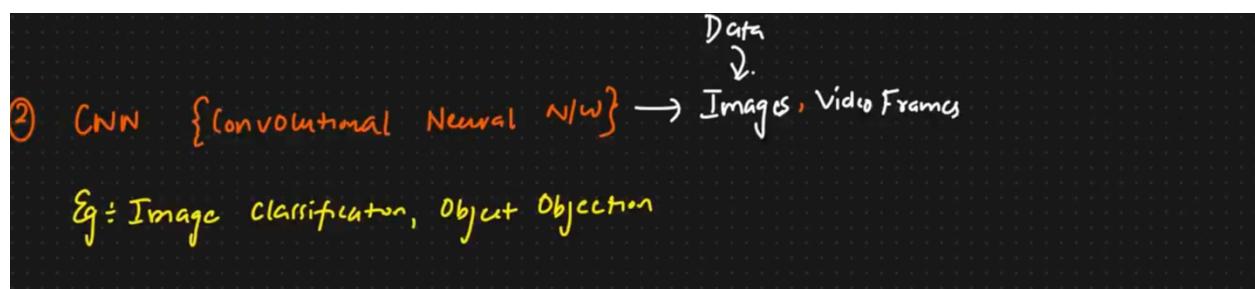
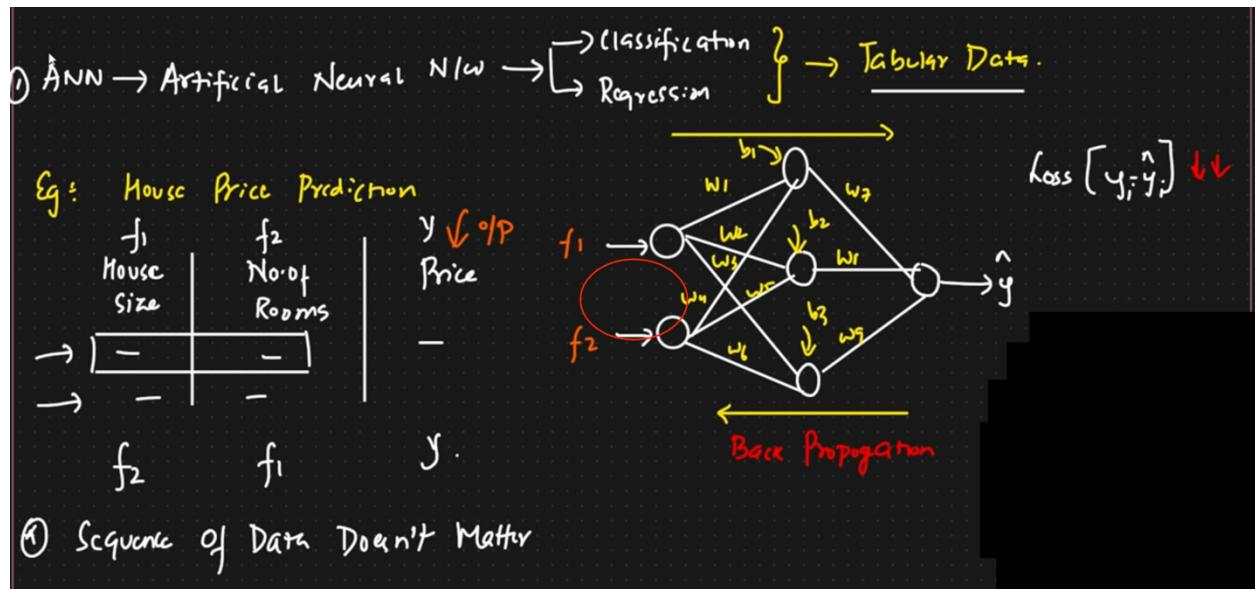


Introduction to NLP in Deep Learning

NLP In Deep Learning

Text Data → Vectors → Numerical Representation

- ① OME
- ② BOW
- ③ TF-IDF
- ④ Word2Vec, AvgWord2Vec {Sentiment Analysis, Text Classification}.



③ Data → Sequential Data.

① Text Generation → I/P
This is a Apple juice
Sentence.

② Chatbot Conversation → Q&A
Question → Answer

Sequential Data → The food is good

{ good The food is } → Meaning may change

③ Language Translation → English → French
→ - - - - → - - - -

④ AutoSuggestion → LinkedIn, GMAIL → Autosuggestion



Can we use ANN to solve this problem? → Sequential Data.

