

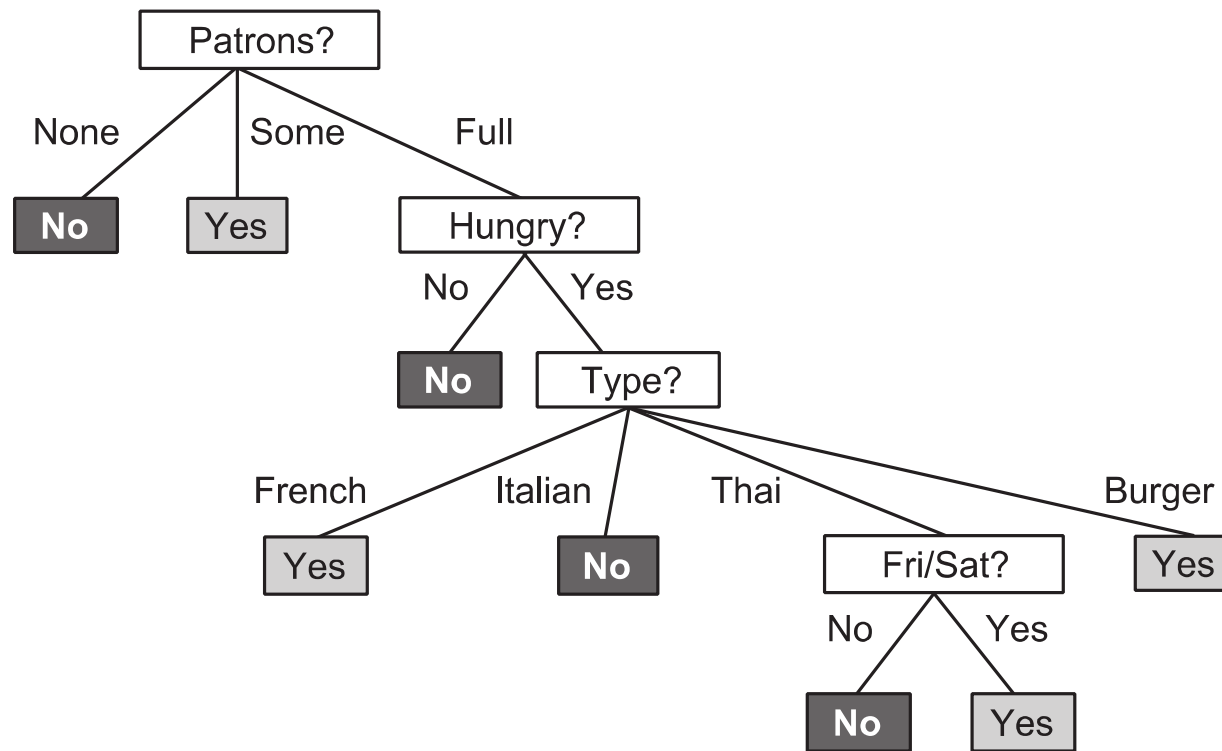
Lecture 2: Decision Tree

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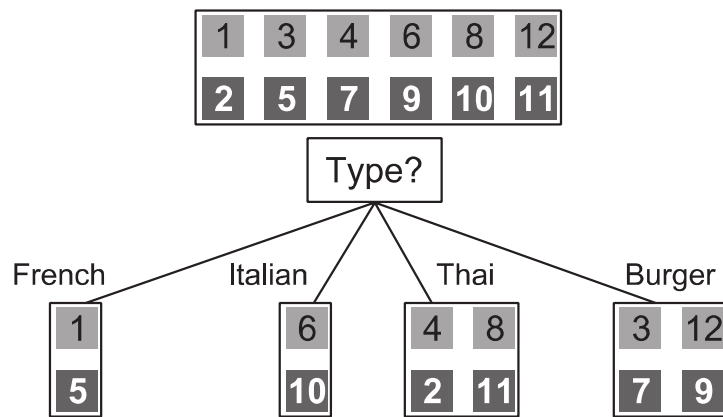
Example: samples

Sample	Alt	Bar	Fri	Hun	Pat	Price	Rain	Res	Type	Est	Goal
x1	Yes	No	No	Yes	Some	\$\$\$	No	Yes	French	0–10	y1 = Yes
x2	Yes	No	No	Yes	Full	\$	No	No	Thai	30–60	y2 = No
x3	No	Yes	No	No	Some	\$	No	No	Burger	0–10	y3 = Yes
x4	Yes	No	Yes	Yes	Full	\$	Yes	No	Thai	10–30	y4 = Yes
x5	Yes	No	Yes	No	Full	\$\$\$	No	Yes	French	>60	y5 = No
x6	No	Yes	No	Yes	Some	\$\$	Yes	Yes	Italian	0–10	y6 = Yes
x7	No	Yes	No	No	None	\$	Yes	No	Burger	0–10	y7 = No
x8	No	No	No	Yes	Some	\$\$	Yes	Yes	Thai	0–10	y8 = Yes
x9	No	Yes	Yes	No	Full	\$	Yes	No	Burger	>60	y9 = No
x10	Yes	Yes	Yes	Yes	Full	\$\$\$	No	Yes	Italian	10–30	y10 = No
x11	No	No	No	No	None	\$	No	No	Thai	0–10	y11 = No
x12	Yes	Yes	Yes	Yes	Full	\$	No	No	Burger	30–60	y12 = Yes

