

**EXPERIMENT No. 1**  
**TESTS ON A SINGLE-PHASE TRANSFORMER**

Name \_\_\_\_\_ ID No. \_\_\_\_\_

Sec.No \_\_\_\_\_ Batch No. \_\_\_\_\_ Marks obtained \_\_\_\_\_

Date \_\_\_\_\_ Instructor's signature \_\_\_\_\_

1. **Objective:** To determine the parameters of the equivalent circuit of a single-phase transformer and estimate the performance characteristics.

2. **Name plate ratings of the transformer to be tested:**

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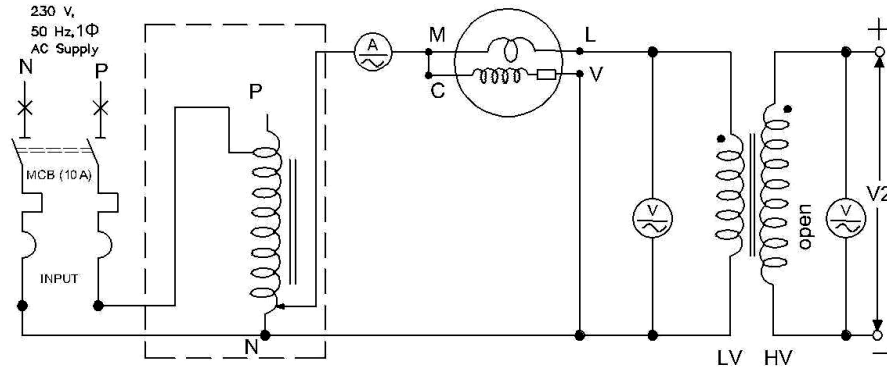
3. **Range of instruments and accessories (standard format)**

S. No.	DESCRIPTION	TYPE	RANGE	MFR. NAME	MFR. NO.

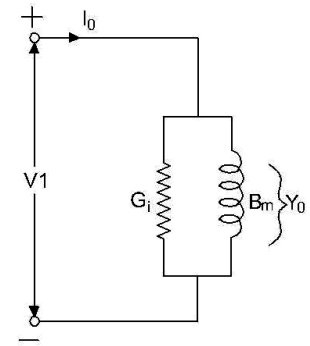
**Note:** In O.C. test, voltage applied is rated while current drawn is 5-8% of full-load current.

In S.C. test, full-load current is drawn while the voltage applied is 5-8% of rated-voltage.

