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# Artificial Intelligence: State Space Search *part 3* Informed Search Hill Climbing *video #4*

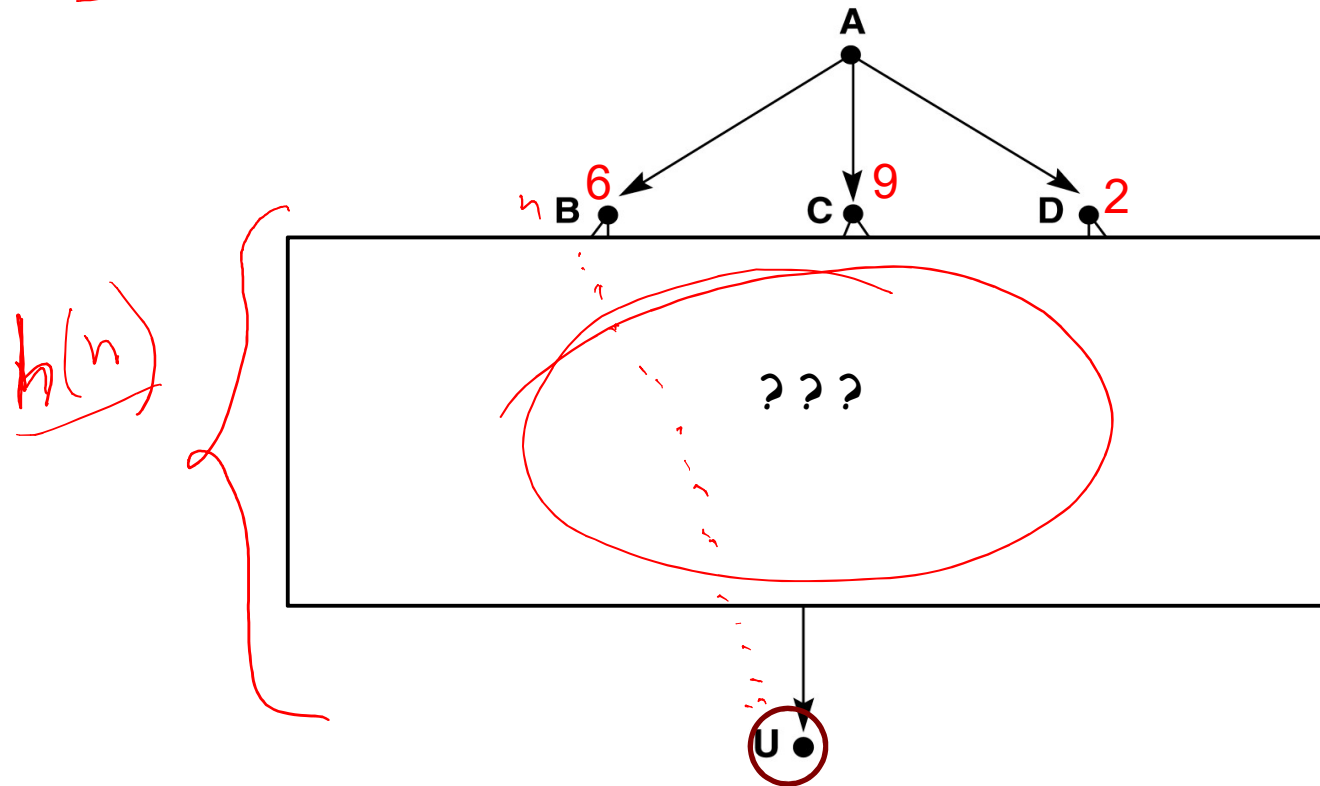
- Russell & Norvig - Sections 3.5.1, 3.5.2, 4.1.1

# Today

1. State Space Representation
2. State Space Search
  - a) Overview
  - b) Uninformed search
    1. Breadth-first Search and Depth-first Search
    2. Depth-limited Search
    3. Iterative Deepening
    4. Uniform Cost
  - c) Informed search
    1. Intro to Heuristics
    2. Hill Climbing
    3. Greedy Best-First Search
    4. Algorithms A & A\*
    5. More on Heuristics
  - d) Summary



$h(n)$



- $h(n)$  = estimate of the lowest cost from  $n$  to goal

# Hill Climbing

- General idea:

- Similar to climbing a mountain in the fog with amnesia ...

