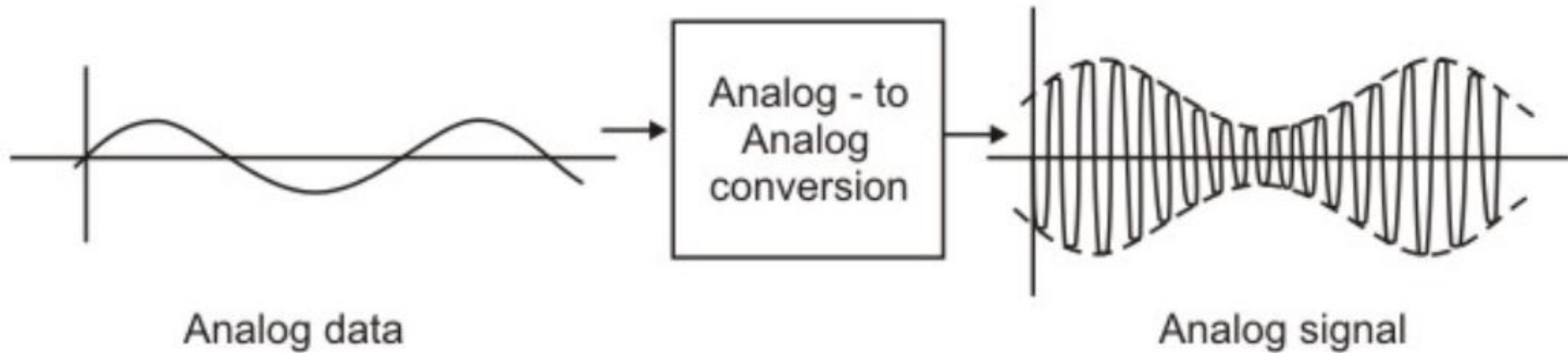


## Transmission of Analog Signals - I

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# Analog Data – Analog Signal



- The Process is known as modulation, which involves manipulation of one or more of the parameters of the carrier that characterizes a analog signal.

# Why Modulation?



- **Frequency Translation:** Translates the signal from one region of frequency domain to another region.

# Why Modulation?



- **Practical Size of Antenna:** Modulation translates the baseband signal to higher frequency, which can be transmitted through a bandpass channel using an antenna of smaller size.

# Why Modulation?



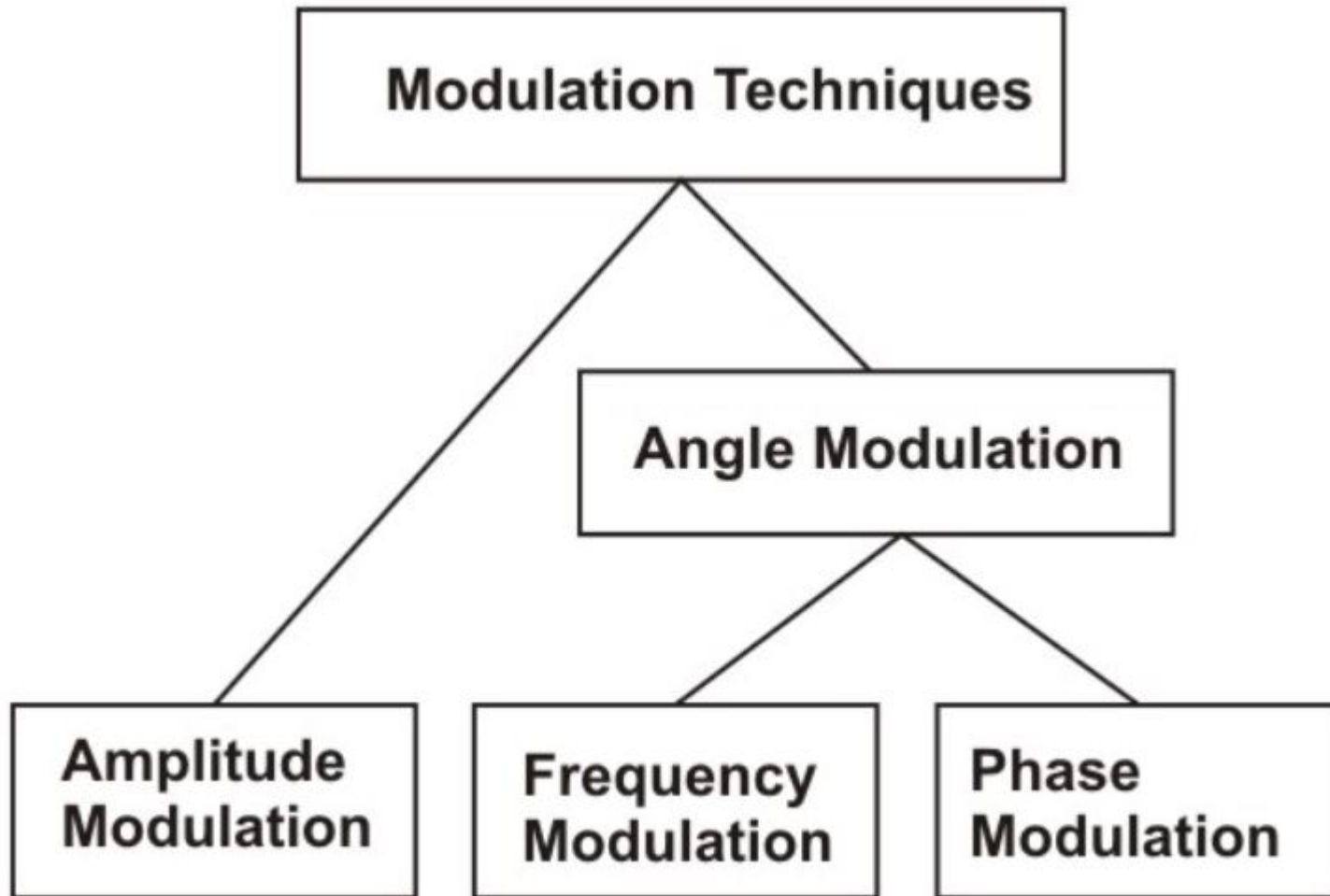
- **Narrowbanding:** Ratio between highest to lowest frequency becomes close to 1.

