

Computer Science and Software Engineering Fundamentals

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Introduction

About the instructor

- Hovak
- Wrote the first program in 1996.
- Got it to run in 1998.
- Currently teaching in American University of Armenia

Course Outline

- Basic concepts
- Architecture
- Software Development Lifecycle

Session I

Outline

We are going to learn about:

- Number representations
- Boolean Algebra
- Hardware Components
- Processor Architecture

Learning Objectives

At the end of the session, you will be able to:

- Convert bases
- Identify hardware components
- Demonstrate the relationship between hardware and numbers.

What do these symbols mean?

1000

Hindu-Arabic Numeral System

- The decimal notation system we use in our everyday lives.
- Originally from India, it was brought to Europe by al-Khwarazmi
- The base for decimal is ten.
- It is a positional system: the position of a digit indicates the power of the base.



Muhammad ibn Musa al-Khwarizmi (c. 780-c. 850)

Decimal (Base-10)

534

Five hundred and thirty four

$$\begin{aligned} 534 &= 5 \times 100 + 3 \times 10 + 4 \times 1 \\ &= 5 \times 10^2 + 3 \times 10^1 + 4 \times 10^0 \end{aligned}$$

Decimal (Base-10)

534

Five hundred and thirty four

Digits are coefficients

$$\begin{aligned} 534 &= 5 \times 100 + 3 \times 10 + 4 \times 1 \\ &= 5 \times 10^2 + 3 \times 10^1 + 4 \times 10^0 \end{aligned}$$

10 is the base or radix

The powers are correlated with the positions

Decimal (Base-10)

534_{10}

The **base** or **radix** is 10

Means the number is represented by powers of 10 and their coefficients

Binary (Base-2)

1101_{10}
Implied radix is ten,
is often omitted.

$$\begin{aligned} &= 1 \times 1000 + 1 \times 100 + 0 \times 10 + 1 \times 1 \\ &= 1000 + 100 + 1 \end{aligned}$$

1101_2

$$\begin{aligned} &= 1 \times 2^3 + 1 \times 2^2 + 0 \times 2^1 + 1 \times 2^0 \\ &= 1 \times 2^0 + 0 \times 2^1 + 1 \times 2^2 + 1 \times 2^3 \\ &= 8 + 4 + 0 + 1 = 13 \end{aligned}$$

When calculating manually, it is more convenient to start with the least significant digit on the right and increment the power of the base for the next term.

Binary - Examples

There are only two digits: 0 and 1.

Leading 0's do not affect the number,
hence a number always starts with 1.

Notice the incremental pattern.

$$0_2 = 0$$

$$1_2 = 1$$

$$10_2 = 2$$

$$11_2 = 3$$

$$100_2 = 4$$

$$101_2 = 5$$

$$110_2 = 6$$

$$111_2 = 7$$

$$1000_2 = 8$$

$$1001_2 = 9$$

$$1010_2 = 10$$

$$1011_2 = 11$$

Binary - Powers of Two

It useful to know powers of two up to 12 by heart.

$$2^0 = 1$$

$$2^1 = 2$$

$$2^2 = 4$$

$$2^3 = 8$$

$$2^4 = 16$$

$$2^5 = 32$$

$$2^6 = 64$$

$$2^7 = 128$$

$$2^8 = 256$$

$$2^9 = 512$$

$$2^{10} = 1024$$

$$2^{11} = 2048$$

$$2^{12} = 4096$$

Binary - Addition

$$\begin{array}{r} \\ \\ + \\ \hline 1 \end{array}$$

$$\begin{array}{r} \\ \\ + \\ \hline 1 \end{array}$$

Binary addition works similar to decimal addition.

- $0 + 0 = 0$
- $0 + 1 = 1$
- $1 + 0 = 1$
- $1 + 1 = 10$ and when encountered, the 1 is **carried** over to the next column

Binary - Multiplication

$$\begin{array}{r} \\ \\ \times \\ \hline \\ \\ \hline 1 \end{array}$$

Multiplication also works exactly like that of decimal systems.

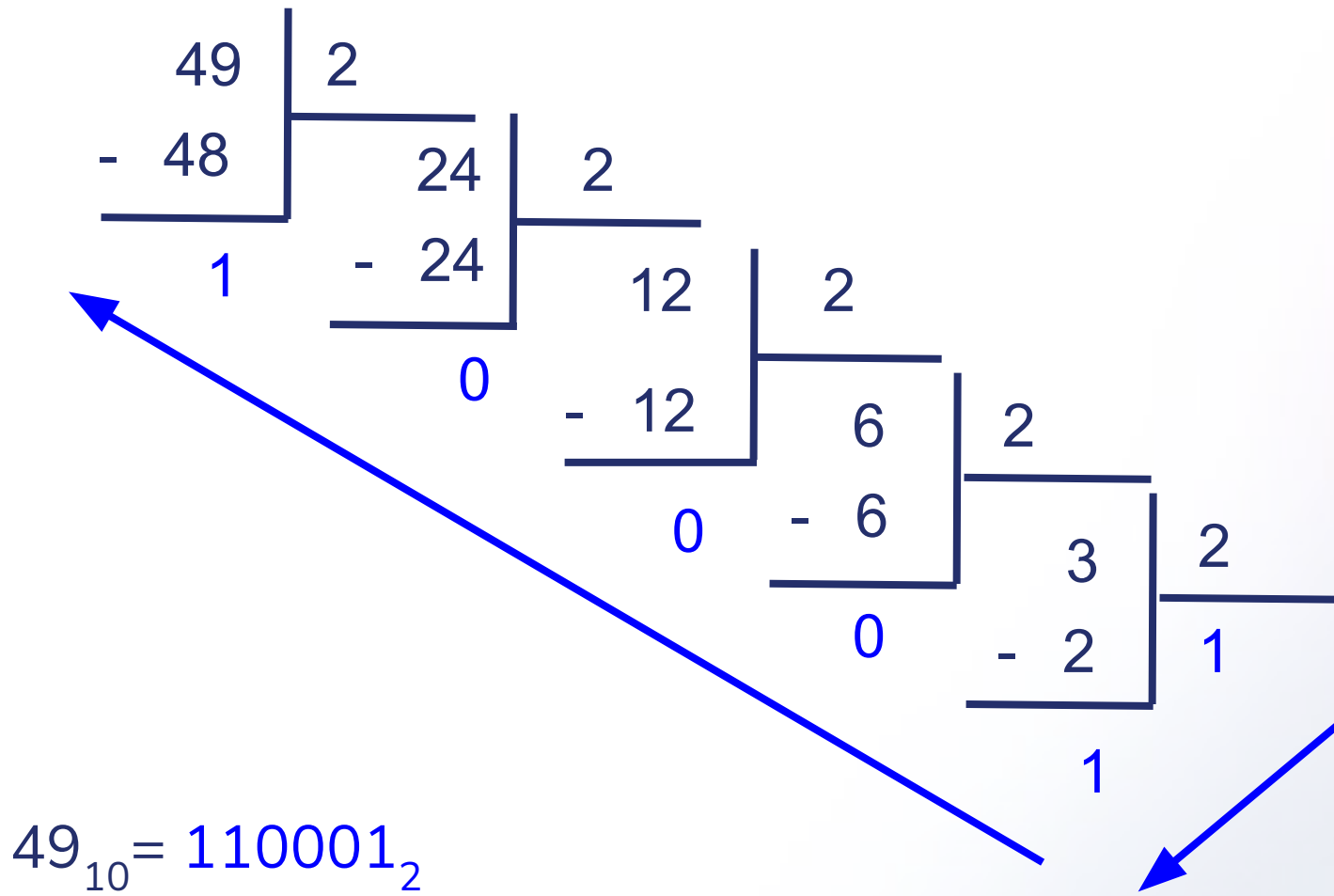
Anything multiplied by 1 is itself.

0 in the second operand results in a shift in the position.

Adding a 0 to the end of a binary number multiplies it by two, the same way that adding 0 to the end of a decimal number multiplies it by ten.

e.g. 6 and 60

Binary - Conversion from Decimal



In order to convert from decimal to binary (or **any** base), divide the number by two (target base) consecutively.

Continue until the quotient is less than the base.

Start from the right and take the quotient and the remainders in that order.

Note how numbers always start with a 1

Hexadecimal (Base-16)

The digits are:

0	1	2	3	4	5	6	7	8	9	A	B	C	D	E	F
0	1	2	3	4	5	6	7	8	9	10	11	12	13	14	15

534_{16}

The base is 16 so we proceed with powers of 16

$$\begin{aligned} &= 5 \times 16^2 + 3 \times 16^1 + 4 \times 16^0 \\ &= 5 \times 256 + 3 \times 16 + 4 \times 1 \\ &= 1280 + 48 + 4 \\ &= 1332 \end{aligned}$$

Hexadecimal - Examples

$$0_{16} = 0$$

$$1_{16} = 1$$

$$2_{16} = 2$$

$$9_{16} = 9$$

$$A_{16} = 10$$

$$B_{16} = 11$$

$$F_{16} = 15$$

$$10_{16} = 16$$

$$1F_{16} = 31$$

$$A0_{16} = 160$$

$$A1_{16} = 161$$

$$A9_{16} = 169$$

$$AA_{16} = 170$$

$$B0_{16} = 176$$

$$FA_{16} = 250$$

$$FF_{16} = 255$$

$$100_{16} = 256$$

$$1000_{16} = 4096$$

Octal (Base-8)

The digits are:

0 1 2 3 4 5 6 7 8

534_8

The base is 8 this time so we proceed with powers of 8

$$\begin{aligned} &= 5 \times 8^2 + 3 \times 8^1 + 4 \times 8^0 \\ &= 5 \times 64 + 3 \times 8 + 4 \times 1 \\ &= 320 + 24 + 4 \\ &= 348 \end{aligned}$$

Notice how the last digit always indicates ones.

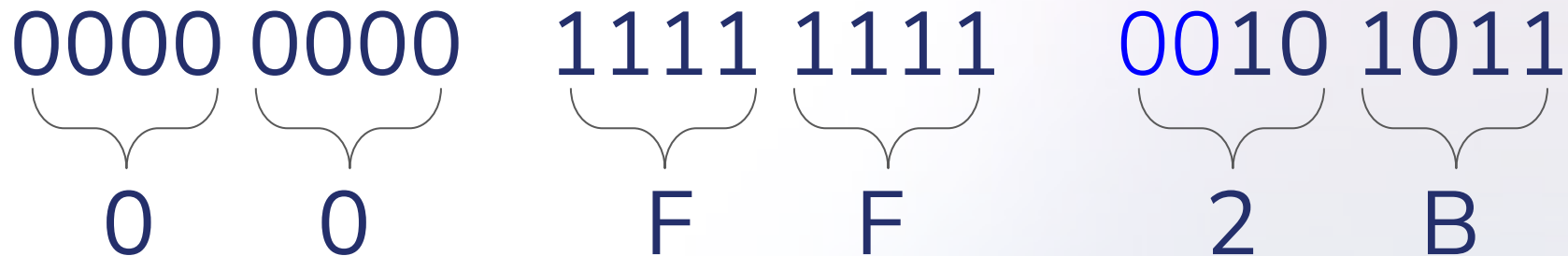
Hex to Binary and vice versa

Since 2, 8 and 16 are all powers of 2, a special correspondence exists between them that simplifies the process of direct conversions from one base to another and the problem becomes a matter of grouping or breaking and substitution.

- **Binary to hex**

Gather the bits in groups of **four**, replace each group with a hex digit.

$$2B_{16} = 101011_2$$



- **Hex to Binary**

Replace each hex digit with the four bits that represent that digit.

Take advantage of this “shortcut” whenever possible and **do not take the long route** with all those divisions when you do not have to.

Hexadecimal - Digit correlations

$$0_{16} = 0000 = 0$$

$$1_{16} = 0001 = 1$$

$$2_{16} = 0010 = 2$$

$$3_{16} = 0011 = 3$$

$$4_{16} = 0100 = 4$$

$$5_{16} = 0101 = 5$$

$$6_{16} = 0110 = 6$$

$$7_{16} = 0111 = 7$$

$$8_{16} = 1000 = 8$$

$$9_{16} = 1001 = 9$$

$$A_{16} = 1010 = 10$$

$$B_{16} = 1011 = 11$$

$$C_{16} = 1100 = 12$$

$$D_{16} = 1101 = 13$$

$$E_{16} = 1110 = 14$$

$$F_{16} = 1111 = 15$$

Octal Conversions

- **Octal to/from decimal**

Is carried out via the normal routine.

- **Binary to octal and vice versa**

The mapping rules are applicable for groups of **three** bits

- **Hex to Octal and vice versa**

An intermediate conversion to binary instead of decimal, makes the process straightforward. Convert to binary first and then group accordingly

$$2B_{16} = 0010\ 1011_2 = \cancel{000}\ 101\ 011_2 = 53_8$$

$$54_8 = 101\ 100_2 = 0010\ 1100_2 = 2C_{16}$$

So what is the meaning of 1000?

- Symbols do not have inherent meanings. Their interpretation depends on a context.
- There can be an infinite number of radices and therefore, a series of digits can mean an infinite variety of numbers.
- Can mean something completely different:
 - Utility room on level 10 (string)
 - Flag, meaning Player1 is ready or the printer is busy (flag bits)
 - A brand of soft drink, etc (string)

Byte

- Computer data is organized in **bytes**.
- Each byte is **8 bits**.
- $2^8 = 256$ unique variations.
- Integers in the range
0 - 255
- Larger integers require allocation of more bytes

Bit - Binary digit

1010 0101

Byte

Byte Values in Hex

A byte can also be represented using **two hex digits** in order to make it more legible in a human-friendly manner.

$$00_{16} = 0000\ 0000_2 = 0$$

$$0F_{16} = 0000\ 1111_2 = 15$$

$$1A_{16} = 26$$

$$01_{16} = 0000\ 0001_2 = 1$$

$$10_{16} = 0001\ 0000_2 = 16$$

$$A0_{16} = 160$$

$$02_{16} = 0000\ 0010_2 = 2$$

$$11_{16} = 0001\ 0000_2 = 17$$

$$A1_{16} = 161$$

$$09_{16} = 0000\ 1001_2 = 9$$

$$AA_{16} = 1010\ 1010_2 = 176$$

$$AE_{16} = 174$$

$$0A_{16} = 0000\ 1010_2 = 10$$

$$FE_{16} = 1111\ 1110_2 = 254$$

$$AF_{16} = 175$$

$$0B_{16} = 0000\ 1011_2 = 11$$

$$FF_{16} = 1111\ 1111_2 = 255$$

$$B0_{16} = 176$$

Negative Integers

The mathematical notation for indicating negative numbers on paper, is a leading minus sign, regardless of the base.

$$25_{10} = 11001_2 \quad -25_{10} = -11001_2$$

Computers, however, can only store bits and therefore there has to be a way that does not rely on other symbols.

Moreover, the fact that the lengths of numbers are limited by the upper bounds of their storage chunks (e.g byte), can be utilized to our advantage.

One's Complement

The most rudimentary way to represent a negative number in a computer (byte), is to simply **flip** its bits:

- replace 0 with 1, 1 with 0
- first bit indicates sign.

While this model is perfectly capable of storing numbers, it results in undesirable arithmetic and algebraic properties (e.g. positive and negative zeros) and incompatibilities during operations.

In spite of the said disadvantage, one's complement is still useful in certain situations and there is an operator for it: \sim

Two's Complement

Storing and working with negative numbers is more convenient in their **two's complement representation**. It relies on the following mathematical property of negative numbers:

$$a + (-a) = 0$$

For a value that is stored in two's complement notation, its inverse is the value that when added to it, results in all 0's inside and an **overflow** 1 which is discarded.

It is somewhat analogous to the number of minutes in an hour. If it's past 45 minutes and we add 15 minutes, it results in 1 hour and 0 minutes.

That way, **45 is the same as -15**.

Note how the 60-minute **upper boundary matters**.

Two's Complement

Positive numbers in two's complement representation remain as they are. This, is a positive number in 8-bit two's complement notation.

0110 1010

In order to get the negative counterpart of that number, the **two's complement operation** is performed and is as follows:

Step 1: Flip the bits

1001 0101

Step 2: Add one

1001 0110

The first bit still serves as a minus sign.

Two's Complement

Note that “two's complement” can refer to **both the representation and the operation**.

The operation is the equivalent of **multiplying something by -1**.

Applying the same operation to the two's complement representation of a negative number, yields a positive number.

