

Structures & Pointers

22 February 2017 21:05

| | | | | |
|--------|--------------------------------|--------------------------------------|--------------------|--|
| Struct | Type of variables | All fields are public | | Can initialise all data as you declare a structure |
| Class | Variables and member functions | Public member - visible from outside | Private by default | |

Pointers

- Variable whose value represents a memory location
- **Declare in C++** , **varType *NameofPointer**
- Once declared, ***NameofPointer** gives **access to variable pointer points to**
- To **change pointer's actual value**, just use **NameofPointer = ..**
- **Always initialise pointers**
- Address of variable in C++ , **address = &NameofVar**
- Arrays
 - o arrayName = pointer to start of array
 - o &arrayName[N] = memory location of Nth elements in array
- Call-by-reference in C++ done by passing pointer to variable passed

Arguments to main()

- o int main (int argc, char *argv[])
- o Passed through command line
- o Special built-in
 - argc - number of arguments entered
 - Counts from 0, so default is 1?
 - argv - an array of pointers to the arguments
 - argv[0] = &argc
- o Syntax
 - ./programName charArgument
 - charArg as it was declared in main above - char * argv[]

Linked Lists

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Linked lists are a **dynamic data structure**
Can **grow and shrink** during program execution

Head of list - pointer to 1st Node

End of list - points to NULL

Advantages

- **Uses only memory needed**
- Computationally **efficient to add/delete data**

Disadvantages

- Memory **overhead** - have to store value of pointers
- **Slow access** to data - have to traverse linear list

addToList function - adds to head of list

- Pass list **head pointer by reference**
- **Create new Node**
 - o Assign data
 - o Node->**next** points to **where head was**
- **Head now points to new Node**

In C++

- Use a structure
 - o Data field - use **typedef** above
 - o Another field which is a pointer of type structure (struct in which it is a field of)
- Typedef *structure as StructurePtr - easier for human reading
- Declare a pointer to head of list
 - o Create new nodes dynamically using **'new'** syntax

The heap

- Where dynamic data structures are stored
- Use **'delete'** syntax to free up space in heap
- Pointer to link list not in heap,
 - o But all Nodes are
 - o NULL points to somewhere chosen in the heap

To traverse list

While loop (**pointer != NULL**)

Do action,

Pointer = Node->next

Ordered Lists

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A link list ordered in a predefined way

Routines (maintains order)

- **Insert**
- **Delete**
- **Lookup** - extract info

Insert routine PDL

- 1. Create new node**
 - a. Assign data
 - b. ->next points to NULL
- 2. If list is empty**
 - a. Set head of list to new node
Exit
- 3. If new element is smaller than 1st Node**
 - a. Add element at beginning of list
 - i. ->next points to head of list
 - ii. Head of list points to new Node
- 4. Otherwise**
 - a. **Find where** to insert item
 - i. Use **search and last pointers**
 - ii. Use a bool found (= false at start)
For exiting loop
 - b. **Insert** item
 - i. **New->next points to search**
As search data > data
 - ii. **Last->next points to new**

Delete routine PDL

- 1. Declare search, last and old pointers**
 - a. Old used for deleting
 - b. Also have bool found
- 2. Empty list**
Exit
- 3. Delete from head**
 - a. old pointer used
 - b. Old = head
 - c. Head points to next
 - d. Delete old
- 4. Otherwise**
 - a. Search for item (while loop - traverse list)
 - i. Search and last pointers used
 - b. If found (search-> data == data)
 - i. Last-> next points to search ->next
 - ii. Delete search

Recursion

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Recursively defined data structures **match well** with recursive routines

Recursive functions make it easier to implement some mathematical functions

Recursive functions have a **base case**

Once base case is reached, functions start to return values in order of Last In First Out - LIFO

Trick :

- **Each call gets closer to the base case**
- Can always be used instead of a loop
 - o Marginally less efficient, as overhead with maintaining the stack

The Stack

Each function is given a **block in the stack** when it is called

- The block of memory contains
 - **Local variables**
 - **Local copies** of parameters passed by value
 - **Pointers** to parameters **passed by reference**
 - **Return address**
 - Where to **start executing again after function terminates**
- This **block is emptied after function terminates**

