| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

| Experiment 1 | |
|--------------------|--|
| AIM: | Implementation of Basic Commands and Operations on Matrix |
| Code and Output | 1. Basic Scilab Commands: clc; |
| | printf("Display identity matrix of order 3:"); disp(eye(3,3)); |
| | printf("Display matrix with all elements ONE of order 3:"); disp(ones(3,3)); |
| | printf("Display given matrix A:"); A=[1 2 3;4 5 6;7 8 0] disp(A); |
| | printf("Display random matrix of order 3:"); disp(rand(3,3)); |
| | <pre>printf("Display lower triangular matrix from A:"); disp(tril(A));</pre> |
| | <pre>printf("Display upper triangular matrix from A:"); disp(triu(A));</pre> |
| | printf("Display transpose of A:") disp(A'); |

```
printf("Display size of matrix A:");
disp(size(A));
printf("Display A33 element of A:");
disp(A(3,3));
printf("Display 2nd column of A:");
disp(A(:,2));
printf("Display 3rd row of A:");
disp(A(3,:));
printf("Display sum of all elements of A:");
disp(sum(A));
printf("Display product of all elements of A:");
disp(prod(A));
printf("Display sum of elements of 2nd column in matrix A:");
disp(sum(A(:,2)));
printf("Display product of elements of 2nd column in matrix A:");
disp(prod(A(:,2)));
printf("Display sum of elements of 3rd row in matrix A:");
disp(sum(A(3,:)));
printf("Display product of elements of 3rd row in matrix A:");
disp(prod(A(3,:)));
printf("Display sum of all columns in order in matrix A:");
disp(sum(A,'r'));
printf("Display product of all columns in order in matrix A:");
disp(prod(A,'r'));
```

```
printf("Display sum of all rows in order in matrix A:");
disp(sum(A,'c'));
printf("Display product of all rows in order in matrix A:");
disp(prod(A,'c'));
printf("Display imaginary part of matrix A:");
disp(imag(A));
printf("Display real part of matrix A:");
disp(real(A));
printf("Display inverse of matrix A:");
disp(inv(A));
printf("Display determinant of matrix A:");
disp(det(A));
printf("Display trace of matrix A:");
disp(trace(A));
printf("Display rank of matrix A:");
disp(rank(A));
printf("Display diagonal matrix A:");
disp(eye(3,3).*A);
printf("Display only diagonal elements of matrix A:");
disp(diag(A));
printf("Display conjugate of matrix A:");
disp(conj(A));
```

```
Scilab 6.0.2 Console
Display identity matrix of order 3:
  1. 0. 0.
  0. 1. 0.
  0. 0. 1.
Display matrix with all elements ONE of order 3:
  1. 1. 1.
  1. 1. 1.
  1. 1. 1.
Display given matrix A:
  1. 2. 3.
  4. 5. 6.
  7. 8. 0.
Display random matrix of order 3:
 0.1280058 0.1121355 0.6970851
0.7783129 0.6856896 0.8415518
0.211903 0.1531217 0.4062025
Display lower triangular matrix from A:
  1. 0. 0.
  4. 5. 0.
  7. 8. 0.
Display upper triangular matrix from A:
  1. 2. 3.
  0. 5. 6.
  0. 0. 0.
Display transpose of A:
 1. 4. 7.
2. 5. 8.
3. 6. 0.
Display size of matrix A:
 3. 3.
Display A33 element of A:
  0.
Display 2nd column of A:
 2.
 5.
  8.
Display 3rd row of A:
7. 8. 0.
Display sum of all elements of A:
36.
```

```
Scilab 6.0.2 Console
Display product of all elements of A:
  0.
Display sum of elements of 2nd column in matrix A:
  15.
Display product of elements of 2nd column in matrix A:
  80.
Display sum of elements of 3rd row in matrix A:
  15.
Display product of elements of 3rd row in matrix A:
  0 -
Display sum of all columns in order in matrix A:
  12. 15. 9.
Display product of all columns in order in matrix A:
  28. 80. 0.
Display sum of all rows in order in matrix A:
  6.
  15.
  15.
Display product of all rows in order in matrix A:
  6.
  120.
Display imaginary part of matrix A:
  0. 0. 0.
     0.
          0.
  0.
      0.
           0.
Display real part of matrix A:
  1.
     2.
  4.
      5.
       8.
Display inverse of matrix A:
 -1.7777778 0.8888889 -0.1111111
  1.5555556 -0.7777778
                       0.2222222
 -0.1111111
             0.2222222 -0.1111111
Display determinant of matrix A:
Display trace of matrix A:
Display rank of matrix A:
Display diagonal matrix A:
   1.
        0. 0.
   0.
         5.
   0.
         0.
               0.
Display only diagonal elements of matrix A:
   1.
   5.
Display conjugate of matrix A:
   1.
         2.
               3.
   4.
        5.
               6.
   7.
       8.
             0.
 ->
```

```
2. Exercise:
C=rand(4,4);
printf("The random generated matrix C is: ");
disp(C);
sum_first_column = sum(C(:,1));
printf("Sum of first column elements: ");
disp(sum_first_column);
product_second_row = prod(C(2,:));
printf("Product of second row elements: ");
disp(product_second_row);
sum_matrix = sum(C);
printf("Sum of all elements: ");
disp(sum_matrix);
determinant = det(C);
printf("Determinant of Matrix A: ");
disp(determinant);
trace_matrix = trace(C);
printf("Trace of Matrix A: ");
disp(trace_matrix);
```

```
Scilab 6.0.2 Console
--> exec('C:\Users\Admin\Documents\exercise1.sce', -1)
The random generated matrix C is:
   0.8433565 0.1867539 0.2124056 0.9110545
   0.0748595 0.4920584 0.579502 0.8082667
   0.8532815 0.7489608 0.2628148 0.8102653
   0.012459 0.9414957 0.4360987 0.2590428
Sum of first column elements:
   1.7839565
Product of second row elements:
   0.0172533
Sum of all elements:
   8.4326757
Determinant of Matrix A:
   0.0307057
Trace of Matrix A:
   1.8572725
3. Code:
A=[1\ 2+\%i\ 4;\ 3-4*\%i\ 9\ -2;\ 2\ -5\ 1-\%i]
disp(A);
printf("Display real part of matrix A:");
disp(real(A));
printf("Display imaginary part of matrix A:");
disp(imag(A));
printf("Display random matrix of order 3 with elements from 0 to 9:")
disp(rand(3,3)*10);
printf("Display random matrix of order 3 with integer elements from 0 to 9:")
disp(int(rand(3,3)*10));
B=[1 3 5; 2 4 1; 1 2 3]
printf("Display matrix B:")
disp(B);
printf("Display reduced row echelon form of B:");
```

```
disp(rref(B));
printf("Display multiplication of A & B: ");
disp(A*B);
printf("Display reciprocal of elements in B: ")
disp(1./B);
printf("Display square root of 25:");
disp(sqrt(25));
printf("Display the sine of pi/2");
disp(sin(\%pi/2));
printf("Display the given value of x:");
x = 3^2;
disp(x);
printf("Display reciprocal of given value");
disp(1/x);
```

