

AFTER MID EXAM

Date _____

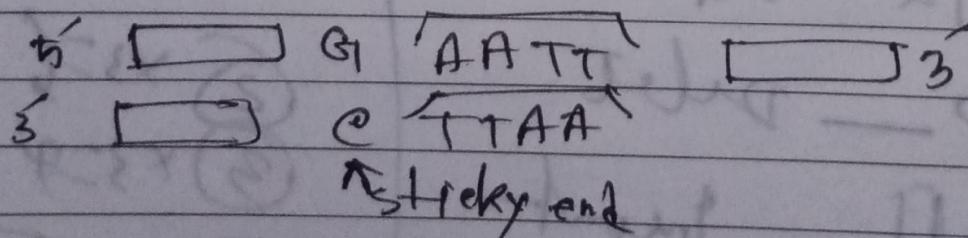
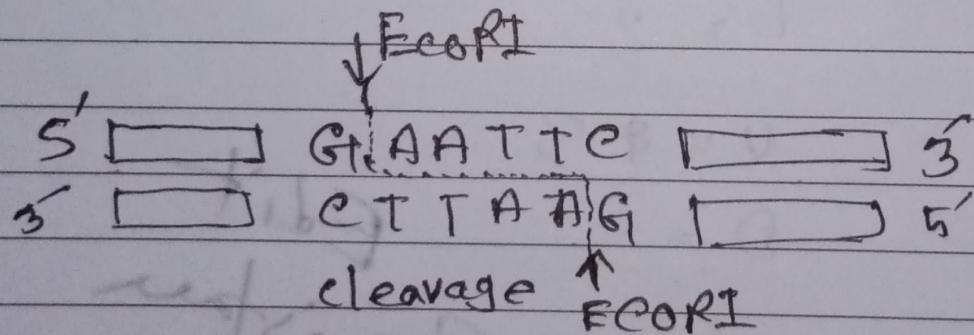
18.10.22 Bio-Informatics Page ①

Restriction Enzyme/Molecular Scissors

→ Restriction enzyme is a protein isolated from bacteria that cleaves DNA sequences at sequence-specific sites, producing DNA fragments with a known sequence at each end.

Example:

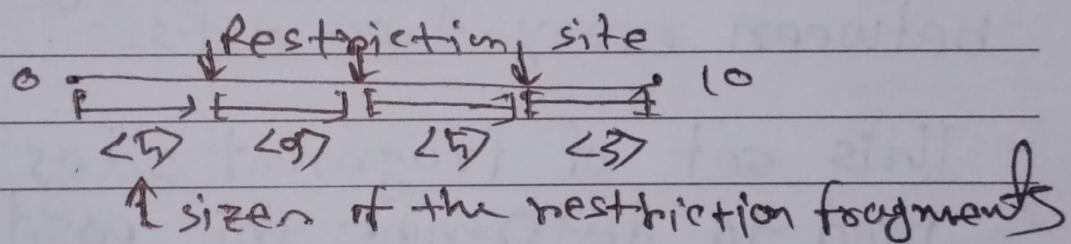
Eco RI, Bam HI, Bgl II,
Mae II, HindII



Restriction Map: → A map showing positions of restriction sites in a DNA sequence.

→ If DNA sequence is known then construction of restriction map is a trivial exercise.

- 1. Full/complete restriction digest
- 2. Partial restriction digest



■ Gel Electrophoresis technique: It is a technique to measure the distance between two individual restriction sites correspond to the length of the restriction fragment between those two sites.

full restriction digest

■ cutting DNA at each restriction site creates multiple restriction fragments

→ It is a consecutive process to find positions of restriction sites

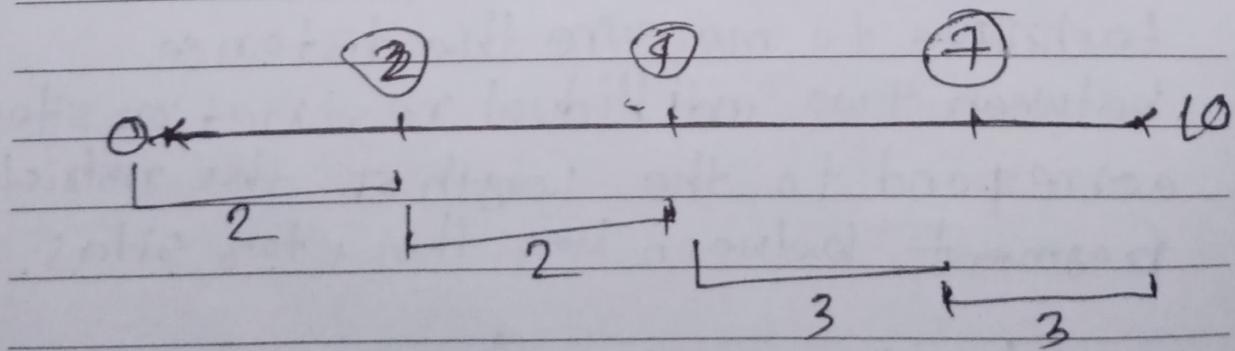
25.10.22

Date _____

Page _____

■ Partial Restriction Digest:

- The sample of DNA is exposed to restriction enzyme for only a limited amount of time to prevent it from being cut at all restriction sites.
- This experiments generates the set of all possible restriction fragments between every two cuts.
- This set of fragment sites are used to determine the positions of restriction sites in the DNA sequence.



