# Excess Bereavement and Excess Mortality: Some Analysis

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```

In this document, I outline the process for analyzing the data derived from the analysis scripts and generating the quantities we need for the regression.

```
#Loading dependencies
require(tidyverse)
require(data.table)
require(countrycode) #For labeling graphs
require(stargazer)
source("~/covid_simulation/Kin_death/01_load_functions.R")

## [1] "library2: tidyverse loaded."
## [1] "library2: scales loaded."
## [1] "library2: patchwork loaded."
## [1] "library2: data.table loaded."
## [1] "library2: parallel loaded."
## [1] "library2: knitr loaded."

## [1] "library2: knitr loaded."
```

First, load the data.

```
data <- get(load(file = "../Data/final_data_preprint.RData"))
remove(data_preprint)</pre>
```

#### **Independent Variables**

#### **Excess Mortality**

The first question is how we define excess: we run simulations for two scenarios, one without Covid-related excess mortality and one with it. We then randomly match each Covid simulation for a country with a non-Covid simulation. Most definitions of excess mortality focus on the differences between observed and expected deaths (see, for example, Our World in Data's page), and we calculate a ratio here (am I remembering this right?). Most quantities in this analysis will go from 0-100. Where number of deaths in a particular category are denoted by D,

• Level of above-15 excess mortality:

$$EM = 100 \times \frac{D_{15+,Covid} - D_{15+,Counterfactual}}{D_{15+,Counterfactual}}$$

• Age ratio for above-15 excess mortality:

What share of excess deaths come from the age 65+ category:

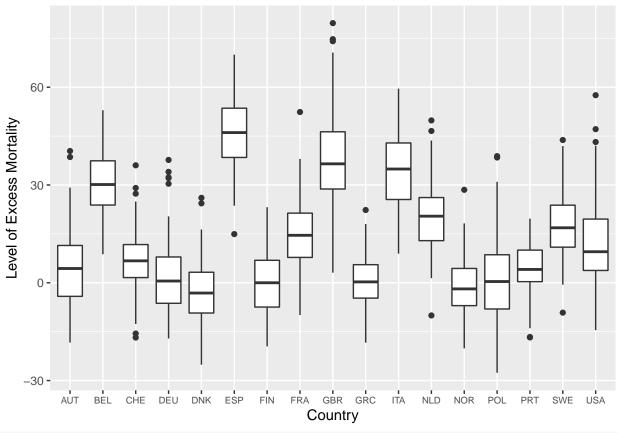
$$Share_{65+} = 100 \times \frac{D_{65+,Covid} - D_{65+,Counterfactual}}{D_{15+,Covid} - D_{15+,Counterfactual}}$$

• Sex ratio for above-15 excess mortality: Here, we measure the ratio of excess deaths for men to excess deaths for women.

$$Share_{Male} = 100 \times \frac{D_{15+,Covid,Male} - D_{15+,Counterfactual,Male}}{D_{15+,Covid,Both} - D_{15+,Counterfactual,Both}}$$

We can calculate these quantities as follows:

```
#Match Covid and counterfactual simulations, and clean data
death rates <- data$death rates %>%
  filter(!is.na(scenario)) %>%
  mutate(sex = ifelse(fem == 1, "F", "M")) %>%
  ungroup() %>%
  group_by(country, scenario, sex, age) %>%
  mutate(index = row_number(), fem = NULL) %>%
  filter(index <= 99) %>% #Temporary solution for addressing matching issue
  ungroup() %>%
  pivot_wider(id_cols = c("country", "sex", "age", "index"),
              names_from = "scenario",
              values_from = c("n_num", "n_den", "value", "sim.id"))
#Excess mortality level
em_level <- death_rates %>%
  filter(age %in% c("15-29", "30-44", "45-64", "65+")) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other) %>%
  summarize(deaths_covid = sum(n_num_covid, na.rm = T),
            deaths_other = sum(n_num_other, na.rm = T)) %>%
  mutate(em_level = 100*(deaths_covid - deaths_other)/(deaths_other),
         ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c'))
#Get the distribution of this by country and plot it
em_level %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = em_level)) +
  labs(x = "Country", y = "Level of Excess Mortality") +
  theme(axis.text.x = element_text(size = 7))
```



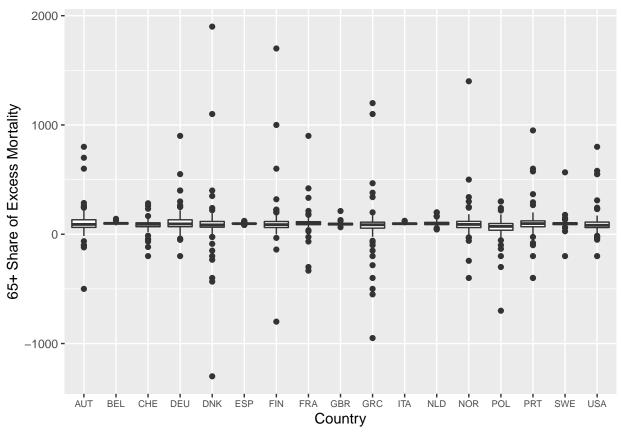
```
#Summarize it
em_level %>%
  ungroup() %>%
  group_by(country) %>%

summarize(mean_em_level = mean(em_level, na.rm = T))
```

```
## # A tibble: 17 x 2
##
      country
                                mean_em_level
      <chr>
##
                                         <dbl>
                                         5.15
##
    1 Austria
##
    2 Belgium
                                        31.4
##
    3 Denmark
                                        -2.65
##
    4 Finland
                                         0.257
                                        15.1
##
    5 France
##
    6 Germany
                                         1.49
    7 Greece
                                         0.681
##
    8 Italy
##
                                        34.6
    9 Netherlands
                                        20.2
##
## 10 Norway
                                        -1.08
## 11 Poland
                                        1.42
                                        4.85
## 12 Portugal
                                        45.9
## 13 Spain
## 14 Sweden
                                        17.5
## 15 Switzerland
                                        6.98
                                        37.7
## 16 United_Kingdom
## 17 United_States_of_America
                                        11.5
```

```
#Age ratio of excess mortality
em_age <- death_rates %>%
  filter(age %in% c("15-29", "30-44", "45-64", "65+")) %>%
  mutate(above65 = if_else(age %in% c("65+"), "65plus", "below65")) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other, above65) %>%
  summarize(deaths_covid = sum(n_num_covid, na.rm = T),
            deaths_other = sum(n_num_other, na.rm = T)) %>%
  pivot_wider(names_from = "above65", values_from = c("deaths_covid", "deaths_other")) %>%
  mutate(em_share_age = 100*(deaths_covid_65plus - deaths_other_65plus)/(deaths_covid_below65+deaths_co
         ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c'))
#Graph this
em_age %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = em_share_age)) +
  labs(x = "Country", y = "65+ Share of Excess Mortality") +
 theme(axis.text.x = element_text(size = 7))
```