Output:

```
Scilab 6.0.2 Console
--> exec('C:\Users\Admin\Manish\Prac2\prac2.sce', -1)
           2. + i
                     4.
  3. - 4.i 9.
                     -2.
  2.
           -5.
                    1. - i
Display real part of matrix A:
  1. 2. 4.
  3. 9. -2.
  2. -5.
          1.
Display imaginary part of matrix A:
  0. 1. 0.
          0.
  -4. 0.
   0.
      0. -1.
Display random matrix of order 3 with elements from 0 to 9:
  5.7614598 1.2326993 5.7694048
   7.1491304 2.8655522 3.9386961
  9.321636
             0.1247996 6.8885837
Display random matrix of order 3 with integer elements from 0 to 9:
  9. 8. 5.
  8. 1. 9.
  3. 5. 9.
Display matrix B:
  1. 3. 5.
  2. 4. 1.
          3.
  1. 2.
Display reduced row echelon form of B:
  1. 0. 0.
      1.
           0.
   0.
      0.
   0.
           1.
Display multiplication of A & B:
  9. + 2.i 19. + 4.i 19. + i
  19. - 4.i 41. - 12.i 18. - 20.i
  -7. - i -12. - 2.i 8. - 3.i
Display reciprocal of elements in B:
  1. 0.3333333 0.2
  0.5 0.25
                  1.
  1. 0.5
                 0.3333333
Display square root of 25:
 5.
Display the sine of pi/2
Display the given value of x:
Display reciprocal of given value
   0.1111111
```

