STA 235H - Introduction to Observational Studies I

Fall 2021

McCombs School of Business, UT Austin

Announcements

Homework 3 will be posted on Thursday

- Homework 2 answer key has been added to the course website (check out the rubric!)
- No office hours today → Moved to tomorrow (check out Calendly)
- I'll send out a poll for a review session for the midterm
 - o If you are interested, <u>please respond</u>.

Last week

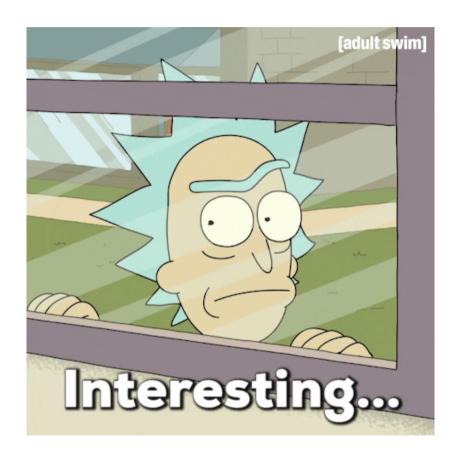
Randomized controlled trials

- Why is it considered the gold standard?
- How to analyze an RCT in practice?
- Assumptions and limitations.



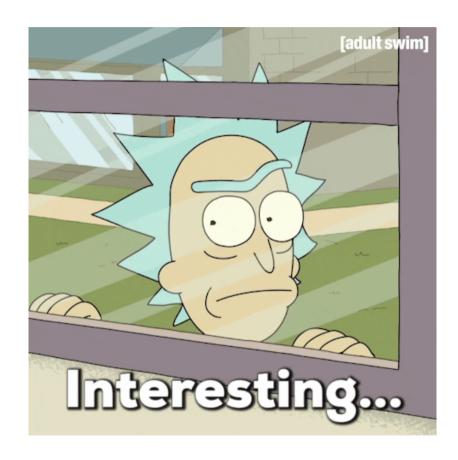
Last week

- Randomized controlled trials
 - Assumptions for RCTs?



Last week

- Randomized controlled trials
 - Limitations?



Today, we're moving forward...



Introduction to Observational Studies:

- Can we identify causal effects without RCTs?
- Assumptions
- Matching vs OLS

No more chance [s]

Introduction to observational studies

• Most times, we will not be able to randomize, and we need to work with existing data

Observational data

Data for which we can't manipulate the treatment assignment, e.g. data in its "natural state".

Can we reasonably assume that the ignorability assumption holds?

Introduction to observational studies (cont.)



 Moving away from the core assumption of RCTs: that "the probability of treatment assignment is a known function" (Imbens & Rubin, 2015).

Introduction to observational studies (cont.)



- Moving away from the core assumption of RCTs: that "the probability of treatment assignment is a known function" (Imbens & Rubin, 2015).
- We will maintain the assumption of unconfoundnedness (to a certain extent).

What is that?

Calling in the CIA

- Unconfoundnedness means that the treatment assignment is independent from the potential outcomes.
- If you recall, the ignorability assumption assumes that:

$$Y(0), Y(1) \perp \!\!\! \perp Z$$

• What if you could assume that this holds conditional on some covariates?

Conditional Independence Assumption (CIA)

$$Y(0), Y(1) \perp \!\!\! \perp Z|X$$

An example about the CIA

- Let's think about the fake CV example and a real life application.
- Causal question: How does getting an internship affect your probability of being in the film industry 5 years later?
- A firm needs to hire interns ASAP, no time for interviews. What would this firm look at in a CV?
 - e.g. level of education, experience, name?
- Could we assume that conditional on education, experience, name characteristics, etc. receiving an internship is independent from your potential outcomes?

The assignment mechanism

- Key component in causal analysis:
 - In RCTs, assignment mechanism is known.
 - But in observational studies?



Selection on observables

- Units select into treatment based on characteristics I can observe.
- What this means in practice is that all confounders are observable and I can adjust for them.

