# **Synthesizing Replacement Classes**

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We present a new technique for automatically synthesizing replacement classes. The technique starts with an original class O and a potential replacement class R, then uses R to synthesize a new class that implements the same interface and provides the same functionality as O. Critically, our technique works with a synthesized inter-class equivalence predicate between the states of O and R. It uses this predicate to ensure that original and synthesized methods leave corresponding O and R objects in equivalent states. The predicate therefore enables the technique to synthesize individual replacement methods in isolation while still obtaining a replacement class that leaves the original and replacement objects in equivalent states after arbitrarily long method invocation sequences. We have implemented the technique as part of a tool, named Mask, and evaluated it using open-source Java classes. The results highlight the effectiveness of Mask in synthesizing replacement classes.

CCS Concepts: • **Software and its engineering** → **Programming by example**; *Object oriented frameworks*.

Additional Key Words and Phrases: Program Sketching, Class Replacement, Program Equivalence

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### 1 INTRODUCTION

Libraries play a central role in the software development process as they provide the necessary interfaces that can be used by client applications. Oftentimes, client applications are refactored to use an updated version of a library or a different library that provides similar functionality. There are many reasons for this refactoring – the original library is deprecated or is no longer supported [API Deprecation 2018; JDK Deprecation 2018], the need to switch library vendors to satisfy organizational requirements or intellectual property constraints [Guava Collections 2009; Oracle v/s Google 2019], libraries with improved performance and memory usage [Guava v/s Apache 2009; Hasan et al. 2016], updated library versions where bugs are fixed [Fraser and Arcuri 2011; JDK Bug fixes 2019], etc.

Manually updating the application to use a different library can be cumbersome and error-prone [Dig and Johnson 2006; Kapur et al. 2010]. For example, even when library versions are updated, backward compatibility is not always maintained. Ensuring that the behavior of the application is unchanged can become non-trivial because an existing class in the library can differ

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<sup>&</sup>lt;sup>1</sup>Java incompatibility report https://abi-laboratory.pro/?view=timeline&lang=java&l=jre.

from the chosen replacement class in the new library across multiple dimensions – internal data representation, signatures of the provided interfaces, or the underlying functionality offered by these interfaces. This motivates the need for a technique that can synthesize an adapter class for a given replacement class so that the synthesized class is *equivalent* to the existing class.

# 1.1 Automatic Class Replacement

We present a new technique and a system that, given an original class O and desired replacement class R, automatically synthesizes methods that implement O's interface using only class R. To perform this replacement, our system constructs an inter-class equivalence predicate  $\sigma_{\text{O,R}}$  that defines equivalent states in O and R objects. For every public method including constructors defined by O, our approach synthesizes a new replacement method that invokes only public methods defined by R. Each replacement method provides observably identical functionality as the corresponding original method, including updating O and R objects to equivalent states and driving any other manipulated objects to identical states. Similarly, each replacement constructor constructs an instance of class R equivalent to the object instance constructed by the corresponding constructor in O. The result is the automatic synthesis of a new adapter class G that provides a drop-in replacement for O.

Obtaining effective equivalence predicates  $\sigma_{\text{O,R}}$  is critical for the success of our technique. Methods that update object states can affect the operation of subsequently invoked methods (which may observe the updated state). Identifying equivalent object states and requiring synthesized methods to leave objects in equivalent states enables the technique to synthesize individual methods in isolation while still guaranteeing that sequences of method invocations deliver equivalent behavior regardless of the length of the sequence.

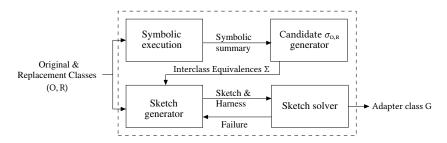


Fig. 1. Overall architecture of MASK.

# 1.2 Technique

Figure 1 presents the overall architecture of our tool, Mask, that implements our proposed solution. Broadly, Mask comprises two interleaved stages. The first stage generates a set of candidate equivalence predicates. The equivalence predicates are synthesized by symbolically executing [King 1976] *all* methods defined in classes O, R to identify a set of relevant symbolic expressions constructed by the classes and suitably equating these expressions to obtain the necessary predicates. The second stage starts with a candidate predicate and attempts to synthesize a replacement method for each method in the original class. Each synthesized method encapsulates a sequence of method invocations, where every method in the sequence is defined by class R.

Mask synthesizes replacement classes by generating and solving sketches that encode a search space of candidate method invocation sequences for each replacement method. For each replacement method, Mask generates an *adapter method sketch* (Figure 7), that consists of a sequence

of conditionally invoked methods from the replacement class. The choice of whether to invoke a method or not is determined by choices that the Sketch solver [Solar-Lezama 2008] resolves when it solves a *synthesis correctness condition* implemented by a *Sketch method harness* (Figure 8). This method harness has the following structure:

- Assumes: Code that instructs the Sketch solver to assume the initial system states input to the original method and the adapter method sketch are equivalent, i.e., they satisfy the following, 1) all R objects, including the receiver R object, start in equivalent states as the corresponding O objects and 2) all other objects and primitive type parameters start in identical states.
- **Method Invocations:** Code that invokes the original method and the adapter method sketch on their respective equivalent input states.
- Requires: Code that requires the original method and adapter method sketch to produce equivalent final system states i.e, 1) leave all R objects in equivalent states as their corresponding O objects, 2) leave all other objects in identical states, and 3) return equivalent values to the caller.

MASK then invokes the Sketch solver on the method harness to resolve the choices in the adapter method sketch to satisfy the synthesis correctness condition encoded in the harness. The resolved choices identify a sequence of method invocations from the replacement class that together exhibit identical behavior as the original method. This sequence can then be used as a *correct* drop-in replacement implementation for the original method under *all contexts*.

If MASK succeeds in finding replacement methods for all original methods under the current candidate equivalence predicate, it terminates and returns the newly constructed replacement methods to the user. Otherwise, it repeats the process using the next candidate equivalence predicate.

Note that the soundness of the technique does *not* depend on any concept of the soundness of the candidate equivalence predicates. If the synthesis succeeds, all of the synthesized methods soundly preserve the current candidate equivalence predicate, which ensures the soundness of the technique. The only requirement is that, to avoid vacuously satisfying the assume/guarantee reasoning encoded in the method harness, each candidate equivalence predicate must be *satisfiable*. This desirable property enables Mask to use essentially *any* candidate equivalence predicate generation algorithm without sacrificing soundness (as long as the candidate equivalence predicates are filtered through a satisfiability checker, which Mask does).

### 1.3 Experimental Results

We have evaluated Mask using Java classes from open-source codebases (e.g., JDK [JDK 2019], apache [Apache Commons 2019]). We consider two scenarios: 1) replacing classes from one library with classes from another unrelated library and 2) replacing classes with upgraded versions from the same library. For the first scenario, our implementation is able to automatically and correctly generate replacements in a majority of the cases when replacements are feasible, including examples such as replacing ArrayList with Vector. For the second scenario, our implementation is able to synthesize the replacement classes except when defects in the original implementations were fixed in the updated version.

### 1.4 Contributions

This paper makes the following contributions:

• To the best of our knowledge, we are the first to address the problem of synthesizing an implementation to replace an original class O with a desired replacement class R.

- We propose a technique to identify equivalent object states to facilitate the synthesis of individual methods in isolation while still guaranteeing that any sequence of method invocations deliver equivalent behavior.
- We present a novel solution to synthesizing replacement methods by effectively integrating symbolic execution, constraint solving, and program synthesis.
- We describe the implementation of a tool, MASK, that incorporates our approach and evaluate its effectiveness by synthesizing adapter classes for closely related open source Java classes.

### 2 EXAMPLES

We illustrate using two examples how our system solves the problem of automatically replacing classes. The first example illustrates the need for a non-trivial equivalence predicate to enable synthesis of an adapter class. The second example demonstrates synthesis in the presence of subtle side effects to the system state.

# 2.1 Inter-class Equivalence

Figure 2 presents classes from the eclipse [Eclipse 2019] and JMist<sup>2</sup> code bases. Figure 2(a) presents the class Box2 from JMist which is a representation for rectangles. It defines four private fields – minX, maxX, minY, and maxY. Each field captures the different edges of the rectangle. The class defines method expand, that constructs and returns a new instance of Box2, where each field of the new instance differs from the original instance, as specified by the input parameter c. This method does not modify the fields of the receiver.

Figure 2(b) presents the class Rectangle from the eclipse framework. This class implements the required functionality for a rectangle. Instead of representing the edges of the rectangle as in Box2, it declares four fields that together represent the corners of the rectangle — x and y represent the lower left corner of the rectangle; width and height represent the width and height of the rectangle.

To replace Box2 with Rectangle, there must be a suitable replacement for expand. There is no implementation of expand in Rectangle. However, the implementation can be synthesized using the existing APIs in Rectangle as shown in Figure 2(c).

The synthesized implementation of expand initially creates a new instance of Rectangle that is identical to the current instance. Then, it invokes the shrink method on the created instance to expand its bounds by providing negative values to the shrink method. The modified instance of the rectangle is then returned to the client. This synthesized implementation is an effective replacement for the original expand under all contexts and leaves the overall system in an equivalent state. To verify the equivalence of the original implementation of expand in Box2 and the synthesized implementation expand, the inter-class equivalence predicate needs to be available as given in Figure 2(d).

Our approach is able to automatically derive the inter-class equivalence predicate and synthesize the implementation of expand (and Gen). The class Gen is implemented using only class Rectangle. We show an example usage of Box2 in a client and the refactored code obtained by replacing it with the synthesized drop-in replacement class Gen here.

```
Box2 b = new Box2(10,10,20,20); Gen b = new Gen(10,10,20,20);
Box2 b2 = b.expand(10); Gen b2 = b.expand(10);
```

Similarly, our approach can also synthesize the implementations for other methods in Box2.

 $<sup>^2</sup> JMIST: A \ research-oriented \ library \ for \ image \ synthesis \ https://github.com/bwkimmel/jmist$ 

```
public final class Box2 {
  private int minX, maxX, minY, maxY;
  public Box2(int m1, int m2, int m3, int m4) {
    minX = m1; minY = m2; maxX = m3; maxY = m4;
  private Box2 instance(int m1, int m2, int m3, int m4) {
    return new Box2(m1, m2, m3, m4);
  }
  public Box2 expand(int c) {
    return instance(minX - c, minY - c, maxX + c, maxY + c);
}
                             (a) Simplified implementation of Box2.
public class Rectangle {
  public int x, y, width, height;
  public Rectangle(Rectangle r) {
    this(r.x, r.y, r.width, r.height);
  public Rectangle(int v1, int v2, int w, int h) {
    x = v1; y = v2; width = w; height = h;
  public int bottom() { return y + height; }
  public int right() { return x + width; }
  public Rectangle shrink(int h, int v) {
    x += h; width -= (h + h); y += v; height -= (v + v);
    return this;
}
                           (b) Simplified implementation of Rectangle.
class Gen {
  Rectangle r:
  public Gen(Rectangle rect) {r = rect;}
  public Gen(int a, int b, int c, int d) {
    r = new Rectangle(a, b, c - a, d - b);
  }
  public Gen expand(int val) {
    Rectangle rect = new Rectangle(this.r);
    rect.shrink(-val, -val);
    return new Gen(rect);
  }
}
            (c) Gen: Synthesized adapter class for Rectangle which is equivalent to Box2.
 Box2.minX = Rectangle.x && Box2.maxX = Rectangle.x + Rectangle.width &&
 Box2.minY = Rectangle.y && Box2.maxY = Rectangle.y + Rectangle.height
                 (d) Derived inter-class equivalence between Box2 and Rectangle.
```

Fig. 2. Motivating example: Box2 class from JMIST and Rectangle class from eclipse.

```
class ArrayList {
   int size; Objects [] elements;
   public Object[] toArray(Object[] arr) {
     if (arr.length < size) return Arrays.copyOf(elements, size);</pre>
     System.arraycopy(elements, 0, arr, 0, size);
     if (arr.length > size) arr[size] = null;
     return arr;
   }
}
                           (a) Simplified implementation of ArrayList.
  ArrayList.elements = FastArray.data && ArrayList.size = FastArray.size
                       (b) Inter-class equivalence of ArrayList and FastArray.
 class FastArray {
   public int size; private Objects[] data;
   public FastArray(Object[] objects) { data = objects; size = objects.length;}
   public void set(int index, Object o) { data[index] = o;}
   public Object[] getArray() { return data; }
   public void addAll(Object[] array, int len) {
      if (len == 0) return;
      final int newSize = size + len;
      if (newSize > data.length) {
        Object nd[] = new Object [newSize];
        System.arraycopy(data, 0, nd, 0, size);
        data = nd;
      }
      System.arraycopy(array, 0, data, size, len);
      this.size = newSize;
 }
                           (c) Simplified implementation of FastArray.
 class Gen {
   FastArray r;
   public Object[] toArray(Object[] arr) {
     FastArray fastarr = new FastArray(arr);
     fastarr.size = 0;
     try {
       fastarr.set(r.size(), null);
     } catch(Exception e) { }
     fastarr.addAll(r.getArray(), r.size());
     return fastarr.getArray();
   }
 }
                               (d) Synthesized replacement class
```

Fig. 3. ArrayList class from JDK and FastArray class from Groovy.