↓
NLP In Deep Learning [Generative AI → LLM, Multi-Model]

① Simple RNN → LSTM / GRU RNN → Bidirectional RNN → Encoder Decoder
↓
Transformers ← Self Attention

ANN VS RNN

Can we solve with ANN \rightarrow Sequential Data

Dataset {Sentiment Analysis}

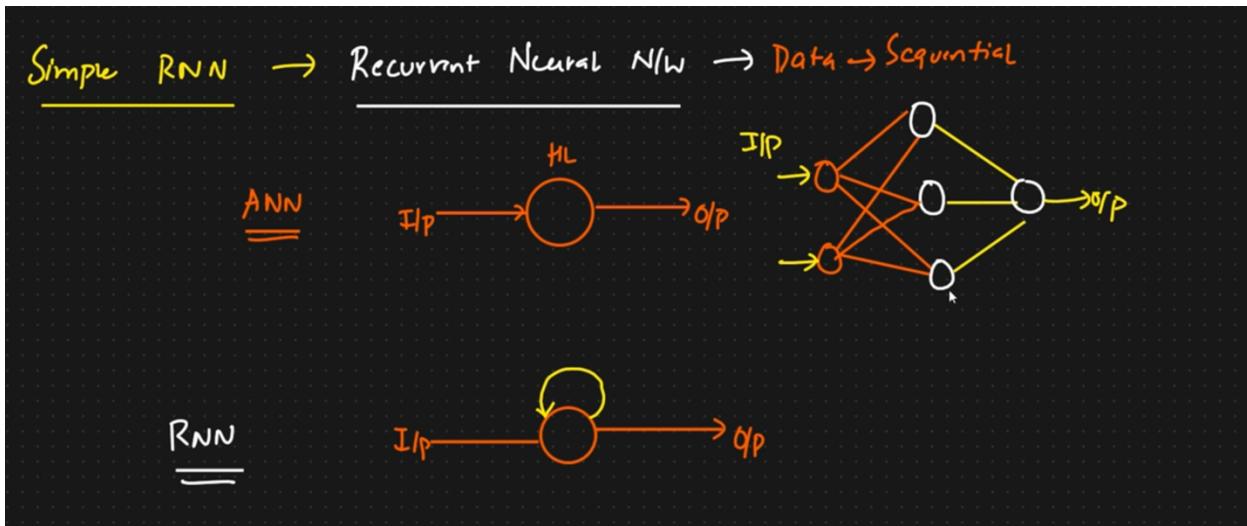
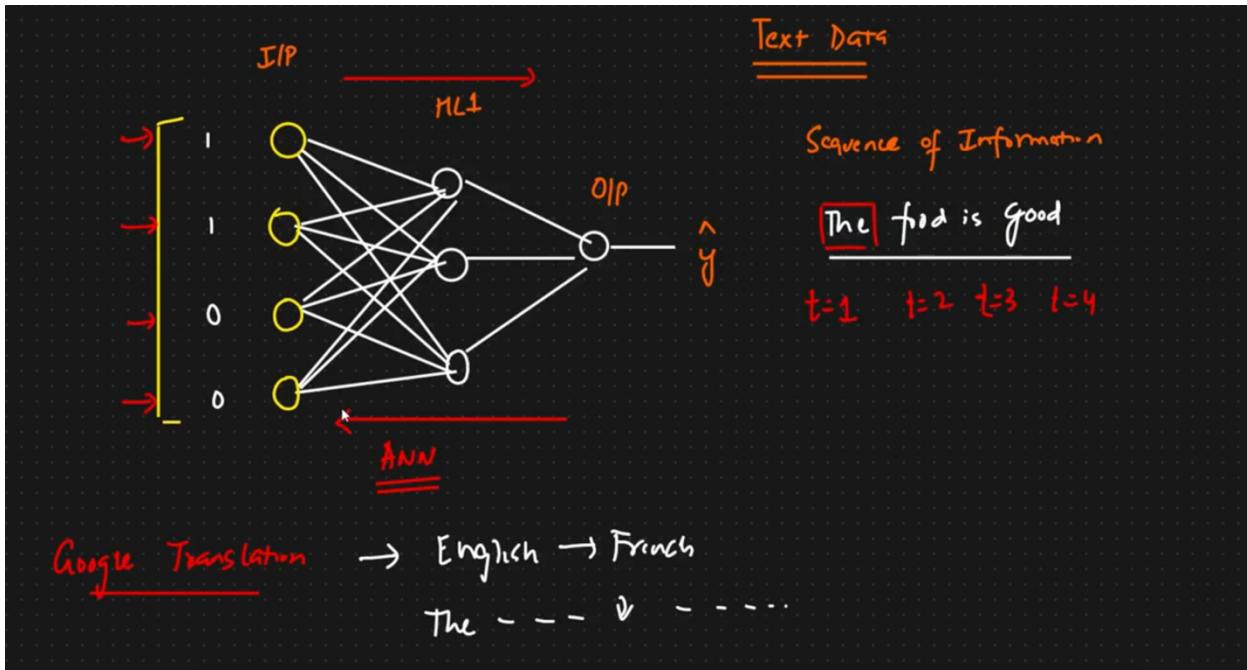
ANN.