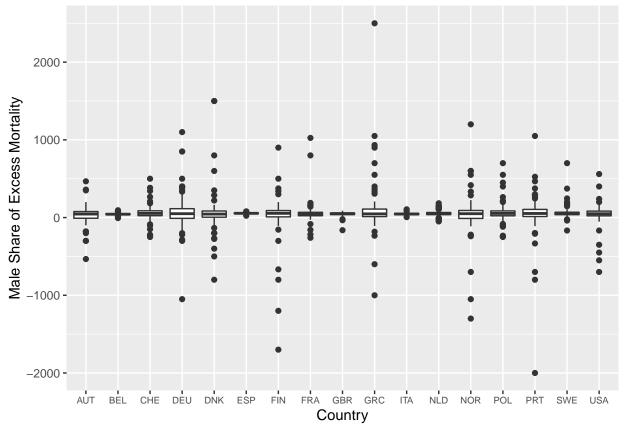
## Warning: Removed 12 rows containing non-finite values (stat\_boxplot).



```
#Sex ratio of excess mortality
em_sexratio <- death_rates %>%
  filter(age %in% c("15-29", "30-44", "45-64", "65+")) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other, sex) %>%
  summarize(deaths_covid = sum(n_num_covid, na.rm = T),
```

```
deaths_other = sum(n_num_other, na.rm = T)) %>%
pivot_wider(names_from = "sex", values_from = c("deaths_covid", "deaths_other")) %>%
mutate(em_sexratio = 100*(deaths_covid_M - deaths_other_M)/(deaths_covid_F + deaths_covid_M - deaths_covid_E + deaths_covid_M - deaths_covid_E + deaths_covid_M - deaths_covid_E + deaths_covid
```

## Warning: Removed 12 rows containing non-finite values (stat\_boxplot).



QUESTION: We see a lot of fluctuation in the age ratio and sex ratio measures for excess mortality, because the numbers are quite low and in some cases the number of excess deaths will be in fact negative. Do you have any thoughts on whether this is an issue? Should we be defining these quantities differently?

#### Population Structure

We can calculate these quantities from the death rates object as well, using population exposures. One thing to note is that for each pair of simulations, we have two sets of exposures. Here, I simply average over the two cases, as this is pre-Covid-19 and unlikely to affect the results.

• Level of population

This is calculated as the sum of all population exposures. I calculate it based on all individuals. I also plot UNWPP populations for each of the countries (we will use the UNWPP populations as a covariate,

not SOCSIM populations.) According to their documentation, UNWPP exclude dependencies.

QUESTION: Should these ratios be shares as well? Or is that not necessary? I think it might be fine to leave them as is, as they are standard demographic quantities, but I'm trying to remember what we agreed on. For now I've calculated

• Share of population above 15 that is 65+:

This is calculated as a share, where N is the number of individuals in a particular category

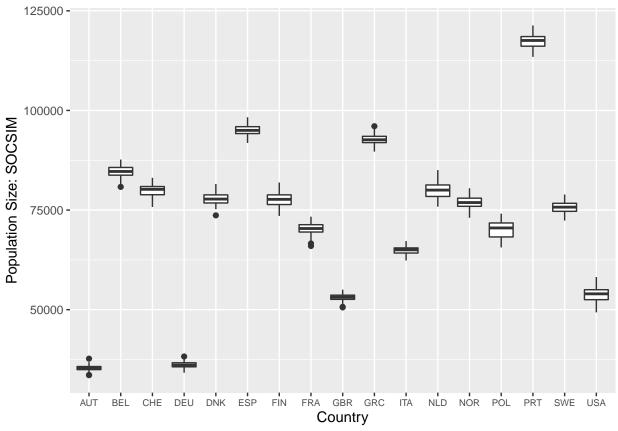
$$Share_{65+} = 100 \times \frac{N_{65+}}{N_{15+}}$$

• Share of population above 15 that is female:

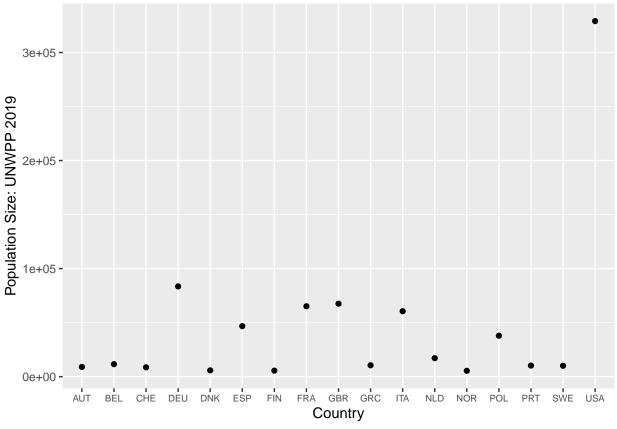
Similarly, this is a share,

$$Share_{Male} = 100 \times \frac{N_{Male}}{N_{Female} + N_{Male}}$$

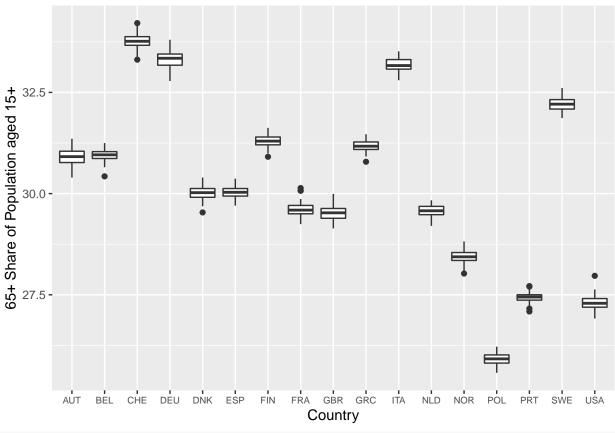
I use the same death\_rates object from previously to calculate these quantities.



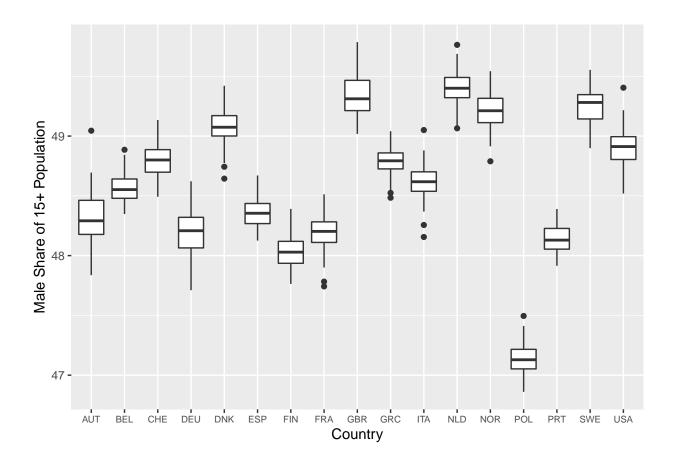
```
#Plot UNWPP populations by country
countrylist <- death_rates %>%
  mutate(ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c')) %>%
 pull(ccode)
countrylist <- unique(countrylist)</pre>
#Load UNWPP data
unwpp_data <- fread("https://population.un.org/wpp/Download/Files/1_Indicators%20(Standard)/CSV_FILES/W
#Modify and filter data
unwpp_pop <- unwpp_data %>%
  filter(Time == 2019 & Variant == "Medium") %>%
  mutate(ccode = countrycode(Location, origin = 'country.name', destination = 'iso3c'),
           unwpp_pop = PopTotal) %>%
  filter(ccode %in% countrylist & Location %in% grep(pattern = "dependencies", x = Location, invert = T
  select(ccode, unwpp_pop)
unwpp_pop %>%
  ggplot() + geom_point(aes(x = ccode, y = unwpp_pop)) +
  labs(x = "Country", y = "Population Size: UNWPP 2019") +
  theme(axis.text.x = element_text(size = 7))
```



```
#Calculate above-15 age ratios
pop_ageratio <- death_rates %>%
  filter(age %in% c("15-29", "30-44", "45-64", "65+")) %>%
  mutate(above65 = if_else(age %in% c("65+"), "65plus", "below65")) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other, above65) %>%
  summarize(pop_covid = sum(n_den_covid, na.rm = T),
            pop_other = sum(n_den_other, na.rm = T)) %>%
  mutate(pop_total = (pop_covid + pop_other)/2) %>%
  select(-c(pop_covid, pop_other)) %>%
  pivot_wider(names_from = "above65", names_prefix = "pop", values_from = "pop_total") %>%
  mutate(pop_ageratio = 100*(pop65plus/(pop65plus + popbelow65))) %>%
  select(-c(pop65plus, popbelow65))
#Graph these by country
pop_ageratio %>%
mutate(ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c')) %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = pop_ageratio)) +
  labs(x = "Country", y = "65+ Share of Population aged 15+") +
  theme(axis.text.x = element_text(size = 7))
```



```
#Calculate above-15 sex ratio
pop_sexratio <- death_rates %>%
  filter(age %in% c("15-29", "30-44", "45-64", "65+")) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other, sex) %>%
  summarize(pop_covid = sum(n_den_covid, na.rm = T),
            pop_other = sum(n_den_other, na.rm = T)) %>%
  mutate(pop_total = (pop_covid + pop_other)/2) %>%
  select(-c(pop_covid, pop_other)) %>%
  pivot_wider(names_from = "sex", names_prefix = "pop", values_from = "pop_total") %>%
  mutate(pop_sexratio = 100*(popM/(popF+popM)),
         ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c')) %>%
  select(-c(popM, popF))
#Graph these by country
pop_sexratio %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = pop_sexratio)) +
  labs(x = "Country", y = "Male Share of 15+ Population") +
 theme(axis.text.x = element_text(size = 7))
```