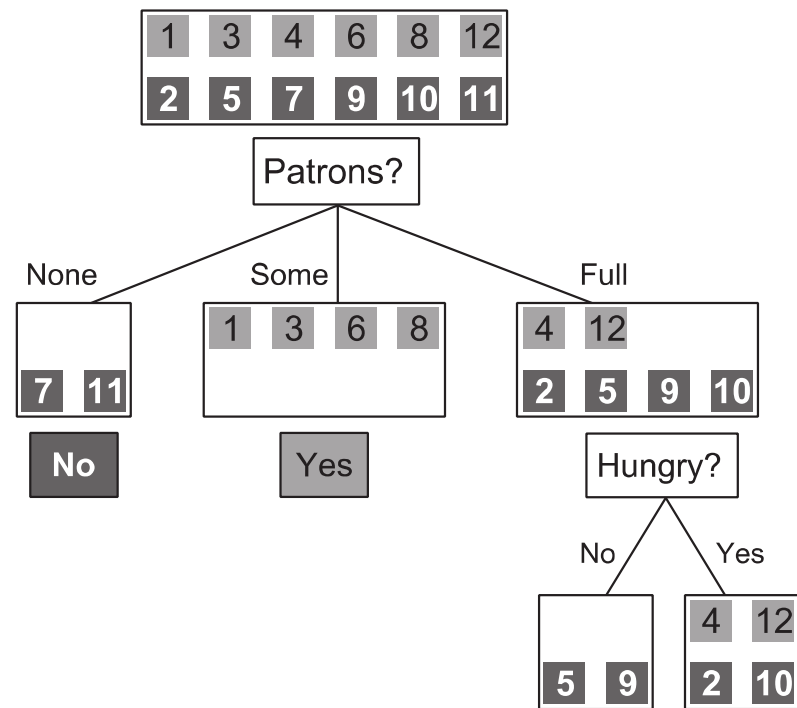
Decision tree



Which is better split?



(a)



(b)

Better Attribute

- Divides example into sets with
 - less uniform distribution or less entropy
- Entropy is a measure of the uncertainty of a random variable
 - For binary variable $B(q) = -q \log_2 q - (1 - q) \log_2 (1 - q)$
- Information gain $G(A) = B\left(\frac{p}{p+n}\right) - \sum_{k=1}^d \frac{p_k}{p_k+n_k} B\left(\frac{p_k}{p_k+n_k}\right)$

Inducing decision trees from examples

- Four cases for subproblems
 1. All positive (or all negative): we are done
 2. Some positive and some negative: choose next **important** attribute (greedy)
 3. No examples left: unobserved case, use prior knowledge/plurality
 4. No attributes left: error, noise, partial information, inherent uncertainty

Decision tree pseudocode

```
function DECISION-TREE-LEARNING(examples, attributes, parent examples) returns a tree
  if examples is empty then return PLURALITY-VALUE(parent examples)
  else if all examples have the same classification then return the classification
  else if attributes is empty then return PLURALITY-VALUE(examples)
  else
     $A \leftarrow \operatorname{argmax}_{a \in \text{attributes}} \text{IMPORTANCE}(a, \text{examples})$ 
    tree  $\leftarrow$  a new decision tree with root test A
    for each value  $v_k$  of A do
      exs  $\leftarrow \{ e : e \in \text{examples} \text{ and } e.A = v_k \}$ 
      subtree  $\leftarrow$  DECISION-TREE-LEARNING(exs, attributes – A, examples)
      add a branch to tree with label (A =  $v_k$ ) and subtree subtree
  return tree
```

Assignment 1

- In Python
 - <https://www.quora.com/How-should-I-learn-Python-for-machine-learning-and-artificial-intelligence>
- Decision tree implementation
- Adaboost implementation
- Performance measure: Accuracy, Precision, Recall, F1-score
 - https://en.wikipedia.org/wiki/Confusion_matrix
- Detect overfitting: Training-test split

Overfitting

- Generate a large tree when there is actually no pattern to be found
 - Example: roll of a die will come up as 6 or not.
- Irrelevant attribute: color, weight, time, is fingers crossed
- For fair dice, learn a tree with a single node that says “NO”
- Overfitting: 2 rolls of a 7-gram blue die with fingers crossed
- More likely as the number of input attributes grows
- Less likely as we increase the number of training examples.