### 2.2 Synthesizing Implementations

The utility class ArrayList from JDK [JDK 2019] offers a resizable array implementation, which can be used to store and retrieve objects. Other libraries also offer custom implementations of ArrayList that are fine-tuned for specific requirements. FastArray is an example of such an implementation offered by Groovy [Groovy 2019] that provides a subset of the APIs offered by the ArrayList class. Therefore, invocations to ArrayList can not be trivially replaced by invocations to FastArray using a one-to-one API replacement.

To explain the nuances of the problem, we examine the implementation of toArray in ArrayList. Figure 3(a) presents the implementation of toArray, which receives an array arr as a parameter. If the input array is greater than the size of the array in the receiver, the toArray method performs a shallow copy of the objects stored in the receiver into arr and returns arr to the client. Otherwise, the API allocates a new array of length stored in the field size and copies the objects into the newly allocated array before returning it to the client. We observe that after the array is returned to the client from the method, modifying the returned array has no impact on the array in the receiver instance and vice versa.

We now consider the problem of replacing ArrayList with FastArray. Even though FastArray is designed to store and retrieve objects, it does not implement a method that is equivalent to toArray. Figure 3(c) presents the implementation of getArray defined in FastArray which may appear to be a good candidate (based on naming) to replace toArray. Unfortunately, this replacement will be *incorrect* as this method simply returns a reference to field data, a private field maintained by the object. The client can modify the object state by updating the returned array leading to non-equivalent behavior.

The implementation of toArray can be synthesized using a carefully selected sequence of method invocations in FastArray as shown in Figure 3(d). Initially, a new FastArray instance fastarr is created by invoking the constructor, given in Figure 3(b), and passing arr as input parameter. The data field of the newly allocated instance fastarr now holds a reference to the input array arr. The constructor also initializes the size field to the length of arr. After creating fastarr, the size field of fastarr is reset to zero indicating there are not valid entries stored by fastarr.

Next, the set method is invoked to insert a null value. This is critical as it mimics the behavior of the second if branch in the original toArray method, which sets the last index of its corresponding array (elements field) to null. This invocation is surrounded by a try-catch block to catch the ArrayIndexOutofBoundException that may be thrown by this invocation. If an exception is thrown by this invocation, then the synthesized method will simulate the else branch from the original code thus ensuring equivalence. Next, addAll method is invoked to copy the data from r.data to fastarr.data. This operation will be successful if the array referenced by fastarr.data is large enough to store all the entries in r.data. Otherwise, the method will allocate a larger array to fastarr.data field and copy the data into it. This will leave the input array arr unmodified. Finally, the field fastarr.data is returned to the caller using getArray method.

By breaking the alias between input arr and fastarr.data, the addAll method invocation correctly captures the execution of the first if branch in the original method. Where, the original toArray implementation ignores the input array arr when it has insufficient space and instead allocates a new array to copy the data stored in the ArrayList instance. Thus the behavior of the synthesized implementation of toArray is equivalent to the original implementation of toArray, under all contexts. This also ensures that all relevant objects are driven to an identical state as the original toArray implementation in ArrayList. Our system is able to automatically synthesize this implementation.

#### 3 PROBLEM FORMULATION

For a core object-oriented language, we formally describe the problem we address in this paper. The language has two kinds of *values*:

$$v \in \text{Value} = \text{Int} \cup \text{Addr}$$
  
 $n \in \text{Int}$   
 $a \in \text{Addr}$ 

where Int is a set of integers and Addr is an address space of objects in a memory. An *environment*  $\rho \in \text{Env}$  is a finite mapping from variables to values:

$$\rho \in \text{Env} = \text{Var} \xrightarrow{\text{fin}} \text{Value}$$

A *memory*  $\mu$  receives an address of an object and its field name as its arguments, and returns a value stored in the object's field:

$$\mu \in \text{Mem} = \text{Addr} \rightarrow \text{Field} \xrightarrow{\text{fin}} \text{Value}$$
  
 $f \in \text{Field}$ 

We assume two functions class  $\in$  (Mem  $\times$  Addr)  $\rightarrow$  Class, which returns the class of an object at a given address, and fields  $\in$  Class  $\rightarrow$   $\mathcal{P}$ (Field), which returns a set of fields of a class. A *system* state  $s = \langle \rho, \mu \rangle \in$  State consists of the current environment  $\rho$  and memory  $\mu$ :

$$s \in \text{State} = \text{Env} \times \text{Mem}$$

**Value Equivalence.** A value  $v_1$  in a memory  $\mu_1$  is (deeply) equivalent to a value  $v_2$  in a memory  $\mu_2$  if and only if

- $v_1$  and  $v_2$  are the same integer value, or
- $v_1$  and  $v_2$  are the addresses of two instances of the same class and the values of each of their fields are (deeply) equivalent:

$$\langle v_1, v_2 \rangle \in \mathsf{equiv}_{\mu_1, \mu_2} \equiv \left\{ \begin{array}{ll} v_1 = v_2 & \text{if } v_1, v_2 \in \mathsf{Int} \\ \forall f \in \mathsf{fields}(C) : \langle \mu_1(v_1, f), \mu_2(v_2, f) \rangle \in \mathsf{equiv}_{\mu_1, \mu_2} \\ & \text{if } \mathsf{class}(\mu_1, v_1) = \mathsf{class}(\mu_2, v_2) = C \end{array} \right.$$

**State Equivalence.** We now define equivalence between any two system states. We say two system states  $s_1$ ,  $s_2$  are equivalent, if the two states define the same set of variables and every variable in  $s_1$  is equivalent to its mirror image in  $s_2$ . In addition, the two states maintain an identical aliasing relation between the variables and their field dereferences. Before we formally define equivalence, we define the alias function here:

$$alias \in Mem \times (Var \times \overrightarrow{Field}) \times (Var \times \overrightarrow{Field}) \rightarrow Bool$$

The alias function receives the system memory, two variables and their corresponding field dereferences as input. The function evaluates both the field dereferences under the memory and yields the corresponding memory addresses. If both the field dereferences yield the same address, then the function returns true; otherwise it returns false. We now formally define equivalence between system states.

Any two given states  $s_1 = \langle \rho_1, \mu_1 \rangle$ ,  $s_2 = \langle \rho_2, \mu_2 \rangle$  are equivalent (represented by  $s_1 \equiv s_2$ ) if the states satisfy:

$$\begin{aligned} \mathbf{S.1} \ \mathsf{Domain}(\rho_1) &= \mathsf{Domain}(\rho_2) \land \forall r \in \mathsf{Domain}(\rho_1) : \langle \rho_1(r), \rho_2(r) \rangle \in \mathsf{equiv}_{\mu_1, \mu_2}. \\ \mathbf{S.2} \ \forall r_1, r_2 \in \mathsf{Domain}(\rho_1) \ \forall \overrightarrow{d_1}, \overrightarrow{d_2} \in \overrightarrow{\mathsf{Field}} : (\mathsf{alias}_{\mu_1}(r_1, \overrightarrow{d_1}, r_2, \overrightarrow{d_2}) \Leftrightarrow \mathsf{alias}_{\mu_2}(r_1, \overrightarrow{d_1}, r_2, \overrightarrow{d_2})) \end{aligned}$$

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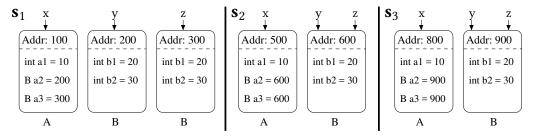


Fig. 4. System state equivalence: The states  $s_1$  and  $s_2$  are not equivalent ( $s_1 \not\equiv s_2$ ) and the states  $s_2$  and  $s_3$  are equivalent ( $s_2 \equiv s_3$ )

We illustrate verifying equivalence between system states using Figure 4. The figure depicts three system states  $s_1$ ,  $s_2$  and  $s_3$ . All three states define the same set of variables x, y and z, i.e., Domain( $\rho_1$ ) = Domain( $\rho_2$ ) = Domain( $\rho_3$ ). The variable x holds a reference to an object of type A and variables y, z hold references to objects of type B under all three states. Class A defines three fields: a1, a2 and a3. Field a1 stores an integer value and fields a2, a3 hold reference to objects of type B. Class B defines two primitive fields: b1 and b2.

The system states  $s_1$  and  $s_2$  satisfy check S.1, as the values stored by all three variables are equivalent under  $s_1$  and  $s_2$ . For instance, for variable x this check translates to ensuring field dereferences x.a1, x.a2.b1, x.a2.b2, x.a3.b1, x.a3.b2 all store the same integer value under both states. However, the states  $s_1$  and  $s_2$  do not satisfy check S.2, as y and z alias in  $s_2$  but do not alias in  $s_1$ . Similarly, the pairs (x.a2,z) and (x.a3,y) alias only in  $s_2$ . Therefore the two states are not equivalent. On the other hand, the states  $s_2$  and  $s_3$  are equivalent as they satisfy both checks. In this case, all field dereferences of x,y and z yield the same value. In addition to this, the states maintain identical aliasing relations among all variables and their field dereferences.

**Inter-Class Equivalence**  $\sigma_{0,R}$ . Given two classes O and R, an *inter-class equivalence*  $\sigma_{0,R} \in (Addr \times Mem) \times (Addr \times Mem) \rightarrow Bool$  is a function that determines whether an object of class O at an address can be considered to be equivalent to an object of class R at some other address, although they belong to different classes. If two values are equivalent up to an inter-class equivalence function  $\sigma_{0,R}$ , they are called  $\sigma_{0,R}$ -equivalent. More formally, a value  $v_1$  in a memory  $\mu_1$  is  $\sigma_{0,R}$ -equivalent to a value  $v_2$  in a memory  $\mu_2$  if and only if

- $v_1$  and  $v_2$  are value equivalent, or
- the objects at the addresses  $v_1$  and  $v_2$  are of type O and R, respectively, and  $\sigma_{O,R}(v_1, v_2)$  is true.

$$\begin{split} \langle v_1, v_2 \rangle \in \sigma_{\text{O,R}}\text{-equiv}_{\mu_1, \mu_2} \equiv \\ \langle v_1, v_2 \rangle \in \text{equiv}_{\mu_1, \mu_2} \vee (\text{class}(\mu_1, v_1) = \text{O} \wedge \text{class}(\mu_2, v_2) = \text{R} \wedge \sigma_{\text{O,R}}(v_1, \mu_1, v_2, \mu_2)) \end{split}$$

We also overload the definition of  $\sigma_{O,R}$  as  $\sigma_{O,R} \in \overrightarrow{Field} \to \mathcal{P}(\overrightarrow{Field})$ . This function maps a valid field dereference of class O to set of valid field dereference of class R. For example, if  $\sigma_{O,R}(\overrightarrow{d}) = \{\overrightarrow{d_1} \dots \overrightarrow{d_n}\}$ , then the original  $\sigma_{O,R}$  function has a check that asserts the field dereference  $\overrightarrow{d}$  of class O instances is equated with the field dereferences  $\overrightarrow{d_1} \dots \overrightarrow{d_n}$  of R instances.

State Equivalence under  $\sigma_{o,R}$  [ $s_o \equiv_{\sigma_{o,R}} s_R$ ]. Given the notion of inter-class equivalence  $\sigma_{o,R}$ , we can extend the definition of system state equivalence for system states  $s_o$  and  $s_R$ . We formally define equivalence for two states  $s_o$ ,  $s_R$ , where  $s_o$  can contain instances of class O but cannot contain instances of R and  $s_R$  can contain instances of class R but not instances of class O.