4. **Circuit Diagrams**

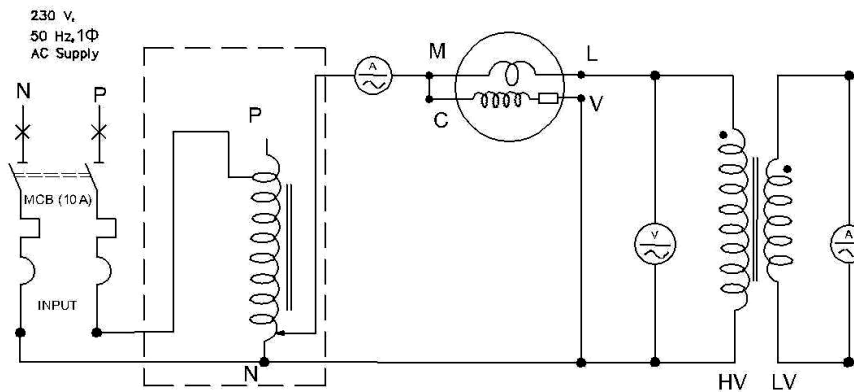


(a) Circuit diagram

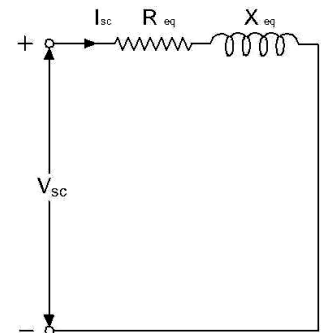


(b) Equivalent circuit

**Fig.1.2 O.C. Test; conducted from LV side**



(a) Circuit diagram



(b) Equivalent circuit

**Fig.1.3 S.C. Test; conducted from HV side**

## 5. Observations:

### a) Voltage ratio ( $\approx$ turns ratio) Test

$$\text{Voltage ratio } (\approx \text{turns ratio}) = \frac{V_2}{V_1} =$$

### b) Open Circuit (O.C.) Test

#### Readings

Applied voltage (rated),  $V_1 =$

No load current,  $I_0 =$

No load power (= core loss),  $P_i =$

## Short-Circuit

### Readings

Applied Voltage,  $V_{SC} =$

Input current,  $I_{SC} =$

Input power (=copper loss at rated current),  $P_{SC} =$

## 6. Calculations

$$Y_0 = \frac{I_0}{V_1} =$$

$$G_i = \frac{P_i}{V_1^2} =$$

$$B_m = \sqrt{(Y_0^2 - G_i^2)} =$$

$$Z_{eq} = \frac{V_{sc}}{I_{sc}} =$$

$$R_{eq} = \frac{P_{sc}}{I_{sc}^2} =$$

$$X_{eq} = \sqrt{(Z_{eq}^2 - R_{eq}^2)} =$$

a) Efficiency vs. Load characteristic at 0.8 power factor lag

**Table 1.1**

Serial No.	1	2	3	4	5	6	7	8
Different transformer Loading (K)	0.15	0.30	0.45	0.6	0.75	0.90	1.05	1.20
Copper loss ( $K^2.P_{SC}$ ) in kW								
Iron loss ( $P_i$ ) in kW								
Total loss( $P_L$ ) = ( $P_i + K^2.P_{SC}$ ) in kW								
Output Power ( $P_{out}$ ) in kW = $K.(Rated\ kVA).\cos \theta$								
Input Power ( $P_{in}$ ) in kW = $P_{out} + P_L$								
Estimated Efficiency $\eta = \frac{P_{out}}{P_{in}}$								

**b) Sample calculations:**

Loading,  $k =$

Output power,  $P_{out} = k.(Rated\ kVA).\cos \theta = k.(Rated\ kVA).(0.80) =$

Iron loss (constant loss) =  $P_i =$

Copper loss =  $k^2.P_{SC} =$

Total loss,  $P_L = (P_i + k^2.P_{SC}) =$

Input Power,  $P_{in} = P_{out} + P_L =$

$$\% \text{ Efficiency, } \eta = \frac{P_{\text{out}}}{P_{\text{in}}} \times 100 =$$

**c) Maximum Efficiency**

$$\text{Loading at which maximum efficiency occurs, } k_{\text{max}} = \sqrt{\frac{P_i}{P_{SC}}} =$$

$$\text{Maximum efficiency, } \eta_{\text{max}} = \left( \frac{k_{\text{max}} (\text{Rated kVA}) \cos \theta}{k_{\text{max}} (\text{Rated kVA}) \cos \theta + 2P_i} \right)$$

$$\eta_{\text{max}} \text{ at 0.8 power factor (lagging/leading)} =$$

$$\eta_{\text{max}} \text{ at unity power factor} =$$

**d) Regulation vs. Power factor**

Determine the following on HV side

$$\text{Rated voltage } V = \quad , \quad \text{Rated current } I =$$

$$R_{\text{eq}} = \quad , \quad X_{\text{eq}} =$$

$$\text{Regulation (for lagging power factor)} = I(R_{\text{eq}} \cos \theta + X_{\text{eq}} \sin \theta) / V$$

$$\text{Regulation (for leading power factor)} = I(R_{\text{eq}} \cos \theta - X_{\text{eq}} \sin \theta) / V$$

**Table 1.2**

Power factor, $\cos \theta$	0.2 leading	0.4 Leading	0.6 leading	0.8 leading	1.0	0.8 lagging	0.6 lagging	0.4 lagging	0.2 lagging
$R_{eq} \cos \theta$									
$X_{eq} \sin \theta$									
Regulation									

Mark the power factor corresponding to zero voltage regulation.

### 7. GRAPHS:

Draw: (a) Estimated Efficiency vs. output, at 0.8 power factor lag and unity power factor.

(b) Estimated Regulation vs. power factor.

### 8. RESULTS:

a. Load	Efficiency
$\frac{1}{4} FL$	_____
$\frac{1}{2} FL$	_____
$\frac{3}{4} FL$	_____
FL	_____

b. Maximum efficiency =

Load at which maximum efficiency occurs =

c. Power factor at which regulation is zero =

**EXPERIMENT No. 2**  
**LOAD TEST ON A DC SHUNT GENERATOR**

Name \_\_\_\_\_ ID No. \_\_\_\_\_  
Sec.No \_\_\_\_\_ Batch No. \_\_\_\_\_ Marks obtained \_\_\_\_\_  
Date \_\_\_\_\_ Instructor's signature \_\_\_\_\_  
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**1. Objective**

To obtain external characteristic of a DC shunt generator.