Indicating the total number of bits is vital. The equivalent of our number from the previous example in 16-bit two's complement notation is:

1. Flip the bits

0000 0000 0110 1010

1111 1111 1001 0101

2. Add one

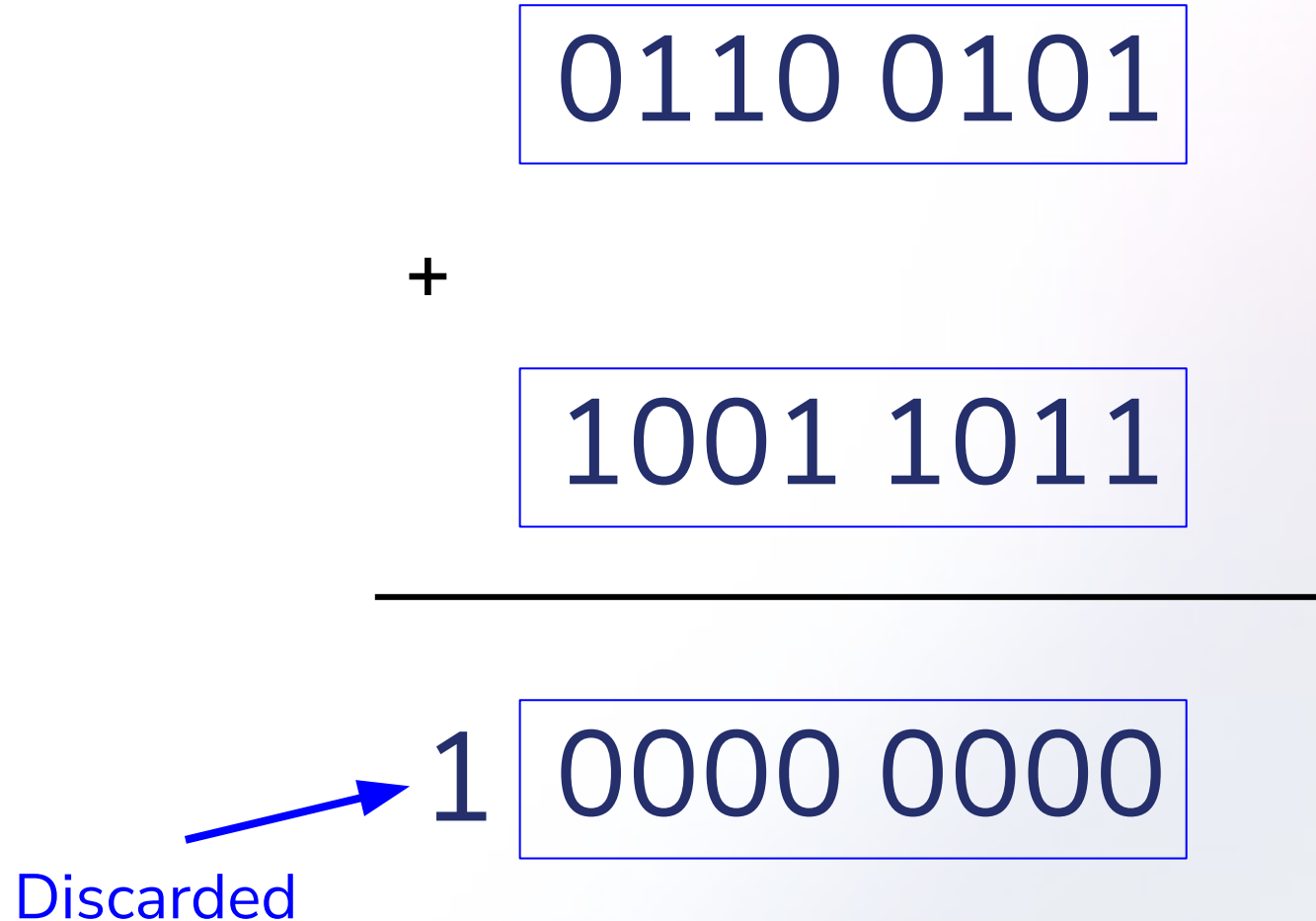
1111 1111 1001 0110

Two's Complement

The sum of any number and its complement is 0.

$$\begin{array}{r} 0110\ 0101 \\ + \\ 1001\ 1011 \\ \hline 1\ 0000\ 0000 \end{array}$$

Discarded



Byte Values (Signed)

0000 0000 = 0

0000 000**1** = 1

0000 00**10** = 2

0000 0**100** = 4

0000 **1000** = 8

000**1** 0000 = 16

00**10** 0000 = 32

0**100** 0000 = 64

0**111** 1110 = 126

0**111** 1111 = 127

1000 0000 = - 128

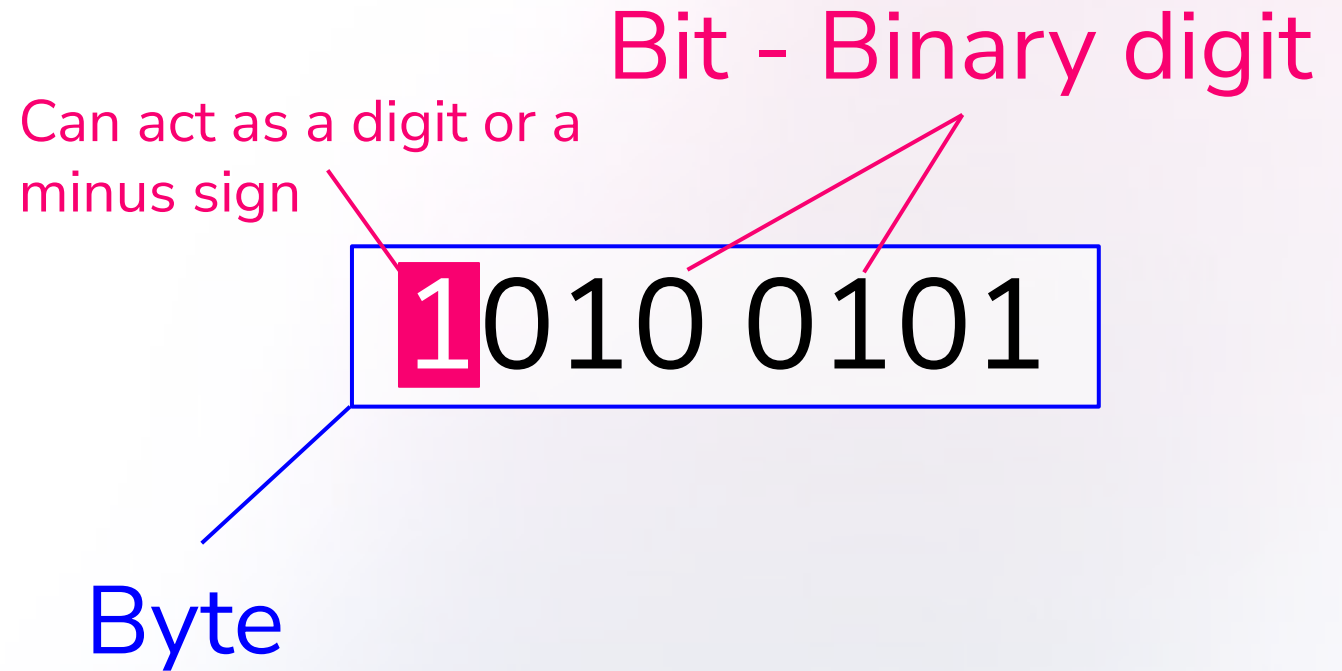
1000 0001 = - 127

1111 1110 = - 2

1111 1111 = - 1

Byte

- $2^8 = 256$ unique variations.
- The most significant bit can act as a digit or a minus sign depending on the context
- Integers in the range
 - 0 to 255 unsigned
 - 128 to 127 signed



Integer Overflow Bugs

Larger integers need the allocation of more bytes.

Exceeding the capacities of allocated memories during arithmetic operations might result in erroneous and unpredictable values.

The **sum of two positive integers** might end up being a **negative value**.

Such bugs can be exploited in order to carry **integer overflow attacks**

One such example is a boss in a game which can be killed by healing it.

https://www.reddit.com/r/programming/comments/1aigv9/integer_overflow_in_an_rpg_defeat_a_boss_by/

Fascinating Numbers

- $2^{32} = 4,294,967,295$
- IPv4 is 4 bytes (32 bits). E.g. 255.255.255.255
- The number of devices connected to a network that uses this protocol(Internet) is approx. 4 billion.
- $2^{128} \sim 3.4 \times 10^{38}$
- IPv6 is 16 bytes.
E.g. 2001:0db8:85a3:0000:0000:8a2e:0370:7334
- Safe key length for cryptographic purposes is 256 bits
- 2^{1024} is larger than the number of protons in the observable universe

Characters

ASCII (American Standard Code for Information Exchange) is an older character encoding standard.

Extended ASCII represents a character with a single byte (hence 256 characters). Includes capital and small letters, digits, symbols, table borders, etc.

See the full list: <http://www.asciitable.com/>

ASCII Examples

AMIBIOS System Configuration (C) 1985-1992, American Megatrends Inc.,			
Main Processor	: 486DX or 487SX	Base Memory Size	: 640 KB
Numeric Processor	: Present	Ext. Memory Size	: 64512 KB
Floppy Drive A:	: 1.44 MB, 3½"	Hard Disk C: Type	: None
Floppy Drive B:	: None	Hard Disk D: Type	: None
Display Type	: VGA/PGA/EGA	Serial Port(s)	: 3F8,2F8
AMIBIOS Date	: 11/11/92	Parallel Port(s)	: 378

25MHz CPU Clock
Starting MS-DOS...

Table borders are characters.

ASCII Examples - ASCII Art

```
MacBook-Pro:~ frankong$ neofetch
      ,xNMM.
    ,OMMMO
  ,OMMMO,
.;loddol; loolloddol;.
cKMMMMMMMMMMMMMMMMMMMMMMO:
.KMMMMMMMMMMMMMMMMMMMMMMMd.
XMMMMMMMMMMMMMMMMMMMMMMMX.
;MMMMMMMMMMMMMMMMMMMMMMM:
:MMMMMMMMMMMMMMMMMMMMMM:
.MMMMMMMMMMMMMMMMMMMMMX.
kMMMMMMMMMMMMMMMMMMMMMd.
.XMMMMMMMMMMMMMMMMMMMMMk
.XMMMMMMMMMMMMMMMMMMMMMK.
kMMMMMMMMMMMMMMMMMMMMMd
;KMMMMMMWXXWMMMMMMk.
.COOC,. ,COO:.
```

```
-----
OS: macOS Sierra 10.12.5 16F73 x86_64
Host: MacBookPro11,4
Kernel: 16.6.0
Uptime: 5 days, 18 hours, 39 mins
Packages: 74
Shell: bash 3.2.57
Resolution: 3840x2160, 1920x1080, 1920x1080
DE: Aqua
WM: Kwm
Terminal: Apple_Terminal
CPU: Intel i7-4770HQ (8) @ 2.20GHz
GPU: Intel Iris Pro
Memory: 6915MiB / 16384MiB
```

The practice of drawing pictures using ASCII characters is referred to as ASCII art.

ASCII Examples



Graphical user interface with shadows in ASCII

RGB Colors

One of the many ways of representing colors is by mixing various amounts of red, green and blue together. Each of those amounts can be represented by a number (byte)

Red: 0 - 255

Green: 0 - 255

Blue: 0 - 255

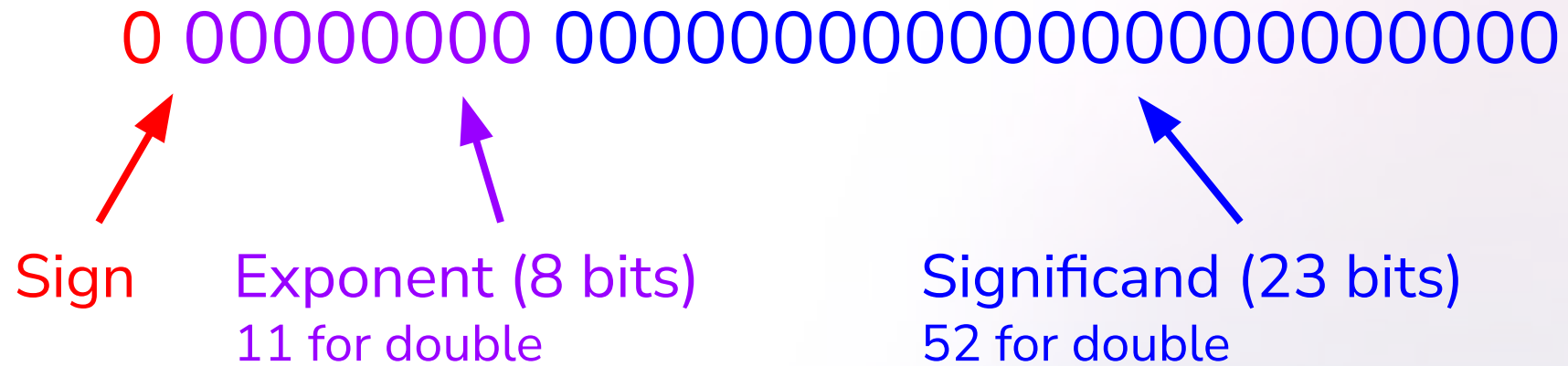
The following table shows a way of representing colors in computers. (Particularly CSS and web)

#000000	#0000FF	#8E7CC3
#111111	#00FF00	#987654
#AEAFAE	#FFFF00	#654321
#FFFFFF	#FF00FF	#123456
#EAF0FF	#00FFFF	#ABCDEF
#FF0000	#ff9900	#FEDCBA

One more byte can be allocated in order to indicate transparency.

That scheme is called RGBA, A stands for Alpha

Floating Point (Simplified)



$$(-1)^{\text{Sign}} \times \text{Mantissa} \times 10^{\text{Exponent}}$$

IEEE 754

The actual standard for floating point numbers is more complex and is specified by IEEE 754, covers rounding behaviors as well.

These numbers are intended for scientific purposes and are not suitable for currencies.

Rounding errors can potentially cause significant losses; The Ariane 5 disaster is a notable example.

<https://www.bugsnap.com/blog/bug-day-ariane-5-disaster>

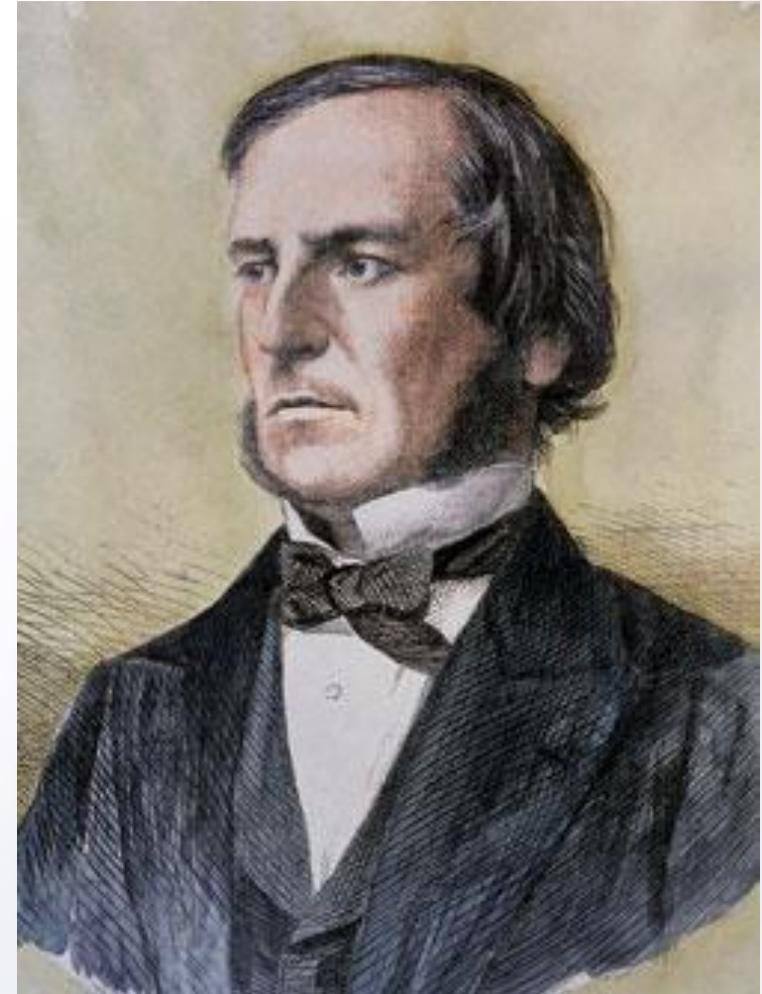
BREAK
5 minutes

Boolean Algebra

“**Boolean algebra:** a system of algebra in which there are only two possible values for a variable (often expressed as true and false or as 1 and 0) and in which the basic operations are the logical operations AND and OR” (Merriam Webster, 2021)

With the invention of transistors, electrical circuitry that implemented Boolean algebra became possible.

<https://www.youtube.com/watch?v=sTu3LwpF6XI>



George Boole (1815-1864)

Boolean Operators - Truth Tables for NOT, AND, OR, XOR

&	T	F
T	T	F
F	F	F

x AND y is T if both x and y are T.

V	T	F
T	T	T
F	T	F

x OR y is T if either x and y are T.

\oplus	T	F
T	F	T
F	T	F

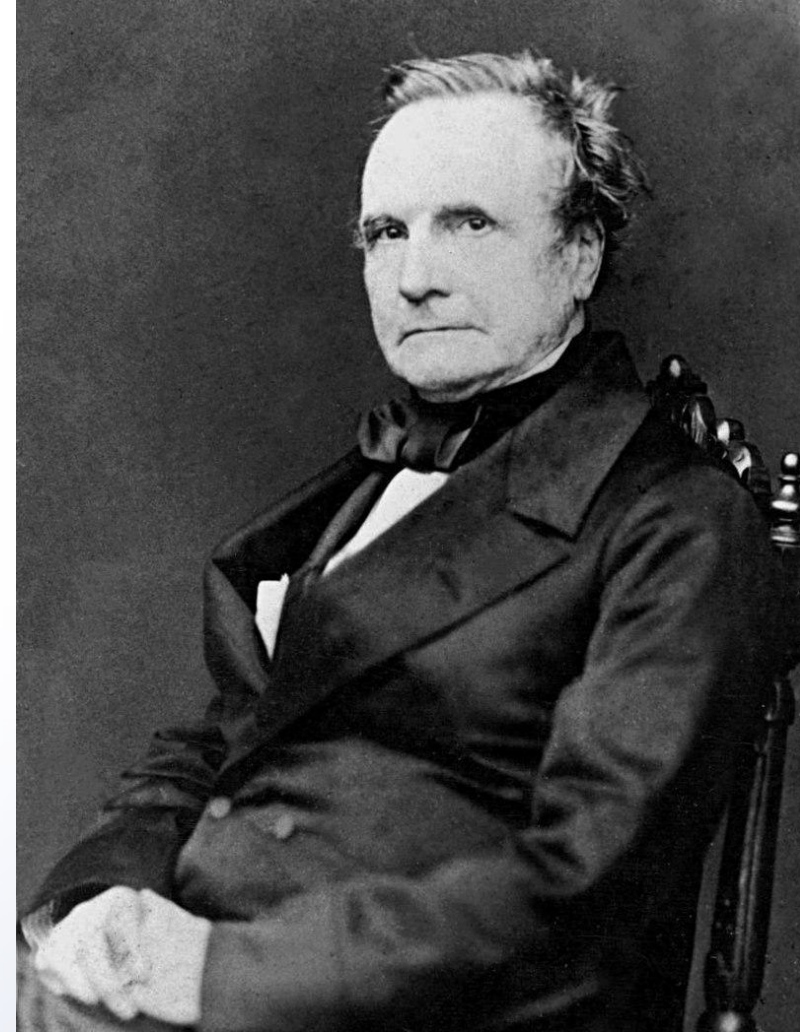
x XOR y is T if only one of x and y are T. Soup or salad

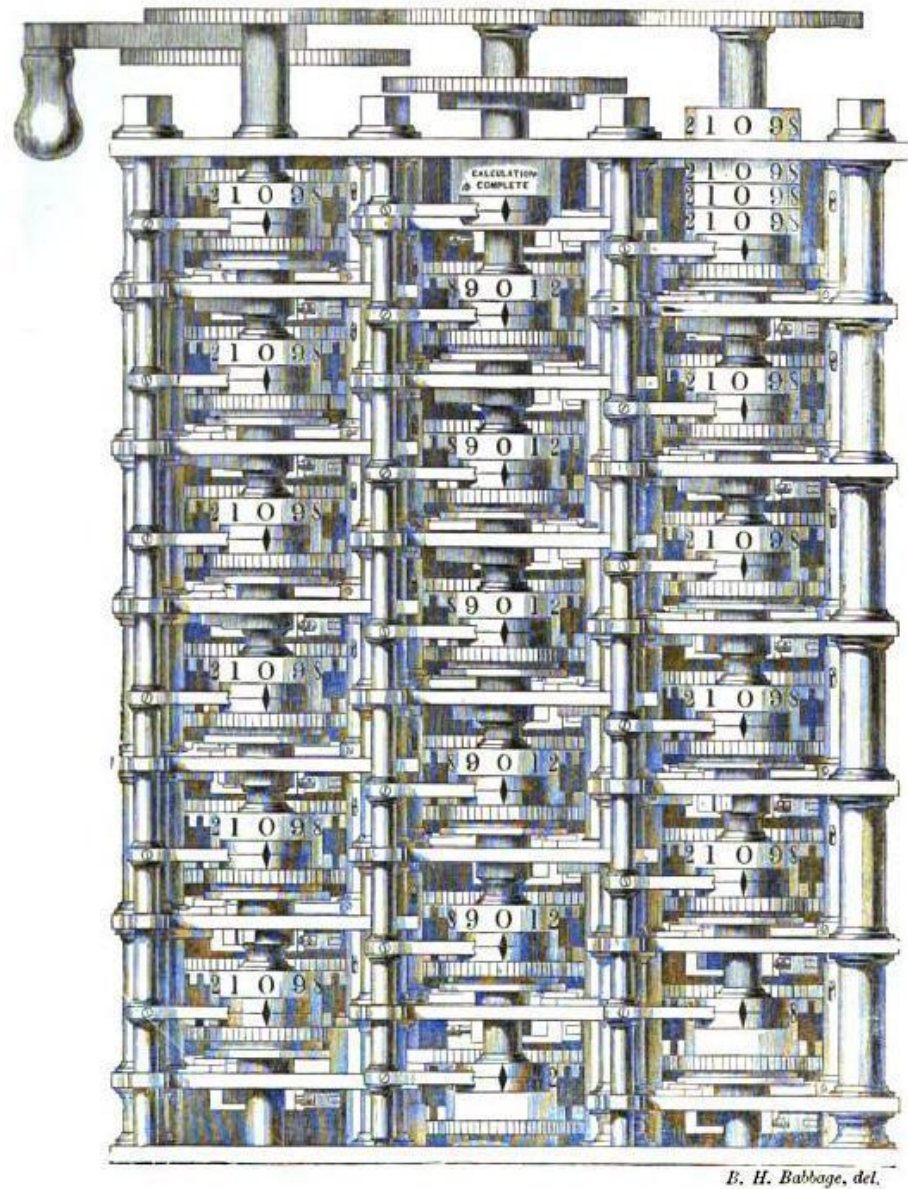
Inversion or NOT.