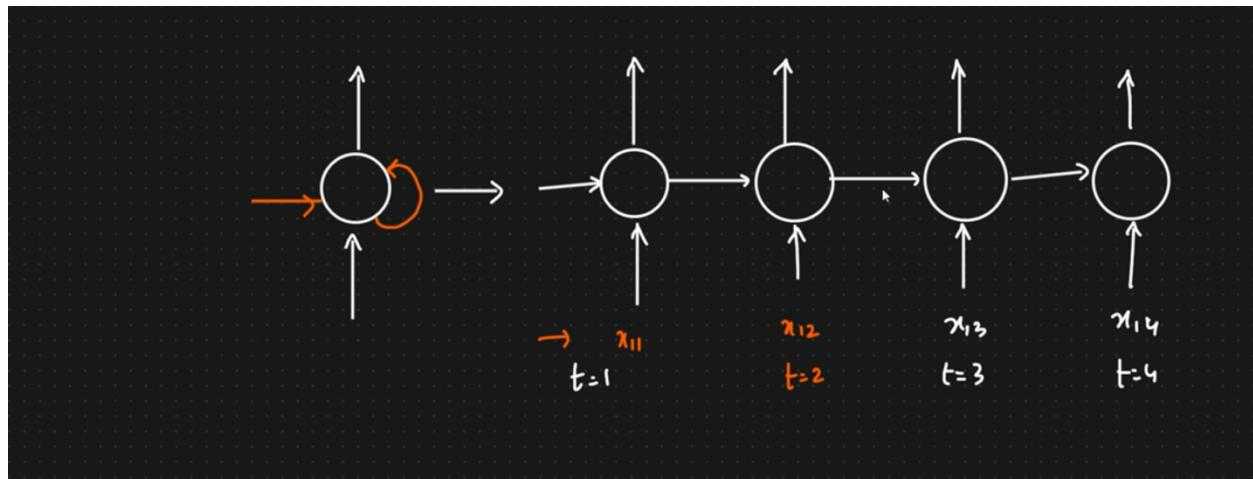
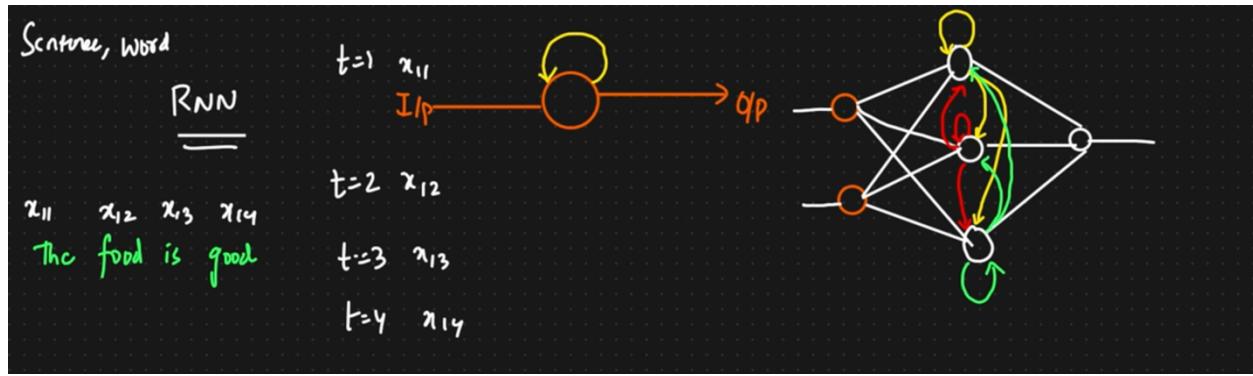
<u>Text</u>	<u>O/p</u>
The <u>food</u> is <u>good</u>	1
The food is <u>bad</u>	0
The food is <u>not</u> good	0

