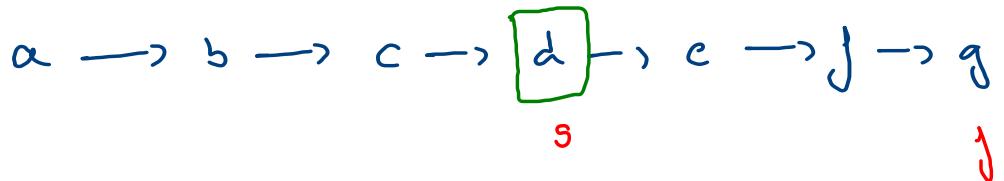


Mid Of Linked List

a → b → c → d → e → f → g

a → b → c → d → e → f → g → h

(i) size is not allowed
to use.



$$s = \frac{d}{+}$$

$$T_s = T_f$$

$$\frac{ds}{s_s} = \frac{df}{s_f}, \quad ds = s_s + \frac{df}{s_f}$$

$$= x + \underbrace{\frac{den}{2x}}_{\frac{den}{2x}} = den/2$$

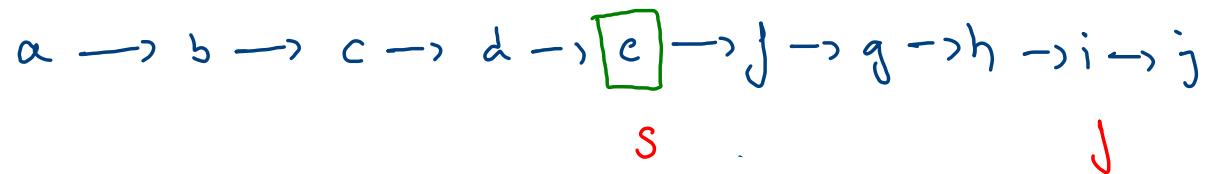
Stop : $fast.next == null$

slow $\rightarrow x$

fast $\rightarrow 2x$

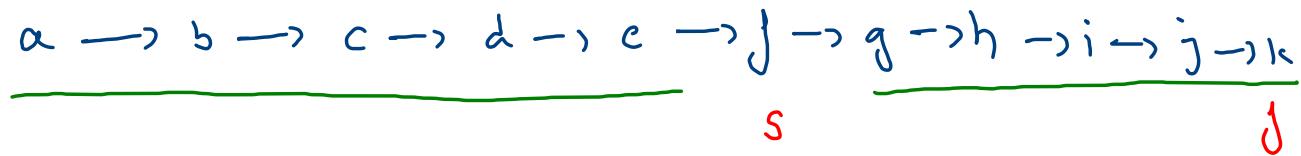
```
public int mid(){
    Node slow = head;
    Node fast = head;
    T F
    while(fast.next != null && fast.next.next != null) {
        slow = slow.next;
        fast = fast.next.next;
    }
    return slow.data;
}
```

even length



```
public int mid(){
    Node slow = head;
    Node fast = head;
    F S
    while(fast.next != null && fast.next.next != null) {
        slow = slow.next;
        fast = fast.next.next;
    }
    return slow.data;
}
```

odd length



```
public int mid() {
    Node slow = head;
    Node fast = head;

    while(fast.next != null && fast.next.next != null) {
        slow = slow.next;
        fast = fast.next.next;
    }

    return slow.data;
}
```

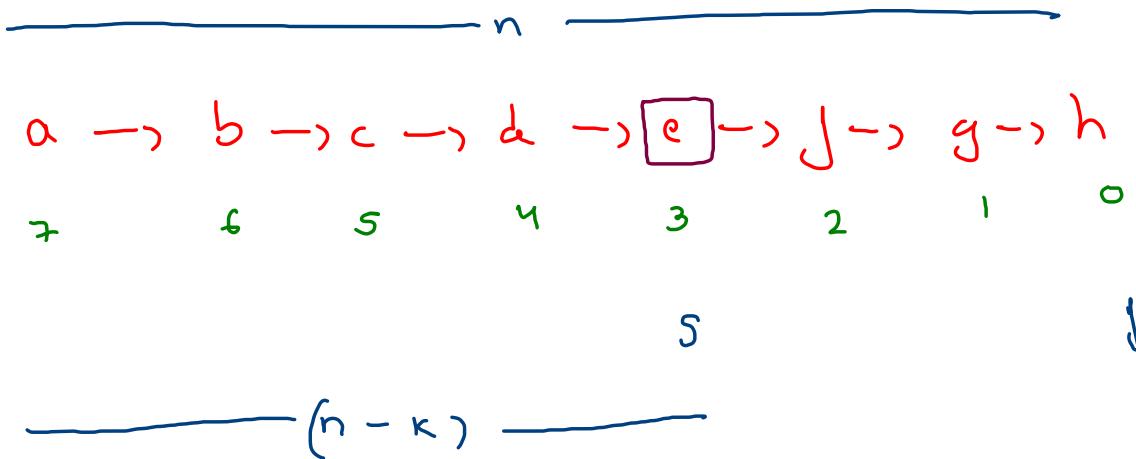
fast.next.next != null \Rightarrow fast.next != null
null

