



ISLAMIC UNIVERSITY OF TECHNOLOGY (IUT)
ORGANISATION OF ISLAMIC COOPERATION (OIC)
DEPARTMENT OF ELECTRICAL AND ELECTRONIC
ENGINEERING

Name: Maimuna Biswas Noshin

ID : 200021347

Section: C(1)

Course no.: EEE 4606

Assignment no : 03

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Assignment 1:

(a)

```
clc
```

```
close all
```

```
clear all
```

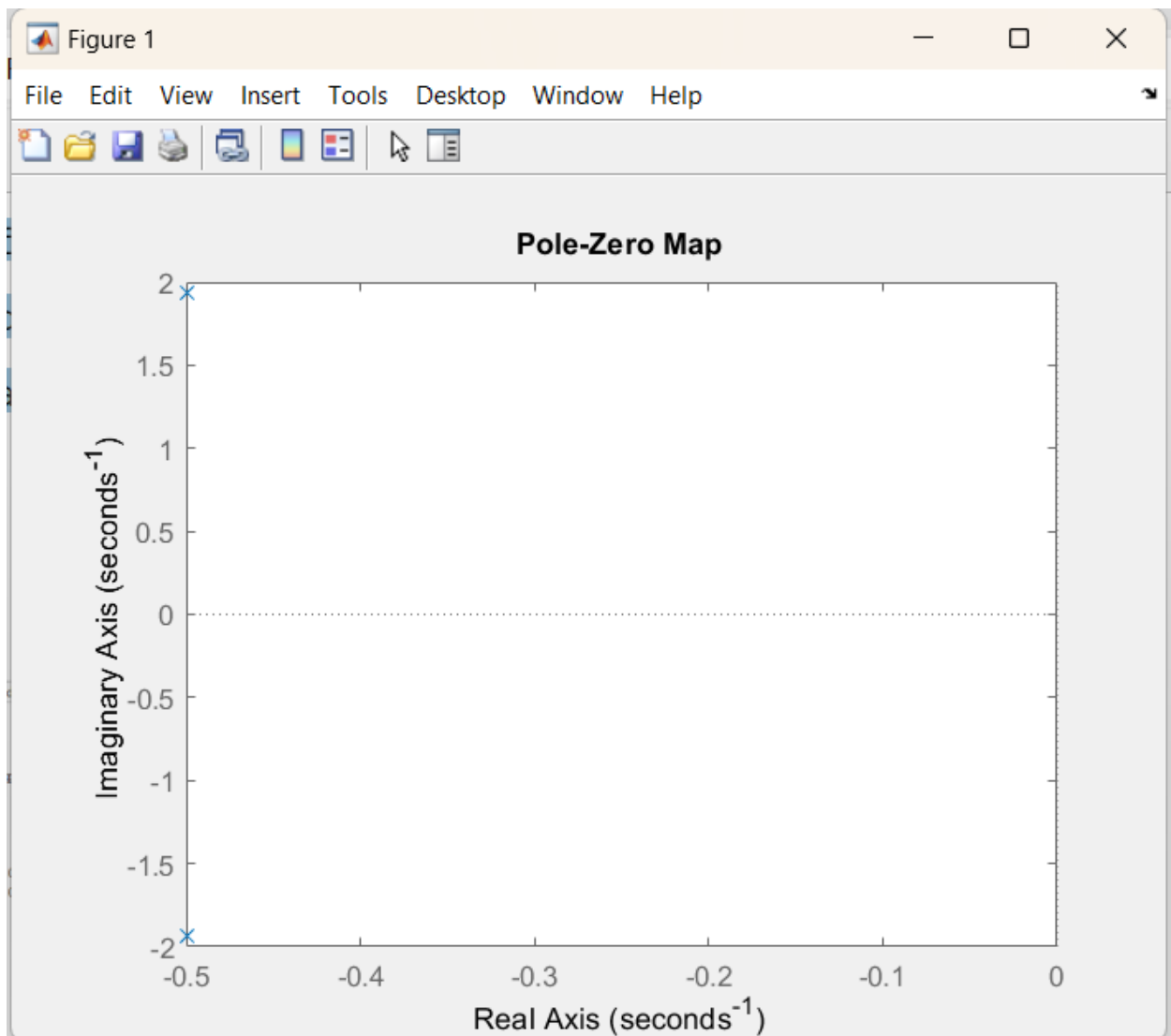
```
num=1;
```

```
den=[1 1 4];
```

```
g=tf(num,den);
```

```
[z,p,k]=tf2zp(num,den)
```

```
pzmap(g)
```



```
z =  
  
0×1 empty double column vector  
  
p =  
  
-0.5000 + 1.9365i  
-0.5000 - 1.9365i  
  
k =  
  
1
```

(b)