Let  $s_O = \langle \rho_O, \mu_O \rangle$ ,  $s_R = \langle \rho_R, \mu_R \rangle$  be two system states where,  $\forall v_o \in \text{Range}(\mu_O)$ ,  $\text{class}(\mu_O, v_o) \neq R$  and  $\forall v_r \in \text{Range}(\mu_R)$ ,  $\text{class}(\mu_R, v_r) \neq O$ . The two states  $s_O$ ,  $s_R$  are equivalent under an inter-class equivalence predicate  $\sigma_{O,R}$  (i.e.,  $s_O \equiv_{\sigma_{O,R}} s_R$ ), if they satisfy

**IS.1** Domain( $\rho_o$ ) = Domain( $\rho_R$ )  $\land \forall r \in Domain(\rho_o) : \langle \rho_o(r), \rho_R(r) \rangle \in \sigma_{o,R}$ -equiv<sub> $\mu_o, \mu_R$ </sub>. **IS.2**  $\forall r_1, r_2 \in Domain(\rho_o)$  one of the following is true:

(a) 
$$\operatorname{class}(\mu_{0}, \rho_{0}(r_{1})) \neq \operatorname{O} \wedge \operatorname{class}(\mu_{0}, \rho_{0}(r_{2})) \neq \operatorname{O} \wedge \forall \overrightarrow{d_{1}}, \overrightarrow{d_{2}} \in \overrightarrow{\operatorname{Field}}:$$

$$\operatorname{alias}_{\mu_{0}}(r_{1}, \overrightarrow{d_{1}}, r_{2}, \overrightarrow{d_{2}}) \Leftrightarrow \operatorname{alias}_{\mu_{R}}(r_{1}, \overrightarrow{d_{1}}, r_{2}, \overrightarrow{d_{2}})$$
(b)  $\operatorname{class}(\mu_{0}, \rho_{0}(r_{1})) = \operatorname{O} \wedge \operatorname{class}(\mu_{0}, \rho_{0}(r_{2})) \neq \operatorname{O} \wedge \forall \overrightarrow{d_{1}}, \overrightarrow{d_{2}} \in \overrightarrow{\operatorname{Field}}. \forall \overrightarrow{d_{i}} \in \sigma_{0,R}(\overrightarrow{d_{1}}):$ 

$$\operatorname{alias}_{\mu_{0}}(r_{1}, \overrightarrow{d_{1}}, r_{2}, \overrightarrow{d_{2}}) \Leftrightarrow \operatorname{alias}_{\mu_{R}}(r_{1}, \overrightarrow{d_{i}}, r_{2}, \overrightarrow{d_{2}})$$
(c)  $\operatorname{class}(\mu_{0}, \rho_{0}(r_{1})) = \operatorname{O} \wedge \operatorname{class}(\mu_{0}, \rho_{0}(r_{2})) = \operatorname{O} \wedge \forall \overrightarrow{d_{1}}, \overrightarrow{d_{2}} \in \overrightarrow{\operatorname{Field}}. \forall (\overrightarrow{d_{i}}, \overrightarrow{d_{j}}) \in \sigma_{0,R}(\overrightarrow{d_{1}}) \times \sigma_{0,R}(\overrightarrow{d_{2}}):$ 

$$\operatorname{alias}_{\mu_{0}}(r_{1}, \overrightarrow{d_{1}}, r_{2}, \overrightarrow{d_{2}}) \Leftrightarrow \operatorname{alias}_{\mu_{0}}(r_{1}, \overrightarrow{d_{i}}, r_{2}, \overrightarrow{d_{j}})$$

$$\operatorname{alias}_{\mu_{0}}(r_{1}, \overrightarrow{d_{1}}, r_{2}, \overrightarrow{d_{2}}) \Leftrightarrow \operatorname{alias}_{\mu_{0}}(r_{1}, \overrightarrow{d_{i}}, r_{2}, \overrightarrow{d_{j}})$$

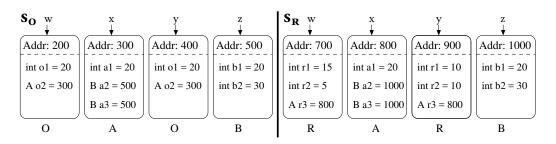


Fig. 5. System state equivalence under  $\sigma_{O,R}$ : If the equivalence predicate for the two classes O, R is such that, field o2 in class O is mapped to field r3 (i.e.,  $\sigma_{O,R}(o2) = \{r3\}$ ) and the predicate checks the following:  $\sigma_{O,R}(o1) = r1 + r2$ . Then under the predicate  $\sigma_{O,R}$  the states  $s_O$  and  $s_R$  are equivalent (i.e.,  $s_O \equiv \sigma_{O,R} s_R$ ).

We explain the working of the above checks using Figure 5. The figure presents two system states  $s_0$  and  $s_R$ . The state  $s_0$  contains instances of classes O, A, and B, whereas the state  $s_R$  contains instances of classes R, A, and B. The structure of classes A and B are the same as shown in Figure 4. The class O defines two fields: o1 and o2. Field o1 is primitive and it stores an integer value and field o2 is a reference field of type A. The class R defines three fields: r1, r2 and r3. Fields r1, r2 are primitive and field r3 holds a reference to an object of type A. Let  $\sigma_{O,R}$  be defined as follows:  $\sigma_{O,R}(v_1, \mu_1, v_2, \mu_2) \equiv \langle \mu_1(v_1, o2), \mu_2(v_2, r3) \rangle \in \text{equiv}_{\mu_1, \mu_2} \land \langle \mu_1(v_1, o1), \mu_2(v_2, r1) + \mu_2(v_2, r2) \rangle \in \text{equiv}_{\mu_1, \mu_2}$ . The two states define the same set of variables: w, x, y, z.

We now elaborate on how all the variables w, x, y, z in states  $s_O$  and  $s_R$  are equivalent under  $\sigma_{O,R}$  and satisfy the check IS.1. For variables x and z, the value equivalence is verified by checking  $\langle \rho_O(x), \rho_R(x) \rangle \in \text{equiv}_{\mu_O, \mu_R}$  and  $\langle \rho_O(z), \rho_R(z) \rangle \in \text{equiv}_{\mu_O, \mu_R}$  respectively. For variable x, this check boils down to verifying whether field dereferences x.a1, x.a2.b1, x.a2.b2, x.a3.b1 and x.a3.b2 yield the same integer value under both states. Similarly, for variable z, this ensures dereferences z.b1 and z.b2 yield the same integer values under both states. For variables w and y, the value equivalence is verified by checking  $\sigma_{O,R}(\rho_O(w), \mu_O, \rho_R(w), \mu_R)$  and  $\sigma_{O,R}(\rho_O(y), \mu_O, \rho_R(y), \mu_R)$  respectively. In other words, for variable w, this check ensures that value at w.o1 in state  $s_O$  is equal to w.r1 + w.r2 in state  $s_R$  and that the object at x.o2 in  $s_O$  is value equivalent to object at x.r3 in  $s_R$ .

The two states are also equivalent under  $\sigma_{O,R}$  as they satisfy check IS.2. We elaborate using three different pairs where each pair corresponds to a different check.

- pair (x,z) under check IS.2(a): We consider all valid references reachable from x and z that may alias. For x, the references that are considered are  $\{x, x.a2, x.a3\}$ . For z, it is  $\{z\}$ . We check whether all reference pairs, (x,z), (x.a2,z) and (x.a3,z), either alias (or not) under both states. The pairs (x.a2,z) and  $(x.a3,zr_4)$  alias whereas the pair (x,z) do not alias under both the states. Hence, the pair satisfies the check.
- pair(w, x) under check IS.2(b): Since there are many reference pairs that are feasible here, we explain using one reference pair (w. 02, x) under  $s_0$ . We identify the corresponding reference pair under  $s_R$  using  $\sigma_{O,R}$ . This yields the reference pair (w. r3, x). Since w. 02 and x alias under  $s_0$ , and x. r3 and x alias under  $s_R$ , the pair satisfies the check. Similarly, other references pairs that are derived for (w, x) satisfy the check.
- pair (w, y) under check IS.2(c): We explain using one reference pair (w.o2.a2, y.a3) obtained under state  $s_0$ . The corresponding pair under  $s_R$  is (w.r3.a2, y.r3.a3) obtained using  $\sigma_{o,R}$ . The references w.o2.a2 and y.r3.a3 alias under  $s_0$  and references w.r3.a2 and y.r3.a3 alias under  $s_R$ , thereby, satisfying the check. Similarly, all other reference pairs that are derived from (w, y) satisfy the check.

Since the system states  $s_o$  and  $s_R$  satisfy the checks IS.1 and IS.2 under the given  $\sigma_{o,R}$ , the two states are equivalent under  $\sigma_{o,R}$ .

**Goal.** Given two different classes O and R, the goal of this work is to synthesize a new class G that contains a replacement method  $m_G$  for every method  $m_O$  of class O, such that every  $m_G$  provides an identical behavior as the corresponding method  $m_O$ , using the methods of class R only.

We realize this goal by synthesizing 1) a replacement class G that contains a reference to an instance of class R as its only field and 2) an inter-class equivalence predicate  $\sigma_{O,G}$  (and, consequently,  $\sigma_{O,R}$ ) that will be used to ensure the equivalence of the replacement class G with the original class O as follows:

For all methods  $m_0$  in O, there exists a method  $m_G$  in G such that, if  $s_0 = \langle \rho_0, \mu_0 \rangle$  and  $s_G = \langle \rho_G, \mu_G \rangle$  are equivalent states under  $\sigma_{0,G}$  (i.e.,  $s_0 \equiv_{\sigma_{0,G}} s_G$ ) and if executing a statement  $r = m_0(x_1 \dots x_n)$  under  $s_0$  yields a state  $s_0' = \langle \rho_0', \mu_0' \rangle$  and executing  $r = m_G(x_1 \dots x_n)$  under  $s_G$  yields a state  $s_G' = \langle \rho_G', \mu_G' \rangle$ , then

- $\langle \rho'_{\rm O}(r), \rho'_{\rm G}(r) \rangle \in \sigma_{\rm o, G}$ -equiv<sub> $\mu'_{\rm o}, \mu'_{\rm G}$ </sub>. The values returned by the invocations (if any) are equivalent under  $\sigma_{\rm o, G}$ .
- $s'_{O} \equiv_{\sigma_{O,G}} s'_{G}$ . The final states of the system are equivalent under  $\sigma_{O,G}$ .

In other words, if we execute a method  $m_{\rm O}$  and  $m_{\rm G}$  under two states  $s_{\rm O}$  and  $s_{\rm G}$  that are equivalent under  $\sigma_{\rm O,G}$ , then the methods  $m_{\rm O}$  and  $m_{\rm G}$  return equivalent values to the user and drive the states  $s_{\rm O}$  and  $s_{\rm G}$  to equivalent states. Since this guarantee exists for every pair of  $m_{\rm O}$  and  $m_{\rm G}$ , replacing class O with class G is correct under every context.

### 4 DESIGN

We present the design of a tool, Mask, that achieves the goal described in the previous section. Algorithm 1 presents the overall working of Mask. The algorithm receives classes O, R and any known class invariants of O, R as input. If class invariants are not available, then Mask assumes a default true value for the class invariants. The algorithm symbolically analyzes classes O and R and constructs sets  $E_o$ ,  $E_r$  populated with symbolic expressions built using field dereferences of classes O, R respectively. This is carried out by invoking the symbolic-summary procedure at line

### Algorithm 1 MASK main algorithm

### Require:

```
O \leftarrow Original class; R \leftarrow Replacement class
    I_o \leftarrow \text{Original class invariant}; I_r \leftarrow \text{Replacement class invariant}
                                                                                                        ▶ Optional input
 1: \langle E_o, E_r \rangle \leftarrow \text{symbolic-summary}(O, R)
 2: \Sigma_{O,R} \leftarrow \text{candidate-generator}(E_o, E_r, I_o, I_r)
 3: G_s \leftarrow \emptyset;
 4: for every m_o \in O do
                                                                                         ▶ Generate sketch of class G
         G_s \leftarrow G_s \oplus \text{generate-sketch}(m_o, R, k)
 6: end for
 7: for every \sigma_{O,R} \in \Sigma_{O,R} do
         harness \leftarrow \emptyset
         for every m_o \in O do
                                                                           ▶ Generate checks for all methods in G
 9:
              m_a \leftarrow \text{signature}(m_o, G)
                                                                       ▶ Signature of corresponding method in G
10:
              harness ← harness ∪ generate-harness (m_o, m_q, \sigma_{o,r})
11:
         end for
12.
         G \leftarrow \text{sketch-solver}(G_s, \text{harness})
                                                                           ▶ Resolve sketch using class-harness
13:
         if G \neq \bot then return G;
14.
15.
         end if
16: end for
17: return ⊥
```

1. Next, the algorithm invokes the candidate-generator procedure, which receives the expressions in sets  $E_0$ ,  $E_r$  and the class invariants  $I_o$ ,  $I_c$  as input. Leveraging the input expressions, the candidate-generator constructs a set of possible inter-class equivalence predicates  $\Sigma_{O,R}$ . Every predicate in set  $\Sigma_{O,R}$  is satisfiable and relates every instance of class O to at least one instance of class R.

Once the candidate set of interclass equivalence definitions are constructed, the algorithm attempts to synthesize the required adapter class G. The algorithm begins the synthesis by constructing an overall sketch  $G_s$  of class G (lines 4-6). It adds a method sketch to  $G_s$  for every public method  $m_o$  in class O using procedure generate-sketch. The adapter method sketch is later resolved into a unique method invocation sequence to class R, which is at most k long, where k is specified by the user.