1 → 2 → 3 → 4 → 5

s j

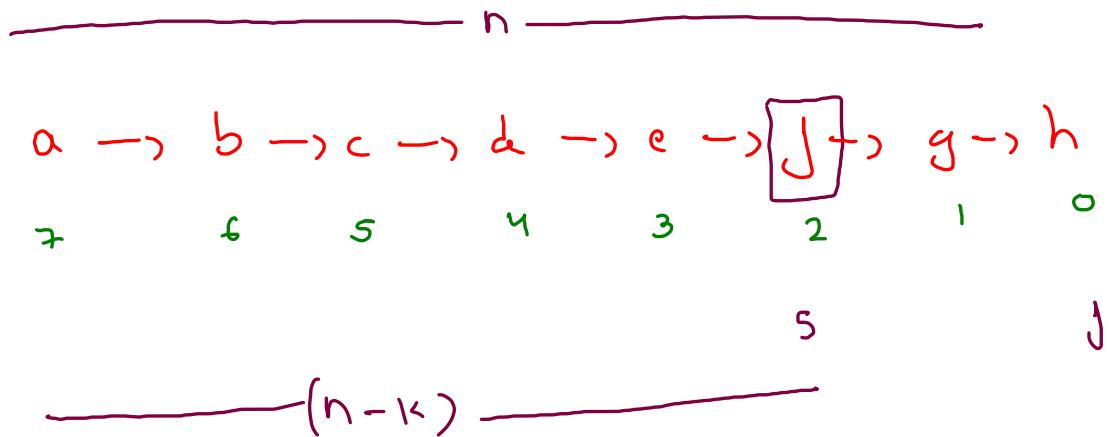
Kth Node From End Of Linked List

$$k = 3$$



(i) size not allowed.

$$k \leq 2$$



(i) maintain a gap($j-k$)
bw slow and fast

(ii) move slow and fast
with same speed(j)

(iii) when distance by fast
is n (fast end of LL)
distance by slow $\rightarrow n-k$

```

public int kthFromLast(int k){
    Node slow = head;
    Node fast = head;

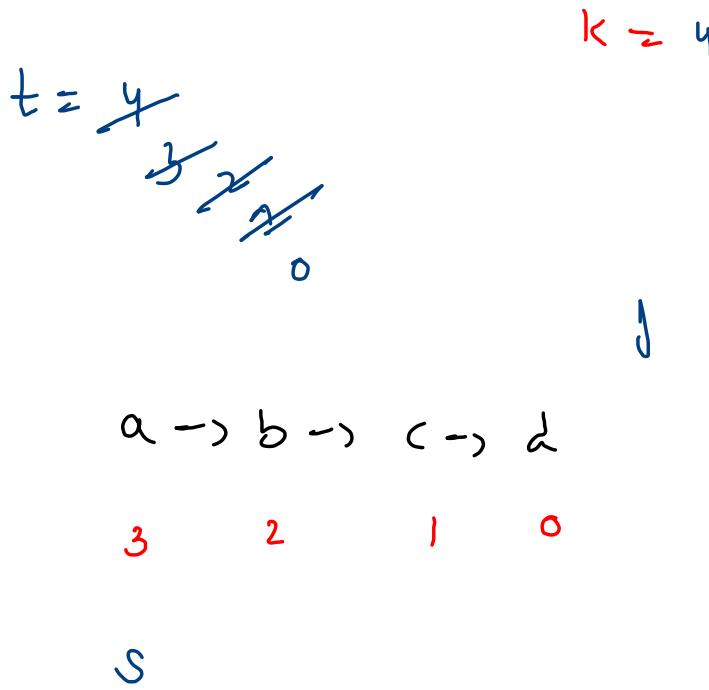
    //1. move fast by k steps
    int temp = k;
    while(fast != null && temp > 0) {
        fast = fast.next;
        temp--;
    }

    if(fast == null && temp > 0) {
        //k > size
        return -1;
    }

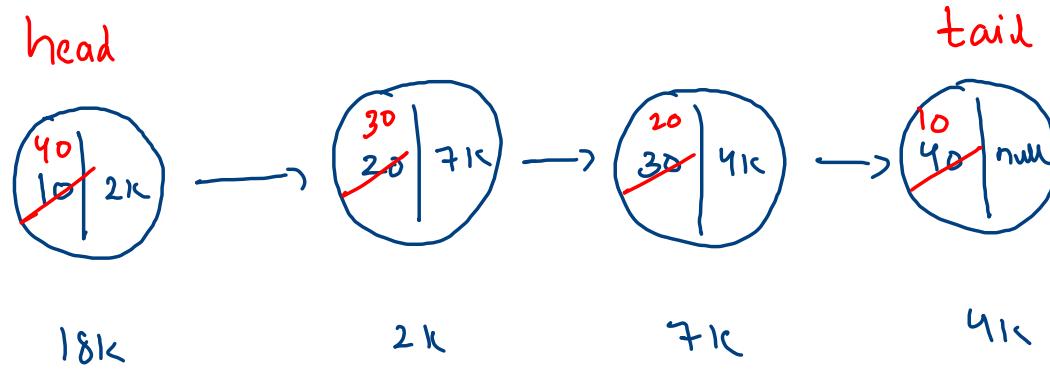
    //2. move slow and fast by same speed(1x)
    while(fast.next != null) {
        slow = slow.next;
        fast = fast.next;
    }

    return slow.data;
}