Text Preprocessing \rightarrow Text \rightarrow Vectors

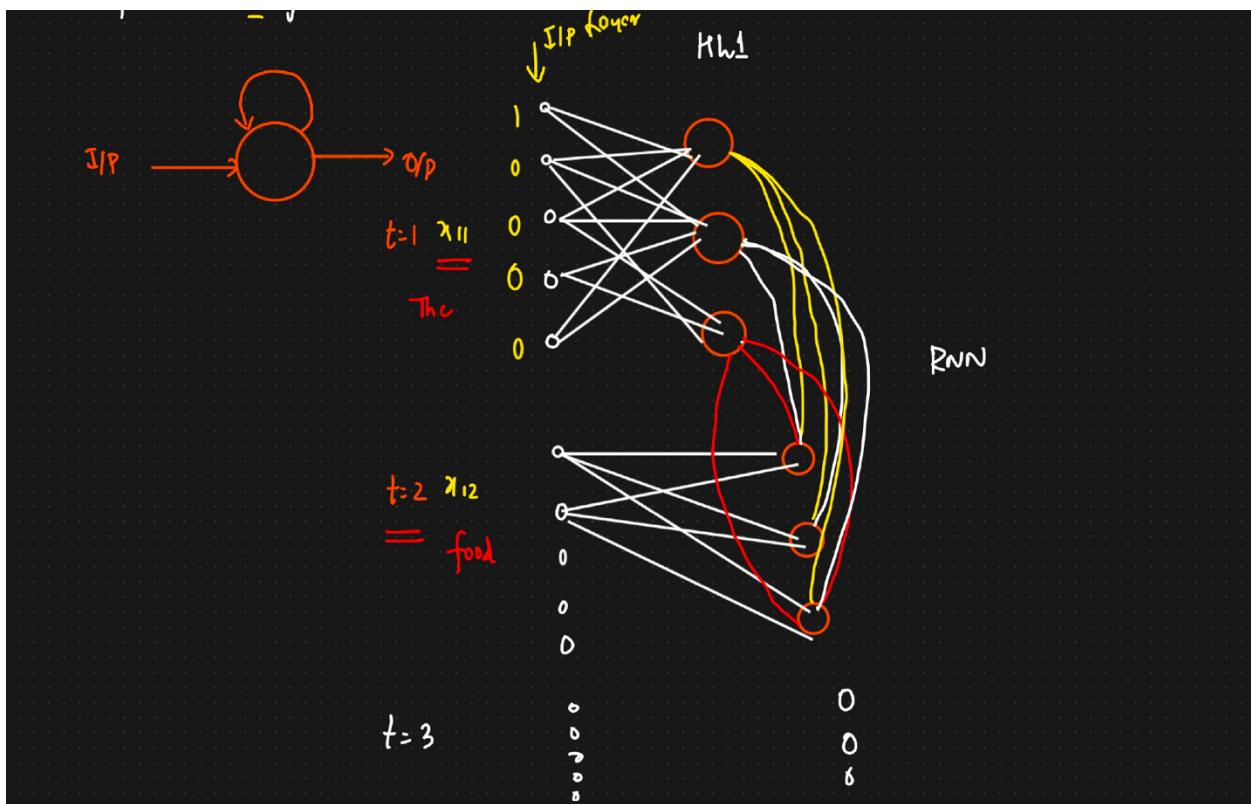
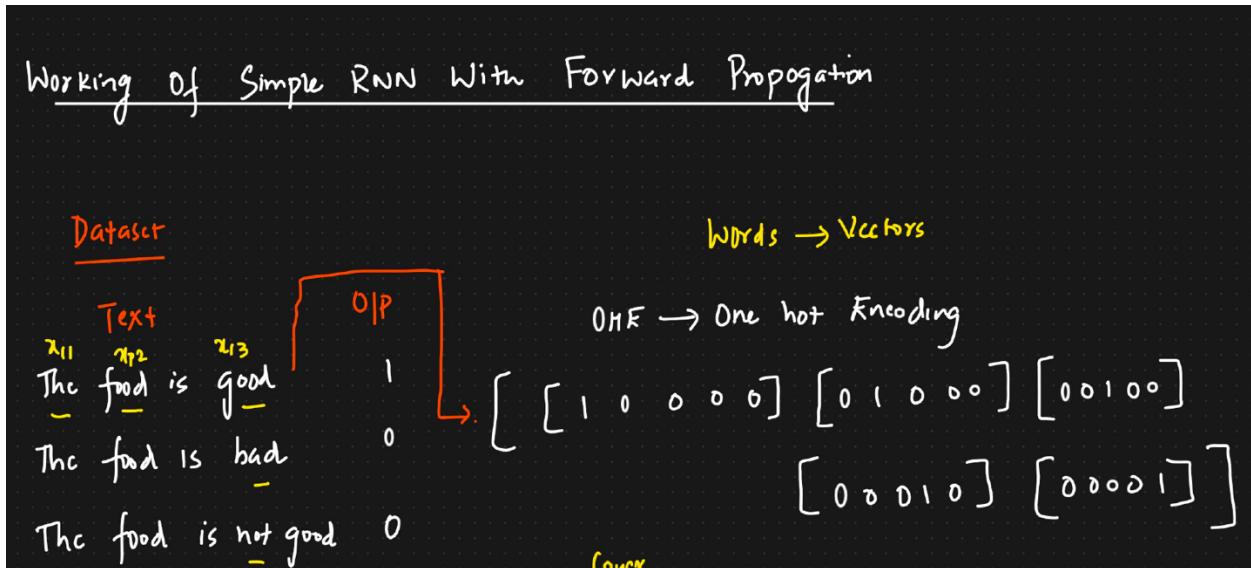
Vocabulary $\xrightarrow{\text{size}}$ 4