#### Kinship Structure

· Size of family

I measure this as the average size of the nuclear family for individuals above 15 (due to data issues) for the average ego alive at the start of the period. Think about the next two quantities (not calculated for now):

- Age ratio of relatives This is the share of kin above 65+ to kin above 15 for the extended family.
- Sex ratio of relatives This is the share of male kin above age 15 of total kin above age 15 for the extended family.

We calculate this using the kin\_ratio object.

```
#Match Covid and counterfactual simulations, and clean data
kin_ratio <- data$kin_ratio %>%
  filter(!is.na(scenario)) %>%
  mutate(sex = ifelse(grepl("f1", category), "F", "M"),
  age = gsub("f[0-1]{1}", "", category),
  category = NULL) %>%
  ungroup() %>%
  filter(kintype == "nuclear") %>%
  complete(age, nesting(country, scenario, sim.id, sex, kintype)) %>%
  group_by(country, scenario, sex, age) %>%
  mutate(index = row_number()) %>%
  filter(index <= 99) %>% #Temporary solution for addressing matching issue ungroup() %>%
```

```
pivot_wider(id_cols = c("country", "sex", "age", "index"),
              names_from = "scenario",
              values_from = c("count_all", "count_female", "count_male", "count_65plus", "count_below65
#Size of family
kin_size <- kin_ratio %>%
  mutate(count_all_ages_covid = count_all_covid*n_egos_covid,
         count_all_ages_other = count_all_other*n_egos_other) %>% group_by(country, index, sim.id_covid
  summarize(n_egos_covid = sum(n_egos_covid, na.rm = T),
            n_egos_other = sum(n_egos_other, na.rm = T),
            n_kin_covid = sum(count_all_ages_covid, na.rm=T)/n_egos_covid,
            n_kin_other = sum(count_all_ages_other, na.rm =T)/n_egos_other) %>%
  mutate(kin_size = (n_kin_covid + n_kin_other)/2,
         ccode = countrycode(gsub("_", " ", country),
                              origin = 'country.name', destination = 'iso3c')) %>%
  select(country, ccode, index, sim.id_covid, sim.id_other, kin_size)
#Graph this
kin_size %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = kin_size)) +
  labs(x = "Country", y = "Average Size of Nuclear Family") +
  theme(axis.text.x = element_text(size = 7))
   5.25 -
Average Size of Nuclear Family
   5.00 -
   4.75 -
```

Note: I think the age ratio quantity will be heavily weighted towards older ages, which it seems to be here, based on which kin we include in our calculations.

BEL CHE DEU DNK ESP FIN FRA GBR GRC ITA NLD NOR POL PRT SWE USA

Country

```
#Age ratio for kin
kin_ageratio <- kin_ratio %>%
```

```
mutate(count_65plus_covid = count_65plus_covid*n_egos_covid,
         count_65plus_other = count_65plus_other*n_egos_other,
         count_below65_covid = count_below65_covid*n_egos_covid,
         count_below65_other= count_below65_other*n_egos_other) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other) %>%
  summarize(n_egos_covid = sum(n_egos_covid, na.rm = T),
            n egos other = sum(n egos other, na.rm = T),
            n_kin_65plus_covid = sum(count_65plus_covid, na.rm=T)/n_egos_covid,
            n_kin_65plus_other = sum(count_65plus_other, na.rm=T)/n_egos_other,
            n_kin_below65_covid = sum(count_below65_covid, na.rm=T)/n_egos_covid,
            n_kin_below65_other = sum(count_below65_other, na.rm=T)/n_egos_other) %>%
  mutate(kin_65plus = (n_kin_65plus_covid + n_kin_65plus_other)/2,
         kin_below65 = (n_kin_below65_covid + n_kin_below65_other)/2,
         kin_ageratio = 100*(kin_65plus/(kin_below65 + kin_65plus)),
         ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c')) %>%
  select(country, ccode, index, sim.id_covid, sim.id_other, kin_ageratio)
#Graph this
kin_ageratio %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = kin_ageratio)) +
  labs(x = "Country", y = "Share of Extended Kin Aged 65+") +
 theme(axis.text.x = element_text(size = 7))
#Sex ratio for kin
kin_sexratio <- kin_ratio %>%
  mutate(count_female_covid = count_female_covid*n_egos_covid,
         count_female_other = count_female_other*n_egos_other,
         count male covid = count male covid*n egos covid,
         count_male_other= count_male_other*n_egos_other) %>%
  ungroup() %>%
  group_by(country, index, sim.id_covid, sim.id_other) %>%
  summarize(n_egos_covid = sum(n_egos_covid, na.rm = T),
            n_egos_other = sum(n_egos_other, na.rm = T),
           n_kin_female_covid = sum(count_female_covid, na.rm=T)/n_egos_covid,
            n_kin_female_other = sum(count_female_other, na.rm=T)/n_egos_other,
            n_kin_male_covid = sum(count_male_covid, na.rm=T)/n_egos_covid,
            n_kin_male_other = sum(count_male_other, na.rm=T)/n_egos_other) %>%
  mutate(kin_female = (n_kin_female_covid + n_kin_female_other)/2,
         kin_male = (n_kin_male_covid + n_kin_male_other)/2,
         kin_sexratio = 100*(kin_male/(kin_female + kin_male)),
         ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c')) %>%
  select(country, ccode, index, sim.id_covid, sim.id_other, kin_sexratio)
#Graph this
kin sexratio %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = kin_sexratio)) +
  labs(x = "Country", y = "Male Share of Extended Kin") +
 theme(axis.text.x = element_text(size = 7))
```

## Dependent Variable: Excess Bereavement

There are different ways of calculating excess bereavement. Here, we use a relative difference consistent with what we did for excess mortality. One definition that seems fairly consistent with excess mortality is to look at bereavement across the two different scenarios, where bereavement is measured as the difference in mean kin counts for individuals with at least one kin member of a certain type at the start of the period. Here, I define the excess bereavement, where K represents the average number of kin surviving for an ego with at least one relative alive at the start of the period, as follows:

$$EBR = \frac{(K_{pre,Covid} - K_{post,Covid}) - (K_{pre,Counterfactual} - K_{post,Counterfactual})}{(K_{pre,Counterfactual} - K_{post,Counterfactual})}$$

One thing we talked about a bit in some of the early work around the paper was the probability of losing a type of relative; I don't think that's what we're really measuring here, so we may need some alternative analysis to get at that. QUESTION: Am I remembering our discussion on this quantity correctly?