clc

close all

clear all

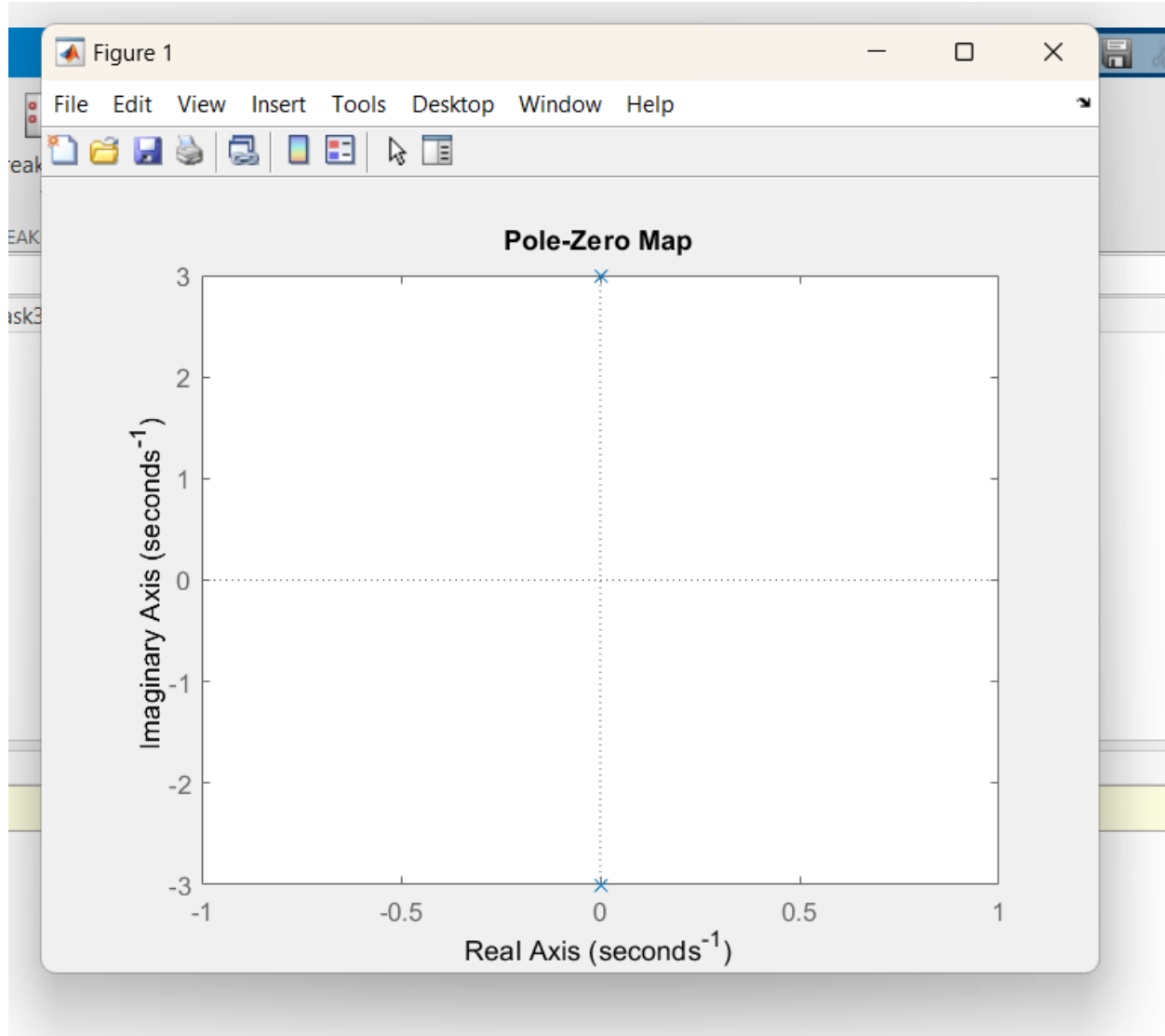
num=5;

den=[1 0 9];

g=tf(num,den);

[z,p,k]=tf2zp(num,den)

pzmap(g)



```
z =  
  
0×1 empty double column vector  
  
p =  
  
0.0000 + 3.0000i  
0.0000 - 3.0000i  
  
k =  
  
5  
fx >>
```

(c)

clc

close all

clear all

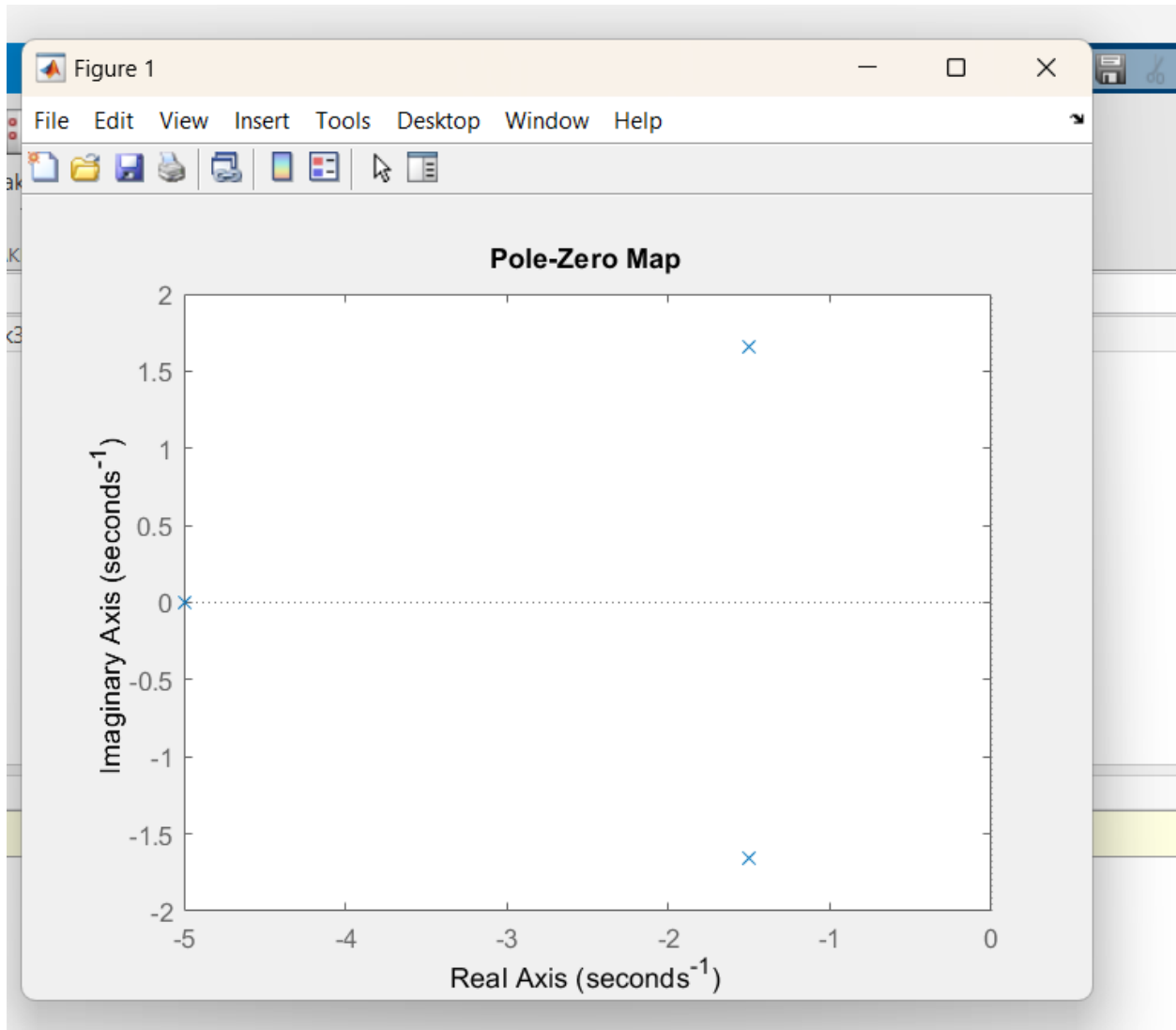
num=1

den=conv([1 5],[1 3 5])

g=tf(num,den)