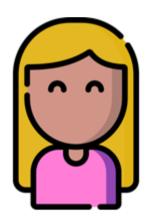


$$(Y_1(0), Y_1(1))$$

$$Z = 1$$

$$Y = y_1$$

$$\mathbf{X} = \mathbf{X_F}$$



$$(Y_2(0), Y_2(1))$$

$$Z = 0$$

$$Y = y_2$$

$$\mathbf{X} = \mathbf{X_F}$$

• One way we have seen so far is regression adjustment

$$Y_i = eta_0 + eta_1 Z_i + eta_2 X_i + arepsilon_i$$

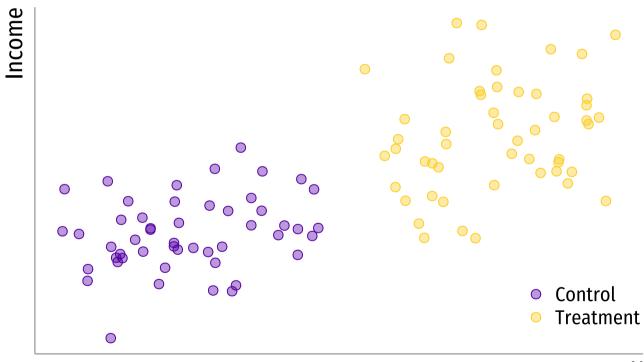
Under unconfoundedness, how would we interpret β_1 ?

• One way we have seen so far is regression adjustment

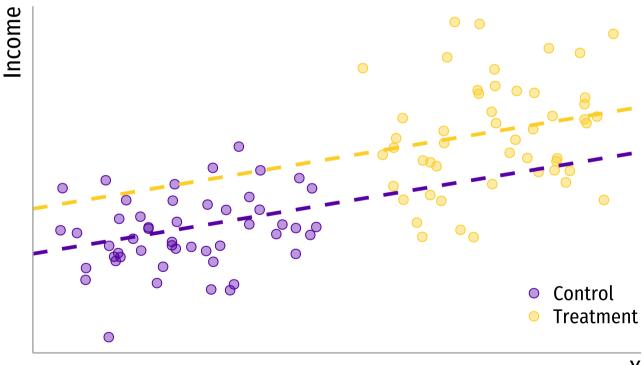
$$Y_i = eta_0 + eta_1 Z_i + eta_2 X_i + arepsilon_i$$

 β_1 is the estimated effect of Z on Y, holding X constant

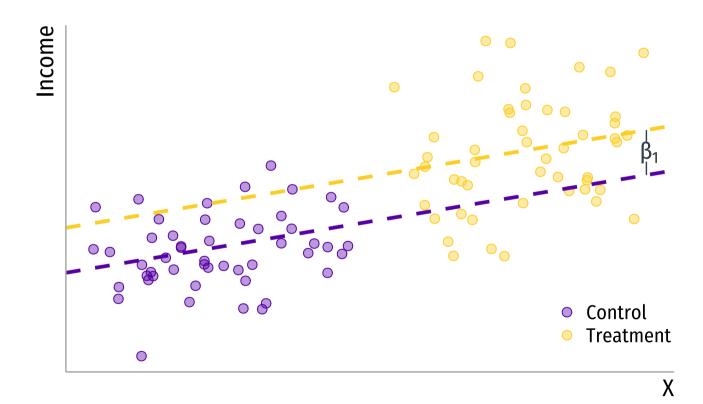
• But what if our data looks like this? Do you see a problem?



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Finding your perfect match...

Two peas in a pod

- One other route we could take is to find similar units in our sample and group them together.
- There are different ways to do it:
 - E.g. subclassification, matching.



Two peas in a pod

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What do we gain?



Advantages of matching methods

Reduce model dependence

Imbalance \longrightarrow model dependence \longrightarrow researcher discretion \longrightarrow bias

Compare like to like

No extrapolation!