After creating the sketch  $G_s$  for class G, Mask creates the necessary harness to resolve it. The algorithm iterates over the set  $\Sigma_{O,R}$  returned by candidate-generator procedure and generates a harness to resolve  $G_s$  in each iteration (line 7-16). The harness constructed in each iteration leverages a different interclass equivalence  $\sigma_{O,R}$  in set  $\Sigma_{O,R}$ . The harness for every method  $m_g$  that must be synthesized for class G is constructed using generate-harness procedure and it encodes the correctness check for the specific method (line 11). After the harness is created for all methods in  $G_s$ , the Mask invokes the sketch-solver (line 13). If the sketch-solver is able to resolve the adapter class sketch  $G_s$  by satisfying the harness, it produces a completed adapter class G as output. The constructed class is then returned to the user at line 14. Otherwise, the algorithm attempts to instantiate the  $G_s$  using another harness in the next iteration. This is carried out until all the interclass equivalence predicates are considered for synthesis or the required class G is found. We now elaborate each of the above steps in detail.

```
public class Original {
                                   public class Replacement {
                                                                                  public class Generated {
                                                                                    Replacement r;
 int x, y, count;
                                     int a, b;
 public Original () {
                                     public Replacement () {
                                                                                    public Generated () {
   x = 0; y = 0; count = 0;
                                       a = 0; b = 0;
                                                                                      r = new Replacement();
 public void set(int v1, int v2) {
                                     public int getValue(boolean flag) {
                                                                                    public void set(int v1, int v2) {
   x = v1; y = v2; count++;
                                       if (flag) return a;
                                                                                       r.reset(); r.add(true, v1);
                                       return b;
                                                                                       r.add(true, v2); r.add(false, v1);
                                                                                       r.subtract(false, v2);
 public int sum() {return x+y;}
                                     public void add(boolean flag, int val) {
 public int diff() {return x-y;}
                                                                                    public int sum() { return r.getValue(true);}
                                       if (flag) a = a + val;
                                                                                    public int diff() { return r.getValue(false);}
                                       else b = b + val;
 public void moveX(int val) {
                                                                                    public void moveX(int val) {
   x = x + val; count++;
                                                                                       r.add(true, val); r.add(false, val);
                                     public int subtract(boolean flag, int val) {
                                       if (flag) { a = a - val; return a; }
 public void moveY(int val) {
                                       else \{b = b - val; return b; \}
                                                                                    public void moveY(int val) {
   y = y + val; count++;
                                                                                       r.add(true, val); r.subtract(false, val);
                                     public void reset() {
 public void scale(int val) {
                                       a = 0; b = 0;
                                                                                    public void scale(int val) {
  moveX(val); moveY(val);
                                                                                       r.add(true, val); r.add(true, val);
   count++;
                                   }
                                                                                  }
               (a)
                                                        (b)
                                                                                                       (c)
```

Fig. 6. Running example.

### 4.1 Illustrative Example

For clarity, we illustrate the working of our approach with the help of a simple running example, that will be used to explain the various aspects of our approach throughout this section.

Figure 6(a) presents a simple class Original which needs to be replaced with another class Replacement given in Figure 6(b). The classes differ from each other across multiple dimensions:

- Original contains three private fields x, y, and count, while Replacement declares two fields, a and b.
- Original provides 6 public APIs as compared to the 4 APIs present in Replacement.
- The APIs have distinct signatures with respect to the number of parameters, the types of the parameters, etc.

Given the two classes, MASK can generate a replacement class Generated as shown in Figure 6(c) where the interfaces of Original are implemented using the Replacement class. Each method in Generated performs a sequence of invocations to Replacement.

### 4.2 Symbolic Summary Generation

As a first step, Mask explores the two input classes using symbolic execution. The analysis builds the set of symbolic expressions returned by invoking various public methods defined by the class. This set will be later used to build the required  $\sigma_{\text{O,R}}$  checks for input classes O, R.

Algorithm 2 presents the generation of symbolic summaries where classes O and R form the input. The procedure iterates over all public methods, that have a non-void return type, defined in the class O (lines 3-7). For a given method, the procedure assigns fresh a symbolic variable to each parameter (line 4). If a parameter is of reference type, it assigns a unique symbol to every

### Algorithm 2 The symbolic-summary procedure

```
1: procedure symbolic-summary(O, R)
         E_o \leftarrow \emptyset; E_r \leftarrow \emptyset
 2:
         for method m_i \in O do
                                                                       > skip methods that have a void return type
 3:
              P \leftarrow parameters(m_i); S \leftarrow create-symbols(P)
 4:
              E_i \leftarrow \text{symbolic-explore}(m_i, S)
 5:
              E_o \leftarrow E_o \cup filter(E_i, O)
         end for
 7:
         for method m_i \in \mathbb{R} do
                                                                       > skip methods that have a void return type
 8:
              P \leftarrow parameters(m_i); S \leftarrow create-symbols(P)
 9:
              E_i \leftarrow \text{symbolic-explore}(m_i, S)
10:
              E_r \leftarrow E_r \cup filter(E_i, R)
11:
         end for
12:
         \mathsf{E}_o \leftarrow \mathsf{E}_o \cup \mathsf{field}\text{-dereferences}(\mathsf{O})
                                                                  ▶ Additional expression for stronger predicates
13:
         E_r \leftarrow E_r \cup \text{field-dereferences}(R)
14:
         return \langle E_o, E_r \rangle
15:
16: end procedure
```

field dereference of the parameter. This is carried out to precisely track the data flow from object fields to the return values.

The method is then executed symbolically using the generated symbolic parameters. The symbolic execution is inter-procedural and explores all paths in the method. If a path returns a value to the caller, the symbolic expression associated with the return value is added to the set  $E_i$ , at line 5. Next, the procedure filters the set of expressions contained in the set  $E_i$  at line 6. The filter function retains symbolic expressions in  $E_i$  that are purely constructed using symbolic variables initially assigned to field dereferences of objects of type O. This is to enable Mask to use these symbolic expressions to build candidate  $\sigma_{O,R}$  checks. More specifically, we require the evaluation  $\sigma_{O,R}(v_o, \mu_o, v_r, \mu_r)$  check to only depend on the state of object of type O at  $v_o$  and object of type R at  $v_r$ , and not contain additional free variables. The same process is repeated for class R to build the corresponding set  $E_r$  (lines 8–12).

The procedure next explores classes O and R to derive the set of valid field dereferences which are then added to the sets  $E_o$  and  $E_r$  respectively. This is carried out to widen the space of candidate  $\sigma_{O,R}$  predicates considered by Mask. For some classes, predicates that only leverage symbolic return expressions may not be strong enough and in such cases these additional predicates may become essential for synthesizing the required G.

For the running example given in Figure 6, Original defines two public methods that return a value to its caller – sum and diff. These methods are symbolically explored by symbolic-summary procedure. Both methods are invoked on an instance of the class Original and receive no additional parameters. The procedure assigns symbolic variables to field dereference of the receiver objects and assigns the symbols  $x_s$ ,  $y_s$  and count $_s$  for the fields x,  $y_s$  and count respectively. The method sum returns  $x_s + y_s$  and diff returns  $x_s - y_s$  symbolic expressions. Since, the symbolic expressions are composed only of symbolic variables drawn from the fields in Original, they remain intact and are not removed by the filter method at line 5 resulting in  $E_o = \{x_s + y_s, x_s - y_s\}$ . Symbolic expressions are not generated for the remaining methods in Original as they do not return a value to the client.

Next, the procedure explores the two public methods that have a non-void return type, getValue and subtract, in the class Replacement. The procedure creates the symbols  $a_s$ ,  $b_s$ ,  $flag_s$  and  $val_s$ 

corresponding to object fields a, b of receiver object and input parameters flag and val of method subtract. After symbolically executing subtract, two symbolic expressions that are returned are identified:  $a_s$ -val $_s$  and  $b_s$ -val $_s$ . However, both the expressions are filtered out by filter method at line 11. This is because the expressions contain a free variable val $_s$  which cannot be used in a candidate check. Then, the procedure symbolically analyses getValue method which results in  $E_r = \{a_s, b_s\}$ . Subsequently, the procedure adds field dereferences  $x_s$ ,  $y_s$  and count $_s$  to  $x_s$ . When the procedure concludes,  $x_s$  =  $x_s$  +  $x_s$  +  $x_s$  -  $x_s$  +  $x_s$  -

### 4.3 Equivalence Candidate Generator

We now describe the *candidate generator* which builds the set of  $\sigma_{O,R}$  candidates.

4.3.1 Generating Possible Inter-class Equivalence Predicates. In the previous stage, MASK constructed sets  $E_o$  and  $E_r$  that contain expressions built with field dereferences of classes O and R. Using these expressions, the candidate generator synthesizes the required inter-class equivalence predicate by establishing a relation between the field dereferences of classes O and R. This is carried out by equating expressions in set  $E_o$  with expressions in set  $E_r$ .

While building these predicates, higher importance is given to expressions in  $E_o$  that are added by the symbolic execution of public methods. As these expressions are returned to the client application, the synthesized adapter class G must be able to return equivalent expressions to the client. Therefore, we require that each such expression in  $E_o$  is equivalent to at-least one expression in set  $E_r$ . We define function return to extract these expressions.

We attempt to construct a relation  $\eta \subseteq \mathsf{E}_o \times \mathsf{E}_r$ , where  $\forall e_o \in \mathsf{return}(\mathsf{E}_o)$  .  $\exists e_r \in \mathsf{E}_r$  s.t.  $(e_o, e_r) \in \eta$ . Every such relation can be regarded as a potential  $\sigma_{\mathsf{O},\mathsf{R}}$ :

$$\sigma_{\scriptscriptstyle \mathrm{O},\mathrm{R}} \equiv \bigwedge_{(e_o,e_r)\in\eta} (e_o=e_r)$$

However, all possible relations need not be meaningful. For instance, a relation that pairs two expressions of different types will not produce a useful equivalence predicate  $\sigma_{O,R}$ . Therefore, we choose only those mappings that are type compatible as potential candidates. Further, we must only consider those predicates that offer a valid mapping for every object of class O. We now discuss these criterion in detail.

4.3.2 Eliminating Invalid Predicates. Intuitively, we want every object instance of type O to be represented (and eventually replaced) by some object instance of class R. If such an object mapping is not possible, then O can not be replaced by R as it can not offer equivalent functionality under all contexts. Any  $\sigma_{O,R}$  predicate that we consider must ensure that this requirement is met. In this subsection, we elaborate on how MASK identifies such valid  $\sigma_{O,R}$  predicates.

We use class invariants to identify all possible object instances of a given class. We define a class invariant checker,  $I_c$ , that returns true, if and only if, an input value is an instance of type C and satisfies the class invariant.

$$I_c \in Inv = Value \times Mem \rightarrow Bool$$

An inter-class equivalence predicate  $\sigma_{O,R}$  for any two classes O, R is considered valid, if it satisfies the following check given  $I_O$  and  $I_R$ :

$$\begin{split} \forall \langle \upsilon_o, \mu_o \rangle \in \text{Value} \times \text{Mem. } \exists \langle \upsilon_r, \mu_r \rangle \in \text{Value} \times \text{Mem.} \\ & I_{\text{O}}(\upsilon_o, \mu_o) = \text{false} \ \lor \ (I_{\text{R}}(\upsilon_r, \mu_r) = \text{true} \land \sigma_{\text{O,R}}(\upsilon_o, \mu_o, \upsilon_r, \mu_r) = \text{true}) \end{split}$$

In other words, if we can find an instance of class O which causes the  $\sigma_{O,R}$  check to be unsatisfiable, then  $\sigma_{O,R}$  is invalid. We define a function CheckValid that performs this validity check,

given a candidate predicate and two class invariant checkers. If the candidate fails the check, the function returns false and returns true otherwise.

$$CheckValid = \Sigma \times Inv \times Inv \rightarrow Bool$$

Algorithm 3 presents the working of the CheckValid function which is used to eliminate the invalid  $\sigma_{O,R}$  candidates. It takes as input a  $\sigma_{O,R}$  predicate and class invariant checkers,  $I_o$  and  $I_r$ , in the form of constraints. The implementation of the procedure uses the minimal satisfiability theory [Dillig et al. 2012].

### Algorithm 3 The CheckValid procedure

```
1: procedure CheckValid(\sigma_{O,R}, I_o, I_r)
        D_o \leftarrow \text{field-dereferences}(O); D_r \leftarrow \text{field-dereferences}(R)
        limit \leftarrow |D_o| + 1; cost \leftarrow empty-map
3:
        for e_o ∈ D<sub>o</sub> do cost[e_o] ← 1 end for
                                                           Assign suitable cost for O and R dereferences
4:
        for e_r ∈ D_r do cost[e_r] ← limit end for
5:
        mincost \leftarrow MSA-cost(I_o \land \neg(\sigma_{O,R} \land I_r), mincost) \triangleright Minimal cost for satisfying constraint.
7:
        if mincost < limit then return false → Found an O instance without a valid mapping
        else return true
8:
        end if
9:
10: end procedure
```

A minimal satisfying assignment (MSA) is defined for a input constraint  $\alpha$  under a cost function C, where C specifies the cost of every free variable in  $\alpha$ . A satisfying assignment is a value mapping for a set of variables in  $\alpha$ , such that  $\alpha$  is satisfied. The cost of the assignment is the sum of the costs associated with every variable that is assigned a value. Then, the minimal satisfying assignment is a satisfying assignment that incurs the minimal cost.

