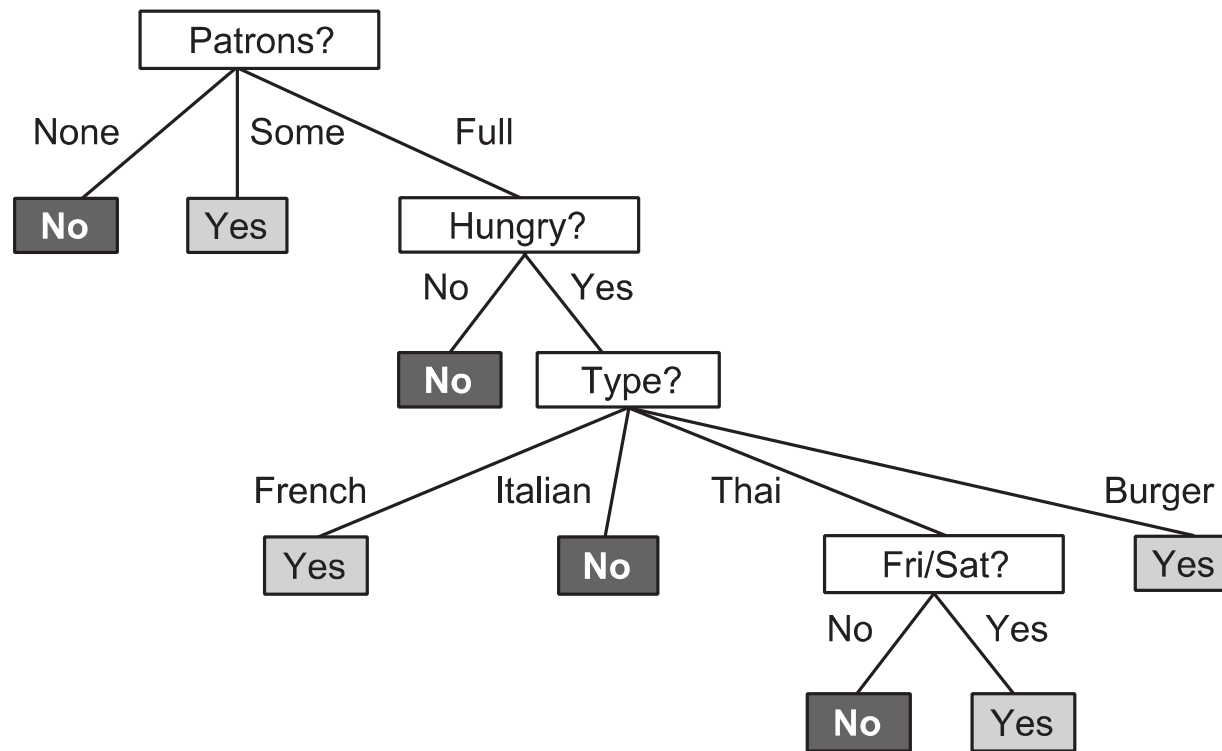


Lecture 4: AdaBoost

Course Teacher: Md. Shariful Islam Bhuyan

Decision tree



Detecting Overfitting

- Train-test split/holdout cross validation
- Poor performance on test data
- Did not learn to generalize
 - Extreme case: table lookup
- Peeking
- Combat pruning

Continuous Valued Input

- Find the split point that gives the highest information gain
- Sort examples according to attribute values
- Consider only split points that are between two examples in sorted order that have different classifications
- Keep track of the running totals of positive and negative examples on each side of the split point

Example

		Cheat	No		No		No		Yes		Yes		Yes		No		No		No		No		
		Taxable Income																					
Sorted Values Split Positions		60		70		75		85		90		95		100		120		125		220			
		55		65		72		80		87		92		97		110		122		172		230	
		<=	>	<=	>	<=	>	<=	>	<=	>	<=	>	<=	>	<=	>	<=	>	<=	>	<=	>
	Yes	0	3	0	3	0	3	0	3	1	2	2	1	3	0	3	0	3	0	3	0	3	0
	No	0	7	1	6	2	5	3	4	3	4	3	4	3	4	4	3	5	2	6	1	7	0
	Gini	0.420		0.400		0.375		0.343		0.417		0.400		<u>0.300</u>		0.343		0.375		0.400		0.420	

Ensemble Learning

- Collection, or ensemble, of hypotheses
- Combine predictions with function; majority, additive, multiplicative ...
- Boosting
 - Weighted training set
 - Increase weight for misclassified examples
 - Decrease weight for correctly classifier examples
 - Resample new data set
 - Weighted-majority combination of all the K hypotheses

AdaBoost

function ADABOOST(examples, algorithm L, No of hypotheses K) **returns** a weighted-majority hypothesis

w , a vector of N example weights, initially $1/N$

for $k = 1$ **to** K **do**

$data \leftarrow \text{resample}(\text{examples}, w)$

$h[k] \leftarrow L(data); \quad \text{error} \leftarrow 0$

for $j = 1$ **to** N **do**

if $h[k](x_j) \neq y_j$ **then** $\text{error} \leftarrow \text{error} + w[j]$

if $\text{error} > .5$ **continue**

for $j = 1$ **to** N **do**

if $h[k](x_j) = y_j$ **then** $w[j] \leftarrow w[j] \cdot \text{error} / (1 - \text{error})$

$w \leftarrow \text{NORMALIZE}(w)$

$Z[k] \leftarrow \log[(1 - \text{error}) / \text{error}]$

return WEIGHTED-MAJORITY(h, z)