```



Reverse A Linked List (data Iterative)



task

Space X

Time ✓

$O(n^2)$

```

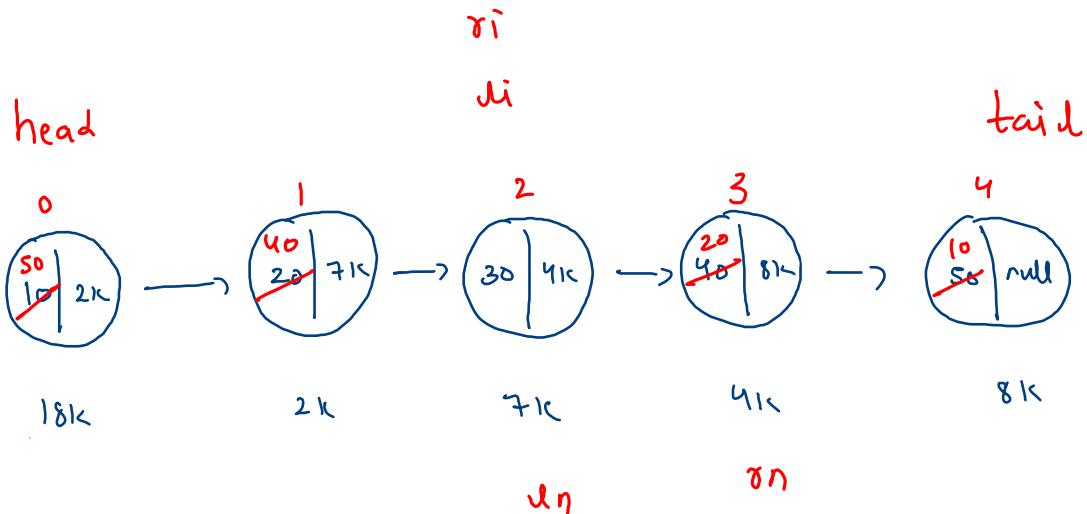
public void reverseDI() {
    Node ln = head;
    int li = 0;
    int ri = size-1;

    while(li < ri) {
        Node rn = getNodeAt(ri);

        //swap ln & rn data's
        int ld = ln.data;
        int rd = rn.data;
        ln.data = rd;
        rn.data = ld;

        ln = ln.next;
        li++;
        ri--;
    }
}

