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<u>utm\_medium=Exinfluencer&utm\_source=Exinfluencer&utm\_content=000026UJ&utm\_term=10006555&utm\_id=NASkillsNetwork-Channel-SkillsNetworkCoursesIBMDeveloperSkillsNetworkRP0321ENSkillsNetwork25371262-2021-01-01)</u>

**Refine the Baseline Regression Models** 

Estimated time needed: 120 minutes

### Lab Overview:

Now you have built a baseline regression model with some relatively good RMSE and R-squared reported values. However, we could still improve it by using methods like adding polynomial and interaction terms, regularization, and so on.

In this lab, you will be asked to continue using tidymodels to improve the performance of baseline model:

- TASK: Add polynomial terms
- · TASK: Add interactions terms
- TASK: Add regularizations terms
- TASK: Experiment to search for improved models

Let's start!

First install and import necessary libraries

```
In [36]: # Check whether you need to install `rlang` and `tidymodels` libraries
    install.packages("rlang")
    install.packages("tidymodels")

Updating HTML index of packages in '.Library'
    Making 'packages.html' ... done
    Updating HTML index of packages in '.Library'
    Making 'packages.html' ... done
In [37]: library("tidymodels")
library("tidyverse")
library("stringr")
```

The processed Seoul bike sharing dataset seoul\_bike\_sharing\_converted\_normalized.csv , includes the converted indicator variables, and the numerical variables have been normalized. Let's read it as a dataframe first:

```
In [38]: # Dataset URL
    dataset_url <- "https://cf-courses-data.s3.us.cloud-object-storage.appdomain.c
    loud/IBMDeveloperSkillsNetwork-RP0321EN-SkillsNetwork/labs/datasets/seoul_bike
    _sharing_converted_normalized.csv"
    bike_sharing_df <- read_csv(dataset_url)
    spec(bike_sharing_df)</pre>
```

```
Parsed with column specification:
cols(
  .default = col_double(),
  DATE = col character(),
  FUNCTIONING DAY = col character()
See spec(...) for full column specifications.
cols(
  DATE = col character(),
  RENTED_BIKE_COUNT = col_double(),
  TEMPERATURE = col double(),
  HUMIDITY = col_double(),
  WIND SPEED = col double(),
  VISIBILITY = col double(),
  DEW POINT TEMPERATURE = col double(),
  SOLAR_RADIATION = col_double(),
  RAINFALL = col double(),
  SNOWFALL = col_double(),
  FUNCTIONING_DAY = col_character(),
  `0` = col_double(),
  `1` = col double(),
  `10` = col_double(),
  `11` = col double(),
  `12` = col_double(),
  `13` = col_double(),
  `14` = col double(),
  `15` = col double(),
  `16` = col double(),
  `17` = col_double(),
  `18` = col_double(),
  `19` = col_double(),
  `2` = col double(),
  `20` = col double(),
  `21` = col_double(),
  `22` = col_double(),
  `23` = col_double(),
  `3` = col_double(),
  `4` = col double(),
  `5` = col_double(),
  `6` = col_double(),
  `7` = col_double(),
  `8` = col double(),
  `9` = col_double(),
  AUTUMN = col double(),
  SPRING = col double(),
  SUMMER = col double(),
  WINTER = col_double(),
  HOLIDAY = col double(),
  NO HOLIDAY = col double()
)
```

We won't be using the DATE column, because 'as is', it basically acts like an data entry index. (However, given more time, we could use the DATE colum to create a 'day of week' or 'isWeekend' column, which we might expect has an affect on preferred bike rental times.) We also do not need the FUNCTIONAL DAY column because it only has one distinct value remaining (YES) after missing value processing.

Define a linear regression model specification.

```
In [40]: lm_spec <- linear_reg() %>%
    set_engine("lm") %>%
    set_mode("regression")
```

Split the data into training and testing datasets.

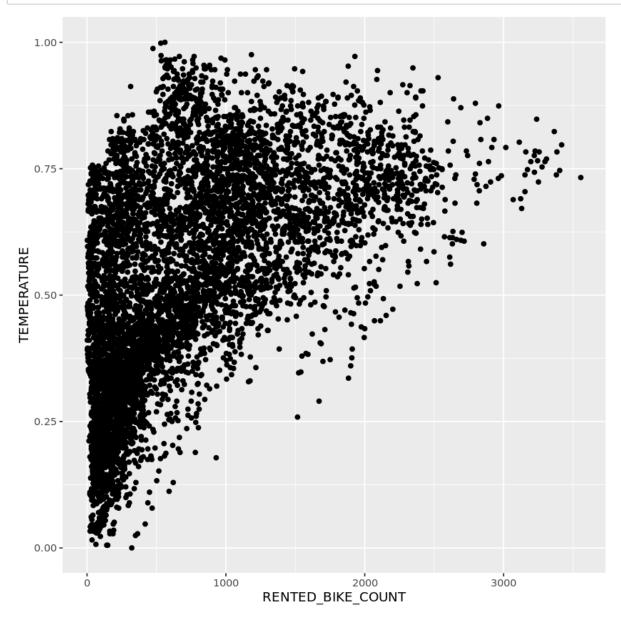
```
In [41]: set.seed(1234)
  data_split <- initial_split(bike_sharing_df, prop = 4/5)
  train_data <- training(data_split)
  test_data <- testing(data_split)</pre>
```