!	T	F
	F	T

The Inventor of Computers

“**Charles Babbage**, (born December 26, 1791, London, England—died October 18, 1871, London), English mathematician and inventor who is credited with having conceived the first automatic digital computer.” (Encyclopaedia Britannica, 2021)





Woodcut after a drawing by Benjamin Herschel Babbage Part of Charles Babbage's Difference Engine No. 1, as assembled in 1833, exhibited 1862, and later in the South Kensington Museum. 1853. Accessed Aug 28, 2019 from: <http://commons.wikimedia.org/>

The First Programmer

“Ada Lovelace, in full Ada King, countess of Lovelace, original name Augusta Ada Byron, Lady Byron, (born December 10, 1815, Piccadilly Terrace, Middlesex [now in London], England—died November 27, 1852, Marylebone, London), English mathematician, an associate of Charles Babbage, for whose prototype of a digital computer she created a program. She has been called the first computer programmer.”

(Encyclopaedia Britannica, 2021)



Ada Lovelace (1815 - 1852)

The First Binary Computer

- The first binary computer was completed by German engineer Konrad Zuse in 1941
- The original no longer exists.

(Encyclopaedia Britannica, 2021)



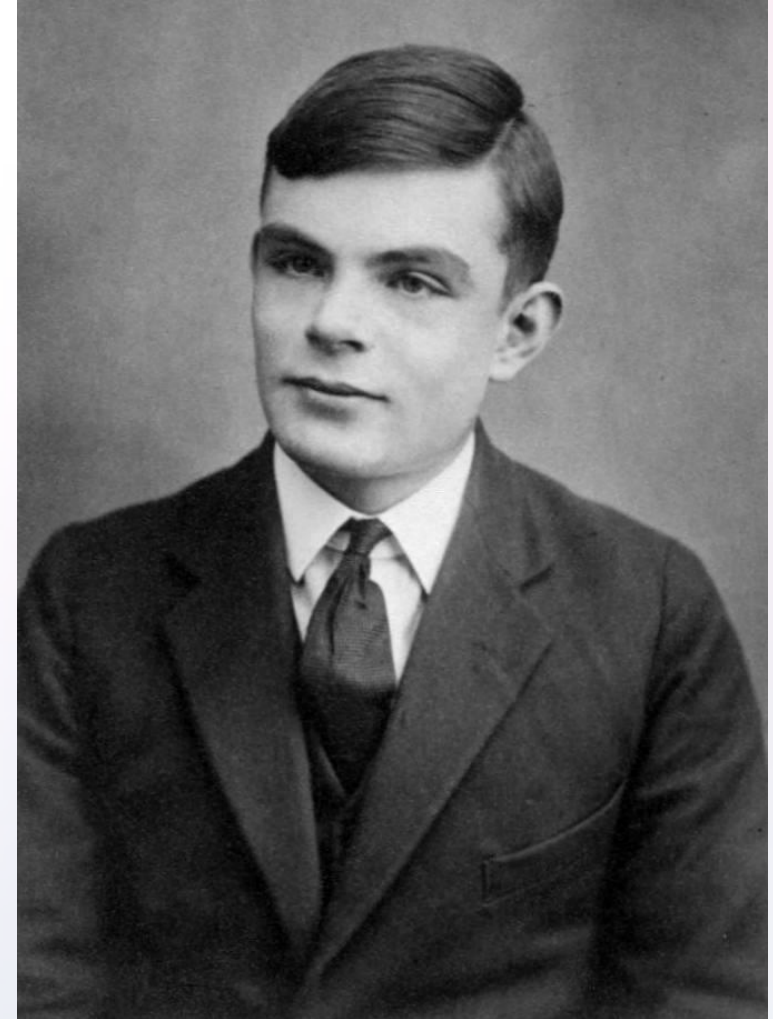
Konrad Zuse (1910 - 1995)

The Father of Computer Science

The Turing Machine is a conceptual problem solving machine that:

- Consists of an infinite tape with cells that can store symbols
- Has a head that can move left or right and read and write symbols on the tape in each step

This machine is capable of solving anything that can be solved with an algorithm.



Alan Turing (1912 - 1954)

Turing Machine



The lambda symbol is often used for denoting an empty cell.

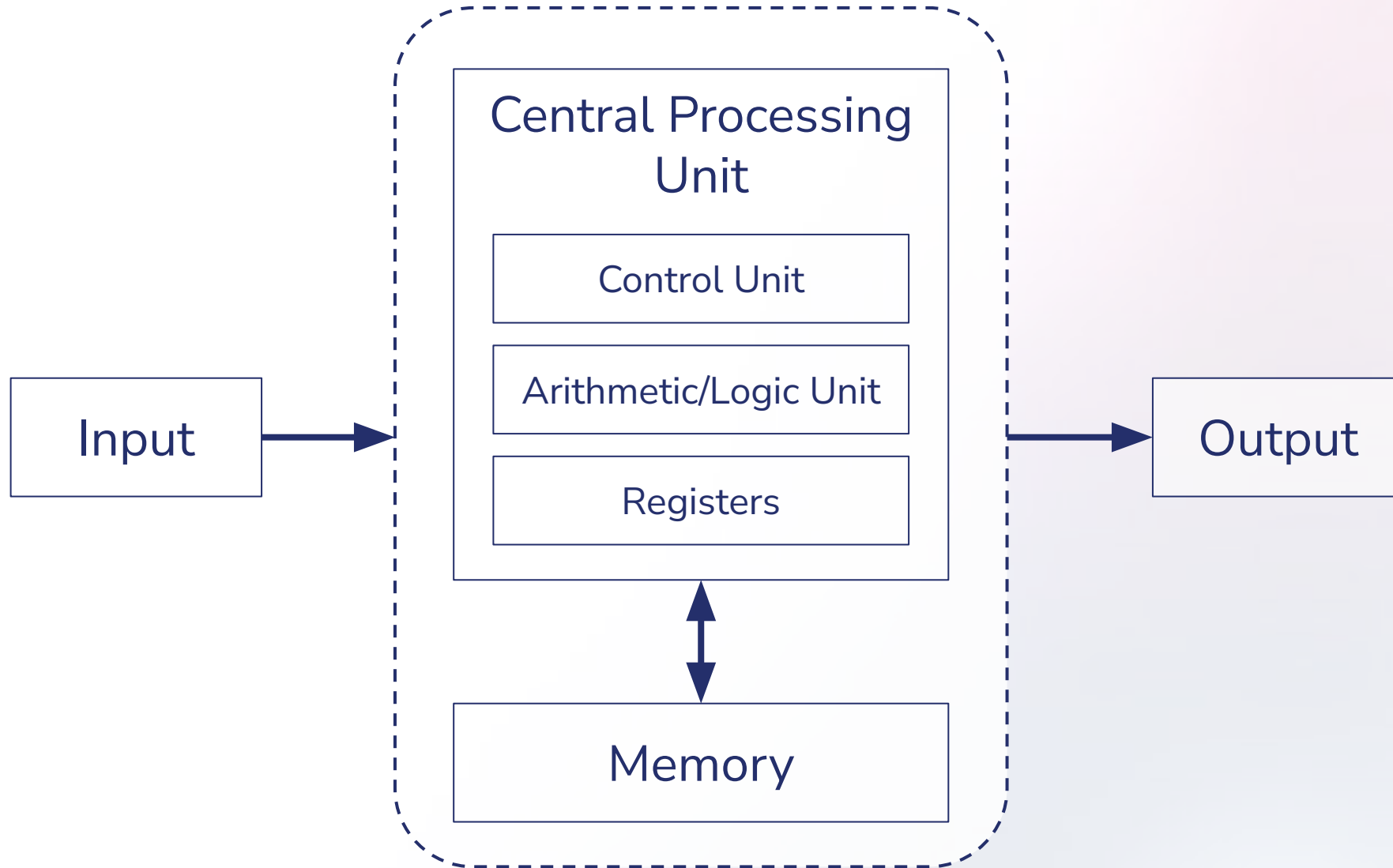
Von Neumann Architecture

- Same memory is used for both data and instructions.
- Makes self-modifying programs and programs that make other programs, possible. (Compilers, interpreters)
- A lot of modern computing is based on this model, namely IBM compatible personal computers.



John Von Neumann (1903-1957)

Von Neumann Architecture



IBM-Compatible PC - Components

- RAM

Also called primary memory or simply memory. Requires power and all data is lost once the power is cut off (i.e. volatile)

- CPU

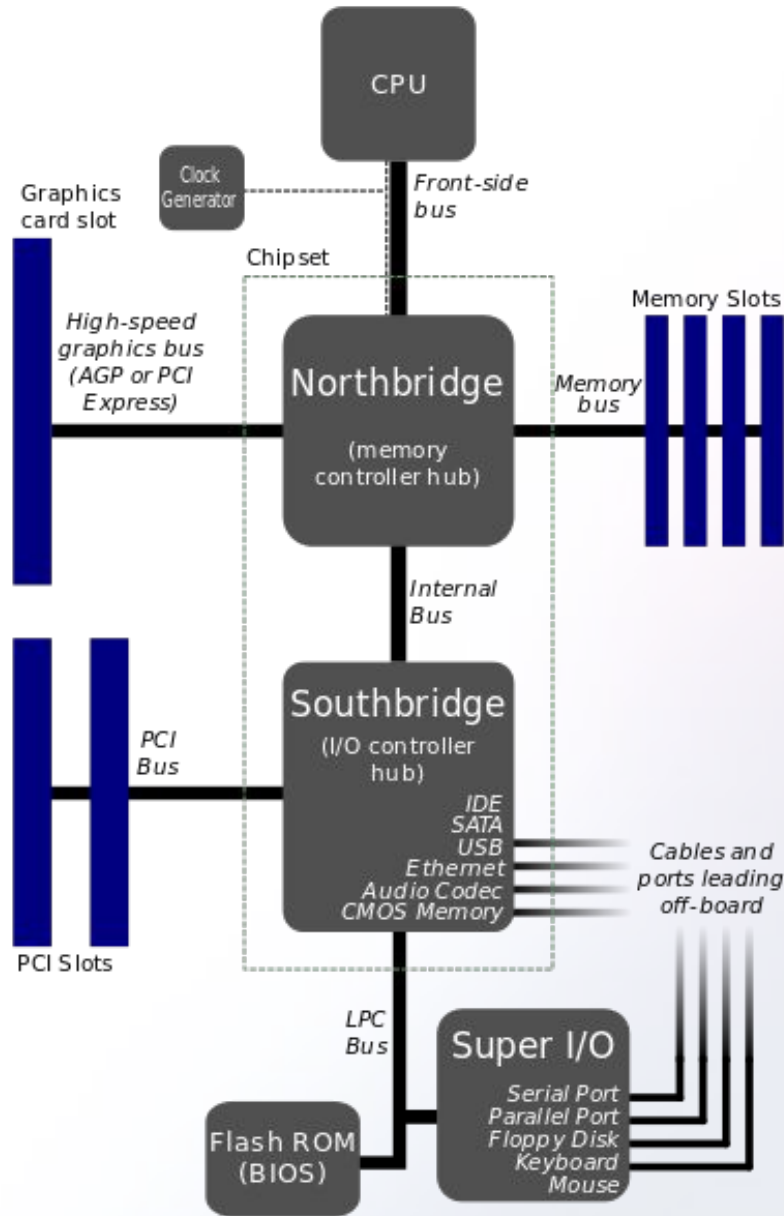
- Storage

Such as hard disk drives (HDD), solid state drives (SSD) etc.

IBM-Compatible PC - Optional Components and Peripherals

- Output devices (Monitors, printers, etc.)
- Input devices (Keyboard, mouse, etc.)
- VGA (Video graphics adapter) processes visual outputs.
Come with processors and memory of their own. Can be programmed for performing other tasks.
Multiple cards can perform parallel work with technology such as [CUDA](#) or [OpenCL](#)
- Various PCI components for connectivity (LAN, wifi)

Chipset



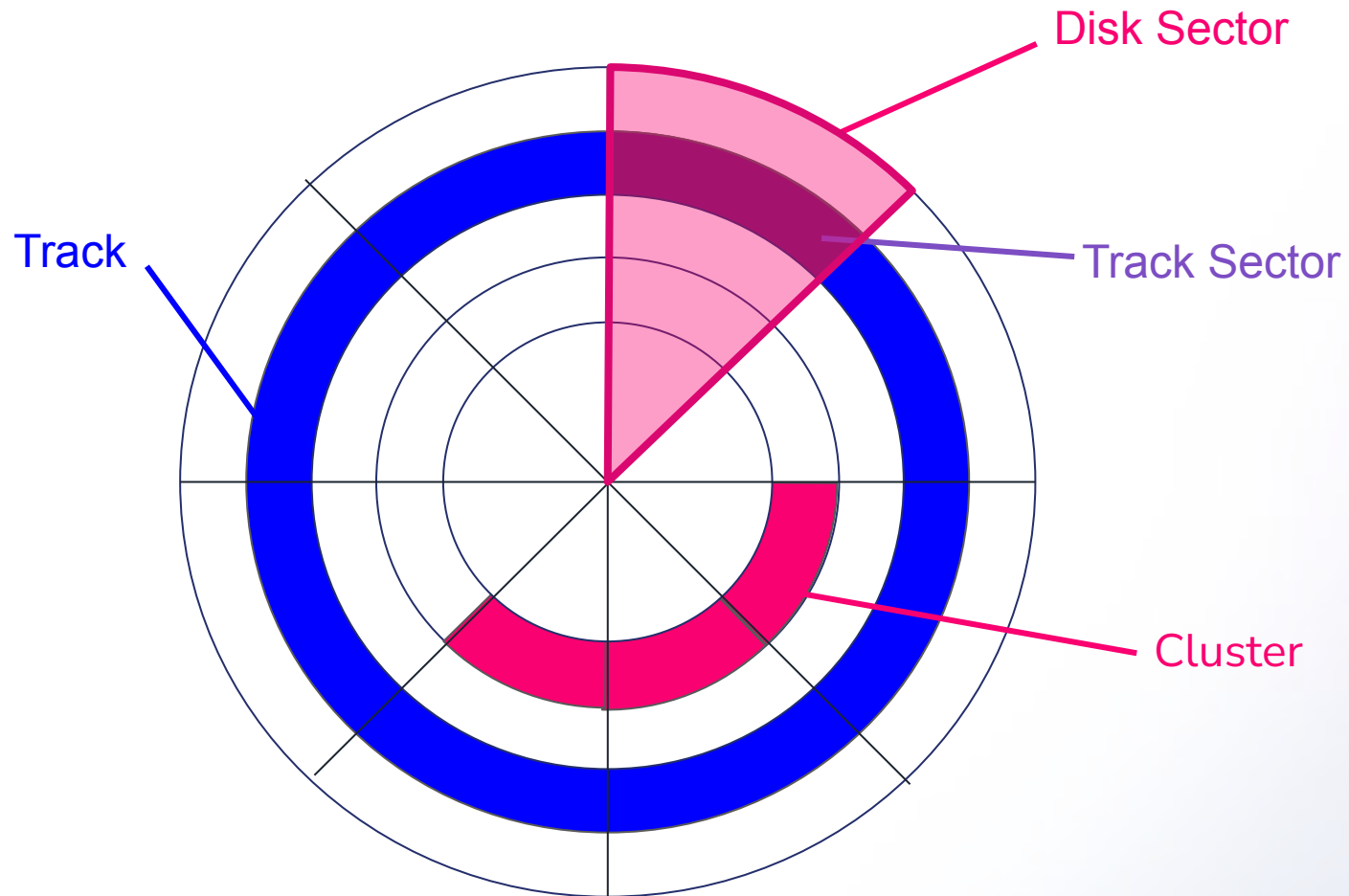
Hard Disk Drives

- Magnetic storage remains relevant and abundant today
- Consists of platters made of aluminum or glass etc., with magnetic coating on one or both sides
- One or more of these platters, stacked on top of one another, spinning together
- Heads write by magnetizing the surface of the disk and read that magnetized surface.
- A gramophone track is a spiral, whereas hard drive tracks are concentric circles.