```



```

public void reverseDI() {
    Node ln = head;
    int li = 0;
    int ri = size-1;

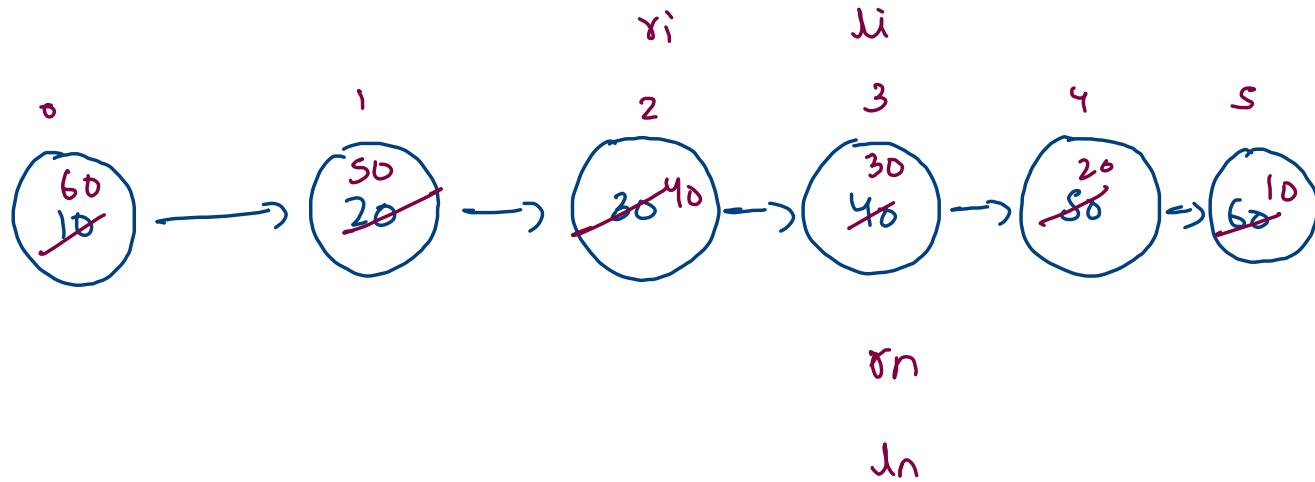
    while(li < ri) {
        Node rn = getNodeAt(ri);

        //swap ln & rn data's
        int ld = ln.data;
        int rd = rn.data;
        ln.data = rd;
        rn.data = ld;

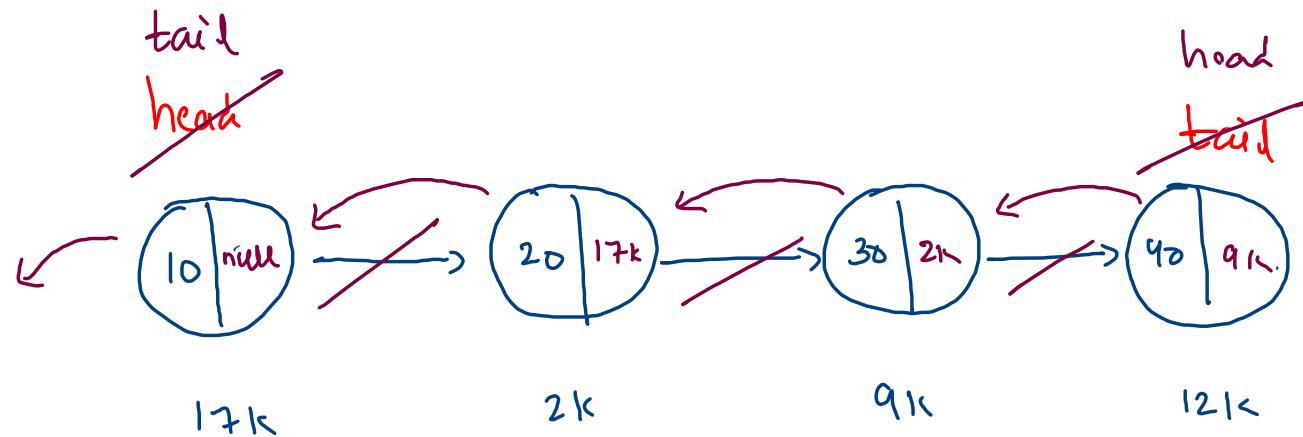
        ln = ln.next;
        li++;
        ri--;
    }
}

```

$$\frac{n}{2} \times n \rightarrow O(n^2)$$



Reverse Linked List (pointer Iterative)