Stack **shrinks in opposite order it grew** with a recursive function

- **LIFO structure**

Hash Tables

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Advantages

Constant search time - only compute key

- Want to find data, know its key
- Enter key in hash function
- Get index

Hash table:

1. **An Array**
2. **A key**

Idea: map key to a memory location

Key is assigned to a value

Key inserted to hash function

Return index in array

Value stored in this index

Directly addressed - Hash function never generates same index for different keys

Issue - large array

Solution, allows collisions - not directly addressed

Focus on **chained hash tables** in this course

Array **index is head of a link list**

Implement in C++

- **Declare an array of pointers**

List Processing

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Amend two lists - 3 methods:

1. Loop
 - a. Temp list for list1
 - b. Reverse order add to list2
 2. Recursion
 - a. Base case - list1 has only one element
 - b. Keep calling append() with smaller list
 3. Update the pointers
-
1. Loop
 - First create a temp list
 - o reverse list of list1
 - Then is adds each element of temp to start if list 2
 2. Recursion
 - a. Recursive with smaller list1 and list2
 - i. Until list1 has no entries -> NULL
 - b. Then adds last element of list1 to head of list2
 - c. Until stack empty
 3. Pointers
 - a. Special case when list is empty
 - i. Return list2
 - b. Otherwise
 - i. Find end of first list
 - ii. Attach second list

Reversing a list

1. Loop method
 2. Recursion method
-
1. Loop (list != NULL)
 - a. Temp -> last node
 - b. Delink last node from list
 2. Recursion
 - a. Uses an accumulating parameter
 - i. Gradually build up result in function parameter
 - ii. Then return result when base case reached
 - iii. On exit calls, this value floats up untouched
 - b. Done by
 - i. Using recursion
 - 1) Perform action until base case reached
 - 2) Base case == reach end
 - 3) Stop actions at base case
 - ii. In function, return function
 - 1) Progressed list and,
 - 2) accumulating paramant

Comparison

1. Loop
 - a. Creates new copy of list1 - followed by copy of list2
 - b. tempList is a duplicate of list1 - so tempList should be destroyed
2. Recursion
 - a. Links element one by one via stack (passing value)
3. Pointer
 - a. Doesn't create any new data
 - b. But doesn't save lists - careful

Binary Trees

14 March 2017 19:57

When ordered, anything to the right is larger, and anything to the left is smaller.

Tree is a dynamic structure, and exists in heap like a link list

To declare, need data field.

AND, two pointer fields for left and right sub-trees.

Advantages:

- Easy to insert new element
- Easy to traverse tree in order
- Much quicker lookup than link list, $O(\log n)$ vs $O(n)$

Insertion - preserve ordering

- Base case - empty sub-tree
 - New Node
 - Sub-trees => NULL
 - Pointer passed now -> new Node
- Else, if less, recursion to the left
- Else, recursion to the right

To Traverse , Use function Recursion with left and right sub-trees, IF sub-tree != NULL

USING one line to carry out the function, before going to sub-trees

Or, use correct logic before visiting sub trees.

Deletion - preserve Ordering

- Find Node,
- Replace Node data with Node X
 - X is leftmost node in right sub-tree
- Delete Node X

To Print:

- Check NULL
 - Print function left sub-tree
 - Cout
 - Print Function right sub-tree

Code:

1. Check if empty
 - a. If found, call delete root function
 - i. If right is empty, left is root
 - ii. If not, call leftmost
 - 1) If left of this is NULL, great
 - a) And call delete root on this Node
 - 2) If not, go left again
2. Else, Traverse accordingly, by checking with <

| | |
|----------------|----------------|
| All Node Tree | Leaf Only Tree |
| Insertion Easy | Insertion Hard |
| Deletion Hard | Deletion Easy |

Balanced Trees

14 March 2017 21:00

Completely Balanced: every node in every layer above the bottom, **has two children**

Balanced: L and R sub tree differ by MORE than 1, $BF = -1, 0, +1$

Height - Tree - longest path from root to leaf

Depth - Node - distance from specific node to root

At **worst**, a binary tree **requires N operations**, **average $\log N$**

Improve by ROTATION

- **Unordered** tree - **just rebuild**
- **Ordered** - harder - rebuild using **sorting**

