

Linked List 2

[Find middle of the Linked List](#)

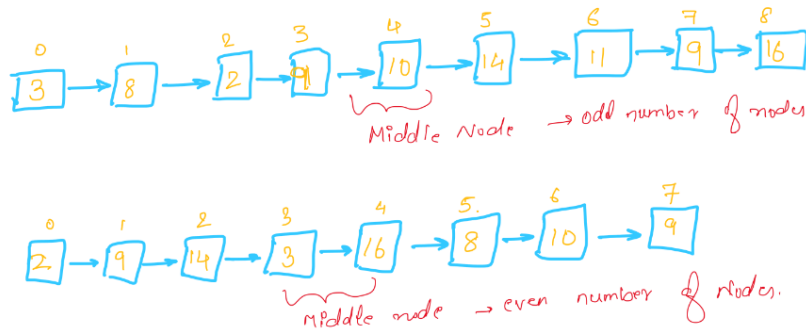
[Merge 2 sorted LL](#)

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Find middle of the Linked List



* If there are odd number of nodes there will be only one middle node.
But in case of even number of elements there will be 2 middle elements.

Brute force

- 1) Traverse & find total elements/nodes in linked list
 - 2) Return $((N+1)/2)^{\text{th}}$ element.
- T.C = $O(N)$

Optimized Approach

Using Fast pointer

- * Create two temp pointers slow and fast pointer.
slow = head;
fast = head;
- * Move slow once & fast twice
slow = slow → next;
fast = fast → next → next;
- * Iterate while (slow → next != NULL && fast → next → next != NULL)
→ If (slow → next == NULL) return (slow → data);
- * If head == NULL
return head

$$T.C \equiv O(N/2)$$

Merge 2 sorted LL

* Merge two sorted linked list
 → Return a single sorted linked list
 → No extra space. Only rearrangement.

$h_1 \rightarrow 3 \rightarrow 8 \rightarrow 10 \rightarrow 14 \rightarrow 20 \rightarrow \text{null}$

$h_2 \rightarrow 2 \rightarrow 6 \rightarrow 11 \rightarrow 12 \rightarrow \text{Null}$

Bruteforce
 → Keep creating a new node & assign values comparing both LL.
 → Which so ever element is less assign to node & increment pointer.

```
Temp t1 = h1; Temp new-node;
Temp t2 = h2;
while (h1 != NULL || h2 != NULL)
    if (h1.data < h2.data)
        new-node.data = h1.data; h1 = h1->next;
    else
        new-node.data = h2.data; h2 = h2->next;
```

T.C = $O(N)$

S.C = $O(N)$

Optimised Approach

• Create h_3 & assign to smallest value.

$h_3 \rightarrow 2 \rightarrow 3 \rightarrow \dots$

• Create a temporary T node to keep pointing to curr ind end

$h_1 \rightarrow 3 \rightarrow 8 \rightarrow 10 \rightarrow 14 \rightarrow 20 \rightarrow \text{null}$

$h_2 \rightarrow 2 \rightarrow 6 \rightarrow 11 \rightarrow 12 \rightarrow \text{null}$

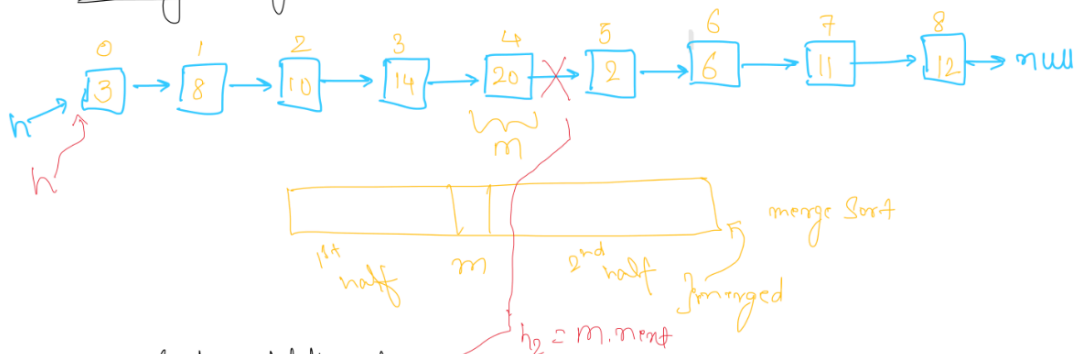
```
if (h1.data < h2.data) {
    T->next = h1;
    h1 = h1->next;
} else {
    T->next = h2;
    h2 = h2->next;
}
T = T->next;
```

