Data Structures and Algorithms

Mini Project 2

Submitted To:

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Mini Project 1: Finding Shortest Path using Dijkstra's Algorithm

Project Description:

In this project you are required to implement the Dijkstra's Algorithm which is a Breadth First Search (BFS) algorithm for finding shortest path from a starting vertex (src) to every other vertex in the graph. You are provided with skeleton code that implements a directed weighted graph represented by an Adjacency Matrix.

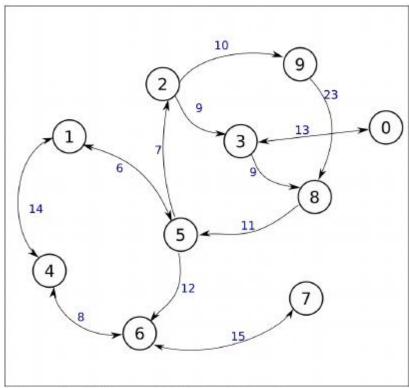


Figure 1: A Directed Weighted Graph

Restrictions:

- You will implement the Dijkstra's Algorithm using C language.
- This is not a group activity and each student must work independently.
- ➤ You are allowed to consult books or Internet resources but should mention the resources in your reports.
- > You are not allowed to use classes and objects or other purely object oriented programming constructs.

Task:

Your task is to write a function

'void find_shortest_paths(int * graph, int size, int src, int * dist_array)'
that will compute the shortest path from src to all the other vertices in the graph using Dijkstra's
Algorithm.

Project Design:

The project contains a file named **main.c** which includes the function to be completed.

```
void find shortest paths (int * graph, int size, int src, int * dist array)
100
101....l
102
         /*** Complete this function ***/
103
        int i, count, min, u, v, visit flag[size];
104
105
         for(i=0; i<size; i++)</pre>
106
107
            visit flag[i]=0; ///mark each node unvisited
108
            *(dist array+i) = *((graph+src*size)+i); ///assign distances from source node in distance
array
109
110
        visit flag[src] = 1; ///mark the source node as visited
111
112
        count=2;
113
114
        while (count<size)
115
116
117
            min=9999;
118
             for(v=0; v<size; v++)</pre>
119
120
121
                 if((dist array[v] != -1) && (dist array[v] < min) && !visit flag[v])
122
123
                    min = dist_array[v];
124
                    u = v;
125
126
127
128
            visit flag[u]=1; //mark the current node as visited
129
130
             for(v=0; v<size; v++)</pre>
131
132
                 if((*((graph+u*size)+v) != -1) && !visit flag[v]) ///check 1. wether a path exist
133
between u and v or not
    2. v has not been
134
visited
135
136
                     ///If the distance to v is not already calculated or the distance through u is
137
                     ///minimum then assign the calculated distance through u to dist array at
position v
138
                    if ((dist array[v] == -1) \mid | ((dist array[u]+*((graph+u*size)+v)) <
dist_array[v]))
139
                             dist_array[v]=dist_array[u]+*((graph+u*size)+v);
140
141
    .....count++;
142
143
144.................................
145
```

Function: find_shortest_paths

Implementation of Function

Following is the description of implementation for function to be completed:

In this program, the function "find_shortest_paths" implements Dijkstra's algorithm and takes:

- Pointer to 'graph' i.e. adjacency matrix (a 2-D array)
- **'size'** i.e. *total number of vertices* (number of rows as well as columns)
- > 'src', the initial node
- ➤ Pointer to 'dist_array' i.e. one dimensional array to store shortest distance of each node from initial node as its argument.

Variables 'i', 'count', 'min', 'u', and 'v' have been declared. Moreover, an array 'visit_flag[size]' has been declared to keep track of visited nodes. Now a for loop iterates from '0' upto 'size'; in which firstly, array 'visit_flag[size]' is populated by zeros i.e. to mark each node unvisited initially and secondly, distances from 'src' are stored in 'dist_array' by traversing through the row (row number = 'src') of 'graph'. After exiting for loop, initial node (source node) 'src' is marked visited i.e. 1 and 'count' is initialized as 2.