CONCLUSION: | Hence, by completing this experiment I came to know about Implementation of Basic Commands and Operations on Matrix

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 2
AIM:
                   Implementation of Conditional Branching and Looping in Scilab.
                  Write a program to find the Pythagorean triplet up to the number 50 or 20.
Code 1:
                   clc
                   for i=1:50
                     for j=i+1:50
                       c = (i*i) + (j*j)
                       for k=i+2:50
                         if c = (k*k)
                            printf("\n")
                            printf("Pythagorean Triplet is %d, %d, %d, \n", i,j,k);
                       end
                     end
                  end
```

```
Pythagorean Triplet is 3, 4, 5,
                      Pythagorean Triplet is 5, 12, 13,
                      Pythagorean Triplet is 6, 8, 10,
                      Pythagorean Triplet is 7, 24, 25,
                      Pythagorean Triplet is 8, 15, 17,
                      Pythagorean Triplet is 9, 12, 15,
                      Pythagorean Triplet is 9, 40, 41,
                      Pythagorean Triplet is 10, 24, 26,
                      Pythagorean Triplet is 12, 16, 20,
                      Pythagorean Triplet is 12, 35, 37,
                      Pythagorean Triplet is 14, 48, 50,
                      Pythagorean Triplet is 15, 20, 25,
                      Pythagorean Triplet is 15, 36, 39,
                      Pythagorean Triplet is 16, 30, 34,
                      Pythagorean Triplet is 18, 24, 30,
                      Pythagorean Triplet is 20, 21, 29,
                      Pythagorean Triplet is 21, 28, 35,
                      Pythagorean Triplet is 24, 32, 40,
                      Pythagorean Triplet is 27, 36, 45,
                      Pythagorean Triplet is 30, 40, 50,
                      If Un=4(Un-1)+4 and U0=4, Print 20th term of the Sequence:
Code 2:
                      clc
                      U=[4];
                      for n=1:19
                         U(n+1)=4*U(n)+4;
                      end
                      disp(U)
                      printf("\n")
```

printf("the 20th term is: ")

disp(U(20))

```
Scilab 6.0.2 Console
   4.
   20.
   84.
   340.
   1364.
   5460.
   21844.
   87380.
   349524.
   1398100.
   5592404.
   22369620.
   89478484.
   3.579D+08
  1.432D+09
  5.727D+09
  2.291D+10
   9.163D+10
  3.665D+11
  1.466D+12
the 20th term is:
  1.466D+12
```

Code 3: Write a Scilab code to input a matrix and check whether the matrix is Symmetric, Skew Symmetric or none.

```
A = input("Enter the matrix: ");
[m, n] = size(A);
if m ~= n
    disp('Matrix must be square');
    return;
end
isSymmetric = isequal(A, A');
isSkewSymmetric = isequal(A, -A');

if isSymmetric
    disp('Matrix type: symmetric');
elseif isSkewSymmetric
    disp('Matrix type: skew-symmetric');
else
    disp('Matrix is neither symmetric nor skew-symmetric');
end
```