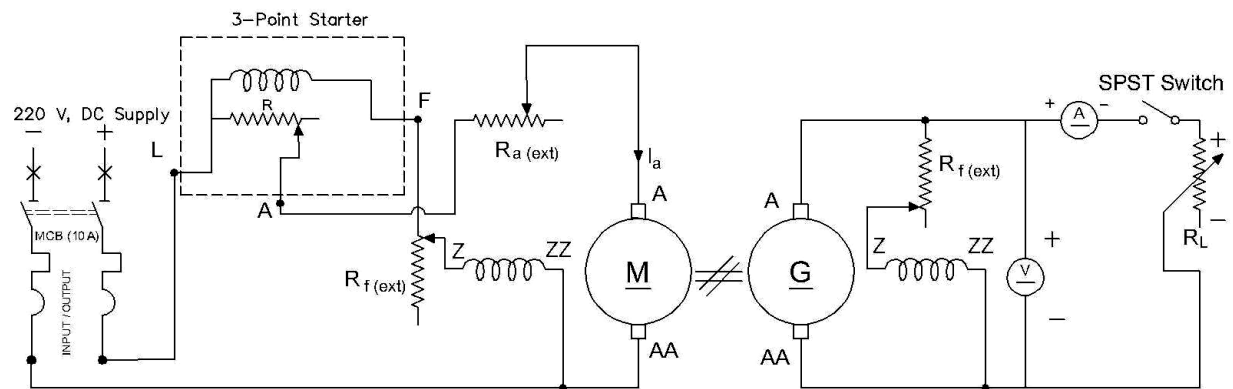
**3. Name plate ratings:**

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**4. Range of instruments and accessories (standard format)**

S.No.	DESCRIPTION	TYPE	RANGE	MFR. NAME	MFR. NO.

## 1. Connection Diagram



**Fig.2.1**

## 6. Readings:

Generator field resistance =

No-load speed,  $n_0 =$  (to be kept constant)

No-load voltage,  $V_0 =$

**Table 2.1**

$V_L$									
$I_L$									

## 7. Graph

(1)  $V_L$  vs.  $I_L$

## 9. Results



### EXPERIMENT No. 3

#### OC AND SC TESTS ON A SYNCHRONOUS MACHINE

Name \_\_\_\_\_ ID No. \_\_\_\_\_

Sec.No \_\_\_\_\_ Batch No. \_\_\_\_\_ Marks obtained \_\_\_\_\_

Date \_\_\_\_\_ Instructor's signature \_\_\_\_\_

#### 1. Objective:

To determine the equivalent circuit parameters of a synchronous machine and hence to estimate the percentage regulation at different power factors.

#### 2. Name plate ratings:

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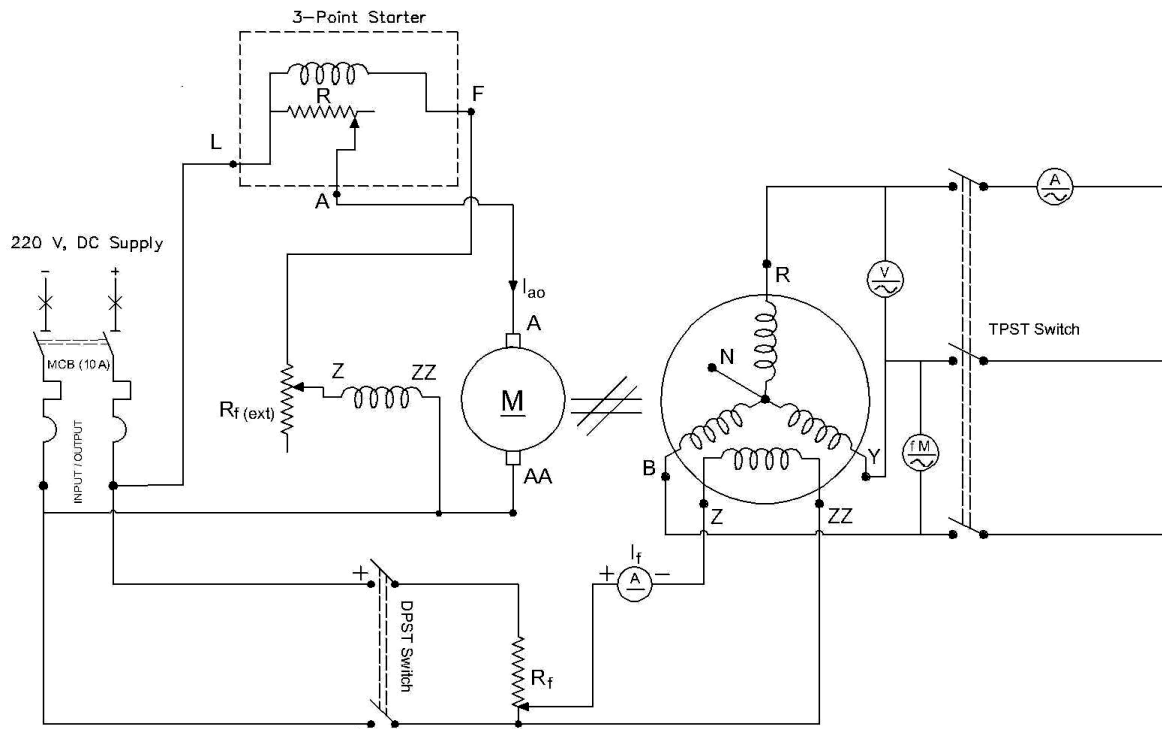
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#### 4. Range of instruments and accessories (standard format)