S X
T ✓

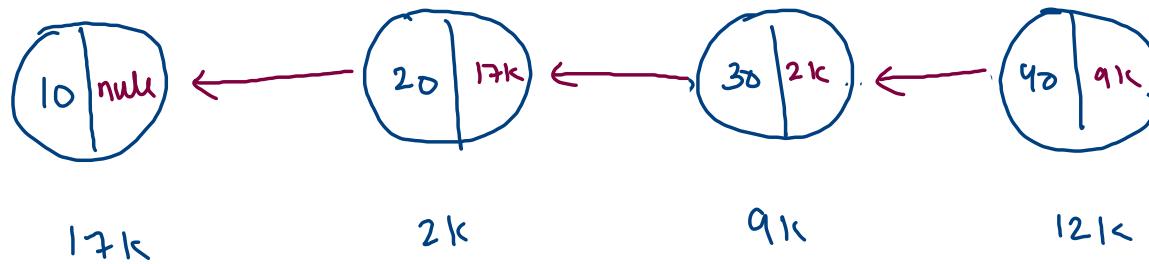
~~$h = 17k$~~
 ~~$t = 12k$~~
 $s = 4$

dd

~~$h = 17 \times 12K$~~
 ~~$t = 12K \times 17K$~~
 $s = 4$

ΔL

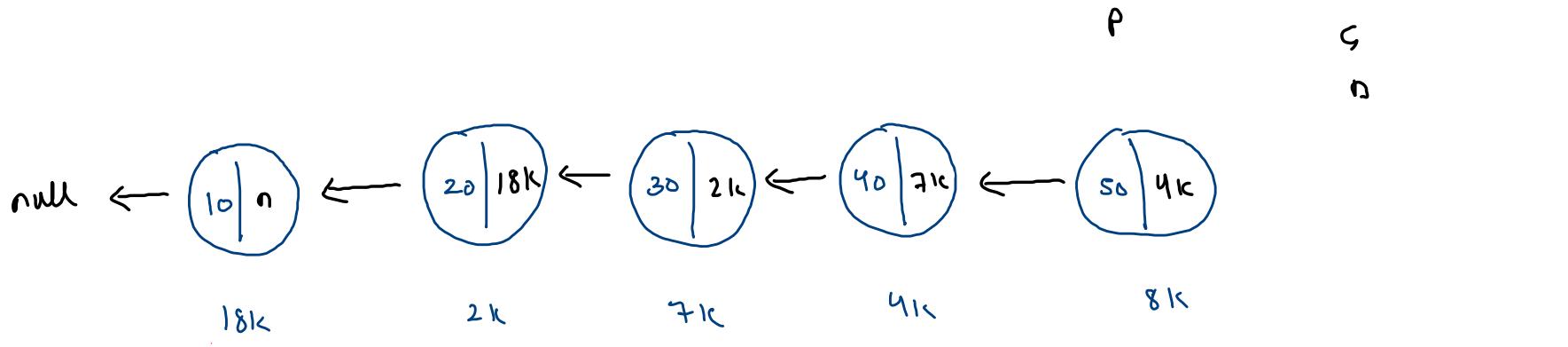
tail



$n = c.\text{next}$ // backup

$c.\text{next} = p.\text{prev}$ // connection

$p = c; c = n;$ // move



$n = c \cdot \text{next}$ // backup

$c \cdot \text{next} = p \cdot \text{prev}$ // connection

$P = C; C = n;$ // move

$$\begin{aligned}
 h &= 18k \\
 t &= 8k \rightarrow 18k \\
 s &= 4
 \end{aligned}$$

```

public void reversePI(){
    Node prev = null;
    Node curr = head;

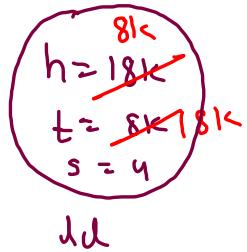
    while(curr != null) {
        //backup
        Node next = curr.next;

        //connection revert
        curr.next = prev;

        //move
        prev = curr;
        curr = next;
    }

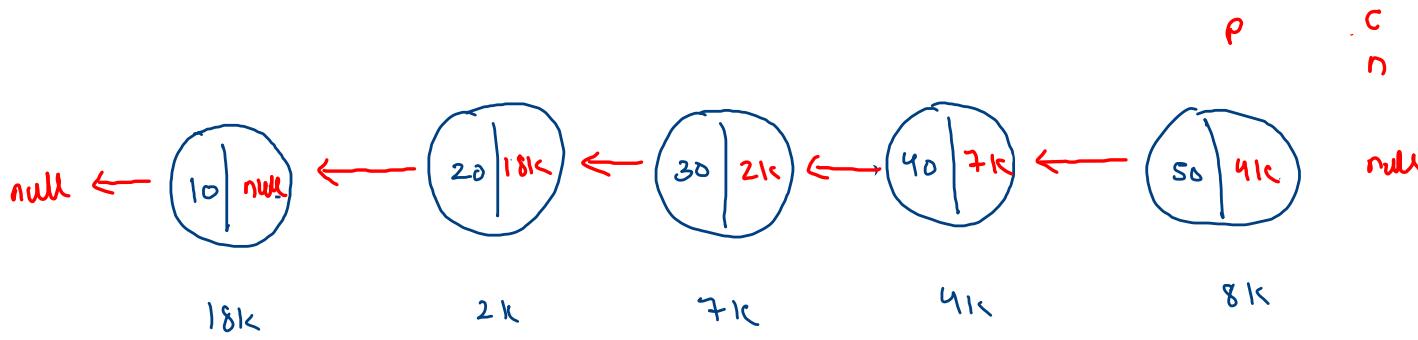
    //swap head and tail
    Node temp = head;
    head = tail;
    tail = temp;
}

```



ld. reversePI()