# Why Modulation?

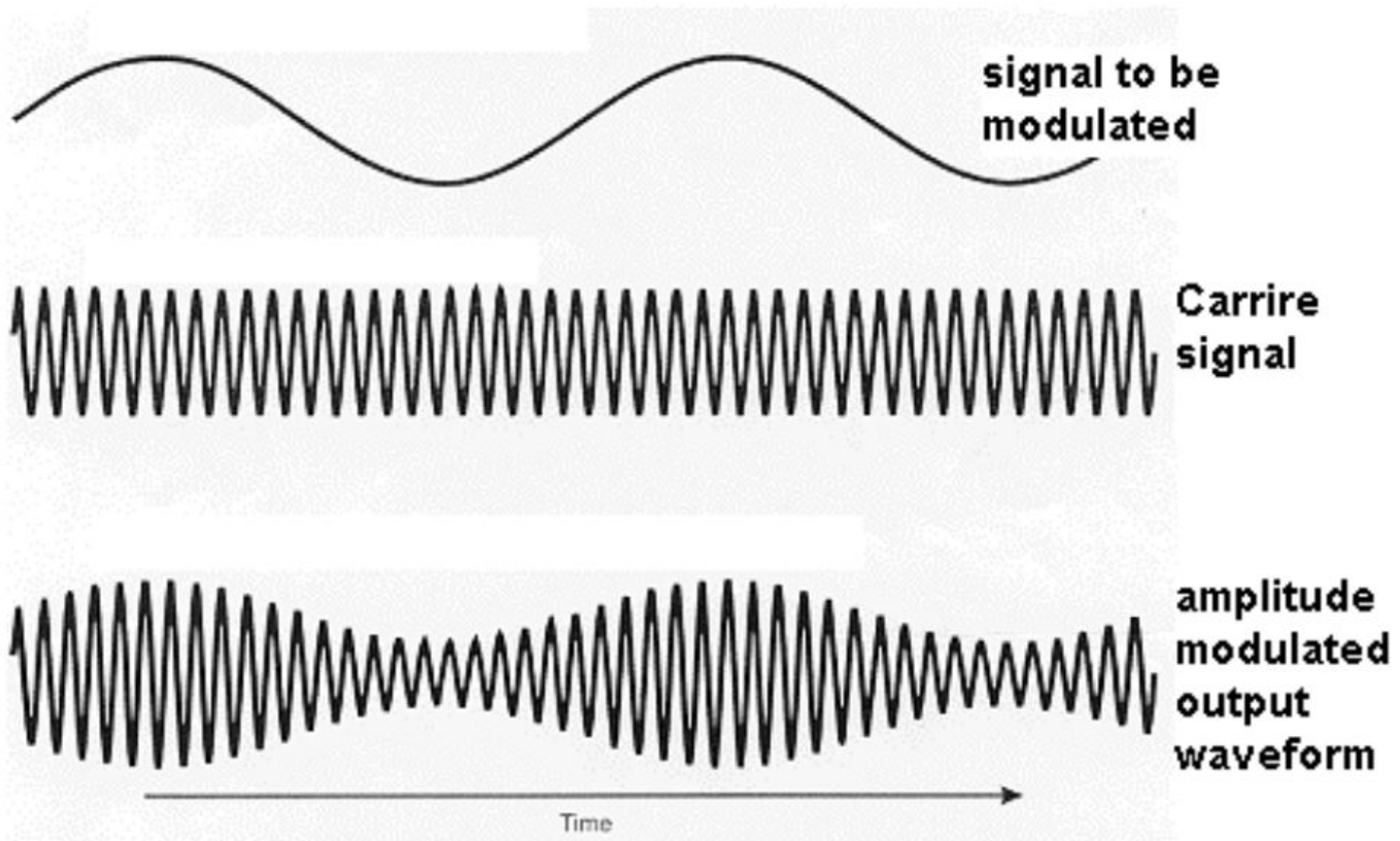


- **Multiplexing:** Modulation allows frequency-division multiplexing.

