

# Introduction to **Julia** as a tool in **scientific computing**

Luiz M. Faria

InfoMath seminar, Sorbonne University

February 5, 2026



# Table of Contents

1 Introduction to Julia

2 Case study: the N-body problem

3 Conclusions

# What is Julia?

- Julia is a programming language with a **focus on scientific computing**
- First released in 2012, version 1.0 in 2018
- Open source (MIT license)
- Central promise: combine performance of C with usability of Python
- Addresses the **two-language problem**: prototype in high-level language, rewrite in low-level for performance

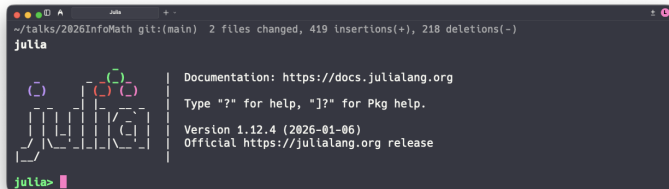


# Using Julia

- Installation: [julialang.org/downloads](https://julialang.org/downloads)

```
$ curl -fsSL https://install.julialang.org | sh
```

- Basic usage: type `julia` in a terminal to open a **REPL**



The screenshot shows a terminal window with the Julia REPL interface. The prompt is `julia>`. To the left of the prompt is a large, stylized ASCII art logo of the word "julia". To the right of the prompt, the following text is displayed:

```
Documentation: https://docs.julialang.org
Type "?" for help, "]?" for Pkg help.
Version 1.12.4 (2026-01-06)
Official https://julialang.org release
```

- IDE: **VS Code** with `Julia` extension

 **Live demo:** `basic_usage.jl`

- Other options: Jupyter, Pluto, emacs, vim, ...

# Main language features

## Core features:

- Dynamic typing
- Just-In-Time (JIT) compilation via LLVM
- **Multiple dispatch** as core paradigm
- **Parametric types** for generic programming

## Nice bonuses:

- Built-in package manager (**Pkg**)
- Built-in testing framework (**Test**)
- Powerful metaprogramming (macros, generated functions)
- Native Unicode support ( $\alpha$ ,  $\beta$ ,  $\epsilon$ , ...)
- Easy interoperability with C, Fortran, Python

# Typing system

## Static typing (C, Java, Rust):

- Types declared at compile time: `int x = 5;`
- Compiler checks types before running

## Dynamic typing (Python, Julia):

- Types belong to *values*, not variables
- `x = 5` then `x = "hello"` is valid
- Type checked at runtime

## Julia's twist

Dynamically typed, but the JIT compiler **infers types** and generates specialized code  $\Rightarrow$  flexibility + performance

 **Live demo:** `dynamic_typing.jl`

# JIT compilation

## **Traditional compiled** (C, Fortran):

- Compile once, run many times
- Fast execution, but can slow down development cycle

## **Interpreted** (Python, MATLAB):

- No compilation step
- Flexible, but usually slow loops

## **Just-In-Time** (Julia):

- Compile functions **on first call**
- Specializes code based on argument types
- First call slow, subsequent calls fast

 **Live demo:** `jit_compilation.jl`

# Multiple dispatch

- Core paradigm in Julia: functions specialize on **all** argument types

## Example

```
+(a::Int, b::Int)    vs    +(a::Float64, b::Float64)
```

Same function name, different implementations based on types

- Different from function overloading: **can** resolve at *runtime*
- Different from OOP (single dispatch)
- Most specific signature chosen
- Quite a powerful feature in practice



**Live demo:** `multiple_dispatch.jl`



# Parametric types

- Types can have parameters:
  - `Vector{Float64}`, `Vector{Float32}`, `Vector{Int}`
  - `Matrix{T}`, `Array{T,N}`
- `Vector{T}` defines an infinite family of types parametrized by `T`
- Think template in C++
- Compiler generates specialized code for each `T` used

## Key insight

Generic code + type specialization = **no performance penalty**

 **Live demo:** `parametric_types.jl`

# Summary so far

- We scratched the surface of Julia's core features
- To learn more I strongly suggest the [official documentation](#)
- There is also the [Julia learning page](#)
- And many other resources online...