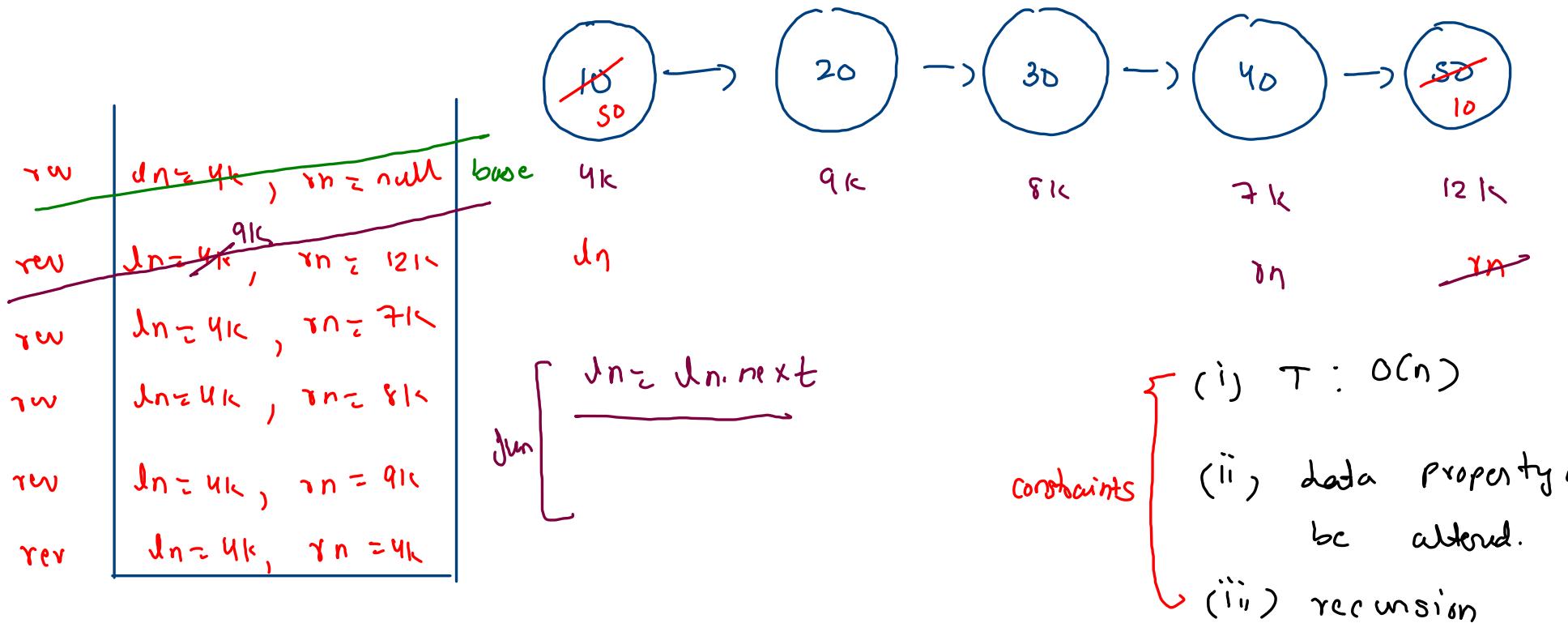
$temp = 18k$



best
reverse

$[S : O(1)$
 $T : O(n)]$

Reverse A Linked List (data Recursive)



LL { (a) 10 20 30

Node head; (b) 20 30

Node tail; (c) 100 20 30

int size;

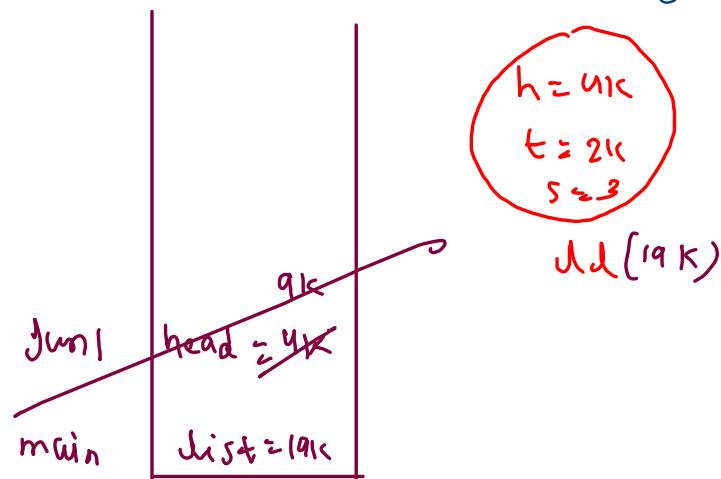
fun1 (Node head) {

head.data = 100; → heap change

head = head.next → stack change

3

3



main () {

LL list = new LL();

list.al(10); list.al(20);

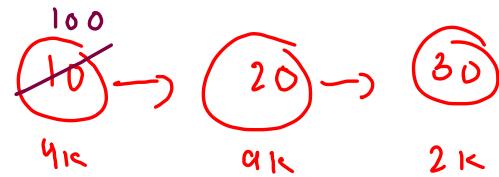
list.al(30);

fun1 (list.head);

list.display() → output

3

3



(i) java is always pass by value

(ii) heap change / stack changes

```

LL {
    Node head;
    Node tail;
    int size;
}

fun1(Node head) {
    head.data = 100; → heap change
}

