

Consider the following join which is given in your textbook (§19.5.2, p.720)

OP7: DEPARTMENT $\bowtie_{\text{Mgr_ssn}=\text{Ssn}}$ EMPLOYEE

Calculate the **cost-based estimation** of executing this query using (a) DEPARTMENT as the outer loop and then (b) EMPLOYEE as the outer loop using textbook single-loop join algorithms, i.e. J2. (Note: The join formulas from the textbook (pp.718-19) will be provided during the final exam).

Assume that the Column, Table, and Index meta-data are the values in Figures 1-3.

Table_name	Column_name	Num_distinct
DEPARTMENT	Dnumber	50
DEPARTMENT	Mgr_ssn	50
EMPLOYEE	Ssn	10000
EMPLOYEE	Dno	50
EMPLOYEE	Salary	500

FIGURE 1: COLUMN INFORMATION

Table_name	Num_rows	Blocks
DEPARTMENT	50	5
EMPLOYEE	10000	2000

FIGURE 2: TABLE INFORMATION

Table_name	Column_index	Index_type	Unique	Blevel (i.e. x-value)
DEPARTMENT	Dnumber	PRIMARY	YES	1
DEPARTMENT	Mgr_ssn	SECONDARY	YES	1
EMPLOYEE	Ssn	PRIMARY	YES	1
EMPLOYEE	Dno	SECONDARY	NO	1
EMPLOYEE	Salary	SECONDARY	NO	1

FIGURE 3: INDEX INFORMATION

To begin, we must calculate the blocking factor of the join $bfr_{\text{DEP_EMP}}$. To do this, we need to first calculate the blocking factor of the individual tables bfr_{DEP} and bfr_{EMP} .

The blocking factor of the DEPARTMENT table is the number of rows/records per block.

$$bfr_{\text{DEP}} = 50 / 5 = 10$$

The blocking factor of the EMPLOYEE table is the number of rows/records per block.

$$bfr_{\text{DEP}} = 10000 / 2000 = 5$$

The blocking factor of the joined table is the number of joined rows/records per block.

$$bfr_{\text{DEP_EMP}} = \lfloor 1 / (1/bfr_{\text{DEP}} + 1/bfr_{\text{DEP}}) \rfloor$$

$$bfr_{\text{DEP_EMP}} = \lfloor 1 / (1/10 + 1/5) \rfloor$$

$$bfr_{\text{DEP_EMP}} = \lfloor 1 / 3/10 \rfloor$$

$$bfr_{\text{DEP_EMP}} = \lfloor 10/3 \rfloor$$

$$bfr_{\text{DEP_EMP}} = 3$$

Now we can calculate the costs of the two different J2 single-loop join operations...

Cost-based estimations

DEPARTMENT as the outer loop

If DEPARTMENT is the outer loop, then the index attribute of the inner loop is EMPLOYEE.Ssn, which is a primary key index. Therefore, we use join formula **J2c** to estimate the cost.

$$\begin{aligned} \text{Cost}_{J2c} &= b_{\text{DEP}} + (r_{\text{DEP}} * (x_{\text{Ssn}} + 1)) + [(j_{\text{SOP6}} * r_{\text{DEP}} * r_{\text{EMP}}) / bfr_{\text{DEP_EMP}}] \\ \text{Cost}_{J2c} &= 5 + (50 * (1 + 1)) + [(1/10000 * 50 * 10000) / 3] \\ \text{Cost}_{J2c} &= 5 + 100 + [(50 / 3)] \\ \text{Cost}_{J2c} &= 122 \end{aligned}$$

EMPLOYEE as the outer loop

If EMPLOYEE is the outer loop, then the index attribute of the inner loop is DEPARTMENT.Mgr_ssn, which is a unique secondary index. Therefore, we use join formula **J2a** to estimate the cost.

The selection cardinality ($s_{\text{Mgr_ssn}}$) of DEPARTMENT.Mgr_ssn is 1, because there is exactly one department manager per department.

$$\begin{aligned} \text{Cost}_{J2a} &= b_{\text{EMP}} + (r_{\text{EMP}} * (x_{\text{Mgr_ssn}} + 1 + s_{\text{Mgr_ssn}})) + [(j_{\text{SOP6}} * r_{\text{DEP}} * r_{\text{EMP}}) / bfr_{\text{DEP_EMP}}] \\ \text{Cost}_{J2a} &= 2000 + (10000 * (1 + 1 + 1)) + [(1/10000 * 50 * 10000) / 3] \\ \text{Cost}_{J2a} &= 2000 + 30000 + [(50 / 3)] \\ \text{Cost}_{J2a} &= 32017 \end{aligned}$$