[z,p,k]=tf2zp(num,den)

pzmap(g)



z =

0×1 empty double column vector

p =

-5.0000 + 0.0000i

-1.5000 + 1.6583i

-1.5000 - 1.6583i

k =

1

Assignment - 1:

$$a) G(s) = \frac{1}{s^2 + 6s + 4}$$

$$= -\frac{1}{2} \pm j1.93$$

no zero
Gain: 1

$$b) G(s) = \frac{5}{s^2 + 9}$$

poles: $D(s) = 0$

$$\Rightarrow s = \pm 3j$$

No zeros

Gain: 5

$$c) G(s) = \frac{1}{(s^2 + 3s + 5)(s + 5)}$$

poles: $D(s) = 0$

$$s = -5, -\frac{3}{2} \pm j\frac{\sqrt{11}}{2}$$

Zero: none

Gain: 1

Assignment 2:

(a)

clc

close all

clear all

p=[-1+i -1-i -4];

z=[-2 -5];

k=1;

[num,den]=zp2tf(z',p',k);

g=tf(num,den)

```
g =  
  
      s^2 + 7 s + 10  
      -----  
      s^3 + 6 s^2 + 10 s + 8  
  
Continuous-time transfer function.  
  
>>
```

(b)

clc

close all

clear all

```
p=[-1+4i -1-4i -5];
```

```
z=[-8 -5];
```

```
k=0.75;
```

```
[num,den]=zp2tf(z',p',k);
```

```
g=tf(num,den)
```

```
g =
```

$$\frac{0.75 s^2 + 9.75 s + 30}{s^3 + 7 s^2 + 27 s + 85}$$

```
Continuous-time transfer function.
```

Assignment - 2:

a) $p = -1 \pm i, -4$

$$z = -2, -5$$

$$K = 1$$

$$G(s) = \frac{s^2 + 7s + 10}{s^2 + 6s^2 + 10s + 8}$$

b) $p = -1 \pm 4j, -5$

$$z = -4, -8$$

$$K = 0.75$$

$$G(s) = \frac{0.75s^2 + 9.75s + 30}{s^3 + 7s^2 + 27s + 8}$$

Discussion:

1. Significance of the Transfer Function:

A system's transfer function highlights the relationship between its input and output. It allows for the determination of the output response and the identification of parameters such as poles and zeros. Additionally, the stability of the system can be analyzed using the transfer function.

2. Impact of Poles and Zeros on System Performance:

→ Adding poles to the transfer function shifts the root locus to the right, making the system less stable. Conversely, adding zeros to the transfer function shifts the root locus to the left, enhancing the system's stability.

Assignment 3:

(a)

```
clc
```

```
close all
```

```
clear all
```

```
num=[1];
```

```
den=[1 11];
```

