Kathmandu University

Department of Computer Science and Engineering

Dhulikhel, Kavre



Lab Report 4 COMP 314

(For partial fulfillment of 3rd Year/ 2nd Semester in Computer Engineering)

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1. Pseudocodes:

a. Brute-force method (0/1 Knapsack)

```
BruteForceZO(p, w, m):
    if len(p) != len(w) then print "Error msg!"

n = len(p)
    bit_strings = getStrings(n)
    max_profit = 0
    solution = "

for s in bit_strings:
    profit = sum([int(s[i]) * p[i] for i in range(n)])
    weight = sum([int(s[i]) * w[i] for i in range(n)])

if weight <= m and profit > max_profit:
    max_profit = profit
    solution = s

return solution, max_profit
```

b. Brute-force method (fractional Knapsack)

```
BruteForceF(p, w, m):

if len(p) != len(w) then print "Error msg!"

n = len(p)

bit_strings = getStrings(n)

max_profit = 0

solution = "

for s in bit_strings:

profit, weight = 0, 0

s1 = "

for i = 0 to n-1:

if weight < m and int(s[i]) == 1:

if w[i] <= (m - weight):

profit += p[i]

weight += w[i]
```

```
else: // fractional part s1 = s[0:i] + 'f'
// f \text{ is the ratio of weight taken}
f = 'f = (' + str(m-weight) + '/' + str(w[i]) + ')'
unit = round(p[i]/w[i], 3)
profit += (m - weight)*unit
weight += m - weight
if profit > max_profit:
max_profit = profit
if s1 != ": // else \ block \ is \ entered \ above \& \ fractional \ value
is taken
solution = s1
else:
solution = s
return(solution, f, max_profit)
```

c. Greedy method (fractional Knapsack)

```
Greedy(array, maxWeight):
       // array tuple = profit, weight, key
       for item in array:
               item.append(item[0]/item[1], 3) // unit profit is added as tuple
       array.sort() // sorting array on the basis of unit profit in descending order
       profit = 0
       selected = []
       for item in array:
              if item[1] <= maxWeight:
                      selected.append(item[0:3])
                      maxWeight -= item[1]
                      profit += item[0]
                      if \max Weight == 0:
                              break
               else: // fractional part
                      selected.append([maxWeight * item[3], maxWeight, item[2]])
                      profit += maxWeight * item[3]
```

```
maxWeight = 0 break
```

return selected, profit

d. Dynamic programming (0/1 Knapsack)

```
Dynamic(p, w, m):
       if len(p) != len(w) then print "Error msg!"
       n = len(p)
       V = [[0] * (m + 1)] * (n + 1) // 2D array of m+1 columns & n+1 rows
       // bottom up approach
       for i = 0 to n:
               for j = 0 to m:
                      if i == 0 or j == 0:
                              V[i][j] = 0
                       else if w[i-1] \le j:
                              V[i][j] = max(V[i-1][j], V[i-1][j-w[i-1]] + p[i-1])
                       else:
                              V[i][j] = V[i - 1][j]
       // finding the solution
       rm, rp = m, V[n][m]
       solution = "
       for i = n to 1; step = -1:
               if rp \le 0:
                       break
               if rp != V[i - 1][rm]: // included item
                      solution = '1' + solution
                      rp = p[i - 1]
                      rm = w[i - 1]
               else:
                      solution = '0' + solution
```

return solution, V[n][m]

