# **Logic programming exercise (PROP HT2014)**

Your task is to define a set of predicates for handling set operations. The following predicates are required:

union(+A,+B,-C): C is the union of A and B.

## Example:

```
?- union([a,b,c], [b,c,d,e], C).

C = [a,b,c,d,e]
```

Note: There should be no duplicates in the resulting list. You may assume that the two first lists do not contain duplicates.

intersection (+A,+B,-C): C is the intersection of A and B.

## Example:

```
?- intersection([a,b,c], [c,d,e,b], C).

C = [b,c]
```

difference(+A,+B,-C): C is the set of elements in A that are not present in B.

### Example:

```
?- difference([b,a,c], [b,d,c,e], C).
C = [a]
```

subset(+A,+B): A is a subset of B.

#### Example:

```
?- subset([b,c], [c,d,b,e]). yes
```

equal(+A,+B): the set A is equal to the set B.

# Example:

```
?- equal([a,b,c], [c,a,b]). yes
```

cartesian\_product(+A,+B,?C): C is the set of all possible pairs that can be formed of the elements in A and B.

#### Example:

```
?- cartesian_product ([a,b,c], [1,2], C).

C = [(a,1), (a,2), (b,1), (b,2), (c,1), (c,2)]
```

Hint: for each element in the first list, you may use a predicate make\_pairs(X,M,P) that produces a list of pairs in the following way: make\_pairs(a, [1,2], P) results in P = [(a,1), (a,2)], after which the generated lists are appended.