– Nodos uniformemente distribuidos

 $\longrightarrow$  nodos1:makelist(-1 + 2\*i/8, i, 0, 8);

(nodos1) 
$$[-1, -\frac{3}{4}, -\frac{1}{2}, -\frac{1}{4}, 0, \frac{1}{4}, \frac{1}{2}, \frac{3}{4}, 1]$$

 $\rightarrow$  f(x):=2\*abs(x)+1;

$$(\% \ o2)$$
  $f(x) := 2|x| + 1$ 

 $\rightarrow$  imagenes1:makelist(f(nodos1[i]), i, 1, 9);

(imagenes1) 
$$[3, \frac{5}{2}, 2, \frac{3}{2}, 1, \frac{3}{2}, 2, \frac{5}{2}, 3]$$

 $\begin{array}{l} \longrightarrow & l1(i,x) := product((x-nodos1[j])/(nodos1[i]-nodos1[j]),j,1,i-1)*product((x-nodos1[j])/(nodos1[i]-nodos1[j]),j,i+1,9); \end{array}$ 

$$(\% \text{ o4}) \qquad 11(i,x) := \prod_{j=1}^{i-1} \frac{x - nodos1_j}{nodos1_i - nodos1_j} \prod_{j=i+1}^9 \frac{x - nodos1_j}{nodos1_i - nodos1_j}$$

p1(x) := sum(imagenes1[i]\*l1(i, x), i, 1, 9);

(% o5) 
$$\operatorname{p1}(x) := \sum_{i=1}^{9} imagenes1_{i} \operatorname{l1}(i, x)$$

Nodos de Chebyshev

 $\xrightarrow{\text{nodos2:makelist}(\cos((2*i+1)*\%\text{pi}/18), i, 0, 8);}$ 

(nodos2)

$$\left[\cos\left(\frac{\pi}{18}\right), \frac{\sqrt{3}}{2}, \cos\left(\frac{5\pi}{18}\right), \cos\left(\frac{7\pi}{18}\right), 0, \cos\left(\frac{11\pi}{18}\right), \cos\left(\frac{13\pi}{18}\right), -\frac{\sqrt{3}}{2}, \cos\left(\frac{17\pi}{18}\right)\right]$$

 $\longrightarrow$  imagenes2:makelist(f(nodos2[i]), i, 1, 9);

(imagenes 2)

$$[2\cos\left(\frac{\pi}{18}\right) + 1, \sqrt{3} + 1, 2\cos\left(\frac{5\pi}{18}\right) + 1, 2\cos\left(\frac{7\pi}{18}\right) + 1, 1, 1 - 2\cos\left(\frac{11\pi}{18}\right), 1 - 2\cos\left(\frac{13\pi}{18}\right), \sqrt{3} + 1, 1 - 2\cos\left(\frac{17\pi}{18}\right)]$$

 $\begin{array}{l} \longrightarrow & l2(i,x) := product((x-nodos2[j])/(nodos2[i]-nodos2[j]),j,1,i-1)*product((x-nodos2[j])/(nodos2[i]-nodos2[j]),j,i+1,9); \end{array}$ 

$$(\% \text{ o8}) \qquad \text{ l2}\left(i,x\right) := \prod_{j=1}^{i-1} \frac{x - nodos2_j}{nodos2_i - nodos2_j} \ \prod_{j=i+1}^9 \frac{x - nodos2_j}{nodos2_i - nodos2_j}$$

 $\rightarrow p2(x):=sum(imagenes2[i]*l2(i, x), i, 1, 9);$ 

(% o9) 
$$\mathrm{p2}(x) := \sum_{i=1}^{9} \mathit{imagenes2}_i 12\left(i,x\right)$$

 $\xrightarrow{} \quad \text{wxplot2d}([f(x), \ p1(x), \ p2(x)], \ [x,\text{-}1,1])\$$ 