- in the fog

- --> only 1-step view of what is to come, so

- if next step seems higher than where you are now -> go

- otherwise, you assume you are at the top of the mountain -> stop

- with amnesia -->

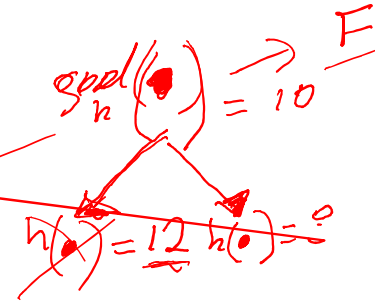
- if you ever want to try other path, you can't because you did not keep track of where you came from



# Vanilla HC vs Steepest Ascent HC

## General Hill Climbing

- uses  $h(n)$
- does not use an open list (amnesia)



### 1. Vanilla Hill Climbing

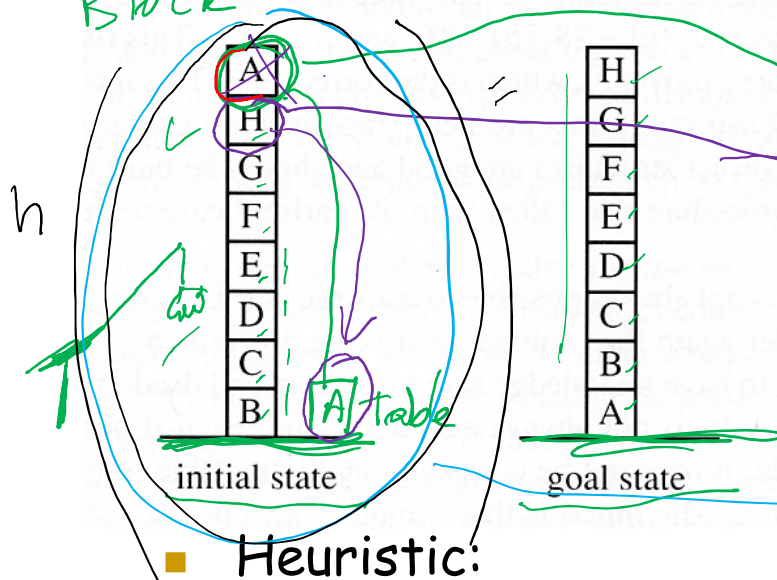
- take **1<sup>st</sup> successor  $s$  with better  $h()$**  than current state  $n$
- i.e. if lower  $h(n)$  is better, chose **1<sup>st</sup>  $s$  with  $h(s) < h(n)$**  // deep diving

### 2. Steepest ascent hill climbing:

- generate all successor states  $S$
- run  $h()$  on all  $s \in S$
- among all successors  $s$  with better  $h()$  than current state  $n$ , take the **successor  $s$  with the best  $h(n)$**