TREE ROTATION

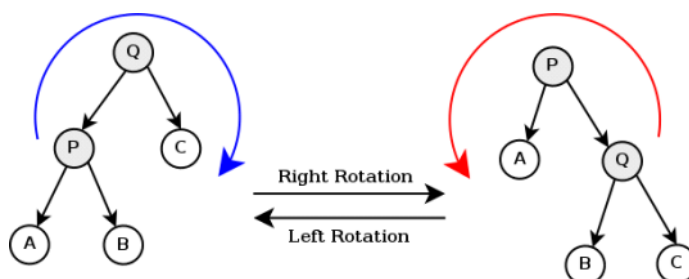
- **Local operation**
- Changes structure **without changing order**
- Do when a Node is UNBALANCED
 - Start from lowest node that is unbalanced

Right Rotation

- **Root becomes new right** of the pivot node
- **Previous right** now **left of root's new position**
- **DECREASE LEFT** side height
- **INCREASE RIGHT** side height

Left Rotation

- **Root becomes new left** of the pivot node
- **Previous left** now **right of root's new position**
- **DECREASE RIGHT** side height
- **INCREASE LEFT** side height



AVL self-balancing tree

- Name from: Adelson-Velsky-Landis
- **Heights of an two sub-tree differ only by one**
- **$\log N$** operations for average and worst case
- Cost - rotations

AVL Insertion

- Update BF
- Check for balance

| Case | Rotation |
|-----------|-------------------|
| LL | Right |
| LR | Left Right |
| RL | Right Left |
| RR | Left |

Parsing and Expression Evaluation

19 March 2017 21:51

Done for computer to carry out operations in correct order

- Produce correct machine instructions

Backus-Naur Form:

- ' ::= ' = is defined
- < > around words
- ' | ' = OR

BNF Arithmetic Expressions - Implement BIDMAS - **left-recursive**

- <expression> ::= <term> | <expression> + <term> | <expression> - <term>
- <term> ::= <factor> | <term> * <factor> | <term> / <factor>
- <factor> ::= <number> | <expression>

Lexeme: smallest syntactic unit of a language

Parse Trees

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Binary tree with lexemes as nodes - excluding brackets
Brackets represented by links BETWEEN nodes of OPERATORS

All leaves of the trees contain **Operands**

Struct in C++

- Same as binary with extra fields;
- bool isLeaf
- int number // only if(isLeaf)
- char op // only if(!isLeaf)

Sorting

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Analyse a Sort by:

- Scalability
- Avg and worse case
- Resources requires

Big-O notation

- As tends to infinity, $O(n)$ is an upper bound
 - **Ignores all constants (including constant multipliers)**
- No description for performance of small n

Bubble Sort:

1. Ends when no swaps performed
2. **STABLE**
3. **Use** for;
 - a. **SMALL** lists
 - b. Most of list is **ALREADY SORTED**

Merge Sort:

1. Compare pairs of elements, then merge
2. **STABLE**

Heap Sort:

1. Uses a Heap Tree
 - a. **Parent key > child key**
 - b. **Tree is complete**
2. Algorithm:
 - a. Build Heap
 - b. Remove **root and put it at end of list**
 - c. **Restructure Heap and repeat B**
3. **UNSTABLE**

Quicksort:

1. Divide and Conquer
2. Algorithm:
 - a. Pick a pivot

| Value of element | Position to P |
|------------------|---------------|
| LESS | LEFT |
| GREATER | RIGHT |

- b. Pick two new pivots either side
3. **Stable - DEPENDING UPON SELECTION OF PIVOT**

| Name | Best | Average | Worst | Extra Memory |
|-------------|------------|------------|------------|-----------------------------|
| Bubble sort | n | n^2 | n^2 | Just 1 more memory location |
| Merge sort | $n \log n$ | $n \log n$ | $n \log n$ | Depends (n) |
| Heap sort | $n \log n$ | $n \log n$ | $n \log n$ | |
| Quicksort | $n \log n$ | $n \log n$ | n^2 | $\log n$ |

Memory additional to storing the list