# Modulation Techniques



# Amplitude Modulation





# Modulation Using a Sinusoid Signal



Let the modulation waveform is given by

$$e_m(t) = E_m \cos(2\pi f_m t)$$

And the carrier signal is given by

$$e_c(t) = E_c \cos(2\pi f_c t + \phi_c)$$

Then the equation of the modulated signal is given by

$$s(t) = (E_c + E_m \cos 2\pi f_m t) \cos 2\pi f_c t$$

# Modulation Index

The Modulation Index, represented by  $m$ , is given by

$$m = \frac{E_{max} - E_{min}}{E_{max} + E_{min}} = E_m / E_c$$

Where

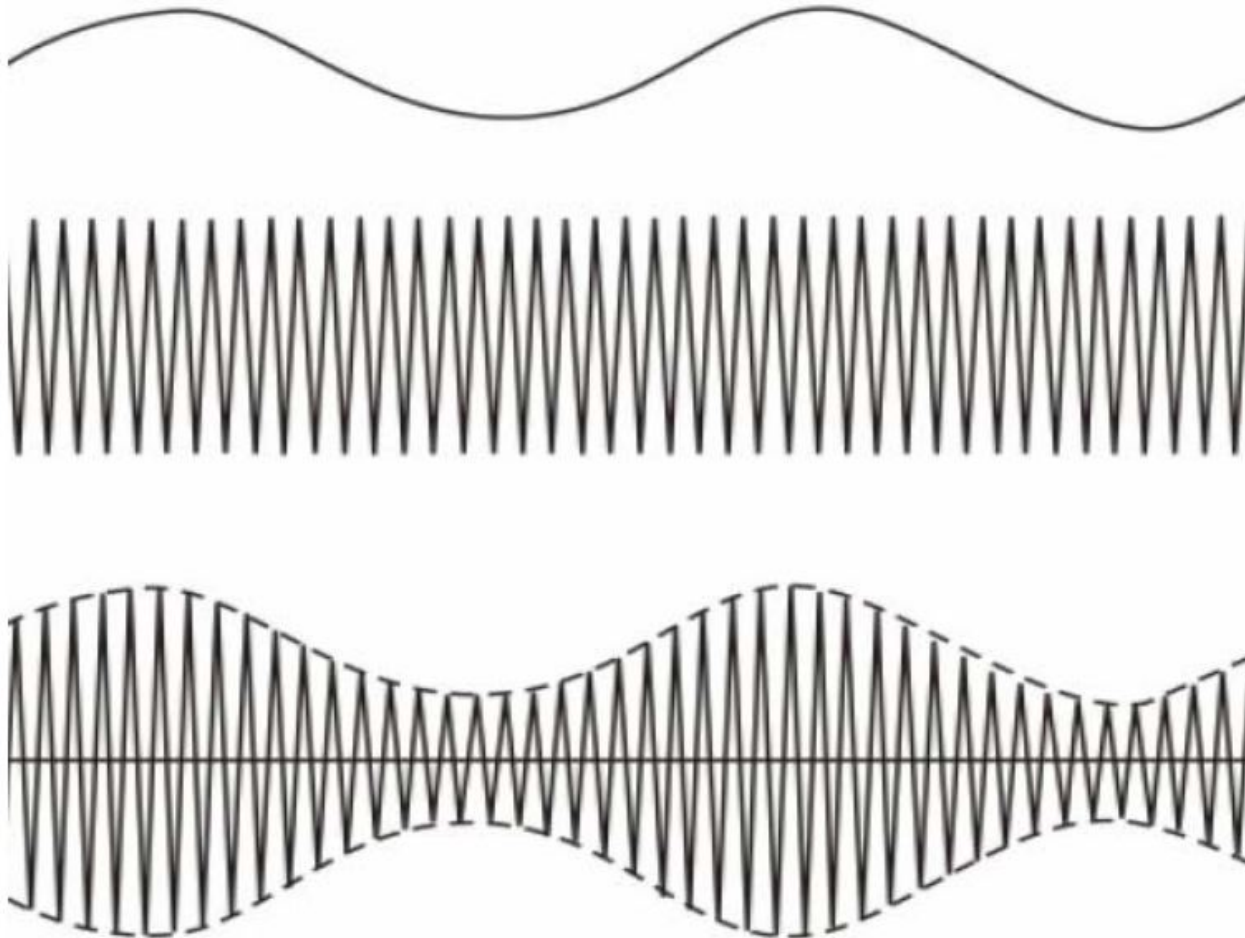
$$E_{max} = E_c + E_m, \quad E_{min} = E_c - E_m$$

And  $s(t) = E_c(1 + m \cos 2\pi f_m t) \cos 2\pi f_c t$ ,

The envelope of the modulated signal is represented by  $1 + me_m(t)$  for  $m < 1$