# Example: Hill Climbing

Block world



## Operators:

- 1) `pickup&putOnTable(Block)`
- 2) `pickup&stack(Block1,Block2)`

pickup from top of a stack & place on the table

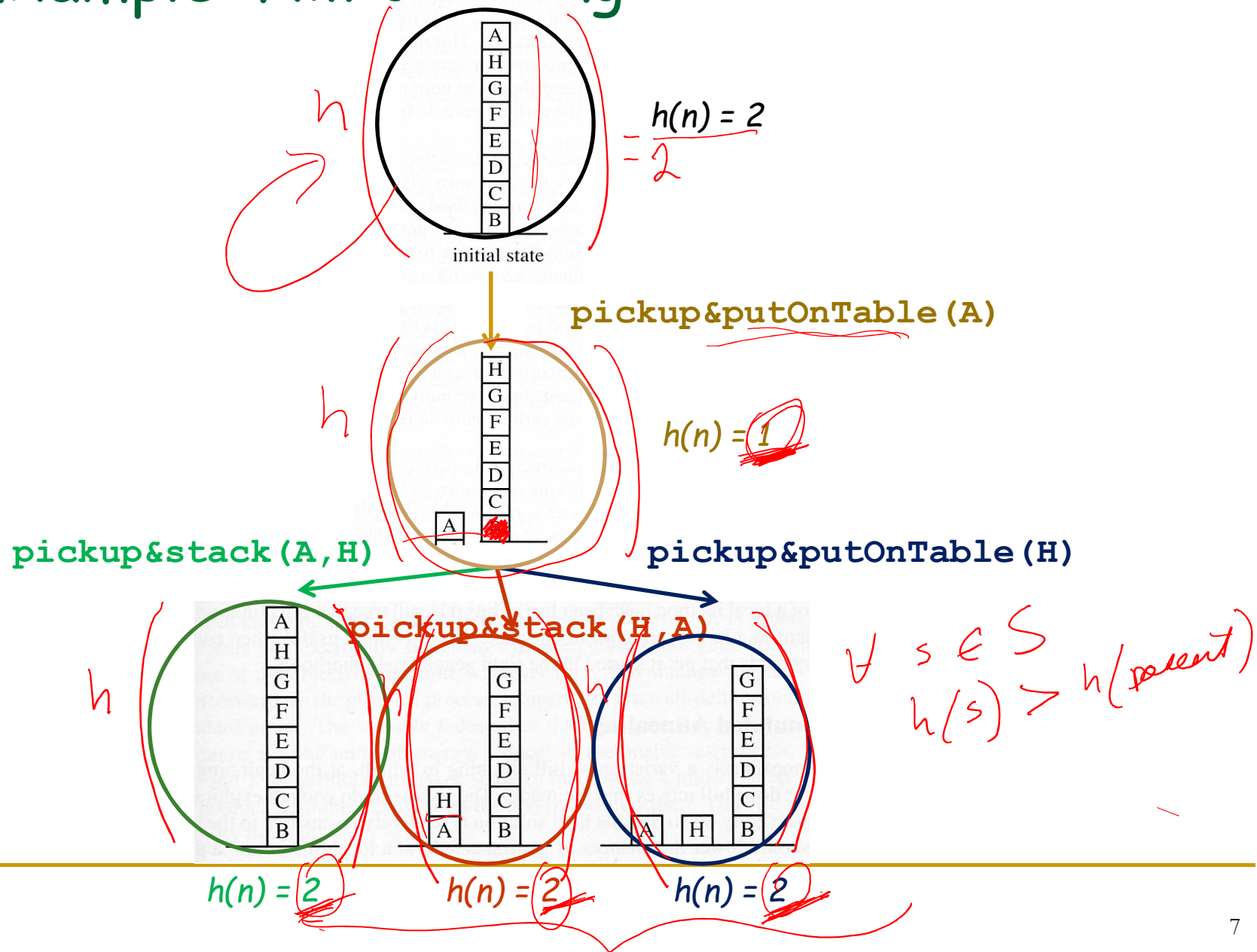
from the top of stack & stack on top of a stack

## Heuristic:

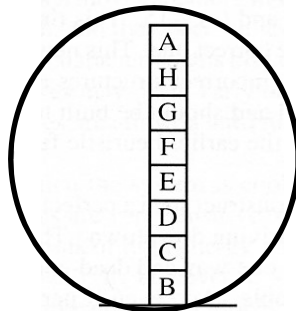
- Opt if a block is sitting where it is supposed to sit
- +1pt if a block is NOT sitting where it is supposed to sit
- so lower  $h(n)$  is better
  - $h(\text{initial}) = 2$
  - $h(\text{goal}) = 0$



# Example: Hill Climbing



# Example: Hill Climbing



$h(n) = 2$

initial state

$$h \begin{pmatrix} 3 & 4 & 5 \\ 7 & 6 & \text{red} \\ 8 & 2 & 1 \end{pmatrix} = 5$$

hill-climbing will stop, because all children have higher  $h(n)$  than the parent... --> local minimum

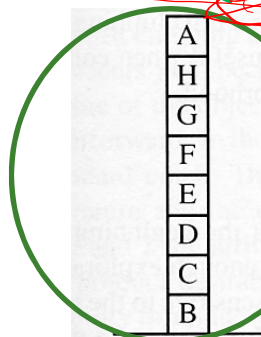
pickup&putOnTable (A)