The CheckValid procedure begins by building sets  $D_o$  and  $D_r$  that contain all field dereferences of classes O and R respectively (line 2). The idea is to only assign values to variables in set  $D_o$  such that  $I_o \land \neg(\sigma_{O,R} \land I_r)$  is satisfied. To do this, we create a unique cost function for variables in  $D_o$  and  $D_r$ . Each variable in  $D_o$  is assigned cost 1 and each variable in  $D_r$  is assigned cost  $|D_o| + 1$ . Therefore, the cost of assigning a value to a variable in  $D_r$  is higher than the total cost of assigning values to all variables in  $D_o$ . Subsequently, CheckValid computes the MSA cost of constraint  $I_o \land \neg(\sigma_{O,R} \land I_r)$ . If the cost is less than  $|D_o| + 1$ , then only variables in  $D_o$  are assigned values. With this value assignment, we now have an instance of class O that has no mapping in  $\sigma_{O,R}$ , making it an invalid candidate. If the cost is higher, the solver had to assign values to variables in  $D_r$ . This means that there is no object instance of O without a mapping under  $\sigma_{O,R}$ , making it a valid candidate.

4.3.3 Candidate Generator Procedure. We now present candidate-geneartor procedure that generates possible  $\sigma_{O,R}$  candidates in Algorithm 4. The procedure receives the sets of symbolic expressions,  $E_o$  and  $E_r$ , as input. It returns a valid set of  $\sigma_{O,R}$  candidates that appropriately map expressions in  $E_o$  with those in  $E_r$ . The procedure is recursive and it employs divide and conquer strategy to build the candidate predicates, where simpler predicates are built before building more complex ones.

The procedure begins by initializing an empty set of predicates at line 2. If  $E_o$  contains only a single expression  $e_o$ , then the procedure executes the base case between lines 3–9. The procedure iterates over every expression  $e_r \in E_r$  that is of the same type as  $e_o$ . For every such expression  $e_r$ , the procedure creates a simple constraint that maps expression  $e_o$  to  $e_r$  (i.e.,  $e_o = e_r$ ). The validity

## Algorithm 4 The candidate-generator procedure

```
1: procedure candidate-generator(E_o, E_r)
           \Sigma \leftarrow \emptyset
                                                                                                        ▶ Initialize \sigma_{O,R} candidate set
 2:
           if |E_o| = 1 then e_o \leftarrow \text{element}(E_o)
 3:
                for every e_r \in \text{type}(E_r, e_o) do
                                                                                              \triangleright e_r and e_o are of compatible types
                      if CheckValid((e_o = e_r), I_o, I_r) then \Sigma \leftarrow \Sigma \cup \{(e_o = e_r)\}\
                      end if
                end for
 7:
                return \Sigma;
           end if
 9:
           (E_i, E_i) \leftarrow \text{divide-set}(E_o)
                                                                                                                  > Split the expressions
10:
           \Sigma_i \leftarrow \text{candidate-generator}(E_i, E_r);
                                                                                                                  ▶ Generate partial \sigma_{O,R}
11:
           \Sigma_i \leftarrow \text{candidate-generator}(E_i, E_r)
12:
           for every (\sigma_i, \sigma_i) \in \Sigma_i \times \Sigma_i do
13:
                if CheckValid(\sigma_i \wedge \sigma_j, I_o, I_r) then \Sigma \leftarrow \Sigma \cup \{\sigma_i \wedge \sigma_j\} end if
14:
           end for
15:
           if return(E_o) \cap E_i = \emptyset then \Sigma \leftarrow \Sigma \cup \Sigma_i end if
16:
           if return(E_o) \cap E_i = \emptyset then \Sigma \leftarrow \Sigma \cup \Sigma_i end if
17:
           return Σ
18:
19: end procedure
```

of the newly built predicate ( $e_o = e_r$ ) is checked by the CheckValid procedure at line 5. All valid predicates are added to  $\Sigma$  at line 5. The base case terminates by returning the populated  $\Sigma$ .

If the size of  $E_o$  is more than one, then the candidate–generator procedure builds the candidate predicates recursively using a divide and conquer strategy (lines 10–18). It divides the set  $E_o$  into  $E_i$  and  $E_j$  at line 10 and invokes the procedure on these divided sets (lines 11–12). The candidate predicates built by these recursive invocations are captured in  $\Sigma_i$  and  $\Sigma_j$  respectively.

Using the predicates in  $\Sigma_i$  and  $\Sigma_j$ , the procedure builds stronger predicates that map expressions in set  $E_o$  with those in  $E_r$  by considering all pairs of predicates  $(\sigma_i, \sigma_j)$ , where  $\sigma_i \in \Sigma_i$  and  $\sigma_j \in \Sigma_j$ . The validity of  $\sigma_i \wedge \sigma_j$  is checked using CheckValid procedure. If it is valid, then  $\sigma_i \wedge \sigma_j$  is added to  $\Sigma$ . After evaluating all pairs, the procedure checks if the predicates in  $\Sigma_i$  and  $\Sigma_j$  can be added to  $\Sigma$ .

Recall that we require every symbolic expression returned by a method in O be mapped to some expression in  $E_r$ . Therefore, the predicates in set  $\Sigma_j$  can be added to  $\Sigma$  provided the set  $E_i$  does not contain any symbolic expression returned by method of class O (line 16). Similarly, predicates in set  $\Sigma_i$  are added (line 17).

We now explain the candidate-generator procedure using the running example. Initially, the procedure is invoked with sets  $E_o = \{x_s + y_s, x_s - y_s, x_s, y_s, \text{count}_s\}$  and  $E_r = \{a_s, b_s\}$  as input. As there are no class invariants for this example, the constraints  $I_o$  and  $I_r$  are true. Since the set  $E_o$  contains more than one entry, the procedure builds the predicates recursively.

Table 1 presents the details for all recursive calls with  $E_o$  as input, where each row presents the data corresponding to an invocation. The details pertaining to the first invocation of the procedure is presented in the last row. The procedure makes a recursive invocations with  $E_i = \{x_s + y_s, x_s - y_s\}$  and  $E_j = \{x_s, y_s, \text{count}_s\}$  as inputs respectively. The invocations return predicate sets  $\Sigma_6 = \{\sigma_1 \land \sigma_4, \sigma_2 \land \sigma_3\}$  and  $\Sigma_8 = \{\sigma_5 \land \sigma_{10}, \sigma_6 \land \sigma_9, \ldots\}$ . The definitions of the constructed predicates  $\sigma_1 \ldots \sigma_{10}$  are shown in Table 1 and are self-explanatory.

Table 1. The first column presents the recursive depth of the candidate-generator instance processing the input  $E_o$  which is shown in the second column. The third column indicates the  $\Sigma_i$  and  $\Sigma_j$  sets constructed by the recursive calls. The fourth column presents the  $\Sigma$  built by this invocation and the fifth column presents the number of candidates that are found to be invalid by this invocation.

| D | $E_o$                   | $\Sigma_i, \Sigma_j$ | Constructed $\Sigma$   | Invalid |
|---|-------------------------|----------------------|--|---------|
| 4 | $\{x_s+y_s\}$           |                      | [2] $\Sigma_1 = {\sigma_1 : x_s + y_s = a_s, \sigma_2 : x_s + y_s = b_s}$                              | 0       |
| 4 | $\{x_s - y_s\}$         |                      | [2] $\Sigma_2 = \{\sigma_3 : x_s - y_s = a_s, \sigma_4 : x_s - y_s = b_s\}$                            | 0       |
| 4 | $\{x_s\}$               | Ø                    | $[2] \Sigma_3 = \{\sigma_5 : x_s = a_s, \sigma_6 : x_s = b_s\}$  | 0       |
| 4 | $\{y_s\}$               |                      | [2] $\Sigma_4 = \{\sigma_7 : y_s = a_s, \sigma_8 : y_s = b_s\}$  | 0       |
| 3 | $\{count_s\}$           |                      | [2] $\Sigma_5 = \{\sigma_9 : count_s = a_s, \sigma_{10} : count_s = b_s\}$                             | 0       |
| 3 | $\{x_s, y_s\}$          | $\Sigma_3, \Sigma_4$ | [6] $\Sigma_7 = \Sigma_3 \cup \Sigma_4 \cup \{\sigma_5 \wedge \sigma_8, \sigma_6 \wedge \sigma_7\}$    | 2       |
| 2 | $\{x_s+y_s,x_s-y_s\}$   | $\Sigma_1, \Sigma_2$ | $[2] \Sigma_6 = \{\sigma_1 \wedge \sigma_4, \sigma_2 \wedge \sigma_3\}$                                | 6       |
| 2 | $\{x_s, y_s, count_s\}$ | $\Sigma_5, \Sigma_7$ | [12] $\Sigma_8 = \Sigma_7 \cup \Sigma_5 \cup \{\sigma_5 \wedge \sigma_{10}, \sigma_6 \wedge \sigma_9,$ | 8       |
|   |                         |                      | $\sigma_7 \wedge \sigma_{10}, \sigma_8 \wedge \sigma_9 \}$   |         |
| 1 | $\{x_s+y_s, x_s-y_s\}$  | $\Sigma_6, \Sigma_8$ | $[2] \Sigma_9 = \Sigma_6$  | 36      |
|   | $x_s, y_s, count_s$     |                      |  |         |

For every pair of predicates  $(\sigma_i, \sigma_j)$ , where  $\sigma_i \in \Sigma_6$  and  $\sigma_j \in \Sigma_8$ , the procedure checks whether  $\sigma_i \wedge \sigma_j$  is valid. Let us consider one such case, where  $\sigma_i : \mathsf{x}_s + \mathsf{y}_s = \mathsf{a}_s \wedge \mathsf{x}_s - \mathsf{y}_s = \mathsf{b}_s$  and  $\sigma_j : \mathsf{x}_s + \mathsf{y}_s = \mathsf{a}_s \wedge \mathsf{x}_s - \mathsf{y}_s = \mathsf{b}_s$ . The conjunction of these predicates is input to the CheckValid procedure to check its validity which reports the predicate as invalid. This is because when  $\mathsf{x}_s = \mathsf{b}$  and  $\mathsf{y}_s = \mathsf{b}$ ,  $\sigma_i \wedge \sigma_j$  is unsatisfiable. Similarly, CheckValid evaluates every such  $\sigma_i \wedge \sigma_j$  as invalid. Next the procedure checks if set return( $\mathsf{E}_o$ ) $\cap \mathsf{E}_1$  is empty. Since the expressions  $\mathsf{x}_s + \mathsf{y}_s + \mathsf{x}_s - \mathsf{y}_s$  in set  $\mathsf{E}_1$  are returned by methods in class  $\mathsf{Original}$ , the resulting set is non empty. Hence, candidates in  $\Sigma_8$  are discarded. However, the check to add elements in  $\Sigma_6$  succeeds and therefore the procedure returns predicates  $\mathsf{x}_s + \mathsf{y}_s = \mathsf{a}_s \wedge \mathsf{x}_s - \mathsf{y}_s = \mathsf{b}_s + \mathsf{x}_s - \mathsf{y}_s = \mathsf{a}_s \wedge \mathsf{x}_s - \mathsf{y}_s = \mathsf{a}_s$ .

#### 4.4 Sketch Generator

In this section, we describe the working of the *sketch generator*. It receives the two classes O and R, a maximum sequence length k and the set  $\Sigma$  returned by the candidate-generator as input. It constructs an overall *sketch* of the adapter class and a class harness to resolve it. The sketch for class G is a set of smaller sketches corresponding to its methods – { sketch<sub>1</sub> . . . sketch<sub>n</sub>}. For every sketch<sub>m</sub>, there exists a unique method harness in the class harness and the method sketch can be independently resolved by the Sketch solver [Solar-Lezama 2008] using its harness. We now explain the process of generating a method sketch and the corresponding method harness.

4.4.1 Generating a Sketch. A sketch sketch<sub>m</sub> is constructed to replace every method  $m \in O$  using the generate-sketch procedure presented in Algorithm 5. The procedure receives the method m and the replacement class R as input. It iterates over every formal parameter defined by m and identifies the corresponding parameter type to be input to the sketched method (line 3-8). If method m receives a parameter of type O, then the sketched method will receive a parameter of type G. Otherwise, it receives a parameter of the same type. Using the established parameter types to the sketched method and the input method m, the procedure creates the method signature and adds it to sketch<sub>m</sub> at line 8.