```

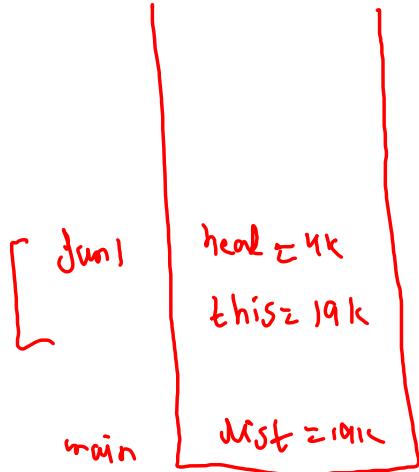
$\therefore \text{this} \cdot \text{head} \approx \text{head} \cdot \text{next}$ → heap change

```

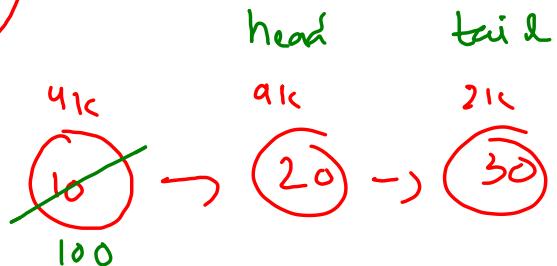
main() {
    LL list = new LL();
    list.al(10); list.al(20);
    list.al(30);
    list.fun1(list.head);
    list.display() → output
}

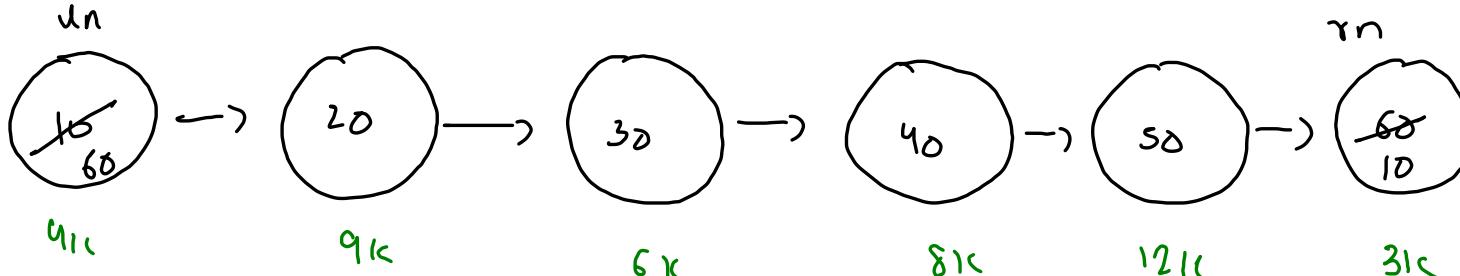
```

3

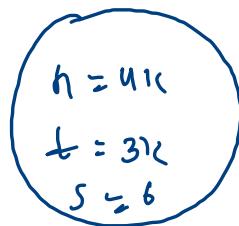


$$\begin{array}{l}
 h = 4k \quad 91k \\
 t = 2k \\
 s = 3 \\
 191k
 \end{array}$$

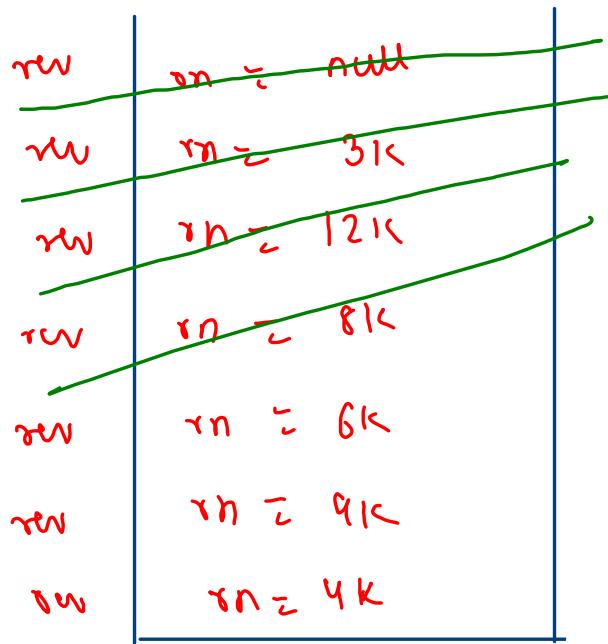
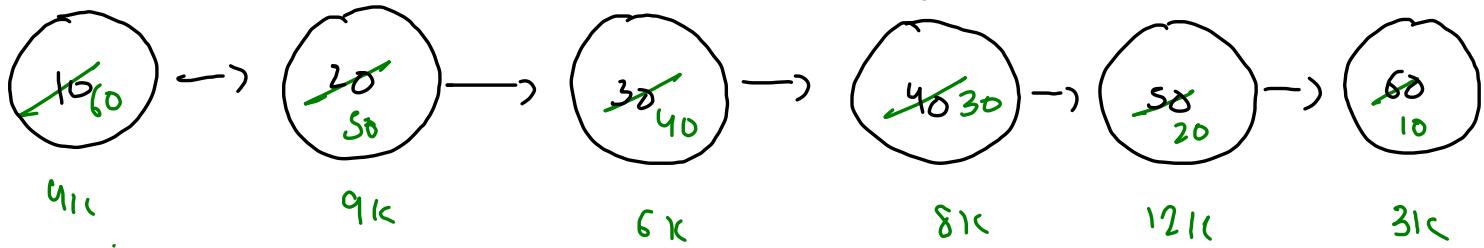