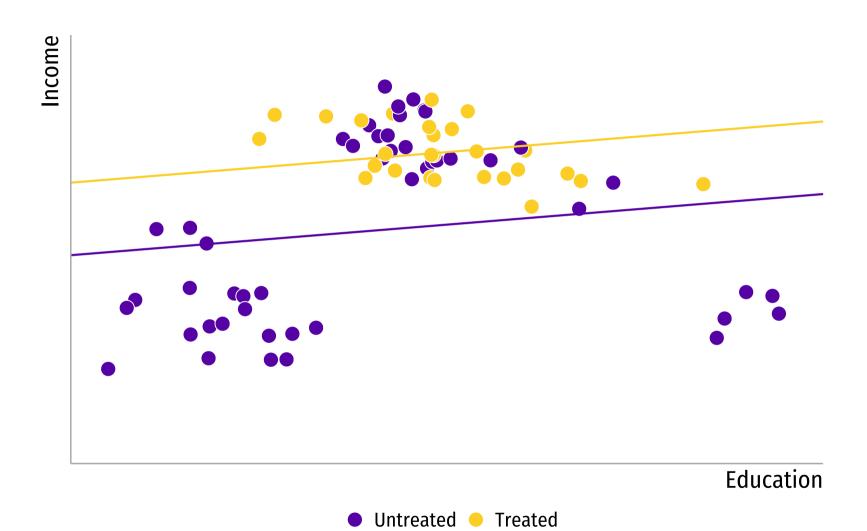
Can adjust closely by covariates

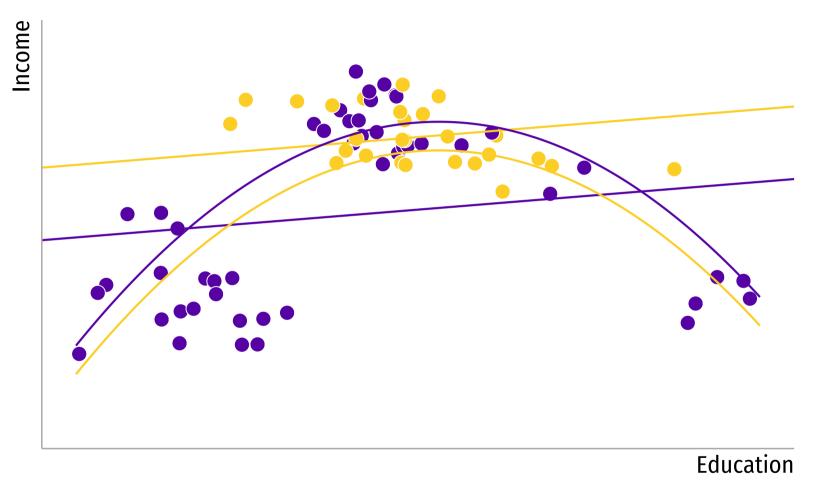
Exact matching, coarsened exact matching, fine balance..





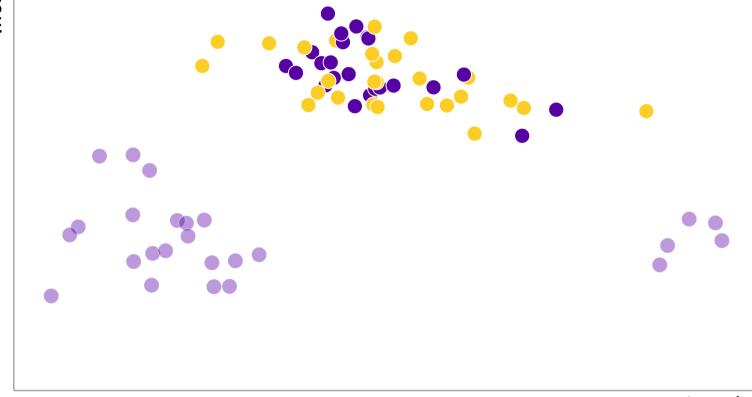
UntreatedTreated





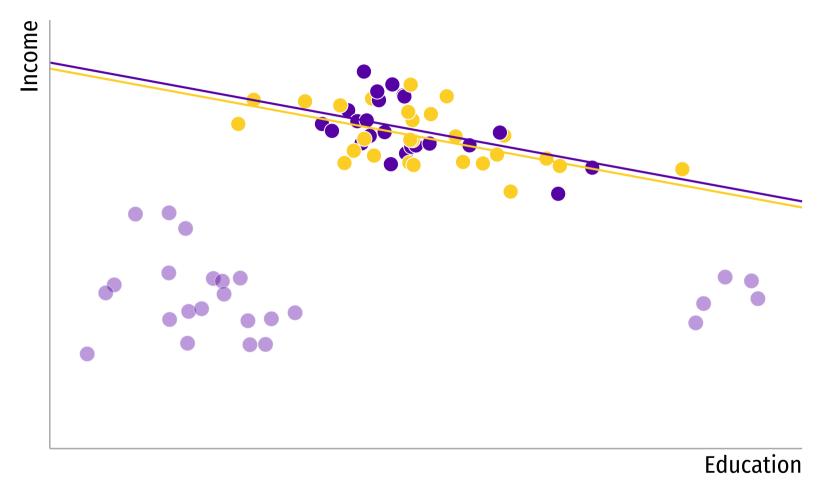
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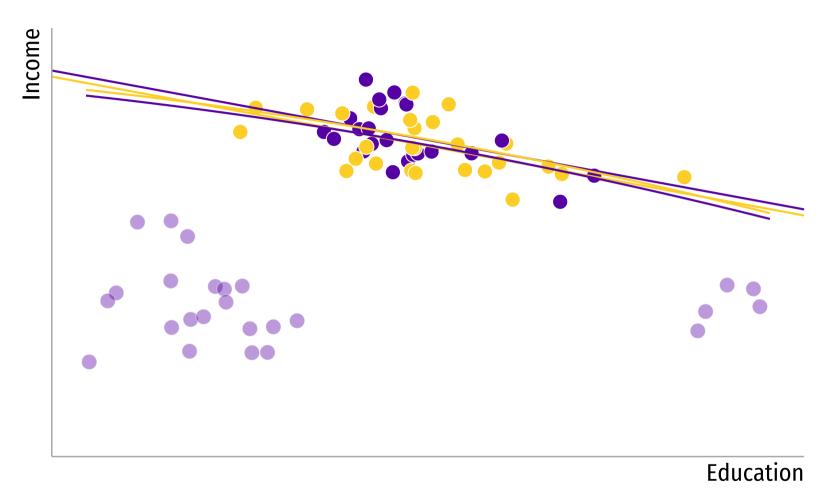