1. Source Code

→ Filename: knapsack.py

```
def getStrings(n):
   return [bin(x)[2:].rjust(n, '0') for x in range(2**n)]
def BruteForceZO(p, w, m):
     assert len(p) == len(w), "Profit and weight do not have the same
number of elements!"
   n = len(p)
   bit strings = getStrings(n)
   max profit = 0
   solution = ''
   for s in bit strings:
       profit = sum([int(s[i]) * p[i] for i in range(n)])
       weight = sum([int(s[i]) * w[i] for i in range(n)])
       if weight <= m and profit > max profit:
           max profit = profit
           solution = s
   return solution, max profit
def BruteForceF(p, w, m):
     assert len(p) == len(w), "Profit and weight do not have the same
   n = len(p)
   bit strings = getStrings(n)
   \max profit = 0
   solution = ''
```

```
for s in bit strings:
        profit, weight = 0, 0
        s1 = ''
        for i in range(n):
            if weight < m \text{ and int(s[i])} == 1:
                if w[i] \le (m - weight):
                    profit += p[i]
                    weight += w[i]
                    s1 = s[0:i] + 'f'
                    f = 'f = (' + str(m - weight) + '/' + str(w[i]) + ')'
                    unit = round(p[i]/w[i], 3)
                    profit += (m - weight) *unit
                    weight += m - weight
        if profit > max profit:
            max profit = profit
            if s1 != '':
                solution = s1.ljust(4, '0')
                solution = s
    return(solution, f, max profit)
def Greedy(array, maxWeight):
    for item in array:
          item.append(round(item[0]/item[1], 3))# tuple = profit, weight,
    array.sort(key = lambda x:x[3], reverse = True) # sorting array on the
   profit = 0
    selected = []
```

```
for item in array:
        if item[1] <= maxWeight:</pre>
            selected.append(item[0:3])
            maxWeight -= item[1]
            profit += item[0]
            if maxWeight == 0:
            selected.append([maxWeight * item[3], maxWeight, item[2]])
            profit += maxWeight * item[3]
            maxWeight = 0
    return selected, profit
def Dynamic(p, w, m):
     assert len(p) == len(w), "Profit and weight do not have the same
number of elements!"
   n = len(p)
   V = [[0 \text{ for j in range}(m + 1)] \text{ for i in range}(n + 1)]
    for i in range (n + 1):
        for j in range (m + 1):
                V[i][j] = 0
            elif w[i - 1] <= j:
                 V[i][j] = max(V[i-1][j], V[i-1][j-w[i-1]] + p[i-1]
1])
                V[i][j] = V[i - 1][j]
    rm, rp = m, V[n][m]
    solution = ''
    for i in range(n, 0, -1):
```

```
break
if rp != V[i - 1][rm]:
    # included item
    solution = '1' + solution

    rp -= p[i - 1]
    rm -= w[i - 1]
    else:
        solution = '0' + solution

solution = solution.rjust(4, '0')
return solution, V[n][m]
```

2. Test Cases

→ Filename: test_knapsack.py

```
import unittest
from knapsack import Greedy, BruteForceZO, BruteForceF, Dynamic

class TestKnapsack(unittest.TestCase):
    def setUp(self):
        self.p = [5, 6, 7, 2] # profit
        self.w = [4, 2, 3, 1] # weight
        self.m = 8 # max weight

def test_Greedy(self):
        # array tuple = profit, weight, key
        array = [[5, 4, '1'], [6, 2, '2'], [7, 3, '3'], [2, 1, '4']]
        # solution tuple have the fractional profit and weight that are chosen
        solution = [[6, 2, '2'], [7, 3, '3'], [2, 1, '4'], [2.5, 2, '1']]
        profit = 17.5
        self.assertEqual(Greedy(array, 8), (solution, profit))

def test_BruteForceZO(self):
        self.assertEqual(BruteForceZO(self.p, self.w, self.m), ('0111', 15))
```

3. Output of Test Cases

```
C:\Users\neha\Algorhythm\lab4>python test_knapsack.py
....

Ran 4 tests in 0.001s

OK

C:\Users\neha\Algorhythm\lab4>
```

4. Conclusion

Here, Knapsack problem is solved using different strategies such as Brute-force method (for fractional and 0/1 Knapsack), Greedy method (for fractional Knapsack) and Dynamic programming (for 0/1 Knapsack).

The input for the Greedy method is different from others as in this method, we sort the array for highest unit profit, and the order of the input array is hard to keep track of if there is no key for each item. Thus a key is introduced to each item in the array, so as to know the solution in the output without confusion.

All test cases ran successfully on the four of the methods, as seen on the screenshot provided above.