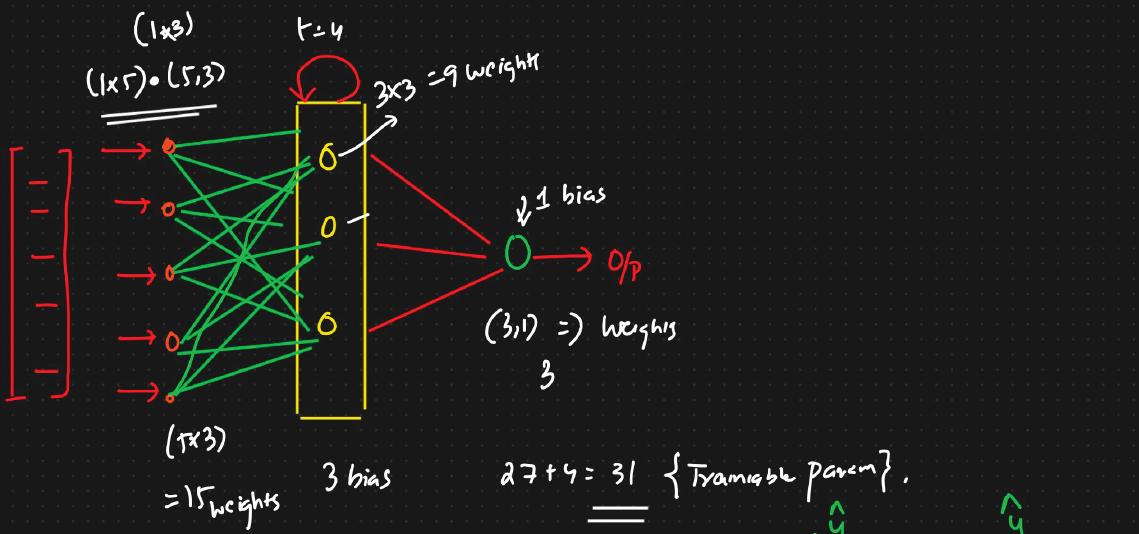
BOW, TF-IDF, Word2vec [-]					Text Data \rightarrow Sequence Information is Important
food good bad not					Meaning of the sentence is lost
S1 [1 1 0 0]					
S2 [1 0 1 0]					



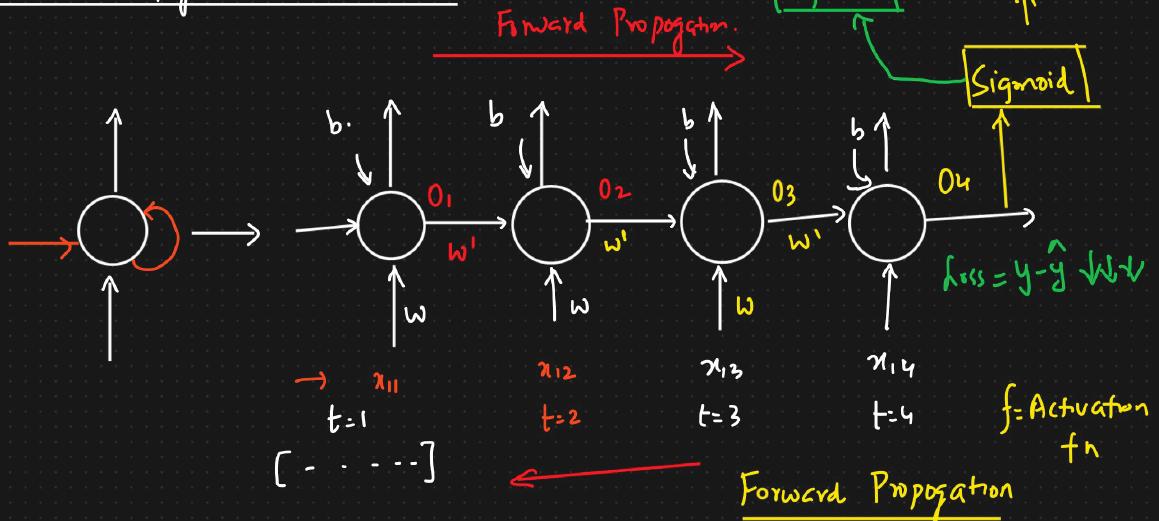


RNN Forward Propogation with Time





Forward Propagation With Time



Dataset

The food is good
 $x_{11} \quad x_{12} \quad x_{13} \quad x_{14}$.

