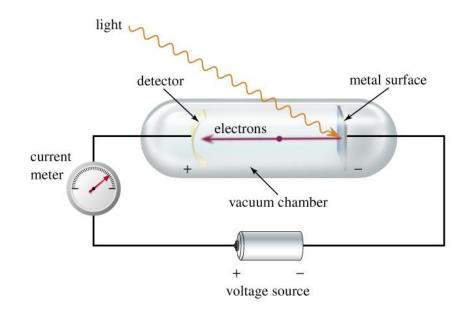
CHEM110 – Chapter 4 Atomic Energy Levels

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- Light carries energy → the photoelectric effect (page 112) shows how the energy of light depends on its frequency
- Light causes electrons to be ejected from the metal surface



Threshold Frequency $\rightarrow v_0$

• Different v_0 for different metals



Albert Einstein postulated that light comes in 'packets' or 'bundles' → photons



 Each photon has an energy that is directly proportional to its frequency

$$E_{\rm photon} = h \nu_{\rm photon}$$

h (Planck's constant) = $6.626 \times 10^{-34} \text{ J s}$



- Energy of a photon with the threshold frequency (v_0) corresponds to the binding energy of an electron
- Electron kinetic energy = photon energy binding energy

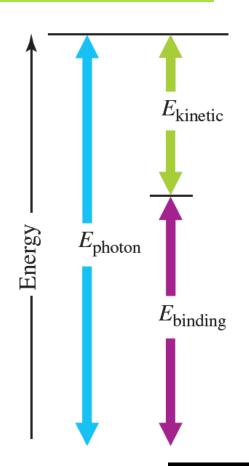
$$E_{\text{kinetic(electron)}} = hv - hv_0$$



Diagram of the energy balance for the photoelectric effect

$$E_{\text{kinetic(electron)}} = hv - hv_0$$

A complete description of light includes both wave-like and particle-like properties

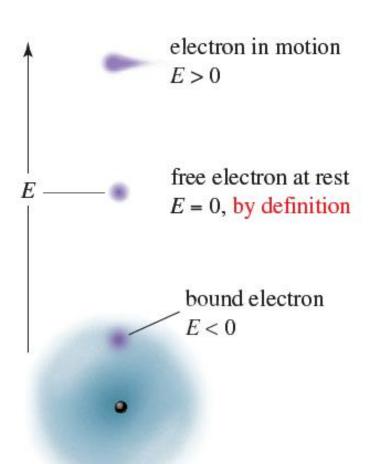




Light strikes metal

energy absorbed tells us about the binding energy of electrons





- Bound electron

 electrostatic forces
- Energy required to remove the electron
- Lower the atoms energy state → more energy required to remove electron



Absorption of photon by free atom
 \(\rightarrow\) two possible outcomes:

Electron ejected → ionization

2. Electron gains energy but does NOT ionize



Ground state

 Iowest energy state of an atom

Excited state
 when an atom absorbs a photon

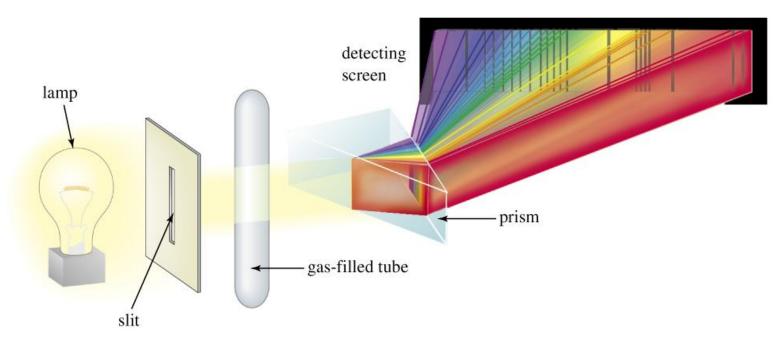


Energy is conserved

•
$$\Delta E_{\text{atom}} = \pm h v_{\text{photon}}$$

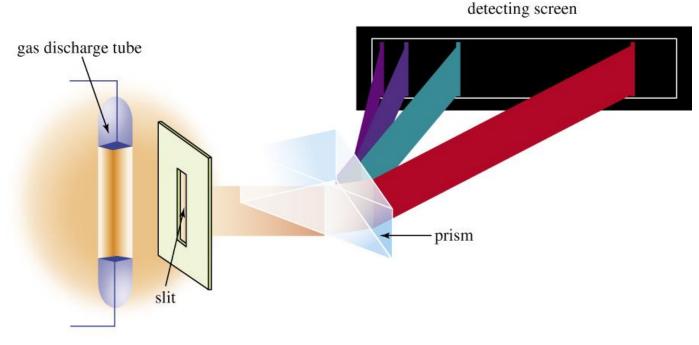


Absorption → atoms absorb specific and characteristic frequencies of light

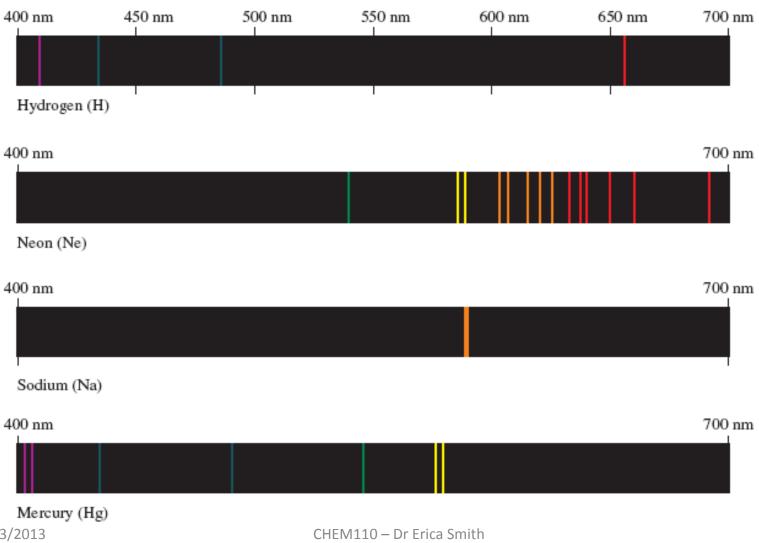




Emission photons are emitted by atoms in excited state









Each element has unique absorption and emission spectra → provides information about atomic structure



