

project

Project Instructions

You work for Motor Trend, a magazine about the automobile industry. Looking at a data set of a collection of cars, they are interested in exploring the relationship between a set of variables and miles per gallon (MPG) (outcome). They are particularly interested in the following two questions:

"Is an automatic or manual transmission better for MPG"

"Quantify the MPG difference between automatic and manual transmissions"

Loading mtcars dataset

```
data("mtcars")
head(mtcars)
```

```
##           mpg cyl disp  hp drat   wt  qsec vs am gear carb
## Mazda RX4      21.0   6  160 110 3.90 2.620 16.46  0  1    4    4
## Mazda RX4 Wag  21.0   6  160 110 3.90 2.875 17.02  0  1    4    4
## Datsun 710      22.8   4  108  93 3.85 2.320 18.61  1  1    4    1
## Hornet 4 Drive  21.4   6  258 110 3.08 3.215 19.44  1  0    3    1
## Hornet Sportabout 18.7   8  360 175 3.15 3.440 17.02  0  0    3    2
## Valiant         18.1   6  225 105 2.76 3.460 20.22  1  0    3    1
```

Analysis

```
library(ggplot2)
library(dplyr)
```

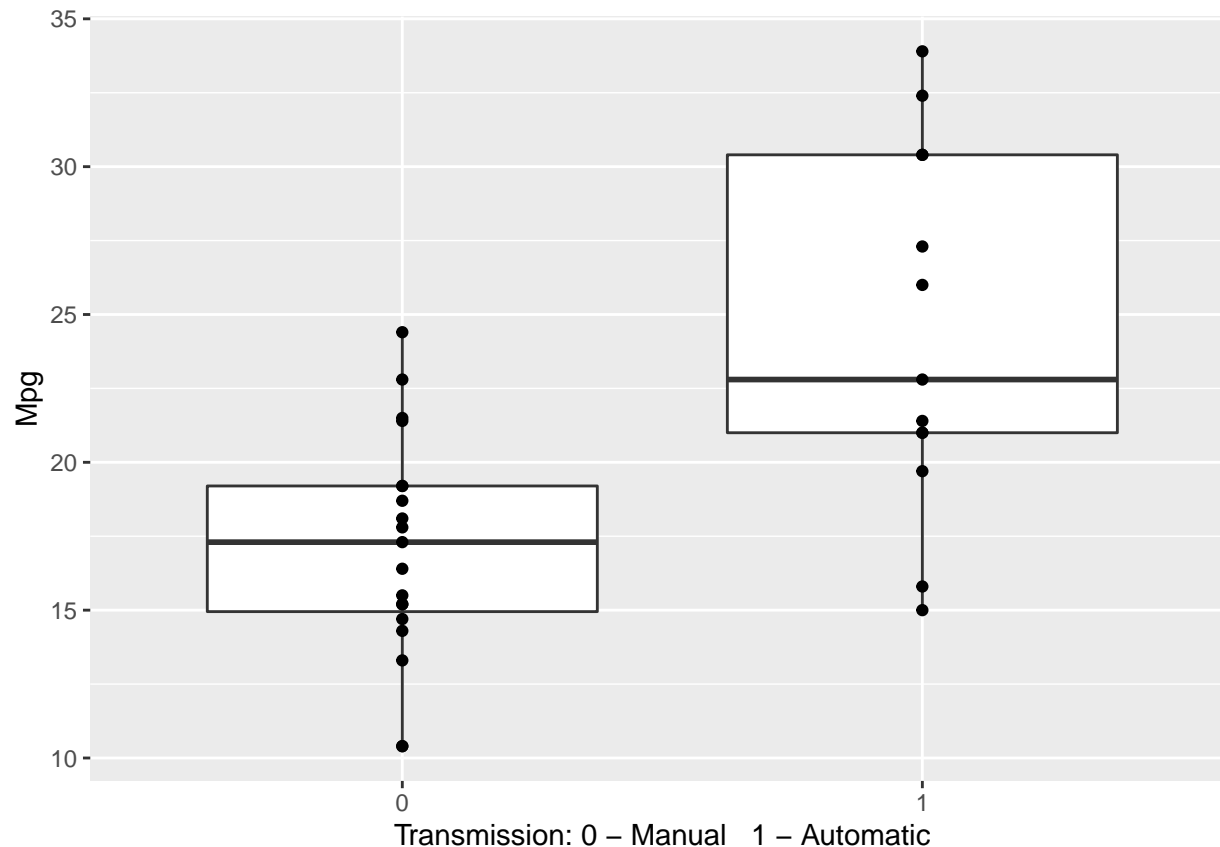
```
##
## Attaching package: 'dplyr'

## The following objects are masked from 'package:stats':
##
##   filter, lag

## The following objects are masked from 'package:base':
##
##   intersect, setdiff, setequal, union
```

