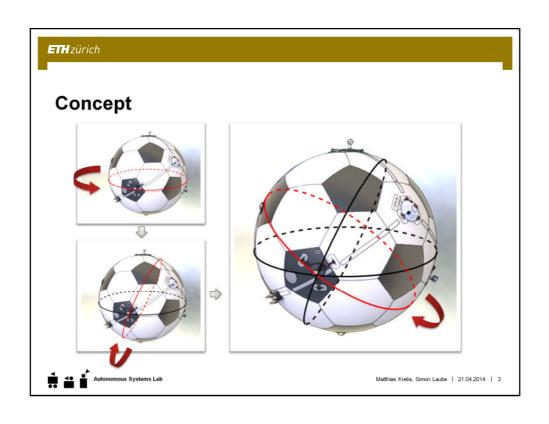
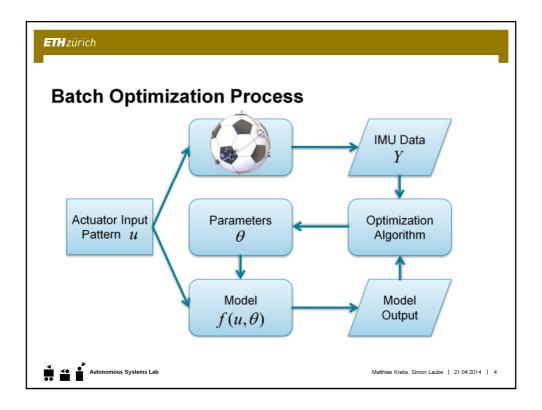




Position of motors is essential for control, but uncertain / unknown





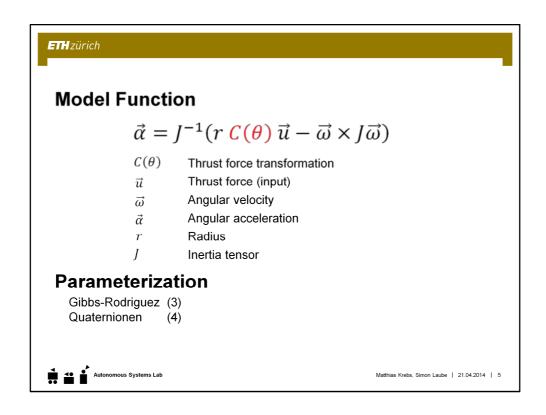
To optimize the model with respect to the actuation configuration we need to make the model dependent on the actuation configuration.

For a spherical blimp the configuration of an actuator is described with a position on the hull surface and a rotation which tells us in which direction the x axis of the actuator is pointing.

It turns out that this actuator configuration can be expressed with a rotation against the blimps center.

For rotations there are a few parameterisations each of them having advantages and disadvantages

we choose the gibbs-rodriguez and quaternion parameterisation, because gibbs-rodriguez are mini



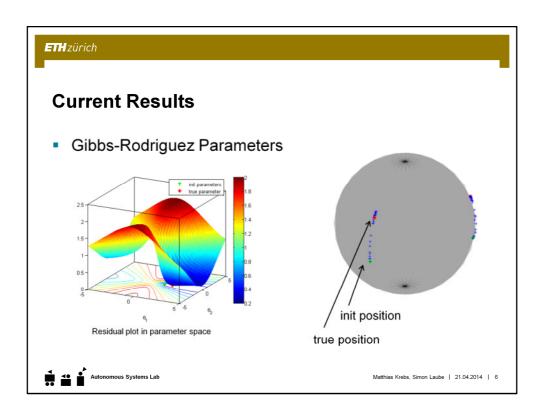
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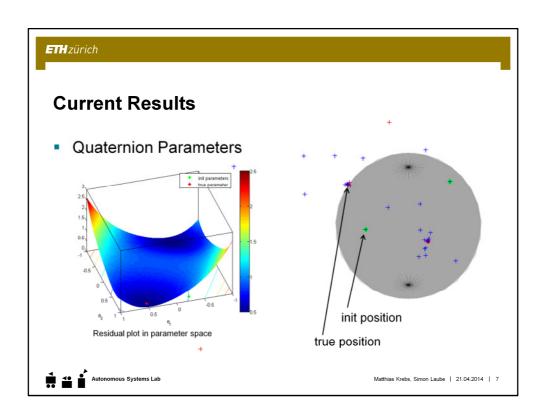
It turns out that this actuator configuration can be expressed with a rotation against the blimps center.

For rotations there are a few parameterisations each of them having advantages and disadvantages. This basically boils down to one trade-off: either you use minimal representation of a rotation and you have to deal with singularities or you use a non-minimal representation and you have to deal with constraints on these parameters.

We decided to use one parameterization which is minimal in the number of parameters and one which does not have the issue of singularities. we choose the gibbs-rodriguez and quaternion parameterisation, because gibbs-rodriguez are minimal parameters



results based on simulator data



### **Outlook**

- Parameterization for radius, inertia tensor
- Actuator input patterns
- Varied simulation data from modular simulation model
- Convergence analysis



# **Context / General Description**

- Control depends on simplified model of blimp
  - Fit paramteres of simplified model s.t. it best fits real system



#### **Problem Formulation**

- Nonlinear Least Squares Optimization
  - $S(\theta) = \sum_{u=1}^{n} \{Y_u f(\xi_u, \theta)\}^2$

 $Y_u$ : Angular acceleration from gyro measurement  $f(\xi_u,\theta)$ : Nonlinear function depending on inputs  $\xi_u$  and parameters  $\theta$ 

Parametrization

#### Quaternion

No Singularities Constrained ||q|| = 1

Quadratic model

 $q = \begin{bmatrix} \cos(\varphi/2) \\ n \cdot \sin(\varphi/2) \end{bmatrix}$ 

#### Gibbs-Rodriguez

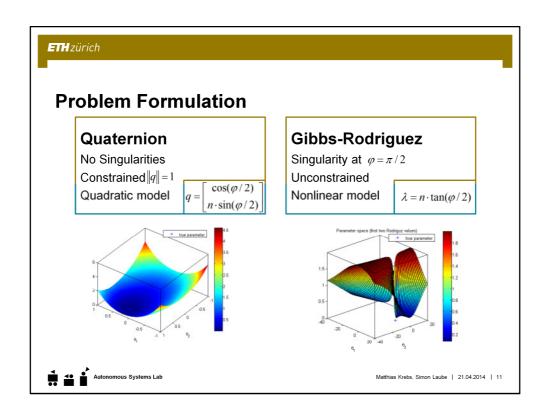
Singularity at  $\varphi = \pi/2$ 

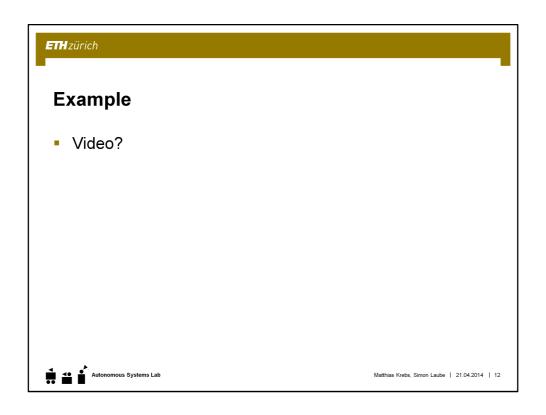
Unconstrained

Nonlinear model

 $\lambda = n \cdot \tan(\varphi/2)$ 







## Outlook

- Inputs bla bla ...
- Text Cases ...
- Estimate Accuracy of Result ...