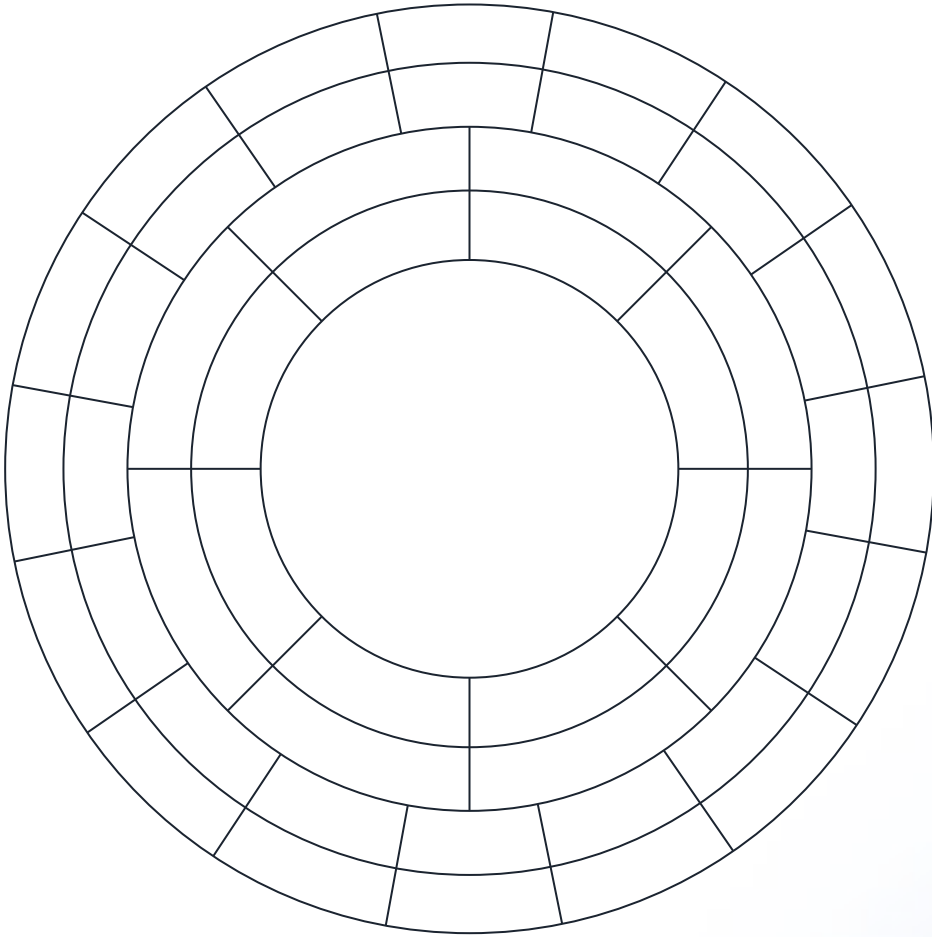
Evan-Amos "Internals of a 2.5-inch laptop hard disk drive" Accessed Jun 2, 2021 from: <https://commons.wikimedia.org/wiki/File:Laptop-hard-drive-exposed.jpg>

Hard Disk Drives



- The surface is divided into tracks and sector.
- A cluster consists of multiple track sectors.
- Sector length is usually 512 bytes.

Hard Disk Drives



Disks spin with a constant speed.

Heads read and write with a constant rate.

As a result, data becomes physically wider and occupies a larger area on the surface the further it is from the center which is not efficient.

Newer hard drives implement [zone bit recording](#) schemes to use the surface area more efficiently.

Processor Architecture

- Every architecture has a number of **registers**, some are general purpose, some may be dedicated to special tasks or status flags.
- Every architecture also has its own **instruction set**.
- These machine instructions accomplish a single, small processor-level task, such as adding register values or moving data between registers and memory.
- Micro-instructions often correspond with a hardware component in the processor, they invoke an ALU, etc.

Architecture Examples

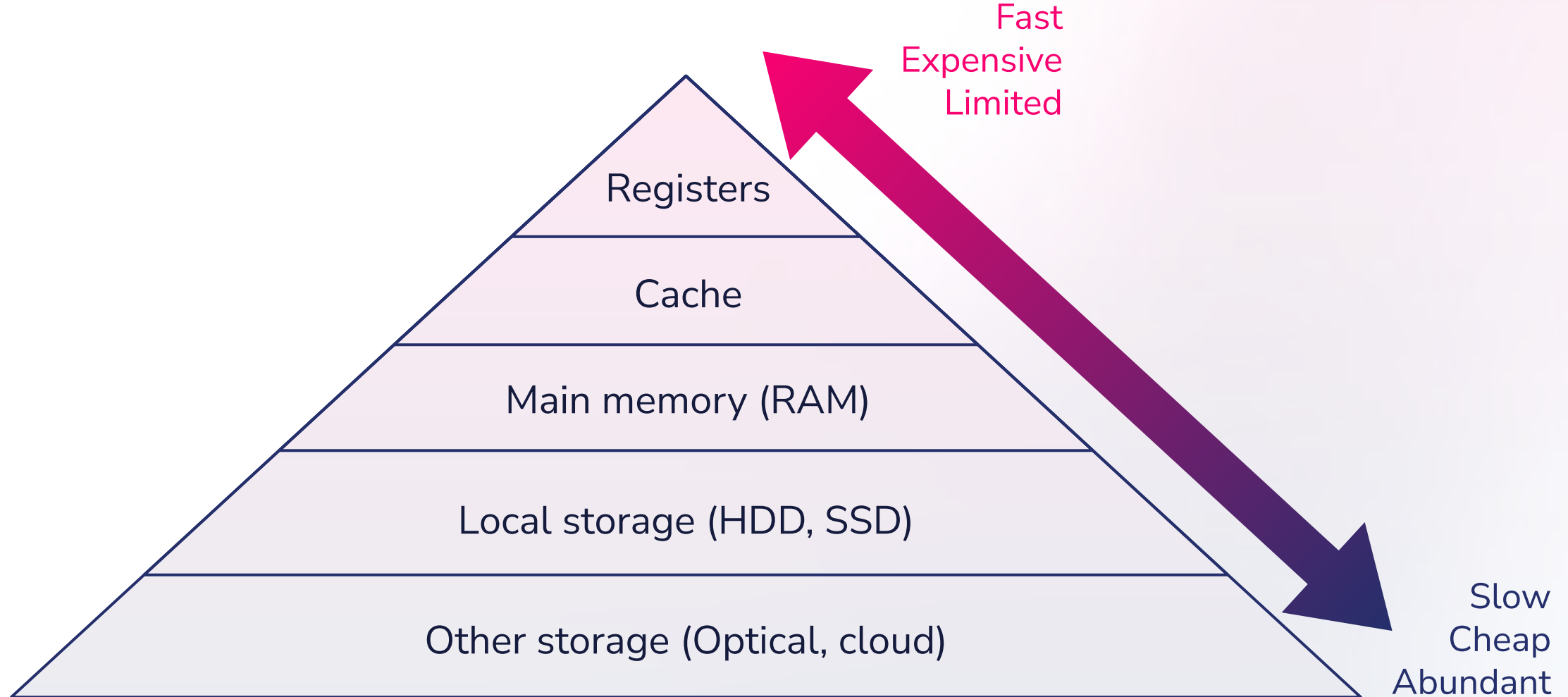
A few notable ones are:

- Intel x86 family, dominates personal computing, such as x86-32 and x86-64. Compatible CPUs are also made by AMD.
- ARM, mostly on smartphones and smart TV.

Apple M1 is also ARM-based.

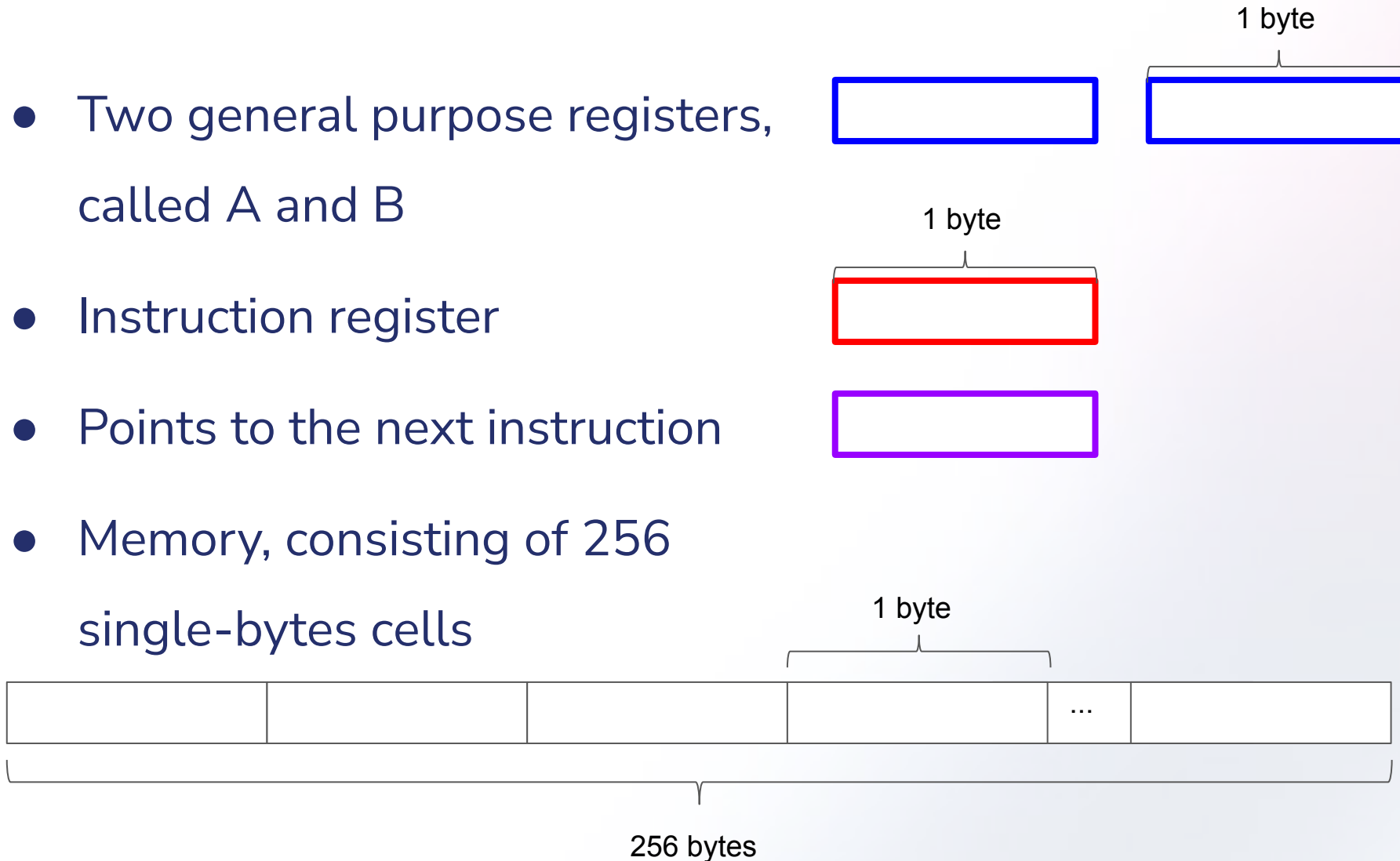
- MIPS, used by Sony on their PlayStation consoles

Memory Hierarchy



Processor Architecture - Registers

- Two general purpose registers, called A and B
- Instruction register
- Points to the next instruction
- Memory, consisting of 256 single-bytes cells

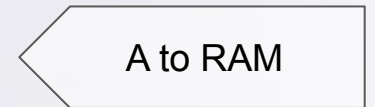
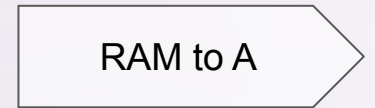
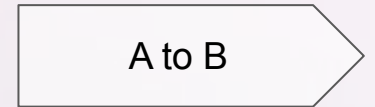
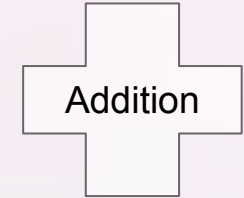


Processor Architecture - Arithmetic and Logic Units

ALU are hardware circuitry designed to perform a specific task.

Our architecture has ALUs for copying things to and from memory and from one register to another, along with an ALU that performs addition and so on.

- 0 - Addition
- 1 - A to B
- 2 - Memory to A
- 3 - A to memory
- ... up to 256.



Processor Architecture - Addition

$$\begin{array}{r} \\ \\ + \\ \hline 1 \end{array}$$

Processor Architecture - Addition

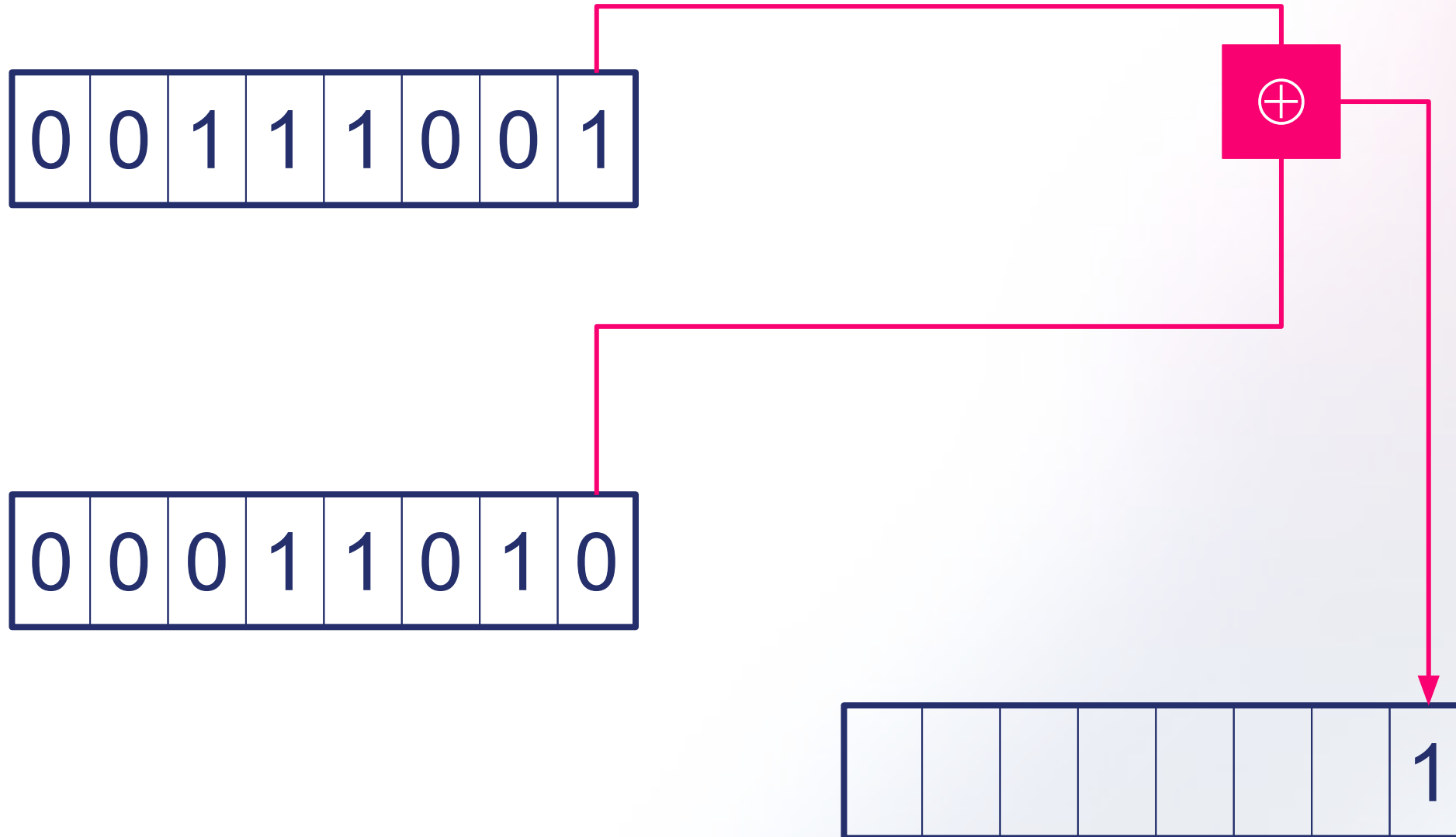
0	0	1	1	1	0	0	1
---	---	---	---	---	---	---	---

0	0	0	1	1	0	1	0
---	---	---	---	---	---	---	---

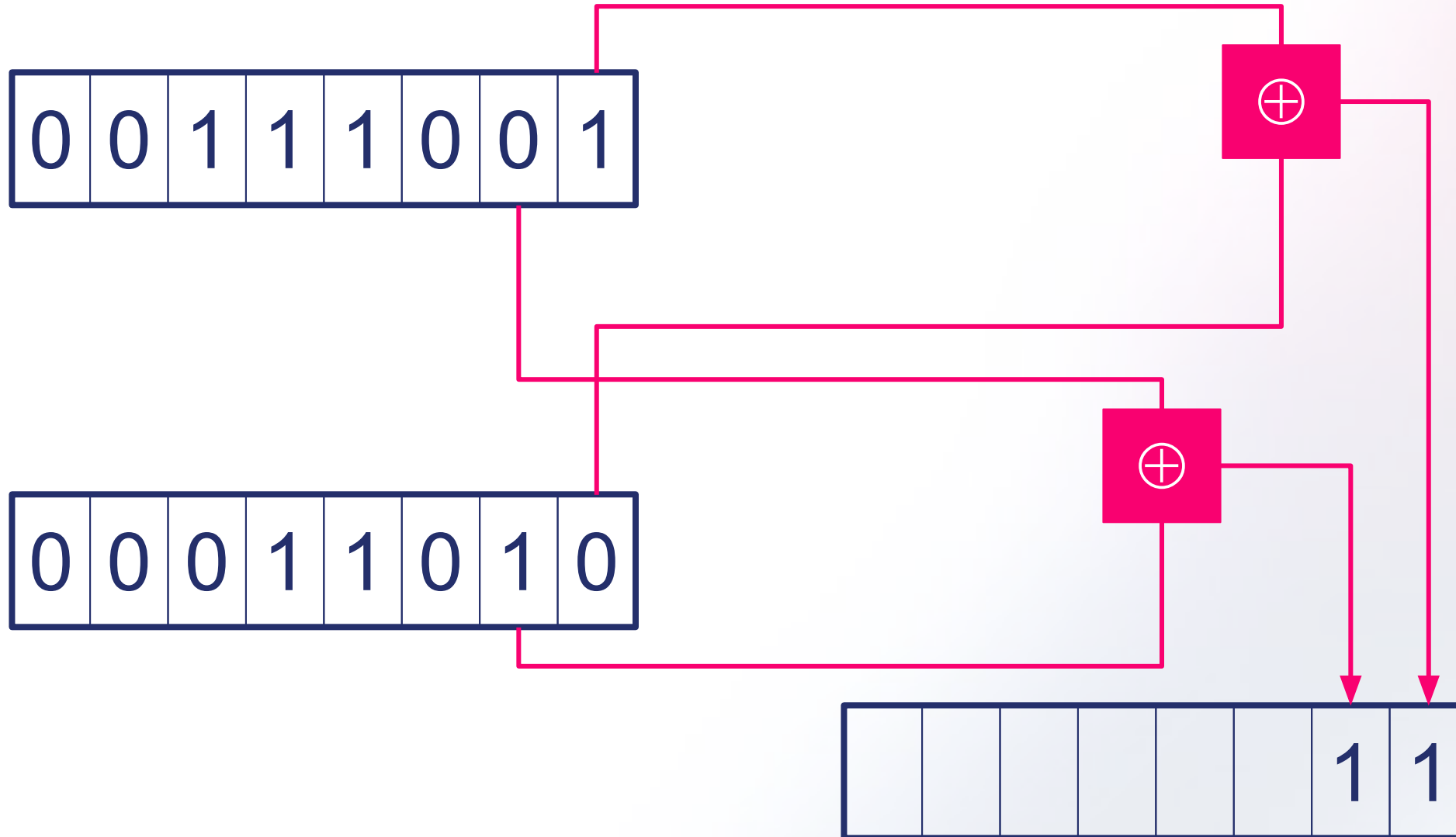
$$\begin{array}{r} \\ \\ + \\ \hline 1 1 0 1 \end{array}$$