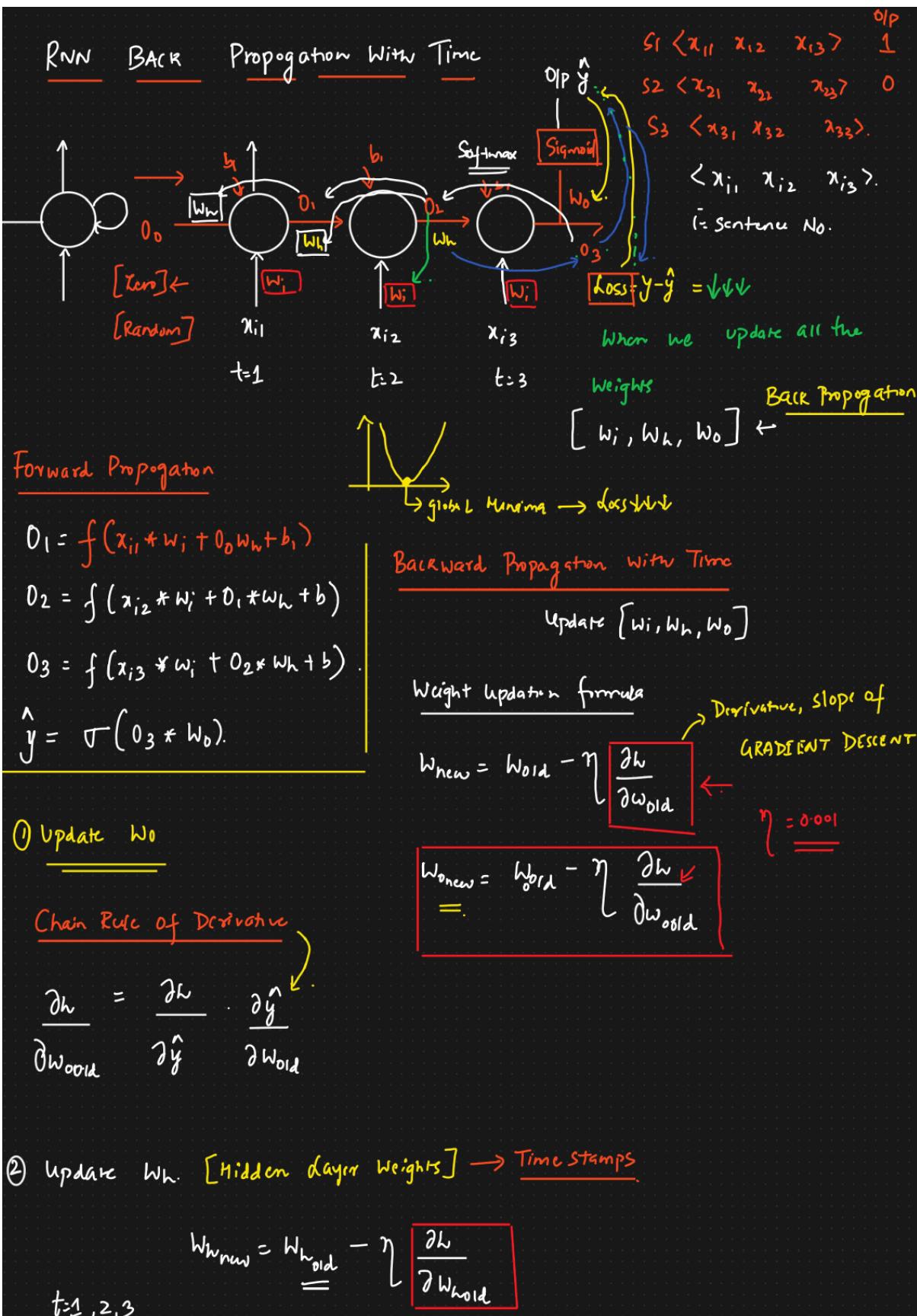
$$O_1 = f(x_{11} \cdot w + b_1)$$

$$O_2 = f(x_{12} \cdot w + O_1 \cdot w + b_2)$$

$$O_3 = f(x_{13} \cdot w + O_2 \cdot w + b_3)$$

O/P
1

Simple RNN Backward Propogation



$$\frac{\partial L}{\partial w_{h,old}} = \left[\frac{\partial L}{\partial \hat{y}} * \frac{\partial \hat{y}}{\partial o_3} + \frac{\partial o_3}{\partial w_h} \right] + \left[\frac{\partial L}{\partial \hat{y}} * \frac{\partial \hat{y}}{\partial o_3} * \frac{\partial o_3}{\partial o_2} * \frac{\partial o_2}{\partial w_h} \right]$$

$t=3$

$$+ \left[\frac{\partial L}{\partial \hat{y}} * \frac{\partial \hat{y}}{\partial o_3} + \frac{\partial o_3}{\partial o_2} + \frac{\partial o_2}{\partial o_1} + \frac{\partial o_1}{\partial w_h} \right]$$