Now we are ready to refine the previous baseline regression model.

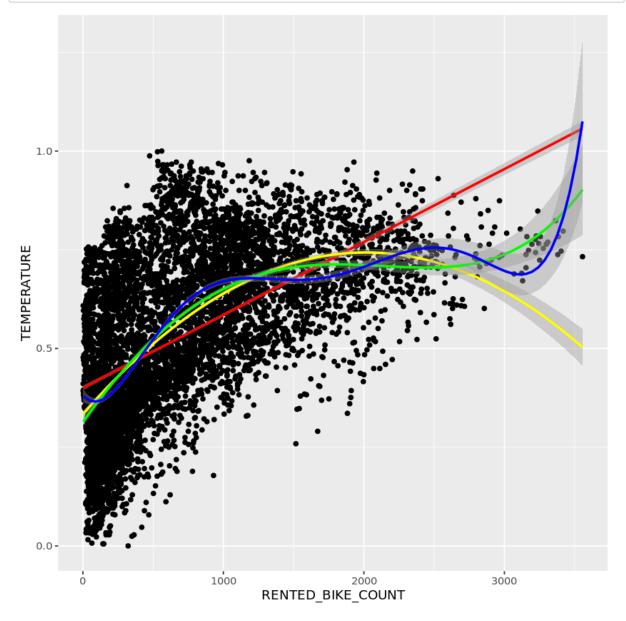
## TASK: Add polynomial terms

Linear regression models are the most suitable models to capture the linear correlations among variables. However, in real world data, many relationships may be non-linear.

For example, the correlation between RENTED\_BIKE\_COUNT and TEMPERATURE does not look like linear:



One solution to handle such nonlinearity is using polynomial regression by adding polynomial terms. As shown before, higher order polynomials are better than the first order polynomial.



OK, let's add some higher order polynomials of important variables to the regression models

TODO: Fit a linear regression model lm\_poly with higher order polynomial terms on the important variables (larger coefficients) found in the baseline model

TODO: Make predictions on test dataset using the 1m poly models

NULL

NULL

Traceback:

```
In [49]: # Use predict() function to generate test results for `lm_poly`
    test_results <- predict(data=lm_poly)

Error in UseMethod("predict"): no applicable method for 'predict' applied to an object of class "formula"
    Traceback:
    1. predict(data = lm_poly)</pre>
```

Another minor improvement we could do here is to convert all negative prediction results to zero, because we can not have negative rented bike counts

```
In [47]: # e.g., test_results[test_results<0] <- 0
    test_results[test_results<0] <- 0</pre>
Error in test_results[test_results < 0] <- 0: object 'test_results' not found</pre>
```

Now, calculate R-squared and RMSE for the test results generated by 1m ploy model

If you include all variables, and additionally include some of the more important ones as higher order poly terms, then you should notice improved R-squared and RMSE values.

### TASK: Add interaction terms

In real-world scenarios, in addition to non-linear relationships between response variables and predictor variables, you may also encounter relationships among variables called interaction effects.

For example, the effect of predictor variable TEMPERATURE on RENTED\_BIKE\_COUNT may also depend on other variables such as HUMIDITY, RAINFALL, or both (they interact) and the effect of SEASON on RENTED\_BIKE\_COUNT may also depend on HOLIDAY, HOUR, or both.

To capture such interaction effects, we could add some interaction terms such as RAINFALL\*HUMIDITY to the regression model, similar to what we did with polynominal terms. In this task, you will explore and conduct some experiments to search for interaction terms which will improve the model performance.

*TODO:* Try adding some interaction terms to the previous polynomial models.

## **TASK: Add regularization**

In previous tasks, you were asked to add polynominal and interaction terms to the model, aiming to capture nonlinearity and interaction effects between the predictor variables. Hopefully, your updated models have better R-squared and RMSE values.