S.No.	DESCRIPTION	TYPE	RANGE	MFR. NAME	MFR. NO.

## 5. Connection Diagram



*Fig.3.2 Connection diagram for conducting O.C. and S.C. test.*

## 6. Readings

### OC Test

**Table 3.1 (O.C.C.)**

$I_f$ (A)								
$V_{OCL}$ (line) (V)								
$V_{OC}$ (phase) (V)								

### SC Test

**Table 3.2**

$I_f$ (A)					
$I_{SC}$ (A)					

## Armature Resistance

### 7. Calculations & Results (all calculations are done on per phase basis)

Calculate  $Z_s$  for all values of  $I_f$ . Plot  $Z_s$  against  $I_f$ . Comment on the variation of  $Z_s$  and explain reasons for the same.

$I_f$										
$Z_s$										

$$1. \quad Z_s(\text{unsaturated}) = \left( \frac{V_{oc}}{I_{sc}} \right) \Bigg|_{I_f = \text{constant}} =$$

$$2. \quad Z_s(\text{adjusted}) = \left( \frac{V_{oc}(\text{rated})}{I_{sc}} \right) \Bigg|_{I_f \text{ corresponding to } V_{oc}(\text{rated value})} =$$

$$X_s(\text{adjusted}) = \sqrt{(Z_s(\text{adj})^2 - R_e^2)} =$$

Observe that in your calculation of  $X_s(\text{adj})$ , effect of  $R_e$  (phase) can be ignored so that

$$X_s(\text{adj}) = Z_s(\text{adj})$$

- 1) Calculate the percentage regulation at full load 0.8 power factor lag/ lead and unity power factor for synchronous generator.

### 8. Graphs: O O.C.C., S.C.C. and $Z_s$ vs. $I_f$ .

### 9. Results

Percentage regulation at upf =

at 0.8 pf lag =

at 0.8 pf lead =

## EXPERIMENT NO.4

### MEASUREMENT OF POWER IN THREE-PHASE CIRCUIT

Name \_\_\_\_\_ ID No. \_\_\_\_\_

Sec.No \_\_\_\_\_ Batch No. \_\_\_\_\_ Marks obtained \_\_\_\_\_

Date \_\_\_\_\_ Instructor's signature \_\_\_\_\_

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#### 1. Objective

To measure the active power, reactive power, apparent power & power factor in the three phase circuit by two-wattmeter method.

#### 2. Name plate ratings:

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#### 4. Range of instruments and accessories (standard format)

S.No.	DESCRIPTION	TYPE	RANGE	MFR. NAME	MFR. NO.