• Check while ($h_1 \neq \text{NULL}$ & $h_2 \neq \text{NULL}$)

• if ($h_1 \neq \text{NULL}$)
 T->next = h_1 ;
 • else ($h_2 \neq \text{NULL}$)
 T->next = h_2 ;
 • return h_3

Sort LL using Merge Sort

Sort Using Merge Sort



→ find middle element

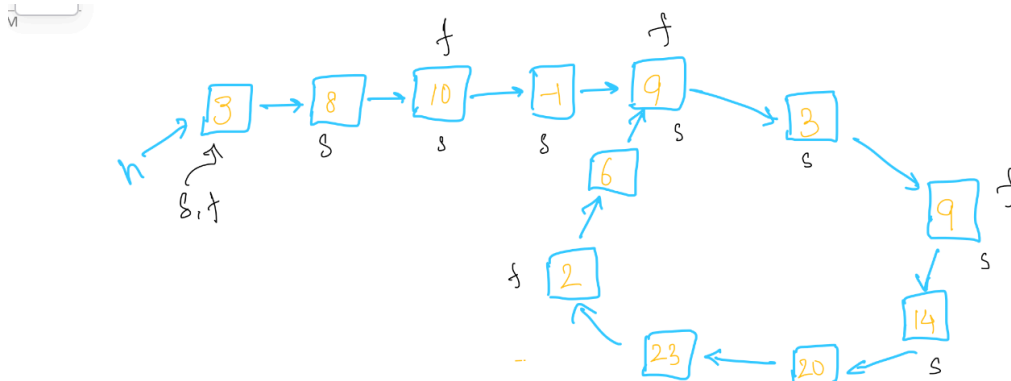
→ Assign $h_1 = \text{start};$

$h_2 = m.\text{next};$

Assignment:- Given a LL sort & return the head.

```
Node mergeSort(Node h1) {
    if (h1 == NULL) { return h1; }
    if (h1.next == NULL) { return h1; }
    Node m = Center(h1); // second last problem
    Node h2 = m.next;
    m.next = NULL;
    h1 = mergeSort(h1);
    h2 = mergeSort(h2);
    return merge(h1, h2); // last problem.
}
```

Detect Cycle in a LL



Approach 1:-
 Store all references in a hashset.
 If we store same address twice, Cycle will be present.
 If we insert null;
 Cycle is not present;

$$T.C \equiv O(N)$$

$$S.C \equiv O(N) \quad \text{Hashset} < \text{Node} >$$

Approach 2

→ Create 2 pointers slow & fast (s, f)

→ Assign both with h;

→ while (f != NULL && f.next != NULL)

{ if (s == f)
 return cycle;

s = s → next;

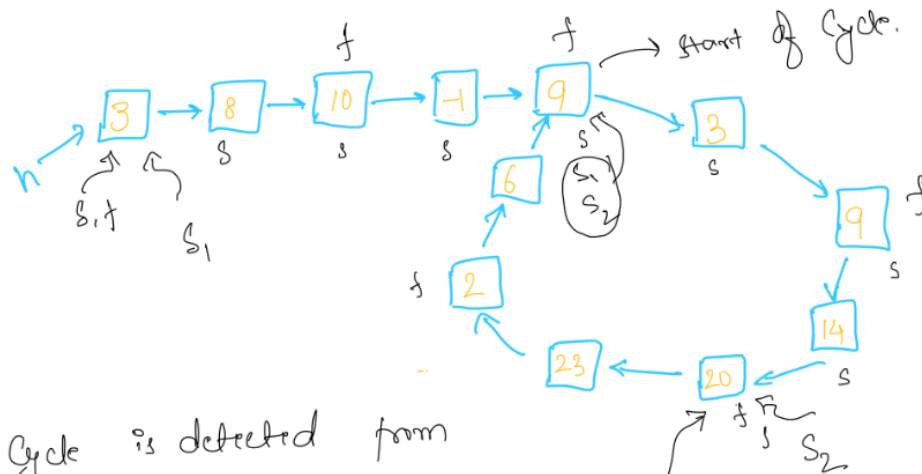
f = f → next;

$$T.C \equiv O(N)$$

$$S.C \equiv O(1)$$

Find start of a cycle

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→ Once Cycle is detected from above problem.

→ Create two pointers s_1 & s_2

$s_1 = h$

$s_2 = \text{intersection}$

→ Keep moving one by one

$s_1 = s_1.\text{next}$

$s_2 = s_2.\text{next}$

→ Until

$(s_1 \neq s_2)$

→ If $(s_1 == s_2)$

return $(s_1.\text{data} || s_2.\text{data})$