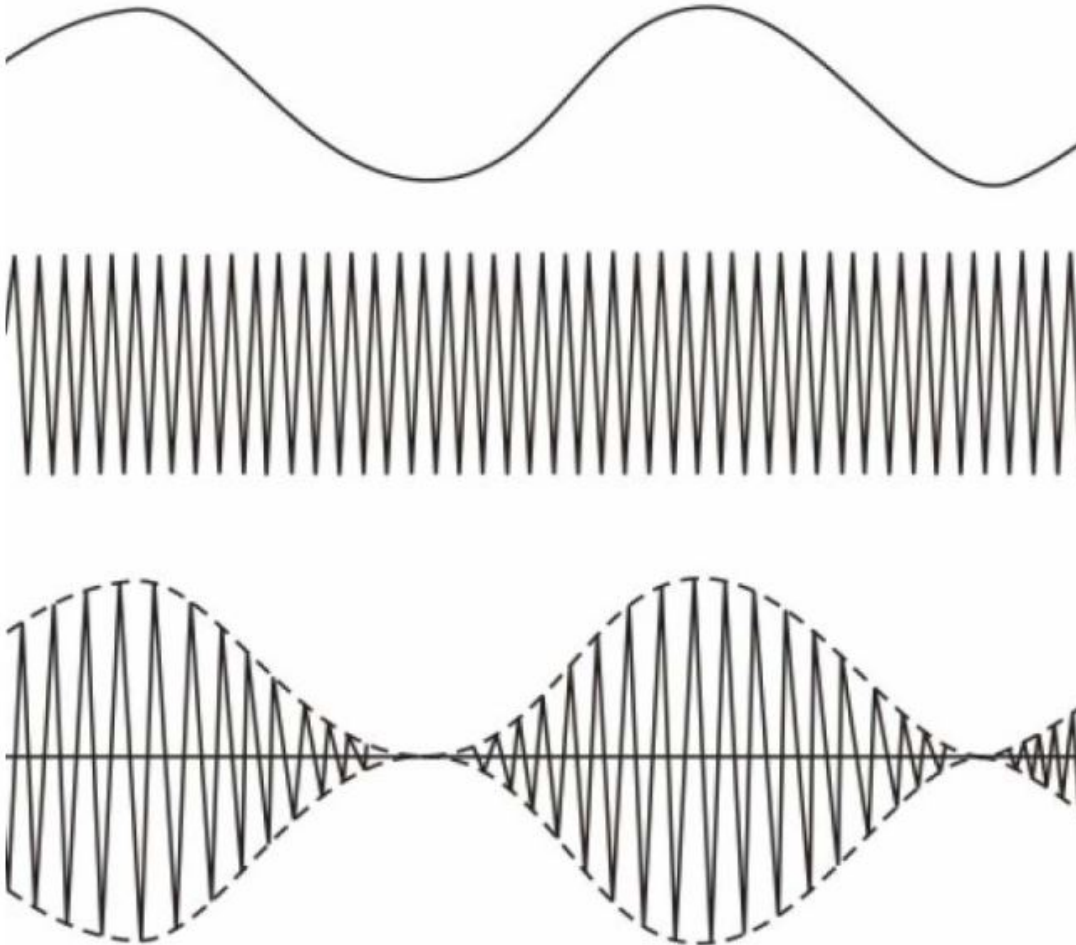
# Modulation Index

Envelope of the signal  $1 + me_m(t)$  for  $m < 1$



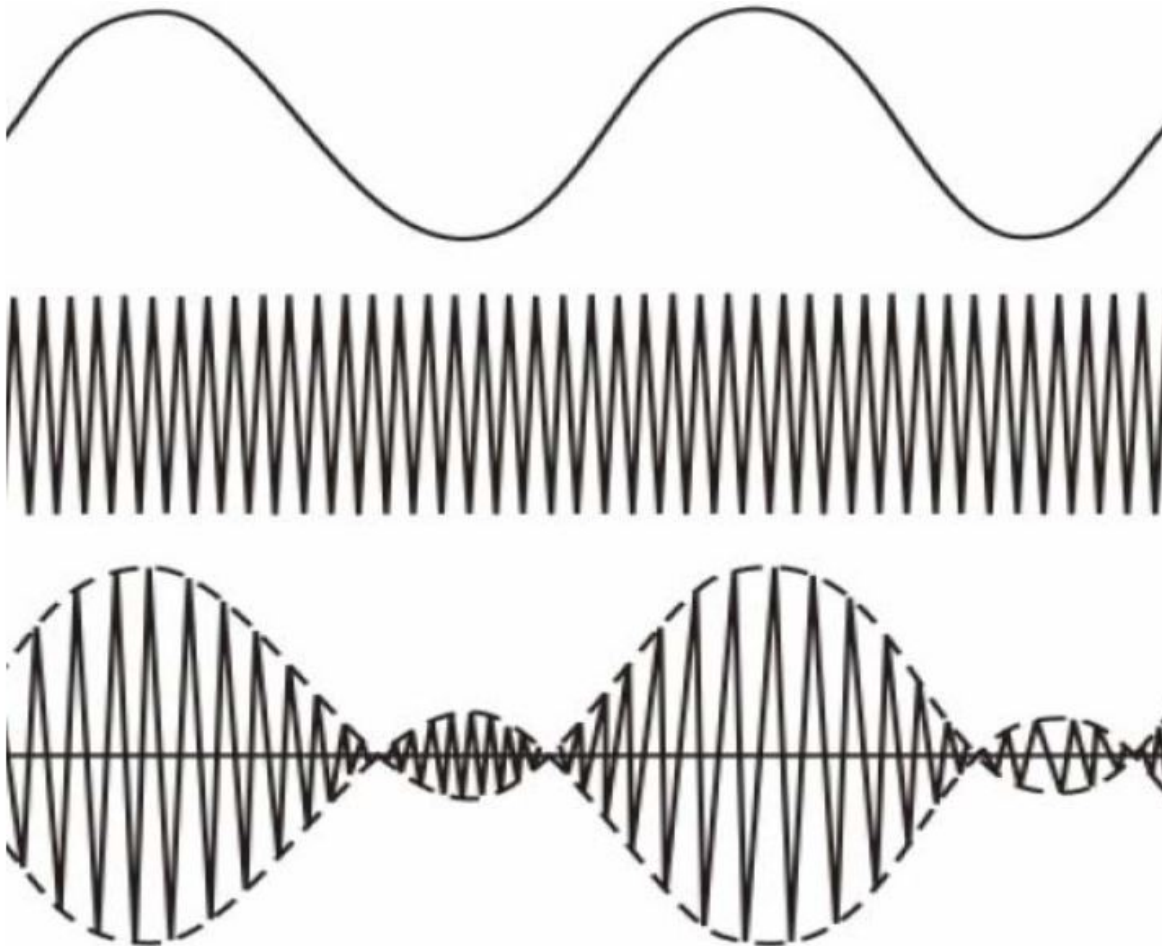
# Modulation Index

## Envelope of the signal for $m = 1$



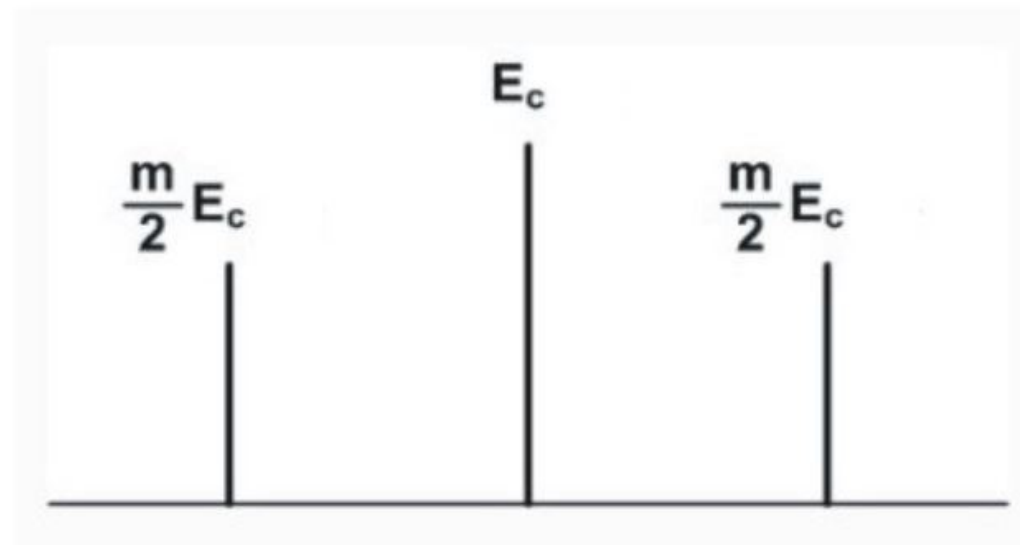
# Modulation Index

Loss of information occurs when  $m > 1$



# Frequency Spectrum

- Three Components:
  - Carrier wave of amplitude  $E_c$
  - Lower Sideband of amplitude  $\frac{m}{2} E_c$
  - Higher Sideband of amplitude  $\frac{m}{2} E_c$