$t=1$

③ Updating weights $w_i \rightarrow \text{Timestamp}$

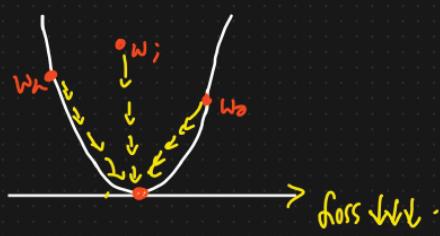
$$w_{i,new} = w_{i,old} - \eta \boxed{\frac{\partial L}{\partial w_{i,old}}} \quad \{ \text{update } w_i \text{ weights} \}$$

$$\boxed{\frac{\partial L}{\partial w_{i,old}}} = \left[\frac{\partial L}{\partial \hat{y}} * \frac{\partial \hat{y}}{\partial o_3} + \frac{\partial o_3}{\partial w_{i,old}} \right] + \left[\frac{\partial L}{\partial \hat{y}} * \frac{\partial \hat{y}}{\partial o_3} * \frac{\partial o_3}{\partial o_2} * \frac{\partial o_2}{\partial w_{i,old}} \right]$$

$t=3$

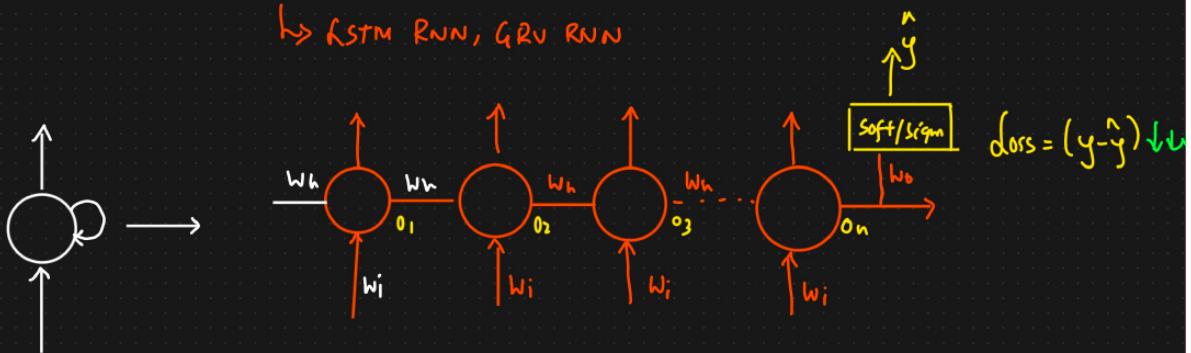
$$+ \left[\frac{\partial L}{\partial \hat{y}} * \frac{\partial \hat{y}}{\partial o_3} + \frac{\partial o_3}{\partial o_2} + \frac{\partial o_2}{\partial o_1} + \frac{\partial o_1}{\partial w_{i,old}} \right]$$