Exploring relationship between transmission and MPG

```
mpg_vs_am <- mtcars %>% select(mpg, am) %>% mutate(am = as.factor(am))
ggplot(data = mpg_vs_am, aes(x=am, y=mpg))+
  geom_boxplot() + geom_point()+
  xlab("Transmission: 0 - Manual    1 - Automatic")+
  ylab("Mpg")
```



Modeling

```
data <- mtcars %>% mutate(
  cyl = as.factor(cyl),
  vs = as.factor(vs),
  am = as.factor(am),
  gear = as.factor(am),
  carb = as.factor(carb))

fit_all <- lm(mpg ~ ., data = data)
summary(fit_all)$coef[,4]
```

```
## (Intercept)      cyl6      cyl8      disp      hp      drat
## 0.19839130 0.30216963 0.73788849 0.20273076 0.08080569 0.56166020
##      wt      qsec      vs1      am1      carb2      carb3
## 0.06114523 0.68543556 0.42300239 0.39689475 0.89500323 0.36651388
##      carb4      carb6      carb8
## 0.68216100 0.35952172 0.29327663
```

As none of the variables have a p-value less than 5%, we would have to remove most insignificant variables one by one.

```
which.max(summary(fit_all)$coef[,4])
```

```
## carb2
##      11
```

```
data <- data %>% select(-carb)
fit <- lm(mpg ~. , data = data)
summary(fit)$coef[,4]
```

```
## (Intercept)      cyl6      cyl8      disp      hp      drat
##  0.19323159  0.46992153  0.90252093  0.62551156  0.10399230  0.69939226
##           wt      qsec      vs1      am1
##  0.03690757  0.45639538  0.56269576  0.11966558
```

```
which.max(summary(fit)$coef[,4])
```

```
## cyl8
##      3
```

we now have on significant variable which is wt and we will continue this process to come up with the significant variables

```
data <- data %>% select(-cyl); fit <- lm(mpg ~. , data = data); summary(fit)$coef[,4]; which.max(summary(fit)$coef[,4])
```

```
## (Intercept)      disp      hp      drat      wt      qsec
##  0.326616519  0.238211942  0.147781592  0.503756614  0.004567014  0.168194583
##           vs1      am1
##  0.750269228  0.082435144
```

```
## vs1
##      7
```

```
data <- data %>% select(-vs); fit <- lm(mpg ~. , data = data); summary(fit)$coef[,4]; which.max(summary(fit)$coef[,4])
```

```
## (Intercept)      disp      hp      drat      wt      qsec
##  0.338475309  0.244054196  0.149381426  0.462401185  0.002536163  0.049550895
##           am1
##  0.079692318
```

```
## drat
##      4
```

```
data <- data %>% select(-drat); fit <- lm(mpg ~. , data = data); summary(fit)$coef[,4]; which.max(summary(fit)$coef[,4])
```

```
## (Intercept)      disp      hp      wt      qsec      am1
##  0.152378367  0.298972150  0.156387279  0.002075008  0.043907652  0.027487809
```

```
## disp
##      2
```

```
data <- data %>% select(-disp); fit <- lm(mpg ~. , data = data); summary(fit)$coef[,4]; which.max(summary(fit)$coef[,4])
```

```
## (Intercept)      hp      wt      qsec      am1
##  0.072149342  0.223087932  0.001141407  0.075731202  0.045790788
```

```
## hp
## 2
```

```
data <- data %>% select(-hp); fit <- lm(mpg ~. , data = data); summary(fit)$coef[,4]; which.max(summary
```

```
## (Intercept)          wt          qsec          am1
## 1.779152e-01 6.952711e-06 2.161737e-04 4.671551e-02
```