# Frequency Spectrum

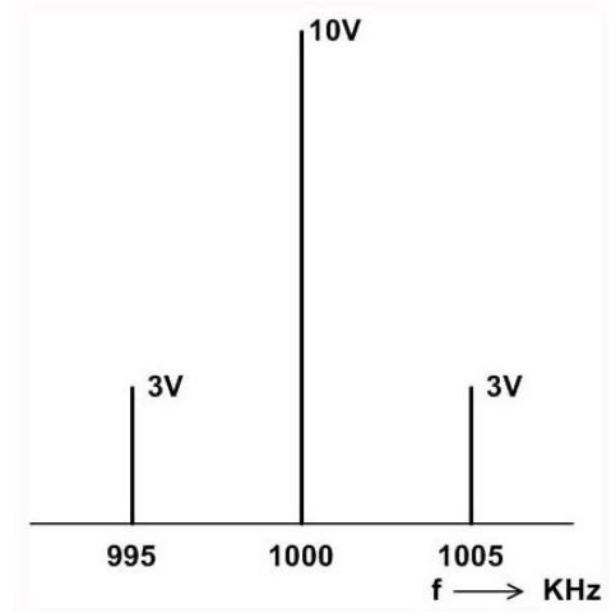
- Frequency Spectrum of the sinusoidal AM signal

$$\begin{aligned} s(t) &= E_c [1 + m \cos 2\pi f_m t] \cos 2\pi f_c t \\ &= E_c \cos 2\pi f_c t + m E_c \cos 2\pi f_m t \cos 2\pi f_c t \\ &= E_c \cos 2\pi f_c t + \frac{m}{2} E_c \cos 2\pi (f_c - f_m) t \\ &\quad + \frac{m}{2} E_c \cos 2\pi (f_c + f_m) t \end{aligned}$$

- There are three frequency components.

# Frequency Spectrum

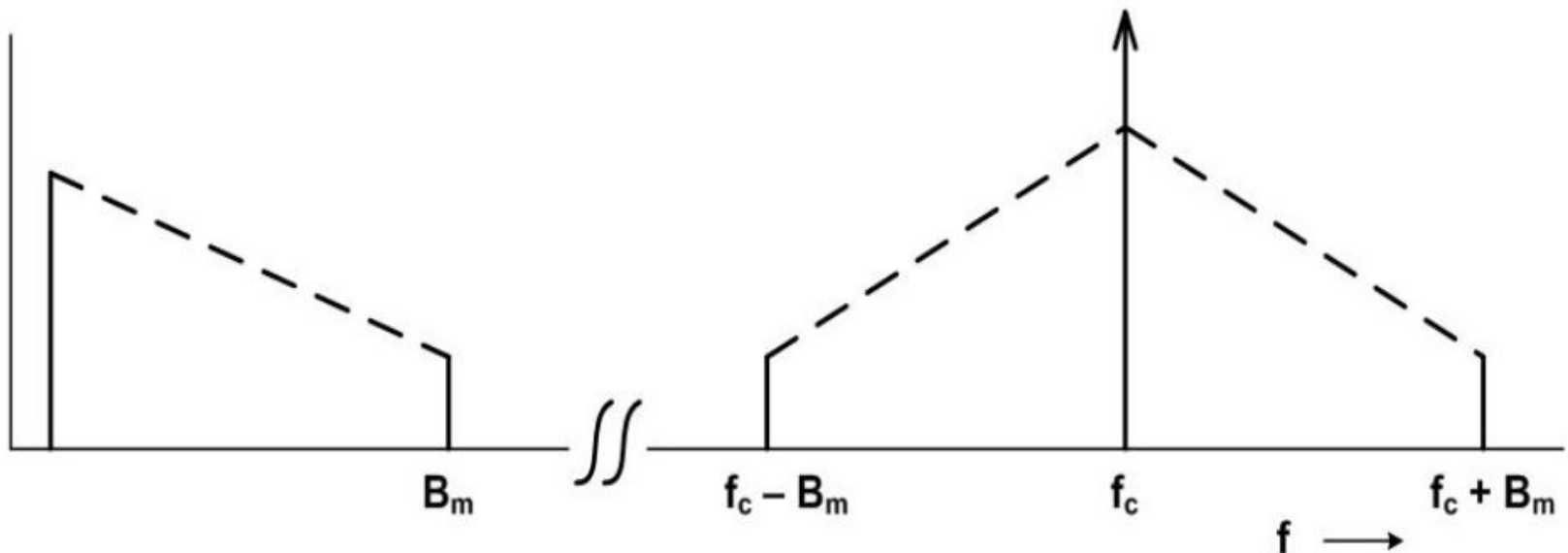
- **Example:** A carrier of 1 MHz with peak value of 10V is modulated by a 5 KHz sine wave amplitude 6V. Determine the modulation index and frequency spectrum.
- **Answer:**  $m = 6/10 = 0.6$ .  
The side frequencies are  $(1000 - 5) = 995$  KHz and  $(1000 + 5) = 1005$  KHz having amplitude of  $0.6 \times 10/2 = 3V$





# Modulation using Audio Signal

- Let the bandwidth of the modulating signal is  $B_m$ .
- The bandwidth of the modulated signal is  $2B_m$ .