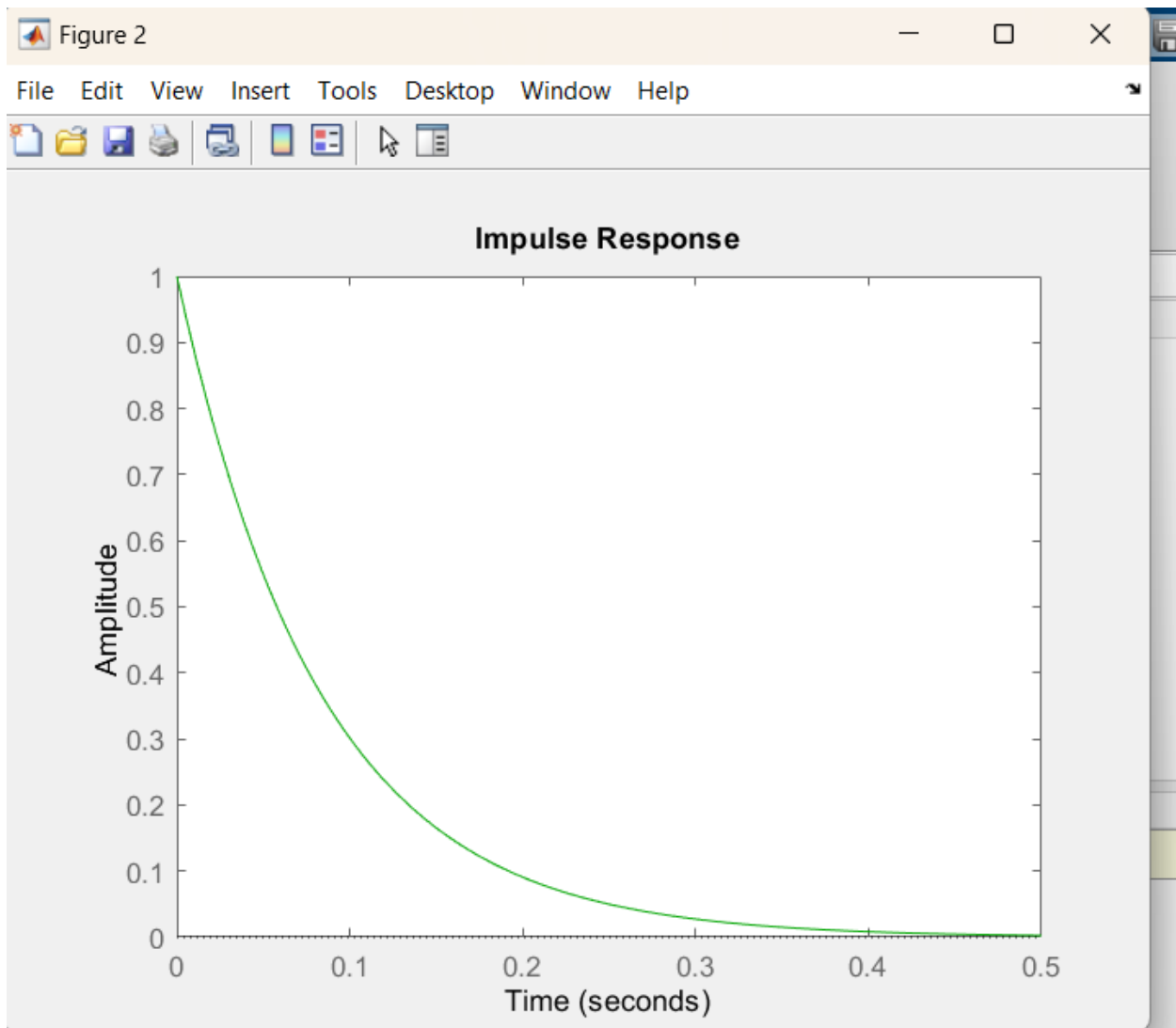
```
g=tf(num,den)
```

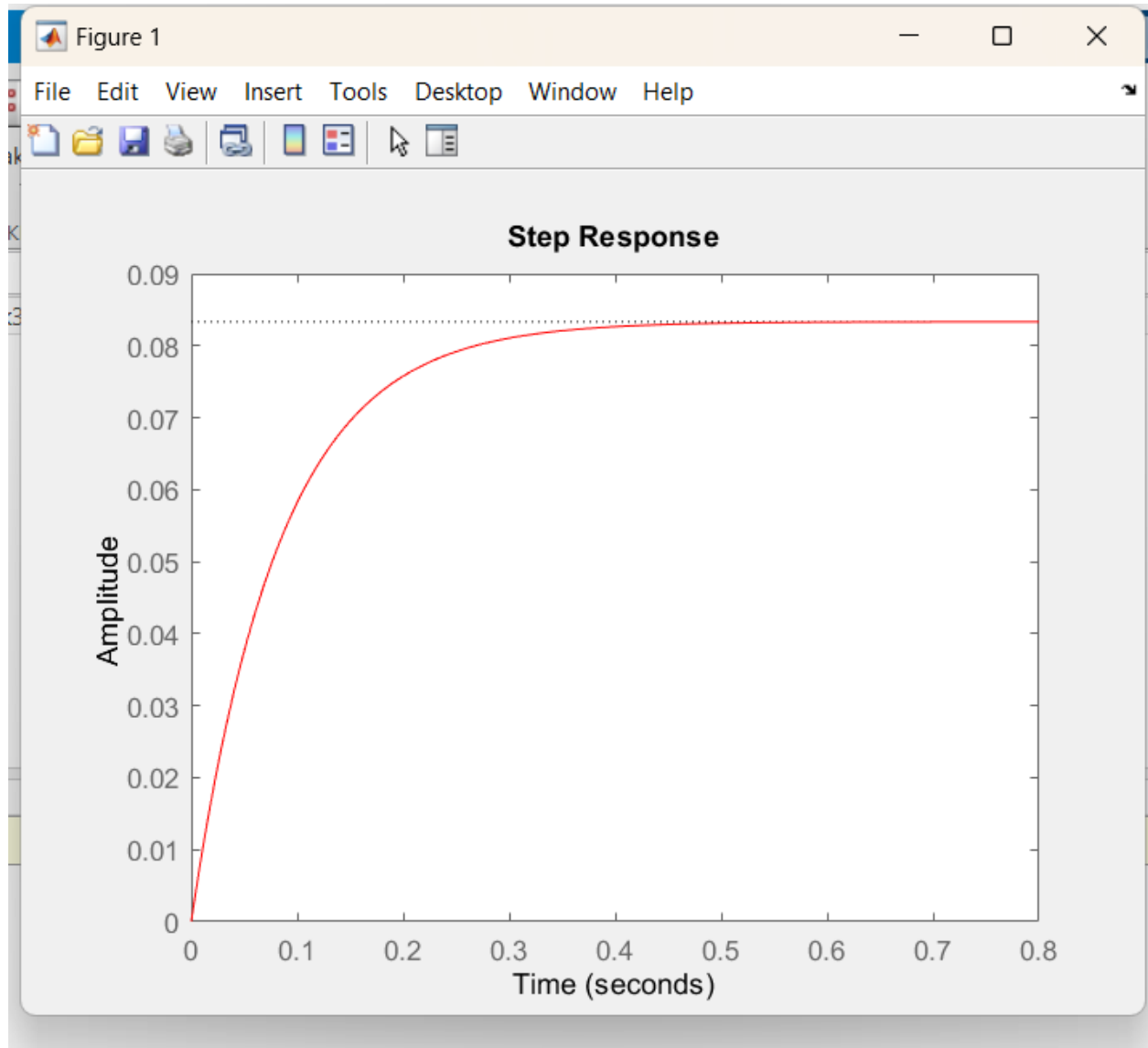
```
t=feedback(g,1)
```

```
step(t,'r')
```

```
figure(2)
```

```
impulse(t,'g')
```






```
g =
```

$$\frac{1}{s + 11}$$

Continuous-time transfer function.

```
t =
```

$$\frac{1}{s + 12}$$

Continuous-time transfer function.

fx

(b)

```
clc
```

```
close all
```

```
clear all
```

```
num=[1];
```

```
den=[1 2];
```

