

## INDUCTIVE BIAS:-

→ Remarks on CE and VS algorithm:-

- 1) Will the CE algorithm gives us correct hypothesis?
- 2) what training Example should the learner request next?

→ Inductive learning:

from Examples we derive rules (Real Time Experience).

(ex):- House Building - Cement ratio we don't know  
- So first water mixed more dilute  
- so less " mixed becomes more

By the way of Experience we will come to know how much ratio have to mix.

"Various <sup>got</sup> Example - Experience, and applied to New Ex".

- Deductive learning:

- Already Existing rules are applied to our Examples

(ex) known Civil Engineer knows how to Build, Cement, Water mix.

\* Biased hypothesis Space:

Does not Consider all types of training Examples.

Bias means Showing Partiality, Difference.

"All types of Ex Not Consider. So what is the solution means include all hypothesis."

Ex: And  
Sunny  $\wedge$  warm  $\wedge$  normal  $\wedge$  strong  $\wedge$  cool  $\wedge$  change  $\Rightarrow$  yes.

Then only Player going the Enjoy spot.

" " " " " "  $\Rightarrow$  NO.  
minor changes in the attribute

also player can't enjoy spot.

\* Because of machine learned and habituated the word  
Change, Simple (V change) changes it will tell NO.

\* That's why Biased Not Suitable.

### Unbiased hypothesis space.

Representing Set of Examples, from Tabulation

Possible instance =  $3 \times 2 \times 2 \times 2 \times 2 \times 2 = 96$ .

Target concepts :  $2^{96}$  (huge)

(Practically Not possible), to learn those

many Ex, That's why Not go for unbiased

### \* Idea of Inductive Bias:-

Making of addressing Capable of Inductive Bias

Again.

(Ex) we are CSE Engg, But I have to Construct  
Building, we don't know how to build, By the way we  
Searched Civil Engg Not available immediately, what will  
do, we will start to do Construct with ideas.

\* learner generalizes beyond the observed training,  $E_x$  to infer new  $E_x$ .

$\langle \cdot \rangle$  — inductively inferred from

$\langle x \rangle = y$  is inductively inferred from  $x$

$x$  is predefined Example, Based in the System, from the  $x$  you are defining  $y$ .

$x$  giving o/p for  $y$ .

Ex:- Learning Alg =  $L$

Training data  $D_c = \{x_1, c(x)\}$

New instance =  $x_i$  (Now my Task is to classify  $x_i$ )  
 $\downarrow$

Represented as  $L(x_i, D_c) \leftarrow$  How do you obtain result of  $x_i$

$(D_c \wedge x_i) \triangleright L(x_i, D_c)$ .

already in  
Predefined System

(i.e)  $L(x_i, D_c)$  inductively inferred in  $(D_c \wedge x_i)$ .

—  $x$  —

## Decision Tree learning:-

\* Mainly used in tree structured Classification and Regression

\* Classification consist of Many Algorithms. One of the Algorithm is decision tree (Tree Based).

\* Dataset  $\xrightarrow{\text{given}}$  Algorithm  $\rightarrow$  Classifies the data  
(By using decision tree Alg).