--	--	--	--	--	--	--	--

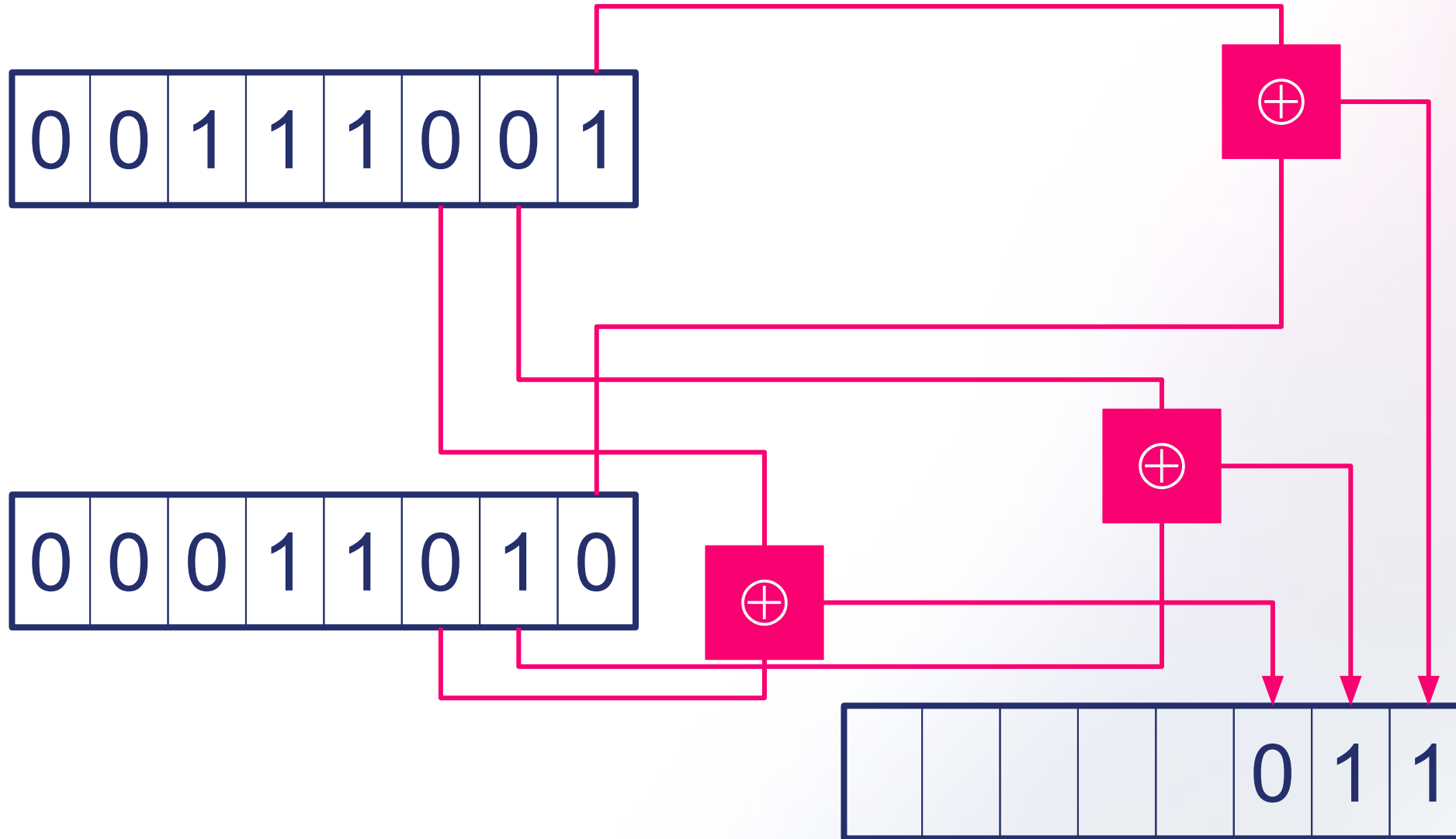
Processor Architecture - Addition



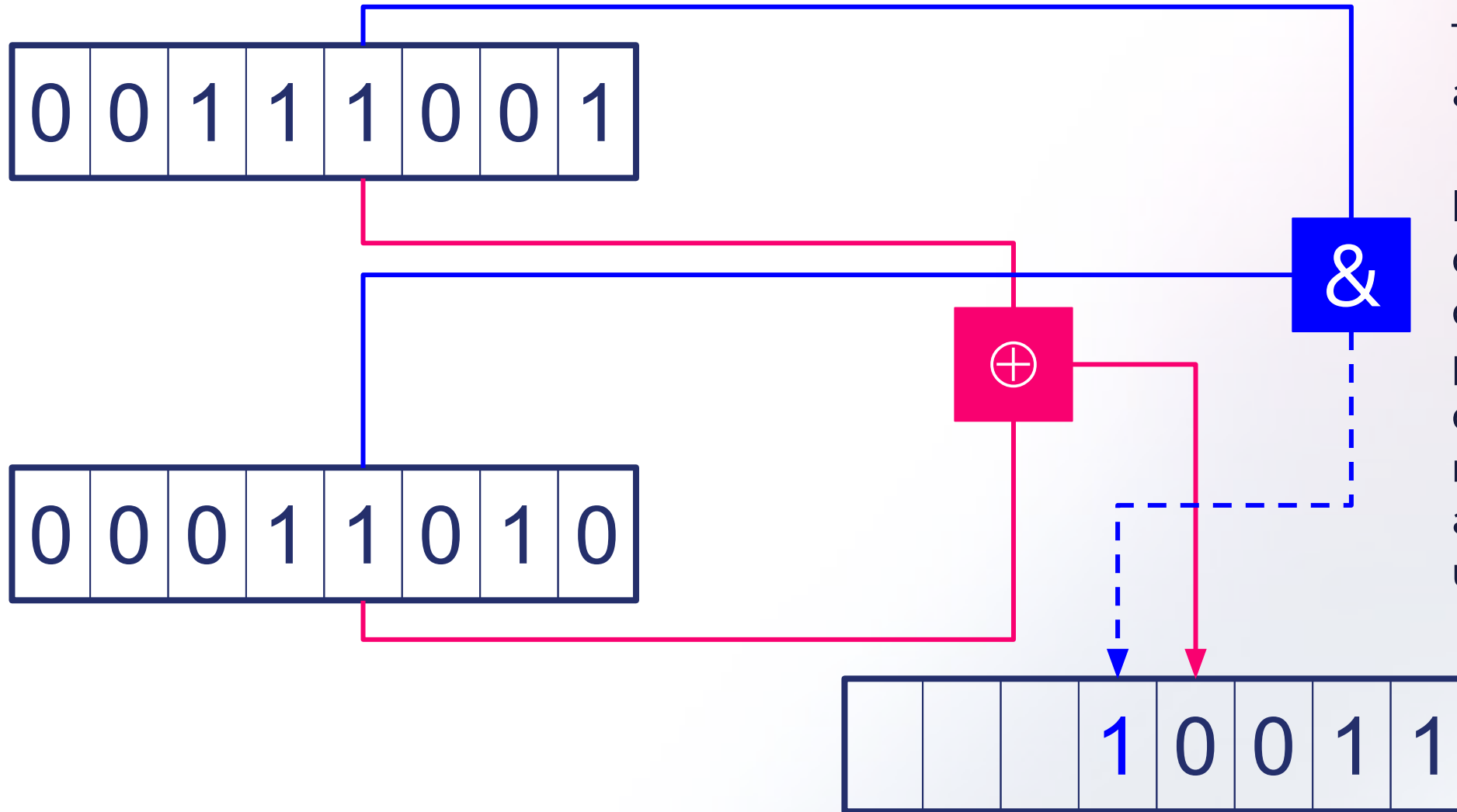
Processor Architecture - Addition



Processor Architecture - Addition



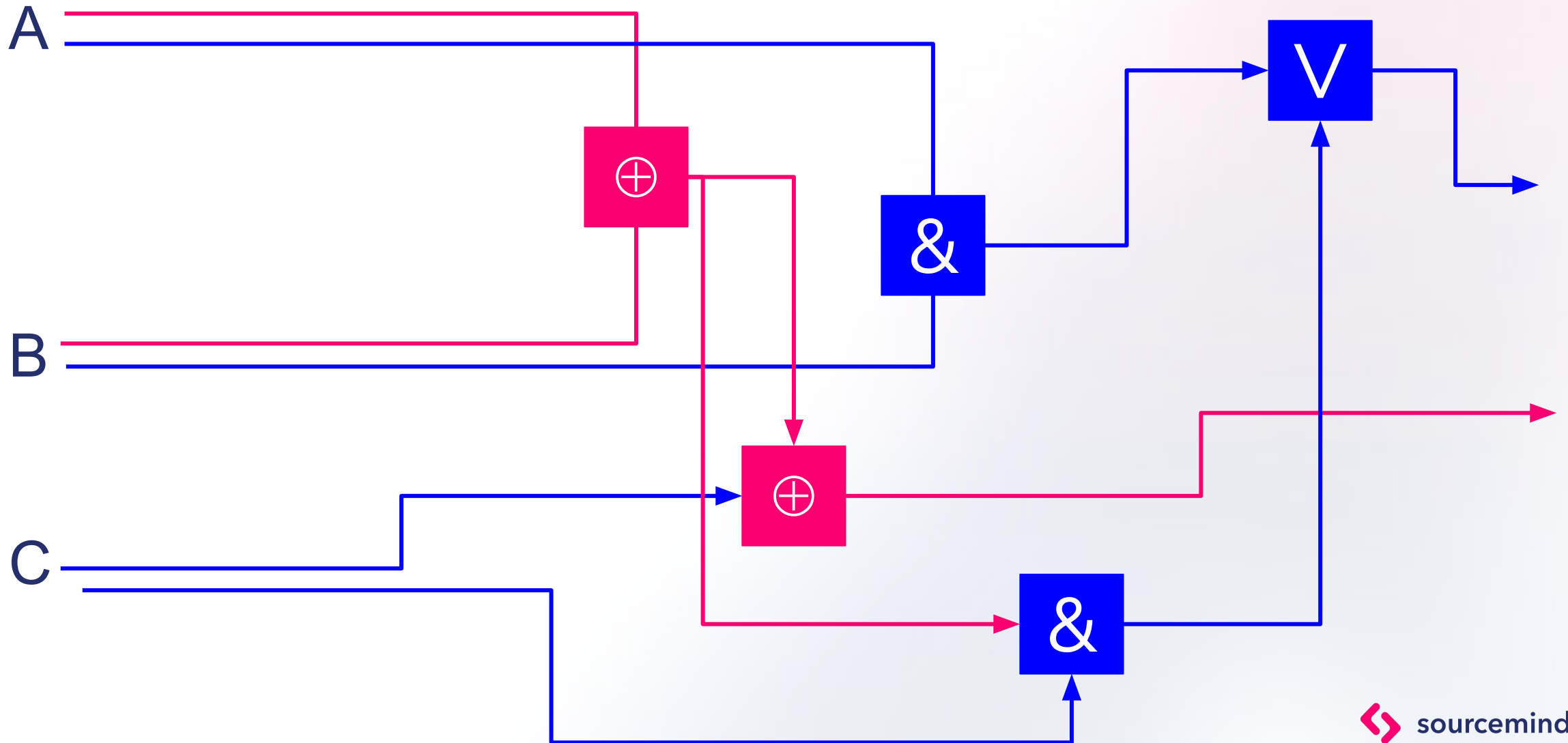
Processor Architecture - Half-Adder



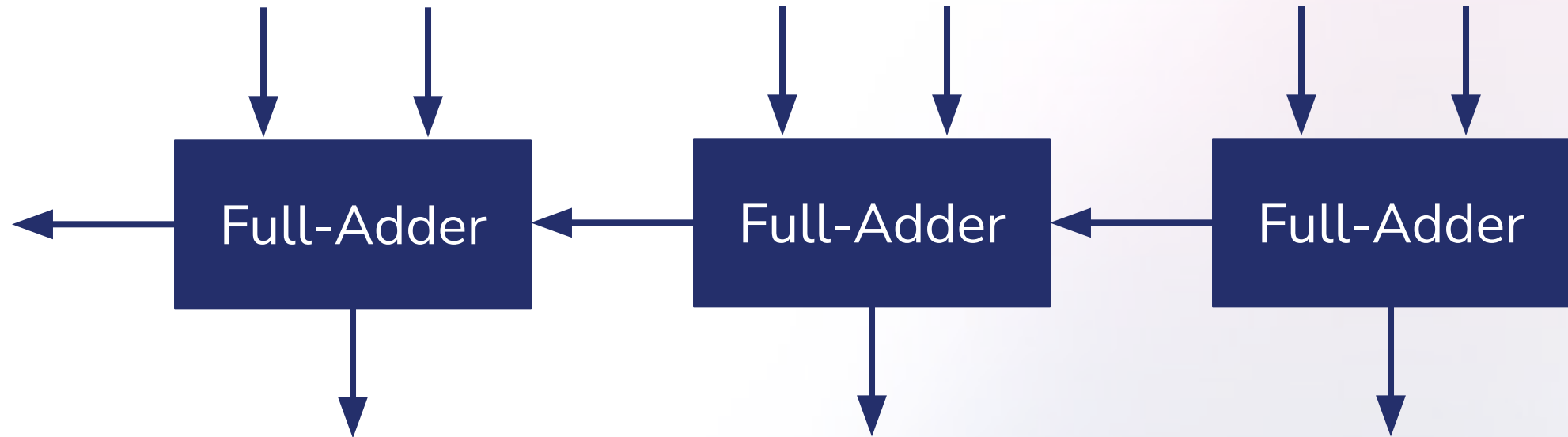
This scheme is called a **half-adder**.

In order to get the correct result, the carried 1 must be properly added and carried again if necessary. This is achieved through the use of **full-adders**.

Processor Architecture - Full-Adder



Processor Architecture - Connected Full-Adders



Processor Architecture - Control Unit

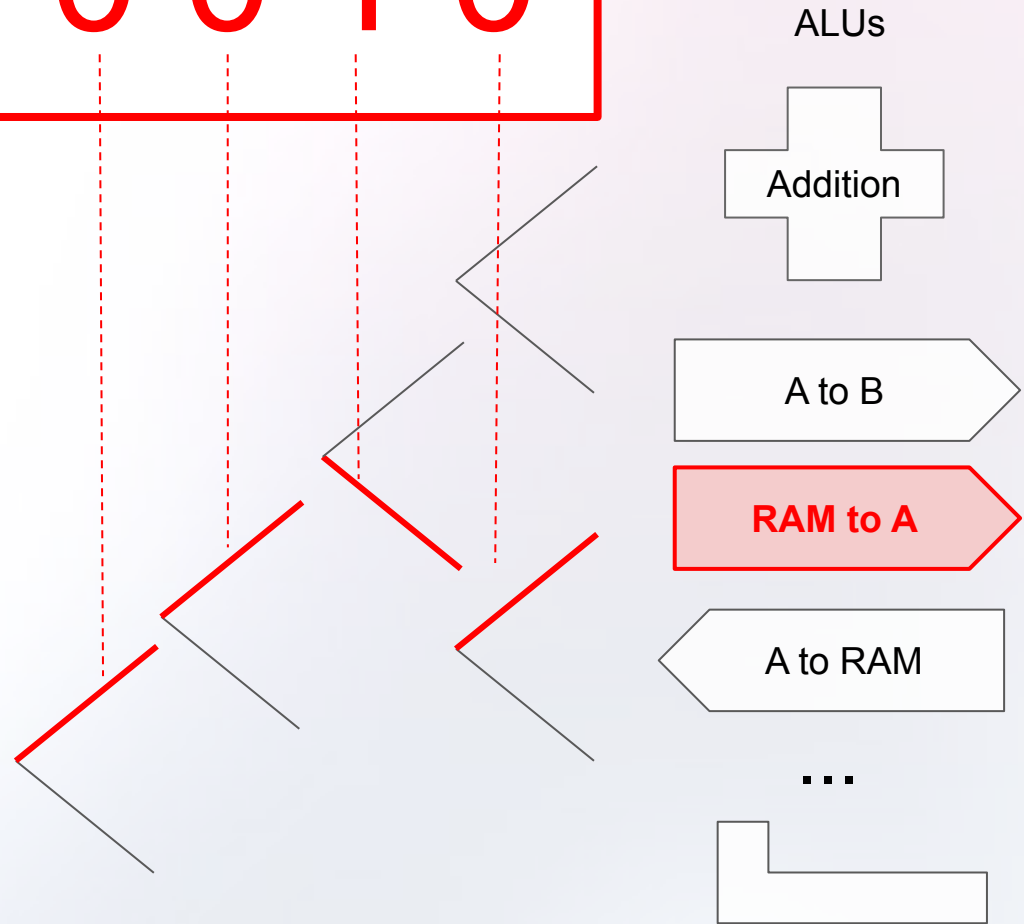
0 0 0 0 0 0 1 0

Instruction

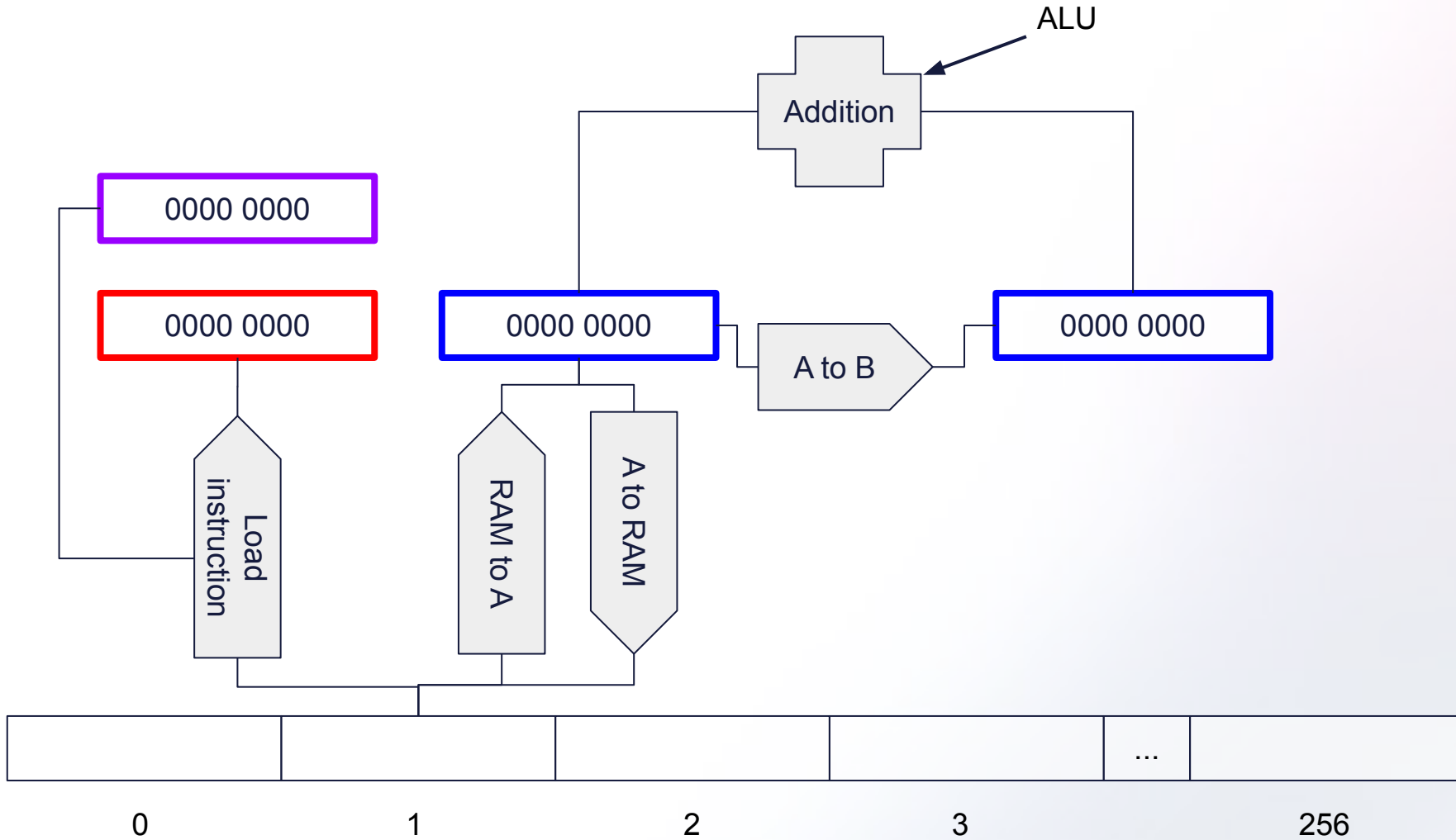
...

