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SEC:B

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(A)

Only 4 people are allowed in a queue with maintaining 3 feet distance in fornt of a small room in this vaccination centers. Since each applicant has a digital taken with a sensor the 4 applicants upon entering the room would each set off an input of high, when anyone stay behind, the sensor would give off a low input for them (o) and when more than 2 input one detected to be high(i), the darm would go off which would be represented by (i) high. If there are 4 people 2° = 16 different possibilities con exist which will be outlined by a table bellow from the table. We will draw a k-map and find the sop expression and illustrated the system by cmos logic.

For 4 people, We consider A, B, C, D.

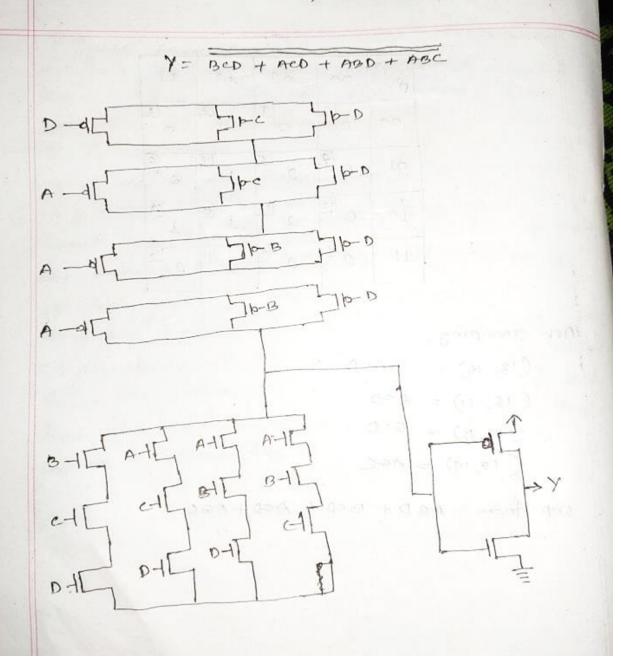
NO	A	В	С	D	Y
0	0	0	0	0	0
1	0	0	0	1	0
2	0	0	1	0	0
3	0	0	1	1	0
4	0	1	0	0	0
5	0	1	0	1	0
6	0	1	1	0	0
7	0	1	1	1	1
8	1	0	0	0	0
9	1	0	0	1	0
10	1	0	1	0	0
11	1	0	1	1	1
12	1	1	0	0	0
13	1	1	0	1	1
14	1	1	1	0	1
15	1	1	1	1	1

1	
•	21
N .	41

60 CE	00	0.1	10	11
00	0	0	0	0
01	09	0 5	1 1	0
10	0 12	1 13	1 13	1
11	08	- 0 4	10	0 10

Now grouping.





Am to the Ques no(ii)

giver, M=C+O+V+I+D

:. c = 4, :0=80; V=8; I=9; D=5

M= 4+0+8+9+5

CON 28 1 = 260.01 PEG = HT

and also given

duty eyele = N1.

and N = 100 - M

= 100 -26 = = 1 ha - w/2 vs

= 79 200 0 = 1

in duty agell N= 747.

M5 = 235 HZ > 250 HZ

235 Hz 3 1250 Hz there force

frequency, F = 900 Hz

N= 741.

SHOT ON POOCE 5 50 MF

we know that

! . Time high and lines law .

value of R2:

$$T_{L} = 8.693P_{2}C$$

$$\Rightarrow P_{2} = \frac{T_{L}}{0.693 \times C}$$

$$= \frac{0.65 \times 10^{-3}}{(8.693 \times 56 \times 16^{-3})}$$

= 18.76 ~

value of R1.

$$\Rightarrow (R_1 + R_2) = \frac{T_{14}}{0.693 \times c}$$

$$\Rightarrow (R_1 + R_2) = \frac{1.85 \times 10^{-3}}{0.693 \times 50 \times 10^{-6}}$$