Next: **case study** of using Julia for a scientific computing problem

# Table of Contents

- 1 Introduction to Julia
- 2 Case study: the N-body problem
- 3 Conclusions

# The N-body problem

- Classic problem in computational physics
- Simulate motion of  $N$  particles under gravitational attraction

$$m_i \ddot{\mathbf{x}}_i = - \sum_{j \neq i} \frac{G m_i m_j}{|\mathbf{x}_i - \mathbf{x}_j|^3} (\mathbf{x}_i - \mathbf{x}_j) \quad \text{for } i = 1, \dots, N$$

- Focus on the **force computation**

$$\mathbf{F}_i = - \sum_{j \neq i} \frac{G m_i m_j}{|\mathbf{x}_i - \mathbf{x}_j|^3} (\mathbf{x}_i - \mathbf{x}_j) \quad \text{for } i = 1, \dots, N$$

- Naive algorithm: double loop over all particles  $\Rightarrow \mathcal{O}(N^2)$  complexity
- Better algorithms exist (Barnes-Hut, FMM) but far more complex
- Still need fast force computation kernel

# Why this benchmark?

- Very simple to describe

---

```
function compute_forces(x, m):  
    for i = 1 to N do  
        for j = 1 to N, j ≠ i do  
            ai -= Gmj  $\frac{\mathbf{x}_i - \mathbf{x}_j}{|\mathbf{x}_i - \mathbf{x}_j|^3}$   
    return a
```

---

- Stress ability to efficiently handle instructions within the language
- $\mathcal{O}(N^2)$  flops with  $\mathcal{O}(N)$  bytes allows for some optimizations

# Why this benchmark?

- Very simple to describe

---

```
function compute_forces(x, m):  
  for i = 1 to N do  
    for j = 1 to N, j ≠ i do  
      ai -= Gmj  $\frac{\mathbf{x}_i - \mathbf{x}_j}{|\mathbf{x}_i - \mathbf{x}_j|^3}$   
  return a
```

---

- Stress ability to efficiently handle instructions within the language
- $\mathcal{O}(N^2)$  flops with  $\mathcal{O}(N)$  bytes allows for some optimizations



## A word of caution

While one may be tempted to write the algorithm above in the language of linear algebra (e.g., using matrix operations), doing so is usually *not* the most efficient approach for this problem!

# Implementations

Compare three implementations of the N-body force computation:

- C

 **Live demo:** `nbody.c`

- Python

 **Live demo:** `nbody.py`

- Julia

 **Live demo:** `nbody.jl`

Goal is *not* to say “X is better Y”, but to show differences in performance

# Performance comparison

Language	Time (s)	vs C	Gpair/s
C	0.13	1×	0.77
Julia	0.14	1.07×	0.72
Python (loops)	21	161×	0.005

Takeaway: Julia can achieve **performance comparable to C**


Next:

- How to structure larger projects?
- How to create abstractions?
- Can we make the code faster?



# Using Julia (revisited)

- Scripting: write code in `.jl` files and run with `julia myscript.jl` or `include("myscript.jl")` in REPL
- Projects: put code inside a `module` and add some metadata files to help manage dependencies

 **Live demo:** `create_pkg.jl`

**Goal:** move from single-file scripts to well-structured packages.

# Creating a package

- Use built-in package manager `Pkg`
- Create new package skeleton with `Pkg.generate("MyPackage")`
- Main code goes in `src/MyPackage.jl`
- Tests go in `test/runtests.jl`
- Manage dependencies with `Pkg.add("DependencyName")`
- Activate project environment with `Pkg.activate(".")`

## Packages for package generation

In practice people use tools like `PkgTemplates.jl` or `Bestie.jl` to automate some of the boilerplate setup (e.g. CI, documentation, tests, etc.).

# Structuring the N-body code

```
1 function compute_forces!(  
2     ax::Vector{Float64}, ay::Vector{Float64}, az::Vector{Float64},  
3     x::Vector{Float64}, y::Vector{Float64}, z::Vector{Float64},  
4     m::Vector{Float64}, G::Float64 = 1.0  
5 )  
6     # ...  
7 end
```

- 1 Physical and logical **restructuring** of the code
- 2 Make types **parametric** for flexibility
- 3 Optimize for **performance**

```
1 struct GravitationalSystem  
2     positions::Matrix{Float64}  
3     acceleration::Matrix{Float64}  
4     masses::Vector{Float64}  
5     G::Float64  
6 end  
7  
8 function compute_forces!(sys::GravitationalSystem)  
9     # Compute gravitational forces and update accelerations  
10    # ...  
11 end
```



```
1 struct GravitationalSystem{T<:Real}  
2     positions::Matrix{T}  
3     acceleration::Matrix{T}  
4     masses::Vector{T}  
5     G::T  
6 end  
7  
8 function compute_forces!(sys::GravitationalSystem)  
9     # Compute gravitational forces and update accelerations  
10    # ...  
11 end
```



```
1 struct GravitationalSystem{T<:Real}  
2     positions::Matrix{T}  
3     acceleration::Matrix{T}  
4     masses::Vector{T}  
5     G::T  
6 end  
7  
8 function compute_forces!(sys::GravitationalSystem{T}) where {T}  
9     N = pick_vector_width(T) # register width  
10    # Compute gravitational forces and update accelerations  
11    # ...  
12 end
```

