

(56)

3, 7, 9, 9, 11[↑], 17[↑], 29, 85

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Algorithm for selection sort: sorting the array in ascending order.

~~for i ← 1 to n-1 do~~
~~min~~

for i ← 1 to n-1 do

min j ← i;

min n ← A[i]

for j ← i+1 to n do

if A[j] < min n then

min j ← j

min n ← A[j]

end

end

A[min j] ← A[i]

A[i] ← min n

end

◉ Insertion Sort:

Algorithm Insertion Sort(A)

for $j = 2$ to A Length

$key = A[j]$

 while $i > 0$ and $A[i] > key$

$A[i+1] = A[i]$

$i = i - 1$

 end

$A[i+1] = key$

end

Algorithm (Merge Sort) sorted

Algorithm merge-sort ($A, low, high$)
if $low < high$ then

mid $\leftarrow \lfloor (low + high) / 2 \rfloor$

merge-sort (A, low, mid)

merge-sort ($A, mid+1, high$)

combine ($A, low, mid, high$)

end

$l1 = low$

$l2 = mid + 1$

for $i = l1$ to $high$ do

for $i = 1$ to l_1 do
 $\text{Left}[i] \leftarrow A[\text{low} + i - 1]$
end.

for $j = 1$ to l_2 do
 $\text{Right}[j] \leftarrow A[\text{mid} + j]$
end.

for $k = \text{low}$ to high do
 if $\text{Left}[i] \leq \text{Right}[j]$ then
 $B[k] \leftarrow \text{Left}[i]$
 $i = i + 1$

else

$B[k] \leftarrow \text{Right}[j]$
 $j = j + 1$

end

end

$l_2 =$

②

if $A[\text{mid}] = \text{Key}$ then

Return mid

else if $A[\text{mid}] < \text{Key}$ then

$\text{low} = \text{mid} + 1$

else

$\text{high} = \text{mid} - 1$

end

end

Return 0.

①

$\text{low} \leftarrow 1$

$\text{high} \leftarrow n$

while $\text{low} < \text{high}$ do

$\text{mid} = \frac{\text{low} + \text{high}}{2}$

iteration method

B Search

	1	2	3	4	5	6	7	8
A =	11	22	33	44	55	66	77	88

Key = 33

⊗ Finding Minimum and Maximum

Algorithm $\text{max-min}(A[1 \dots n], \text{max}, \text{min})$

$\text{max} \leftarrow \text{min} \leftarrow A[1]$

for $(i \leftarrow 2 \text{ to } n)$ do

{

if $(A[i] > \text{max})$ then

$\text{max} \leftarrow A[i]$ // obtaining max value

if $(A[i] < \text{min})$ then

$\text{min} \leftarrow A[i]$ // obtaining min value

}

}

Greedy-Fractional-Knapsack ($w(1..n)$, $p(1..n)$, w)

weight = 0

for $i = 1$

if weight + $w[i]$ $\leq w$ then

$n[i] = 1$

weight = weight + $w[i]$

}

else {

$n[i] = w - \text{weight} / w[i]$

}

weight = w

break

return n

}

En:

Algorithm JOB_SCHEDULING(J, D, P)

// Description: Schedule the jobs using greedy approach which maximizes the profit

// Input: J: Array of N jobs

D: Array of deadline for each job

P: Array of profit associated with each job

Sort all jobs in J in decreasing order of profit

If job does not miss its deadline

$S \leftarrow \emptyset$ // S is set of scheduled jobs, initially it is empty

$SP \leftarrow 0$ // Sum is the profit earned

Add job to solution set

for $i \leftarrow 1$ to N do

if Job J[i] is feasible then

Schedule the job in latest possible free slot meeting its deadline.

$S \leftarrow S \cup J[i]$

$SP \leftarrow SP + P[i]$

Add respective profit

end

end

Algorithm FLOYD_APSP (L)

// L is the matrix of size $n \times n$ representing original graph

// D is the distance matrix

$D \leftarrow L$

for $k \leftarrow 1$ to n do

 for $i \leftarrow 1$ to n do

 for $j \leftarrow 1$ to n do

$D[i, j]^k \leftarrow \min (D[i, j]^{k-1}, D[i, k]^{k-1} + D[k, j]^{k-1})$

)

 end

end

end

return D

Algorithm:

sumofsubset(s,k,r)

{

$X[k]=1;$

 if $(s+W[k]=m)$ then write($X[1:k]$);

 else if $(s+W[k]+W[k+1]\leq m)$

 then sumofsubset($s+W[k], k+1, r-W[k]$);

 if $((s+r-W[k]\geq m) \text{ and } (s+W[k+1]\leq m))$ then

 {

$X[k]=0;$

 sumofsubset($s, k+1, r-W[k]$);

 }

}

described below :

Algorithm NAIVE_STRING_MATCHING(T, P)

// T is the text string of length n

// P is the pattern of length m

for $i \leftarrow 0$ to $n - m$ do

 if $P[1...m] == T[i+1...i+m]$ then

 print "Match Found"

 end

end

 Complexity analysis