Control unit activates ALUs.

In our circuitry, 0 means take the left(up) path, 1 leads right (down)



Processor Architecture - Simplistic Example



Processor Architecture - Fetch, Decode, Exe

Using our architecture, we will simulate the Fetch-decode-exe cycle and run a program that calculates the sum of **6 + 7**.

0000 0010 0000 0111

0000 0001

0000 0010 0000 0110

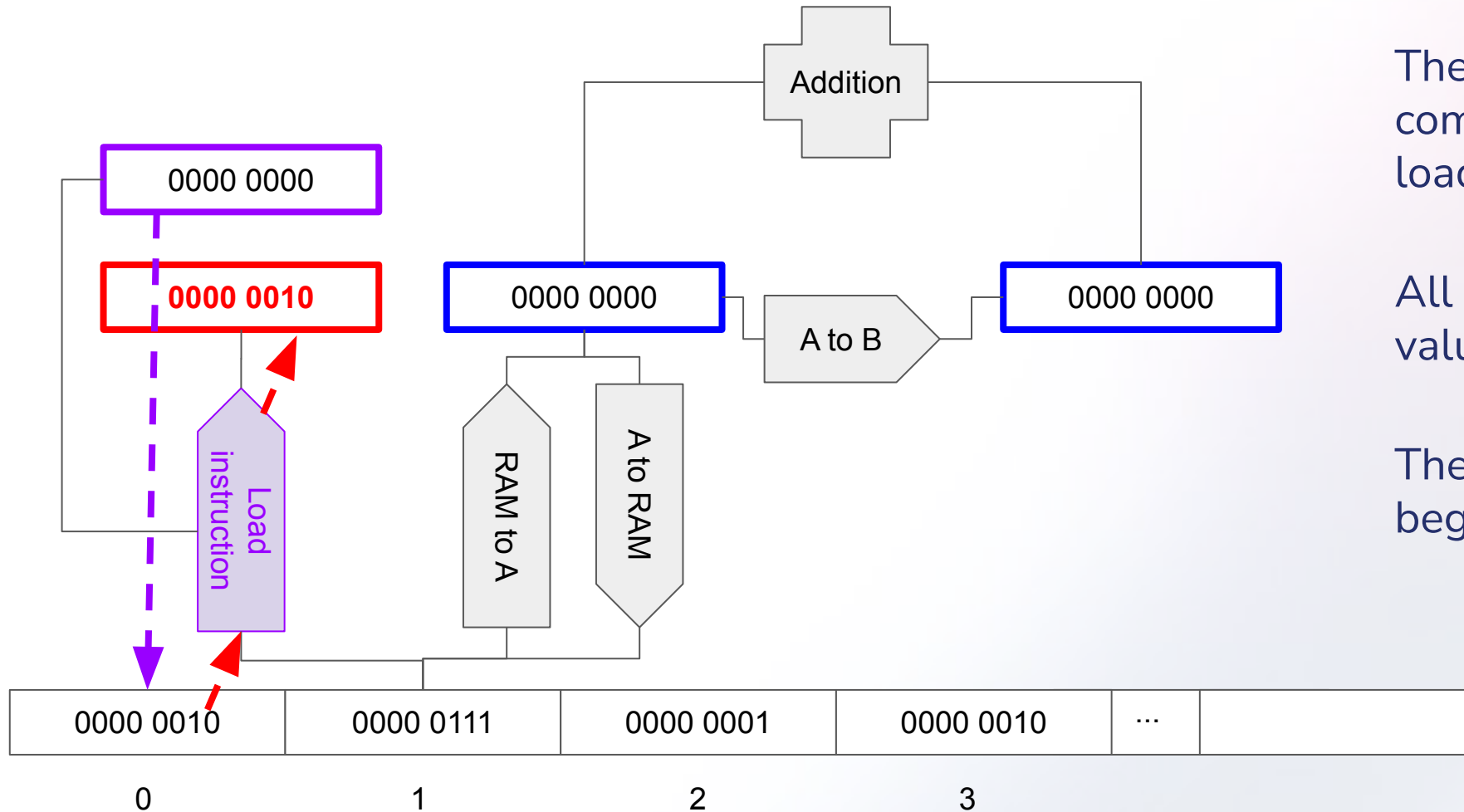
0000 0000

...

Updated values at each step are in **BOLD**

Activated components at each step are highlighted

Processor Architecture - Fetch

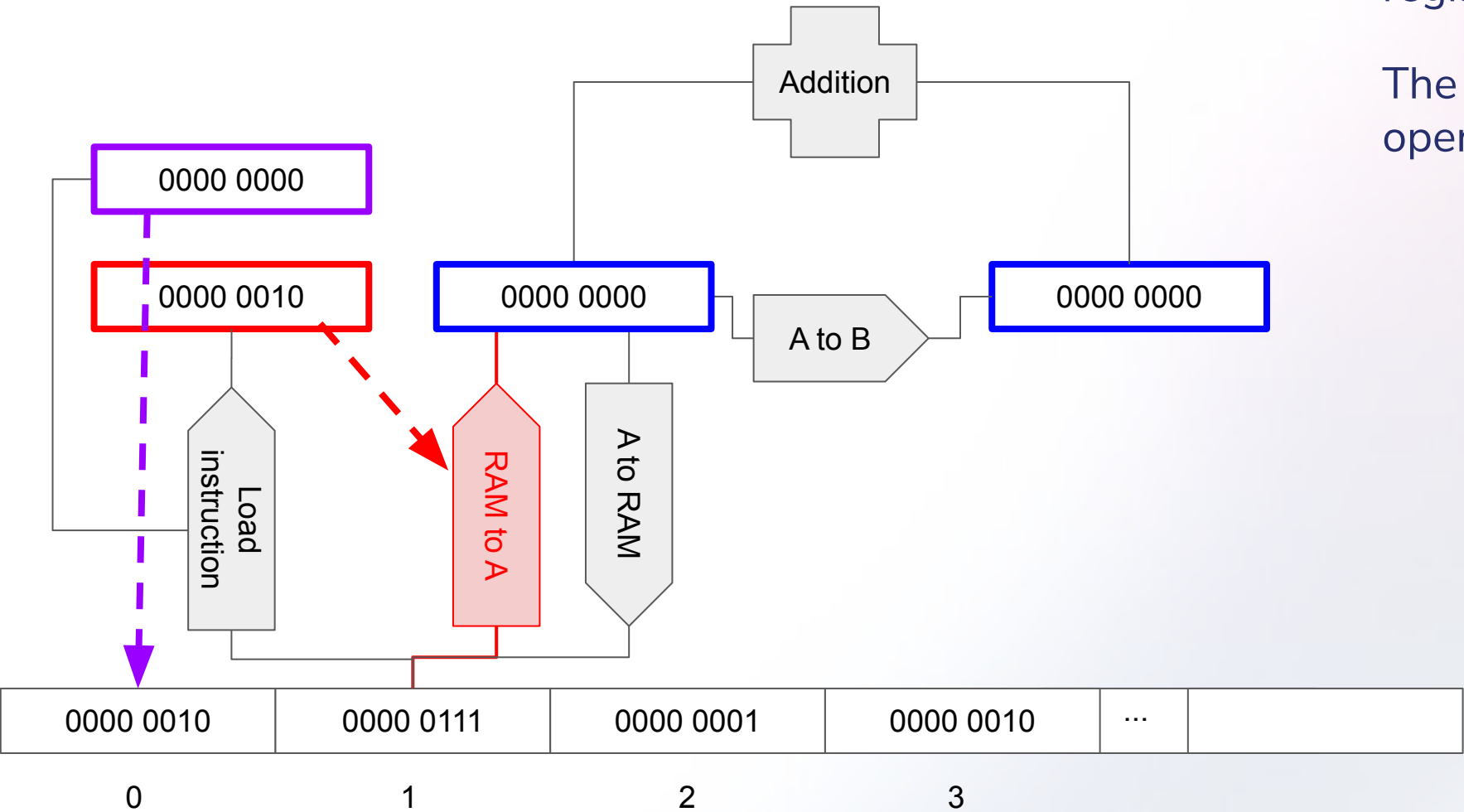


The initial state of our computer has a program loaded in its memory.

All registers start with the value 0.

The fetch-decode-exe cycle begins.

Processor Architecture - Decode

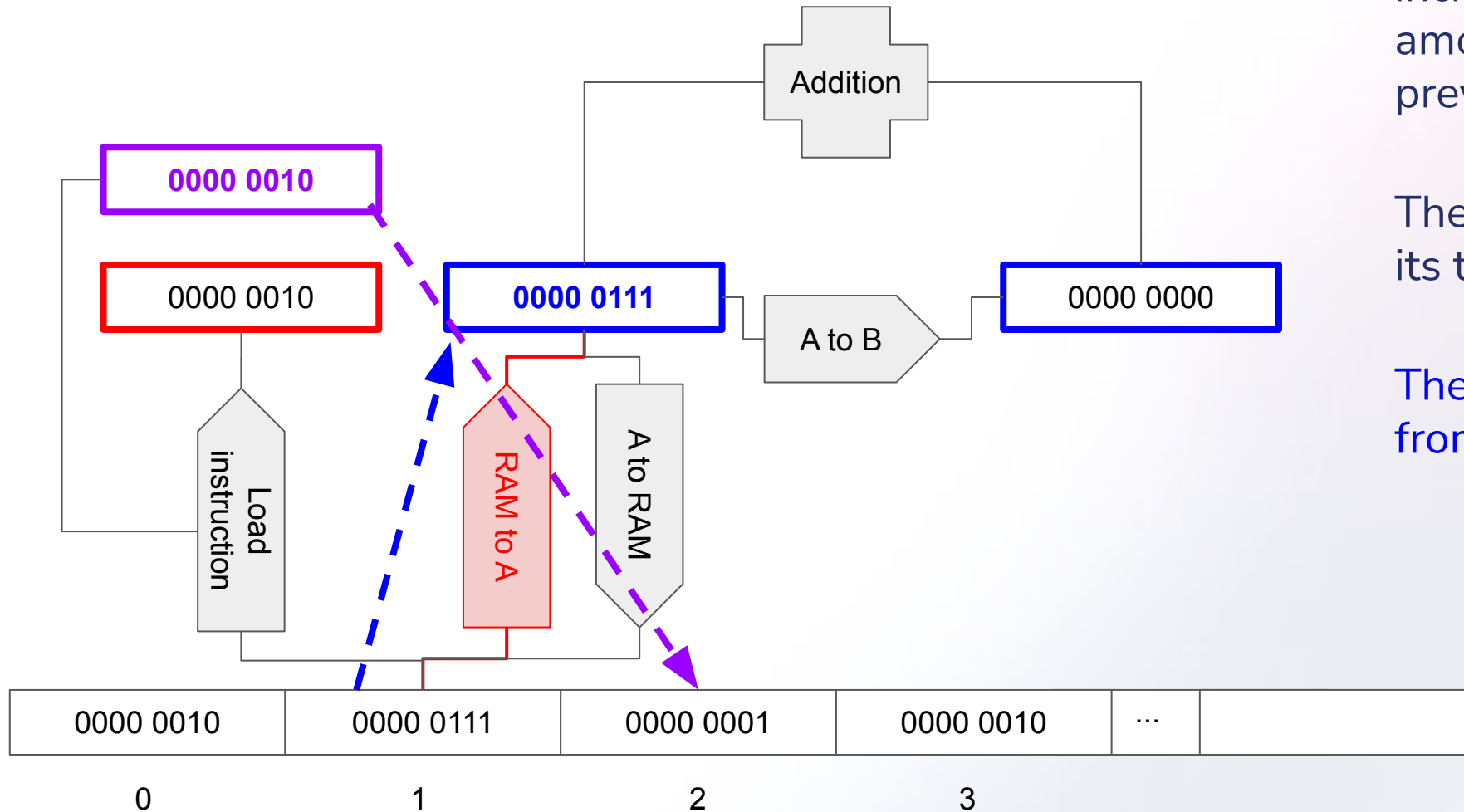


The ALU that corresponds to the value of 2 is RAM to register.

The number of needed operands are determined.

- 0 Addition
- 1 A to B
- 2 RAM to A
- 3 A to RAM

Processor Architecture - Execute

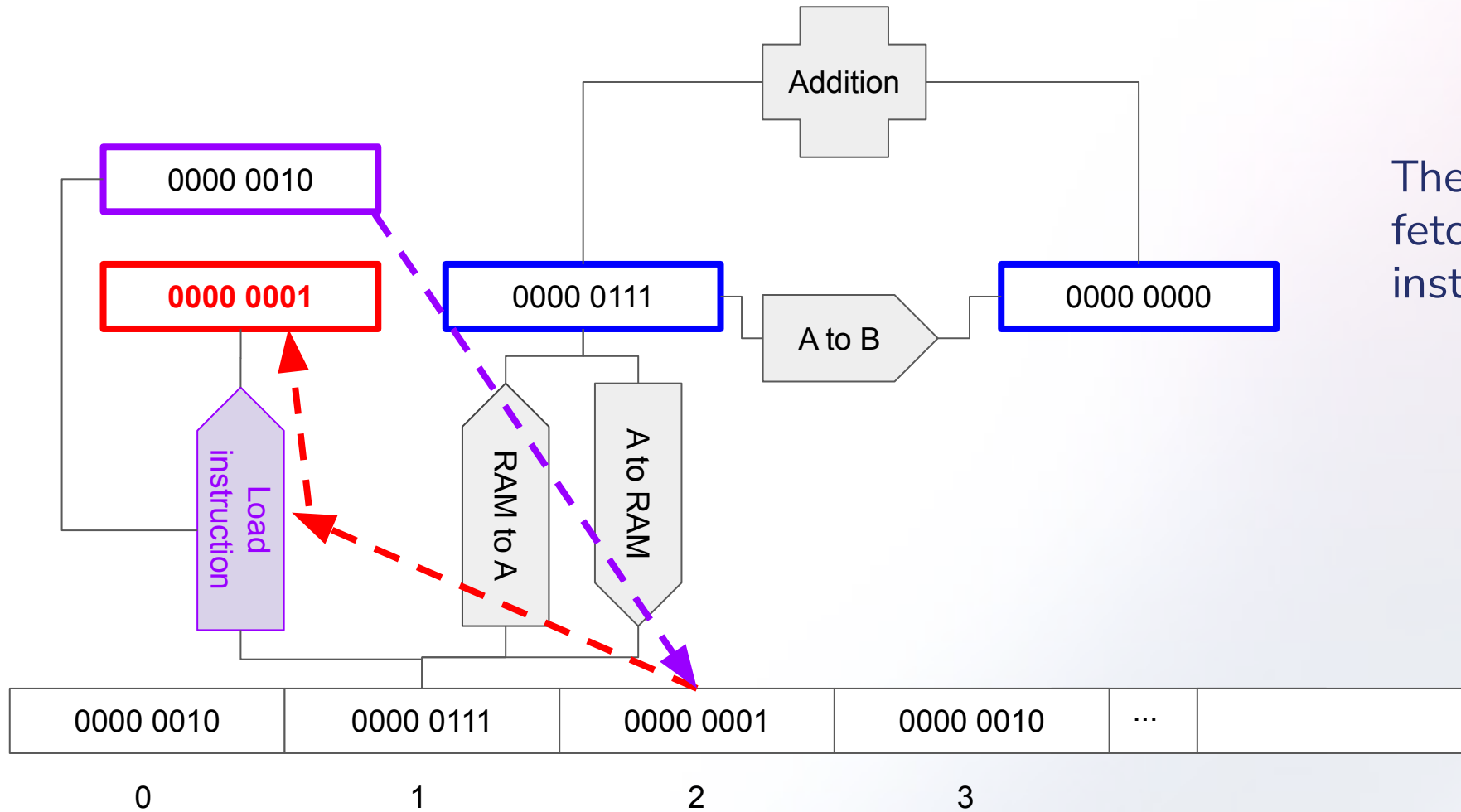


The instruction register is incremented by the necessary amount depending on the previous instruction.

The activated ALU performs its task.