Education

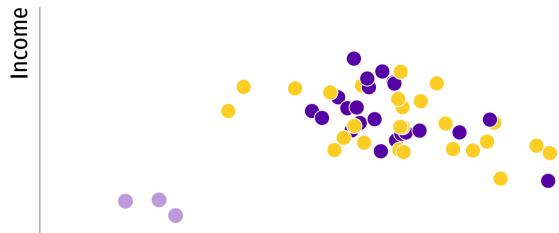
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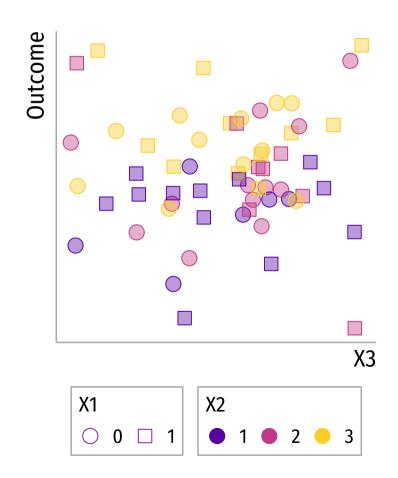
How do we know we can remove those observations?



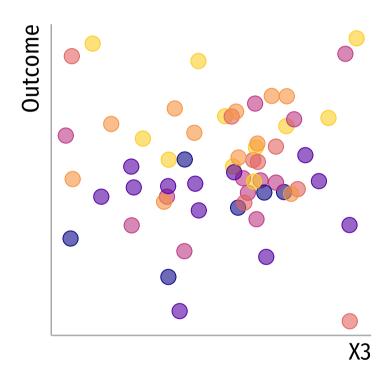




• Very similar to **stratifying**.

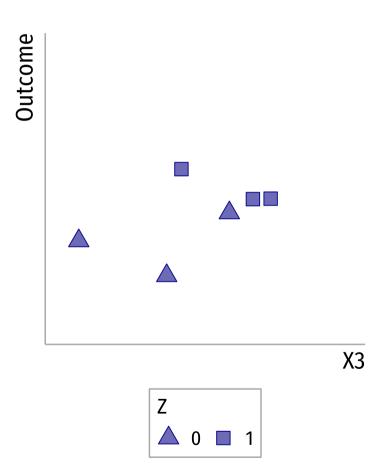


- Very similar to **stratifying**.
- Build combination of X1 and X2 (strata).