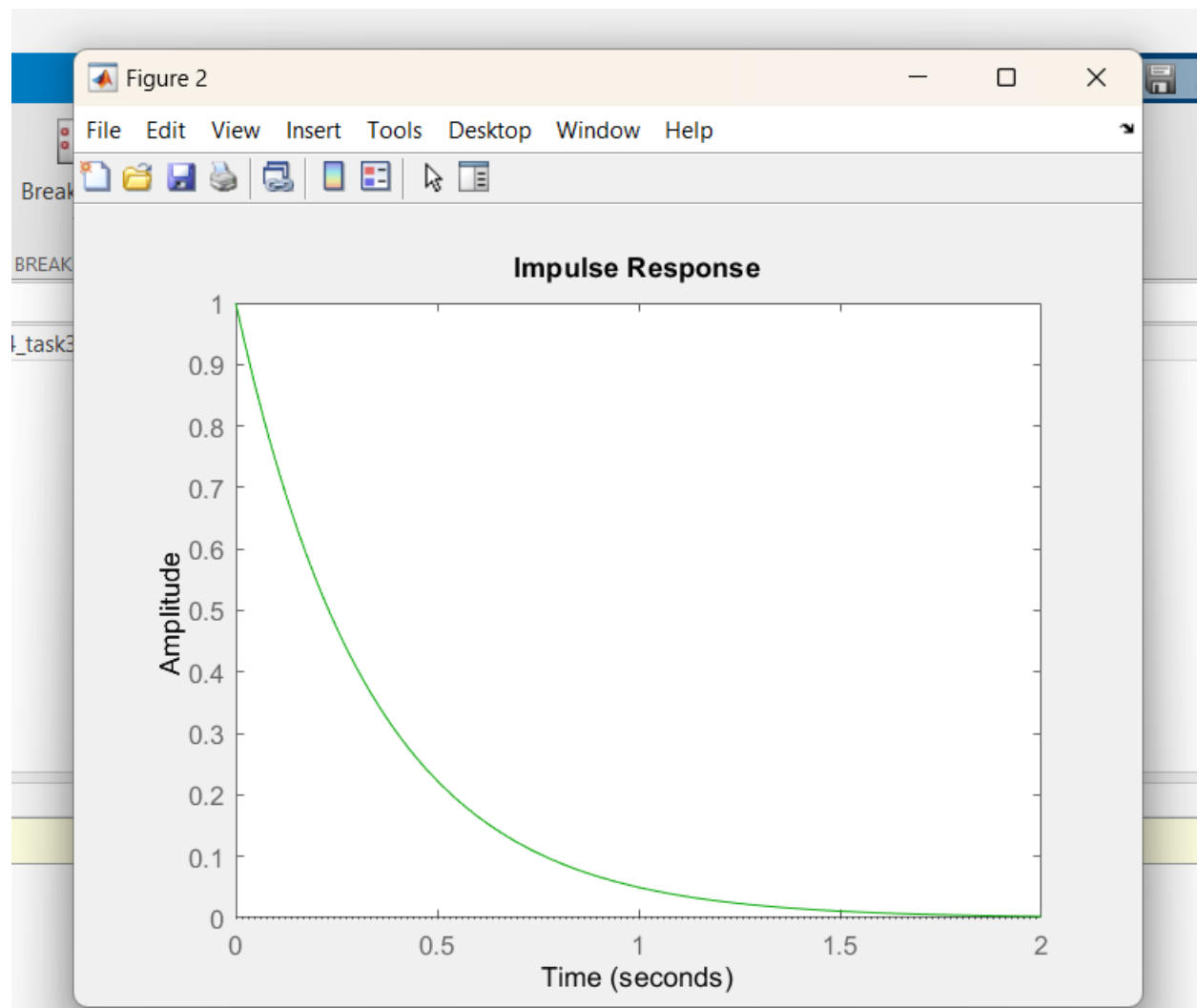
```
g=tf(num,den)
```

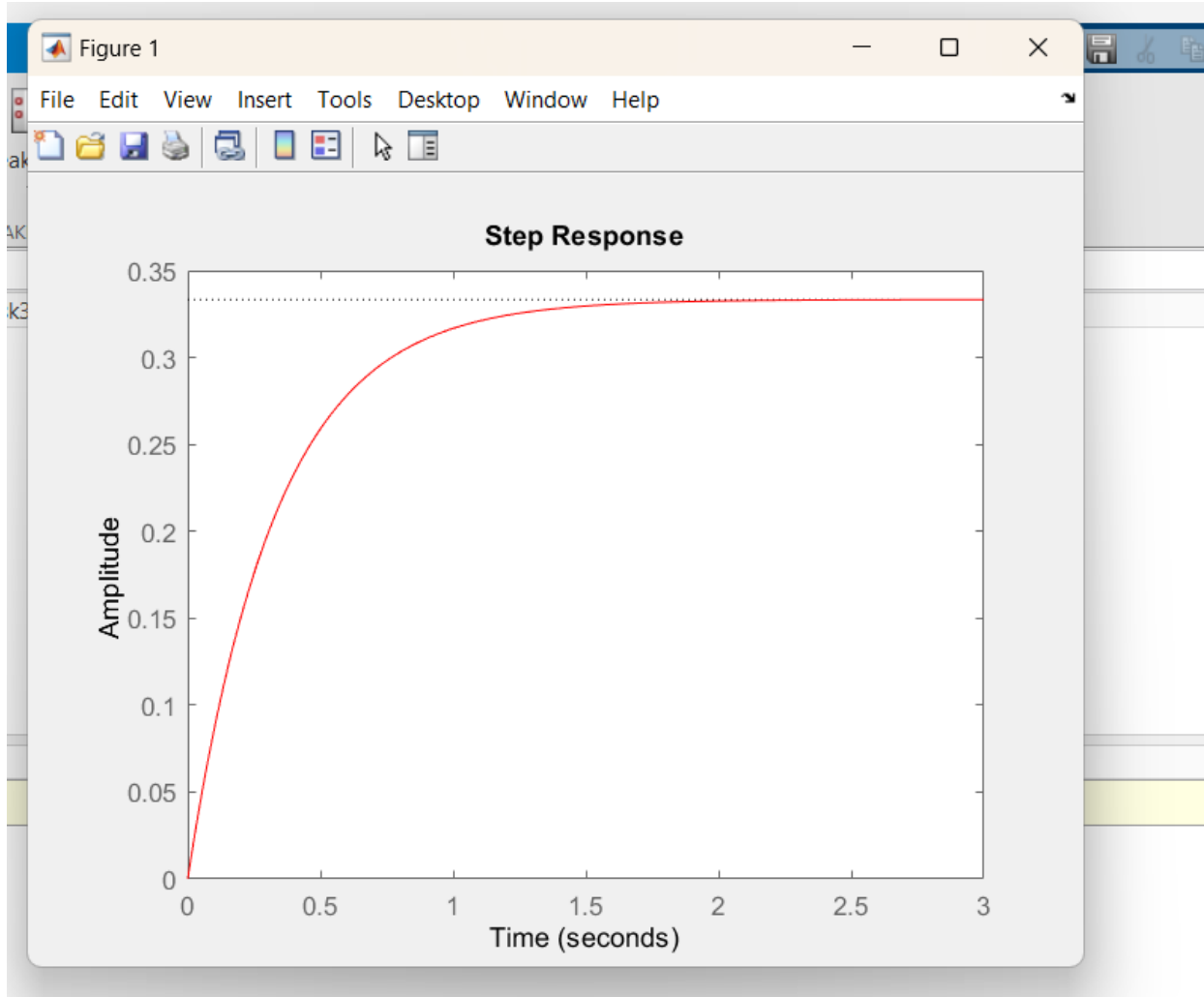
```
t=feedback(g,1)
```

```
step(t,'r')
```

figure(2)

impulse(t,'g')





g =

$$\frac{1}{s + 2}$$

Continuous-time transfer function.

t =

$$\frac{1}{s + 3}$$

Continuous-time transfer function.