```
--> exec('D:\1.sce', -1)
                 Enter the matrix: [1 1 -1; 1 2 0; -1 0 5]
                  Matrix type: symmetric
                 Write a Scilab code to input a matrix and check whether the matrix is Hermitian or not
Code 4:
                 A = [1 \ 2+3*\%i \ 3-4*\%i; \ 2-3*\%i \ 5 \ 6+7*\%i; \ 3+4*\%i \ 6-7*\%i \ 8];
                 if A == A' then
                   disp("The input matrix is Hermitian.");
                   disp("The input matrix is not Hermitian.");
                   --> exec('D:\1.sce', -1)
                    The input matrix is Hermitian.
                 Write a Scilab code to input a matrix and check whether the matrix is invertible or not
Code 5:
                 B = [1,1;2,2];
                 if B == ((-B)') then
                   printf("It is Invertible \n");
                 else
                   printf("It is not Invertible \n");
                 end
                 printf("\n");
```

```
Startup execution:
                     loading initial environment
                  --> exec('D:\1.sce', -1)
                  It is not Invertible
                 Write a program to find values for x=1 to 5 for f(x)=x^2+sqrt(x) using for loop and while
Code 6:
                  loop
                  clc;
                 printf("Write a program to find values for x=1 to 5 for f(x)=x^2 + sqrt(x) using for and while
                  loop.");
                 for x = 1:1:5
                 f(x) = x^2 + sqrt(x);
                 printf('\nThe value of f(x) = \%f at x = \%i', f(x), x)
                  end
                 //using while loop
                 printf("\n*****************************);
                  x=1;
                  while x \le 5
                 f(x) = x^2 + sqrt(x);
                 printf(\nThe value of f(x) = \%g at x = \%i', f(x), x)
                  x=x+1;
```

end

Code 7: Display values from 10 to 20 using while loop

```
clc;
printf("Using while loop");
a=10;
while a<=20
printf("\nValue of a: %d",a);
a=a+1;
end
```

Code 8: Take a number from user and check whether it is odd or even. (Use modulo command) clc; printf("Take a number from user and check whether it is even or odd."); x=input("Enter the number to be checked: ") if modulo(x,2)==0 then disp("The number is even"); else disp("The number is odd"); end Take a number from user and check whether it is even or odd. Enter the number to be checked: 4 The number is even Code 9: Enter a month (number) from a user and check whether it's a first, second, third and forth quarter clc; printf("Enter a month(number) from a user and check whether its a first, second, third or fourth quarter."); month = input("Enter a month: ") if month >=1 & month <=3then printf("first quarter"); elseif month >= 4 & month <= 6 then printf("second quarter"); elseif month >= 7 & month <=9 then printf("third quarter");

```
elseif month >= 10 & month <=12
                   then
                   printf("fourth quarter");
                   else
                   printf("Invalid month");
                   end
                    Enter a month(number) from a user and check whether its a first, second, third or fourth quarter.
                    second quarter
Code 10:
                   Write a program to check whether you are attending Linear Algebra lab for any time input
                   from user.
                   clc;
                   printf("Write a program to check whether you are attending Linear Algebra lab for any time
                   input from user.");
                   t=input("Enter the current time: ")
                   if t>16 & t<18
                   then
                   printf("student is attending Linear Algebra Lab");
                   else
                   printf("Student has finished Linear Algebra Lab")
                   end
                    Write a program to check whether you are attending Linear Algebra lab for any time input from user
                   Enter the current time: 17
                    student is attending Linear Algebra Lab
```

Code 11: To check whether given number is greater than 10 clc; printf("To check whether given number is greater than 10"); a=5; disp(a); if a>10 then printf("a is more than 10"); else printf("a is smaller than 10"); end To check whether given number is greater than 10 a is smaller than 10

CONCLUSION:

Hence, by completing this experiment I came to know about Implementation of Conditional Branching and Looping in Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 3
                    Implementation of Row Echelon Form in Scilab.
AIM:
Row Echelon
                   clc
                   A = [1 \ 2; 3 \ -1];
Form 2x2
                   printf("The Matrix A is\n");
                   disp(A);
                   n = 2;
                   for i = 1:n
                      if A(i,i) == 0
                        A(i,:) = A(i,:);
                      else
                        A(i,:) = A(i,:) / A(i,i);
                        disp(A);
                        for j = 1:n-1
                           if i+j \le n
                             A(i+j,:) = A(i+j,:) - A(i+j,i)*A(i,:);
                           end
                        end
                      end
                   end
                   if A(1,2) == A(2,2)
                      A(1,:) = A(1,:) - A(2,:);
                   end
                   printf("The final matrix is: ")
                   disp(A);
```

```
| Scilab 6.0.2 Console | The Matrix A is | 1. 2. | 3. -1. | 1. 2. | 3. -1. | 1. 2. | 0. 1. | The final matrix is: | 1. 2. | 0. 1. | --> | w Echelon | clc |
```