Next, the procedure creates a sketch for the method body. It constructs a sketch that allows *atmost* k method invocations to class R (line 9–14). This is done iteratively and each iteration adds a choice to select at-most one method in R to invoke. Each iteration identifies the set of methods from

# Algorithm 5 The generate-sketch procedure

```
1: procedure generate-sketch(m, R, k)
         parameters \leftarrow \emptyset; sketch<sub>m</sub> \leftarrow \emptyset
         for every \langle t_i, p_i \rangle \in \text{formal-parameters}(m) do
                                                                                         \triangleright t_i is the type of parameter p_i
 3:
              if t_i = O then parameters \leftarrow parameters \cup \{\langle G, p_i \rangle\}
 4:
              else parameters \leftarrow parameters \cup \{\langle t_i, p_i \rangle\}
 5:
              end if
         end for
 7:
         sketch_m \leftarrow signature(m, parameters)
         while |sketch_m| < k do
                                                                                                      \triangleright k is set by the user
 9:
              M_i \leftarrow \text{enabled-methods}(R, \text{parameters})
10:
              sketch_m \leftarrow sketch_m \oplus create-choice(M_i, parameters)
11:
              parameters \leftarrow parameters \cup new-values(M<sub>i</sub>)
12:
         end while
13:
         sketch_m \leftarrow sketch_m \oplus ret-choice(parameters, m)
14:
         return sketch<sub>m</sub>
16: end procedure
```

R that can be invoked using only the input parameters to the sketched method and the values that maybe returned by the previous invocations using function enabled-methods (line 10). Using this set of methods and all the currently available values (stored in parameters), the procedure creates a new choice and adds it to  $sketch_m$  at line 11. Subsequently, the set parameters is updated with any values that may be returned by the newly added choice. After adding k choices, the procedure adds a final choice to return a suitable value to the caller, provided the original method m also returns a value.

```
public void scale(int val) {
  int choice1=??; int choice2=??;
  int v1=??, ret1=0;
  if(choice1 == 1) r.getValue({|true,false|});
  else if(choice1 == 2) r.add({|true,false|}, {|val,v1|});
  else if(choice1 == 3) ret1 = r.subtract({|true,false|}, {|val,v1|});
  else if(choice1 == 4) r.reset();
  else do_nothing
  int v2 = ??; int ret2 = 0;
  if(choice2 == 1) r.getValue({|true,false|});
  else if(choice2 == 2) r.add({|true,false|}, {|val,v2,r1|});
  else if(choice2 == 3) ret2 = r.subtract({|true,false|}, {|val,v2,ret1|});
  else if(choice2 == 4) r.reset();
  else do_nothing
  return;
}
```

Fig. 7. The generated sketch for method scale

We illustrate the construction of a sketched method for the running example given in Figure 6. Let us consider generating a sketch for method scale with k set to 2. The final sketched method

is shown in Figure 7. Here, choice1 and choice2 are free variables that are to be resolved by the Sketch solver to concretize the methods that need to be invoked. The receiver for these invocations is field r of type Replacement defined by the adapter class. The generated sketch also provides a choice to select appropriate input parameters to the method invocation. For example, under choice1, the add method can accept true or false value for the first parameter. For the second parameter, it can choose between the input parameter val to the sketched method scale, or a constant value assigned to v1 by the Sketch solver. Further, under choice2, the second parameter to add can also accept ret1 which stores the value returned by subtract under choice1.

### Algorithm 6 The method harness generator

```
1: procedure generate-harness(m_o, m_q, \sigma_{O,R})
                  P_o \leftarrow \text{formal-parameters}(m_o)
                                                                                                                                                                                                ▶ Build states s<sub>o</sub>, s<sub>G</sub>
                 (s_{o} = \langle \rho_{o}, \mu_{o} \rangle, s_{G} = \langle \rho_{G}, \mu_{G} \rangle) \leftarrow \text{create-states}(P_{o}, O, R)
\mathbf{assume} \bigwedge_{i \in (1...n)} (\rho_{o}(p_{i}), \rho_{G}(q_{i})) \in \sigma_{O,R}\text{-equiv}_{\mu_{o}, \mu_{G}} \quad \triangleright \text{Assume state equivalence under } \sigma_{O,R}
  3:
  4:
                  for every (i, j) \in [1 \dots n] \times [1 \dots n] do
  5:
                           for every (\overrightarrow{d_1}, \overrightarrow{d_2}) \in \text{deref}(p_i) \times \text{deref}(p_i) do
  6:
                                    S_1 \leftarrow \{\overrightarrow{d_1}\}: S_2 \leftarrow \{\overrightarrow{d_2}\}
  7:
                                   if type(p_i) = O then S_1 \leftarrow \sigma_{o.R}(\overrightarrow{d_1}) end if
  8:
                                    if type(p_i) = O then S_2 \leftarrow \sigma_{OR}(\overrightarrow{d_2}) end if
  9:
                                   for every (\overrightarrow{d_i}, \overrightarrow{d_i}) \in S_1 \times S_2 do
10:
                                             \mathbf{assume}(\mathsf{alias}_{u_0}(\mathsf{p}_1, \overrightarrow{d_1}, \mathsf{p}_1, \overrightarrow{d_2}) \Leftrightarrow \mathsf{alias}_{u_0}(\mathsf{q}_1, \overrightarrow{d_i}, \mathsf{q}_1, \overrightarrow{d_i}))
11:
                                    end for
12:
                           end for
13:
                 execute(p_{n+1} = p_1.m_o(p_2...p_f)) \blacktriangleright Execute m_o under s_o to yield state s'_o = \langle \rho'_o, \mu'_o \rangle

execute(q_{n+1} = q_1.m_g(q_2...q_f)) \blacktriangleright Execute m_g under s_G to yield state s'_G = \langle \rho'_o, \mu'_o \rangle

assert \bigwedge_{i \in (1...n+1)} (\rho'_o(p_i), \rho'_G(q_i)) \in \sigma_{O,R}-equiv_{\mu'_o, \mu'_G} \blacktriangleright Check state equivalence under \sigma_{O,R}
                  end for
14:
15:
16:
17:
                 for every (i,j) \in [1...n+1] \times [1...n+1] do
18:
                           for every (\overrightarrow{d_1}, \overrightarrow{d_2}) \in \text{deref}(p_i) \times \text{deref}(p_i) do
19:
                                    S_1 \leftarrow \{\overrightarrow{d_1}\}; S_2 \leftarrow \{\overrightarrow{d_2}\}
20:
                                   if type(p<sub>1</sub>) = O then S_1 \leftarrow \sigma_{O,R}(\overrightarrow{d_1}) end if
21:
                                    if type(p_1) = O then S_2 \leftarrow \sigma_{O,R}(\vec{d_2}) end if
22:
                                    for every (\overrightarrow{d_i}, \overrightarrow{d_i}) \in S_1 \times S_2 do
23:
                                             assume(alias<sub>\mu_0</sub>(p_i, \overrightarrow{d_1}, p_i, \overrightarrow{d_2}) \Leftrightarrow alias<sub>\mu_0</sub>(q_i, \overrightarrow{d_i}, q_i, \overrightarrow{d_i}))
24:
25:
                                    end for
26:
                           end for
                  end for
28: end procedure
```

4.4.2 Generating Harness. The next step is to formulate the correctness condition and invoke Sketch to instantiate, if possible, the choices in the sketched method to obtain the final generated method. The correctness condition is formulated as a harness that invokes the sketched method. Algorithm 6 presents generate-harness procedure, that generates a method the harness. Figure 8 presents the resulting generated Sketch program in our example.

# Algorithm 7 Symbolic state creation procedure

```
1: procedure create-states(P,O,R)
          s_o = \langle \rho_o, \mu_o \rangle \leftarrowempty-state; s_G = \langle \rho_G, \mu_G \rangle \leftarrowempty-state
 2:
                                                                          ▶ Create parameters for method invocation
          for every \langle t, p \rangle \in P do
 3:
               if t = O then s_O \leftarrow create(O, s_O); s_G \leftarrow create(G, s_G)
 4:
               else s_0 \leftarrow create(t, s_0); s_G \leftarrow create(t, s_G)
 5:
               end if
               for every \vec{d} \in \text{deref}(t) do
                                                                        ▶ Additional objects for tracking side-effects
 7:
                    if type(\overrightarrow{d}) = O then s_0 \leftarrow \text{create}(O, s_0); s_G \leftarrow \text{create}(G, s_G)
 8:
                    else if type(\vec{d}) = C then s_0 \leftarrow \text{create}(C, s_0); s_G \leftarrow \text{create}(C, s_G)
 9:
10:
               end for
11:
12:
          end for
          return \langle \text{symbolize}(\rho_0, \mu_0), \text{symbolize}(\rho_0, \mu_0) \rangle > \text{Symbolic primitive values and aliases}
14: end procedure
```

The procedure takes as input parameters the original method  $m_o$ , the sketched method signature  $m_g$ , and a candidate equivalence predicate  $\sigma_{O,R}$ . It first invokes create-states procedure shown in algorithm 7 to create two symbolic states  $s_O$  and  $s_G$ . Here  $s_O$  is the symbolic state under which  $m_o$  will execute;  $s_G$  is the symbolic state under which  $m_g$  will execute. The symbolic state  $s_O$  has variables  $p_1 \dots p_f \dots p_n$  while  $s_G$  has corresponding variables  $q_1 \dots q_f \dots q_n$ .

We explain the construction of the symbolic states here. The create-states procedure in algorithm 7 begins the construction of the required states by creating two empty states at line 2. It iterates over formal parameters of method  $m_o$  and creates a new value for each parameter in states  $s_o$ ,  $s_G$  (lines 4-6). If the parameter is of type O, then the procedure creates an object of type O in state  $s_o$  and an object of type R wrapped by a G object in state  $s_o$ . Otherwise, the procedure adds an object of the same type C to both states. Next, the procedure creates additional variables under both states to track the side effect of executing method  $m_o$ ,  $m_g$  under states  $s_o$ ,  $s_G$  (line 7-11). The procedure considers all possible field dereferences of input parameters and iterates over them. If the dereference if of type O, procedure adds instance of type O to  $s_o$  and instance of type G to  $s_G$ , otherwise it adds an object of the same type C to both states. The procedure symbolizes both states by assigning symbolic variables to all primitive values in the state. It also creates aliases symbolically, by allowing a reference variable or its dereference to reference any type compatible object in the state. The states are then returned to the generate-harness procedure. For the running example the corresponding generated state construction and initialization code appears on lines 5-17 of Figure 8.

The generate-harness procedure enforces an **assume** construct at line 4, based on the equivalence predicate  $\sigma_{O,R}$ , and adds the value equivalence assumption into the generated harness. The equivalence assumption is implemented via Sketch assume statements. In the example the generated equivalence assumption appears on lines 19–22 of Figure 8. The loop on lines 5–14 enforces the state equivalence of the two states under  $\sigma_{O,R}$ . This corresponds to lines 24–26 in the example.

The **execute** construct on lines 15–16 of Algorithm 6 generates the invocations of  $m_o$  and  $m_g$ . The corresponding generated code appears on line 29 of Figure 8. Lines 17–27 of the procedure use the **assert** construct to generate the required correctness condition. This condition requires the equivalence predicate  $\sigma_{0,R}$  to hold in the state after the execution of the two invoked methods.

```
1. /*
     * All asserts must be satisfied for every input array s.
 4. harness static void check(int s[14]) {
      // Construct state by initializing variables
 6.
      Original p1 = new Original(); int p2; Original p3 = new Original();
 7.
 8.
      // Symbolize the state using symbols s[1], s[2], ... s[7]
 9.
       p1.x = s[1]; p1.y = s[2]; p1.count = s[3]; p2 = s[4];
      p3.x = s[5]; p3.y = s[6]; p3.count = s[7];
10.
11.
12.
       // Construct state by initializing variables
13.
      Generated q1 = new Generated(); int q2; Generated q3 = new Generated();
14.
15.
      // Symbolize the state using symbols s[8], s[9], ... s[12]
16.
      q1.r.a = s[8]; q1.r.b = s[9]; q2 = s[10];
      q3.r.a = s[11]; q1.r.b = s[12];
17.
18.
19.
      // Enforce value equivalence on states
20.
       assume(p1.x+p1.y == q1.r.a && p1.x-p1.y == q1.r.b);
      assume(p2 == q2);
21.
22.
      assume(p3.x+p3.y == q3.r.a && p3.x-p3.y == q3.r.b);
23.
24.
       // Either alias (p1, p3) and (q1.r, q3.r) or enforce that both do not alias
25.
       if(s[13] > 0) {assume alias(p1, p3); assume alias(q1.r, q3.r);}
26.
       else {assume !alias(p1, p3); assume !alias(q1.r, q3.r);}
27.
      // Execute methods with symbolic inputs
28.
29.
      p1.scale(p2); q1.scale(q2);
30.
31.
      // Value equivalence in final states
32.
      assert(p1.x+p1.y == q1.r.a && p1.x-p1.y == q1.r.b);
33.
      assert(p2 == q2);
      assert(p3.x+p3.y == q3.r.a && p3.x-p3.y == q3.r.b);
34.
35.
36.
      // Equivalent aliases in final states
37.
      if(alias(p1, p3)) {assert alias(q1.r, q3.r);}
      else {assert !alias(q1.r, q3.r);}
38.
39. }
```

Fig. 8. The correctness check for method scale from the running example.