Discussion:

1. Explain why a series RL circuit with high inductance has a slow response.

We know, $\tau = L/R$

If L is very high the time constant will be significantly large resulting in greater delay. Thus, the circuit will have a slow response.

Assignment 4:

(a)

clc

close all

clear all

num=[1];

den=conv([1 4],[1 8]);

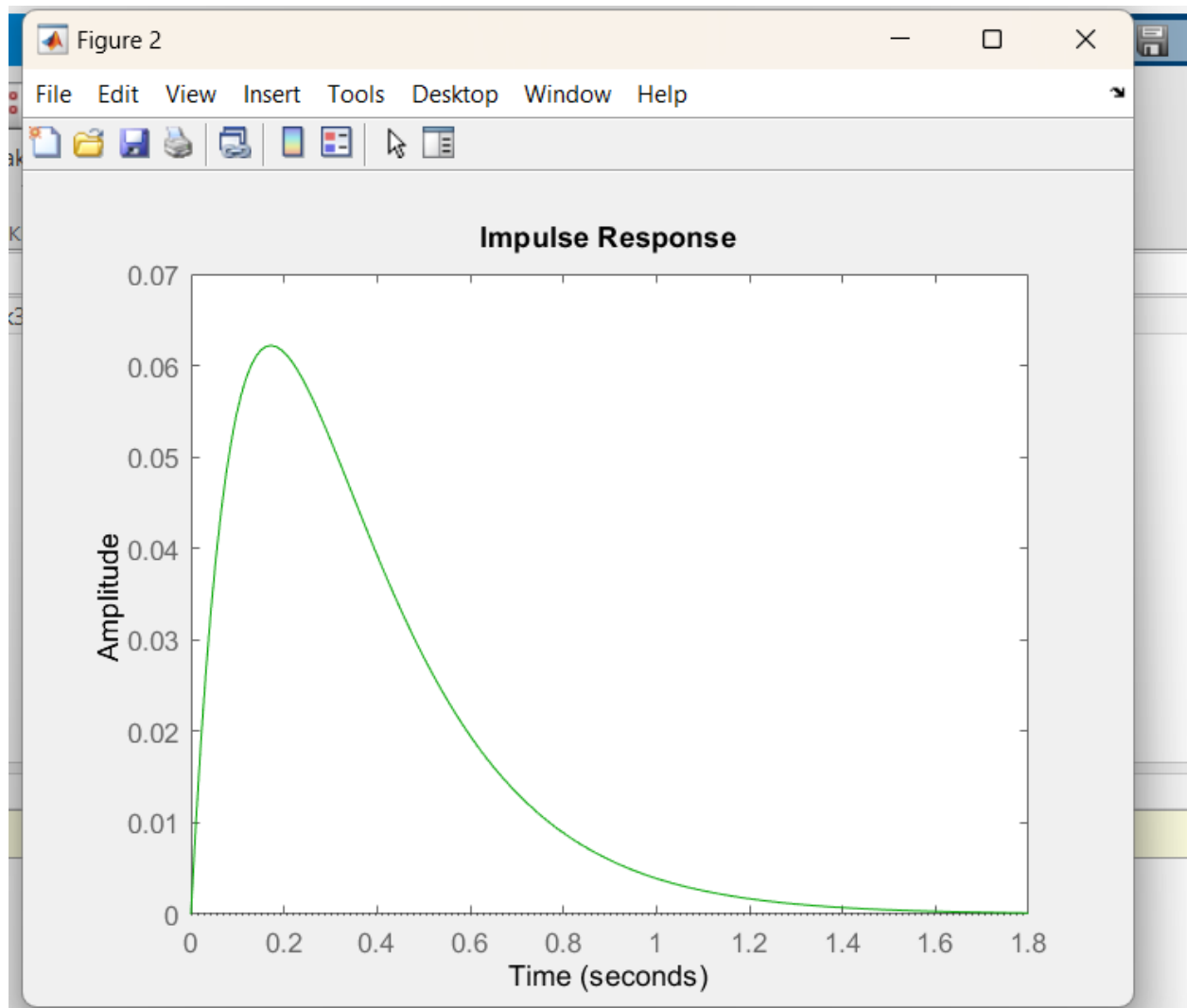
g=tf(num,den)