$h(n) = 1$

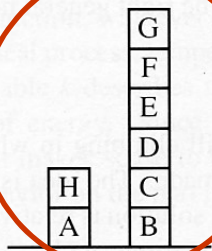
pickup&stack (A, H)

pickup&putOnTable (H)

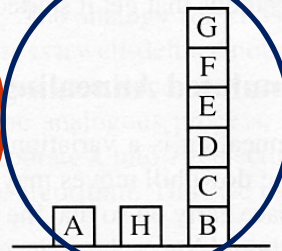
pickup&stack (H, A)



$h(n) = 2$



$h(n) = 2$



$h(n) = 2$

Don't be confused...  
a lower  $h(n)$  is better...



# Steepest Ascent Hill Climbing

```
currentNode = startNode;
loop do
  L = CHILDREN(currentNode);
  nextEval = +INFINITY;
  nextNode = NULL;

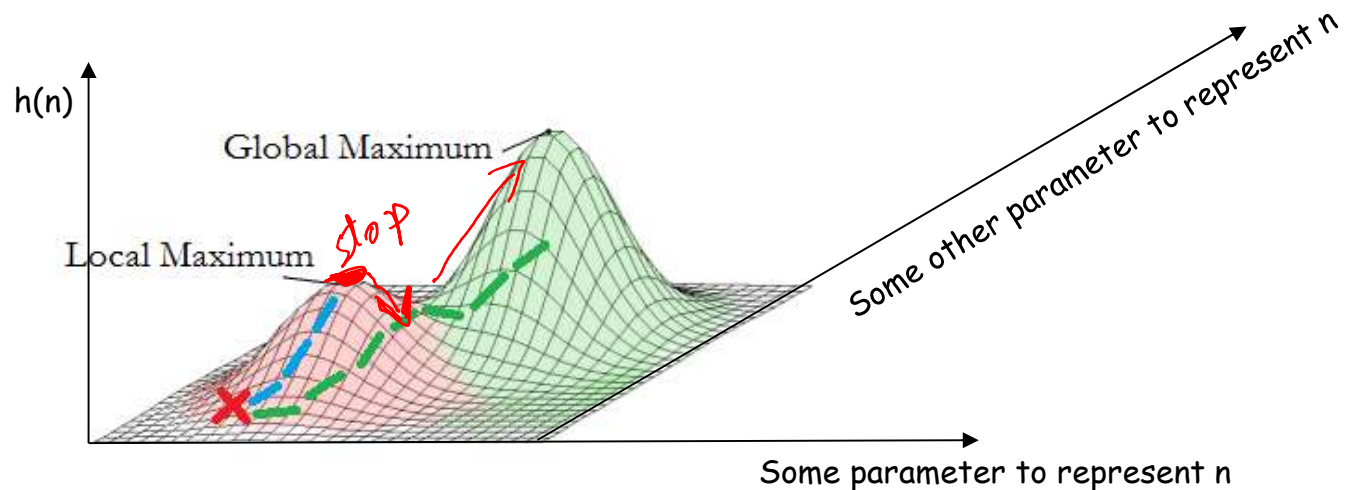
  for all c in L
    if (HEURISTIC-VALUE(c) < nextEval) // lower h is better
      nextNode = c;
      nextEval = HEURISTIC-VALUE(c);

  if nextEval >= HEURISTIC-VALUE(currentNode)
    // Return current node since no better child state exist
    return currentNode;

  currentNode = nextNode;
```