I load the kin\_bb object, which is used for calculating excess bereavement. One big question is what level we want this data to be at. For now I have these numbers calculated individually for each age-sex category and kin type for each simulation (which will facilitate regression analysis later by either ego characteristics/type of kin). Later for the table, though, I think I will need to aggregate across age categories to address all the NA values.

```
#Calculate excess bereavement rates
kin_ebr <-data$kin_bb %>%
  filter(!is.na(scenario)) %>%
  mutate(sex = ifelse(grepl("f1", category), "F", "M"),
    age = gsub("f[0-1]{1}", "", category),
    category = NULL) %>%
  ungroup() %>%
  complete(age, nesting(country, scenario, sim.id, sex, kintype)) %>%
  group by(country, scenario, sex, age, kintype) %>%
  mutate(index = row number(), category = NULL) %>%
  filter(index <= 99) %>% #Temporary solution for addressing matching issue
  ungroup() %>%
  pivot_wider(id_cols = c("country", "sex", "age", "kintype", "index"),
              names_from = "scenario",
              values_from = c("mean_pre_with", "sd_pre_with", "n_withkin",
                              "mean_post_with", "sd_post_with", "sim.id", "n_losekin", "n_total")) %>%
  mutate(bereavement_covid = (mean_pre_with_covid - mean_post_with_covid),
         bereavement_other = (mean_pre_with_other - mean_post_with_other),
         n_withkin = (n_withkin_covid + n_withkin_other)/2,
         ebr = 100*(bereavement covid)/(bereavement other),
         ccode = countrycode(gsub("_", " ", country),
                             origin = 'country.name', destination = 'iso3c'))
```

Here, I create an aggregated version of this dataset, aggregating across age and sex by kin type and simulation. This is useful because otherwise we have a large number of NA values (eg. no children for 0-14, etc.). This creates issues with the regression, and also prevents kin losses from being weighted appropriately by the number of egos actually in a category.

```
sum_bereavement_other = sum(sum_kin_loss_other, na.rm = T),
             n_total = sum(n_withkin, na.rm = T),
             mean_bereavement_covid = sum_bereavement_covid/n_total,
             mean_bereavement_other = sum_bereavement_other/n_total) %>%
  mutate(ebr = 100*(mean_bereavement_covid - mean_bereavement_other)/mean_bereavement_other)
#Graph an example
kin_ebr_kintype %>%
  filter(kintype == "gparents") %>%
  ggplot() + geom_boxplot(aes(x = ccode, y = ebr)) +
  labs(x = "Country", y = "Excess Bereavement Rate of Grandparents") +
  theme(axis.text.x = element_text(size = 7))
Excess Bereavement Rate of Grandparents
    60 -
    30 -
     0 -
   -30 -
                                            FRA GBR GRC
              BEL
                   CHE DEU DNK ESP
                                                           ΙΤΑ
                                                                NLD NOR POL
                                       FİN
                                               Country
kin ebr kintype %>%
  filter(kintype == "gparents") %>%
  ungroup() %>%
  group_by(country) %>%
  summarize(mean_ebr = mean(ebr, na.rm = T))
## # A tibble: 17 x 2
##
      country
                                 mean_ebr
##
      <chr>
                                    <dbl>
    1 Austria
                                    5.47
    2 Belgium
                                   25.9
##
                                   -4.01
##
    3 Denmark
##
    4 Finland
                                    0.933
```

12.6

5 France

##

```
## 6 Germany
                                  2.02
## 7 Greece
                                  2.14
## 8 Italy
                                 28.1
## 9 Netherlands
                                 16.0
## 10 Norway
                                 -1.69
## 11 Poland
                                  2.85
## 12 Portugal
                                  5.35
                                 39.4
## 13 Spain
## 14 Sweden
                                 17.4
## 15 Switzerland
                                  4.03
## 16 United_Kingdom
                                 34.0
## 17 United_States_of_America
                                 11.4
```

## Preparing the Dataset for Regression Analysis

Now, we can combine the various objects generated previously to create a dataset used in our regression analysis.

```
#Merge data objects by category
em_data <- merge(em_sexratio, merge(em_level, em_age))
pop_data <- merge(unwpp_pop, merge(pop_sexratio, pop_ageratio))
#kin_data <- merge(kin_sexratio, merge(kin_size, kin_ageratio))
kin_data <- kin_size

#And get a tibble of covariates
covariates <- merge(kin_data, merge(pop_data, em_data))

#Now merge with the dependent variable
tabledata_kintype <- merge(covariates, kin_ebr_kintype)</pre>
```

## Regression Tables

```
#A quick and clumsy way to get rid of the cases where we divide by 0--mostly an issue for great grandpa tabledata_kintype <- tabledata_kintype %>% filter_all(all_vars(!is.infinite(.)))

Now, I fit a number of different regression models, by different types of kin.
```

```
nuclear_basic <- lm(ebr~em_level + country, subset = (kintype == "nuclear"), data = tabledata_kintype, nuclear_mort <- lm(ebr~em_level + country + em_share_age + em_sexratio, subset = (kintype == "nuclear")

nuclear_pop <- lm(ebr~em_level + country + em_share_age + em_sexratio + unwpp_pop + pop_ageratio + pop_

nuclear_kinstructure <- lm(ebr~em_level + country + em_share_age + em_sexratio + unwpp_pop + pop_agerat

stargazer(nuclear basic, nuclear mort, nuclear pop, nuclear kinstructure, column.labels = c("Basic", "+
```

**Nuclear Family** 

Dependent variable:

ebr

Basic

- +Mortality
- +Population
- + Kinship Structure
- (1)
- (2)
- (3)
- (4)
- $em_level$
- 0.651\*\*\*
- 0.651\*\*\*
- 0.651\*\*\*
- 0.651\*\*\*
- (0.017)
- *(---*)
- (0.017)
- (0.017)
- (0.017)
- ${\rm country} \\ {\rm Belgium}$
- -2.341\*\*
- -2.338\*\*
- -3.125\*\*
- -8.322\*\*\*
- (1.168)
- (1.168)
- (1.212)
- (2.983)
- $country \\ Denmark$
- -4.752\*\*\*
- -4.777\*\*\*
- -7.884\*\*\*
- -14.612\*\*\*
- (1.089)
- (1.089)
- (2.015)
- (4.064)
- ${\rm country} \\ {\rm Finland}$
- -2.411\*\*

- -2.396\*\*
- -1.222
- -10.636\*\*
- (1.083)
- (1.084)
- (1.285)
- (5.103)

 ${\bf country France}$ 

- -2.662\*\*
- -2.661\*\*
- -3.138\*
- -18.793\*\*
- (1.094)
- (1.094)
- (1.875)
- (8.424)

 ${\rm country} {\rm Germany}$ 

- -0.177
- -0.163
- 1.810
- 4.022
- (1.082)
- (1.083)
- (3.152)
- (3.356)

 ${\bf country Greece}$ 

- -3.327\*\*\*
- -3.377\*\*\*
- -4.733\*\*\*
- -9.469\*\*\*
- (1.080)
- (1.083)
- (1.250)
- (2.781)

 ${\rm country Italy}$ 

-0.641

- -0.641
- -0.104
- -2.769
- (1.190)
- (1.191)
- (2.916)
- (3.232)

 ${\rm country Netherlands}$ 

- -1.538
- -1.541
- -5.975\*\*
- -15.672\*\*\*
- (1.108)
- (1.108)
- (2.710)
- (5.763)

 ${\rm country} \\ {\rm Norway}$ 

- -3.181\*\*\*
- -3.186\*\*\*
- -7.738\*\*
- -21.367\*\*\*
- (1.088)
- (1.089)
- (3.677)
- (8.039)