Row Echelon Form 3x3

```
A = [1 \ 2 \ -1 \ ; \ 3 \ -1 \ 1 \ ; \ 2 \ -2 \ 3];
printf("The Matrix A is\n");
disp(A);
n = 3;
for i = 1:n
   if A(i,i) == 0
     A(i,:) = A(i,:);
  else
     A(i,:) = A(i,:) / A(i,i);
     disp(A);
     for j = 1:n-1
        if i+j \le n
           A(i+j,:) = A(i+j,:) - A(i+j,i)*A(i,:);
        end
     end
   end
end
if A(1,2) == A(2,2)
  A(1,:) = A(1,:) - A(2,:);
end
printf("The final matrix is: ")
disp(A);
```

```
Scilab 6.0.2 Console
 The Matrix A is
       2. -1.
  3. -1. 1.
  2. -2.
            з.
      2. -1.
  3. -1. 1.
  2. -2.
            з.
     2. -1.
     1. -0.5714286
  0. -6. 5.
       2. -1.
       1. -0.5714286
       0.
           1.
The final matrix is:
       2. -1.
       1. -0.5714286
       0.
            1.
  0.
```

Row Echelon Form 4x4

```
clc
A = [1 \ 2 \ -1 \ 3 \ ; 1 \ -1 \ 1 \ -1 \ ; 2 \ -2 \ 3 \ 2 \ ; 3 \ -1 \ 2 \ 1]
printf("The Matrix A is\n");
disp(A);
n = 4;
for i = 1:n
  if A(i,i) == 0
     A(i,:) = A(i,:);
  else
     A(i,:) = A(i,:) / A(i,i);
     disp(A);
     for j = 1:n-1
        if i+j \le n
           A(i+j,:) = A(i+j,:) - A(i+j,i)*A(i,:);
         end
      end
   end
```

```
end
if A(1,2) == A(2,2)
  A(1,:) = A(1,:) - A(2,:);
end
printf("The final matrix is: ")
disp(A);
Scilab 6.0.2 Console
 The Matrix A is
     2. -1. 3.
  3. -1. 2. 1.
  2. -2. 3. 2.
  1. -1. 1. -1.
     2. -1. 3.
  3. -1. 2. 1.
2. -2. 3. 2.
          1. -1.
  1. -1.
  1. 2. -1.
  0. 1. -0.7142857 1.1428571
  0. -6. 5. -4.
0. -3. 2. -4.
     2. -1.
                     3.
  0. 1. -0.7142857 1.1428571
  0. 0. 1. 4.
0. 0. -0.1428571 -0.5714286
     2. -1.
  0. 1. -0.7142857 1.1428571
  0. 0. 1. 4.
  0. 0. 0.
The final matrix is:
  1. 2. -1.
                    3.
  0. 1. -0.7142857 1.1428571
  0. 0. 1. 4.
0. 0. 0. 1.
```

CONCLUSION: Hence, by completing this experiment I came to know about Implementation of Row Echelon Form in Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 4
                    Implementation of Reduced Row Echelon Form in Scilab.
AIM:
Reduced Row
                   clc
Echelon Form
                   A = [12; 1-1];
2x2
                   printf("The Matrix A is\n");
                   disp(A);
                   n = 2;
                   for i = 1:n
                     if A(i,i) == 0
                        A(i,:) = A(i,:);
                      else
                        A(i,:) = A(i,:) / A(i,i);
                        disp(A);
                        for j = 1:n-1
                          if i+j \le n
                             A(i+j,:) = A(i+j,:) - A(i+j,i)*A(i,:);
                           end
                        end
                     end
                   end
                   for i = n:-1:2
                     for j = i-1:-1:1
                        A(j,:) = A(j,:) - A(j,i)*A(i,:);
                      end
                   printf("The final matrix in row-reduced echelon form is: \n");
                   disp(A);
```

```
The Matrix A is

1. 2.
1. -1.