## 5. Connection diagram

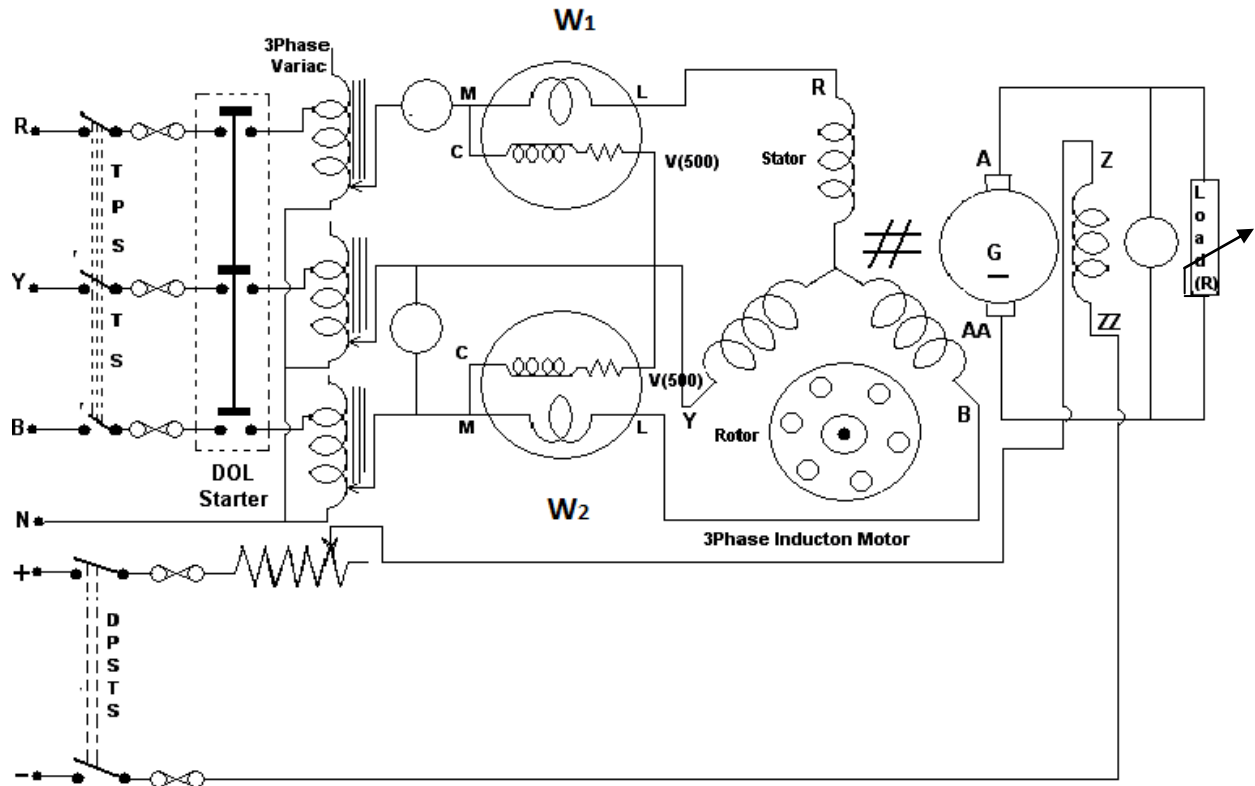


Fig 4.1: Power measurement by using two-wattmeter method

## 6. Readings

$$\text{Multiplication Factor (MF) of Wattmeter (WM)} = \frac{(\text{P.C. range} \times \text{C. C. range} \times \text{pf})}{(\text{Total no. of divisions on the scale})}$$

1. Multiplication factor (M.F.) of W1 = \_\_\_\_\_

2. Multiplication factor (M.F.) of W2 = \_\_\_\_\_

## 7. Observations:

Table 4.1

S.NO	Wattmeter1 ×MF (W <sub>1</sub> ) Watts	Wattmeter2 ×MF (W <sub>2</sub> ) Watts	Ammeter (I <sub>L</sub> ) Amps	Voltmeter (V <sub>L</sub> ) Volts	Active Power (KW)	Reactive Power (KVAR)	Apparent Power (KVA)	Power Factor CosΦ
Load 0								
Load I								
Load II								
Load III								
Load IV								
Load V								

## 8. Calculations

1. Reading of wattmeter 1

$$W_1 = \text{No. of Div.} \times \text{M.F.} = \underline{\hspace{2cm}}$$

2. Reading of wattmeter '2'

$$W_2 = \text{No. of Div.} \times \text{M.F.} = \underline{\hspace{2cm}}$$

3. Active power in three phase load;

$$P = W_1 + W_2 = \underline{\hspace{2cm}}$$

4. Reactive power in three phase load;

$$Q = \sqrt{3} (W_2 - W_1) \text{ Vars} = \underline{\hspace{2cm}}$$

5. Apparent power in three phase load

$$S = \sqrt{P^2 + Q^2}$$

6. Power factor of the load

$$\text{p.f.} = \cos (\tan^{-1} (Q/P)) = \underline{\hspace{2cm}}$$

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## 9. Results