Partial Digest Problem (PDP)

X : the set of n integers representing the location of all cuts in the restriction map, including the start and end

n : total number of cut

ΔX : the multiset of integers representing lengths of each of the fragments produced from a partial digest

Goal: Given all pairwise distances between points on a line, reconstruct the positions of those points.

Input: The multiset of pairwise distance, L , containing $n(n-1)/2$ integers.

Output: A set of X , of n integers such that $\Delta X = L$.

Algorithm

B&te form
Divide & conq

Date _____

E

PDP-1

$$\Delta x = L = \{2, 2, 3, 3, 4, 5, 6, 7, 8, 10\}$$

$$x = ? \cdot y$$

*

0

*

10

$$L = \{2, 2, 3, 3, 4, 5, 6, 7, 8\}$$

*

0

*

2

*

10

$$L = \{2, 3, 3, 4, 5, 6, 7\}$$

*

0

*

2

*

4

*

10

$$L = \{3, 3, 5\}$$

*

0

*

2

*

4

*

7

*

10

$$L = \{3\}$$

$$X = \{0, 2, 4, 7, 10\}$$

PDP #2

PDP Tableur's form:

X	0	2	4	7	10	
0		2	4	7	10	
2			2	5	8	A x = L
4			3	6	9	
7					3	
10						

$Ax = L = \{2, 3, 4, 5, 6, 9\}$

$$B^* = \{0, 3, 5, 9\}$$

$$X = \{0, 3, 5, 9\} \quad A^*$$

~~2~~
~~3~~
~~4~~
~~5~~

PPP Tabular form!

X	0	3	5	9
0		3	5	9
3			2	6
5				4
9				

#

07.4.22

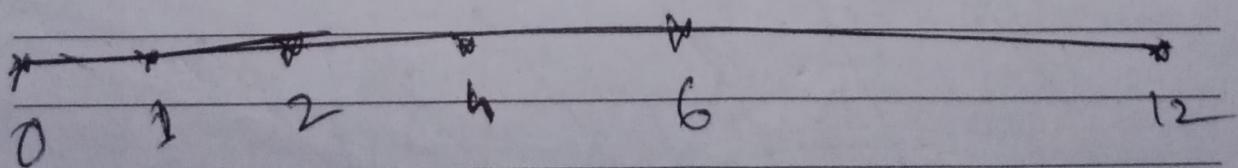
Date _____

Page _____

Apply partial Digest algorithm
to find the restriction sites
in the restriction map compliant
with the following DNA sequence
fragments.

$$\Delta x = \{ \textcircled{1}, \textcircled{2}, \textcircled{3}, \textcircled{2}, \textcircled{2}, \textcircled{3}, 3, \textcircled{4}, \textcircled{4}, \textcircled{5}, 5, 5, \textcircled{6} \}$$

$$7, 7, 7, \textcircled{8}, 9, \textcircled{10}, \textcircled{11}, 12, 4$$



~~1, 2, 2, 2, 3, 4, 4, 5, 5, 5, 6, 7, 7, 7,
8, 9, 10, 11, 12, 12~~

Date _____

Page _____

* * *
0 1 3

12

$Ax = \{1, 2, 3, 4, 5, 6, 7, 8, 9, 10, 11, 12\}$

* * * * *
0 1 2 3 4 5 6 7 8 9 10 11 12

$x_2 = \{0, 1, 2, 5, 7, 9\}$ $x_2 = \{0, 1, 5, 7, 8, 10, 11\}$

X, V, Q, P, F, Y, Z, S, P,

Y, H, L, S, G, B,

Z, A, T, S, G, Y, O,

H, I, X

to 10¹²

PDP has multiple solution
no need to worry.

Date _____
Page _____

Hookean set (same)

$$L[x_1 = x_2] = \Delta x = L$$

Example:

$$x_1 = \{0, 1, 2, 5, 7, 9, 12\}$$

$$x_2 = \{0, 4, 5, 7, 8, 10, 12\}$$

(X1)	0	1	2	5	7	9	10
0							
1							
2							
5							
7							
9							
10							
	1	2	4	6	8	10	12
	3	5	7	9	11	13	15
	2	4	6	8	10	12	14
	5	7	9	11	13	15	17
	3	6	8	10	12	14	16

6

	0	1	5	7	8	10	12
0	.	1	5	7	8	10	12
1			4	6	7	9	11
5				2	3	5	7
7					1	3	5
8						2	4
10							2
12							

check whether following two
restrictions homogeneous or
not.

$$x_1 = \{0, 1, 3, 8, 9, 11, 12, 13, 15\}$$

$$x_2 = \{0, 1, 3, 4, 5, 7, 12, 13, 15\}$$

(72)	0	1	3	9	5	7	12	13	15
1		2	3	9	5	7	12	13	15
3			1	2	9	9	10	12	
9				1	3	8	9	11	
5					2	7	8	10	
7						5	6	8	
12							1	3	
13								2	
15									

$x = \{ 1, 1, 1, 1, 2, 2, 2, 2, 3, 3, 3, 3, 9, 9, 9, 5, 5, 6, 7, 7, 8, 8, 8, 9, 9, 10, 10, 11, 11, 12, 12, 12, 13, 13, 19, 15 \}$

x_1, x_2, x_3

Yes, it is a monomeric s.