1. 2.
1. -1.

1. 2.
0. 1.

The final matrix in row-reduced echelon form is:

1. 0.
0. 1.

-->
```

Reduced Row Echelon Form 3x3

```
clc
A = [1 \ 2 \ -1 \ ; 1 \ -1 \ 1 \ ; 2 \ -2 \ 3];
printf("The Matrix A is\n");
disp(A);
n = 3;
for i = 1:n
  if A(i,i) == 0
     A(i,:) = A(i,:);
     A(i,:) = A(i,:) / A(i,i);
     disp(A);
     for j = 1:n-1
        if i+j \le n
           A(i+j,:) = A(i+j,:) - A(i+j,i)*A(i,:);
        end
     end
  end
end
for i = n:-1:2
```

```
for j = i-1:-1:1
                         A(j,:) = A(j,:) - A(j,i)*A(i,:);
                      end
                   end
                   printf("The final matrix in row-reduced echelon form is: \n");
                   disp(A);
                    Scilab 6.0.2 Console
                     The Matrix A is
                      1. 2. -1.
                      1. -1. 1.
2. -2. 3.
                       1. 2. -1.
                       1. -1. 1.
2. -2. 3.
                          2. -1.
                       0. 1. -0.6666667
                       0. -6. 5.
                       1. 2. -1.
                       0. 1. -0.6666667
                      0. 0. 1.
                    The final matrix in row-reduced echelon form is:
                      1. 0. 0.
                      0. 1. 0.
                      0. 0. 1.
Reduced Row
                   clc
Echelon Form
                   A = [3 -1 2 1; 2 -2 3 2; 1 -1 1 -1; 1 2 -1 3];
4x4
                   printf("The Matrix A is\n");
                   disp(A);
                   n = 4;
                   for i = 1:n
                      if A(i,i) == 0
                        A(i,:) = A(i,:);
                      else
                         A(i,:) = A(i,:) / A(i,i);
                        disp(A);
                        for j = 1:n-1
                           if i+j \le n
```

```
A(i+j,:) = A(i+j,:) - A(i+j,i)*A(i,:);
       end
     end
  end
end
for i = n:-1:2
  for j = i-1:-1:1
    A(j,:) = A(j,:) - A(j,i)*A(i,:);
  end
end
printf("The final matrix in row-reduced echelon form is: \n");
disp(A);
Scilab 6.0.2 Console
 The Matrix A is
  1. 2. -1. 3.
  2. -2. 3. 2.
      2. -1. 3.
  2. -2.
          3. 2.
      2. -1.
  0. 1. -0.6666667 1.3333333
  0. -6. 5.
                    -4.
                    -8.
          5.
      2. -1.
  0. 1. -0.6666667 1.3333333
  0. 0. 1.
          0.3333333 1.3333333
      2. -1.
      1. -0.6666667 1.3333333
      0. 1. 4.
0. 0. 1.
      0. 0.
                     1.
The final matrix in row-reduced echelon form is:
      0. 0. 0.
  0. 1. 0. 0.
  0. 0. 1. 0.
0. 0. 0. 1.
```

CONCLUSION: Hence, by completing this experiment I came to know about Implementation of Reduced Row Echelon Form in Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 5
                    Implementation of Gauss Elimination in Scilab.
AIM:
                    A = [1 \ 1 \ 1; 1 \ 2 \ 3; 1 \ 3 \ 2]
Code
                    disp(A);
                    B = [3;0;3]
                    disp(B);
                    C = [A,B]
                    disp(C);
                    n = 3;
                    for i=1:n
                      C(i,:) = C(i,:)/C(i,i);
                      disp(C)
                      for j=1:n-1
                        if i+j < n+1
                          C(i+j,:) = C(i+j,:) - C(i+j,i) * C(i,:)
                        end
                      end
                      disp(C)
                    end
                    z=C(3,4);
                    y=C(2,4)-C(2,3)*z;
                    x=C(1,4)-C(1,3)*z-C(1,2)*y;
                    printf("X=");
                    disp(x);
                    printf("Y=");
                    disp(y);
                    printf("Z=");
                    disp(z);
```