 ${\rm country} {\bf Pol} {\bf and}$ 

- -2.940\*\*\*
- -3.016\*\*\*
- -2.488
- -3.239
- (1.085)
- (1.088)
- (5.853)
- (5.861)

 ${\rm countryPortugal}$ 

-0.725

- -0.725
- -2.480
- -7.283
- (1.080)
- (1.080)
- (4.258)
- (4.944)
- ${\rm country Spain}$
- 0.311
- 0.314
- -0.438
- -6.256\*
- (1.285)
- (1.286)
- (1.674)
- (----,
- (3.480)
- ${\rm country Sweden}$
- 2.296\*\*
- 2.291\*\*
- 0.086
- -12.337\*
- (1.098)
- (1.099)
- (2.036)
- (6.827)
- ${\rm country} Switzerland$
- -3.300\*\*\*
- -3.330\*\*\*
- -2.988
- -9.198\*
- (1.081)
- (1.081)
- (3.510)
- (4.787)
- $country United\_Kingdom$
- 3.276\*\*\*

```
3.272***
-1.012
-12.343*
(1.214)
(1.214)
(2.748)
(6.548)
country United\_States\_of\_America
2.328**
2.329**
-1.980
-17.997*
(1.086)
(1.086)
(4.775)
(9.663)
em\_share\_age
-0.002
-0.002
-0.001
(0.001)
(0.001)
(0.001)
em\_sexratio
0.0001
0.0001
0.0002
(0.001)
(0.001)
(0.001)
unwpp\_pop
pop\_ageratio
-0.668
0.976
(1.208)
```

(1.483)

 $pop\_sexratio$ 

3.261\*\*

3.620\*\*\*

(1.352)

(1.364)

 $kin\_size$ 

32.382\*

(16.988)

Constant

2.235\*\*\*

2.394\*\*\*

-134.541\*\*

-349.570\*\*\*

(0.769)

(0.783)

(64.966)

(130.153)

 ${\bf Observations}$ 

1,671

1,671

1,671

1,671

R2

0.750

0.751

0.752

0.752

Adjusted R2

0.748

0.748

0.748

0.749

Residual Std. Error

7.560 (df = 1653)

7.562 (df = 1651)

7.553 (df = 1649)

```
7.547 (df = 1648)
F Statistic
292.482*** (df = 17; 1653)
261.644*** (df = 19; 1651)
237.555**** (df = 21; 1649)
227.284*** (df = 22; 1648)
Note:
p<0.1; p<0.05; p<0.01
gparents_basic <- lm(ebr~em_level + country, subset = (kintype == "gparents"), data = tabledata_kintype</pre>
gparents_mort <- lm(ebr~em_level + country + em_share_age + em_sexratio, subset = (kintype == "gparents")</pre>
gparents_pop <- lm(ebr~em_level + country + em_share_age + em_sexratio + unwpp_pop + pop_ageratio + pop
gparents_kinstructure <- lm(ebr~em_level + country + em_share_age + em_sexratio + unwpp_pop + pop_agera
stargazer(gparents_basic, gparents_mort, gparents_pop, gparents_kinstructure, column.labels = c("Basic"
Grandparents
Dependent variable:
Basic
+Mortality
+Population
+Kinship Structure
(1)
(2)
(3)
(4)
em\_level
0.639***
0.639***
0.640***
0.640***
(0.025)
(0.025)
(0.025)
(0.025)
countryBelgium
3.640**
```

- 3.630\*\*
- 3.168\*
- 7.907\*
- (1.686)
- (1.685)
- (1.751)
- (4.311)

## ${\rm country} {\rm Denmark}$

- -4.686\*\*\*
- -4.616\*\*\*
- -5.804\*\*
- 0.331
- (1.571)
- (1.571)
- (2.911)
- (5.872)

# countryFinland

- -1.279
- -1.322
- -0.910
- 7.674
- (1.564)
- (1.563)
- (1.855)
- (7.374)

# 

- 0.628
- 0.621
- 1.109
- 15.385
- (1.579)
- (1.578)
- (2.707)
- (12.173)

## ${\rm country} {\rm Germany}$

-1.386

- -1.430
- -1.747
- -3.765
- (1.562)
- (1.562)
- (4.551)
- (4.850)

 ${\bf country Greece}$ 

- -0.505
- -0.369
- -1.269
- 3.049
- (1.559)
- (1.562)
- (1.806)
- (4.018)

 ${\rm country Italy}$ 

- 3.774\*\*
- 3.774\*\*
- 2.749
- 5.179
- (1.718)
- (1.717)
- (4.211)
- (4.670)

 ${\rm country Netherlands}$ 

- 0.906
- 0.911
- -0.746
- 8.096
- (1.599)
- (1.598)
- (3.914)
- (8.328)

 ${\rm country} \\ {\rm Norway}$ 

-3.334\*\*

- -3.322\*\*
- -4.392
- 8.037
- (1.571)
- (1.570)
- (5.311)
- (11.617)

 ${\rm country} \\ {\rm Poland}$ 

- -0.169
- 0.046
- 3.214
- 3.899
- (1.566)
- (1.568)
- (8.452)
- (8.470)

 ${\bf country Portugal}$ 

- 0.161
- 0.160
- 1.203
- 5.583
- (1.559)
- (1.558)
- (6.148)
- (7.145)

 ${\rm country Spain}$ 

- 7.825\*\*\*
- 7.813\*\*\*
- 7.905\*\*\*
- 13.210\*\*\*
- (1.855)
- (1.854)
- (2.417)
- (5.029)

 ${\rm countrySweden}$ 

4.018\*\*

```
13.394
(1.585)
(1.584)
(2.940)
(9.866)
{\rm country} Switzerland
-2.626*
-2.541
-4.016
1.647
(1.560)
(1.559)
(5.068)
(6.917)
country United\_Kingdom
7.680***
7.689***
6.144
16.478*
(1.752)
(1.751)
(3.969)
(9.463)
country United\_States\_of\_America
1.865
1.861
1.592
16.197
(1.567)
(1.566)
(6.896)
(13.964)
em\_share\_age
0.004**
```

4.028\*\* 2.066

- 0.004\*\*
- 0.004\*\*
- (0.002)
- (0.002)
- (0.002)
- $em\_sexratio$
- -0.0002
- -0.0002
- -0.0002
- (0.001)
- (0.001)
- (0.001)
- $unwpp\_pop$
- $pop\_ageratio$
- 0.213
- -1.285
- (1.744)
- (2.143)
- $pop\_sexratio$
- 1.782
- 1.455
- (1.953)
- (1.971)
- $kin\_size$
- -29.528
- (24.549)
- Constant
- 2.213\*\*
- 1.756
- -90.916
- 105.165
- (1.110)
- (1.129)
- (93.817)
- (188.078)
- Observations

```
1,671
1,671
1,671
1,671
R2
0.638
0.640
0.640
0.640
Adjusted R2
0.635
0.635
0.635
0.635
Residual Std. Error
10.914 (df = 1653)
10.905 (df = 1651)
10.908 (df = 1649)
10.906 (df = 1648)
F Statistic
171.703*** (df = 17; 1653)
154.164*** (df = 19; 1651)
139.445**** (df = 21; 1649)
133.208*** (df = 22; 1648)
Note:
p<0.1; p<0.05; p<0.01
children_basic <- lm(ebr~em_level + country, subset = (kintype == "children"), data = tabledata_kintype
children_mort <- lm(ebr~em_level + country + em_share_age + em_sexratio, subset = (kintype == "children
children_pop <- lm(ebr~em_level + country + em_share_age + em_sexratio + unwpp_pop + pop_ageratio + pop
children_kinstructure <- lm(ebr~em_level + country + em_share_age + em_sexratio + unwpp_pop + pop_agera
stargazer(children_basic, children_mort, children_pop, children_kinstructure, column.labels = c("Basic"
Children
Dependent variable:
_{
m ebr}
```