- A photon with high enough energy can cause an atom to lose one of its electrons
- Implies that absorption of a photon results in an energy gain for an electron

$$\Delta E_{\text{atom}} = \Delta E_{\text{electron}} = h v$$



- Emission frequencies have specific values because the electron is restricted to specific energies
- Quantised

$$\Delta E_{\rm atom} = E_{\rm final} - E_{\rm initial}$$

$$E_{\mathrm{photon}} = |\Delta E_{\mathrm{atom}}|$$



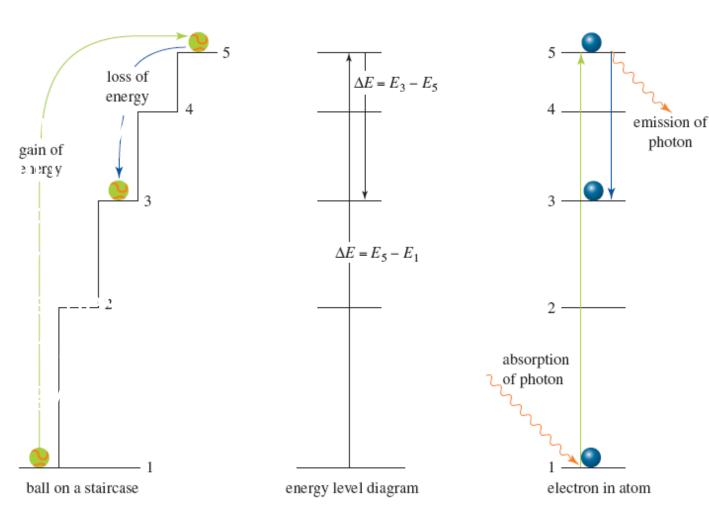
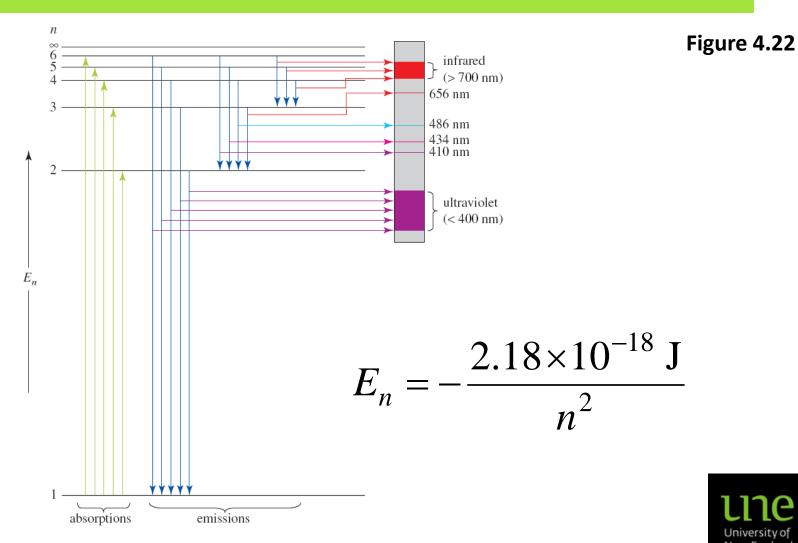


Figure 4.21





- Electrons all have the same mass and charge
- They have magnetic properties (spin)
- Louis de Broglie suggested the wave-particle duality for electrons

$$\lambda_{\text{particle}} = \frac{h}{mu}$$



Photons and electrons have wave and particle properties

Property	Photon equation	Electron equation
energy	$E = h\nu$	$E_{\rm kinetic} = \frac{1}{2} mu^2$
wavelength	$\lambda = \frac{hc}{E}$	$\lambda = \frac{h}{mu}$
speed	$c = 2.998 \times 10^8 \text{ m s}^{-1}$	$u = \sqrt{\frac{2E_{\text{kinetic}}}{m}}$

h: Planck's constant; v: frequency; m: mass; u: velocity



- Electrons are spread out rather than located in one particular place
- Position of a moving electron cannot be precisely defined!
- Electrons described as being delocalized



- Mathematically
 the position and momentum of a particle-wave are linked
- Heisenberg showed that position and momentum of a particle-wave cannot be simultaneously determined
- The Heisenberg Uncertainty Principle states that the more accurately we know position, the more uncertain we are about motion, and vice versa
- So instead, we identify a 'probable location' of the electrons in an atom, not an exact one



Worked Example 4.4 – page 121

What is the energy change when the electron in a hydrogen atom undergoes a transition from the fourth energy level to the second energy level? What is the wavelength of the photon emitted?

$$\Delta E_{\text{atom}} = E_{\text{final}} - E_{\text{initial}} = E_2 - E_4$$

$$E_n = -\frac{2.18 \times 10^{-18} \text{ J}}{n^2} \qquad E_{\text{photon}} = h v = \frac{hc}{\lambda}$$



Worked Example 4.7

Calculate the wavelengths of an electron travelling at $1.00 \times 10^5 \text{ ms}^{-1}$ and a table tennis ball with a mass of 11 g travelling at 2.5 ms^{-1} .