$t=1$

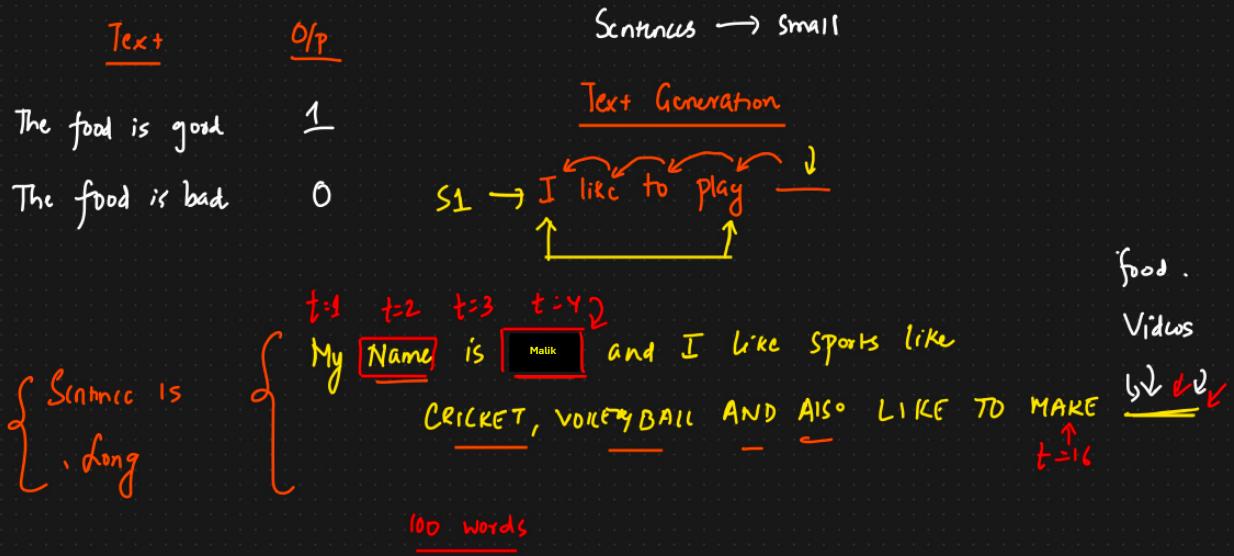


Problems with RNN

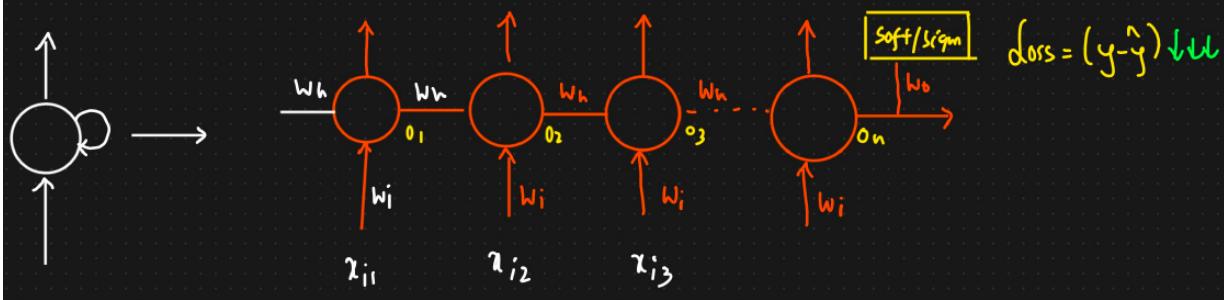
Problems With RNN

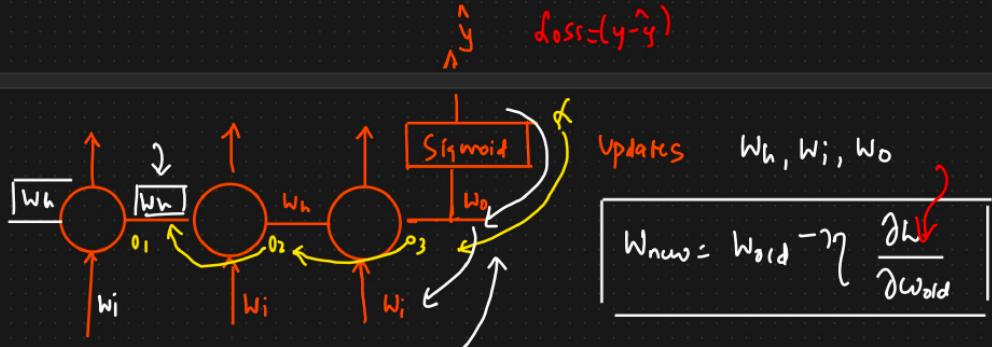


ANN \rightarrow Vanishing Gradient Problem.



- ① long term dependency cannot be captured by RNN \rightarrow Provide Accuracy \downarrow
 Dependency.





$$updates \quad w_h, w_i, w_o$$

$$w_{new} = w_{old} - \eta \frac{\partial L}{\partial w_{old}}$$

$$\frac{\partial L}{\partial w_o} = \frac{\partial L}{\partial \hat{y}} \cdot \frac{\partial \hat{y}}{\partial w_o} \leftarrow$$

$$\frac{\partial L}{\partial w_{h,old}} = \underbrace{\left[\frac{\partial L}{\partial \hat{y}} \cdot \frac{\partial \hat{y}}{\partial o_3} \cdot \frac{\partial o_3}{\partial o_2} \cdot \frac{\partial o_2}{\partial w_{h,old}} \right]} +$$

Length of sentence \Rightarrow 50 words

$$\frac{\partial L}{\partial w_{h,old}} = \left[\frac{\partial L}{\partial \hat{y}} \cdot \frac{\partial \hat{y}}{\partial o_{50}} \cdot \frac{\partial o_{50}}{\partial o_{49}} \cdot \frac{\partial o_{49}}{\partial o_{48}} \cdot \frac{\partial o_{48}}{\partial w_{h,old}} \right] +$$

$$o_3 = \sigma(x_{i3} * w_i + o_2 * w_h + b)$$

$$\text{Small Value} \approx 0 \quad \frac{\partial o_3}{\partial o_2} = \sigma'(x_{i3} * w_i + o_2 * w_h + b) \leftarrow o_3.$$

$$\text{Vanishing Gradient problem} \quad = \sigma^{-1}(1 * w_h) \Rightarrow [0 - 0.25] \cdot (w_h) \stackrel{0 - 0.25}{\approx}$$

Derivative of Sigmoid

$t=1 \Rightarrow$ The word is not participating to update the weights value.

Chain Rule is Big

$$\frac{\partial L}{\partial w_{hold}} = \left| \frac{\partial L}{\partial \hat{y}} \cdot \frac{\partial \hat{y}}{\partial o_{50}} + \frac{\partial o_{50}}{\partial w_{hold}} \right| + \boxed{} + \boxed{}$$
$$\boxed{t=2} \approx 0. + \boxed{t=1} \xrightarrow{\downarrow} \approx 0$$

① ReLU, Leaky ReLU \rightarrow

② LSTM RNN \rightarrow Long Short term Memory RNN } \Rightarrow Simple RNN ·
③ GRU RNN \rightarrow

Things we will be covering next class (ANN Project Implementation)