The equivalence condition is implemented via Sketch assert statements, which the Sketch implementation must verify to resolve the Sketch variables in  $m_g$  and produce a correct generated method that preserves the equivalence condition. In our example the corresponding generated assert statements appear on lines 32–38.

### 4.5 Correctness Argument

We next present a correctness argument for Algorithm 6. The generated Sketch program uses assume/guarantee reasoning to ensure that, if methods  $m_o$  and  $m_g$  start out in equivalent states under a given inter-class equivalence  $\sigma_{O,R}$ , then the two states remain equivalent under the same inter-class equivalence  $\sigma_{O,R}$  after the methods execute. The assume part of the assume/guarantee

reasoning is implemented with Sketch assume statements (lines 20–26 in the example in Figure 8). Critically, the assume/guarantee reasoning ensures that the two methods return equivalent values and drive all reachable objects in the program state to equivalent states. The soundness of this assume/guarantee reasoning relies on the symbolic bindings of variables  $p_1...p_n$  and  $q_1...q_n$  to ensure that these variables correctly reflect the externally visible effects of  $m_o$  and  $m_g$ . We ensure this property by creating a variable to represent every reference value the two methods access and generating appropriate equivalence conditions for these variables as required by the state equivalence condition defined in IS.1 and IS.2.

Note that Algorithm 6 can work with arbitrary satisfiable equivalence predicates  $\sigma_{\text{O,R}}$  — the only requirement is that Mask find *some* equivalence implementation that satisfies the harness. This fact enables Mask to work with essentially arbitrary equivalence predicate generation algorithms as long as the algorithm is able to generate an equivalence predicate that verifies. Algorithm 4 is one example of such an algorithm.

The Sketch algorithm chooses a correct implementation of  $m_g$  by resolving the holes in the sketch of method  $m_g$  so that the generated Sketch program verifiably satisfies the correctness condition as expressed in the Sketch assume and assert statements. Note that an unsatisfiable equivalence predicate  $\sigma_{\text{O,R}}$  would enable the Sketch solver to arbitrarily resolve the holes and create a potentially incorrect implementation of  $m_g$ . We avoid this situation by requiring, the  $\sigma_{\text{O,R}}$  is satisfiable and for every instance of class O, there exists some instance of class R that causes the equivalence predicate  $\sigma_{\text{O,R}}$  to hold as ensured by Algorithm 3. This property ensures the sketch-solver produces a correct  $m_g$  by resolving the sketch.

#### 4.6 Sketch Solver

The *sketch solver* receives the generated sketch for class G and the correctness checks constructed in the previous step as input. It then invokes the Sketch [Solar-Lezama 2008] engine to complete the input sketch. If the  $\sigma_{O,R}$  associated with the check is *valid* and the sequence length of the input sketch can represent the implementation of O, then the solver succeeds and returns the completed class. If not, the *sketch solver* requests for a new set of checks encoding a different  $\sigma_{O,R}$  candidate. This is carried out until all  $\sigma_{O,R}$  candidates are exhausted or Mask synthesizes the required class.

#### **5 IMPLEMENTATION**

We incorporated our ideas as part of a tool, named Mask, for synthesizing adapter classes in Java. The implementation of Mask is in Java and leverages existing frameworks – the JavaPathFinder (JPF) [Khurshid et al. 2003] for symbolic summary generation, Mistral [Dillig et al. 2012] to compute the minimal satisfying assignment, and JavaSketch [Jeon et al. 2015], that internally invokes Sketch [Solar-Lezama 2008]. It takes as input two Java classes and any known class invariants, and outputs the synthesized adapter Java class. We now elaborate on a few implementation details.

Handling public fields. Java allows a client to directly modify public fields defined by a class. Therefore, we require MASK to synthesize suitable methods in G, that can be used to replace instructions that access public fields in class O. To do this, we refactor classes O, R by creating public get and set methods for all suitable public fields in classes O, R. This enables MASK to synthesize the required adapter methods in G.

Handling constructors. We require MASK to synthesize a constructor in class G, for every public constructor defined by class O. Constructors are handled as a special case by MASK and it will refrain from adding assume clauses for the object under creation in the generated harness (Algorithm 6, lines 4-14). However, the harness will contain assert clauses that requires the newly

created objects to be in equivalent states (Algorithm 6, lines 17-27).

Handling arrays and field dereferences. The symbolic execution engine constructs unique symbols for every dereference by walking the type tree of the associated field. In a few cases (e.g., linked lists), there can be infinite symbols that are possible. We address this issue by setting a limit on the dereference sequence to a constant c in our implementation. Similarly, handling arrays is challenging due to the size of the array. We also set an upper bound on the number of elements in the array to c. Note that imposing such a bound means that the correctness guarantee holds only within the specified bound c.

Handling loops and recursion. The presence of loops or recursive method invocations can affect the scalability of the symbolic execution engine. If the loop condition is symbolic, the number of unique paths that need to be considered by the engine can be infinite. Therefore, we limit the unrolling of the loop to a constant c in symbolic summary generation. Similarly, we also bound the maximum depth of recursive calls to a constant c. Once again, note that imposing such a bound means that the correctness guarantee holds only within the specified bound c.

Handling generics. Handling generic object types can be challenging for the underlying symbolic execution engine and the sketch solver. This is because the set of paths that need to be explored by these systems become unconstrained, as every instantiation of a generic type variable can introduce more paths. For our implementation, we restrict the usage of generics and use pre-defined concrete types.

Handling exceptions. The sketch synthesized by MASK contains choices to catch the exceptions that may be thrown by the method invocations to R. Since, JSketch currently does not support handling exceptions, we refactored [Refaster 2019] the input classes to set a state variable when an exception is thrown and suitably handle the set exception.

Optimizing the equivalence predicate generation process. Because the generation of the equivalence predicates can be expensive, we perform additional optimizations to reduce the associated costs. We employ a ranking mechanism to rank the set of possible candidate predicates. Higher ranks are assigned to stronger predicates. We apply the analysis for top ranked predicates to synthesize the required class before analyzing lower ranked predicates.

### 6 EXPERIMENTAL EVALUATION

In this section, we describe our experimental setup and present the details of evaluating our system on Java classes from open-source codebases. We ran our experiments on Ubuntu-14.04 VMware running on a 2.9Ghz Intel Core i7 processor with 8GB RAM. For our experiments, we let our system explore the possibility of replacing as many methods as possible (i.e., allow classes to be replaced partially) from the original class and present those results.

### 6.1 Results

Table 2 presents details of the classes used for our experimentation. For each class used in our experiments, the table specifies the source library, the version of the library, the number of fields and methods in the class. We used ArrayList – a class for handling arrays in the JDK, Vector – a class for operating over a vector of elements in the JDK, FastArray – a class for processing arrays in Groovy, FastVector – a class for processing vectors in weka, Box2 – a class that implements a two dimensional box, Rectangle – a class that implements a rectangle, MutablePair,

| Class name      | Benchmark | Version | F | M  |
|-----------------|-----------|---------|---|----|
| ArrayList       | JDK       | 1.7     | 3 | 24 |
| Vector          | JDK       | 1.7     | 4 | 38 |
| FastArray       | Groovy    | 2.4.4   | 2 | 13 |
| FastVector      | WEKA      | 3.6.12  | 4 | 21 |
| Box2            | JMist     | 0.1.1   | 4 | 11 |
| Rectangle       | eclipse   | 3.9.0   | 4 | 23 |
| MutablePair     | apache    | 3.4     | 2 | 9  |
| ImmutableTriple | apache    | 3.4     | 3 | 4  |
| MutableTriple   | apache    | 3.4     | 3 | 8  |
| Point3D         | openimaj  | 1.3.1   | 2 | 15 |

Table 2. Benchmark Information. |F| is the field count and |M| is the method count.

ImmutableTriple, MutableTriple – classes in apache used to process pairs and triples, and Point3D – a class in openimaj that implements 3D points.

We applied our system to analyze pairs of classes that are closely related. For the classes ArrayList, FastArray, Vector and FastVector, we considered the possibility of replacing each class in the set with the other class. Similarly, we considered the possibility of replacing Box2 with Rectangle, MutablePair with MutableTriple, and vice-versa. We also highlight the results associated with replacing arbitrary classes (e.g., Point3D with MutableTriple, MutablePair with ImmutableTriple) to study the behavior of our approach in synthesizing replacements for seemingly unrelated classes. We constrain the maximum field dereference, array and loop unrolling lengths to 5.

Table 3 presents the results of applying our system on different pairs of classes. The first column represents the ID assigned to each pair  $(E_1 \dots E_{10})$ . The second and third columns represent two classes  $C_1$  and  $C_2$ . For each row, we initially use  $C_1$  as the original class O and  $C_2$  as the replacement class R, and *vice versa*. We present details pertaining to the ratio of the overall number of methods for which an implementation could be synthesized (|S|/|M| in column 4), the number of inter-class equivalence predicates ( $|\Sigma|$  in column 5), the maximum length of method invocations in the replacement class ( $\ell$  in column 6), and the overall time taken by the entire approach in seconds (in column 7). The time taken includes a summation of the time taken to symbolically analyze the class implementations, the time consumed by the candidate generator and the time required by Sketch to synthesize the final implementation. Columns 8 – 11 provide the results when  $C_2$  is used as O and  $C_1$  is used as R.

Ability to synthesize replacements. Table 3 shows the ability of MASK to synthesize adapter classes. For example, 33 methods out of 38 methods in the Vector class can be replaced using the implementations of ArrayList. Therefore, for an application that uses a subset of these 33 methods, our approach can be used seamlessly without any manual intervention. Even for applications that use the remaining five methods, it is sufficient to focus on identifying effective ways of replacing the corresponding invocations in the application while using the results of our implementation for the remaining 33 methods. In general, we observe that a significant number of methods in each class can be synthesized for a majority of the pairs considered by our analysis.

Also, the replacement process is not symmetric. In other words, the number of methods in  $C_1$  that can be implemented using  $C_2$  is not always equal to the number of methods in  $C_2$  that can be implemented using  $C_1$ . This is due to the differing functionalities in the two classes. We observe that 24 out of 24 methods in ArrayList can be replaced using the implementation of Vector even

Table 3. Experimental validation: Each row considers a pair of classes ( $C_1$  and  $C_2$ ) and gives details on replacing  $C_1$  with  $C_2$  and *vice-versa*. The table specifies the number of methods for which a replacement could be automatically synthesized by our system (|S|), the number of  $\sigma$  candidates considered for synthesis ( $|\Sigma|$ ), the maximum number of method invocations from the replacement class required in the result to implement the method in the original class ( $\ell$ ). The overall time (in seconds) required for generating the replacement is also provided. The time column is split into three components – time for symbolic analysis, time for candidate  $\sigma_{O,R}$  generation, and the time consumed by the Sketch solver to synthesize a replacement.

| ID  | C <sub>1</sub> | C <sub>2</sub>  | $O \leftarrow C_1 \land R \leftarrow C_2$ |            |        | $O \leftarrow C_2 \land R \leftarrow C_1$ |       |            |        |          |
|-----|----------------|-----------------|---|------------|--------|---|-------|------------|--------|----------|
|     |                |                 | S / M                                     | $ \Sigma $ | $\ell$ | time                                      | S / M | $ \Sigma $ | $\ell$ | time     |
| E1  | Vector         | ArrayList       | 33/38                                     | 1          | 1      | 6+1+1050                                  | 24/24 | 1          | 1      | 6+1+1674 |
| E2  | Vector         | FastArray       | 10/38                                     | 1          | 5      | 5+2+1967                                  | 5/13  | 1          | 1      | 13+2+28  |
| E3  | Vector         | FastVector      | 11/38                                     | 1          | 1      | 4+1+7                                     | 9/21  | 1          | 1      | 5+2+42   |
| E4  | ArrayList      | FastArray       | 7/24                                      | 1          | 5      | 3+2+2377                                  | 8/13  | 1          | 1      | 3+2+15   |
| E5  | ArrayList      | FastVector      | 8/24                                      | 1          | 1      | 4+1+6                                     | 7/21  | 1          | 1      | 4+1+10   |
| E6  | FastVector     | FastArray       | 12/21                                     | 1          | 2      | 4+2+14                                    | 8/13  | 1          | 1      | 2+2+8    |
| E7  | Box2           | Rectangle       | 9/11                                      | 8          | 2      | 2+39+100                                  | 8/23  | 8          | 1      | 1+38+4   |
| E8  | MutablePair    | ImmutableTriple | 6/9                                       | 6          | 1      | 1+1+4                                     | 0/4   | 0          | 0      | 2+1+0    |
| E9  | MutablePair    | MutableTriple   | 9/9                                       | 6          | 2      | 2+2+4                                     | 0/8   | 0          | 0      | 2+1+0    |
| E10 | Point3D        | MutableTriple   | 11/15                                     | 6          | 6      | 1+2+58                                    | 8/8   | 6          | 1      | 1+2+4    |

though not all methods in Vector can be replaced using ArrayList (33 out of 38). This contrast in behavior can be observed clearly (in E6) for the pair MutablePair and ImmutableTriple. While the methods of MutablePair can be implemented using ImmutableTriple, none of the methods in ImmutableTriple can be implemented using MutablePair. This is because ImmutableTriple defines three independent fields that are returned to the client, and this cannot be captured by the two fields defined by MutablePair. Therefore, our technique eliminates all  $\sigma_{\text{O,R}}$  candidates as invalid.