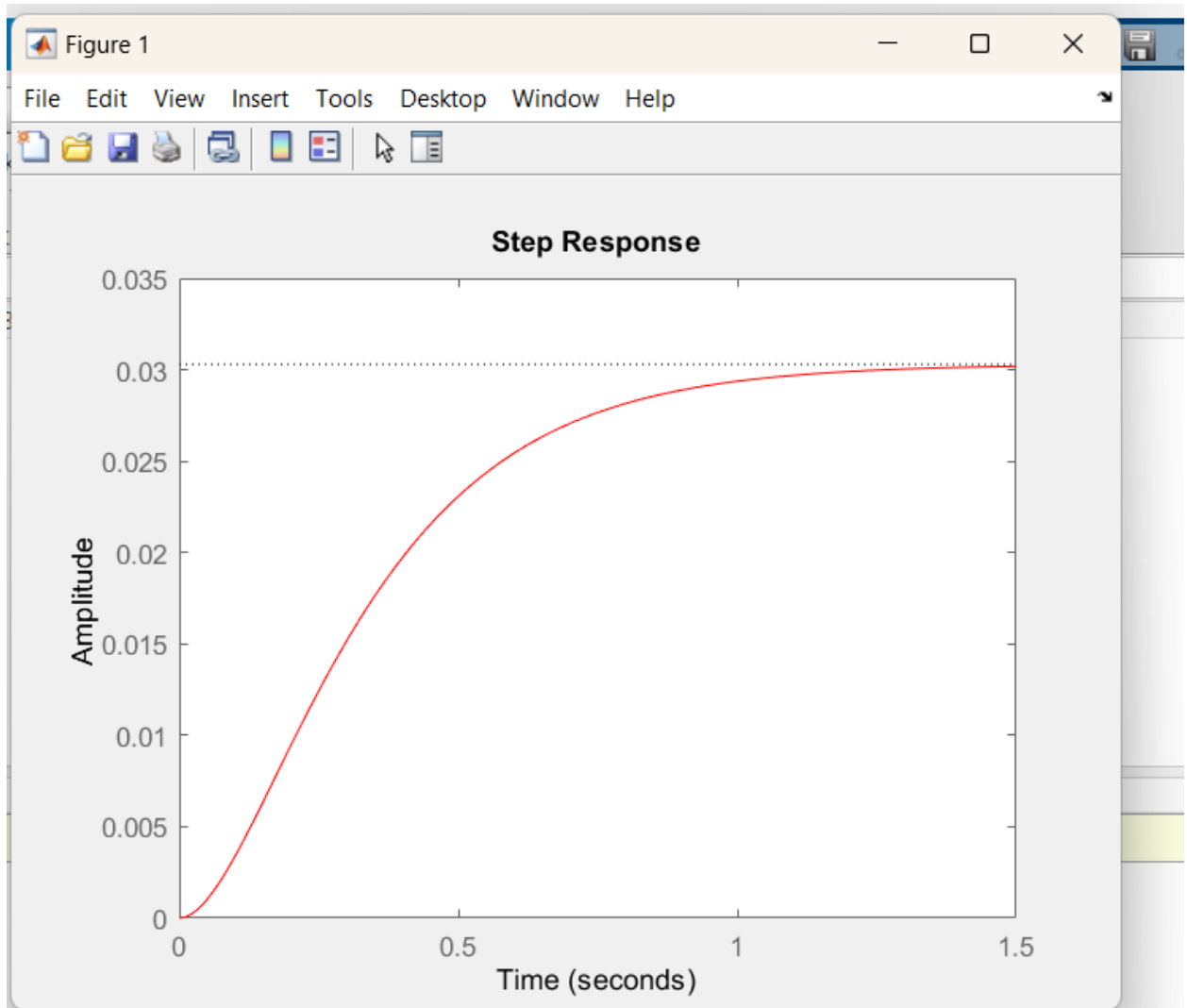
t=feedback(g,1)

step(t,'r')

figure(2)

impulse(t,'g')





g =

$$\frac{1}{s^2 + 12s + 32}$$

Continuous-time transfer function.

t =

$$\frac{1}{s^2 + 12s + 33}$$

Continuous-time transfer function.

fx

(b)

clc

close all

clear all

num=[1];

den=[1 3 4];

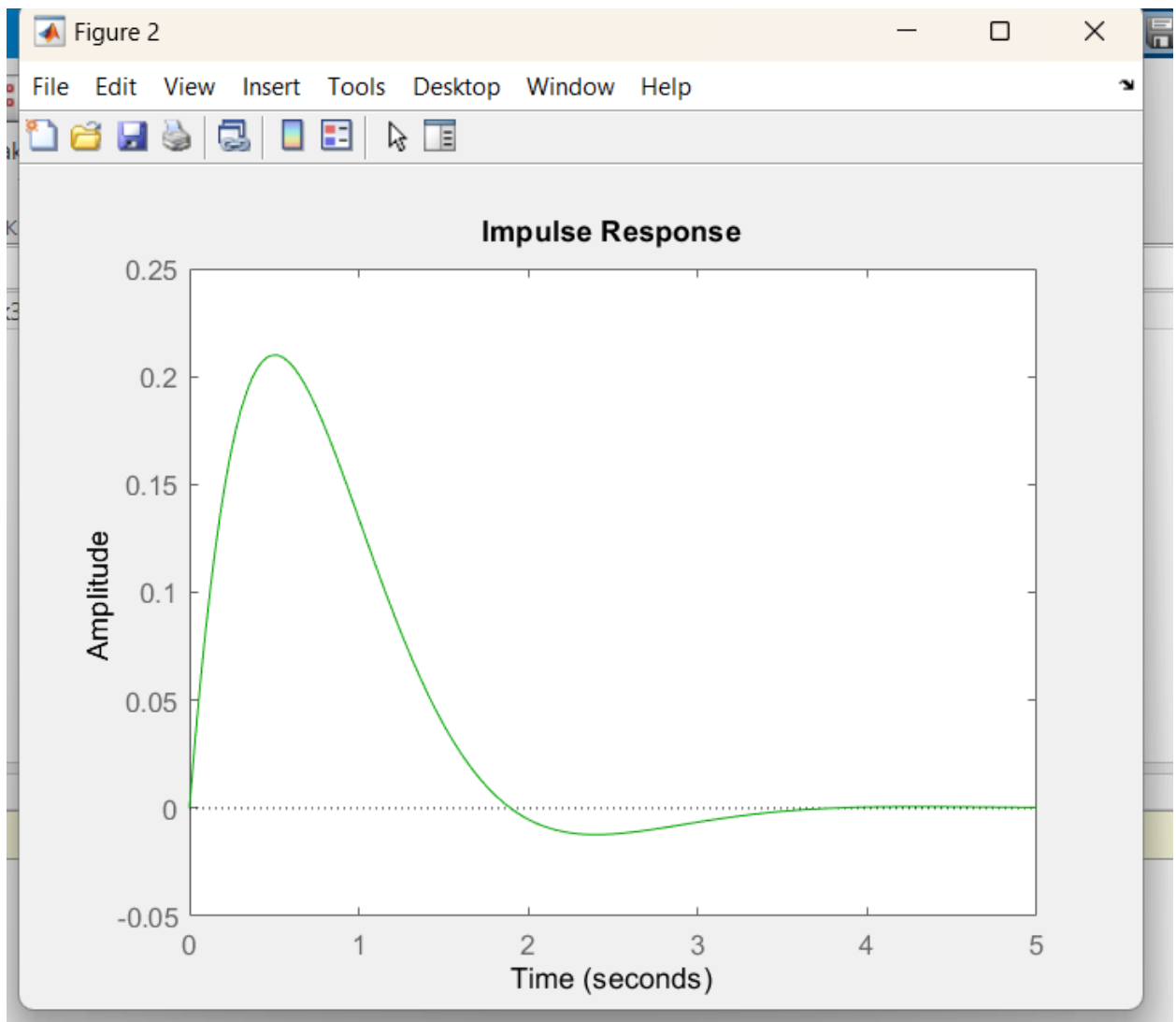
g=tf(num,den)