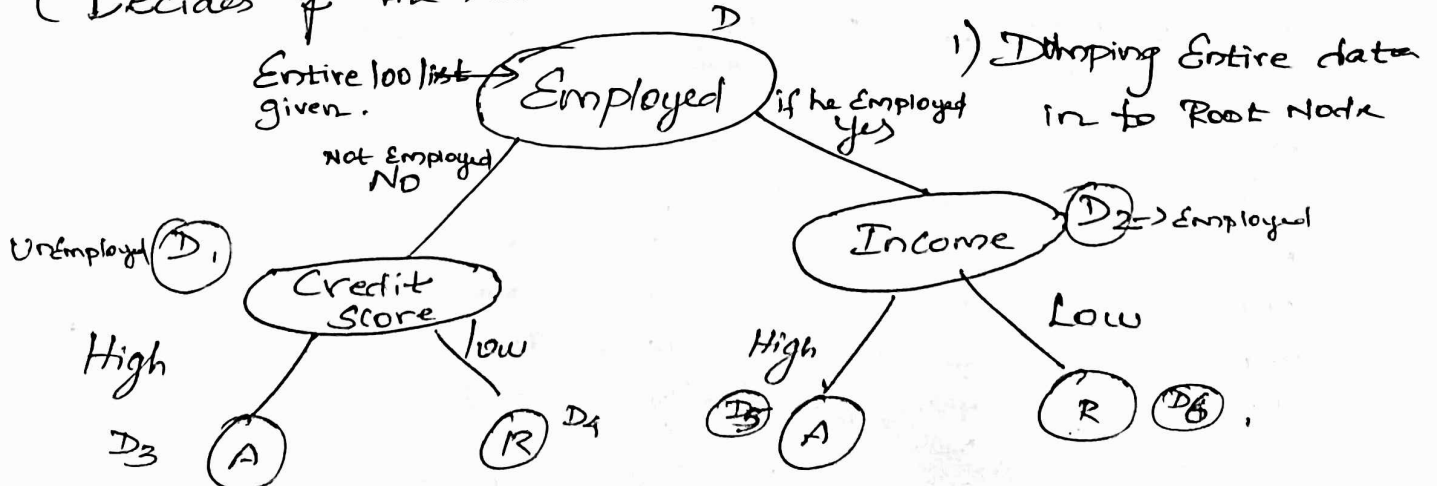
\* When we given a data to classifier, it will say which class the data belongs to (yes class, No class, (+)ve, (-)ve)  
Based on Ex.

\* 2 Types of Nodes:-

- 1) Decision Node (root node - where the Branch is begin)
- 2) Leaf Node (you cannot have further Branches (i.e) last Row)

Ex. Loan System

(Decides if the loan should be approved / Rejected)



\* 4 data sets we got i.e. ( $D_3, D_4, D_5, D_6$ ), whom you have to approved / Rejected.

Algorithm:

- 1) In the given dataset, choose a target attribute  
(age of Employee  
Income status)
- 2) Calculate information gain of target attribute

$$\text{Information gain} = \frac{P}{P+N} \log_2 \left( \frac{P}{P+N} \right) - \frac{N}{P+N} \log_2 \left( \frac{N}{P+N} \right)$$

3. for remaining attributes, find Entropy

$$\text{Entropy} = \text{IG} \times \text{Probability}$$

How many Times occur.

$$E(A) = \sum \frac{P_i + N_i}{P+N} I(P_i, N_i)$$

Entropy

4. Calculate  $\text{Gain} = \text{IG} - E(A)$

Based on the gain Construct Decision tree  
— x —

Example & Algorithm of Decision Tree learning:-

Age	Competition	Type	Profit.
old	yes	S/w	Down
old	NO	S/w	Down
old	NO	H/w	Down
mid	yes	S/w	Down
mid	yes	H/w	Down
mid	NO	H/w	up
mid	NO	S/w	up

new	yes	S/w	UP
new	No	H/w	UP
new	No	S/w	UP

(15)

Step 1:-

Target attribute = Profit.

Step 2:- Information Gain

$$I_G = \frac{-P}{P+N} \log_2 \left( \frac{P}{P+N} \right) - \frac{N}{P+N} \log_2 \left( \frac{N}{P+N} \right)$$

$$\Rightarrow P = \text{Count (down)} = 5$$

$$N = \text{Count (up)} = 5$$

$$= \frac{-5}{10} \log_2 \left( \frac{5}{10} \right) - \frac{5}{10} \log_2 \left( \frac{5}{10} \right)$$

$$= -\left( \frac{1}{2} \log_2 (2^{-1}) + \frac{1}{2} \log_2 (2^{-1}) \right)$$

$$= -\left( \frac{1}{2} \times -1 \log_2^2 + \frac{1}{2} \times -1 \log_2^2 \right)$$

$$= -\left( \frac{1}{2} \times -1 + \frac{1}{2} \times -1 \right)$$

$$= -(-1) = 1$$

$$\boxed{I_G = 1}$$

$$\therefore \log_n a^m = m \log_n a$$

$$\therefore \log_2^2 = 1$$

Step 3:- Calculate entropy for Remaining attributes

$$E(A) = \sum \frac{P_i + N_i}{P+N} I(P_i, N_i) \quad [I_G \times \text{probability}]$$

To find the Entropy for Non-Target attributes.