1. Organize

2. Generalize

3. Optimize



**Live demo:** `gravitational_system.jl`

# Going faster

The simple implementation is not bad, but we can do better

- ✓ Memory layout and allocations
- ✗ Use of vectorized instructions (SIMD)
- ✗ Parallelization (multi-threading)

# SIMD instructions

## Single Instruction, Multiple Data

Scalar:  $\boxed{a_1} + \boxed{b_1} = \boxed{c_1}$

SIMD:  $\boxed{a_1} \boxed{a_2} \boxed{a_3} \boxed{a_4} + \boxed{b_1} \boxed{b_2} \boxed{b_3} \boxed{b_4} = \boxed{c_1} \boxed{c_2} \boxed{c_3} \boxed{c_4}$

In Julia:

- `@simd` hints
- `@turbo` (LoopVectorization.jl)
- Explicit SIMD via `SIMD.jl`

## Hardware (processor architectures)

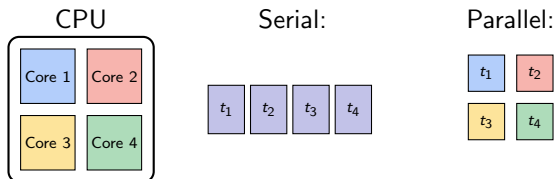
- x86-64: SSE, AVX, AVX2, AVX-512, ...
- ARM: NEON, SVE, ...
- ...



Live demo: `simd.jl`

# Multi-threading

Execute work in parallel across multiple CPU cores



In Julia:

- Start with `julia -t auto` or `julia -t 8`
- `Threads.@threads` for loop parallelism
- `@spawn` / `@sync` for task-based parallelism

## Considerations

- Race conditions: use locks or atomic operations
- Overhead: threading has a cost, use for large workloads
- N-body force computation is **embarrassingly parallel**

# Optimizations

Next:

- Try to **vectorize** N-body force computation with SIMD
- Add **multi-threading** to parallelize over particles

 **Live demo:** `gravitational_system.jl`

Version	Gpairs/s	Speedup
Julia (plain)	0.65	1×
Julia (SIMD)	1.5	2.3
Julia (SIMD + threads)	8.58	12.4

## Hardware

- Vector register width: 128-bit
- Number of threads used: 6

## Bonus: reduced precision

- Our code is already generic over floating point types
- So does it work with e.g. `Float32`? `Float16`? Faster?

 [Live demo: bench.jl](#)

Version	Gpairs/s	Speedup
Julia (SIMD + threads + <code>Float64</code> )	8.58	1×
Julia (SIMD + threads + <code>Float32</code> )	17.62	2.05
Julia (SIMD + threads + <code>Float16</code> )	34.89	4.06



## Bonus: reduced precision

- Our code is already generic over floating point types
- So does it work with e.g. `Float32`? `Float16`? Faster?

 [Live demo: bench.jl](#)

Version	Gpairs/s	Speedup
Julia (SIMD + threads + <code>Float64</code> )	8.58	1×
Julia (SIMD + threads + <code>Float32</code> )	17.62	2.05
Julia (SIMD + threads + <code>Float16</code> )	34.89	4.06

### A word of caution

- Effect of round-off seeing much earlier in e.g. `Float32`, `Float16`
- Stability considerations may require algorithmic changes
- Mixed-precision algorithms are an active research area

# Table of Contents

- 1 Introduction to Julia
- 2 Case study: the N-body problem
- 3 Conclusions

Explored how Julia can be used for **number-crunching** tasks

. Takeaways:

- ✓ Possible to write fast code in Julia without leaving the language
- ✓ Key features: JIT compilation, multiple dispatch, parametric types
- ✓ Implementation matters: data layout, SIMD, parallelism, ...
- ✓ Easier to learn and use than many traditional compiled languages
- ✓ An interesting language choice for scientific computing projects

# Where Julia falls short

I talked about some strengths of Julia, but it's **not perfect**. Some pain points to be aware of:

- ✗ Latency of JIT compilation can be annoying for scripting workflow
- ✗ External tooling ecosystem still maturing (debuggers, profilers, ...)
- ✗ Type instabilities are a common source of performance issues
- ✗ Lack of strict interface makes it hard to enforce API contracts
- ✗ Hard to compile to a standalone binary (improving!)

**Suggestion:** try it out on a small project and draw your own conclusions!



<https://julialang.org/>

**Questions?**