Basic

- +Mortality
- +Population
- +Kinship Structure
- (1)
- (2)
- (3)
- (4)
- $em_level$
- 0.705\*\*\*
- 0.700\*\*\*
- 0.701\*\*\*
- 0.700\*\*\*
- (0.072)
- (0.071)
- (0.072)
- (0.071)
- ${\rm country} \\ {\rm Belgium}$
- -40.192\*\*\*
- -40.153\*\*\*
- -41.116\*\*\*
- -58.837\*\*\*
- (4.863)
- (4.849)
- (5.038)
- (12.402)
- ${\rm country} {\rm Denmark}$
- -18.601\*\*\*
- -18.920\*\*\*
- -27.019\*\*\*
- -49.962\*\*\*
- (4.532)
- (4.521)
- (8.376)
- (16.894)
- ${\rm country} \\ {\rm Finland}$
- -11.493\*\*

- -11.302\*\*
- -7.992
- -40.094\*
- (4.510)
- (4.498)
- (5.338)
- (21.213)
- ${\bf country France}$
- -21.912\*\*\*
- -21.891\*\*\*
- -27.665\*\*\*
- -81.052\*\*
- (4.553)
- (4.541)
- (7.791)
- (35.021)
- ${\rm country} {\rm Germany}$
- -3.413
- -3.232
- 9.154
- 16.699
- (4.504)
- (4.495)
- (13.097)
- (13.953)
- ${\bf country Greece}$
- -20.906\*\*\*
- -21.529\*\*\*
- -22.485\*\*\*
- -38.633\*\*\*
- (4.497)
- (4.496)
- (5.196)
- (11.560)
- ${\rm country Italy}$
- -21.633\*\*\*

- -21.638\*\*\*
- -11.914
- -21.001
- (4.955)
- (4.941)
- (12.118)
- (13.435)

 ${\rm country Netherlands}$ 

- -19.248\*\*\*
- -19.277\*\*\*
- -31.104\*\*\*
- -64.169\*\*\*
- (4.612)
- (4.599)
- (11.263)
- (23.958)

 ${\rm country} \\ {\rm Norway}$ 

- -14.201\*\*\*
- -14.255\*\*\*
- -30.662\*\*
- -77.140\*\*
- (4.531)
- (4.518)
- (15.282)
- (33.421)

 ${\rm country} {\bf Pol} {\bf and}$ 

- -17.948\*\*\*
- -18.908\*\*\*
- -37.600
- -40.162\*
- (4.516)
- (4.513)
- (24.323)
- (24.367)

 ${\bf country Portugal}$ 

-17.839\*\*\*

- -17.838\*\*\*
- -34.004\*
- -50.385\*\*
- (4.496)
- (4.483)
- (17.693)
- (20.555)
- ${\rm country Spain}$
- -33.112\*\*\*
- -33.071\*\*\*
- -37.599\*\*\*
- -57.437\*\*\*
- (5.351)
- (5.336)
- (6.957)
- (14.468)
- ${\rm country Sweden}$
- -16.184\*\*\*
- -16.241\*\*\*
- -14.421\*
- -56.783\*\*
- (4.571)
- (4.560)
- (8.460)
- (28.382)
- ${\rm country} Switzerland$
- -10.246\*\*
- -10.629\*\*
- 1.132
- -20.048
- (4.498)
- (4.488)
- (14.584)
- (19.900)
- $country United\_Kingdom$
- -14.000\*\*\*

```
-14.047***
-25.849**
-64.491**
(5.054)
(5.039)
(11.420)
(27.223)
country United\_States\_of\_America
-13.301***
-13.283***
-33.846*
-88.464**
(4.520)
(4.507)
(19.845)
(40.171)
em\_share\_age
-0.020***
-0.019***
-0.019***
(0.006)
(0.006)
(0.006)
em\_sexratio
0.001
0.001
0.001
(0.004)
(0.004)
(0.004)
unwpp\_pop
pop\_ageratio
-4.910
0.695
```

(5.018) (6.165)

pop\_sexratio

4.886

6.108

(5.619)

(5.671)

 $kin\_size$ 

110.425

(70.623)

Constant

21.236\*\*\*

23.239\*\*\*

-61.096

-794.371

(3.201)

(3.249)

(269.979)

(541.072)

 ${\bf Observations}$ 

1,671

1,671

1,671

1,671

R2

0.125

0.131

0.132

0.133

Adjusted R2

0.116

0.121

0.121

0.121

Residual Std. Error

31.475 (df = 1653)

31.383 (df = 1651)

31.390 (df = 1649)

```
31.376 (df = 1648)
F Statistic
13.882*** (df = 17; 1653)
13.106*** (df = 19; 1651)
11.916**** (df = 21; 1649)
11.495*** (df = 22; 1648)
Note:
p<0.1; p<0.05; p<0.01
stargazer(nuclear_kinstructure, gparents_kinstructure, children_kinstructure, column.labels = c("Nuclear
Different Types of Kin
Dependent variable:
_{
m ebr}
Nuclear
Grandparents
Children
(1)
(2)
(3)
em\_level
0.651***
0.640***
0.700***
(0.017)
(0.025)
(0.071)
em\_share\_age
-0.001
0.004**
-0.019***
(0.001)
(0.002)
(0.006)
em\_sexratio
0.0002
-0.0002
```

0.001

- (0.001)
- (0.001)
- (0.004)
- $unwpp\_pop$
- $pop\_ageratio$
- 0.976
- -1.285
- 0.695
- (1.483)
- (2.143)
- (6.165)
- $pop\_sexratio$
- 3.620\*\*\*
- 1.455
- 6.108
- (1.364)
- (1.971)
- (5.671)
- $kin\_size$
- 32.382\*
- -29.528
- 110.425
- (16.988)
- (24.549)
- (70.623)
- Constant
- -349.570\*\*\*
- 105.165
- -794.371
- (130.153)
- (188.078)
- (541.072)
- ${\bf Observations}$
- 1,671
- 1,671
- 1,671

```
R2
0.752
0.640
0.133
Adjusted R2
0.749
0.635
0.121
Residual Std. Error (df = 1648)
7.547
10.906
31.376
F Statistic (df = 22; 1648)
227.284***
133.208***
11.495***
Note:
p<0.1; p<0.05; p<0.01
```

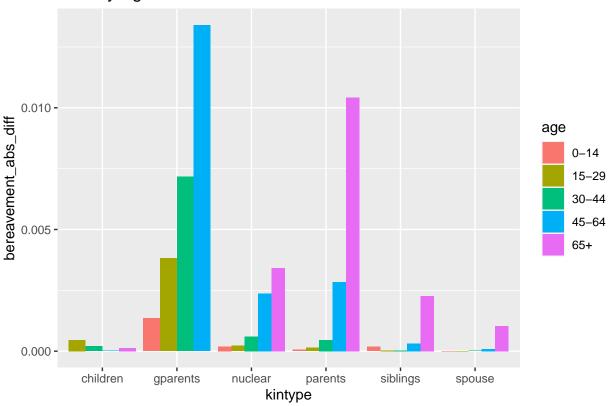
### Other Analysis: Probability of Losing Kin

Another interesting concept to explore is changes in the probability of losing kin. A measure I use a lot here is absolute difference in the probability of losing kin across the two simulation scenarios (I have also considered relative, although it is a little problematic for a few noisy estimates for which absolute magnitudes are very low but relative difference is high.) The current measure represents a percentage point change, which seems fairly straightforward to me.