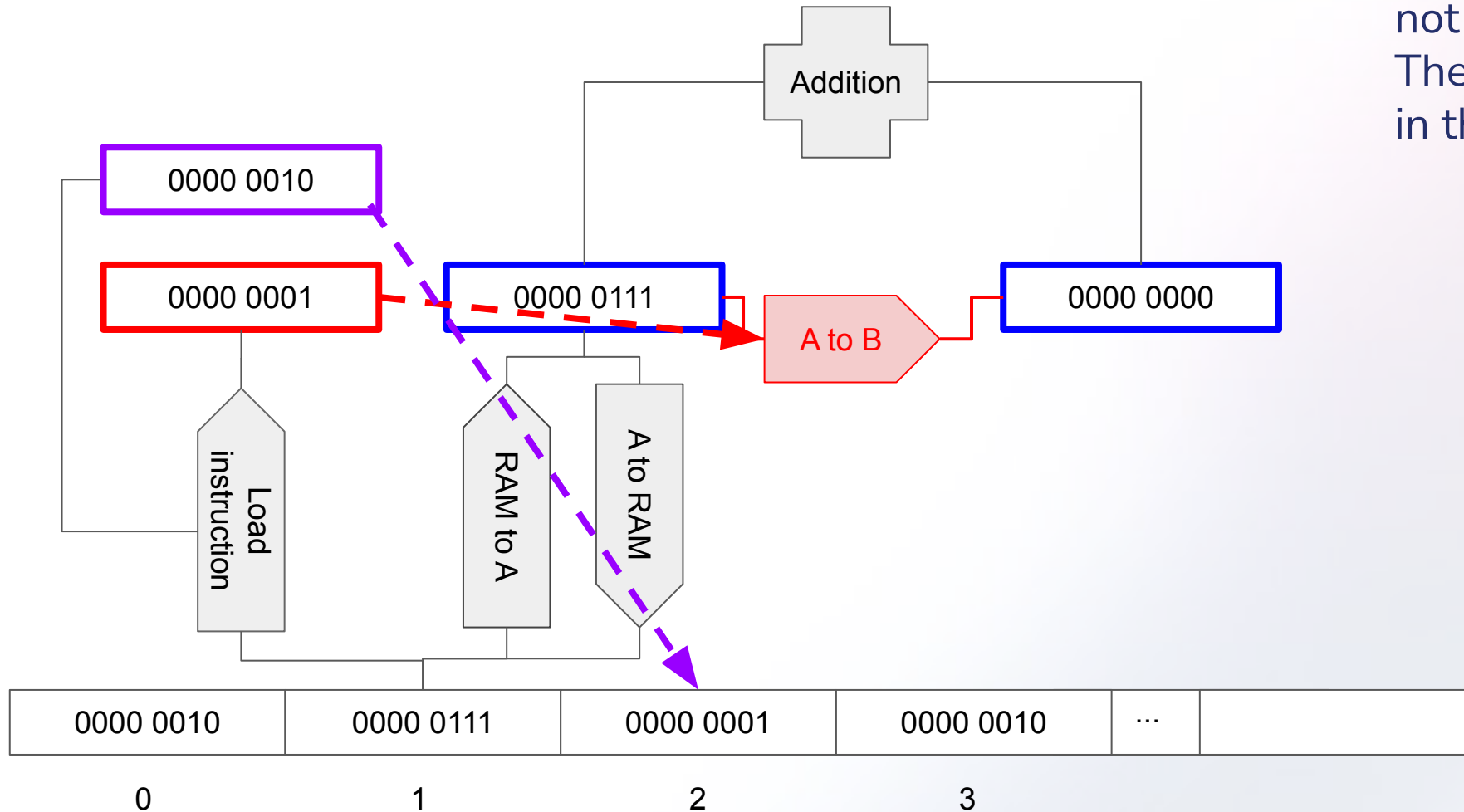
The value has been moved from RAM to A

Processor Architecture - Fetch

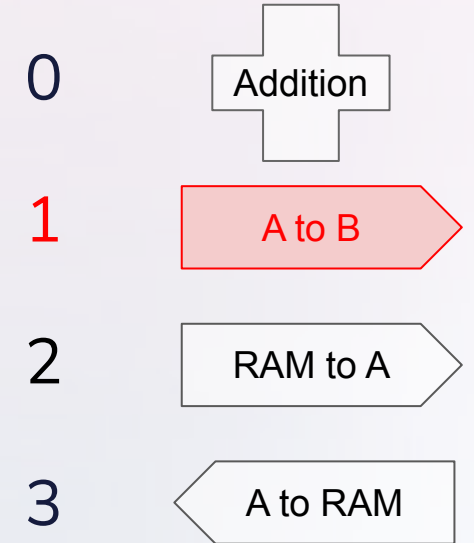


The instruction located at 2 is fetched and moved to the instruction register.

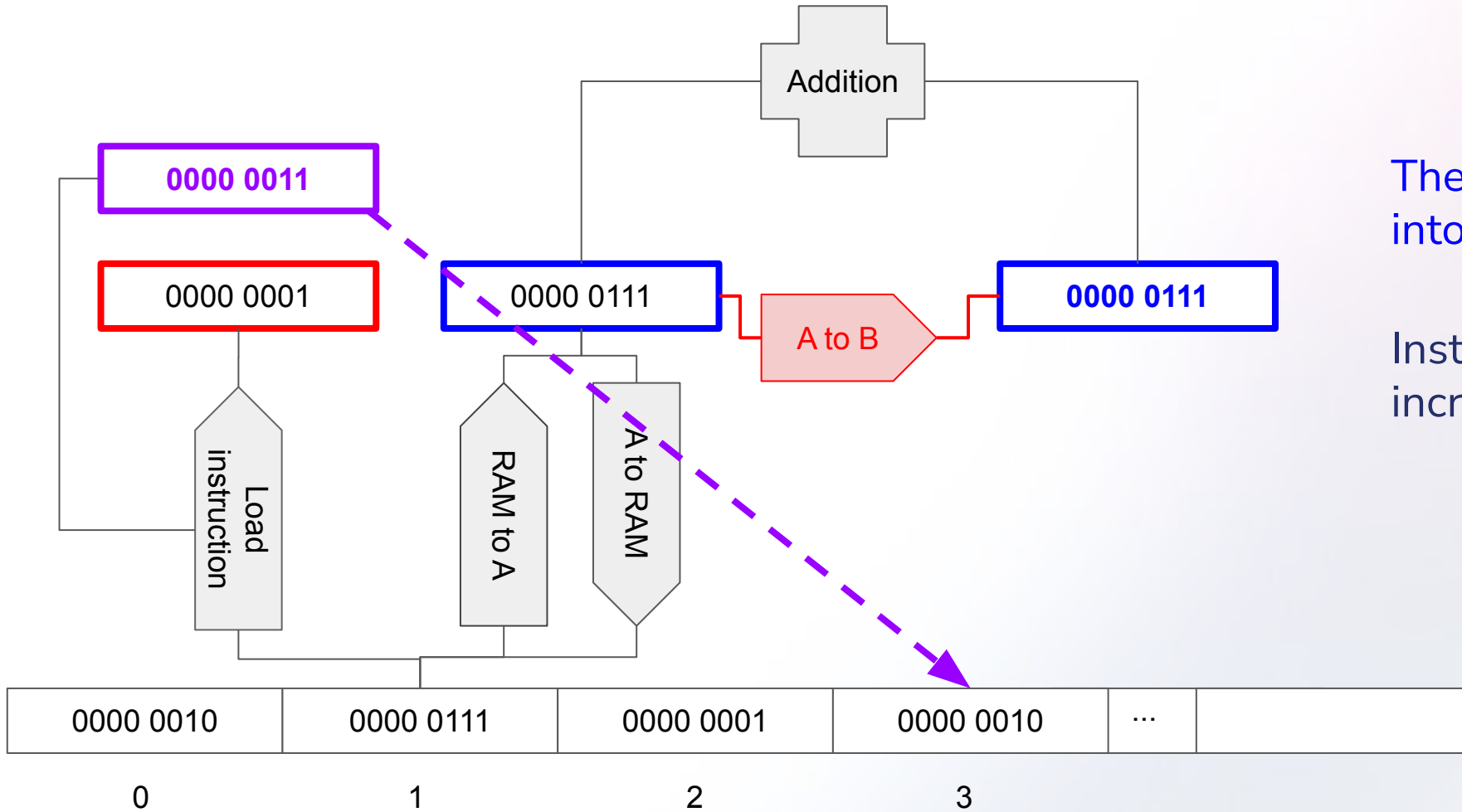
Processor Architecture - Decode



The ALU that corresponds with instruction code 1 does not need operands. The next instruction is located in the adjacent cell.



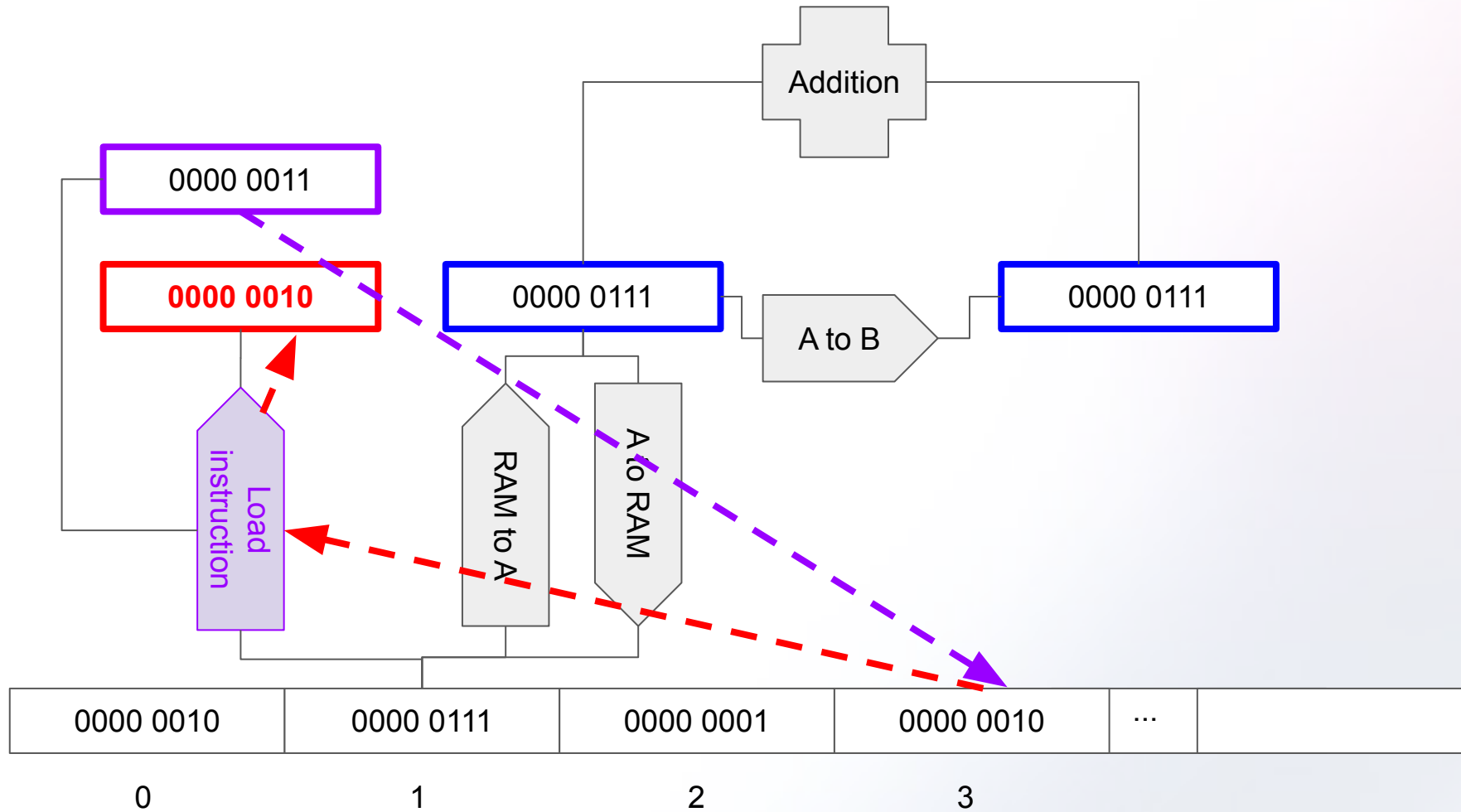
Processor Architecture - Execute



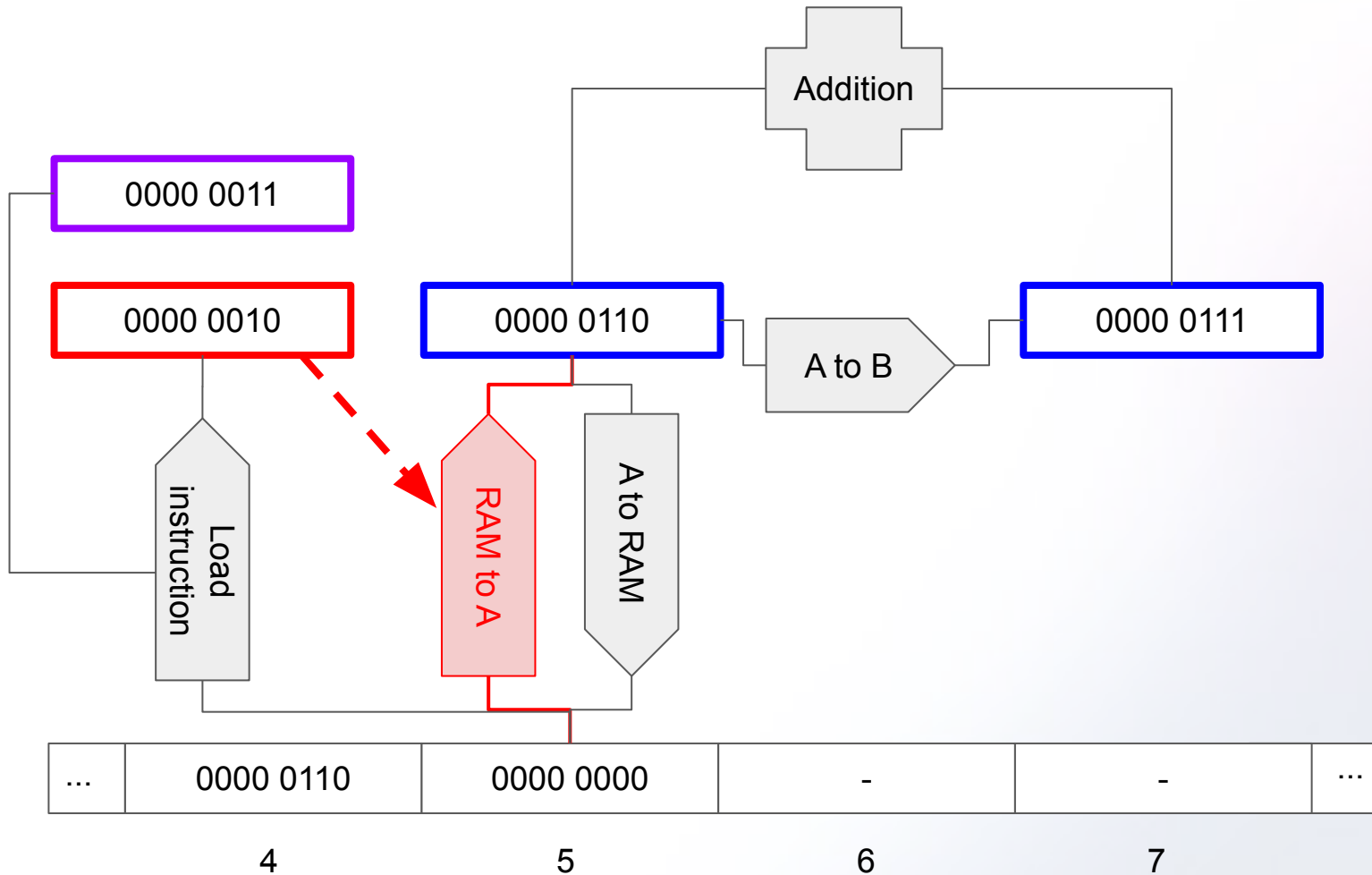
The contents of A is copied into B.

Instruction pointer is incremented accordingly.

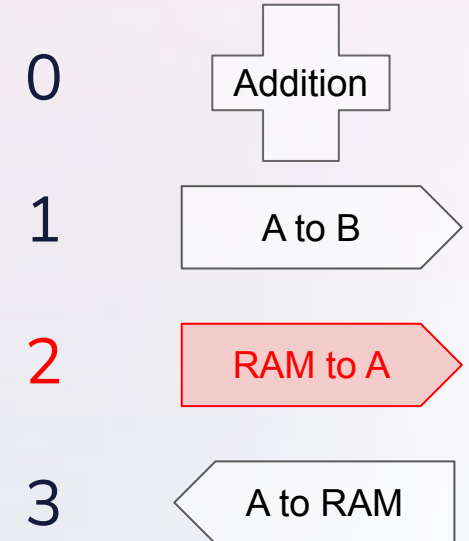
Processor Architecture - Fetch



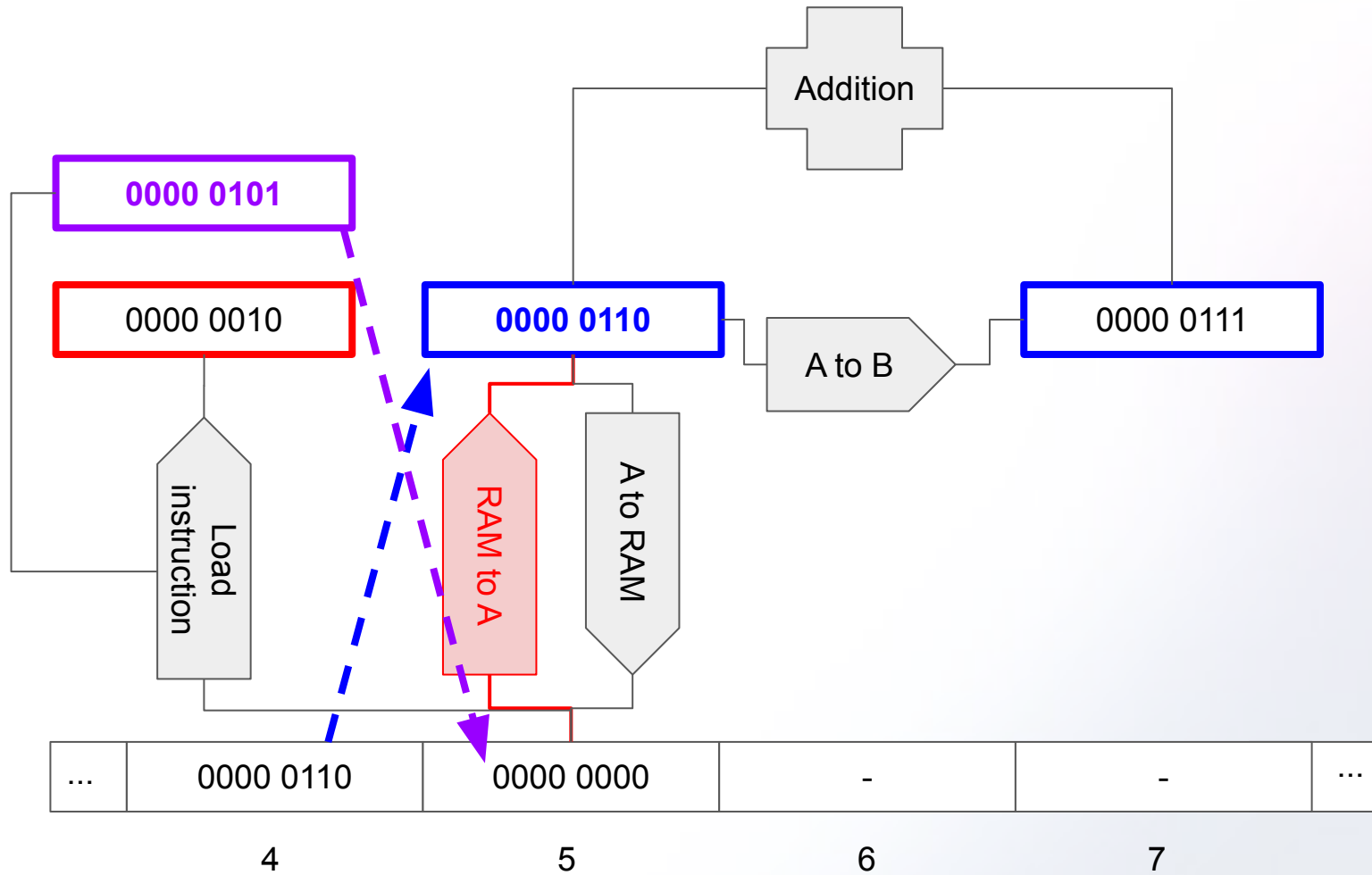
Processor Architecture - Decode



The ALU that corresponds to the value of 2, is determined.