Output Scilab 6.0.2 Console 3. 3. 3. 1. 3. 2. 3. 3. 1. 1. 1. 1. 2. 3. 1. 3. 1. 2. -3. 1. 1. 0. 1. 3. 1. 1. 2. -3. 2. 1. 0. 1. 3. 1. 2. -3. -3. 6. 3. 1. 1. 2. -3. 1. -2. 1. 1. 3. 0. 1. 2. -3. -2. CONCLUSION: Hence, by completing this experiment I came to know about Implementation of Gauss

Elimination in Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 6
                     Implementation of Gauss Jordan in Scilab.
AIM:
                    A = [1 \ 3 \ 2; 2 \ 7 \ 7; 2 \ 5 \ 2]
Code
                    disp(A);
                    B = [2;-1;7]
                    disp(B);
                    C = [A,B]
                    disp(C);
                    n = 3;
                    for i=1:n
                      C(i,:) = C(i,:)/C(i,i);
                      disp(C)
                      for j=1:n-1
                         if i+j < n+1
                          C(i+j,:) = C(i+j,:) - C(i+j,i) * C(i,:)
                         end
                       end
                       disp(C)
                    end
                    for i=n:-1:2
                      for j=1:i-1
                         C(j,:)=C(j,:)-C(j,i)*C(i,:);
                       end
                    end
                    disp("X=");
                    disp(C(1,4));
                    disp("Y=");
                    disp(C(2,4));
                    disp("Z=");
                    disp(C(3,4));
```

```
Output
                    --> exec('D:\Manish\SPIT\4th SEM\LA\Prac5\gelimination.sce', -1)
                                2.
                           3.
                      2.
                           7.
                                7.
                           5.
                                2.
                      2.
                      -1.
                      7.
                      1.
                           3.
                                2.
                                     2.
                                7.
                                    -1.
                                2.
                                2.
                                     2.
                      1.
                           3.
                      2.
                           7.
                                7.
                                    -1.
                                2.
                                2.
                                     2.
                      1.
                           3.
                      0.
                           1.
                                3.
                                    -5.
                          -1.
                               -2.
                           3.
                                2.
                                     2.
                      1.
                      0.
                                3.
                                    -5.
                           1.
                      0.
                          -1.
                               -2.
                                     2.
                           3.
                                2.
                      1.
                                    -5.
                      0.
                           1.
                                3.
                      0.
                           Ο.
                                1.
                                    -2.
                                2.
                                     2.
                      1.
                           3.
                      0.
                           1.
                                3.
                                    -5.
                      0.
                                1.
                                    -2.
                           3.
                                2.
                                     2.
                      1.
                                    -5.
                      0.
                           1.
                                3.
                                1. -2.
                     X=
                       3.
                     Y=
                     Z=
                      -2.
                    -->
CONCLUSION: Hence, by completing this experiment I came to know about Implementation of Gauss Jordan in
```

Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 7
                 Implementation of Gauss Jacobi in Scilab.
AIM:
Code
                 clc
                 A=[5-23;-391;2-1-7];
                 B=[-1;2;3];
                 n=5
                 x=0;
                y=0;
                 z=0;
                 for i=1:n
                   printf("\nIteration number: %g",i);
                  X=(B(1)-A(1,2)*y-A(1,3)*z)/A(1,1);
                  Y=(B(2)-A(2,1)*x-A(2,3)*z)/A(2,2);
                  Z=(B(3)-A(3,1)*x-A(3,2)*y)/A(3,3);
                   printf("\nTHE value of x:%g",X);
                   printf("\nTHE value of y:%g",Y);
                  printf("\nTHE value of z:%g",Z);
                  x=X;
                  y=Y;
                   z=Z;
                 end
```