Synthesized methods invoke method sequences. The methods synthesized involve invoking multiple methods in the replacement class to implement the original functionality. This behavior can be observed across multiple pairs of classes (E4, E6, E7, E9, E10). The maximum sequence length of invocations is six for implementing the method copyFrom(Point3D) in Point3D using the methods in the class MutableTriple.

Derived multiple inter-class equivalence predicates. Our approach derived multiple candidate inter-class equivalence predicates for various pairs of classes. The maximum number of predicates derived is eight for the pair Box2 and Rectangle. These predicates provide the equivalence of states across the two classes. Even though each of the two classes contain four fields with a potential for 256 predicates (4 \* 4 \* 4 \* 4), our system is able to prune many infeasible equivalence predicates. Further, while the semantics of the underlying fields are different in the various class implementations, Mask generates relevant constraints and is able to synthesize suitable replacements. Further, in the cases where the equivalence predicate cannot be derived (E8, E9), we manually verified that the predicate is indeed outside the scope of our technique.

Analysis times for various components. The time consumed by the overall process ranges from 3 secs for E8 and E9 to 40 minutes for E4. A significant portion of the time is consumed by JavaSketch to synthesize the class from the input sketch. Since the synthesizer has to ensure that the correctness condition is satisfied for any given input, the solver can consume more time than the other two

components of our system. Further, the time taken for synthesis is dependent on multiple parameters including the length of the sequence for an input sketch and the complexity of the method implementations in the replacement class.

The implementation of methods in FastArray is more complex than the implementation in MutableTriple which explains the differing times for sketch (E4 vs E10) even though longer method invocation sequences are considered by sketch in both cases. Also, the maximum sequence length is different for the two cases under E4 (5 vs 1) explaining the contrast in the time consumed by the sketch solver. *Effectiveness of our approach*. We also studied the effectiveness of our approach

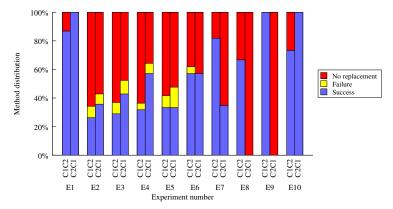


Fig. 9. Effectiveness of our approach.

by performing a manual analysis. More specifically, we wanted to understand the limitations of our strategy in synthesizing class replacements. Figure 9 presents the results of our study. We classify the methods into three categories – (a) approach correctly synthesized replacement implementations, (b) there is no feasible replacement for the method using the given replacement class, and (c) there is a feasible replacement for the method but our approach is unable to synthesize the replacement.

For a majority of the methods, we observe that the absence of synthesis can be mainly attributed to the lack of any feasible replacement. In the few cases where our approach failed to synthesize a replacement, we found that this was due to the presence of non-linear constraints in the system, or the underlying state invariant could not be captured as part of the symbolic expression.

#### 6.2 Case Studies

We studied the application of our approach under two scenarios – (a) usefulness of the approach when classes are modified, and (b) effectiveness of the synthesized replacement classes by incorporating it in an application.

6.2.1 Analyzing Modified Classes. The proposed approach can be used while updating a client application to use the latest version of a class. The new version can differ from the older version in terms of the underlying data structures, the signatures of public methods, the method functionality and/or cosmetic changes. Therefore, blindly updating the application without considering these changes can lead to unforeseen changes to the application logic. In such cases, Mask can be used to synthesize an adapter class that invokes the public methods defined by the latest version of the class, but is still equivalent to the older version. If successful, the adapter class can be used as drop-in replacement for the older version of the class.

We studied the effectiveness of MASK for this use case by analyzing two different versions of a class. Table 4 presents the results of our study. It presents classes from various popular (> 450 stars

| Class name              | Benchmark                                   | ID      | Synthesis?       |  |
|-------------------------|---|---------|------------------|--|
| Image                   | Structurizr[Structurizr 2019]               | a1975c2 | Success          |  |
| IntInterval             | Eclipse Collection[Eclipse Foundation 2019] | 4c069a8 | Failed(Bug 451)  |  |
| PnConfiguration         | Pubnub Java[PubNub 2019]                    | ca45925 | Success          |  |
| GCPAuthenticator        | Kubernetes[Kubernetes 2019]                 | 080c384 | Success          |  |
| SpscArrayQueue          | RxJava[RxJava 2019]                         | 7aa0b34 | Success          |  |
| ParamValidatorUnwrapper | Dropwizard[Dropwizard 2019]                 | dbc1c5a | Failed(Bug 1405) |  |

Table 4. Analyzing modified classes.

on GitHub) code bases, where developers have modified the specified classes. Table 4 presents the class name, the codebase, the commit identifier associated with the modification, and the result of applying our approach. The changes introduced to the classes in the new version includes: removing/introducing/updating fields defined in a class, changing the method signature in the class, modifying the implementation of the methods, and refactoring code for improving readability.

Our approach is able to synthesize a replacement class for four out of the six classes. For these four classes, we were able to synthesize an adapter for the new versions despite multiple changes to the internal data representation and method implementations. Also, our approach is unable to generate replacements for two classes because the underlying modifications were made to fix existing bugs.

6.2.2 Applying Replacements to a Client. We also performed a study to validate the effectiveness of our technique by applying the generated class replacement in a third-party client. For this purpose, we considered two classes QueryExecutorImpl and V2Query in postgresql-jdbc-8.0-325. There are multiple uses of Vector objects in these classes. We used the drop-in replacement that is synthesized for replacing Vector with ArrayList and applied it on these classes. We verified that these replacements are correct modifications to the client code. More interestingly, our modifications are also validated by the refactoring performed by the developers of postgresql-jdbc where they have modified the code to use ArrayList instead of Vector in postgresql-jdbc-9.3-1104. The author of this change discusses the absence of synchronization and the consequent speedup as one of the reasons for undertaking this change [PostgreSQL-JDBC-9.3 2019].

#### 6.3 Limitations

To the best of our knowledge, this is the first attempt in synthesizing an adapter class for a given replacement class. We have proposed the design of Mask that handles many real classes. We now enumerate the limitations of Mask.

- Our approach is constrained by the strengths of the underlying approaches and inherits the following limitations from them:
  - The approach builds on sketch solver which performs bounded verification. Therefore, the synthesized replacements are only guaranteed to be correct as long as the replacement methods/constructors have bounded number of paths. This assumption will not be satisfied by methods that have unbounded loops or recursive calls.
  - The create-states method creates symbolic states under the assumption that, the possible field dereferences for every input parameter to method  $m_o \in O$  are bounded. This assumption will not hold if the input objects can contain arrays fields or uses recursive data structures.
  - The SMT based solvers used by the symbolic execution engines currently can only reason about linear computations. Therefore, the approach will fail to synthesize replacement for methods that contain non-linear computations.

- We do not handle generation of non-sequential structures (e.g., branches and loops).
- The synthesized replacements are not guaranteed to exhibit identical behavior under concurrency.
- We do not handle class hierarchies.
- The program may not always return the result of an operation but can store it in an external environment (e.g., I/O, network, etc). We have not modeled and handled such scenarios in the current implementation.

#### 7 RELATED WORK

Contextual Equivalence. The equivalence of two expressions under all contexts can be proved using contextual equivalence [Koutavas and Wand 2006a,b; Lahiri et al. 2012; Sangiorgi et al. 2011; Sumii and Pierce 2004, 2005; Wand et al. 2018; Wang et al. 2017b; Wood et al. 2017]. A set of techniques [Koutavas and Wand 2006a,b; Sumii and Pierce 2004, 2005] establish a bisimulation invariant to prove the equivalence of two lambda calculus programs. Sangiorgi et al [Sangiorgi et al. 2011] extend this work by proposing techniques that can establish bisimulation invariants for higher order programs. Wang et al [Wang et al. 2017b] propose techniques for verifying the equivalence of database applications. Wood et al [Wood et al. 2017] propose an approach for verifying the equivalence of methods that may contain memory allocations, cyclic data structures and recursion. In contrast to these approaches where equivalence of two programs is verified, we synthesize a class that is equivalent to an original class by establishing inter-class equivalence predicates. Further, the approach addresses challenges pertaining to aliases, side-effects, etc.

Wang et al propose a technique [Wang et al. 2019] for synthesizing equivalent database queries for an application that has undergone schema migration. They establish equivalence predicates across two versions of the schema by equating the columns and then employ sketch based synthesis for generating equivalent queries. Although there is some conceptual similarity, this technique is not suitable for the class migration problem addressed by MASK. Firstly, their approach targets query migration for database applications, whereas our approach targets class migration for object oriented languages. Secondly, our approach synthesizes equivalence predicates by performing symbolic execution which can identify non-trivial equivalence predicates between the two classes, as illustrated in Figure 6. Finally, our approach has to reason about the aliases and side-effects which is critical for the correctness of the synthesized solution.

Program specification inference. A number of techniques have been proposed to infer program specifications [Albarghouthi et al. 2016; Ammons et al. 2002; Bastani et al. 2015, 2018; Flanagan and Leino 2001; Livshits et al. 2009; Logozzo 2004; Nimmer and Ernst 2002; Pradel and Gross 2009; Ramanathan et al. 2007; Sharma and Aiken 2014; Yorsh et al. 2008]. Albarghouthi et al [Albarghouthi et al. 2016] propose a technique for extracting the weakest specification of an open program that meets a user specified post-condition. Bastani et al [Bastani et al. 2018] automatically infer the behavior of libraries by synthesizing points-to specifications. Logozzo [Logozzo 2004] proposes an approach to perform modular and automatic inference of class invariants. These techniques can potentially be used to provide useful hints to our approach to reduce the search space of equivalence predicates.

*Program sketching.* Solar-Lezama *et al* [Solar-Lezama 2008] proposed sketch based program synthesis that takes as input a partial program containing *holes* from the user. This partial program is also known as a sketch. The program obtained by resolving the holes is validated using input correctness conditions. There has been significant progress in this area subsequently [Solar-Lezama 2009; Solar-Lezama et al. 2008, 2006]. Our approach builds upon this to synthesize classes instead

of closed programs. Our system generates the sketch for the method implementations in a class, constructs the correctness conditions and provides them as input to Sketch [Solar-Lezama 2008] to synthesize the replacement classes.

Component based synthesis. Many researchers have investigated the problem of synthesizing a method using available components [Feng et al. 2017a,b; Jha et al. 2010; Mandelin et al. 2005; Yessenov et al. 2017]. For instance, SyPet [Feng et al. 2017b] takes as input the components, a method signature and test cases and builds a petri-net using the APIs defined by the input components to prune the space of possible sketches. SyPet is used to synthesize one method at a time with the help of test cases. In contrast, our approach is designed to synthesize a class where the synthesized implementations of multiple methods need to work correctly, even though the synthesis process is performed in isolation. Further, unlike their approach, our approach does not take any test cases as input. To provide test cases to SyPet to synthesize a class, all possible contexts need to be provided as input as we are synthesizing a class. Morpheus [Feng et al. 2017a] is designed to synthesize a table transformation that is used for data management whereas we synthesize classes.

Applications of synthesis to various domains. Programming by example uses input-output examples to synthesize programs that produce the behavior specified by the examples. This strategy has been applied to synthesize programs in various domains [Barowy et al. 2015; Cheung et al. 2013; Drachsler-Cohen et al. 2017; Peleg et al. 2018; Polikarpova et al. 2016; Schlaipfer et al. 2017; Wang et al. 2017a]. Cheung et al [Wang et al. 2017a] use this technique to synthesize expressive SQL queries for databases. Schlaipfer et al [Schlaipfer et al. 2017] analyze a given query to identify sub queries that can be optimized effectively. Barowy et al [Barowy et al. 2015] employ this technique to extract structured relational data from spread sheets. These techniques cannot be used to synthesize class replacements.

Source code refactoring. There are a number of existing tools that are able to refactor the source code based on specified rules, including Refaster [Refaster 2019] and Rewrite [ReWrite 2019]. Our approach can be integrated with these tools to specify the appropriate rules for refactoring the application to use the synthesized adapter classes.

### 8 CONCLUSION

In this paper, we addressed the problem of automatic class migration. Our approach takes an original class O and a replacement class R, and synthesizes an adapter class G that implements the same interface as O using the implementation of R. The synthesized methods in class G are equivalent to those defined by O. We build state equivalence predicates to enable synthesis of G's methods in isolation while ensuring that arbitrarily long method invocations on the original and synthesized classes exhibit equivalent behavior. We design our solution by integrating symbolic execution, constraint solving and program synthesis to synthesize the required class. Our experimental results on opens Java classes demonstrate the efficacy of our approach.

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