Remaining attributes are Age, Competition, Type.

(Age):-

1) Prepare a table for Each Attribute

rows - values of undertaken attribute  
(old, mid, New)

Columns - values of target Attribute  
(down, up)

	down	up
old	3	0
mid	2	2
new	0	3

Entropy =  $I_C \times \text{Probability}$

$P = \text{down count}$

$N = \text{up count}$

$$\text{Information Gain (old)} = - \left( \frac{3}{3} \log \left( \frac{3}{3} \right) + \frac{0}{3} \log \left( \frac{0}{3} \right) \right) = 0$$

$P = 3$   
 $N = 0$        $\therefore \log(0) = 0$

Probability =  $\frac{3}{10}$  [In (Ex)tabulation, How many Age Count 10, from that How many Age (old) = 3]

$$\text{Entropy (old)} = 0 \times \frac{3}{10} = 0$$

$$\underline{I_C(\text{mid})} = - \left( \frac{2}{4} \log \left( \frac{2}{4} \right) + \frac{2}{4} \log \left( \frac{2}{4} \right) \right) = 0.1$$

Probability =  $4/10$

$$\text{Entropy (mid)} = 1 \times \frac{4}{10} = 0.4$$

$I_C(\text{new})$

$$I_C(\text{new}) = - \left( \frac{0}{3} \log \left( \frac{0}{3} \right) + \frac{3}{3} \log \left( \frac{3}{3} \right) \right) = 0$$

Probability =  $3/10$

$$\text{Entropy (new)} = 0 \times \frac{3}{10} = 0$$

$$\text{Entropy (Age)} = E(o) + E(m) + E(n) = 0 + 0.4 + 0 = 0.4$$

Step 4:- Entropy =  $IG - E(A) = 1 - 0.4 = 0.6$

Like that for Competition & Type.

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In the same way, Calculate Gain for other attributes.

$$\text{Gain (Competition)} = 0.124$$

$$\text{Gain (Type)} = 0$$

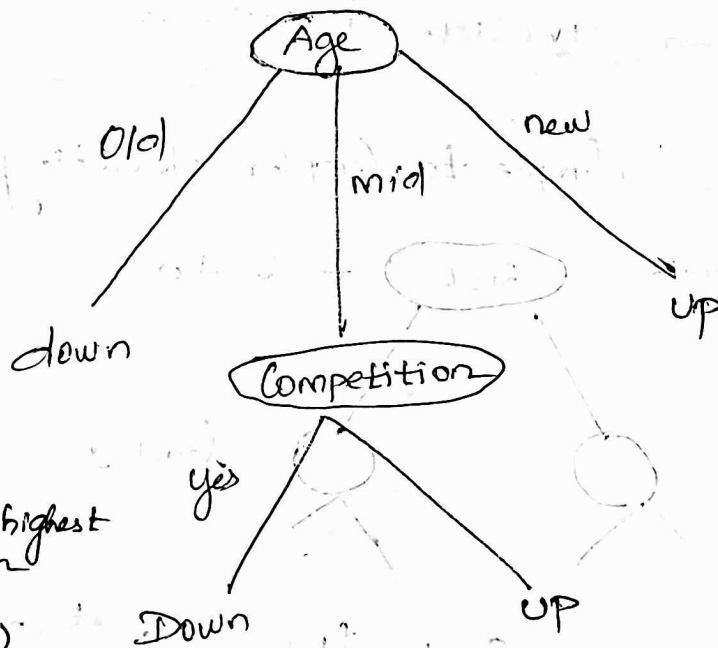
$$\text{Gain (Age)} = 0.6$$

Highest Gain  $\rightarrow$  root Node  
(Age) = 0.6.

Age  $\rightarrow$  High value (0.6)

Old  $\rightarrow$  all down  
mid  $\rightarrow$  Some down & Some up.  
new  $\rightarrow$  all up

Why Competition  $\rightarrow$  next highest gain  
Why not other (Type)



Competition = 0.124

Type gain value is 0, No requirement, ignore

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