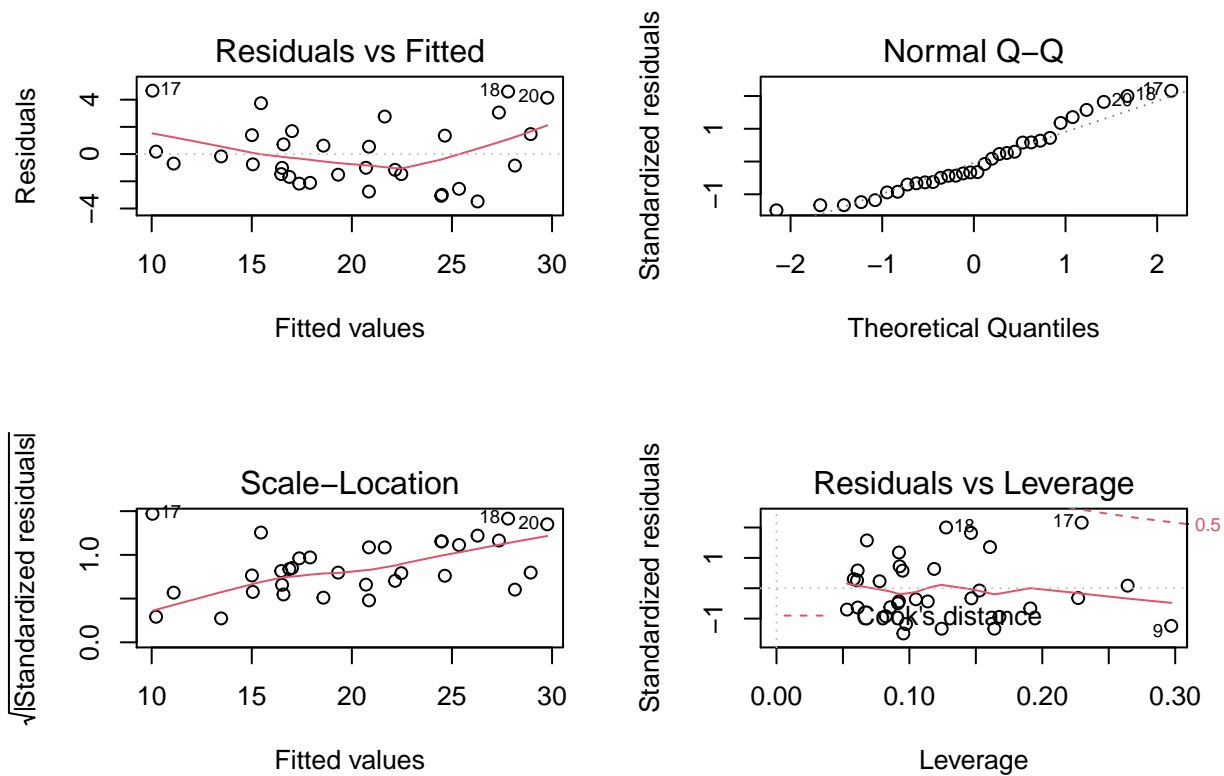
```
## (Intercept)
##           1
```

No we have only significant variables which are wt, qsec, am

```
summary(fit)
```

```
##
## Call:
## lm(formula = mpg ~ ., data = data)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -3.4811 -1.5555 -0.7257  1.4110  4.6610
##
## Coefficients: (1 not defined because of singularities)
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept)   9.6178      6.9596   1.382 0.177915
## wt           -3.9165      0.7112  -5.507 6.95e-06 ***
## qsec           1.2259      0.2887   4.247 0.000216 ***
## am1            2.9358      1.4109   2.081 0.046716 *
## gear1          NA           NA      NA      NA
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 2.459 on 28 degrees of freedom
## Multiple R-squared:  0.8497, Adjusted R-squared:  0.8336
## F-statistic: 52.75 on 3 and 28 DF,  p-value: 1.21e-11
```

```
par(mfrow = c(2, 2))
plot(fit)
```



The QQ plot shows a pretty good correlation of the standardized and theoretical residuals. There also doesn't seem to be any significant patterns in the other three plots, indicating a good fit of the selected model

Conclusion

we can conclude that if weight and 1/4 mile time are same for the two transmission, the manual transmission car will have 2.9358 higher miles/gallon than the automatic transmission car.