# Average power of the sinusoidal wave

Average power developed across a resistor  $R$  for the carrier signal

$$P_c = E_c^2 / 2R$$

For sideband frequencies  $P_{SF} = (mE_c/2)^2 / 2R$   
 $= P_c m^2 / 4$

Total Power =  $P_c(1 + 2(m^2/4)) = P_c(1 + m^2/2)$

# DSBSC and SSB Transmission

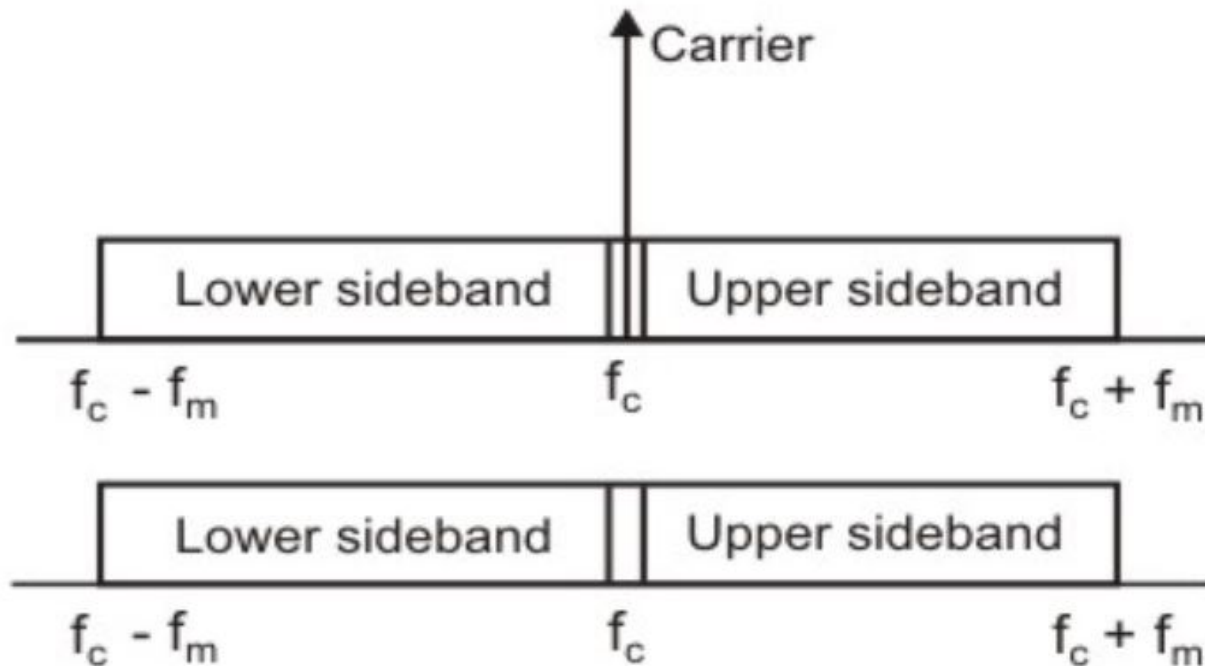


To minimize power for transmission, there are two other alternatives:

- Double-Sideband with Suppressed Carrier (DSBSC) Modulation
- Single Side Band (SSB) Modulation

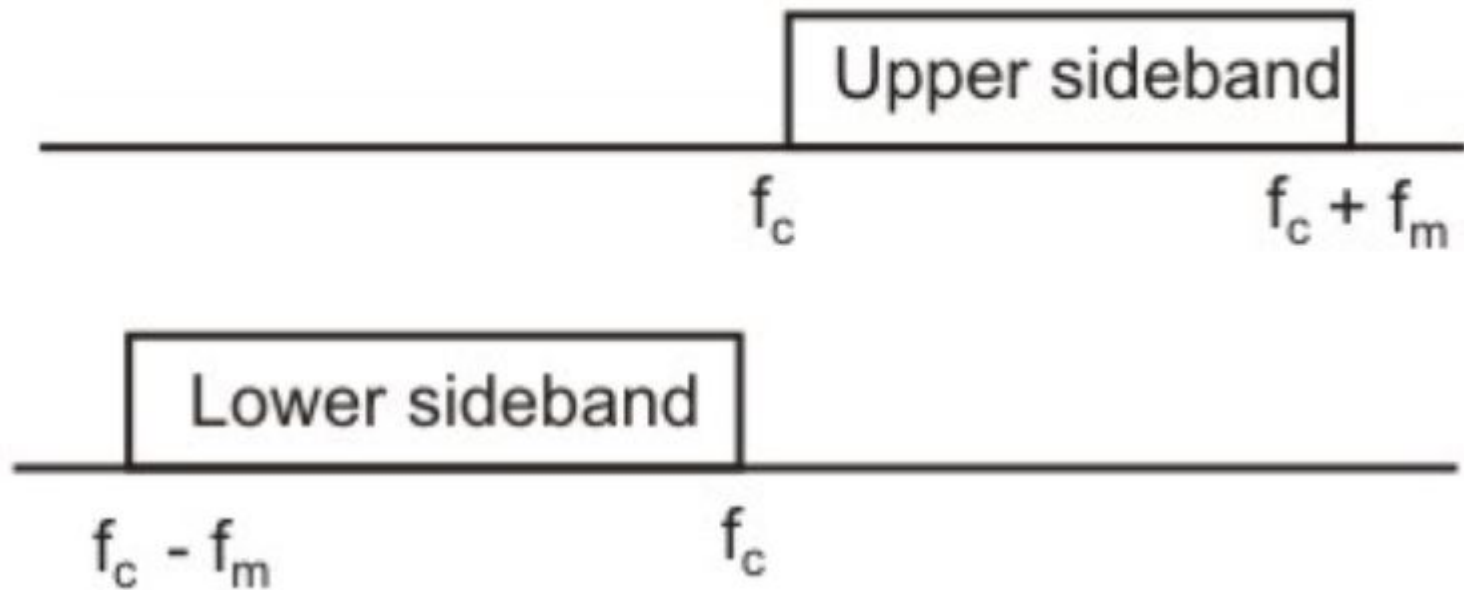
# DSBSC Modulation

- Double-Sideband with Suppressed Carrier (DSBSC) Modulation utilizes the transmitted power more efficiently than DSB AM.



# SSB Modulation

- Single Side Band (SSB) Modulation not only conserves energy, it also reduces bandwidth.



