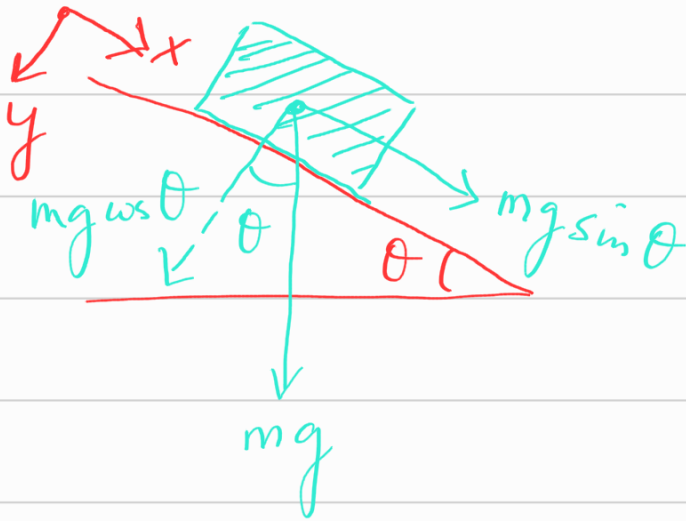
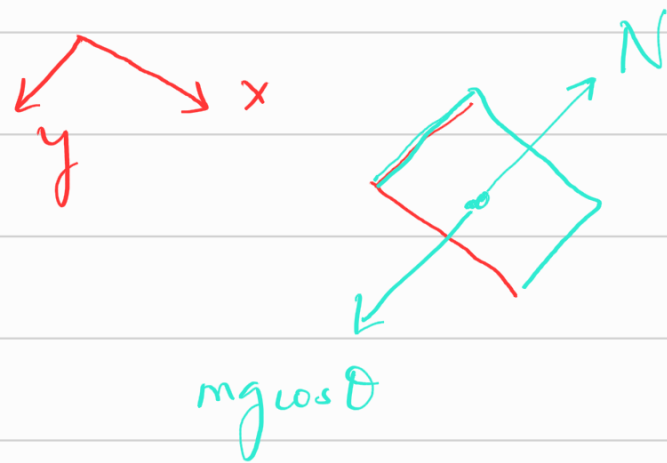


Friction co-efficients & angles

Force balance on a block sliding down an inclined ramp.

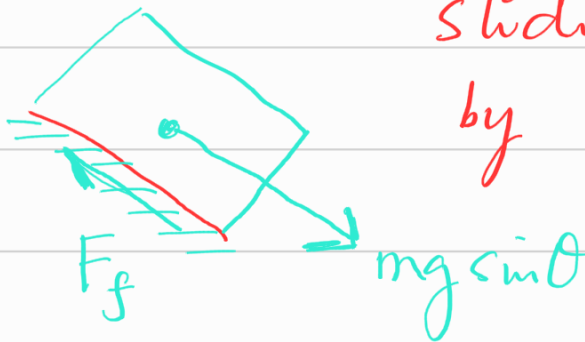


consider force balance in y-direction



Normal force balances the weight of the block
 $N = mg \cos \theta$

Force balance in x-direction



Sliding resistance is provided by friction. For the block to remain stationary,
 $mg \sin \theta - F_f < 0$.

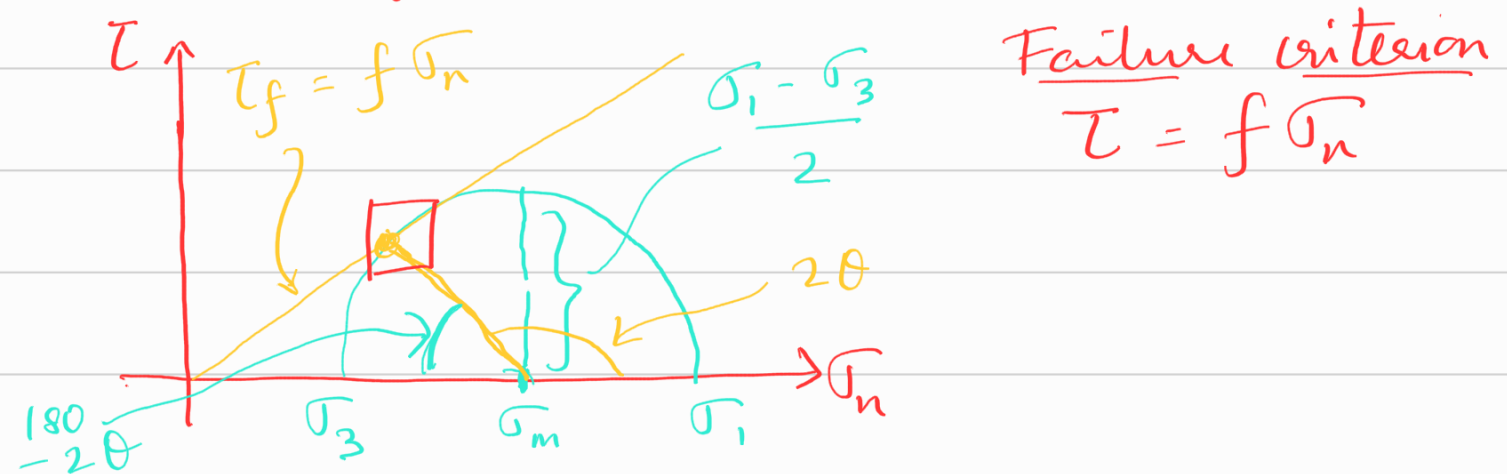
Sliding initiates when $F_f = mg \sin \theta$

