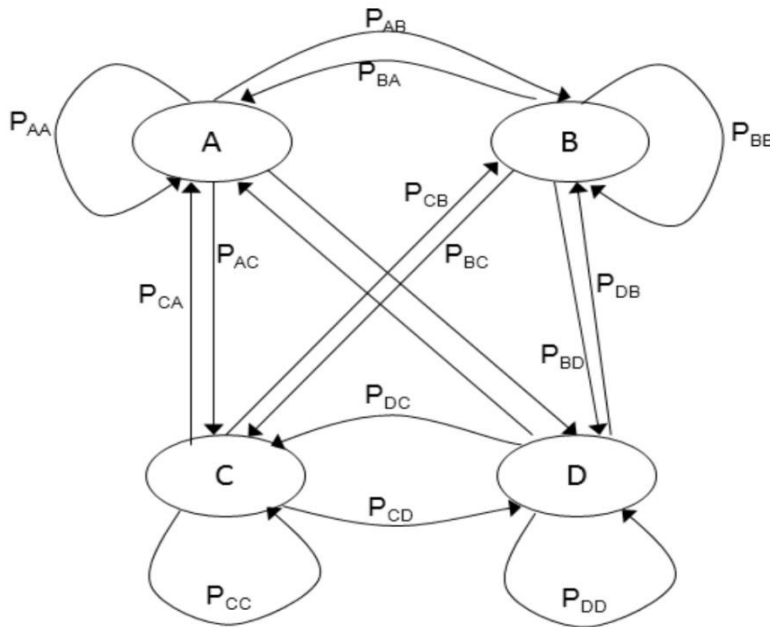


For simplicity assume that we are modelling the above reaction involving three enzymes.

The Markovian process will have 4 states: substrate, intermediate substrate A, intermediate substrate B, and the end product. This can be visualized below:



$$\mathbf{P} = \begin{bmatrix} P_{AA} & P_{AB} & P_{AC} & P_{AD} \\ P_{BA} & P_{BB} & P_{BC} & P_{BD} \\ P_{CA} & P_{CB} & P_{CC} & P_{CD} \\ P_{DA} & P_{DB} & P_{DC} & P_{DD} \end{bmatrix}$$

Where substrate = A, intermediate substrate A = B, intermediate substrate B = C, and end product = D.

\mathbf{P} represents the transition matrix that will be used to calculate the probability distribution at any given time among the 4 states. *NOTE:* P_{AA} represents the probability that some enzyme in state A will stay in state A after a given cycle (this is a discrete-time Markovian process), and P_{CA} represents the probability that an enzyme will transfer from state A to state C after a given cycle.

The Markov Property.

For any positive integer n and possible states i_0, i_1, \dots, i_n of the random variables,

$$P(X_n = i_n \mid X_{n-1} = i_{n-1}) = P(X_n = i_n \mid X_0 = i_0, X_1 = i_1, \dots, X_{n-1} = i_{n-1}).$$