iterations, lambd):
    input unit = X.shape[0]
    output_unit = Y.shape[0]
    cost list = []
    parameters = parameters_initialization(input_unit, hidden_unit, output_unit)
    W1 = parameters['W1']
    b1 = parameters['b1']
    W2 = parameters['W2']
    b2 = parameters['b2']
    for i in range(0, iterations):
        cache = forward_propagation(X, parameters)
        cost = cost_fnctn_reg(cache['A2'], Y, parameters, lambd)
        gradients = backward_propagation_reg(parameters, cache, X, Y, lambd)
        parameters = update_parameters(parameters, gradients, learning_rate)
        cost_list.append(cost)
        if (i%(iterations/10) == 0):
          print("Cost after", i, "iterations is :", cost)
    return parameters, cost_list
iterations = 1000
hidden_unit = 4
learning_rate = 0.001
lambd = 0.7
Parameters, cost_list = neural_network_model_reg(train_images_t, train_labels_t, hidden_unit=hidden_unit, learning_rate=learning_rate, it
     Cost after 0 iterations is : 7011.280023545364
     Cost after 100 iterations is : 5775819.234847634
     Cost after 200 iterations is : 24210086.279032957
     Cost after 300 iterations is : 55561595.22017332
     Cost after 400 iterations is : 101025186.8052632
     Cost after 500 iterations is : 163260245.73550183
     Cost after 600 iterations is : 242468994.49506637
     Cost after 700 iterations is : 338542922.77440727
     Cost after 800 iterations is : 451474282.45759827
     Cost after 900 iterations is : 581262966.1692557
print("Accuracy of train dataset is :", accuracy(train_images_t , train_labels_t, Parameters))
print("Accuracy of test dataset is :", accuracy(test_images_t, test_labels_t, Parameters))
     Accuracy of train dataset is : 100.0
     Accuracy of test dataset is : 100.0
```