However, adding these terms makes your model more complicated, more difficult to explain, and more likely to suffer from overfitting. To overcome these issues, one solution is to add regularization terms to your models.

When building the baseline model, we used the basic 1m engine. In this task, you will use a more advanced and generalized g1mnet engine. It provides a generalized linear model with Lasso, Ridge, and Elastic Net regularizations.

In general, using glmnet can enhance your models in the following ways:

- Address overfitting issues by shrinking the coefficients
- Address predictor variable colinearity by selecting only one variable from each group of colinear variables (by shrinking their coefficients to zero)
- Make your models more interpretable due to simplification (fewer variables in the outcome models)

Now, let's switch our regression engine to glmnet

TODO: Define a linear regression model specification glmnet\_spec using glmnet engine

Fit a glmnet model called lm\_glmnet using the fit() function. For the formula part, keep the polynominal and interaction terms you used in the previous task.

```
In [15]: install.packages('glmnet')
    library('glmnet')
    also installing the dependency 'shape'

    Updating HTML index of packages in '.Library'
    Making 'packages.html' ... done
    Loading required package: Matrix

Attaching package: 'Matrix'

The following objects are masked from 'package:tidyr':
    expand, pack, unpack
    Loaded glmnet 4.1-2

In []: # Fit a glmnet model using the fit() function
    glmnet.fit(x,y)

In []: # Report rsq and rmse of the `lm_glmnet` model
```

## TASK: Experiment to search for improved models

Now you understand some of the methods that you can use to try to improve your models.

*TODO:* Experiment by building and testing at least five different models. For each of your experiments, include polynomial terms, interaction terms, and one of the three regularizations we introduced.

Here are the performance requirements for your best model:

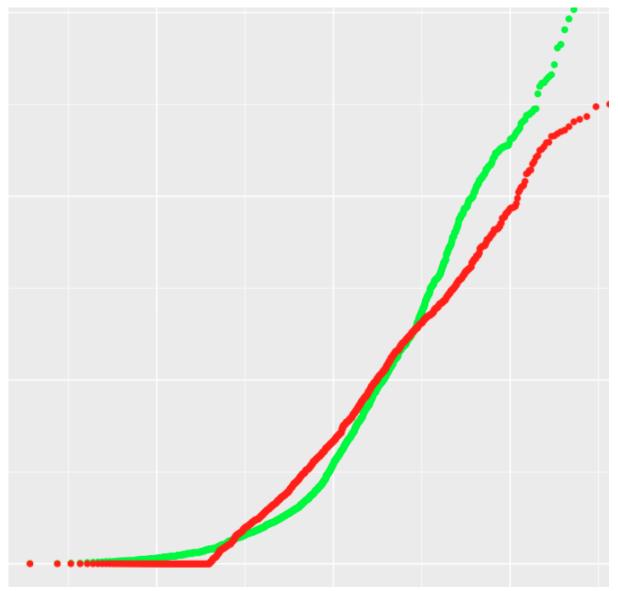
- The RMSE should be less than 330 (rougly 10% of the max value in test dataset)
- R-squared should be greater than 0.72

TODO: Visualize the saved RMSE and R-squared values using a grouped barchart

```
In [ ]: # HINT: Use ggplot() + geom_bar()
```

*TODO:* Create a Q-Q plot by plotting the distribution difference between the predictions generated by your best model and the true values on the test dataset.

One example of such Q-Q plot may look like this:



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# More model improvment methods beyond this course

In addition to the methods mentioned in this lab and previous data analysis courses, you could also explore to try the following methods yourself to see if they could improve model performance:

- Remove potential redundant variables. If two variables have extremly high correlated, it is possible that they
  are redundant and could be removed from the model to improve the performance.
- Remove some outliers. Linear regression models are very sensitive to outliers, you could try to remove some outliers to see if it would improve performance
- Apply logarithm transformation. In case variable distributions are not normal distribution such as log-normal
  distribution, you could apply logarithm transformation on the variable to make them more look like normal
  distribution. In addition, logarithm transformation helps capture the non-linear relationships.

If you have time, you could research and try more methods by searching related research papers/articles, discussion forums, etc. If you know how to use other machine learning models with Tidymodels such as Neural Networks, Tree models, or Boosting models, you can also try and compare them with the linear regression models.

## **Next Steps:**

Great! You have improved your baseline model using polynomial terms, interaction terms, and regularizations, and have found your best model.

Now it's time to build an interactive dashboard to provide more interactive user-interactions.

### **Authors**

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#### **Other Contributors**

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## **Change Log**

Date (YYYY-MM-DD)	Version	Changed By	Change Description
 2021-04-08	1.0	Yan	Initial version created

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