# Recovery of the Baseband Signal



- Let a baseband signal  $m(t)$  is translated out by multiplication with the carrier signal  $\cos W_c t$  to get  $m(t)\cos W_c t$ , the modulated signal.
- By multiplying second time with the carrier we get  $(m(t)\cos W_c t) \cos W_c t$

$$\begin{aligned} &= m(t)\cos^2 W_c t = m(t)\left(\frac{1}{2} + \frac{1}{2}\cos 2W_c t\right) \\ &= \frac{m(t)}{2} + \frac{1}{2}m(t)\cos 2W_c t \end{aligned}$$

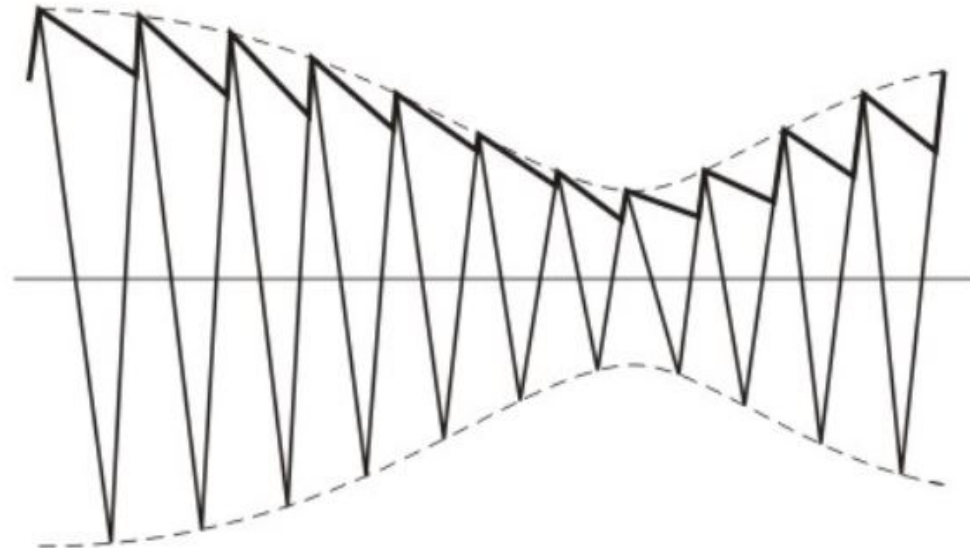
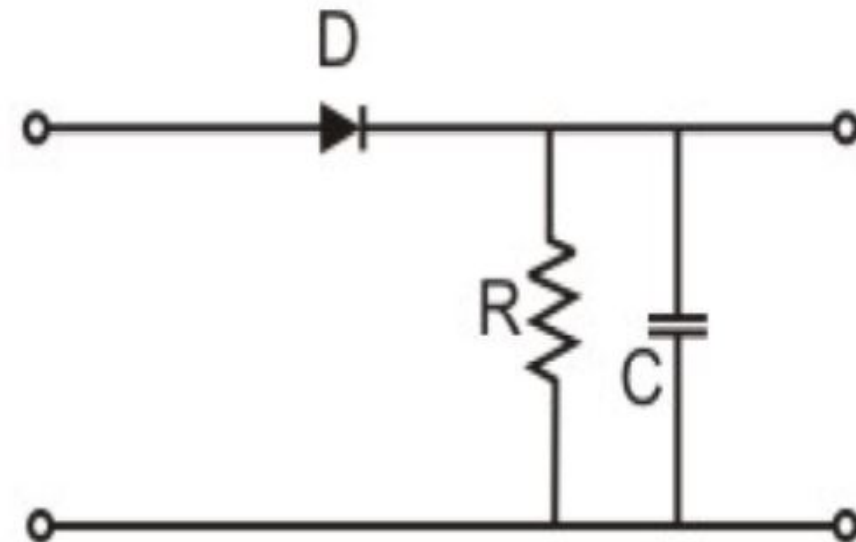
# Recovery of the Baseband Signal



- The baseband signal reappears.
- The spectral components  $2f_c - f_m$  to  $2f_c + f_m$  can be easily removed by a low-pass filter.
- This process is known as **Synchronous Detection**.

# Recovery of the Baseband Signal

- The synchronous detection approach has the disadvantage that the carrier signal used in the second multiplication has to be precisely synchronous.
- A very simple circuit can accomplish the recovery of the baseband signal.



