# **EXP 4 - DATA FITTING**

```
In [1]:
from pylab import*
In [2]:
from scipy.optimize import curve_fit
In [3]:
x_data,y_data =loadtxt('data.txt',unpack=True)
In [4]:
x_data
Out[4]:
array([8.299, 7.399, 6.899, 6.299, 5.499, 5.199])
In [5]:
y_data
Out[5]:
array([3.199, 2.599, 2.25, 1.809, 1.309, 1.119])
In [6]:
def linearfunction(x,intercept,slope):
    y = intercept+slope * x
    return y
In [8]:
linearfunction(1,2,3)
Out[8]:
5
In [9]:
a_fit,cov=curve_fit(linearfunction,x_data,y_data)
In [10]:
print(a_fit)
[-2.40615359 0.67489826]
```

```
In [45]:
```

```
print(cov)
```

```
[[ 2.81352652e-03 -4.15417792e-04]
[-4.15417792e-04 6.29516283e-05]]
```

### In [46]:

```
inter = popt[0]
slope = popt[1]
```

## In [47]:

```
d_inter = sqrt(cov[0][0])
d_slope = sqrt(cov[1][1])
```

## In [48]:

```
d_slope
```

### Out[48]:

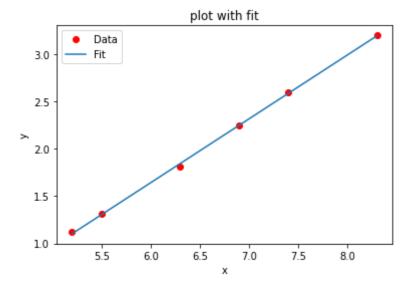
0.007934206216589924

### In [49]:

```
plot(x_data,y_data,'ro',label='Data')
yfit = inter + slope*x_data
plot(x_data,yfit,label='Fit')
legend()
xlabel('x')
ylabel('y')
title('plot with fit')
```

### Out[49]:

Text(0.5, 1.0, 'plot with fit')



```
In [50]:
print(f'The slope = {slope}, with uncertainty {d_slope}')
The slope = 0.6748982556897472, with uncertainty 0.007934206216589924
In [51]:
print(f'The intercept = {inter}, with uncertainty {d_inter}')
The intercept = -2.4061535892966415, with uncertainty 0.053042685870017224
```

# **DATA FIT WITH ERROR**

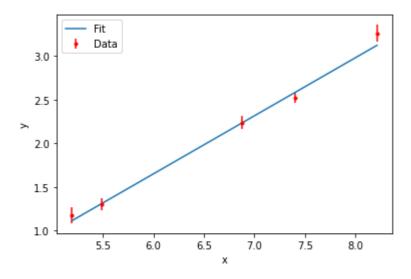
```
In [52]:
def linearFunc(x,intercept,slope):
y = intercept + slope * x
return y
In [53]:
xdata,ydata,d_y = loadtxt('data_with_er.txt',unpack=True)
In [54]:
print(xdata)
[8.213 7.402 6.876 5.491 5.196]
In [55]:
print(d_y)
[0.0971 0.0559 0.0708 0.0683 0.0893]
In [56]:
a_fit,cov=curve_fit(linearFunc,xdata,ydata,sigma=d_y)
In [57]:
inter = a_fit[0]
slope = a_fit[1]
d inter = sqrt(cov[0][0])
d_{slope} = sqrt(cov[1][1])
```

#### In [58]:

```
# Create a graph showing the data.
errorbar(xdata,ydata,yerr=d_y,fmt='r.',label='Data')
# Compute a best fit line from the fit intercept and slope.
yfit = inter + slope*xdata
# Create a graph of the fit to the data. We just use the ordinary plot
# command for this.
plot(xdata,yfit,label='Fit')
# Display a legend, label the x and y axes and title the graph.
legend()
xlabel('x')
ylabel('y')
```

## Out[58]:

### Text(0, 0.5, 'y')



### In [59]:

```
print(f'The slope = {slope}, with uncertainty {d_slope}')
print(f'The intercept = {inter}, with uncertainty {d_inter}')
```

The slope = 0.6656028702881751, with uncertainty 0.03549213604200107The intercept = -2.3430681719234285, with uncertainty 0.239532487804196

#### In [60]:

```
chisqr = sum((ydata-linearFunc(xdata,inter,slope))**2/d_y**2)
dof = len(ydata) - 2
chisqr_red = chisqr/dof
print(f'Reduced chi^2 = {chisqr_red}')
```

Reduced chi^2 = 1.2633310164063059

## With Differefnt values

```
In [61]:
def linearFunc(x,intercept,slope):
y = intercept + slope * x
 return y
In [62]:
xdata,ydata,d_y = loadtxt('dwe.txt',unpack=True)
In [63]:
xdata
Out[63]:
array([8.213, 7.402, 6.876, 5.491, 5.196, 4.873, 4.422, 3.991])
In [64]:
ydata
Out[64]:
array([3.261, 2.52 , 2.239, 1.299, 1.175, 0.911, 0.871, 0.661])
In [65]:
d_y
Out[65]:
array([0.071, 0.059, 0.088, 0.083, 0.039, 0.055, 0.033, 0.032])
In [66]:
a_fit,cov=curve_fit(linearFunc,xdata,ydata,sigma=d_y)
In [67]:
inter = a_fit[0]
slope = a fit[1]
d_{inter} = sqrt(cov[0][0])
d_{slope} = sqrt(cov[1][1])
In [68]:
print(f'The slope = {slope}, with uncertainty {d_slope}')
print(f'The intercept = {inter}, with uncertainty {d_inter}')
```

The slope = 0.5799850077839609, with uncertainty 0.03489511232411959 The intercept = -1.7346908170011626, with uncertainty 0.18164974724457034

```
In [69]:
```

```
chisqr = sum((ydata-linearFunc(xdata,inter,slope))**2/d_y**2)
dof = len(ydata) - 2
chisqr_red = chisqr/dof
print(f'Reduced chi^2 = {chisqr_red}')
```

Reduced  $chi^2 = 6.714328193557582$ 

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