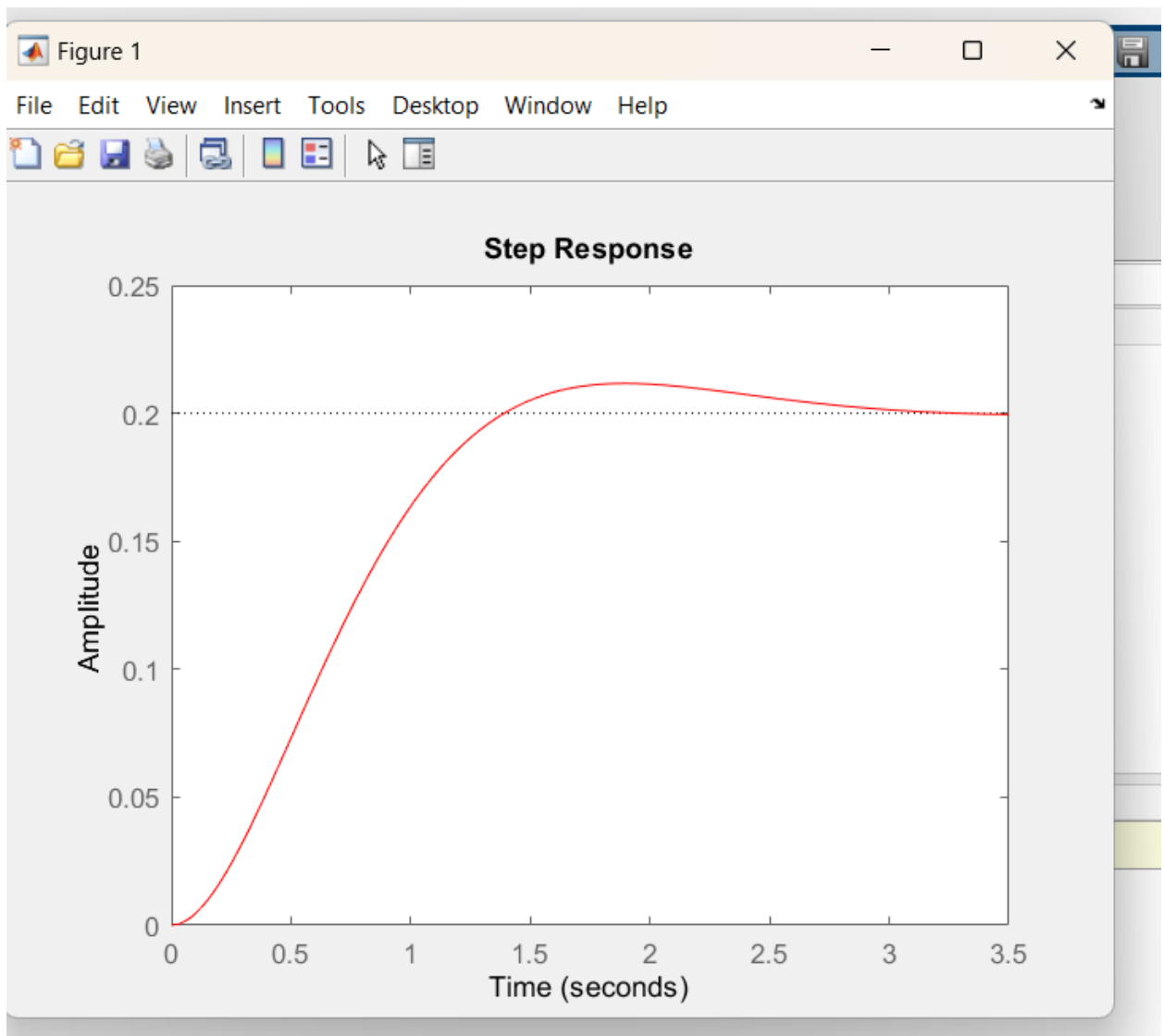
t=feedback(g,1)

step(t,'r')

figure(2)

impulse(t,'g')





g =

$$\frac{1}{s^2 + 3s + 4}$$

Continuous-time transfer function.

t =

$$\frac{1}{s^2 + 3s + 5}$$

Continuous-time transfer function.

Discussion:

1. What is Rise Time? Derive its Expression for a Unity Feedback Second-Order Control System

- Rise time is the duration required for the system's response to increase from 10% to 90%, 5% to 95%, or 0% to 100% of its final value. In underdamped second-order systems, the 0% to 100% rise time is typically used. For overdamped systems, the 10% to 90% rise time is commonly considered.

2. Why is Less Overshoot Desired in Practical Systems?

- Minimizing overshoot is preferred to achieve a stable system, as smaller overshoot contributes to enhanced stability.

2nd order system:

$$G(s) = \frac{b}{s^2 + as + e}$$

poles are imaginary $a=0$

$$G(s) = \frac{b}{s^2 + b}$$

$$\therefore \omega_n = \sqrt{b}$$

$$G(s) = \frac{\omega_d^2}{s^2 + as + \omega_n^2}$$

$$s^2 + as + \omega_n^2 = 0$$

$$\Rightarrow s = -\frac{a}{2} \pm \sqrt{\frac{a^2 - 4\omega_n^2}{2}}$$

$$\zeta = \frac{|u|}{\omega_n}$$

$$a = 2\zeta\omega_n$$

$$G(s) = \frac{\omega_d^2}{s^2 + 2\zeta\omega_n + \omega_n^2}$$

Discussion:

1. What would be steady state error for a type 1 system if unit ramp input is applied?

- There will be a finite steady state error for type 1 system if a unit ramp input is applied.