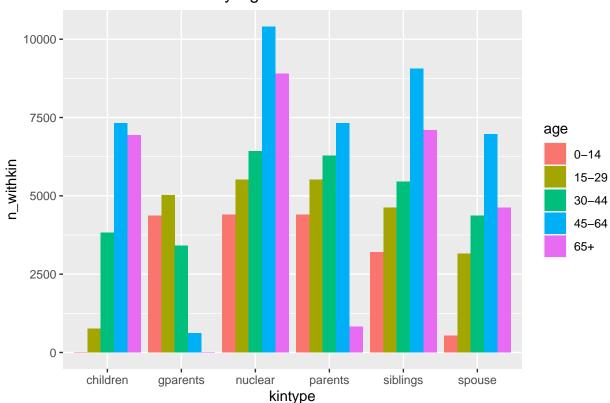
#### EBR

```
filter(pc_withkin > 1) %>%
ggplot() + geom_bar(aes(x = kintype, y = bereavement_abs_diff, fill = age), position = "dodge", state
```

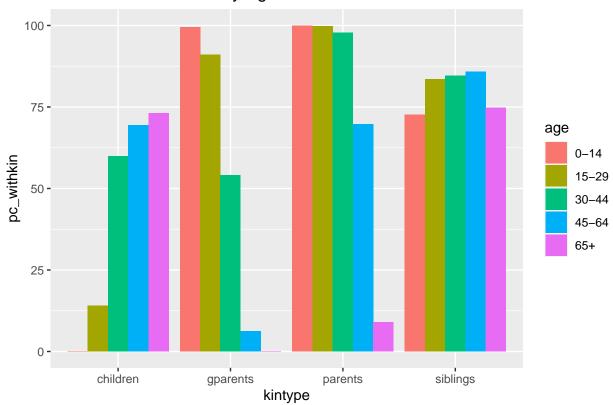
### EBR by Age



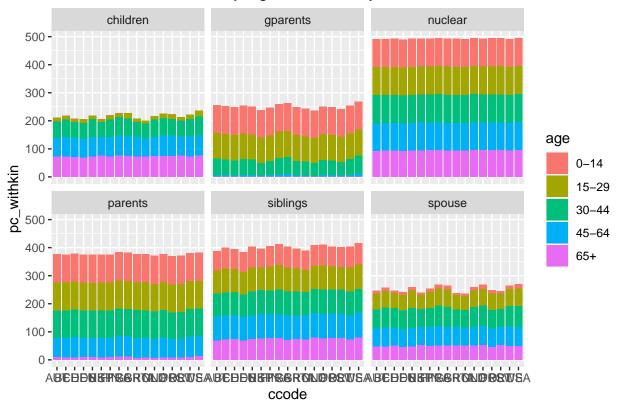
# Individuals with Kin by Age



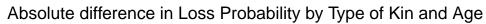
# % Individuals with Kin by Age

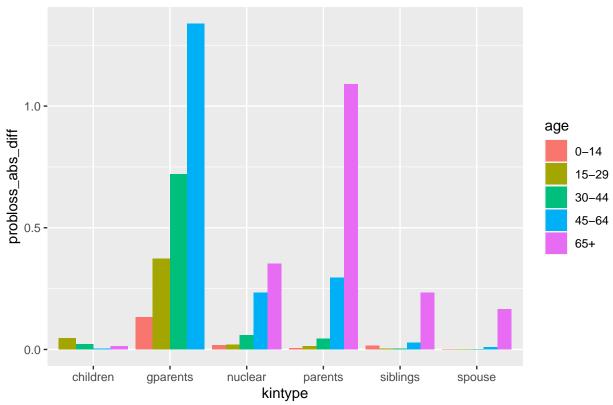


### % Individuals with Kin by Age and Country

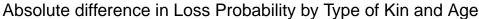


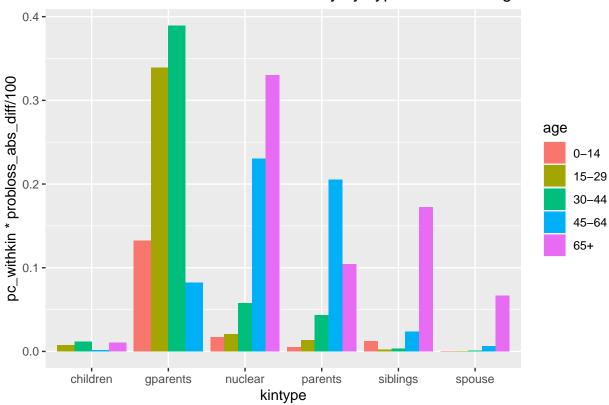
```
prob_loss_age %>%
   ggplot() + geom_bar(aes(x = kintype, y = probloss_abs_diff, fill = age), position = "dodge", stat = "
```



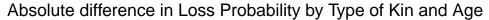


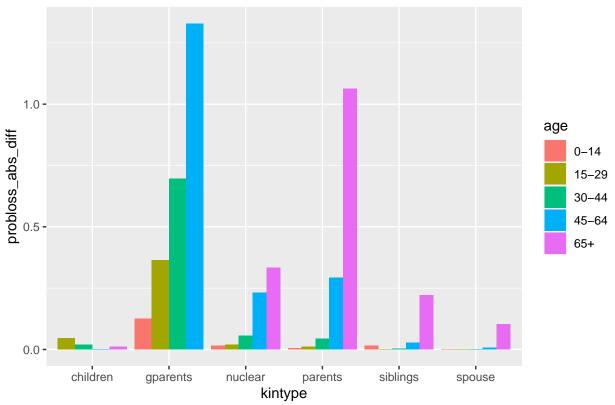
prob\_loss\_age %>%
 ggplot() + geom\_bar(aes(x = kintype, y = pc\_withkin\*probloss\_abs\_diff/100, fill = age), position = "d



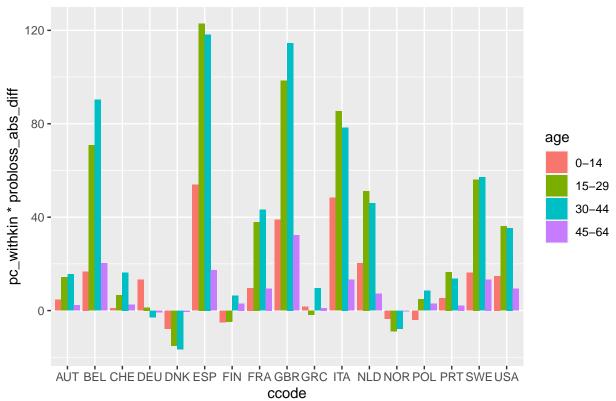


```
prob_loss_age %>%
   ggplot() + geom_bar(aes(x = kintype, y = probloss_abs_diff, fill = age), position = "dodge", stat = "
```