Now a **while loop** iterates until **'count'** is less than **'size'**; **'min'** is initialized as **9999**(a very large integer).

Again, a **for loop** iterates from **'0'** upto **'size'** that selects the unvisited node that has the smallest distance and set it as the new current node **'u'** which is implemented as; an **if-statement** checks following three conditions:

- Whether node **v** is the neighbor of current node.
- Distance (weight) of the node is less then 'min'.
- > It has not already been visited yet.

If these conditions are fulfilled, distance (weight) of node **v** is assigned to '**min**'. And value of '**v**' is assigned to '**u**' making it the current node. Once the **for loop** is exited, current node is marked visited.

Yet again, a **for loop** iterates from **'0'** upto **'size'**; an **if-statement** checks following two conditions:

- Whether node **v** is the neighbor of current node **'u'**.
- It has not already been visited yet.

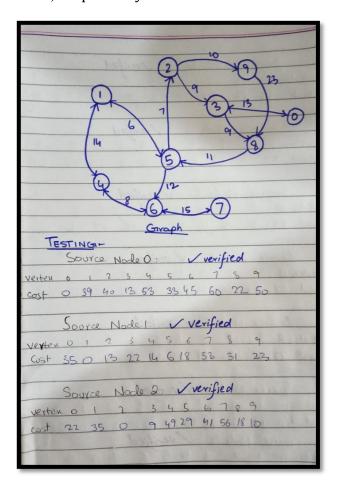
If these conditions are fulfilled, the next **if block** the distance of the unvisited neighbor of **'u'** i.e. **'v'** is calculated through **'u'** and if this distance is either less than the already present distance in the **'dist_array'** for node **'v'** or there is no calculated distance present in the **'dist_array'** for node i.e. **dist_array[v] = -1** then it is assigned to **dist_array[v]**. **For loop** is exited and **'count'** is incremented by 1. Lastly, **while loop** is exited.

Output:

	0	1	2	3	4	5	6	7	8
	0	-1	-1	13	-1	-1	-1	-1	-1
	-1	Ø	-1	-1	14	6	-1	-1	-1
	-1	-1	0	9	-1	-1	-1	-1	-1
	13	-1	-1	0	-1	-1	-1	-1	9
	-1	14	-1	-1	0	-1	8	-1	-1
	-1	6	7	-1	-1	0	12	-1	-1
	-1	-1	-1	-1	8	-1	0	15	-1
	-1	-1	-1	-1	-1	-1	15	0	-1
	-1	-1	-1	-1	-1	11	-1	-1	0
	-1	-1	-1	-1	-1	-1	-1	-1	23
st t	o vert 25	ices: 17	29	6	7	16	20	0	12

Testing:

Following are calculated costs to all vertices when each vertex is considered initial node (source node) respectively:



Source Node 3: vertex 0' 1 2 3 cost 13 26 27 0	4 5 6 1
Source Node 4: vertex 0 1 2 3 cost 49 14 27 36	Verified 4 5 6 7 8 9 0 20 8 23 45 37
Source Node 5: Verten 0 1 2 3 4 Cost 29 6 7 16 70	2 9
Source Node 6. V Vertex 0 2 3 L cost 57 22 35 44 8	verified 1 5 6 7 8 9 28 0 15 53 45
Source Node 7: V verten 0 1 2 3 cost 72 37 50 59 3	456789
Source Node 8: V	56789
Cost 40 17 18 27 31 Source Node 9: V Vertex 0 1 2 3 4 Cost 63 40 41 50 5	verified

Resources:

Following resources have been consulted to better understand Dijkstra's algorithm:

- Class lecture.
- ❖ Data Structure using C by Reema Theraja, 2nd Edition.

THE END