Output Iteration number: 1 THE value of x:-0.2 THE value of y:0.222222 THE value of z:-0.428571 Iteration number: 2 THE value of x:0.146032 THE value of y:0.203175 THE value of z:-0.51746 Iteration number: 3 THE value of x:0.191746 THE value of y:0.328395 THE value of z:-0.415873 Iteration number: 4 THE value of x:0.180882 THE value of y:0.332346 THE value of z:-0.4207 Iteration number: 5 THE value of x:0.185359 THE value of y:0.329261 THE value of z:-0.424369 **CONCLUSION:** Hence, by completing this experiment I came to know about Implementation of Gauss Jacobi in Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 8
                 Implementation of Gauss Scidel in Scilab.
AIM:
Code
                 clc
                 A=[27 6 -1;6 15 2;1 1 54];
                 B=[85;72;110];
                 n=5;
                 x=0;
                 y=0;
                 z=0;
                 for i=1:n
                   printf("\nIteration number: %g",i);
                   x=(B(1)-(A(1,2)*y)-(A(1,3)*z))/A(1,1);
                   y=(B(2)-(A(2,1)*x)-(A(2,3)*z))/A(2,2);
                   z=(B(3)-(A(3,1)*x)-(A(3,2)*y))/A(3,3);
                   printf("\nTHE value of x:%g",x);
                   printf("\nTHE value of y:%g",y);
                   printf("\nTHE value of z:%g",z);
                 end
```

Output Scilab 6.0.2 Console Iteration number: 1 THE value of x:3.14815 THE value of y:3.54074 THE value of z:1.91317 Iteration number: 2 THE value of x:2.43217 THE value of y:3.57204 THE value of z:1.92585 Iteration number: 3 THE value of x:2.42569 THE value of y:3.57294 THE value of z:1.92595 Iteration number: 4 THE value of x:2.42549 THE value of y:3.57301 THE value of z:1.92595 Iteration number: 5 THE value of x:2.42548 THE value of y:3.57302 THE value of z:1.92595 -->

CONCLUSION: Hence, by completing this experiment I came to know about Implementation of Gauss Scidel in

Scilab.

| Name | Manish Shashikant Jadhav |
|------------|--------------------------|
| UID no. | 2023301005 |
| Subject | Linear Algebra |
| Department | Computer Engineering-B |

```
Experiment 9
                Implementation of Eigen values and Eigen Vectors in Scilab.
AIM:
                //Eigen values and vectors:
Code 1
                clc
                A=[2-11;12-1;1-12];
                disp(A);
                [c,d]=spec(A);
                printf("The Eigen values of matrix A are:");
                printf("The Eigen vectors of matrix A are:");
                disp(c);
Output 1
                Scilab 6.0.2 Console
                    1.
                         2. -1.
                               2.
                 The Eigen values of matrix A are:
                    2.
                         0.
                         1.
                               ο.
                The Eigen vectors of matrix A are:
                    0.5773503
                                 2.621D-16 0.7071068
                    0.5773503 -0.7071068 2.604D-16
                    0.5773503 -0.7071068 0.7071068
```

```
Code 2
                 //Eigen values and vectors:
                 clc
                 A=[2\ 2\ 1;\ 1\ 3\ -1;\ 1\ 2\ 2];
                 disp(A);
                 [c,d]=spec(A);
                 printf("The Eigen values of matrix A are:");
                 disp(d);
                 printf("The Eigen vectors of matrix A are:");
                 disp(c);
Output 2
                 Scilab 6.0.2 Console
                     2.
                     1.
                          3.
                              -1.
                  The Eigen values of matrix A are:
                          0.
                          3. + 2.895D-08i
                                            0.
                                             3. - 2.895D-08i
                 The Eigen vectors of matrix A are:
                     0.8944272 -0.7071068
                                                           -0.7071068
                    -0.4472136 6.320D-16 - 1.023D-08i 6.320D-16 + 1.023D-08i
                               -0.7071068
                                                           -0.7071068
                   -> |
CONCLUSION: Hence, by completing this experiment I came to know about Implementation of Eigen values and
                 vectors in Scilab.
```