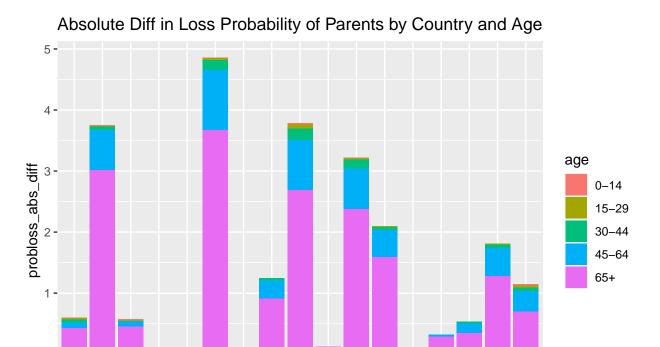






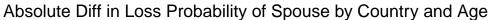


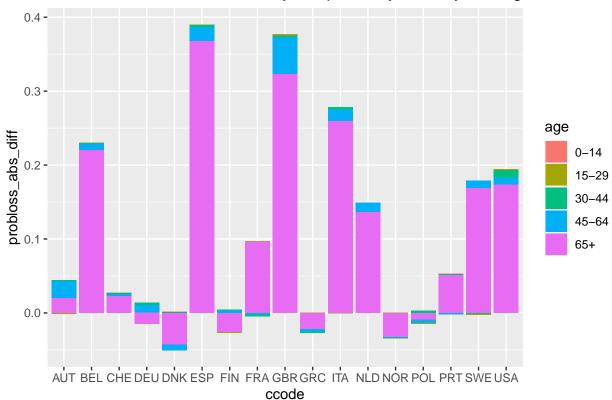
```
prob_loss_country %>%
  filter(kintype == "parents") %>%
  ggplot() + geom_bar(aes(x = ccode, y = probloss_abs_diff, fill = age), position = "stack", stat = "id"
```



AUT BEL CHE DEU DNK ESP FIN FRA GBR GRC ITA NLD NOR POL PRT SWE USA ccode

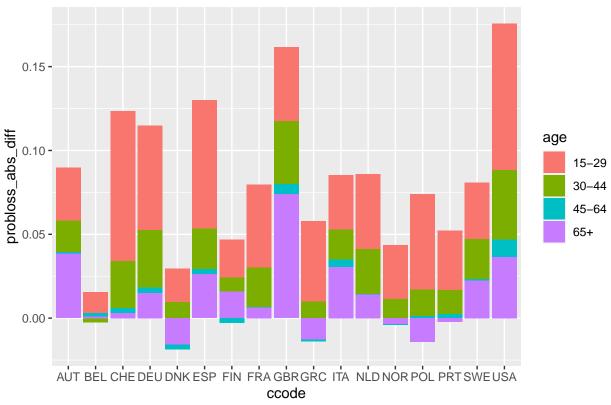
prob\_loss\_country %>%
 filter(kintype == "spouse") %>%
 ggplot() + geom\_bar(aes(x = ccode, y = probloss\_abs\_diff, fill = age), position = "stack", stat = "id"





```
prob_loss_country %>%
  filter(kintype == "children") %>%
  ggplot() + geom_bar(aes(x = ccode, y = probloss_abs_diff, fill = age), position = "stack", stat = "id"
```

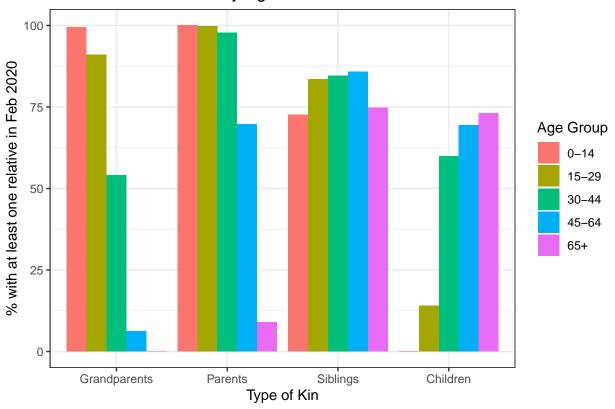
## Absolute Diff in Loss Probability of Children by Country and Age



#### Plots for Presentation

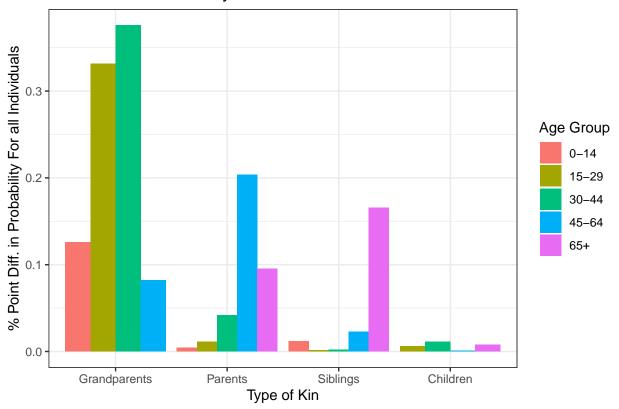
Distribution of kin

# % Individuals with Kin by Age



#### Probability of Loss

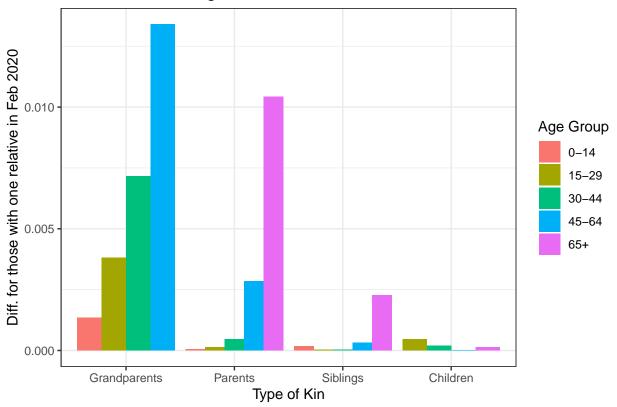
### Difference in Probability of Loss



#### Expected Excess Bereavement

```
#Visualize the difference in expected kin
kin_probs %>%
  ungroup() %>%
  group_by(kintype, age) %>%
  summarize(n_withkin = mean(n_withkin, na.rm = T),
            n_losekin = mean(n_losekin, na.rm = T),
            pc_withkin = mean(pc_withkin, na.rm = T),
            n_total = mean(n_total, na.rm = T),
            bereavement_covid = mean(bereavement_covid, na.rm = T),
            bereavement_other = mean(bereavement_other, na.rm = T),
            bereavement_abs_diff = bereavement_covid - bereavement_other) %>%
  filter(kintype %ni% c("nuclear", "spouse")) %>%
  ungroup() %>%
  mutate(kintype = str_to_title(if_else(kintype == "gparents", "grandparents", kintype)),
         kintype = ordered(kintype, levels = c("Grandparents", "Parents", "Siblings", "Children"))) %>%
  filter(pc_withkin > 1) %>%
  ggplot() + geom_bar(aes(x = kintype, y = bereavement_abs_diff, fill = age), position = "dodge", stat
  theme_bw()
```

### Difference in Average Number of Kin Lost



#### Country Level

```
em_country <- em_level %>%
  group_by(country, ccode) %>%
  summarize(em level = mean(em level, na.rm = T))
prob_loss_country_sum <- kin_probs %>%
  ungroup() %>%
  filter(pc_withkin > 1) %>%
  group_by(ccode, country, kintype) %>%
  summarize(n_withkin_covid = mean(n_withkin_covid, na.rm = T),
            n_withkin_other = mean(n_withkin_other, na.rm = T),
            n_losekin_covid = mean(n_losekin_covid, na.rm = T),
            n_losekin_other = mean(n_losekin_other, na.rm = T),
            pc_withkin = mean(pc_withkin, na.rm = T),
            bereavement_covid = mean(bereavement_covid, na.rm = T),
            bereavement_other = mean(bereavement_other, na.rm = T),
            bereavement_abs_diff = bereavement_covid - bereavement_other) %>%
  mutate(probloss_covid = 100*(n_losekin_covid/n_withkin_covid),
         probloss other = 100*(n losekin other/n withkin other),
         probloss_rel_diff = 100*(probloss_covid - probloss_other)/probloss_other,
         probloss_abs_diff = probloss_covid - probloss_other)
pop_ageratio_country <- pop_ageratio %>%
  ungroup() %>%
  group_by(country) %>%
  summarize(pop_ageratio = mean(pop_ageratio, na.rm = T))
```

## Excess Mortality and Excess Kin Loss by Country