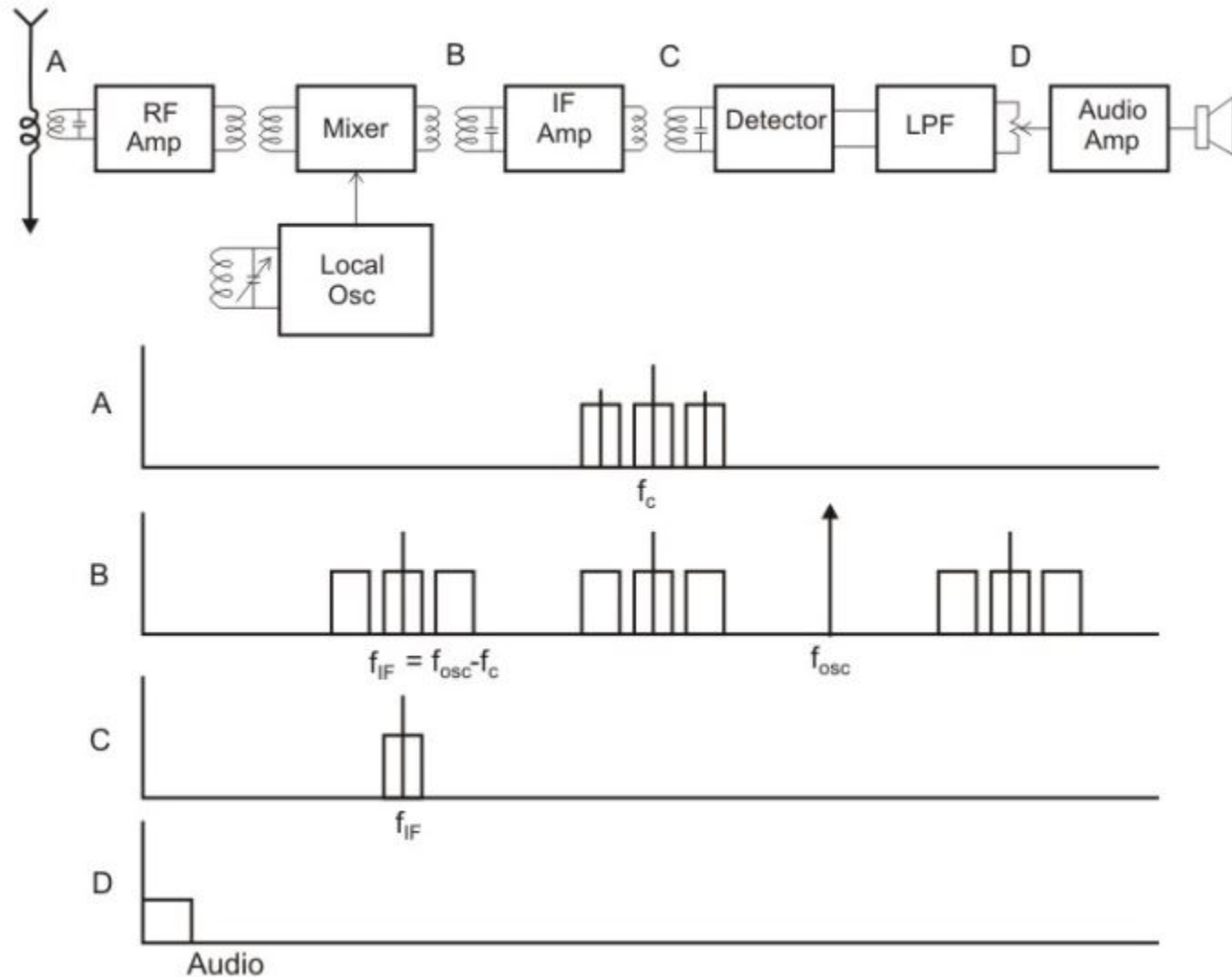


# Superhetrodyne Approach



- The modulated signal received at the receiving end is greatly attenuated and mixed with noise.
- There may be other channels adjacent to it.
- The signal has to be amplified before detection.
- The noises to be removed by suitable filtering.
- **Superhetrodyne** approach is commonly used.

# Superhetrodyne AM radio receiver

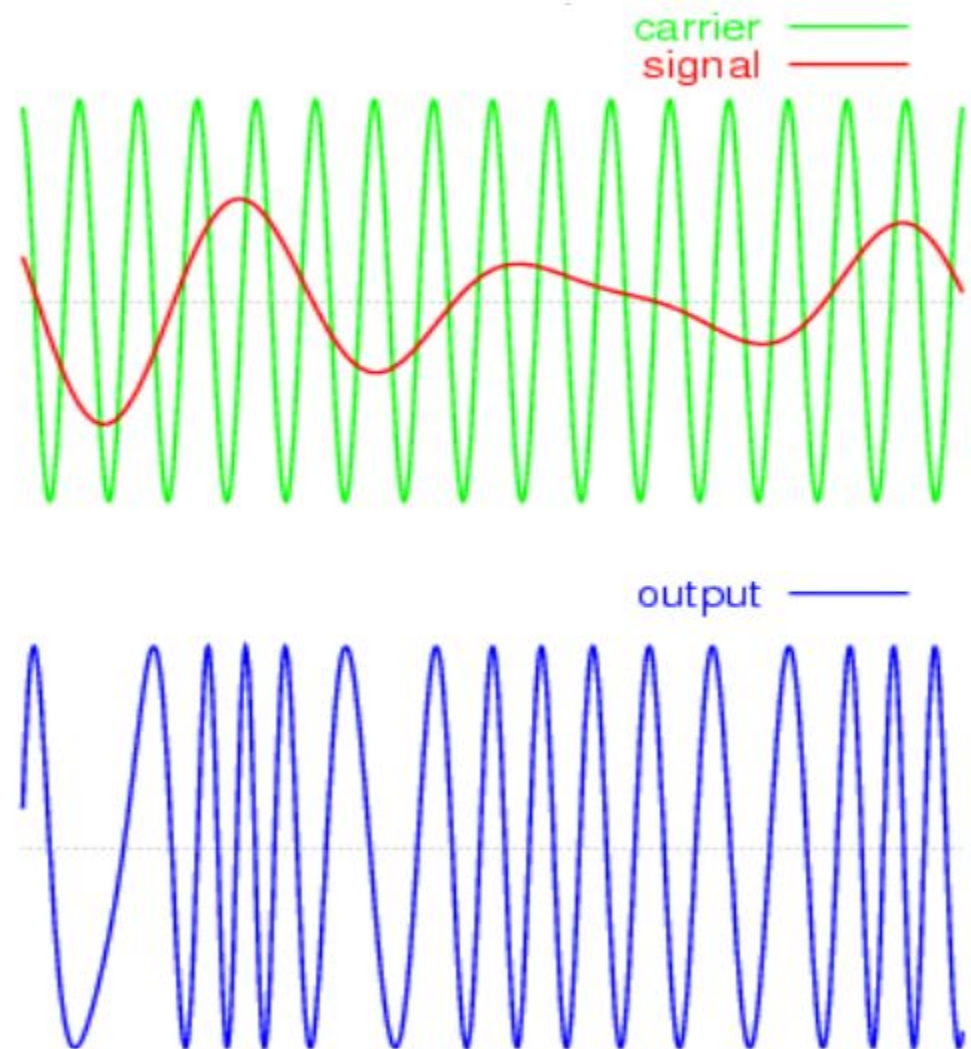


# Superhetrodyne Approach



- It is used to improve adjacent channel selection.
- To provide necessary gain.
- To provide better S/N ratio.
- The commonly used technique of the popular AM receivers.

# Angle Modulation



# Thanks!