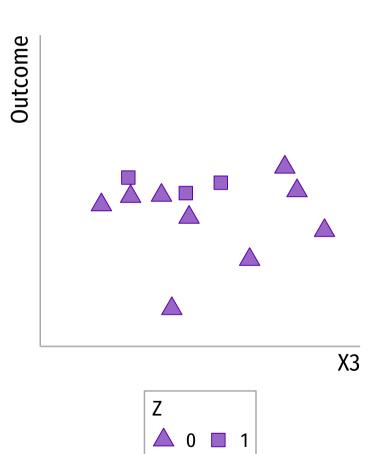




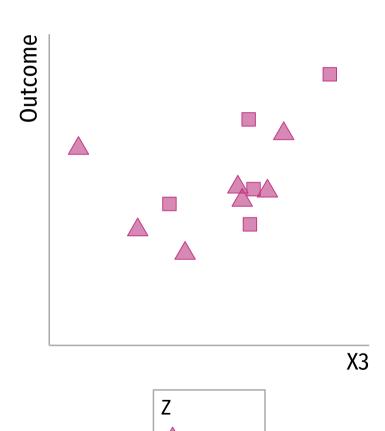
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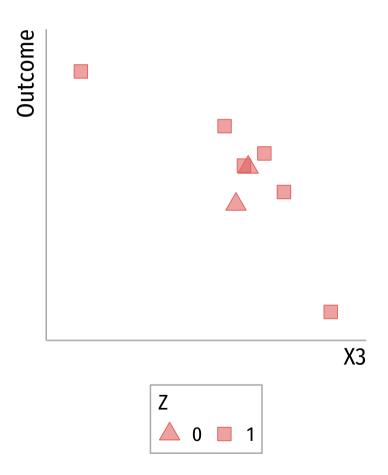
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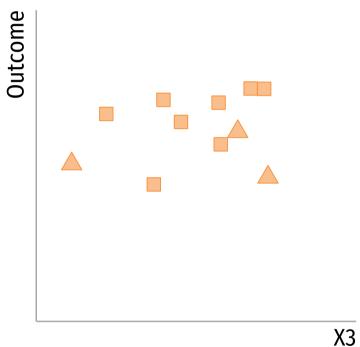


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Subclassification

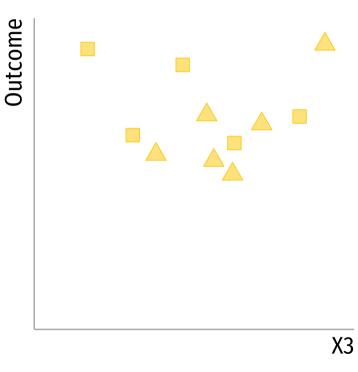
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Subclassification

• To estimate the Average Treatment Effect, we take a weighted average:

$$\hat{ATE} = \sum_{s=1}^{S} rac{N_s}{N} (ar{Y}_{1s} - ar{Y}_{0s})$$

What happens when we have too many variables to build strata?

The curse of dimentionality

- When we have too many covariates, the number of strata or groups grow exponentially!
 - E.g. with 4 covariates, each with 5
 categories, we have 625 combinations!
- Very possible that a stratum only has treatment or control units.



The curse of dimentionality

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What to do?



Breaking the curse: Balancing scores

- Want to reduce the dimentionality of our covariates
- A balancing score b(x) is a function of the covariates such that:

$$Z_i \perp \!\!\! \perp X_i | b(X_i)$$

- This means that conditioning on the balancing score is **enough to remove bias** associated to the covariates.
- Under unconfoundedness:

$$Y_i(0), Y_i(1) \perp \!\!\! \perp Z_i | b(X_i)$$

- There are different balancing scores:
 - E.g. propensity scores, mahalanobis distance.

Estimating balancing scores

Propensity score

$$\log(rac{p}{1-p}) = eta_0 + eta_1 X_1 + eta_2 X_2 + \ldots + eta_p X_p + arepsilon$$

```
where p = Pr(Z = 1)
```

Estimating balancing scores

Propensity score

• Importance of overlap region

Making groups comparable

 Using the previous balancing scores (or covariates directly!) we can match observations between the treatment and control group

Step 1: Preprocessing

Try to model the treatment assignment

Step 2: Estimation

Use the new trimmed/preprocessed data to build a model, calculate difference in means, etc.

How matchy-matchy

• There are different matching methods (and different ways to use them!)

Nearest neighbor (NN)

Use balancing scores; Greedy algorithm

Optimal matching

Solves an optimization problem; slow on large samples

Mixed Integer Programming (MIP) matching

Balances covariates directly; can generate smaller samples

Let's go to R

The shortcomings of matching

- Many researchers missuse matching and confuse it with an identification strategy
- In terms of identification, matching still relies on selection on observables

You need other source of exogeneous variation!

• Claiming that you can identify a causal effect just by using matching is almost the same as claiming this using a regression approach.

Usually not a good idea...

Don't get it twisted

- Matching works great as an adjustment method.
- Combined with other identification strategies, it can improve results!



Main takeaways



- Matching methods can be great tools for your analysis.
 - o Create more similar groups of comparisons.
 - Reduce model dependence
 - Even help with external validity (under assumptions)

Next week

- We will look at some identification strategies for observational studies:
 - Natural experiments and differences-in-differences.
- What assumptions need to hold?
- How do we identify a natural experiment?
- What does DD buy us?

References

- Angrist, J. and S. Pischke. (2015). "Mastering Metrics". Chapter 2.
- Heiss, A. (2020). "Program Evaluation for Public Policy". Class 7: Randomization and Matching, Course at BYU
- Imbens, G. and D. Rubin. (2015). "Causal Inference for Statistics, Social, and Biomedical Sciences: An Introduction". *Chapter 3*
- Cunningham, S. (2021). "Causal Inference: The Mixtape". Chapter 5