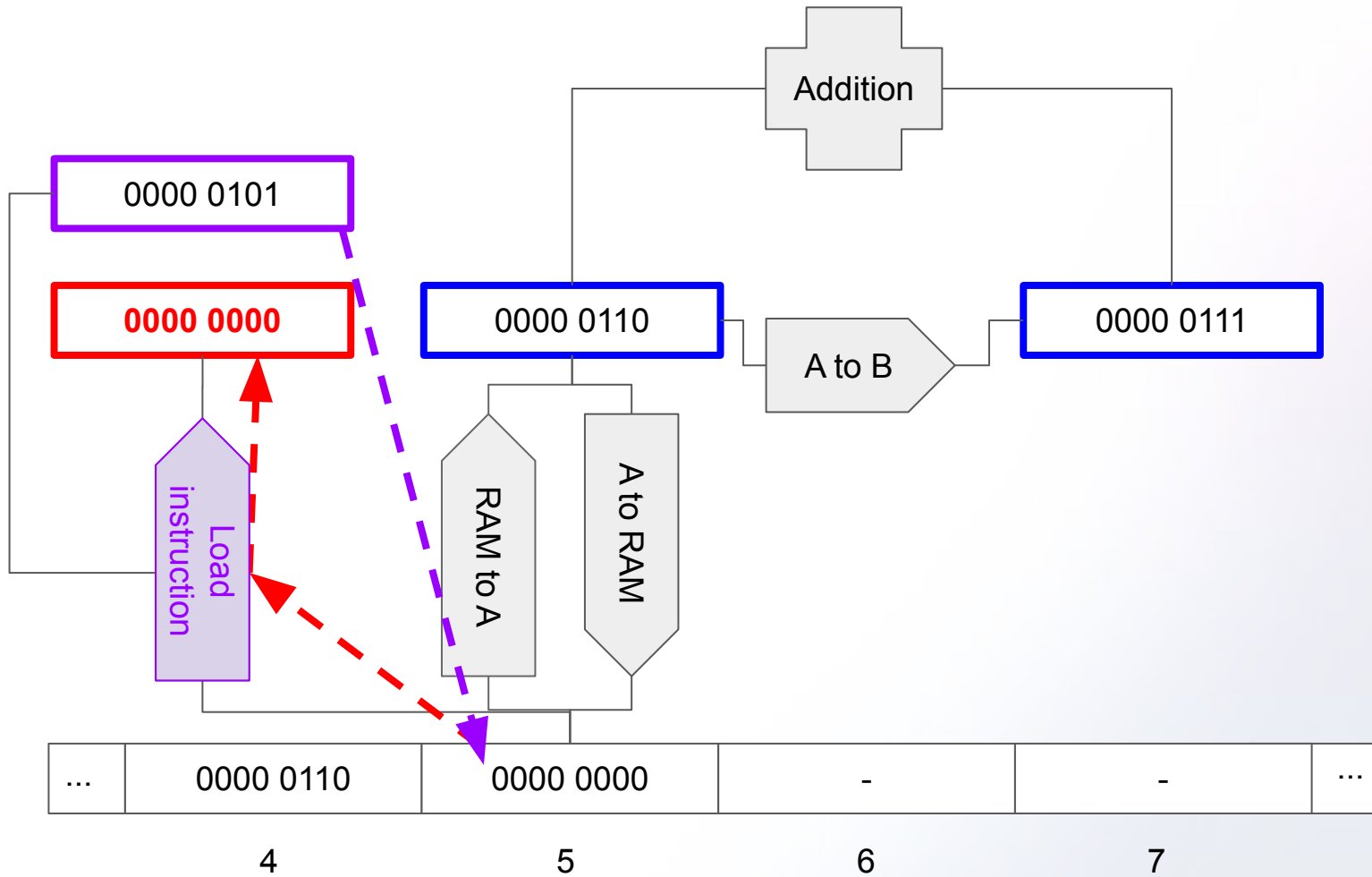


Processor Architecture - Execute

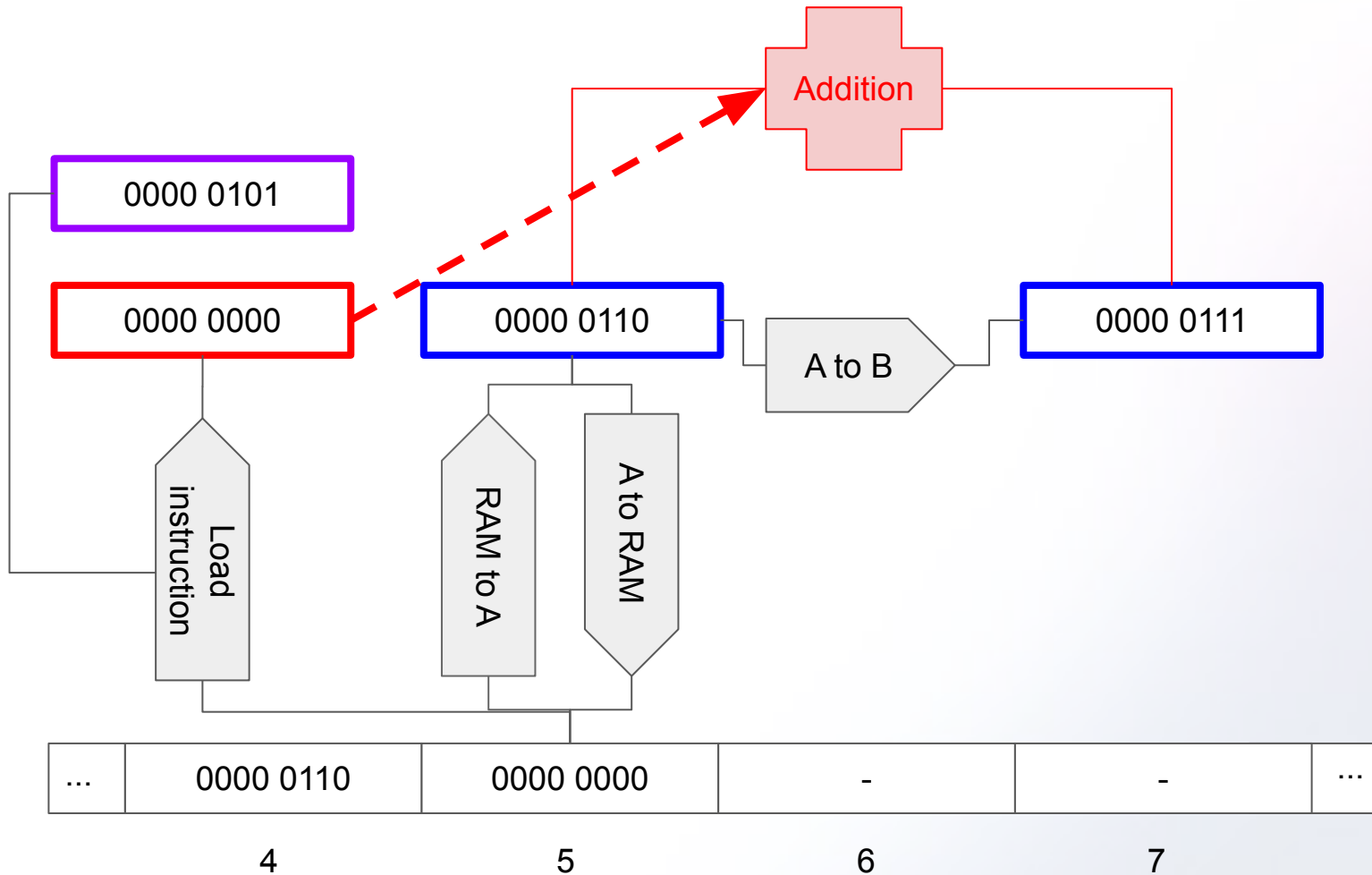


Processor Architecture - Fetch

Fetching the next instruction.

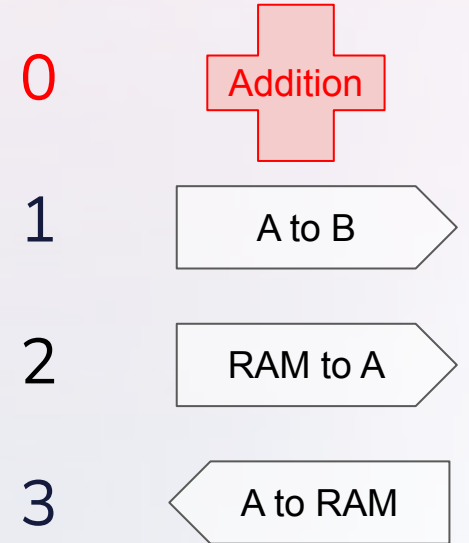


Processor Architecture - Decode

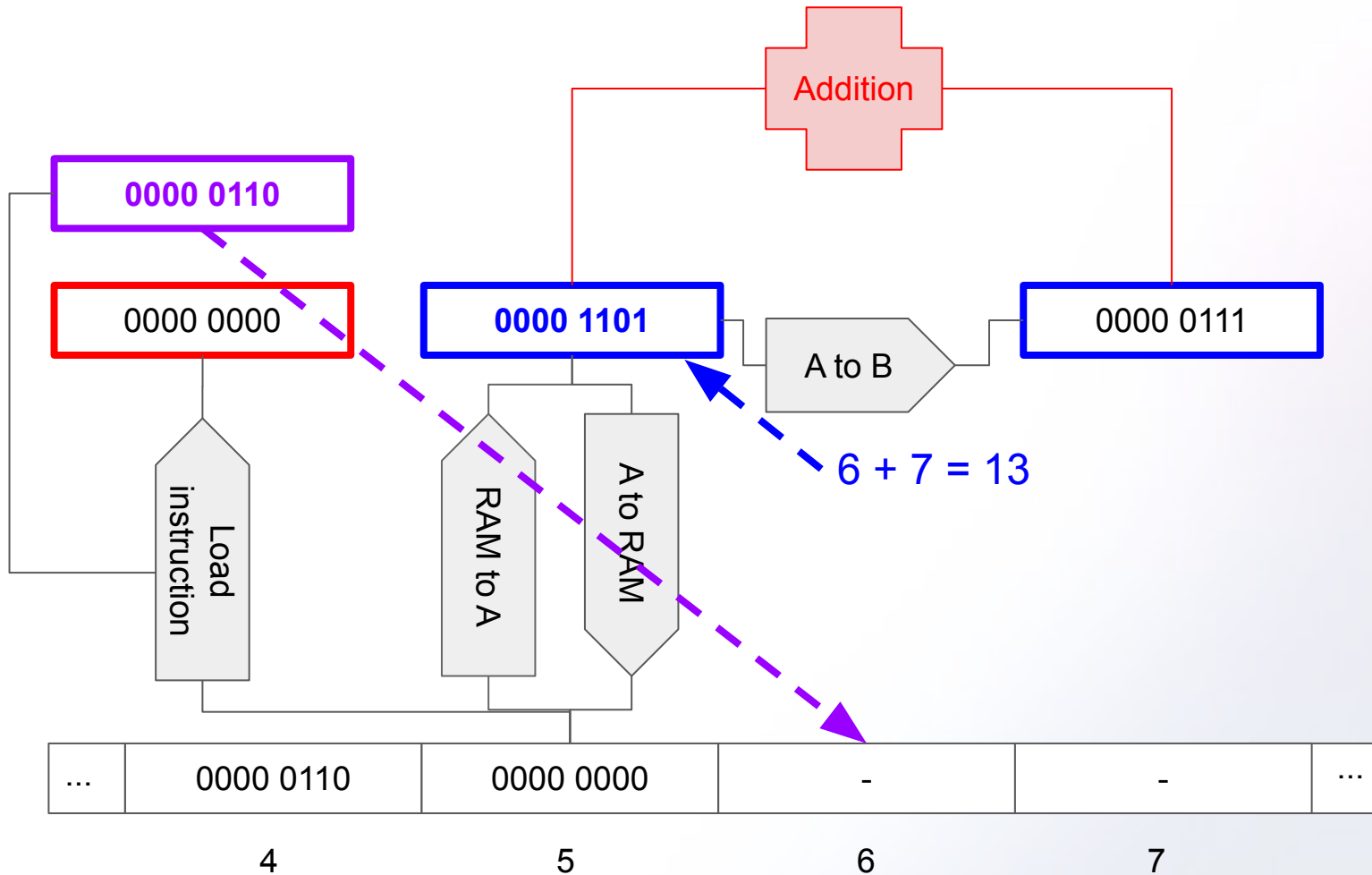


0 is the code for our Addition ALU.

It adds A and B and puts the result in A.



Processor Architecture - Execute



At the end of our program, A contains the result of $6 + 7$ which is 13.

The value remains inside the register. It can be moved to another register or RAM for further use.

Processor Architecture

- Processor cycles are measured in Hertz
- Some micro-instructions are executed in single clock tick. Some architectures have complex instructions that take longer and require multiple ticks.
- Processor speeds are therefore sometimes measured in Flops. (Floating point operation per second)
- Overclocking and Underclocking is the practice of modifying the frequency of the cycles for increased performance or reduced heat and power consumption

Assembly

There is also a more legible form of machine code, called [assembly](#). Instead of binary numbers, it uses mnemonics, but is still at the same lowest machine code level.

The pseudo-code below is compatible with our example CPU.

MOV Ax, 0x07	↔	0000 0010 0000 0111
MOV Bx, Ax	↔	0000 0001
...		...

There is a one-to-one correspondence between pseudo-assembly instructions and machine code.

Hex Editors and Disassemblers

- Hex editors are programs that opens files and present them as binary in the way they are stored.
- A disassembler converts binary executable machine code into assembly.
- End-user License Agreements (the thing that everyone clicks “accept” without ever reading it) often include a clause that prohibits disassembly of proprietary software.

Hex Editor

```
hovak@Hovak-UX31A ~/Desktop
File Edit View Search Terminal Help
hovak@Hovak-UX31A ~/Desktop $ hexdump ./example.exe
00000000 5a4d 0090 0003 0000 0004 0000 ffff 0000
00000010 00b8 0000 0000 0000 0040 0000 0000 0000
00000020 0000 0000 0000 0000 0000 0000 0000 0000
00000030 0000 0000 0000 0000 0000 0000 00e0 0000
00000040 1f0e 0eba b400 cd09 b821 4c01 21cd 6854
00000050 7369 7020 6f72 7267 6d61 6320 6e61 6f6e
00000060 2074 6562 7220 6e75 6920 206e 4f44 2053
00000070 6f6d 6564 0d2e 0a0d 0024 0000 0000 0000
00000080 85ec a15b e4a8 f235 e4a8 f235 e4a8 f235
00000090 eb6b f23a e4a9 f235 eb6b f255 e4a9 f235
000000a0 eb6b f268 e4bb f235 e4a8 f234 e463 f235
000000b0 eb6b f26b e4a9 f235 eb6b f26a e4bf f235
000000c0 eb6b f26f e4a9 f235 6952 6863 e4a8 f235
000000d0 0000 0000 0000 0000 0000 0000 0000 0000
000000e0 4550 0000 014c 0003 7cc3 4110 0000 0000
000000f0 0000 0000 00e0 010f 010b 0a07 7800 0000
00001000 a600 0000 0000 0000 739d 0000 1000 0000
00001100 9000 0000 0000 0100 1000 0000 0200 0000
00001200 0005 0001 0005 0001 0004 0000 0000 0000
00001300 4000 0001 0400 0000 4f7f 0001 0002 8000
00001400 0000 0004 1000 0001 0000 0010 1000 0000
00001500 0000 0000 0010 0000 0000 0000 0000 0000
00001600 7604 0000 00c8 0000 b000 0000 8958 0000
```

Disassembler

```
hovak@Hovak-UX31A ~/Desktop
File Edit View Search Terminal Help
hovak@Hovak-UX31A ~/Desktop $ objdump -d ./example.exe

./example.exe:      file format pei-i386

Disassembly of section .text:

01001000 <.text>:
1001000:      c8 6f dd 77      enter    $0xdd6f,$0x77
1001004:      f0 6b dd 77      lock imul $0x77,%ebp,%ebx
1001008:      7d 8f            jge      0x1000f99
100100a:      df 77 fd        fbstp    -0x3(%edi)
100100d:      d5 df            aad      $0xdf
100100f:      77 83            ja       0x1000f94
1001011:      78 dd            js       0x1000ff0
1001013:      77 1b            ja       0x1001030
1001015:      76 dd            jbe      0x1000ff4
1001017:      77 cc            ja       0x1000fe5
1001019:      d7              xlat     %ds:(%ebx)
100101a:      dd 77 00        fnsave   0x0(%edi)
100101d:      00 00            add      %al, (%eax)
100101f:      00 ed            add      %ch,%ch
1001021:      d2 3d 77 00 00 00 sarb     %cl,0x77
1001027:      00 23            add      %ah, (%ebx)
```

Additional Links

Two's Complement

<https://www.cs.cornell.edu/~tomf/notes/cps104/twoscomp.html>

YouTube counter on Gangnam Style

<https://www.exploringbinary.com/gangnam-style-video-overflows-youtube-counter/>

ASCII Table

<https://www.asciitable.com/>

Color Picker

<https://htmlcolorcodes.com/color-picker/>

Motherboard

<https://www.youtube.com/watch?v=b2pd3Y6aBag>

Registers and RAM

<https://www.youtube.com/watch?v=fpnE6UAfbtU>

Storage

<https://www.youtube.com/watch?v=TQCr9RV7twk>

Magnetic storage

<https://www.youtube.com/watch?v=wteUW2sL7bc>

Zone bit recording

https://en.wikipedia.org/wiki/Zone_bit_recording

32-bit x86 Architecture

<http://flint.cs.yale.edu/cs421/papers/x86-asm/asm.html>

CPU manufacturing process

<https://www.youtube.com/watch?v=qm67wbB5Gml>

Addition ALU

<https://www.youtube.com/watch?v=1I5ZMmrOfnA>

https://www.electronics-tutorials.ws/combinational/comb_7.html