$$F_f = f \cdot N$$

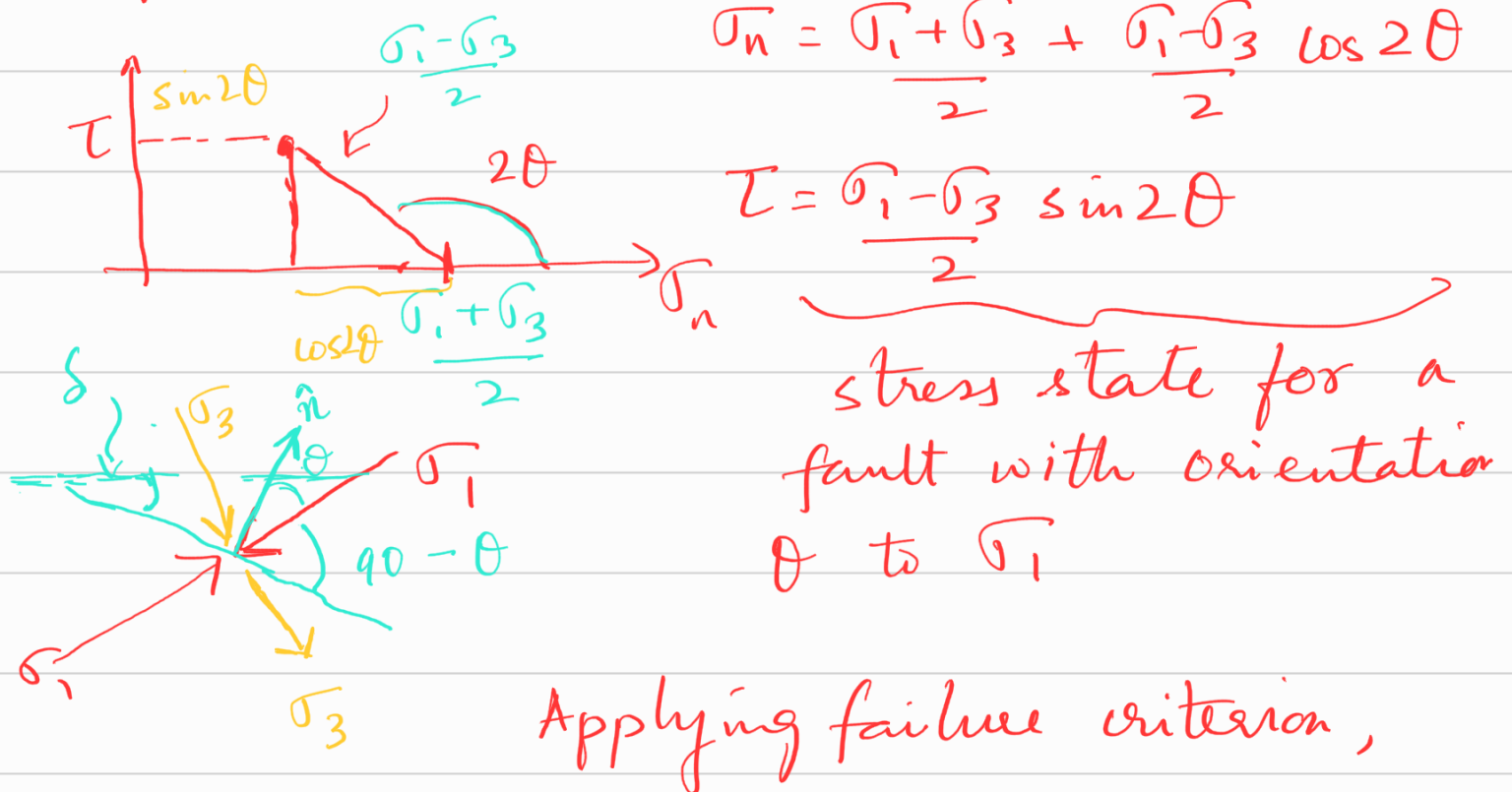
$\Rightarrow f = f_{\text{crit}}$ [we can estimate the limiting coefficient]

the friction coefficient by finding the angle at which the block starts sliding

Friction from fault orientations



Intersection of the failure criterion & the stress state gives us the optimal orientation of faults.



$$\frac{\sigma_1 - \sigma_3}{2} \sin 2\theta = f \left(\frac{\sigma_1 + \sigma_3}{2} + \frac{\sigma_1 - \sigma_3}{2} \cos 2\theta \right)$$

$$\frac{\sigma_1 - \sigma_3}{2} [\sin 2\theta - f \cos 2\theta] = f \sigma_m$$

$$(\sigma_1 - \sigma_3) = \frac{2 f \sigma_m}{(\sin 2\theta - f \cos 2\theta)}$$

To find optimum $(\sigma_1 - \sigma_3)$ for any given θ ,
 set $\frac{d(\sigma_1 - \sigma_3)}{d\theta} = 0$ must be 0

$$-2 f \sigma_m \left(\frac{2 \cos 2\theta + 2 f \sin 2\theta}{(\sin 2\theta - f \cos 2\theta)^2} \right) = 0$$

$$\cos 2\theta + f \sin 2\theta = 0$$

$$f = -\frac{1}{\tan 2\theta}$$

← negative sign
 because (2θ) is in
 second quadrant.
 where $\tan 2\theta < 0$