rw	$ln = u_1$, $rn = null$	base
rw	$ln = u_1$, $rn = u_2$	
rw	$ln = u_1$, $rn = u_3$	
rw	$ln = u_1$, $rn = u_4$	
rw	$ln = u_1$, $rn = u_5$	
rw	$ln = u_1$, $rn = r_1$	
rw	$ln = u_1$, $rn = r_2$	



call \rightarrow $[rw(ln, rn.next);$
 $\quad \quad \quad Swap(ln, rn);$
 $\quad \quad \quad ln = ln.next \rightarrow \text{stack} \text{ change}]$



$h = \text{in}$, $t = 31\langle$, $s \geq 6$
 $\text{in} = 4\langle 9\langle 6\langle$
 ~~$8\langle$~~

191< (dd)

this

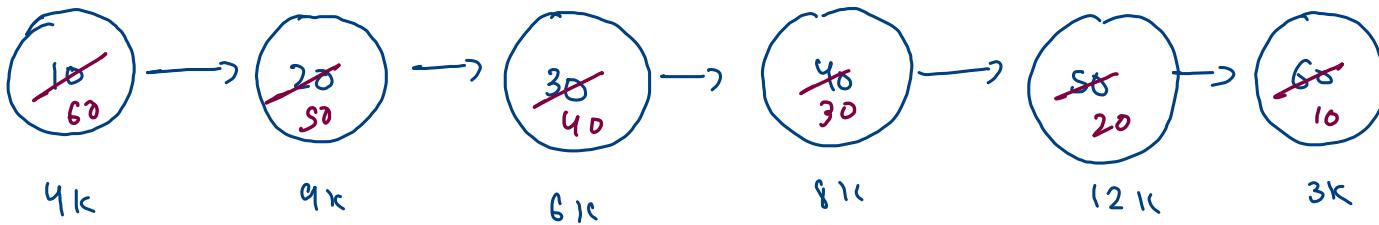
rev (Node in) {

rev (in.next);

swap (in, in);

in = in.next;

3 ↘
this.in = this.in.next
heap change



```

Node ln;
public void reverseDR() {
    ln = head;
    reverseDRH(head, 0);
}

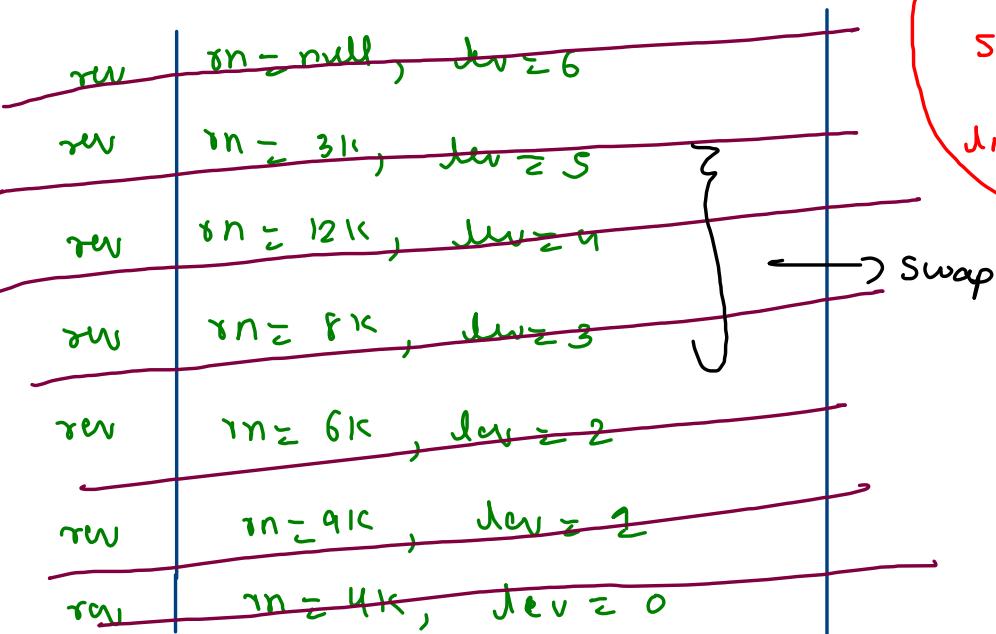
public void reverseDRH(Node rn, int lev) {
    if(rn == null) {
        return;
    }

    reverseDRH(rn.next, lev + 1);

    if(lev >= (size/2)) {
        //swap
        int ld = ln.data;
        int rd = rn.data;
        ln.data = rd;
        rn.data = ld;
    }

    ln = ln.next; //heap change (this.ln = this.ln.next)
}

```



$$\frac{\text{size}}{2} = 3$$