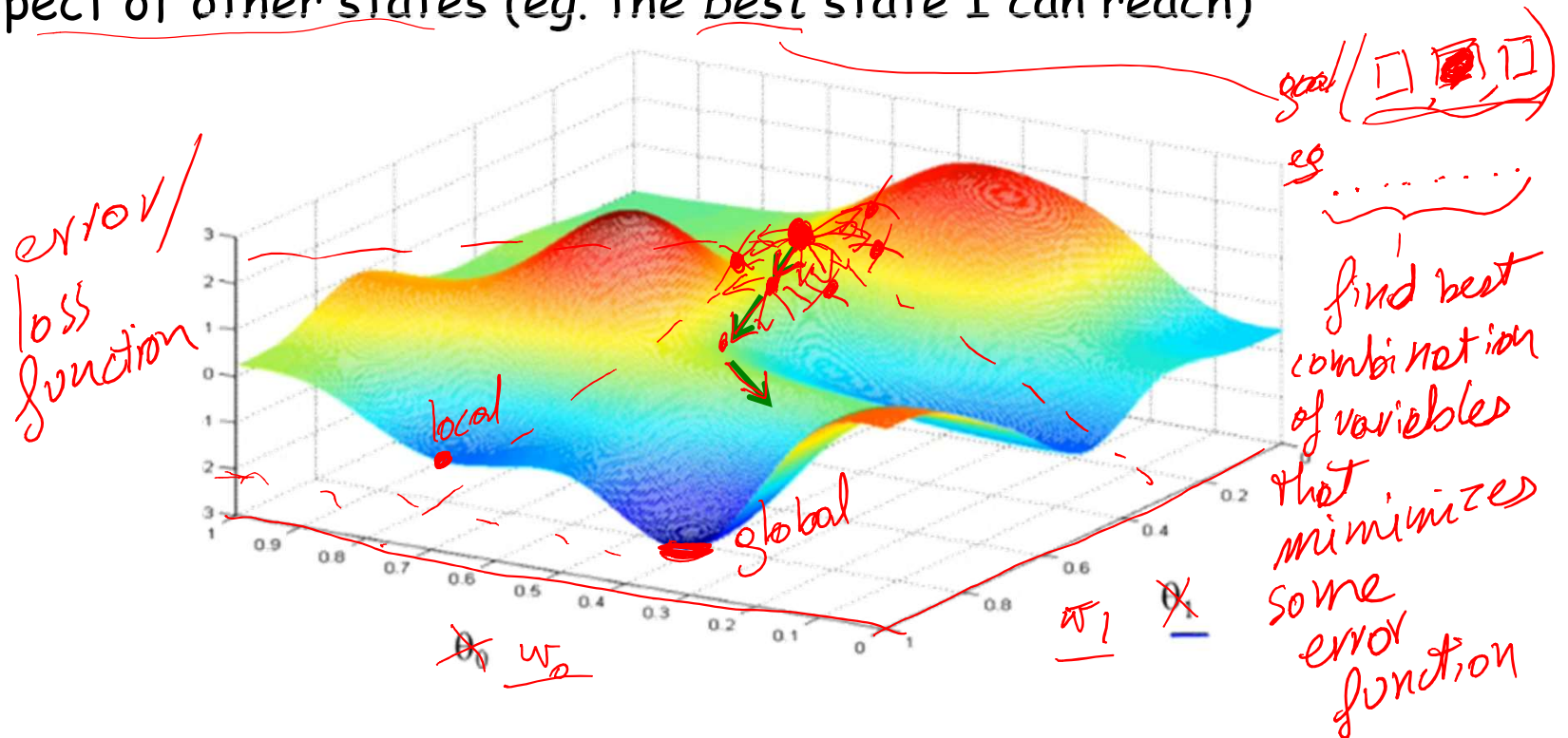
# Problems with Hill Climbing

- Foothills (or local <sup>optimum</sup> maxima)
  - reached a local maximum, not the global maximum
  - a state that is better than all its neighbors but is not better than some other states farther away.
  - at a local maximum, all moves appear to make things worse.
  - ex: 8-puzzle: we may need to move tiles temporarily out of goal position in order to place another tile in goal position



# Use of Hill Climbing

- mostly for optimization problems
- i.e. goal defined not as a function of the state alone, but with respect of other states (eg. the best state I can reach)



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    2. Hill climbing ✓✓
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# Problem with Hill-Climbing

- used mostly for optimization problems
  - where the goal state is defined with respect to other states
  - ex. shortest path, longest....
- if goal state is independent of other states
  - we should be able to backtrack, and find another path to the goal
  - i.e. we should use an OPEN list
  - i.e. Greedy Best First Search

# Up Next

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