

1. Rather than build a subgraph one edge at a time builds a tree one vertex at a time.

- ☐ A Kruskals
- ☐ B Prim
- ☐ C Dijkstra
- ☐ D Bellman Ford

2. is known as a greedy algorithm, because it chooses at each step the cheapest edge to add to subgraph S.

- ☐ A Kruskals
- ☐ B Prims
- ☐ C Dijkstra
- ☐ D Bellman Ford

3. turns out that one can find the shortest paths from a given source to all points in a graph in the same time.

- ☐ A Kruskals
- ☐ B Prims
- ☐ C Dijkstra
- ☐ D Bellman Ford

4. keeps two sets of vertices; S, the set of vertices whose shortest paths from the source have already been determined and V-S, the remaining vertices.

- ☐ A Kruskals
- ☐ B Prims
- ☐ C Dijkstra
- ☐ D Bellman Ford

5. is a more generalized single source shortest path algorithm which can find the shortest path in a graph with negative weighted edges.

- ☐ A Kruskals
- ☐ B Prims
- ☐ C Dijkstra
- ☐ D Bellman Ford

6. A sample application of algorithm is to solve critical path problem, i.e. finding the longest path through a DAG.

- ☐ A Dijkstra
- ☐ B Acyclic SP
- ☐ C Bellman Ford
- ☐ D Prims

7. In, a directed graph G is acyclic if and only if a DFS of G yields no back edge.

- ☐ A Topological sort Problem
- ☐ B Graph transpose problem
- ☐ C Strongly connected components
- ☐ D Euler path problem

8. solves the problem of finding the shortest path from a point in a graph to a destination.

- ☐ A Kruskals
- ☐ B Prims
- ☐ C Dijkstra
- ☐ D Bellman Ford

9. is a most generalized single source shortest path algorithm to find the shortest path in a graph even with negative weights.

- ☐ A Kruskals
- ☐ B Bellman Ford
- ☐ C Acyclic Sp
- ☐ D All of the above

10. Dijkstra algorithm is also called the shortest path problem.

- ☐ A Multiple source
- ☐ B Single source
- ☐ C Multiple destination
- ☐ D All the above